

Modeling the Thermal and Non-thermal Emission of Young Supernova Remnants



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Outline

- The challenge of modeling the many facets of SNR broadband emission
 - What a physical emission model needs to account for
 - What "hurdles" from observation data it must overcome

• What we can learn from the models and their confrontations with current+future observations

Behold! The Multi-wavelength Era has come



To build a truly successful model of SNR emission: Synergy of all available broadband data AND modeling by a good physical model are the keys

SNRs are complex stuff



SN1006 Chandra

SNRs are complex stuff



For young SNRs, all these are linked together in non-linear fashion! We need multi-λ info and comprehensive models

> densities, plasma temperatures, ionization states



e.g. CR acceleration, wave-particle interaction Any serious broadband emission model of SNRs must overcome a number of Hurdles from Observations:

Matching FS, CD and RS radii Matching shock speeds (expansion rates) Non-thermal spectrum (radio - TeV) Thermal spectrum (ionization, composition) Multi-λ morphology Spectral variation in space-time etc.....

Our recipe to model SNR emission



Code is inexpensive Perfect for deep parameter search

Preliminary Slane, HL+ submitted

First, we search for parameter space consistent with observational facts



HL+ 2013 ApJ

Broadband Spectrum

Check consistency of:

- Radio to TeV flux
- Spectral shapes
- Inferred CR energetics
- Required B-field, CSM, E_{SN}

But often, more than one acceptable models exist (e.g. hadronic vs leptonic)



Thermal X-ray can constrain Gamma-ray origin

In young SNRs, thermal X-ray emission is coupled to their broadband emission!

Very important: Predicted thermal flux must not exceed observed X-ray flux = another constraint



Radial emission profiles probe γ-ray origin & DSA efficiency

Radio, X-ray and TeV morphologies all constrain CR acceleration and energy loss history





Spectral index distribution as a model discriminator

Hadronic and leptonic models predict very different spectral index distributions (e.g. CSM, B-field)





Spectral index distribution as a model discriminator



Ejecta/CSM models and synthetic X-ray spectrum







What do we learn?

- A good broadband emission model tightly constrained by MW observations can tell us a lot, e.g.:
 - Origin of γ-rays from a SNR (CR ion, or CR e⁻, or a mixture)
 - Fraction of SN explosion energy converted to CR at given age (Note: CR ions always dominate total energy even for leptonic models)
 - Properties of ejecta, CSM, progenitor and its pre-SN winds
- We can quantify contributions of different types of SNR to Galactic CR in their lifetimes Note: hadronic and leptonic cases often predict very different ECR
- Our models can consistently bridge state-of-the-art hydro and explosive nucleosynthesis simulations of SNe to the SNR phase by covering important (non-)thermal physics!

Synergy of future super telescopes for SNR studies



Hi-res X-ray spectroscopy

- Ejecta/CSM composition from faint lines
- Unveil progenitor properties of la and core-collapse SNRs
- SN explosion mechanisms, matter mixing and nucleosynthesis
- Broadened line profiles: gas dynamics, temperature equilibration



Hi-sensitivity, hi-res imaging

- Many new gamma-ray SNR discoveries
- Low-noise spectrum measurement from ~20GeV to >100 TeV
- Measure roll-over region of CR spectra!
- 3x better TeV morphology measurement to contrast with radio/IR/X-ray images

Last remarks

- CR-hydro-NEI code is a fast/versatile code for broadband emission calculations of SNRs
- Next target is full 3-D MHD/emission models (with essential physics inside!)
 Work now in progress (RIKEN/NCSU/Kyushu/…)
- Our self-consistent spherically symmetric calculations serve as important pilot study

Additional info

CR Spectra



Time evolution of broadband spectrum



Slane, HL+ submitted

Magnetic Field Amplification (MFA)



$$P_w(x) = \frac{\delta B(x)^2}{8\pi}$$

= $\frac{(1 - f_{\text{damp}})\rho_0 u_0^2}{4M_{A,0}} \left(\frac{1 - U(x)^2}{U(x)^{3/2}}\right)$

Alfven wave damping precursor gas heating

$$T(x) = T_0 \left[\frac{P_g(x)}{P_{g,0}} \right] U(x)$$

= $T_0 U(x)^{1-\gamma_g} \left[1 + f_{damp}(\gamma_g - 1) \frac{M_0^2}{M_{A,eff}} (1 - U(x)^{\gamma_g}) \right]$

