Three-Body Model Analysis of Subbarrier α Transfer Reaction

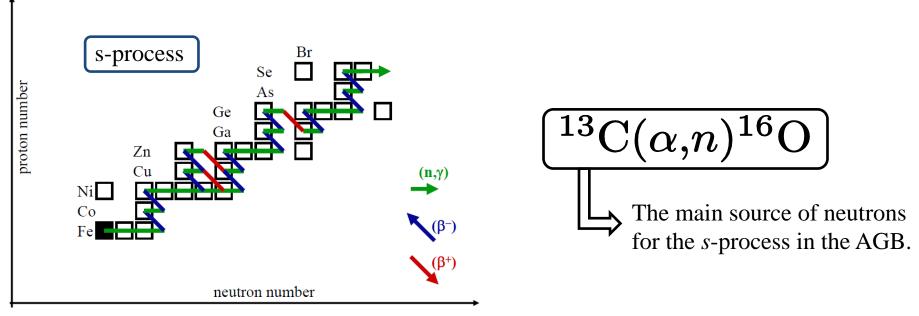
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Introduction



from Los Alamos National Laboratory

The astrophysical *S* factor of ${}^{13}C(\alpha, n){}^{16}O$ was calculated:

$$S(0) = (2.5 \pm 0.7) \times 10^6$$
 [MeV – b].¹

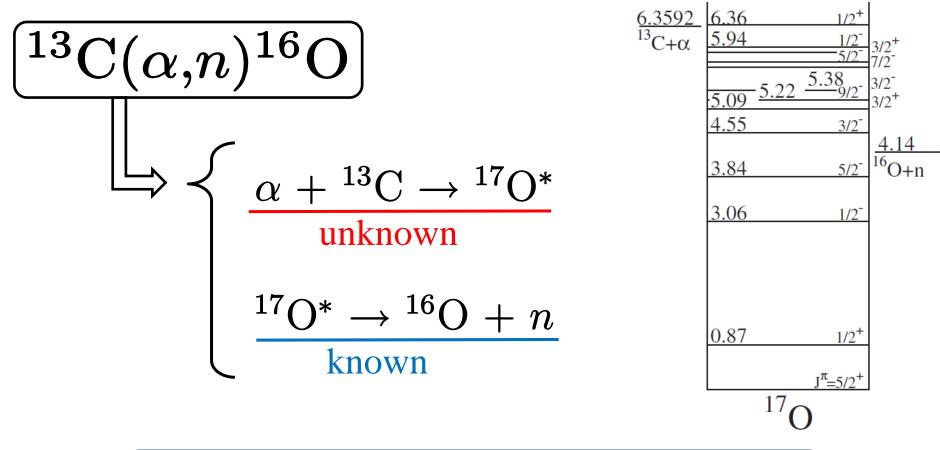
1: E. D. Johnson *et al.*, PRL **97**, 102701 (2006).

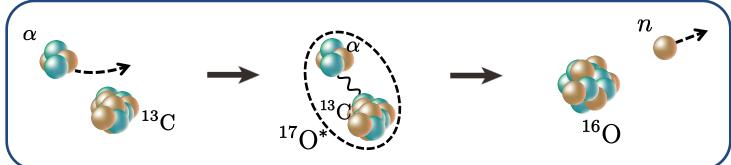
- 2: C. Angulo et al., NPA 653, 3 (1999).
- 3: S. Kubono et al., PRL 90 062501 (2003).

This is **10 times smaller** than NACRE compilation² and **a factor of 5 larger** than the work of S. Kubono *et al*³.

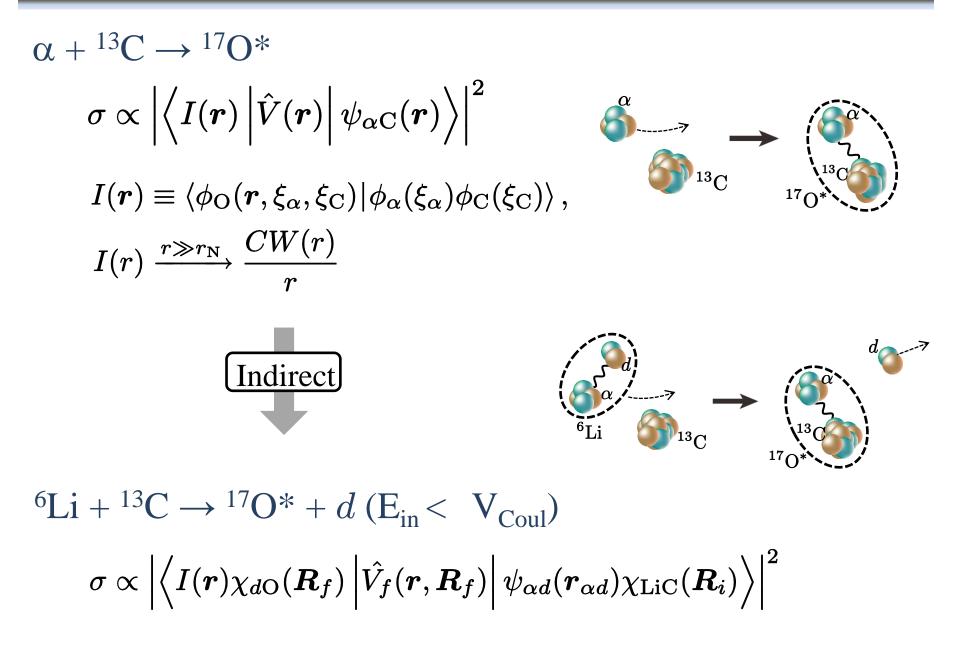
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Indirect method

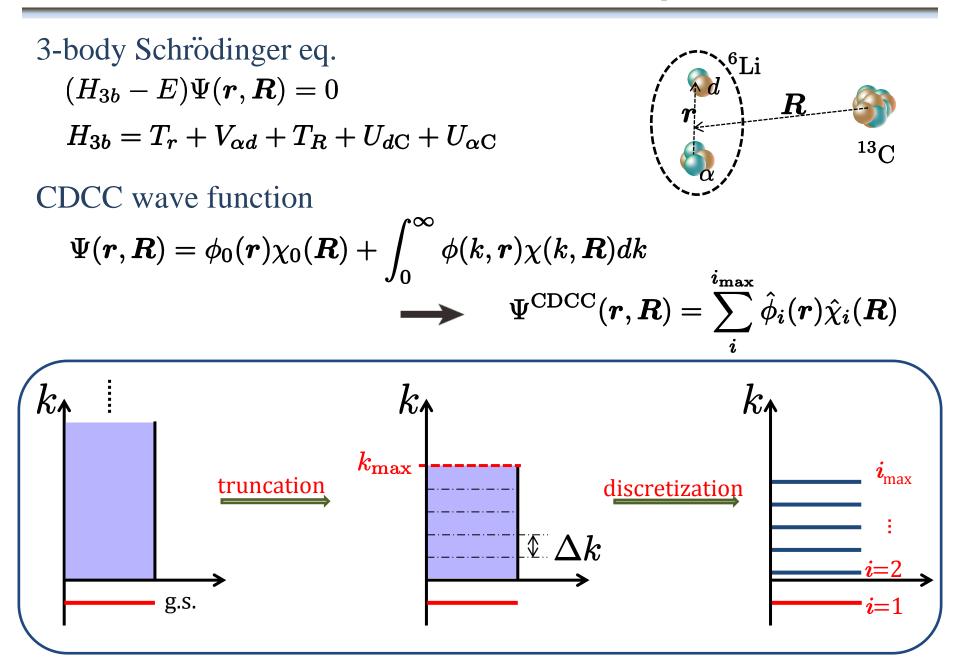




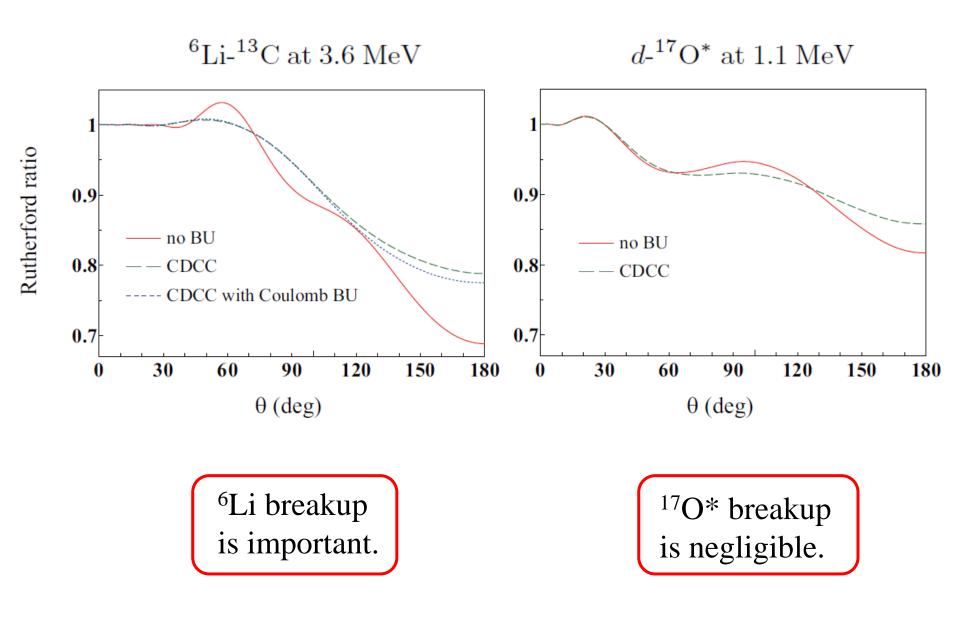
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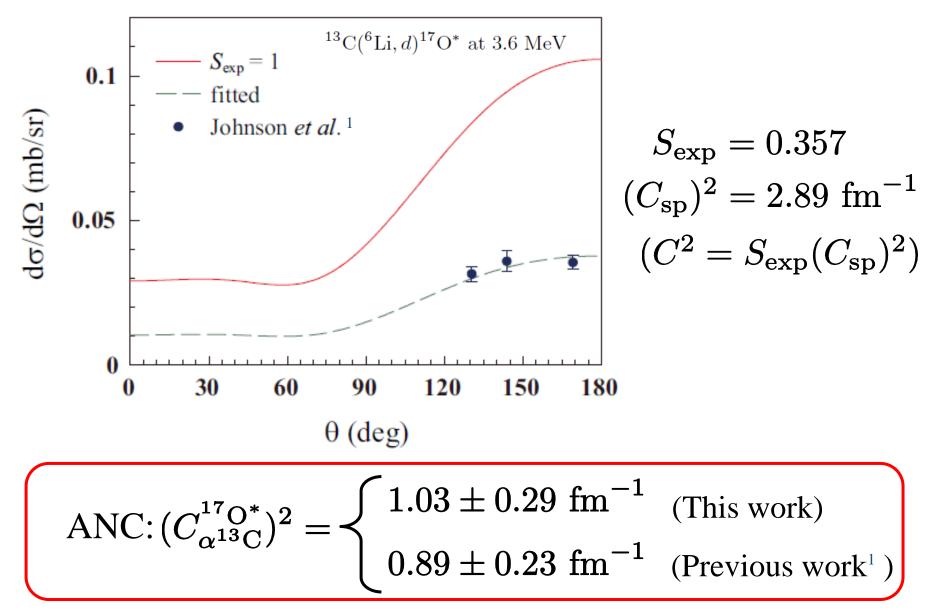


CDCC (Continuum Discretized Coupled Channels) method

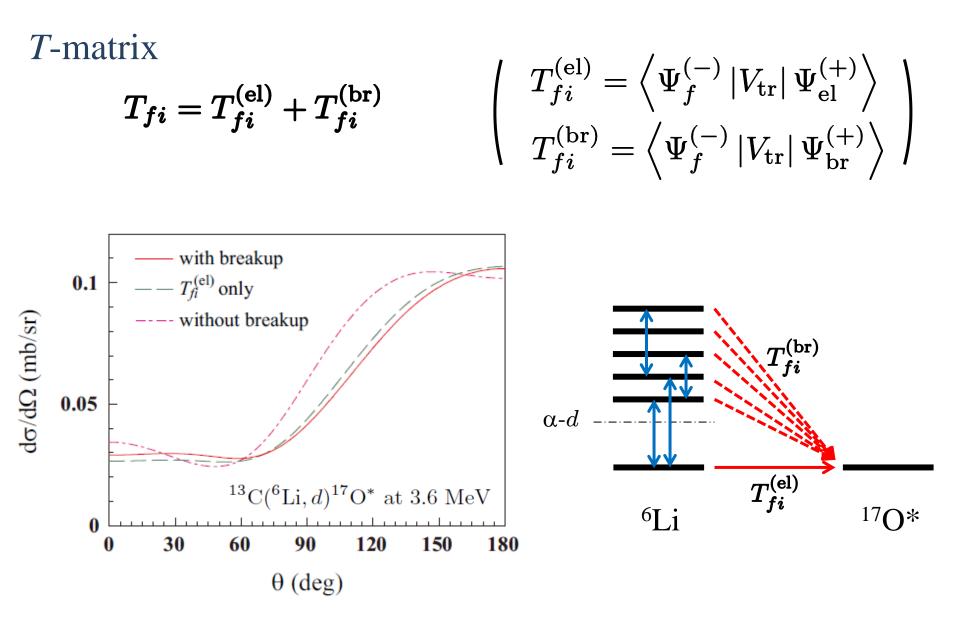


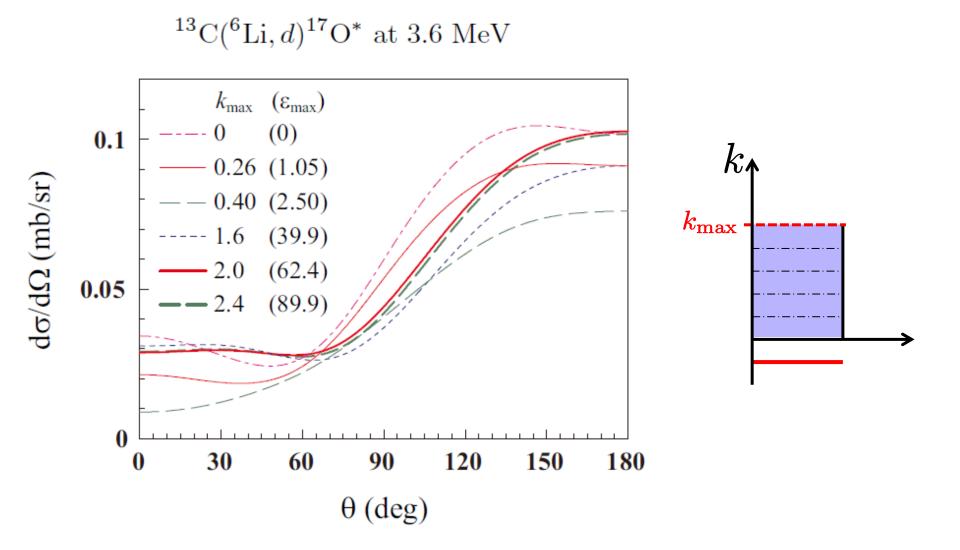
Model





1: E. D. Johnson et al., PRL 97, 102701 (2006).





Convergency

¹³C(⁶Li,*d*)¹⁷O* at 3.6 MeV is analyzed with CDCC in order to determine the reaction rate of ${}^{13}C(\alpha,n){}^{16}O$.

⁶Li breakup is important for the subbarrier α transfer reaction, the back-coupling in particular.

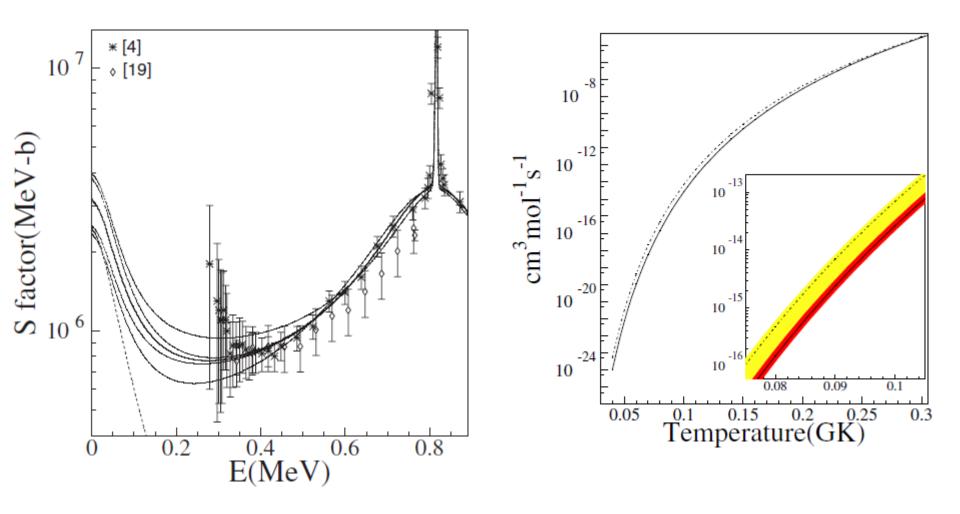
Our result is almost consistent with the previous result.

Other subbarrier α transfer reactions must be analyzed with CDCC in order to know the role of breakup channels.

$x + A \rightarrow b + B$ (through the subthreshold reso. F)

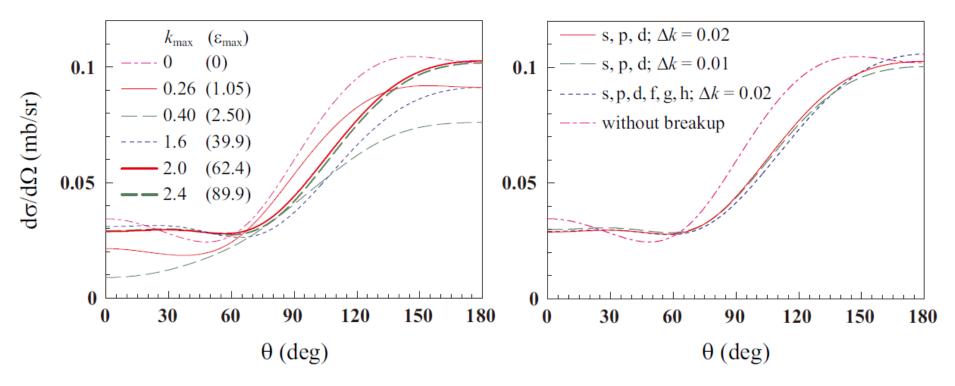
$$M = \frac{1}{2\sqrt{k_{xA}k_{bB}}} \sqrt{\frac{P_l(k_{xA}, r_0)}{\mu_{xA}r_0}} \tilde{W}_{-\eta, l+1/2}(2\kappa r_0)$$
$$\times \frac{\tilde{C}_{xA}^F \Gamma_{bB}^{1/2}(E_{bB}, r_0)}{E_{xA} + \varepsilon + i\Gamma_F(E_{bB}, r_0)/2} \exp(i\delta)$$

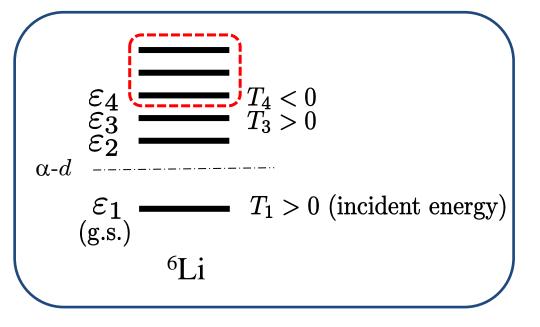
Backup



Backup







$$\varepsilon_i + T_i = E(const.)$$

 ε_i : internal energy T_i : kinetic energy E: total energy