

次世代原子炉ニュートリノ実験の質 量階層性への Sensitivity

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In collaboration with S.F. Ge, N. Okamura and K. Hagiwara
JHEP 1305:131,2013

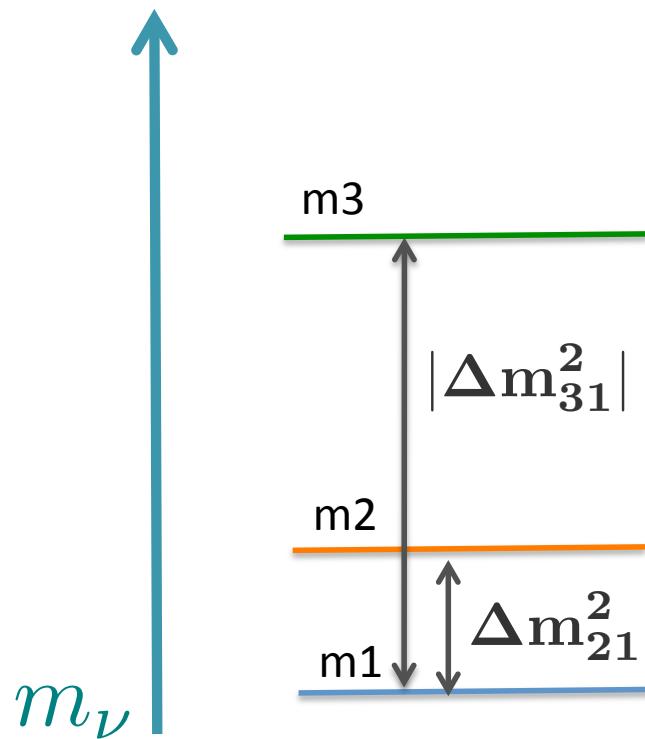
Introduction

Mass Hierarchy

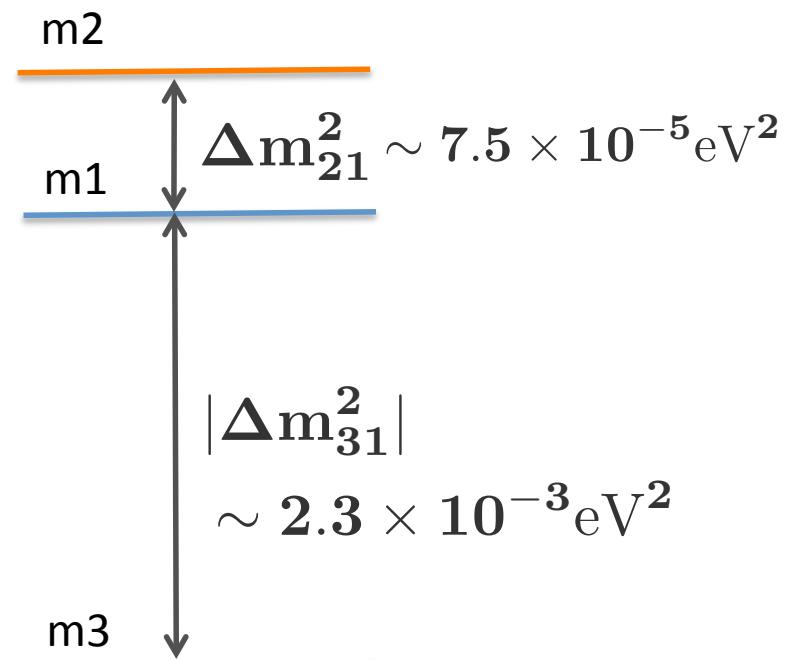
3 neutrinos flavors

$$\Delta m_{21}^2 = m_2^2 - m_1^2 \sim 7.5 \times 10^{-5}$$

$$\Delta m_{21}^2 < |\Delta m_{31}^2| \sim 2.3 \times 10^{-3}$$

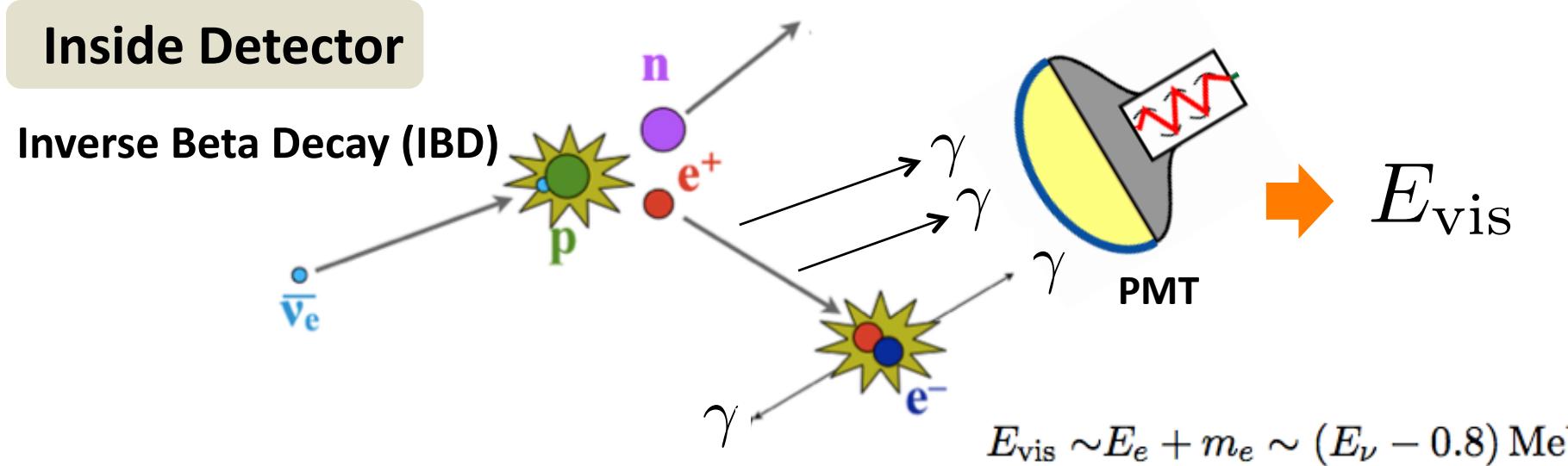
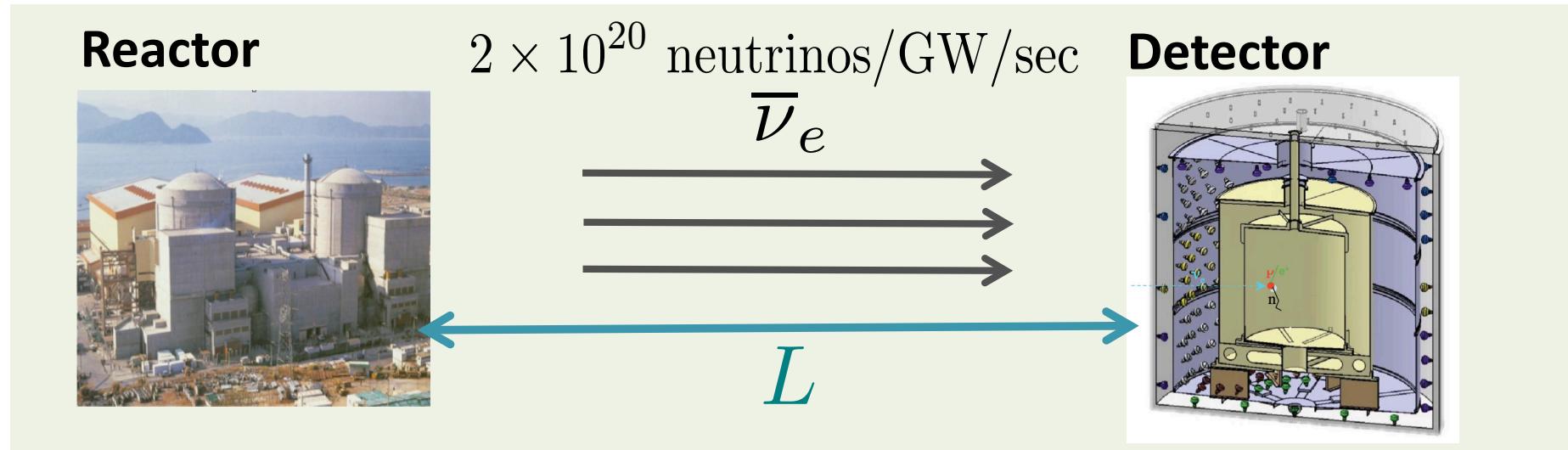


Normal Hierarchy
(NH)

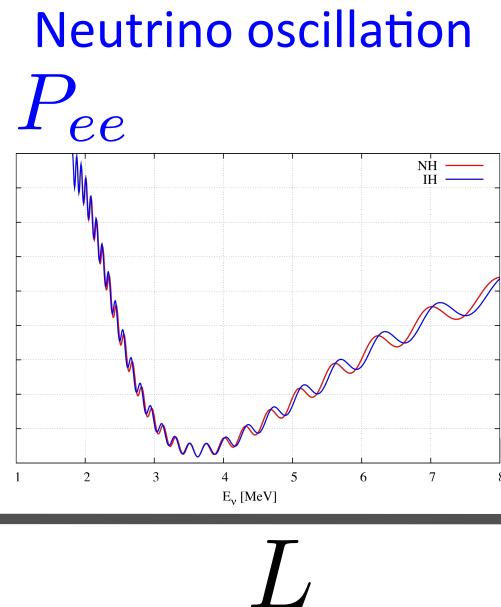
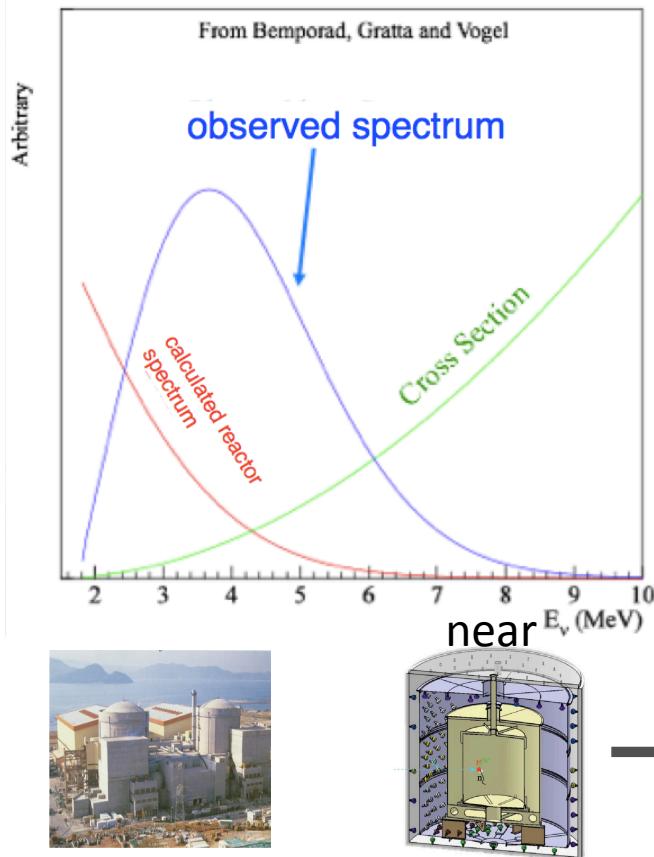


Inverted Hierarchy
(IH)

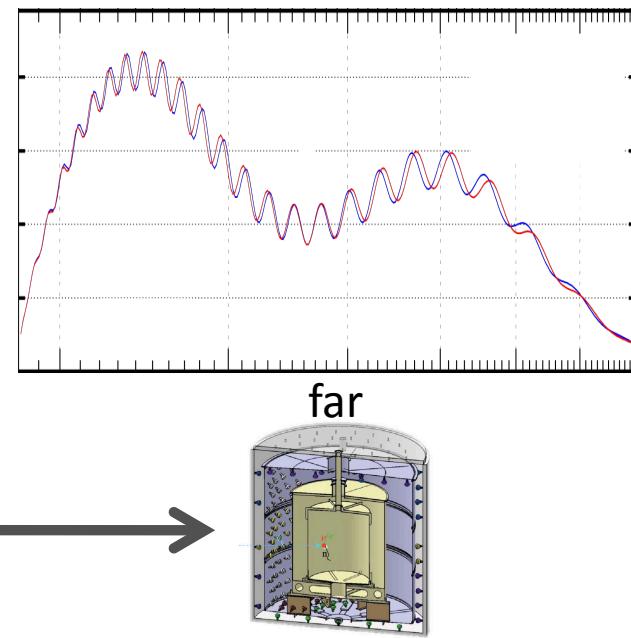
Reactor neutrino experiment



$\bar{\nu}_e$ Energy distribution



$\bar{\nu}_e$ @ detector

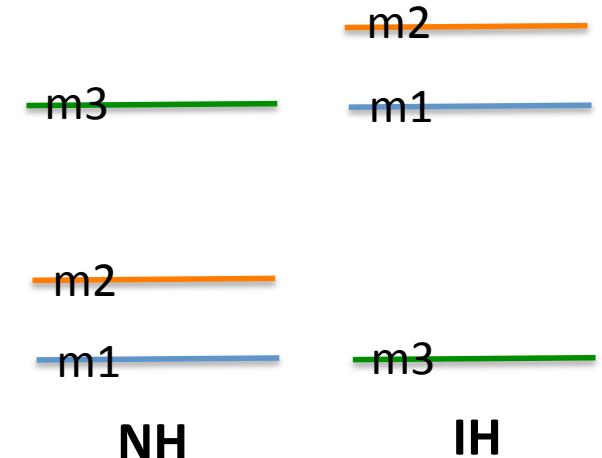


$$\frac{dN^{far}}{dE_{\text{vis}}} = \frac{N_p T}{4\pi L^2} \int_{E_{\text{thr}}}^{\infty} dE_\nu \phi(E_\nu) P_{ee} \sigma_{IBD} G(E_\nu, E_{\text{vis}})$$

How to distinguish Mass Hierarchy?

Detect the sign of Δm_{31}^2 (Δm_{32}^2)

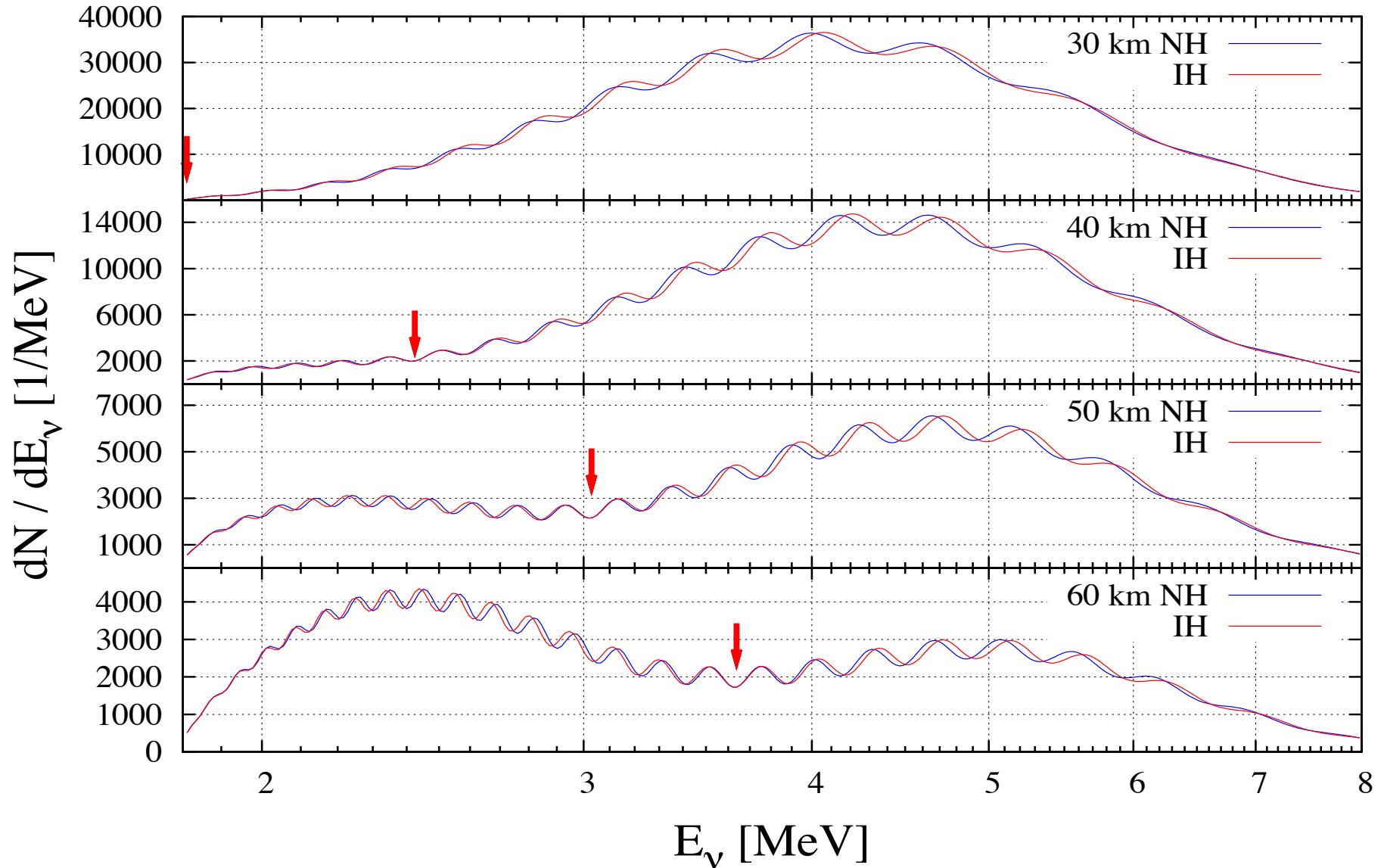
$$\Delta m_{31}^2 \equiv \begin{cases} m_3^2 - m_1^2 > 0 & (\text{NH}) \\ m_3^2 - m_1^2 < 0 & (\text{IH}). \end{cases}$$



The information of mass² difference are in Oscillation Probabilities.

$$\begin{aligned} P_{ee} &= \left| \sum_{i=1}^3 U_{ei} \exp \left(-i \frac{m_i^2}{2E_i} \right) U_{ei}^* \right|^2 \\ &= 1 - \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 (\Delta_{21}) \\ &\quad - \sin^2 2\theta_{13} \sin^2 (|\Delta_{31}|) \\ &\quad - \sin^2 \theta_{12} \sin^2 2\theta_{13} \sin^2 (\Delta_{21}) \cos (2|\Delta_{31}|) \\ &\quad \pm \frac{\sin^2 \theta_{12}}{2} \sin^2 2\theta_{13} \sin (2\Delta_{21}) \sin (2|\Delta_{31}|) \end{aligned}$$
$$\Delta_{ij} \equiv \frac{\Delta m_{ij}^2 L}{4E_\nu}, \quad (\Delta m_{ij}^2 \equiv m_i^2 - m_j^2).$$

MH difference in $\bar{\nu}_e$ spectrum



Sensitivity

χ^2 analysis

$$\chi^2 = \sum_{i=1}^{\text{nbin}} \left(\frac{N_i^{\text{fit}} - N_i^{\text{data}}}{\sqrt{N_i^{\text{data}}}} \right)^2 + \underbrace{\sum_{i=1}^{\text{nparam}} \left(\frac{X_i - X_i^{\text{input}}}{\delta X_i} \right)^2}_{\text{Penalty term}},$$

$$N_i^{\text{fit}} = \int dE_{\text{vis}} \frac{N_p T}{4\pi L^2} \int_{E_{\text{thr}}}^{\infty} dE_{\nu} \phi(E_{\nu}) P_{ee} \sigma_{IBD} G(E_{\nu}, E_{\text{vis}})$$

The theoretical prediction N_i^{fit} is fitted to the Data, assuming NH or IH.

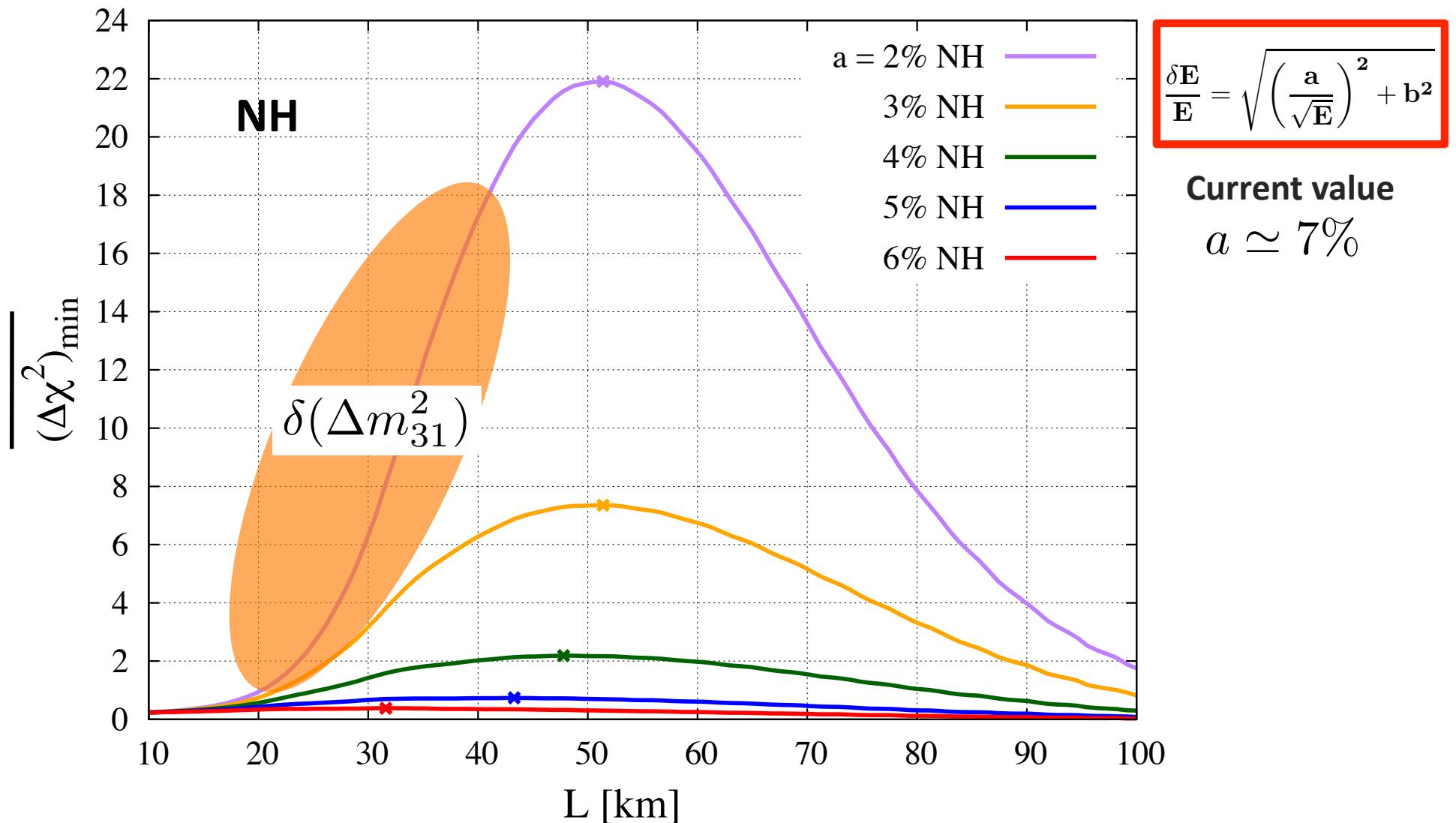
$$\rightarrow \chi_{\min}^2(NH) \quad \chi_{\min}^2(IH)$$

Fitting parameters are θ_{12} , θ_{13} , Δm_{21}^2 , $|\Delta m_{31}^2|$, f_{sys}

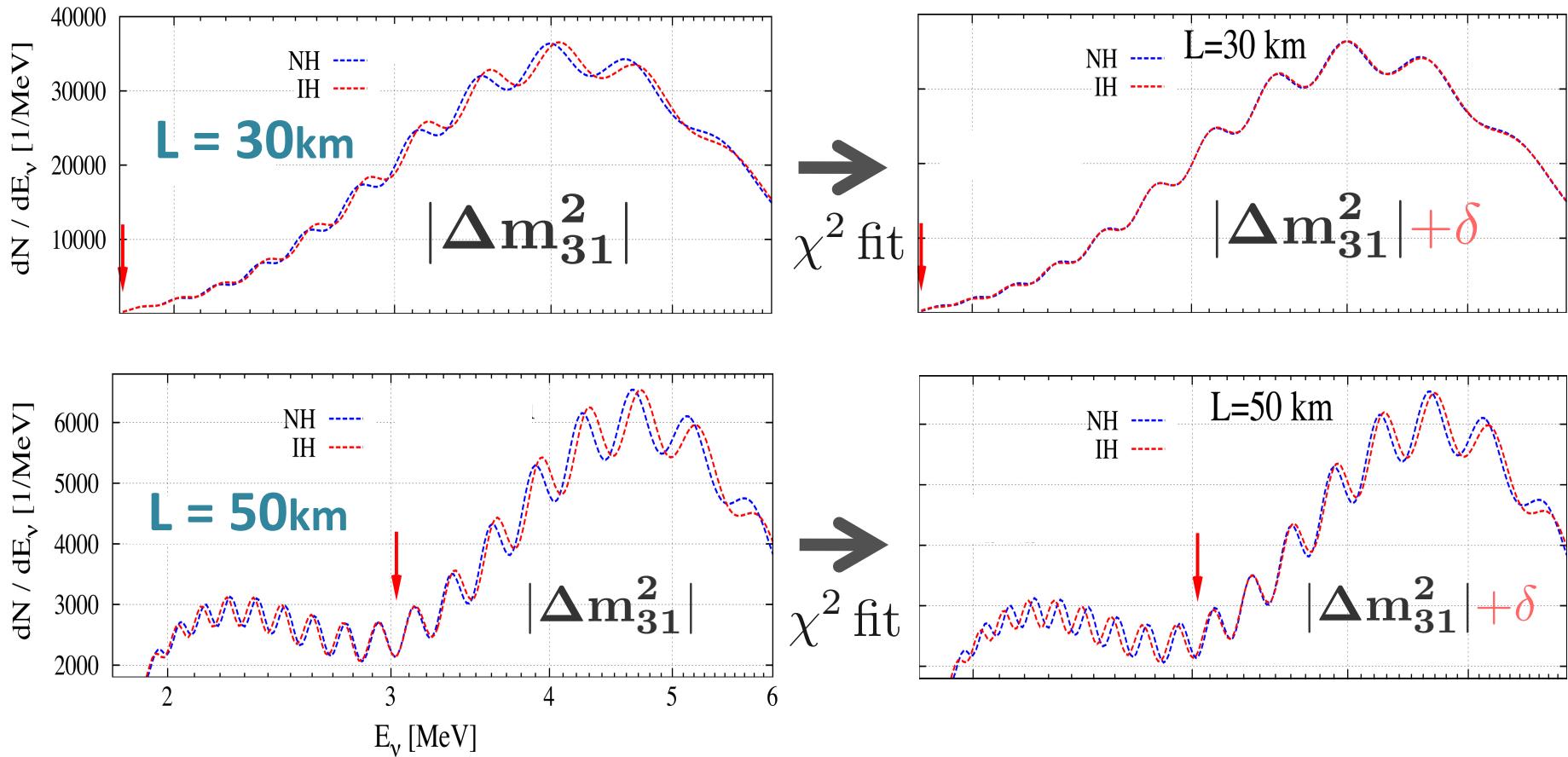
Y	$\sin^2 2\theta_{12}$	$\sin^2 2\theta_{13}$	$\Delta m_{21}^2 \text{ eV}^2$	$ \Delta m_{31}^2 \text{ eV}^2$	f_{sys}
Y^{input}	0.857	0.10	7.50×10^{-5}	2.32×10^{-3}	1
δY	0.024	0.005	0.20×10^{-5}	0.1×10^{-3}	0.03

Sensitivity to the Mass hierarchy

16.5GW 10kton 5yrs



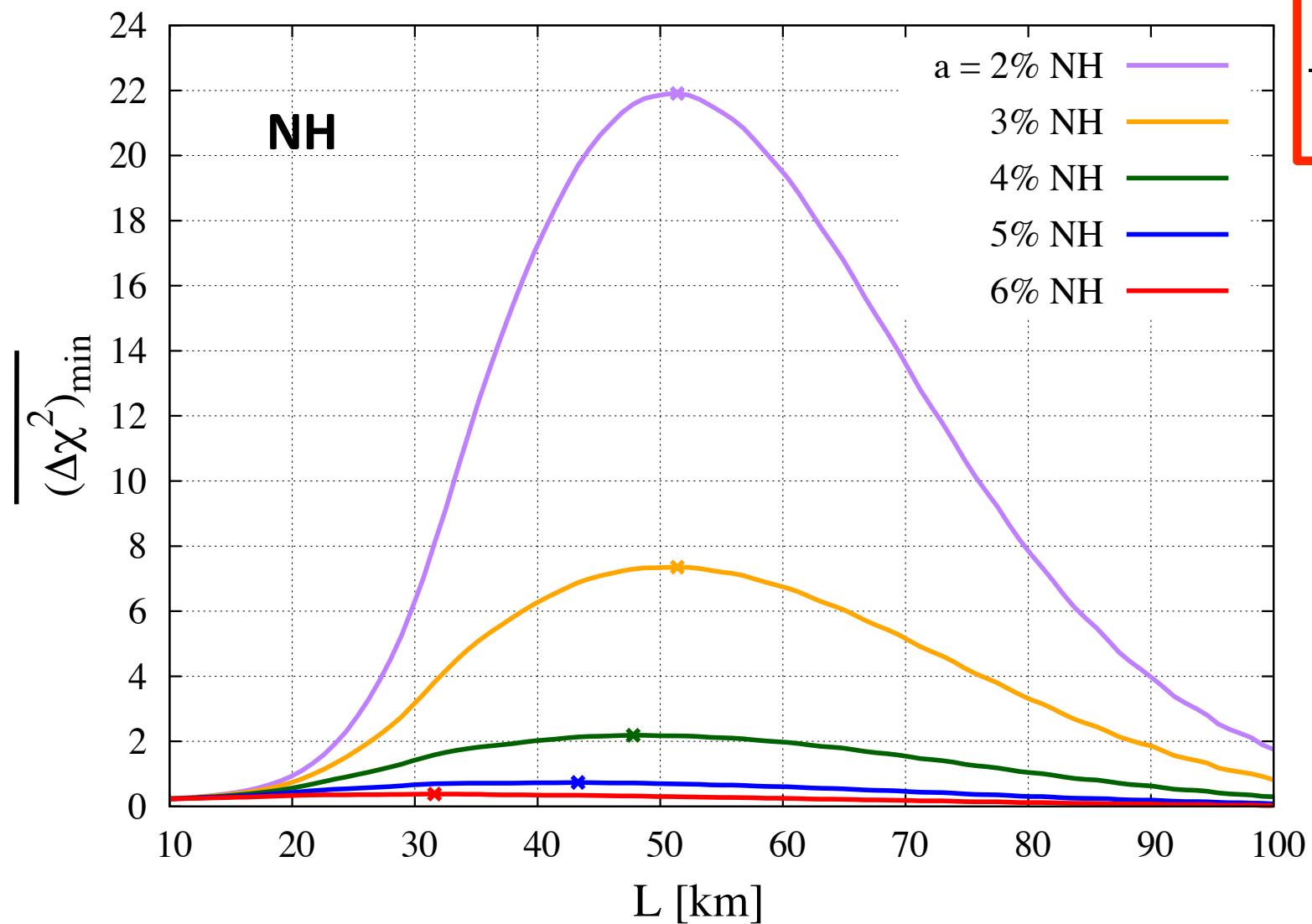
Effects of $\delta|\Delta m_{31}^2|$ to the sensitivity



Baseline should be long enough

Sensitivity to the Mass hierarchy

16.5GW 10kton 5yrs



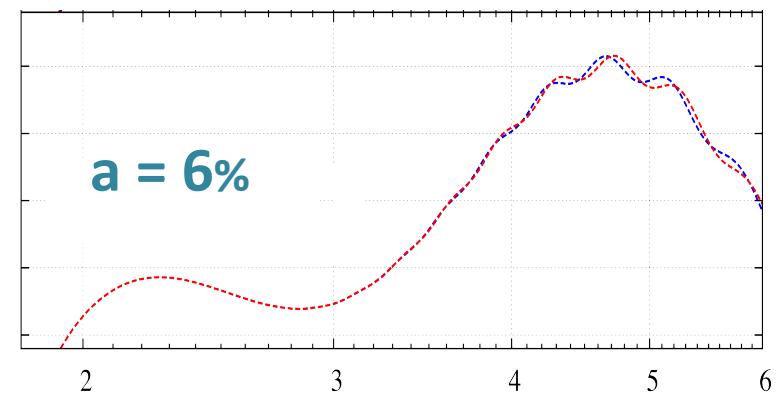
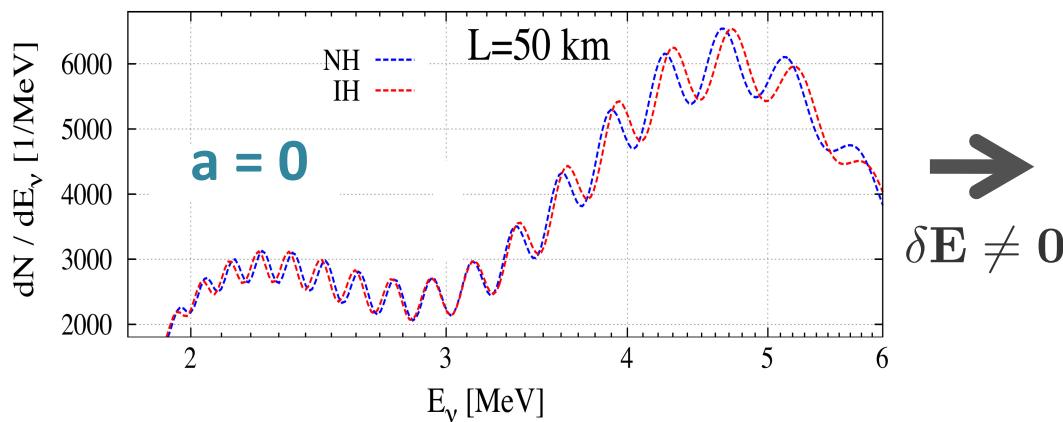
$$\frac{\delta E}{E} = \frac{a}{\sqrt{E}}$$

Current value
 $a \simeq 7\%$

Effect of Energy Resolution

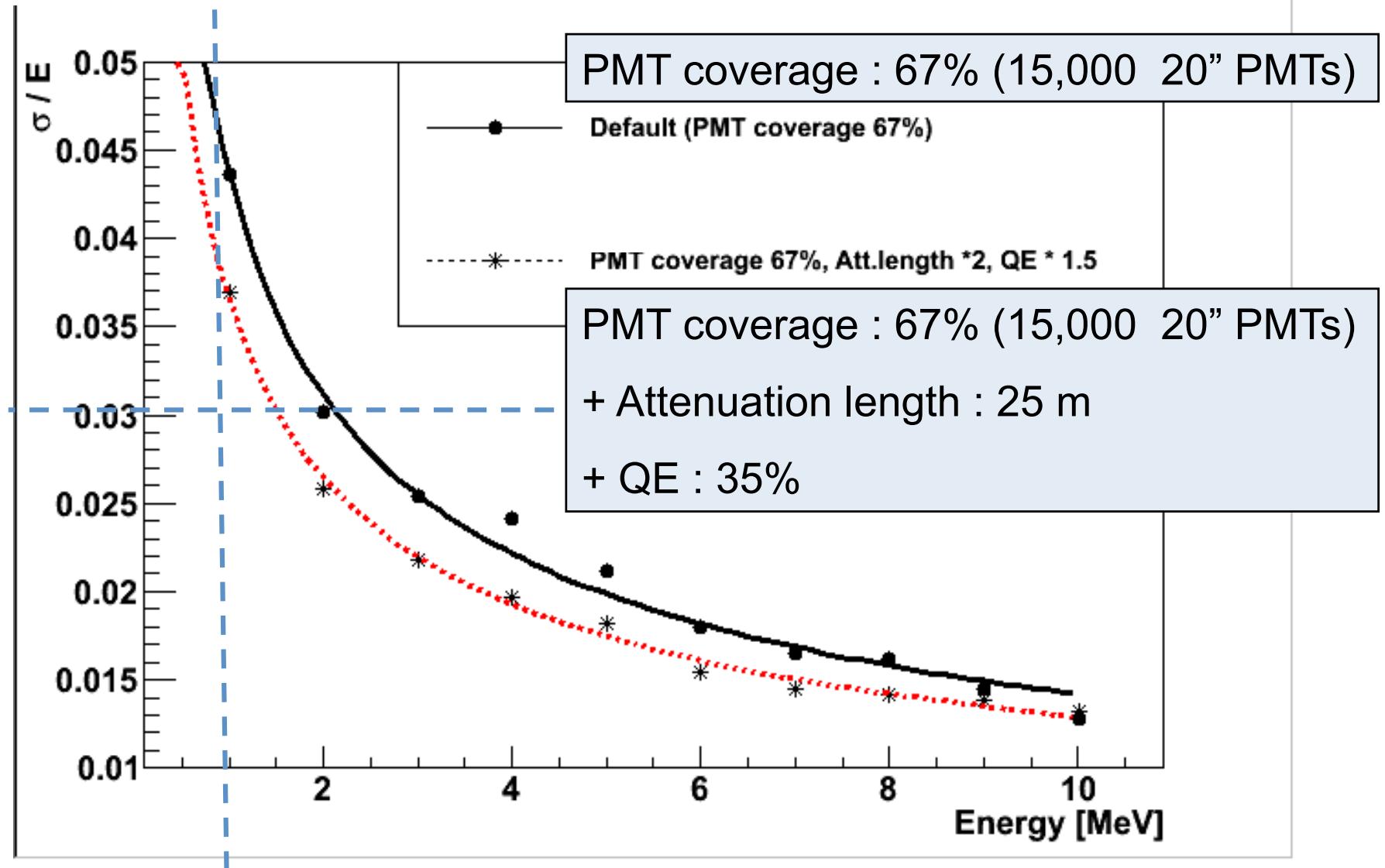
$$\frac{\delta E}{E} = \frac{a}{\sqrt{E}}$$

Energy Resolution
affects the sensitivity
significantly.



Expected Energy Resolution

J.S. Park, S.B. Kim



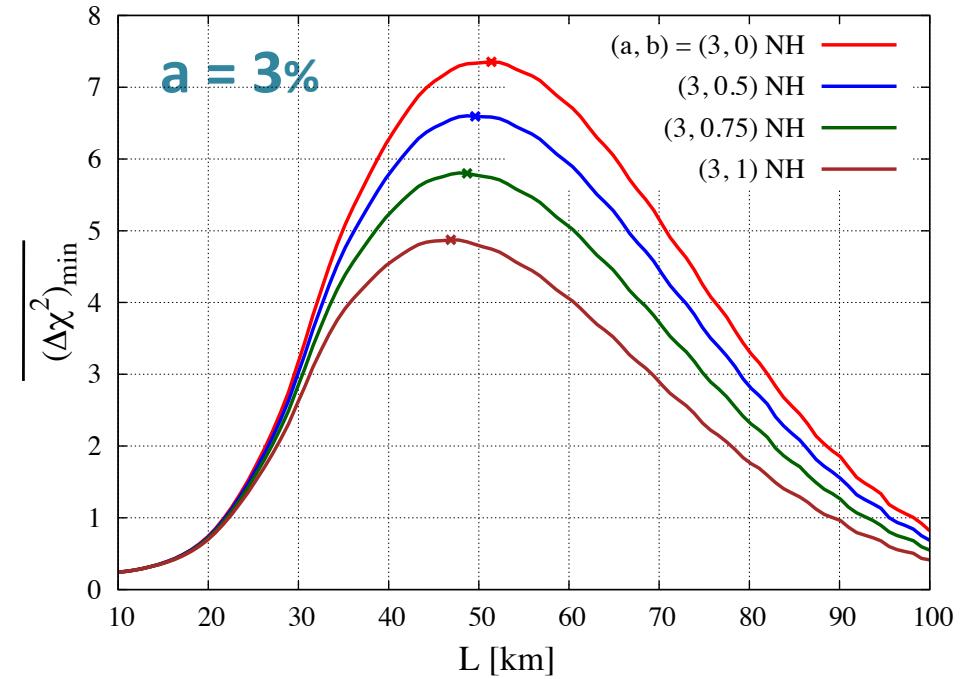
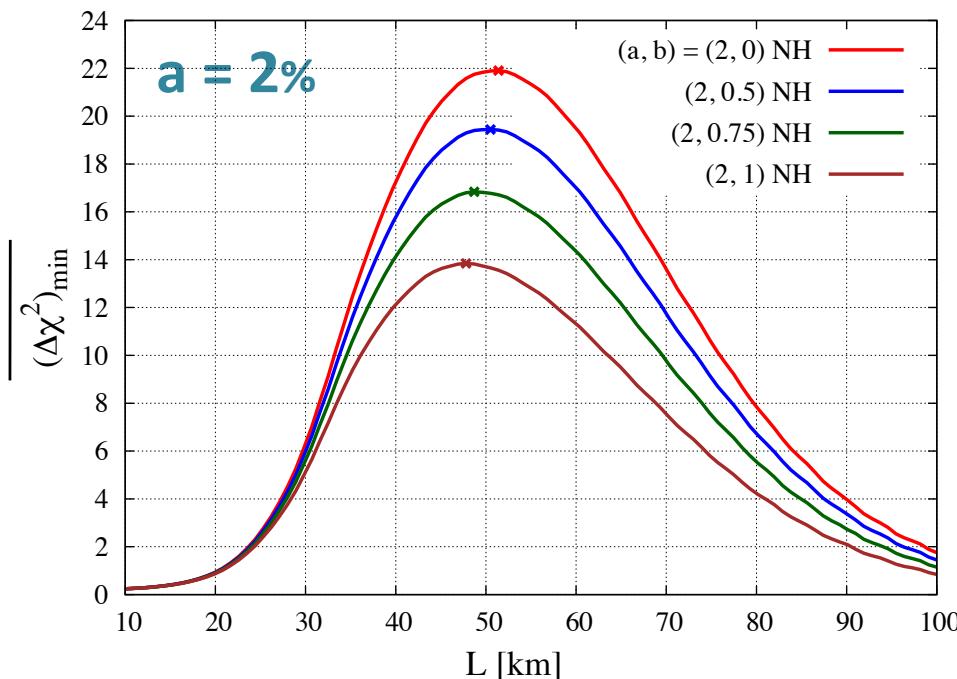
Effect of Energy Resolution 2

$$\frac{\delta E}{E} = \sqrt{\left(\frac{a}{\sqrt{E}}\right)^2 + b^2}$$

$b = 0\% \rightarrow b = 1\%$

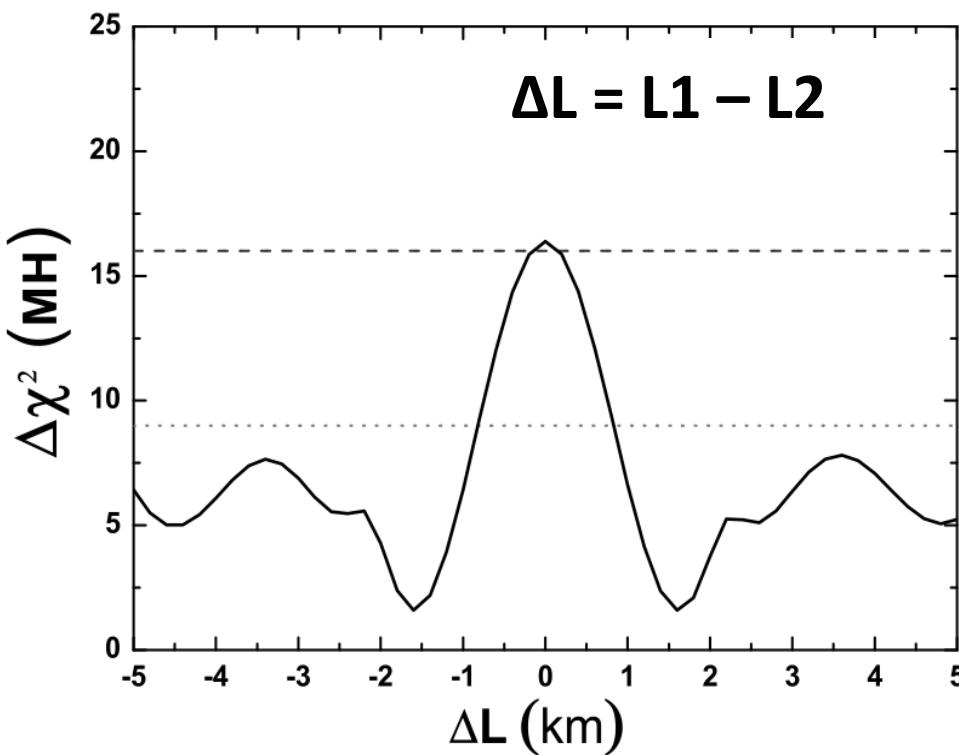
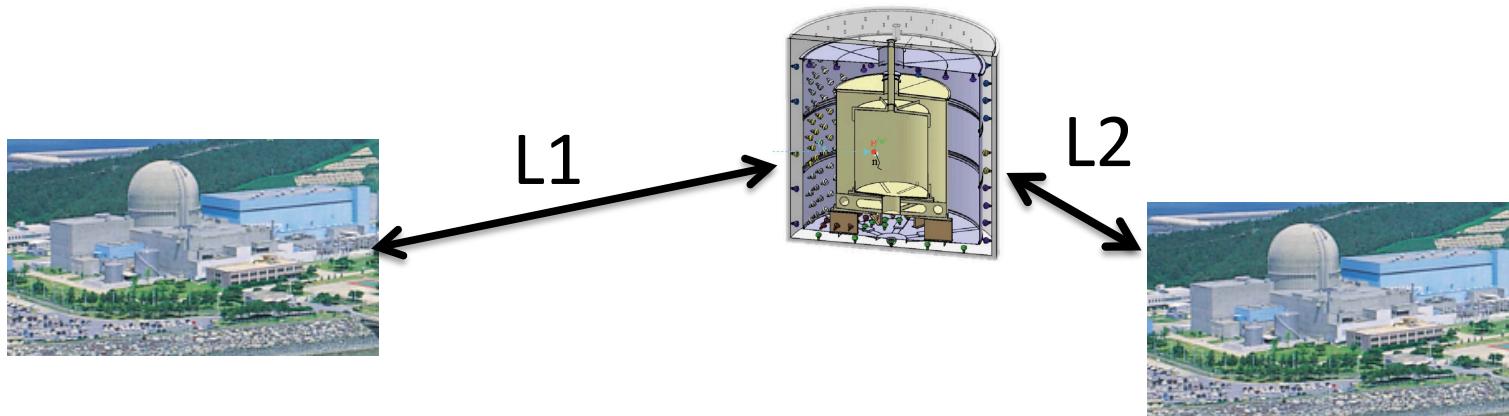
- Sensitivity is reduced by $\sim 40\%$
- Optimized L is shortened by ~ 5 km

16.5Gw 10kton 5yrs



Other Limitting Factors

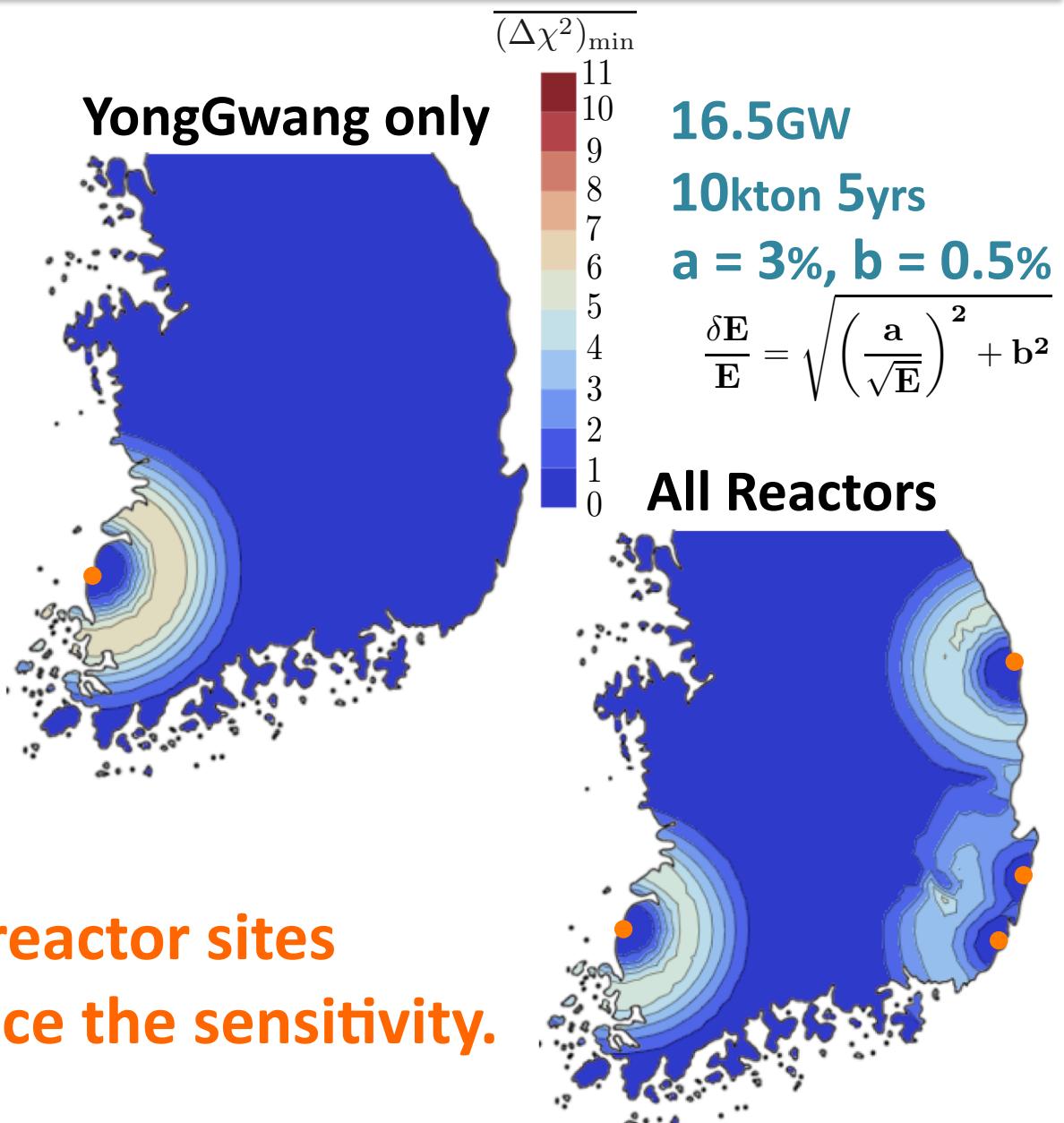
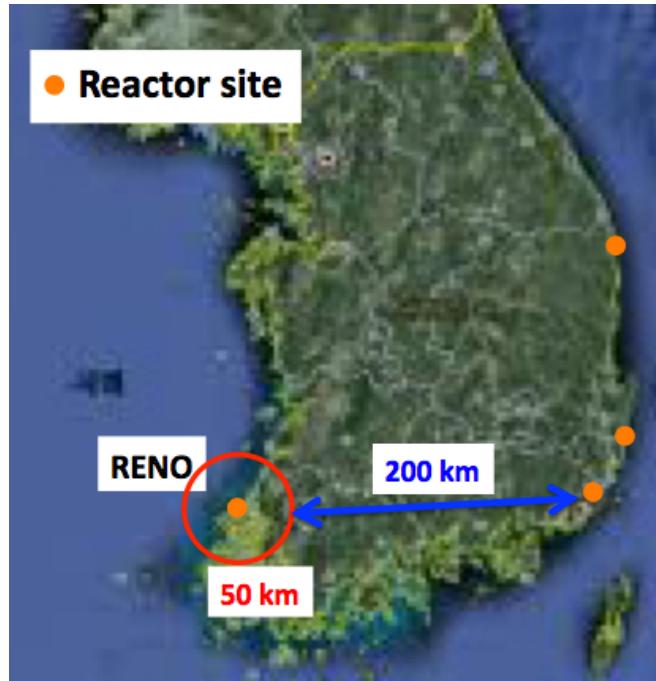
Multi-reactor interference



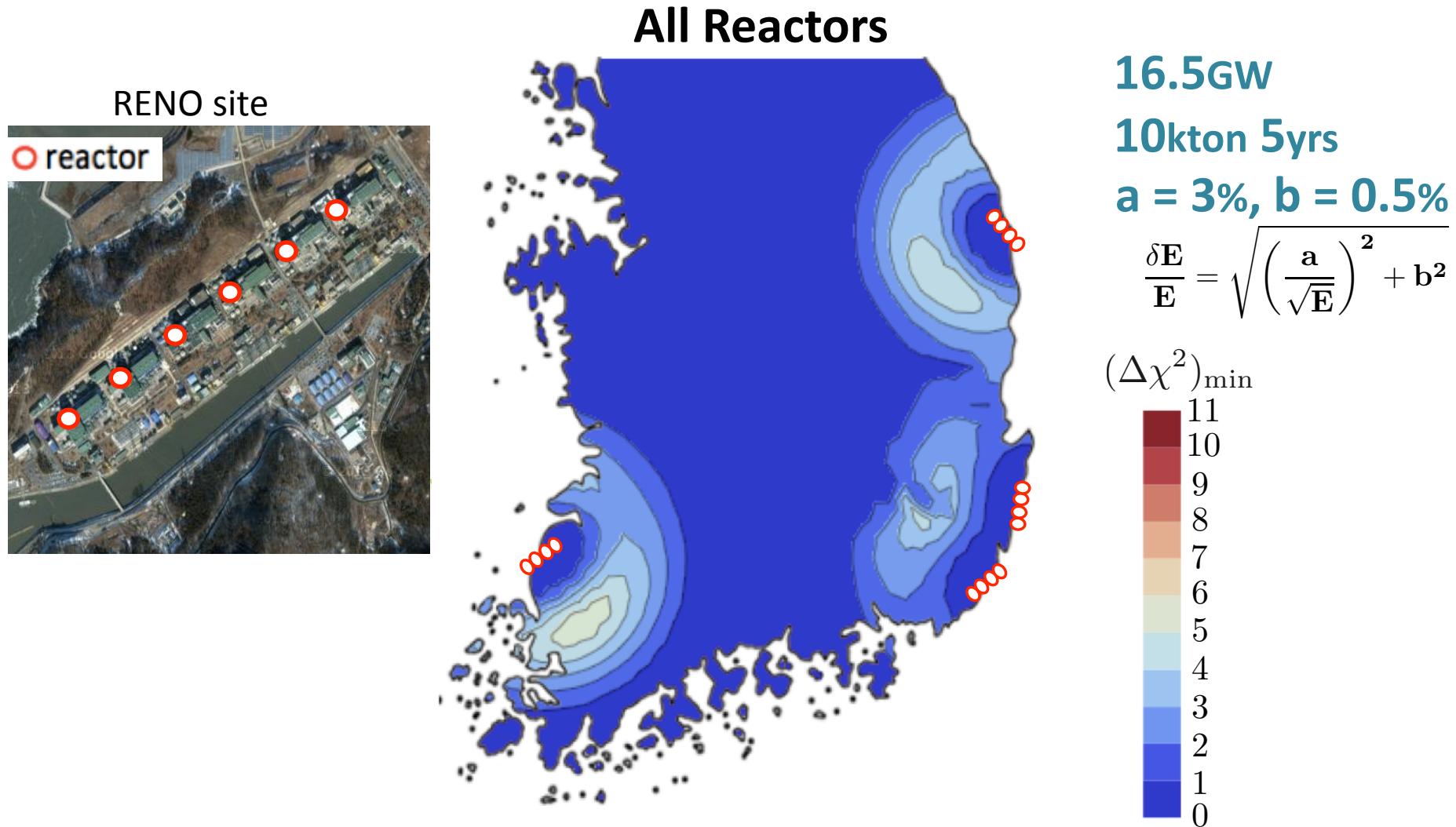
**Baseline difference
should be small.**

E. Ciuffoli, J. Evslin, X. Zhang: 1302.0624
Y-F. Li, J. Cao, Y. Wang, L. Zhan: 1303.6733

Multi-reactor interference



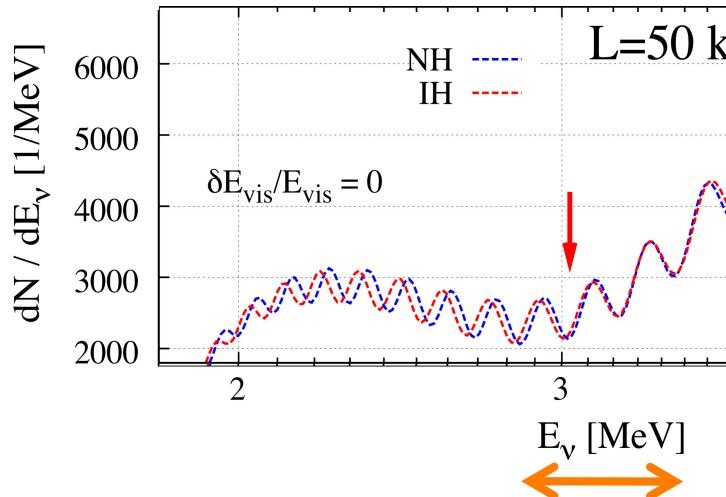
Multi-reactor interference



In latest RENO-50 proposeal: **Site changed**
18 kton detector

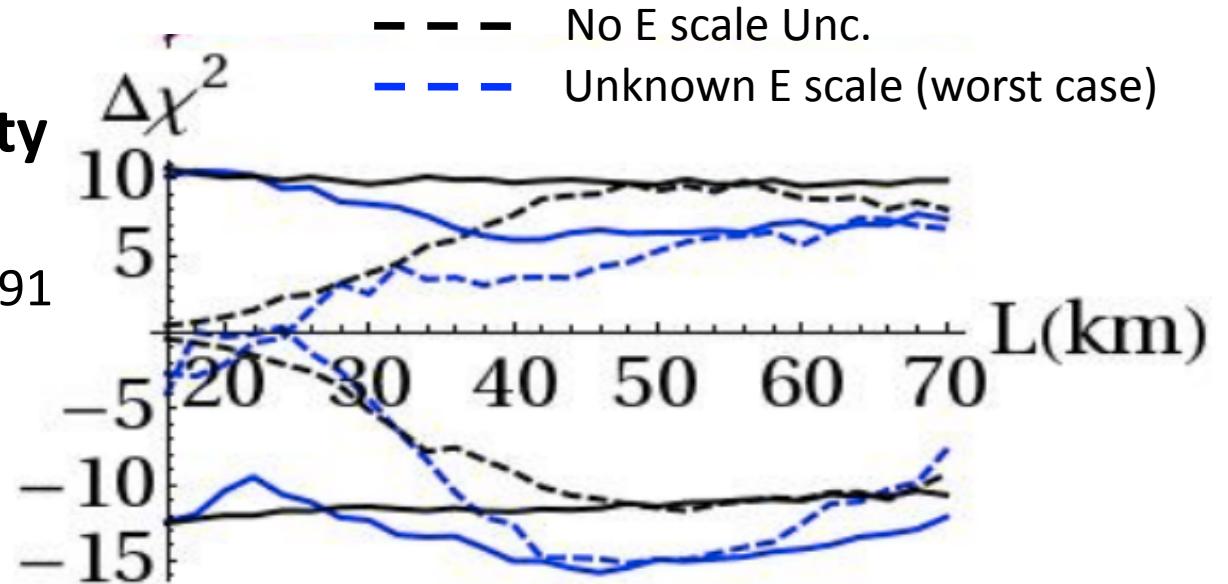
Energy scale uncertainty

Energy scale uncertainty is controlled $\sim 1\%$ for RENO detector.

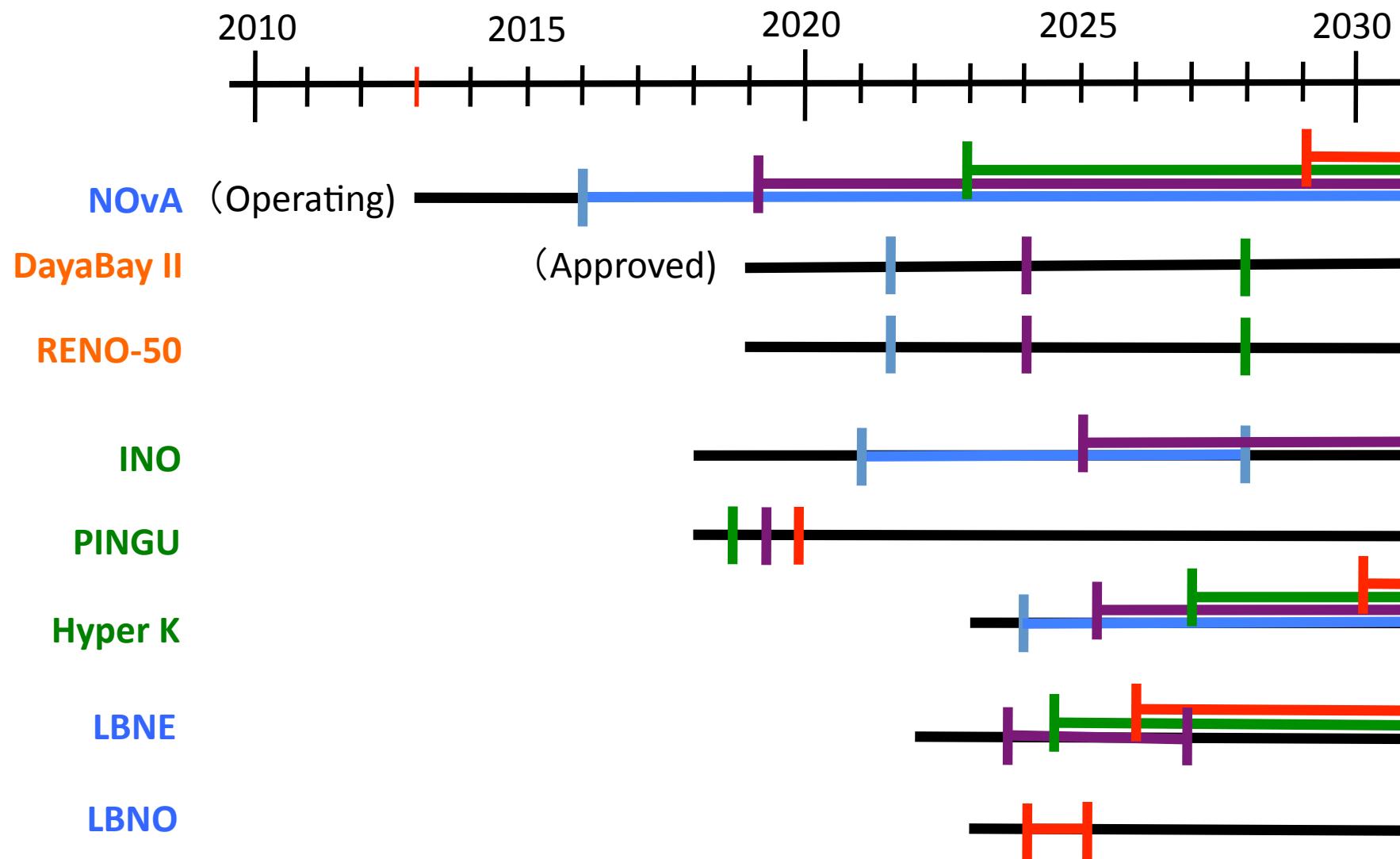


Effect of E scale Uncertainty

J. Evslin et.al.
arXiv: 1308.0591



Schedule for MH determination



* rough estimate

2 sigma 3 sigma 4 sigma 5 sigma

Summary

RENO50-like Experiment for MH determination.

With **16.5GW 18kton**,

$$\left. \begin{array}{l} a < 3\% \\ b < 0.5\% \end{array} \right\} \text{of } \mathbf{Energy\ Resolution} \text{ is required}$$

> 2 ~ 3-sigma

determination within **5 years**.

$$\frac{\delta E}{E} = \sqrt{\left(\frac{a}{\sqrt{E}}\right)^2 + b^2}$$

Interference among **reactor cores** significantly affects the sensitivity.

Energy Scale uncertainty should be controlled very Carefully.

Many Efforts for MH determination have started !