Outline

- Using unrooted staggered fermions to simulate 2+2, 2+1+1 and 1+1+1+1 flavors: Is it practical?
- Staggered-Wilson fermions---Adams version
- Staggered-Wilson fermions---Hoelbling-like versions
- Constraining low energy coefficients in ChPT using Weingarten mass inequalities (flash talk?)

S. Sharpe, "Comments on new fermions" 2/17/12 @ Kyoto workshop "New types of fermions on the lattice"

Partially Quenched Wilson ChPT

- $SU(2)_L \times SU(2)_R \rightarrow SU(2+N_V|N_V)_L \times SU(2+N_V|N_V)_R$
- Construct L_X including a² effects <sup>[SS & Singleton; Bar, Rupak & Shoresh; Aoki]
 </sup>

$$\mathcal{L}_{0} = \frac{f^{2}}{4} \langle \partial_{\mu} \Sigma \partial_{\mu} \Sigma^{\dagger} \rangle - \frac{f^{2}}{4} 2B_{0} \langle M^{\dagger} \Sigma + \Sigma^{\dagger} M \rangle$$
$$- \hat{a}^{2} W_{6}^{\prime} \langle \Sigma + \Sigma^{\dagger} \rangle^{2} - \hat{a}^{2} W_{7}^{\prime} \langle (\Sigma - \Sigma^{\dagger})^{2} \rangle - \hat{a}^{2} W_{8}^{\prime} \langle \Sigma^{2} + (\Sigma^{\dagger})^{2} \rangle$$
$$\Sigma \in SU(2 + N_{V} | N_{V})$$
Supertrace

- Phase structure (Aoki vs. first-order) determined by $c_2 = -8\hat{a}^2(2W'_6 + W'_8)$
- Can one constrain the signs of the low-energy coefficients (LECs)?

Can signs of LECs be predicted?

- General issue in effective field theories
- Sometimes can use causality [Pham & Truong, A.Adams et al.]
 - Doesn't apply here
- Hermiticity argument from E-regime study in WChPT implies W₈'<0 [Akemann, Damgaard, Splittorff & Verbaarschot]
 - Important question: Is this argument correct?
- Another recent method is to use QCD mass inequalities to constrain LECs [Bar, Golterman & Shamir]
- In [Hansen & SS, arxiv:1111.2404] we derived W₈'<0, by calculating a PQ pion mass in ChPT and comparing to constraint from Weingarten-like mass inequalities

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