

# Gaseous dynamical friction on intermediate-mass BHs

Daisuke Toyouchi (Kyoto univ.)

in collaboration with

Kazuyuki Sugimura (Tohoku univ.), Riouhei Nakatani (Tokyo univ.),

Takashi Hosokawa (Kyoto univ.), Rolf Kuiper (Tubingen Univ.)

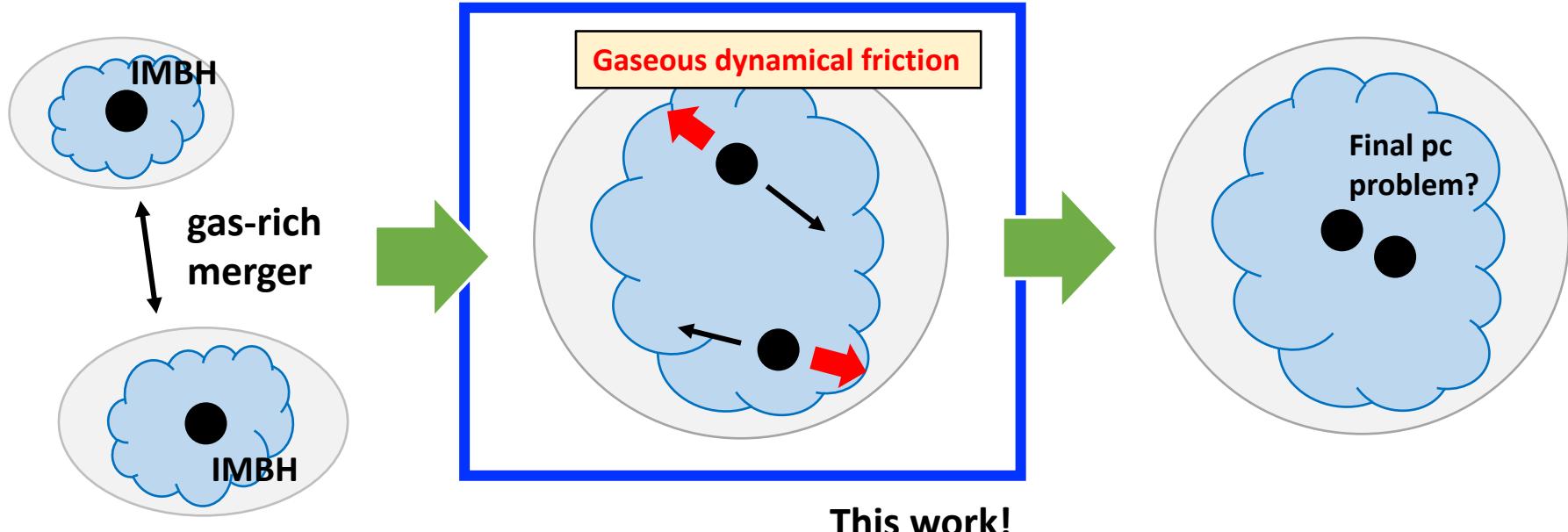
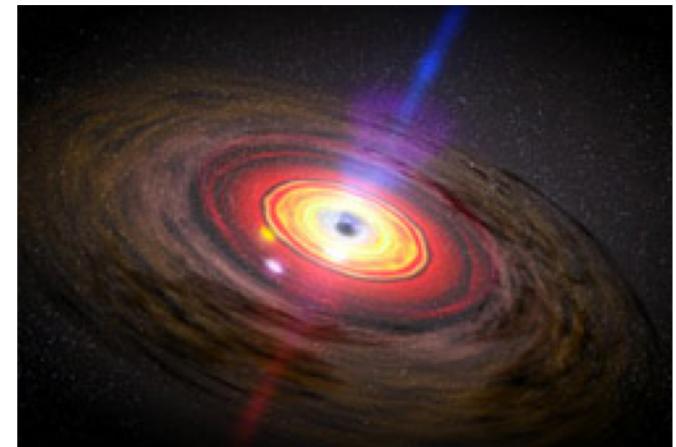
YITP long-term workshop @ Kyoto 2019/10/17



# Introduction

# Binary of Intermediate-mass black holes (IMBH)

- ✓ IMBHs with  $10^{3-5}$  M<sub>Sun</sub> are seeds of more massive BHs
- ✓ One of the targets of the space-based GW detector LISA
- ✓ IMBH binaries form via galaxy-galaxy-merger



# Gaseous dynamical friction

## Gaseous dynamical friction in BHL accretion

(Ostriker 1999)

$$F_{\text{DF,gas}} = -\frac{4\pi(GM_{\text{BH}})^2\rho_{\text{gas}}}{v_{\text{BH}}^2} \ln \left[ \Lambda \left( 1 - \frac{1}{M^2} \right)^{0.5} \right] \quad (M > 1)$$

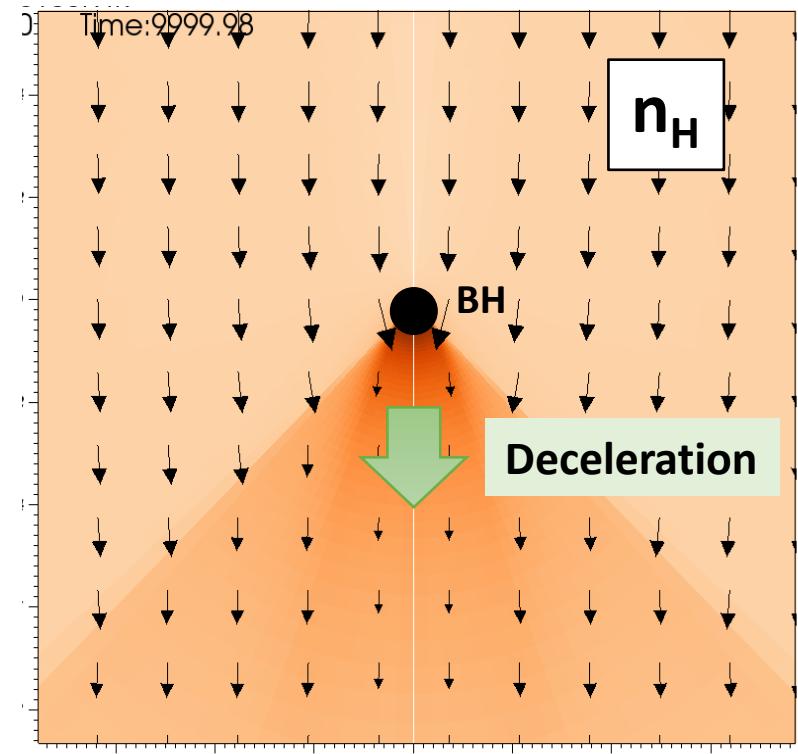
(Chandrasekhar 1943)

$$F_{\text{DF,star}} = -\frac{4\pi(GM_{\text{BH}})^2\rho_{\text{star}}}{v_{\text{BH}}^2} \ln \Lambda \left[ \text{erf}(X) - \frac{2X}{\sqrt{\pi}} e^{-X^2} \right]$$

if  $v_{\text{BH}} \gg c_s$  and  $v_{\text{BH}} \gg \sigma_{\text{star}}$

$$\frac{F_{\text{DF,gas}}}{F_{\text{DF,star}}} \sim \frac{\rho_{\text{gas}}}{\rho_{\text{star}}}$$

- ✓ if  $\rho_{\text{gas}} > \rho_{\text{star}}$ , gaseous dynamical friction is a dominant mechanism for BH orbital evolution



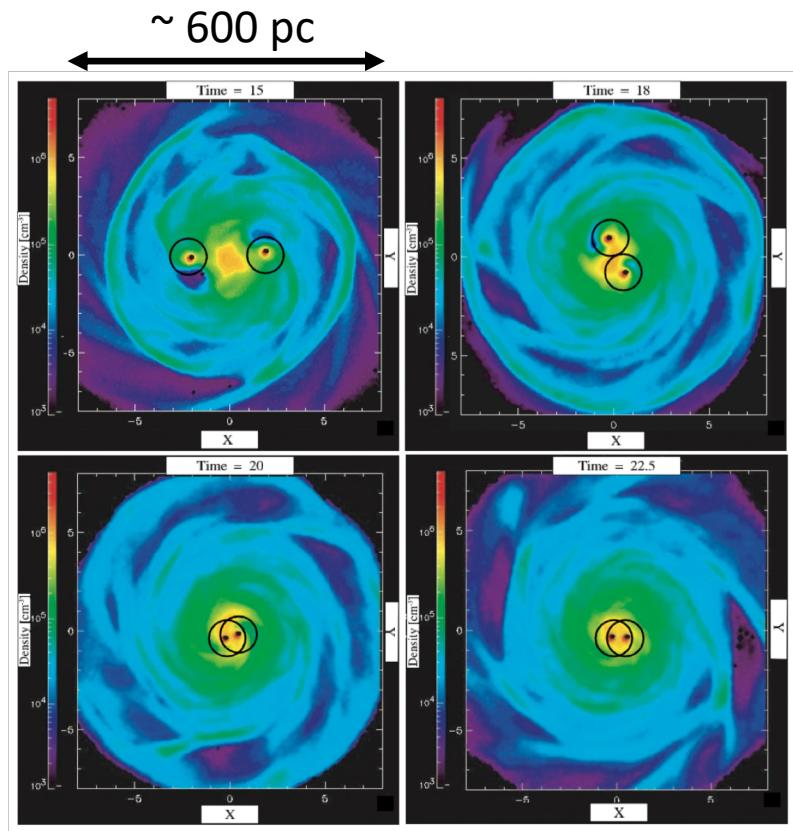
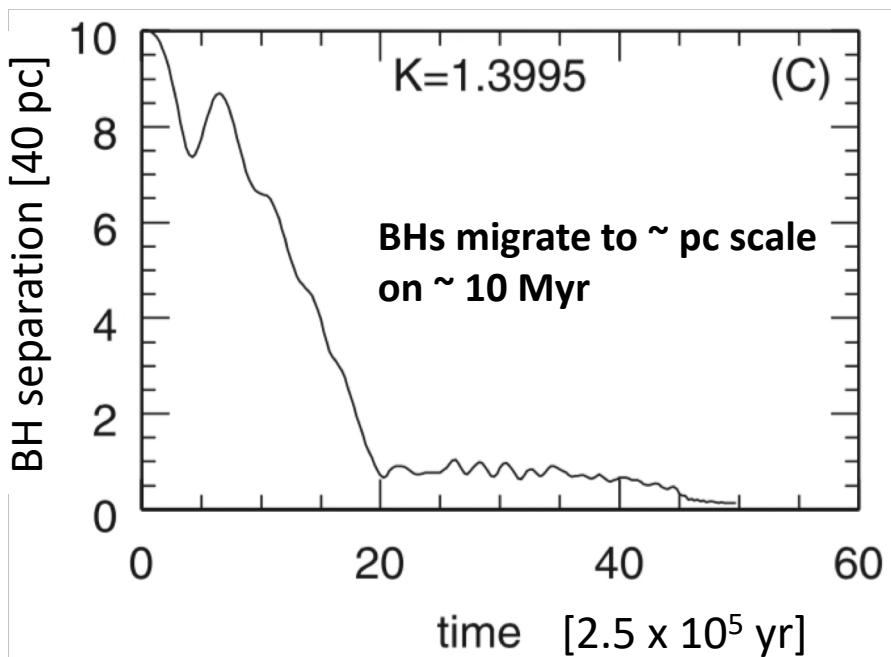
Gas aggregates at the downstream side.

→ BH is decelerated by the downstream gas.

# BH orbital evolution

Escala et al. (2005)

- ✓ 3D simulation (SPH: GADGET), **adiabatic**
  - ✓ BH pair :  $M_{bh} = 5 \times 10^7 M_{\text{sun}}$ ,  $D_{bh} = 400 \text{ pc}$
  - ✓ disk :  $M_{\text{disk}} = 5 \times 10^9 M_{\text{sun}}$ ,  $R_{\text{disk}} = 400 \text{ pc}$
- remnant of a gas-rich galaxy-galaxy merger

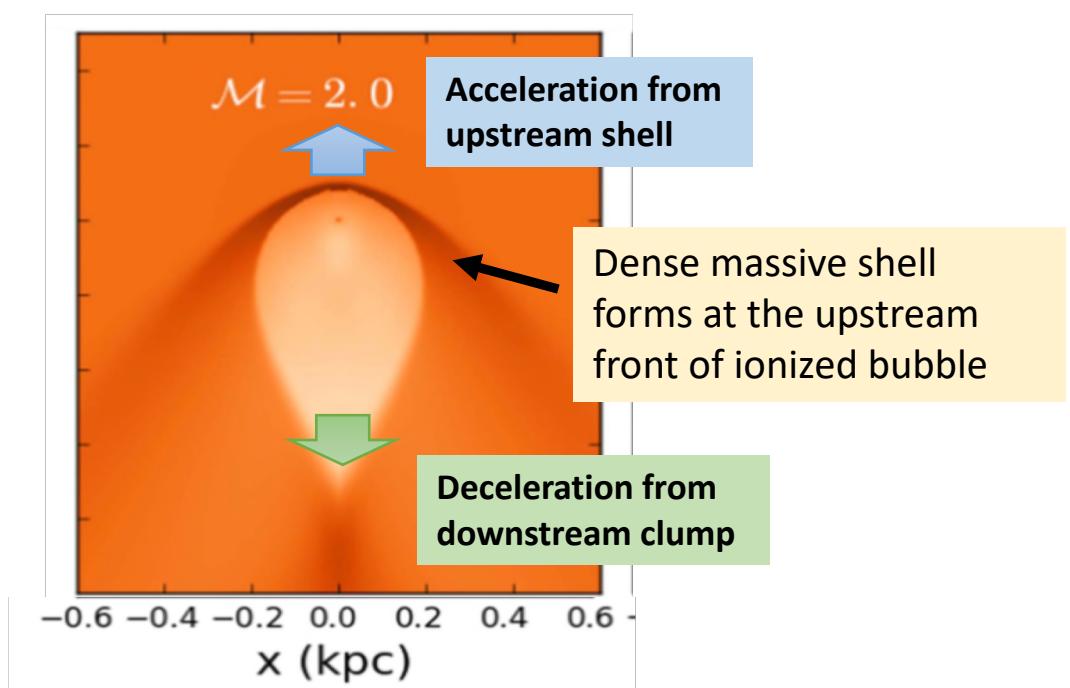
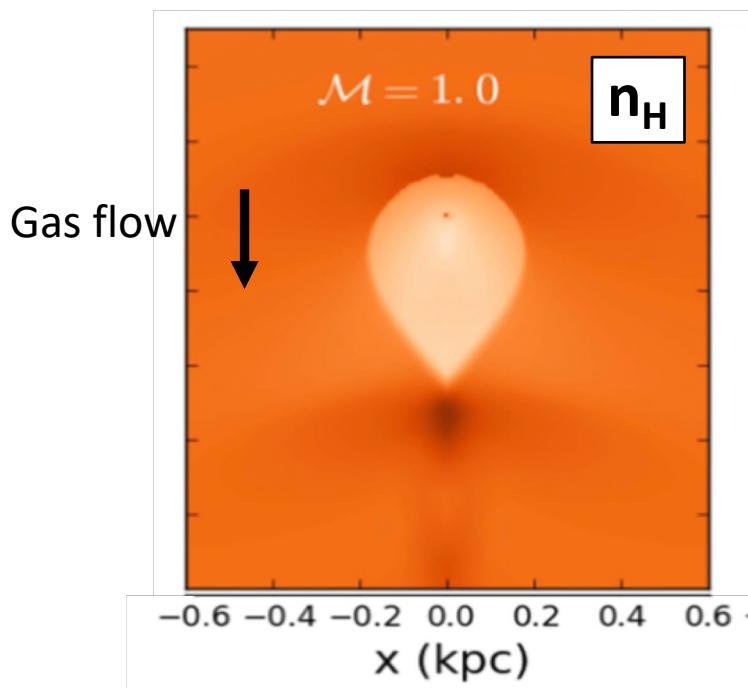


However, most of simulations don't consider the radiative feedback from moving BHs...

# Effect of Radiative Feedback

Park & Bagdanovic (2017)

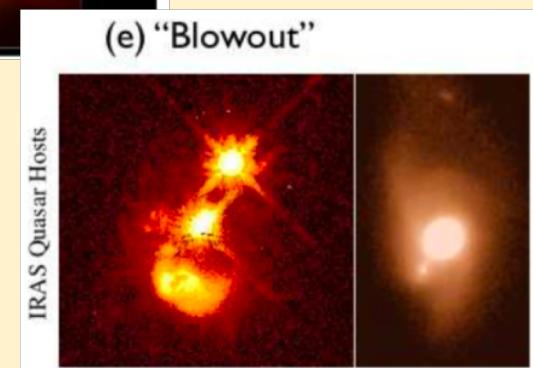
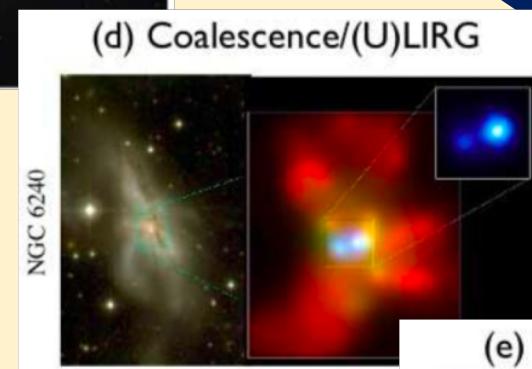
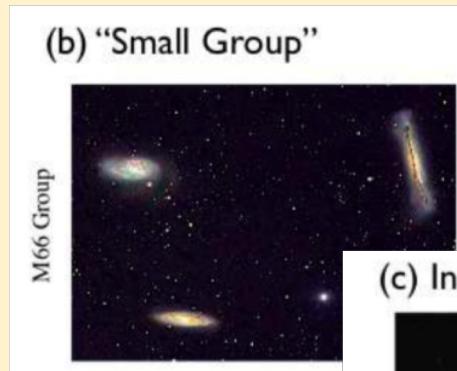
- ✓ high-resolution 2D-RHD simulations
- ✓ Gas accretion onto a moving MBH
- ✓ assuming primordial gas
- ✓ Upstream dense shell can accelerate the moving BH forward.



## Galaxy-galaxy merger

→ Intense star formation

→ Dusty and Dense environment



Hopkins et al. (2008)

**Method :**

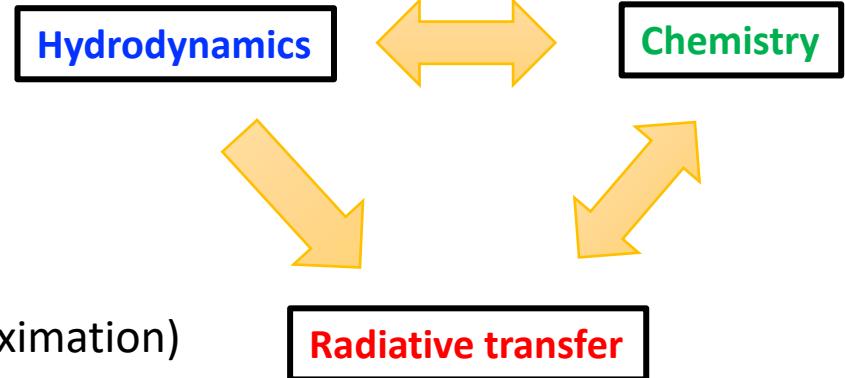
**3D-RHD simulation**

# Simulation code

- HD simulation (public code “PLUTO”)

- Radiative transfer

- ✓ photoionization (EUV)
- ✓ dust attenuation (FUV, EUV)
- ✓ dust thermal emission (IR; FLD approximation)
- ✓ radiation pressure (Thomson scattering,  
photoionization, dust UV & IR radiative force)



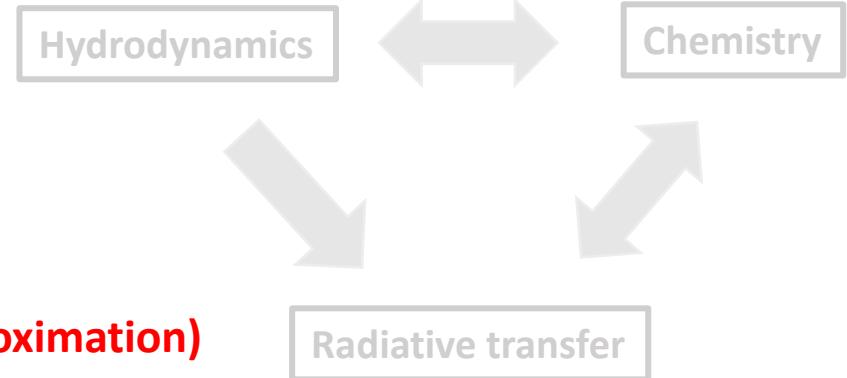
- Non-equilibrium Chemistry

- ✓ six species: HI, HII, HeI, HeII, HeIII, e-, (some heavy elements, molecules)
- ✓ photoionization, recombination, collisional excitation & ionization, free-free emission, metal line cooling, dust-gas collisional cooling etc.

# Simulation code

- HD simulation (public code “PLUTO”)
- Radiative transfer

- ✓ photoionization (EUV)
- ✓ **dust attenuation (FUV, EUV)**
- ✓ **dust thermal emission (IR; FLD approximation)**
- ✓ radiation pressure (Thomson scattering,  
photoionization, **dust UV & IR radiative force**)

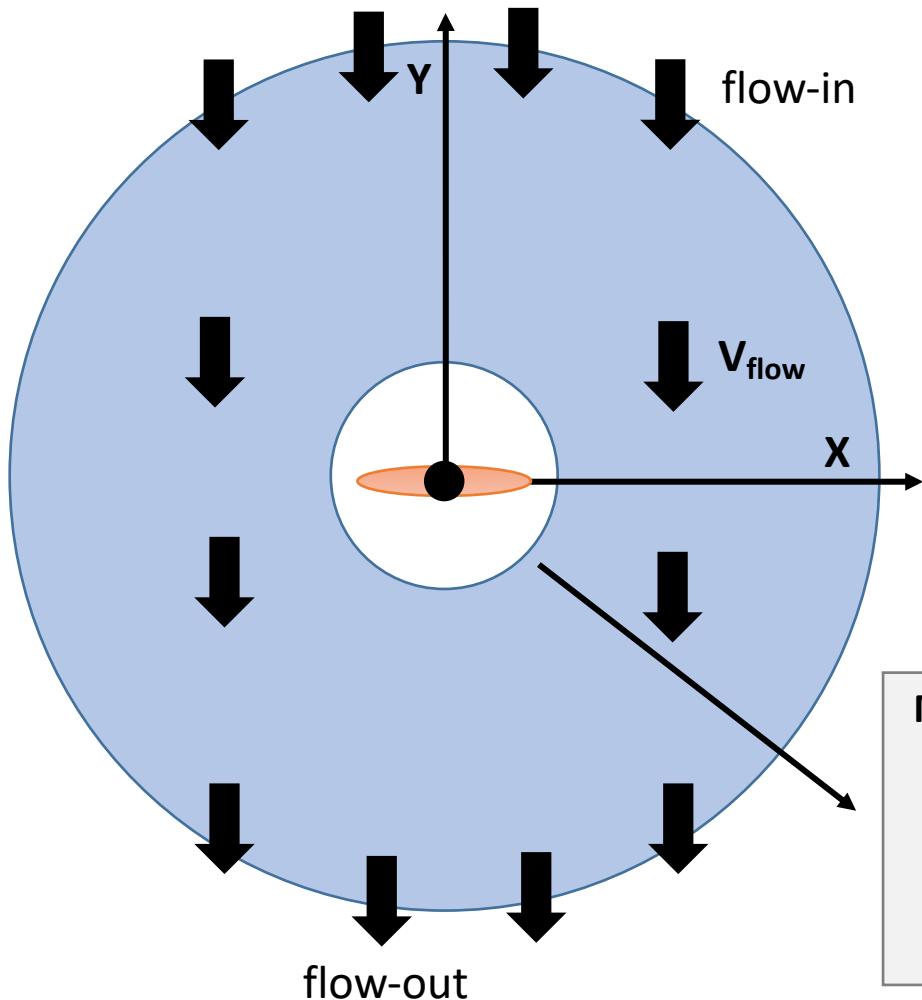


**Originality !!**

- Non-equilibrium Chemistry
  - ✓ six species: HI, HII, Hel, Hell, HeIII, e-, (some heavy elements, molecules)
  - ✓ photoionization, recombination, collisional excitation & ionization, free-free emission, **metal line cooling, dust-gas collisional cooling** etc.

# Initial condition

3D-simulation :  $(N_r, N_\theta, N_\phi) = (256, 36, 72)$ ,  
 $0.01 r_{\text{bondi}} < r < 10 r_{\text{bondi}}$



## Fiducial setup

- ✓  $M_{\text{BH}} = 10^4 \text{ Msun}$
- ✓  $n_{\text{gas}} = 10^4 \text{ cm}^{-3}$
- ✓  $v_{\text{flow}} = 20 \text{ km/s}$
- ✓  $T_{\text{gas}} = T_{\text{eq}}$  ( $\leftarrow$  heating rate = cooling rate)
- ✓  $Z = 0.01 Z_{\text{sun}}$
- ✓ dust-to-gas mass ratio,  $D = 0.01 (Z/Z_{\text{sun}})$

## Mass flux at inner boundary $\rightarrow$ BH luminosity

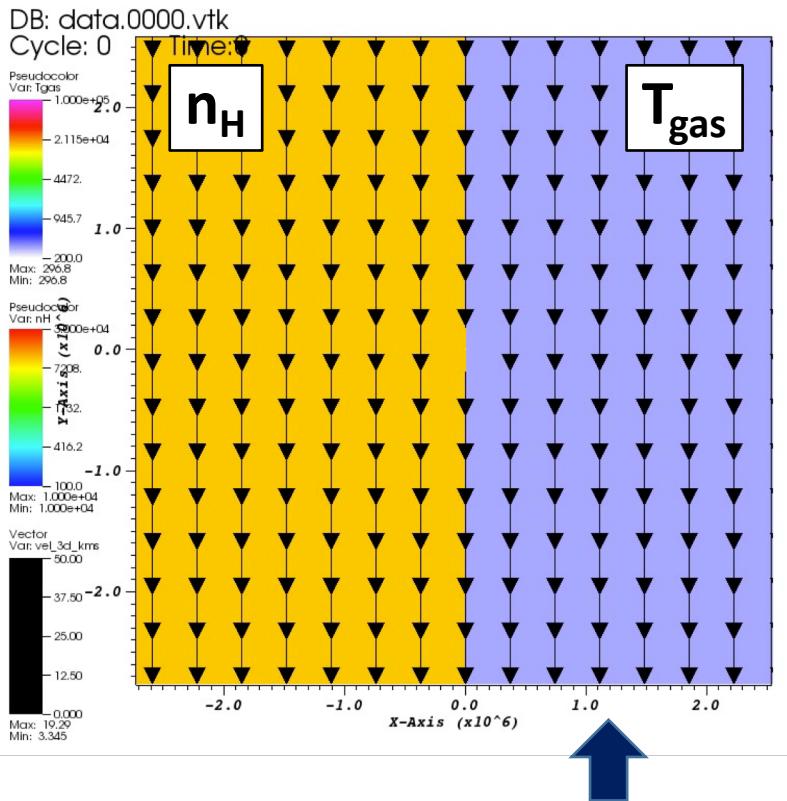
$$L = \begin{cases} 2L_{\text{Edd}} \left[ 1 + \ln \left( \frac{\dot{M}}{2\dot{M}_{\text{Edd}}} \right) \right] & (\dot{M} > 2\dot{M}_{\text{Edd}}) \\ L_{\text{Edd}} \left( \frac{\dot{M}}{\dot{M}_{\text{Edd}}} \right) & (\dot{M} < 2\dot{M}_{\text{Edd}}) \end{cases}$$

slim disk (Watarai+2000)

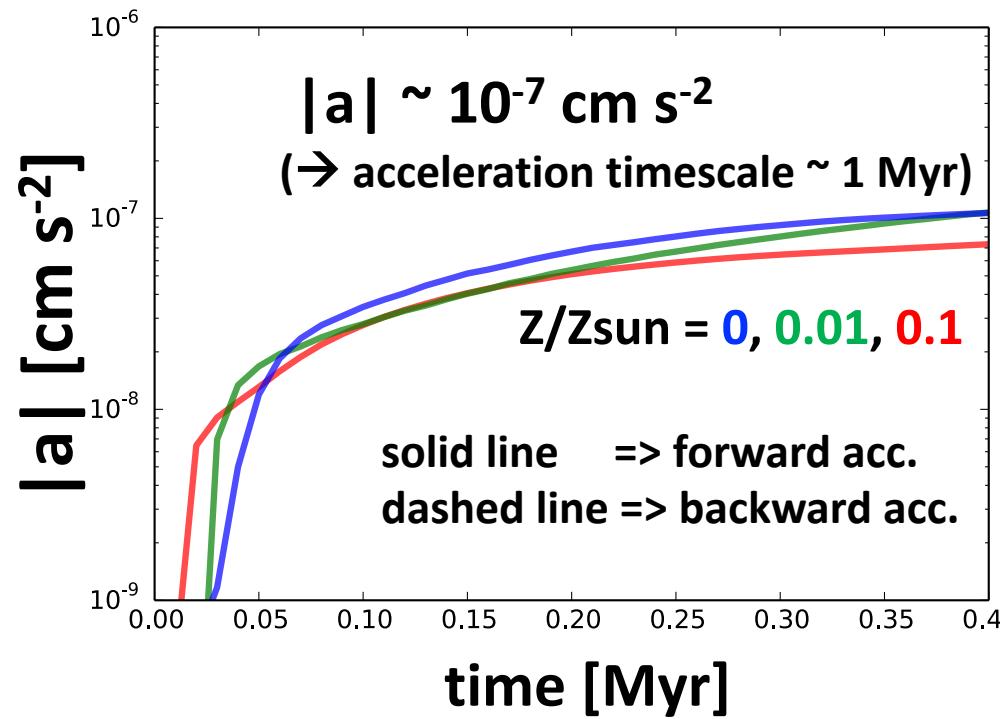
# Results

# Gas accretion onto a moving BH

$$Z = 0.01 Z_{\text{sun}}$$

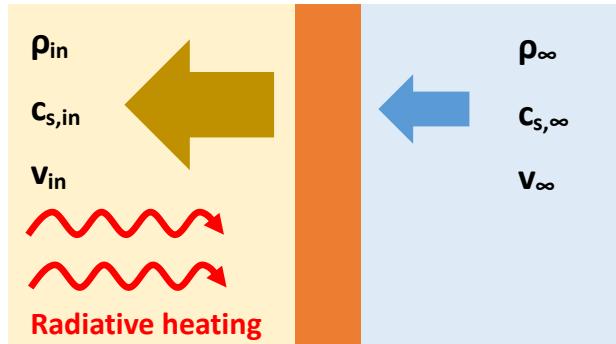


$T \sim 10^2 \text{ K}$  (cold ambient)  
 $10^4 \text{ K}$  (partially ionized)  
 $10^5 \text{ K}$  (ionized gas)



- ✓ Dense massive shell forms at the upstream front of ionized bubble.
- ✓ moving IMBHs can speed up even in dusty environments.

# Can BH accelerate unlimitedly?



mass conservation

$$\rho_{in}v_{in} = \rho_{\infty}v_{\infty}$$

momentum conservation

$$\rho_{in}v_{in}^2 + \rho_{in}c_{s,in}^2 = \rho_{\infty}v_{\infty}^2 + \rho_{\infty}c_{s,\infty}^2$$

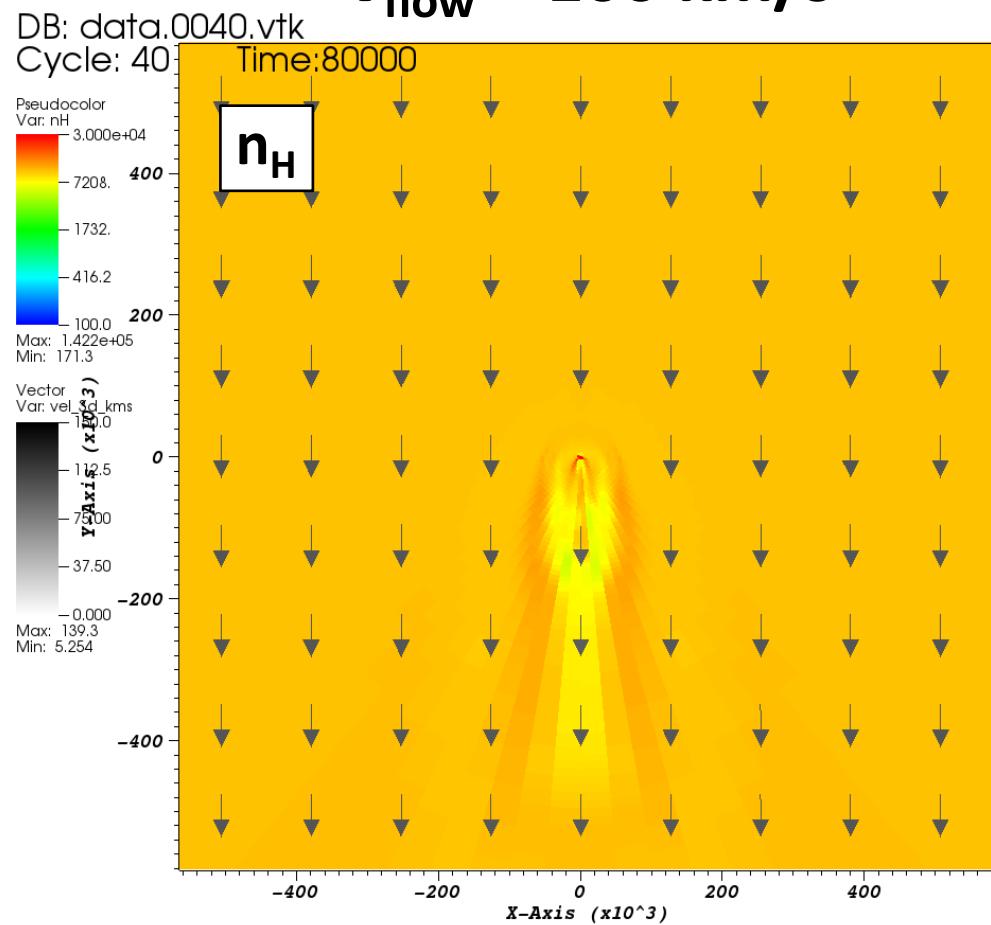


weak R-type I-front ( $v_{\infty} > 2 c_{s,in}$ )

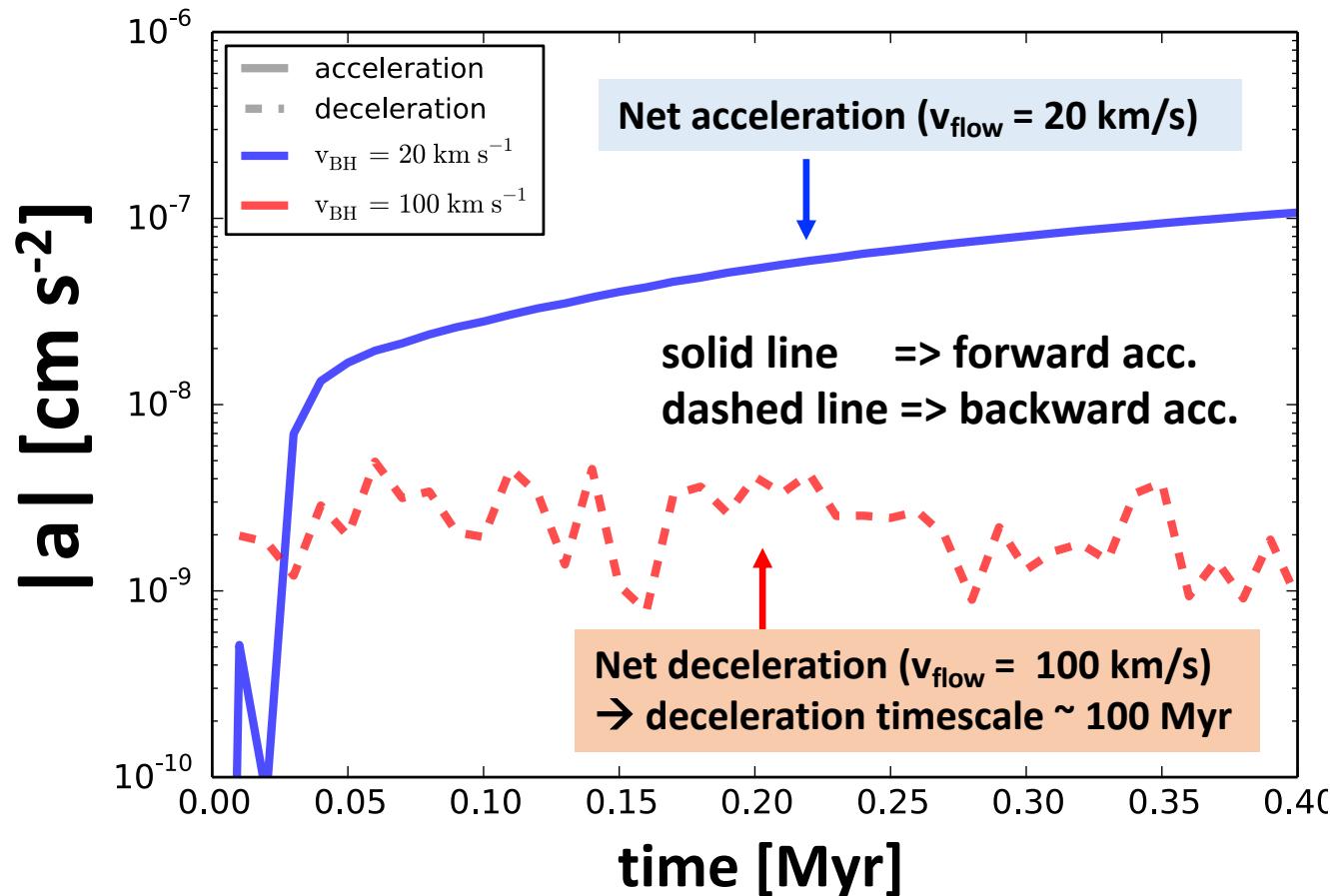
$$\rho_{in} \sim \rho_{\infty} \quad \& \quad v_{in} \sim v_{\infty}$$

✓ No upstream dense shell!

$$v_{flow} = 100 \text{ km/s}$$



# Can BH accelerate unlimitedly?



- ✓ Once the velocity of moving BH becomes fast enough to realize R-type I-front ( $v_{\text{flow}} \gg c_{s,\text{HII}}$ ), the BH isn't accelerated anymore.

Is it impossible for BHs to migrate to galactic centers?

# Gas accretion in dense environment

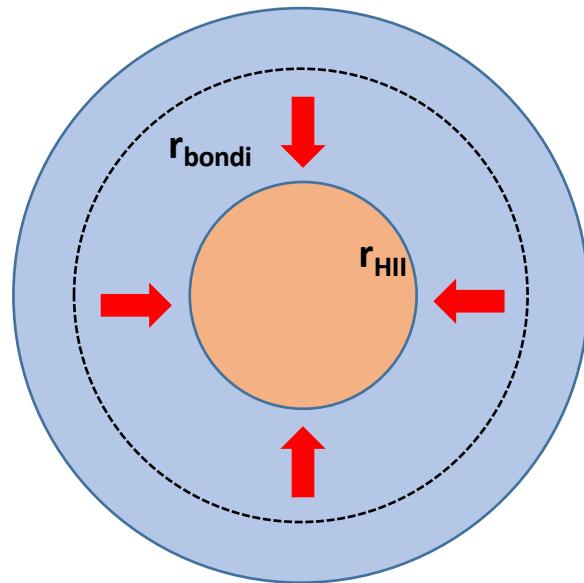
Inayoshi et al. (2016)

- Condition for the bondi like accretion ( $r_{\text{Bondi}} > r_{\text{HII}}$ )

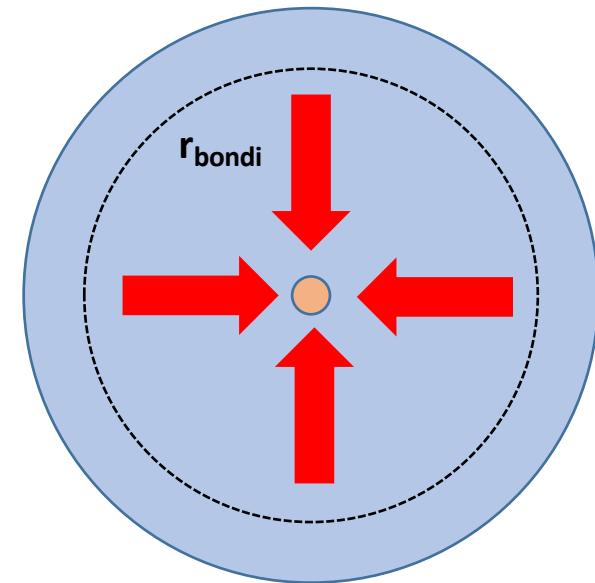
$$\left( \frac{M_{\text{BH}}}{10^4 M_{\odot}} \right) \left( \frac{n_{\infty}}{10^6 \text{ cm}^{-3}} \right) \gtrsim \left( \frac{c_{s,\infty}}{10 \text{ km s}^{-1}} \right) \underbrace{\left\{ 1 + 7.1 \left( \frac{Z}{10^{-2} Z_{\odot}} \right) \right\}^{-1/2}}$$

Toyouchi et al. (2019)

Effects of dust radiative force



Gas within  $r_{\text{bondi}}$  can accrete onto the surface of ionized bubble

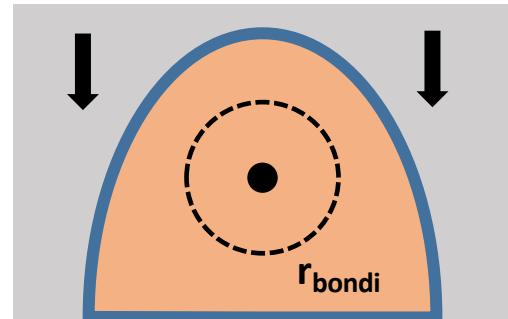
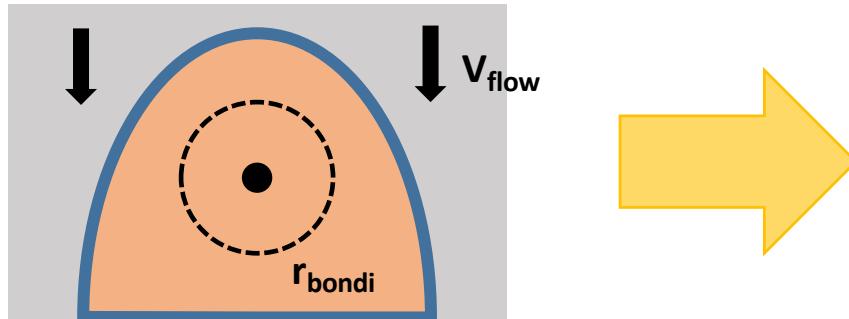


Bondi like accretion

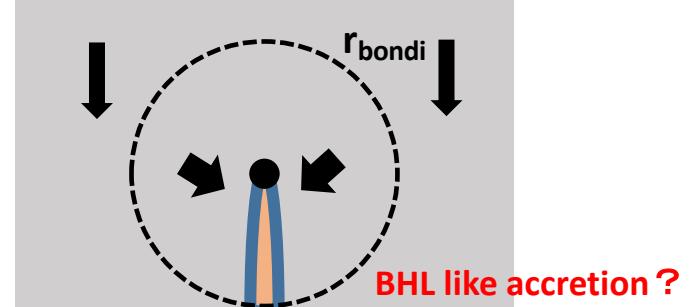
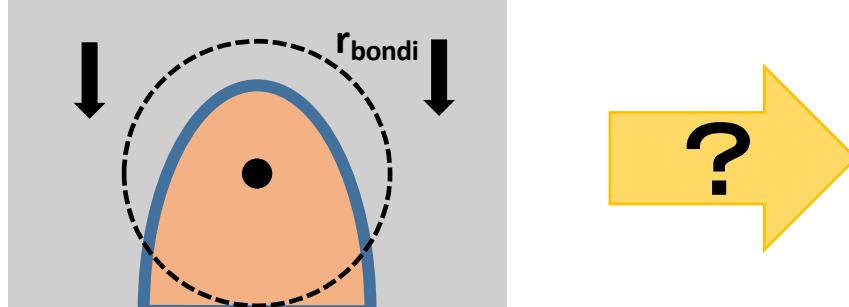
# Gas accretion in dense environment

$$\left( \frac{M_{\text{BH}}}{10^4 M_{\odot}} \right) \left( \frac{n_{\text{H}}}{10^6 \text{ cm}^{-3}} \right) \gtrsim \left( \frac{\sqrt{c_{s,\infty}^2 + v_{\text{flow}}^2}}{10 \text{ km s}^{-1}} \right) \left\{ 1 + 7.1 \left( \frac{Z}{10^{-2} Z_{\odot}} \right) \right\}^{-1/2}$$

$M_{\text{BH},4} n_{\text{H},6} < 1$

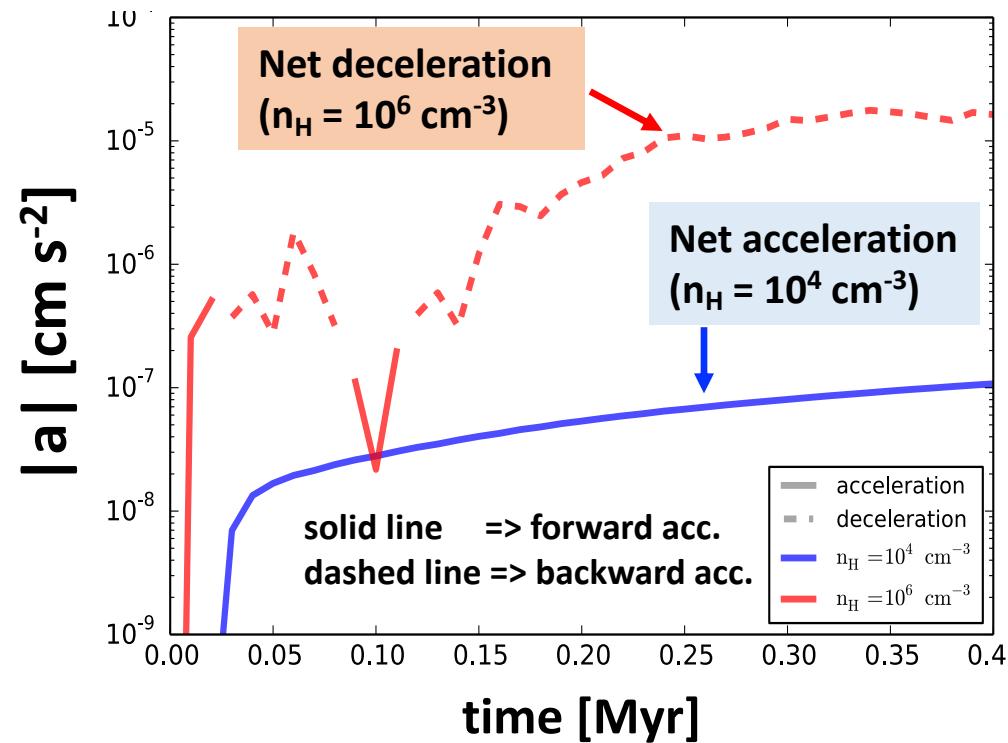
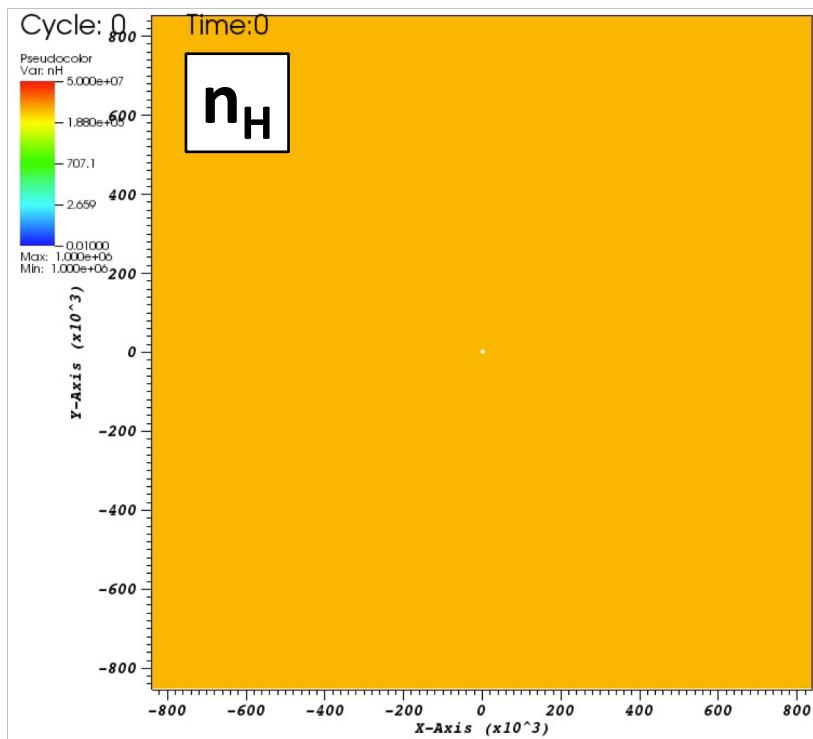


$M_{\text{BH},4} n_{\text{H},6} > 1$



$$\left( \frac{M_{\text{BH}}}{10^4 \text{ M}_\odot} \right) \left( \frac{n_{\text{H}}}{10^6 \text{ cm}^{-3}} \right) \gtrsim \left( \frac{\sqrt{c_{s,\infty}^2 + v_{\text{flow}}^2}}{10 \text{ km s}^{-1}} \right) \left\{ 1 + 7.1 \left( \frac{Z}{10^{-2} \text{ Z}_\odot} \right) \right\}^{-1/2}$$

$$n_{\text{H}} = 10^6 \text{ cm}^{-3}$$



- ✓ No static upstream shell
- ✓ Gas aggregates at the downstream side.

- ✓ IMBHs can be dragged backward similar to the BHL accretion.

# **Discussion and Summary**

**Sparse environment**  
 $(M_{BH,4} n_{H,6} < 1)$

- ✓ At first, IMBHs are moving in sparse environments.

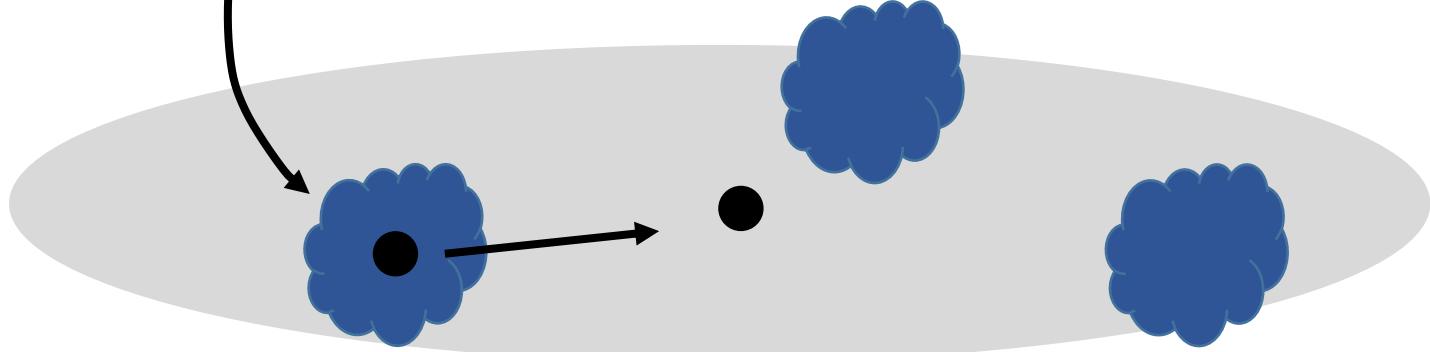
→ Forward acceleration up to  $v \sim 60$  km/s



$$M_{BH} \sim 10^{4-6} M_{\text{sun}}$$

- ✓ IMBHs experience strong dynamical friction in dense environments.

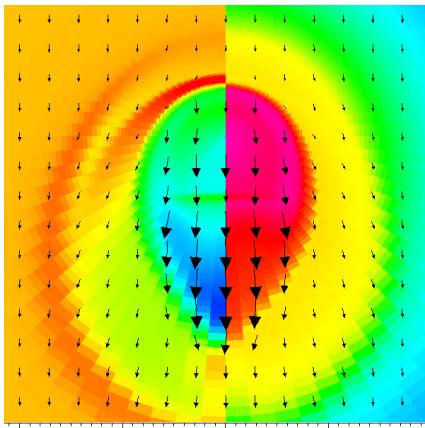
→ Rapid migration to galactic centers



**Dense environment**  
 $(M_{BH,4} n_{H,6} > 1)$

$$n_H \sim 10^{4-6} \text{ cm}^{-3}$$

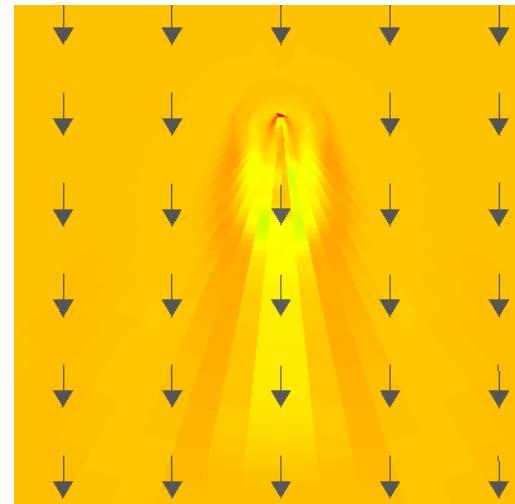
## Sparse environment ( $M_{BH,4} n_{H,6} < 1$ )



BH speeds up, but...



## No upstream dense shell!



Once the velocity of moving BH becomes fast enough to realize R-type I-front ( $v_{flow} \gg c_{s,HII}$ ), the BH isn't accelerated anymore.

## Dense environment ( $M_{BH,4} n_{H,6} > 1$ )

- ✓ No static upstream shell
- ✓ Gas aggregates at the downstream side.
- ✓ MBHs can be dragged backward in a similar manner to BHL accretion.
- ✓ MBHs could migrate to galactic centers on very short timescale of  $\sim < 10$  Myr.

