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Trispectrum estimator in equilateral type non- Gaussian models

Shuntaro Mizuno (Portsmouth)

with Kazuya Koyama (Portsmouth)

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Conclusion and discussion

- Estimator for equilateral type primordial non-Gaussianity

- Separable shape $T_\zeta(k_1, k_2, k_3, k_4) = \frac{g_{\text{NL}}^{\text{equil}}}{k_1 k_2 k_3 k_4 (\frac{k_1+k_2+k_3+k_4}{4})^5} \mathcal{P}_\zeta(k)^3$
- Shape correlation $\bar{c}(S_T, S_{T'}) = \frac{F(S_T, S_{T'})}{\sqrt{F(S_T, S_T)F(S_{T'}, S_{T'})}}$

More accurate than considering only the equilateral configuration

- Predictions

- special class of k-inflation $g_{\text{NL}}^{\text{equil}} = \frac{3X^3 P_{,4X}}{16c_s P_{,X}^4}$
- single field DBI inflation $g_{\text{NL}}^{\text{equil}} = \frac{17}{c_s^4} \leftarrow 87\% \text{ correlation}$
- multi-field DBI inflation $g_{\text{NL}}^{\text{equil}} = \frac{2.2}{c_s^4 T_{RS}^2} \leftarrow 33\% \text{ correlation}$

- Detectability

Creminelli, Senatore, Zaldarriaga '07

$$\Delta g_{\text{NL}} \sim \frac{1}{\mathcal{P}_\zeta N_{\text{pix}}^{1/2}} \sim \frac{\Delta f_{\text{NL}}}{\mathcal{P}_\zeta^{1/2}}$$

- Application to other models?

Ghost inflation, Horava gravity, DBI Galileon,