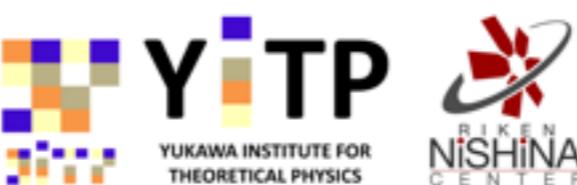


Kaonic nuclear state search by kaon reaction on ${}^3\text{He}$ target at $1\text{GeV}/c$

M. Iwasaki
for E15 collaboration



MIN16 - Meson in Nucleus 2016, 31 Jul - 2 Aug



Objectives

Key questions :

- Can kaon be a member of nuclei?
- Kaon properties change in nuclear media?

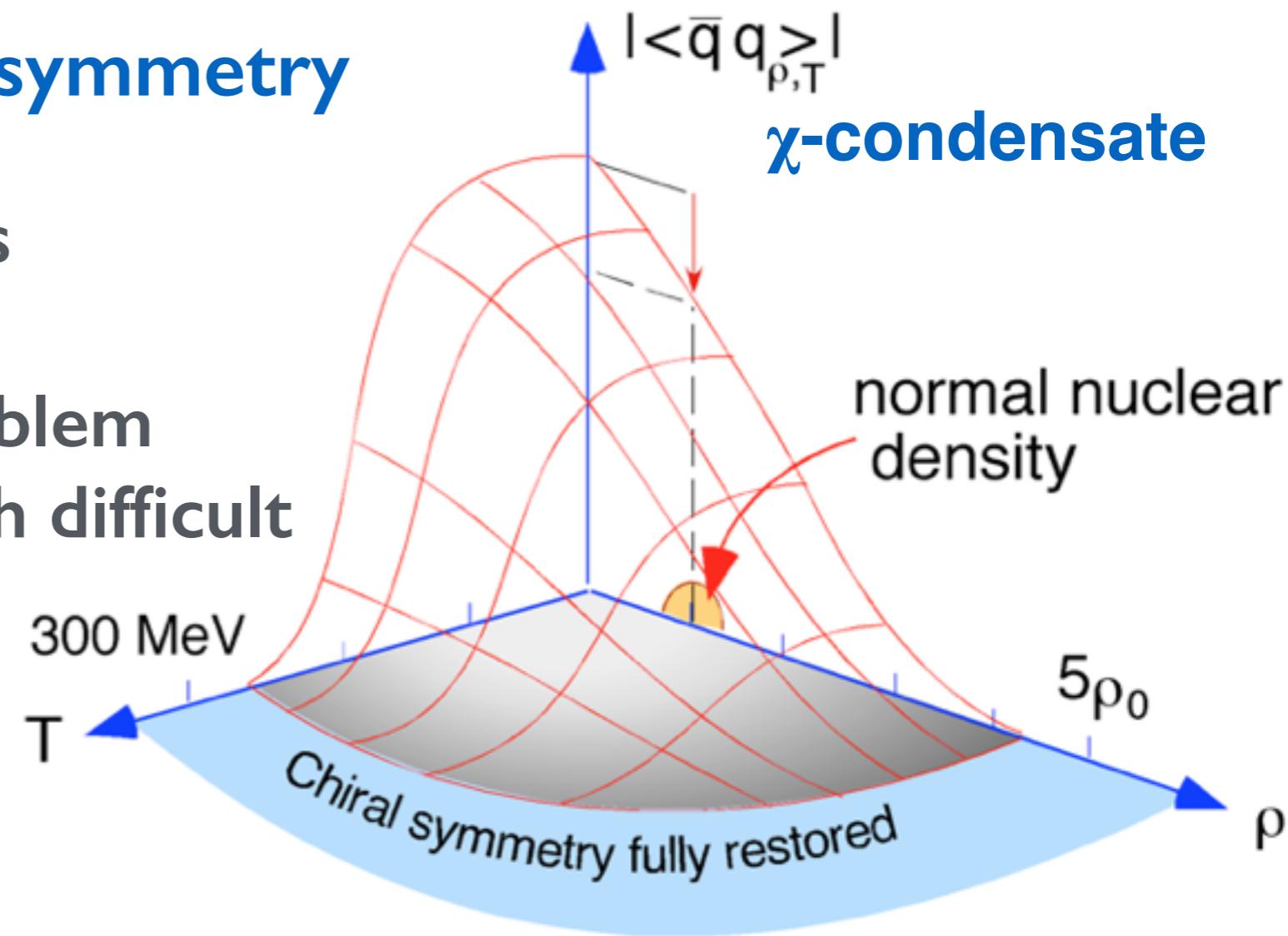
Hadron masses and χ -symmetry

Non-perturbative aspects

@ energy $< \Lambda_{\text{QCD}}$

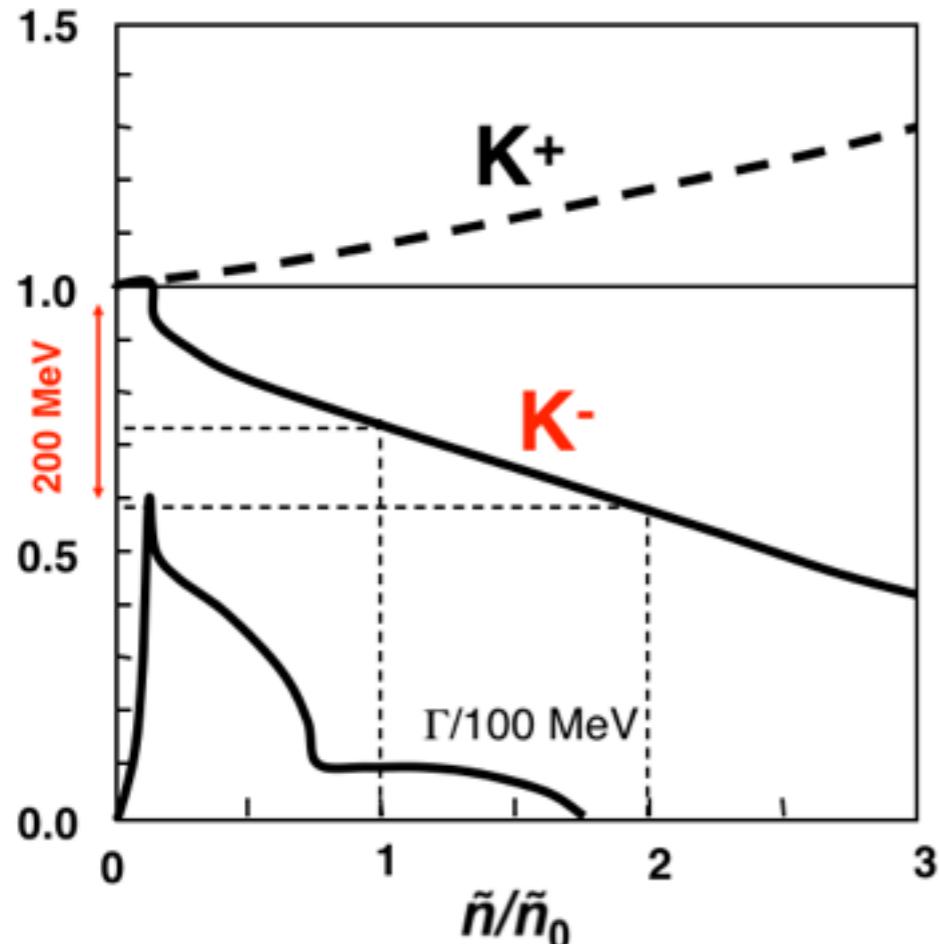
Finite density \rightarrow sign problem

Lattice-QCD approach difficult



Search for Kaonic nuclear states

m_K^*/m_K in nuclear matter



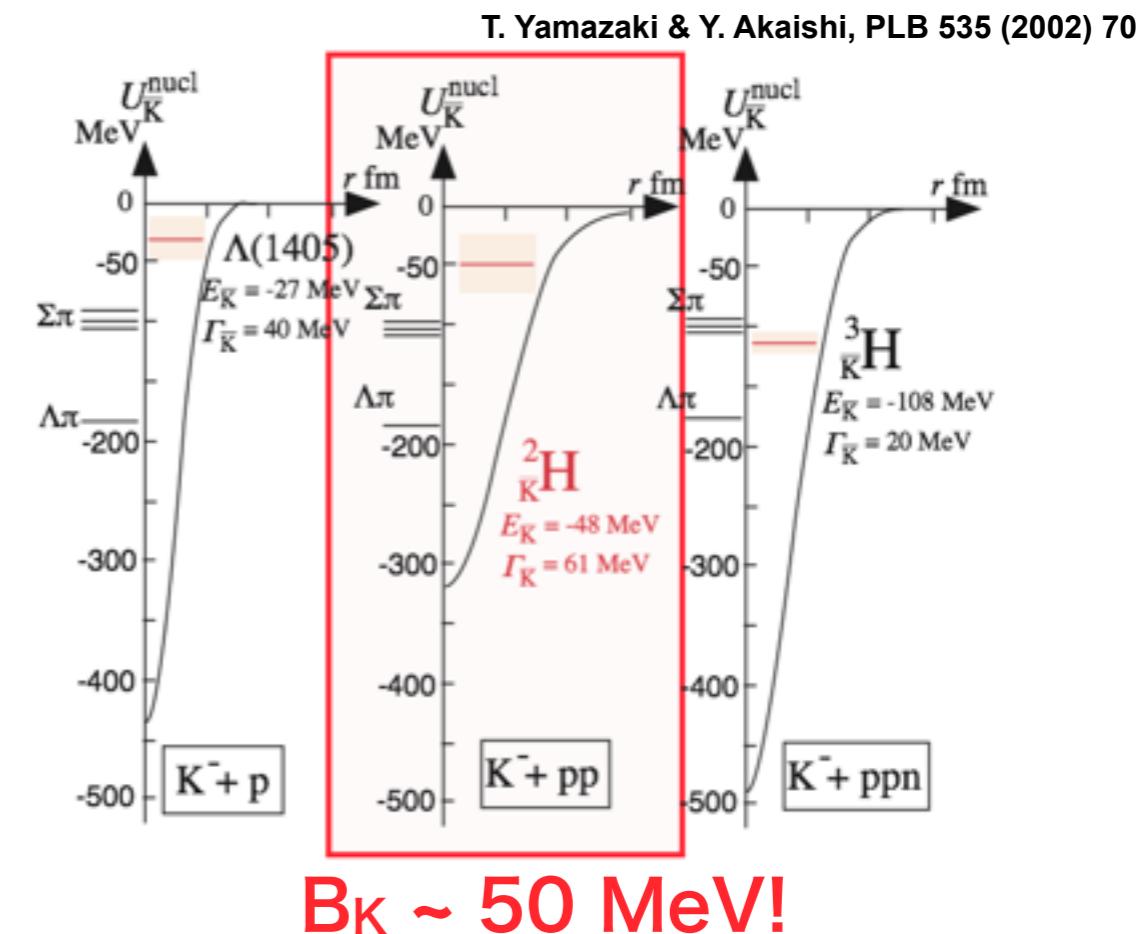
T. Waas, N. Kaiser & W. Weise, Phys.
Lett. B379 (1996) 34.

strongly attractive in I=0 channel

nuclear state search

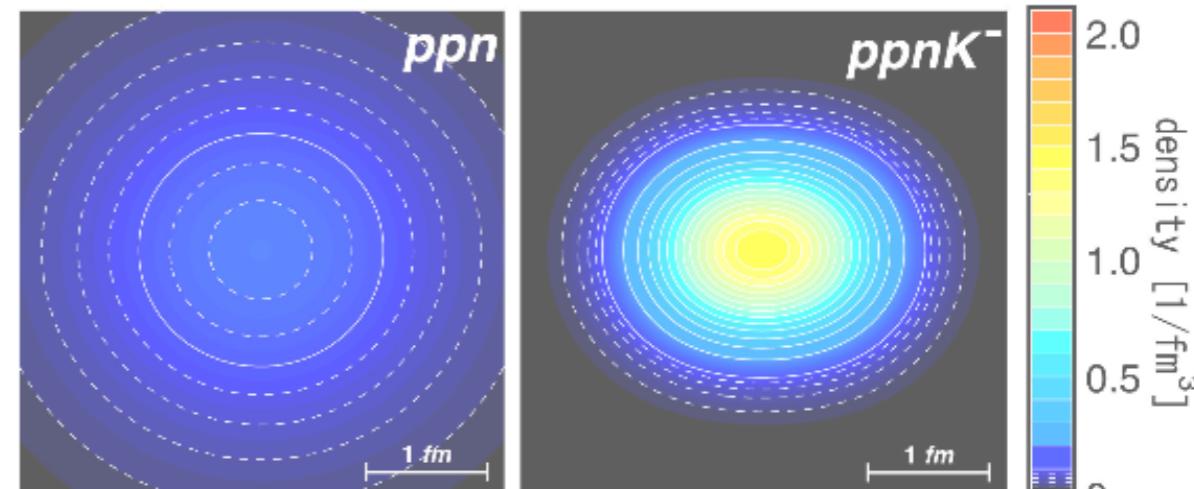
- simplest system K^-pp
- ${}^3\text{He}(K^-, n)$ @ 1 GeV/c

assuming $\Lambda(1405) = K^-p$ bound state ...



$B_K \sim 50 \text{ MeV}!$

Dote et al., PLB 590 (2004) 51



formation of high density matter?

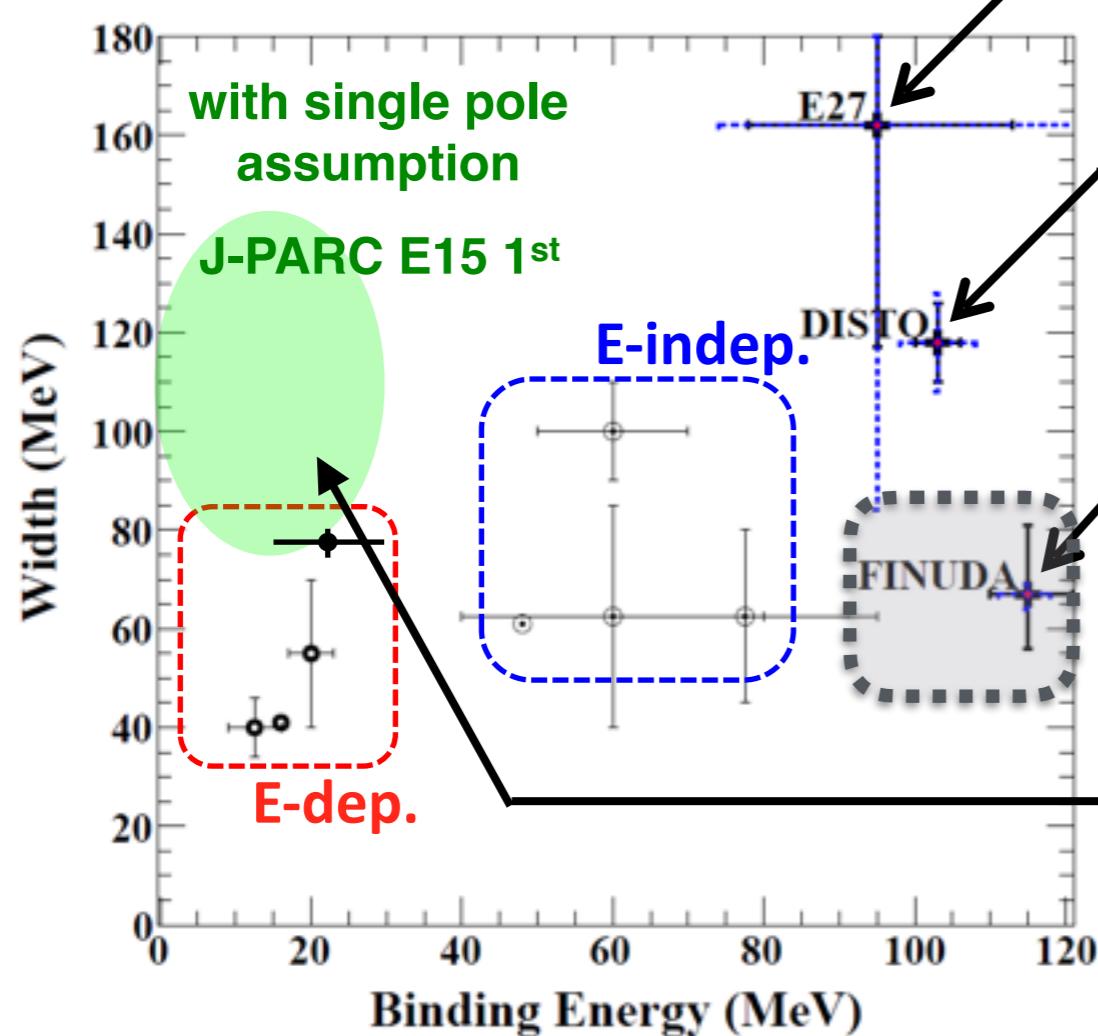
Recent status of $K^- pp$ bound state

◆ Recent results

► Theoretical calc.

$\bar{K}N$ interaction model

E-dep. / E-indep.



► Experiments

Reports structure

NO structure

J-PARC E27
 $d(\pi^+, K^+)X$

DISTO
 $pp \rightarrow \Lambda p K^+$

FINUDA
(stopped K^- , Λp)

J-PARC E15
 ${}^3\text{He}(K^-, \Lambda p)n:$

LEPS
 $p(\gamma, \pi^- K^+)X$

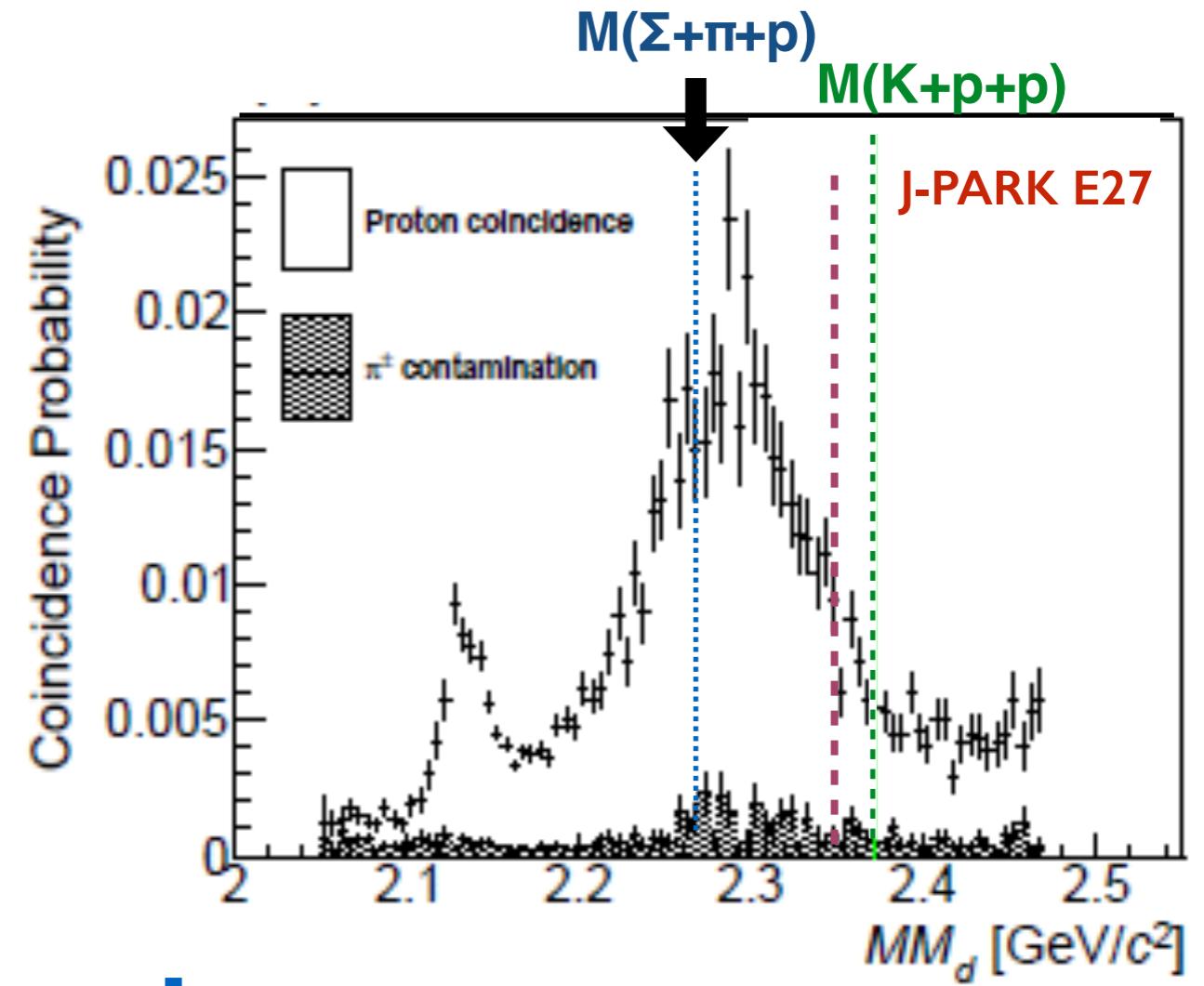
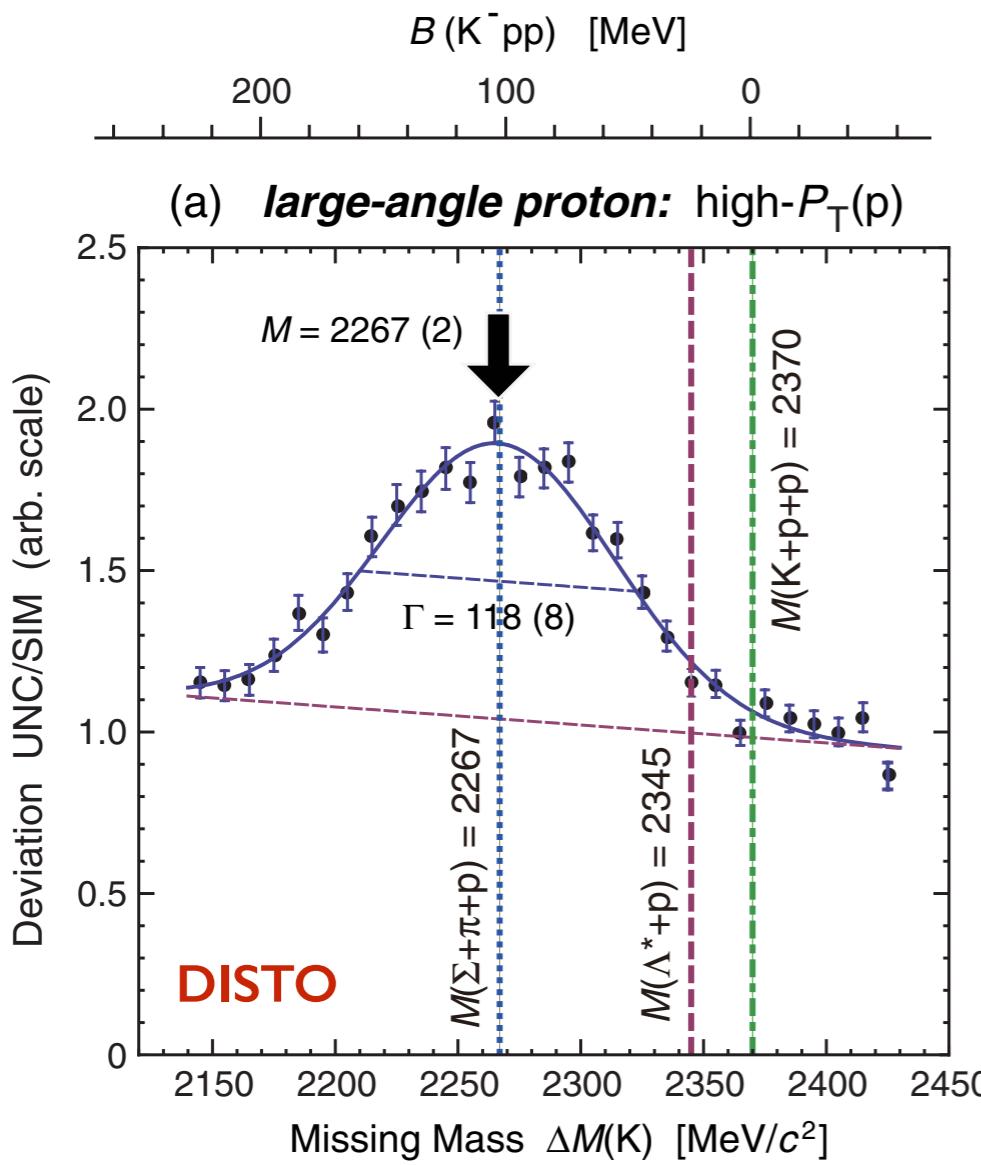
HADES
 $pp \rightarrow \Lambda p K^+$

FINUDA ?

Kpp should be studied more

present “Kpp” candidates @ $B_K \sim 100$ MeV

hyper deep ??



Many objections exist, though...

why no threshold ($\Sigma\pi p$) effect seen?

why no quasi-elastic K seen?

$p + p \rightarrow p + N^+(1710) \rightarrow p + (\Lambda + K^+)$

? $\rightarrow (p + \Lambda) + K^+$?

...

Published E15^{1st} data

PTEP

Letter

Prog. Theor. Exp. Phys. 2015, 061D01 (11 pages)
DOI: 10.1093/ptep/ptv076

$^3\text{He}(K^-, n)$ — semi-inclusive

Search for the deeply bound $K^- pp$ state from the semi-inclusive forward-neutron spectrum in the in-flight K^- reaction on helium-3

J-PARC E15 Collaboration

T. Hashimoto^{1,*†}, S. Ajimura², G. Beer³, H. Bhang⁴, M. Bragadireanu⁵, M. Cargnelli⁸, S. Choi⁴, C. Curceanu⁹, S. Enomoto², D. Faso^{6,7}, H. Fujiwara¹, T. Fukuda¹¹, C. Guaraldo⁹, R. S. Hayano¹, T. Hiraiwa², M. Iliescu⁹, K. Inoue¹³, Y. Ishiguro¹⁰, T. Ishikawa¹, S. Ishimoto¹², K. Iwai¹², M. Iwasaki^{14,15}, Y. Kato¹⁴, S. Kawasaki¹³, P. Kienle^{16,‡}, H. Marton⁸, Y. Matsuda¹⁷, Y. Mizoi¹¹, O. Morra⁶, T. Nagae¹⁰, H. Noumi¹, H. Ohnishi^{14,2}, S. Okada¹⁴, H. Outa¹⁴, K. Piscicchia⁹, M. Poli Lener⁹, A. Romero Vidal⁹, Y. Sada¹⁰, A. Sakaguchi¹³, F. Sakuma¹⁴, M. Sato¹⁴, M. Sekimoto¹², H. Shi⁹, D. Sirghi^{9,5}, F. Sirghi^{9,5}, S. Suzuki¹², T. Suzuki¹⁸, H. Tatsuno¹, M. Tokuda¹⁵, D. Tomono¹⁰, A. Toyoda¹², K. Tsukada¹⁸, O. Vazquez Doce^{9,19}, E. Widmann⁸, T. Yamaga¹³, T. Yamazaki^{1,14}, H. Zhang¹⁴, J. Zmeskal⁸

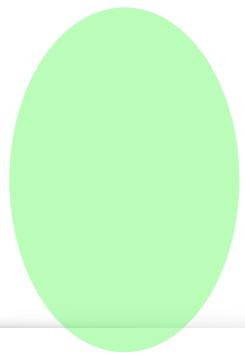
PTEP

Letter

Prog. Theor. Exp. Phys. 2016, 051D01 (11 pages)
DOI: 10.1093/ptep/ptw040

Only 3 days!

(suspended by the earthquake)



$^3\text{He}(K^-, \Lambda p) n$ — exclusive

Structure near the $K^- + p + p$ threshold in the in-flight $^3\text{He}(K^-, \Lambda p)n$ reaction

J-PARC E15 Collaboration

Y. Sada^{1,*}, S. Ajimura¹, M. Bazzi², G. Beer³, H. Bhang⁴, M. Bragadireanu⁵, P. Buehler⁶, L. Busso^{7,9}, M. Cargnelli⁶, S. Choi⁴, C. Curceanu², S. Enomoto⁸, D. Faso^{7,9}, H. Fujioka¹⁰, Y. Fujiwara¹¹, T. Fukuda¹², C. Guaraldo², T. Hashimoto¹³, R. S. Hayano¹¹, T. Hiraiwa¹, M. Iio⁸, M. Iliescu², K. Inoue¹, Y. Ishiguro¹⁰, T. Ishikawa¹¹, S. Ishimoto⁸, T. Ishiwatari⁶, K. Itahashi¹³, M. Iwai⁸, M. Iwasaki^{13,14}, Y. Kato¹³, S. Kawasaki¹⁵, P. Kienle^{†,16}, H. Kou¹⁴, Y. Ma¹³, J. Marton⁶, Y. Matsuda¹⁷, Y. Mizoi¹², O. Morra⁷, T. Nagae¹⁰, H. Noumi¹, H. Ohnishi^{13,1}, S. Okada¹³, H. Outa¹³, K. Piscicchia², A. Romero Vidal², A. Sakaguchi¹⁵, F. Sakuma¹³, M. Sato¹³, A. Scordo², M. Sekimoto⁸, H. Shi², D. Sirghi^{2,5}, F. Sirghi^{2,5}, K. Suzuki⁶, S. Suzuki⁸, T. Suzuki¹¹, K. Tanida¹⁸, H. Tatsuno¹⁹, M. Tokuda¹⁴, D. Tomono¹, A. Toyoda⁸, K. Tsukada²⁰, O. Vazquez Doce^{2,21}, E. Widmann⁶, B. K. Wuensche⁶, T. Yamaga¹⁵, T. Yamazaki^{11,13}, H. Yim²², Q. Zhang¹³, and J. Zmeskal⁶

Published E15^{1st} data

PTEP

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Q. Zhang¹⁴, J. Zmeskal⁸

with new data!

Only 3 days!
(suspended by the earthquake)

PTEP

Letter

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$^3\text{He}(K^-, \Lambda p) n$ — exclusive

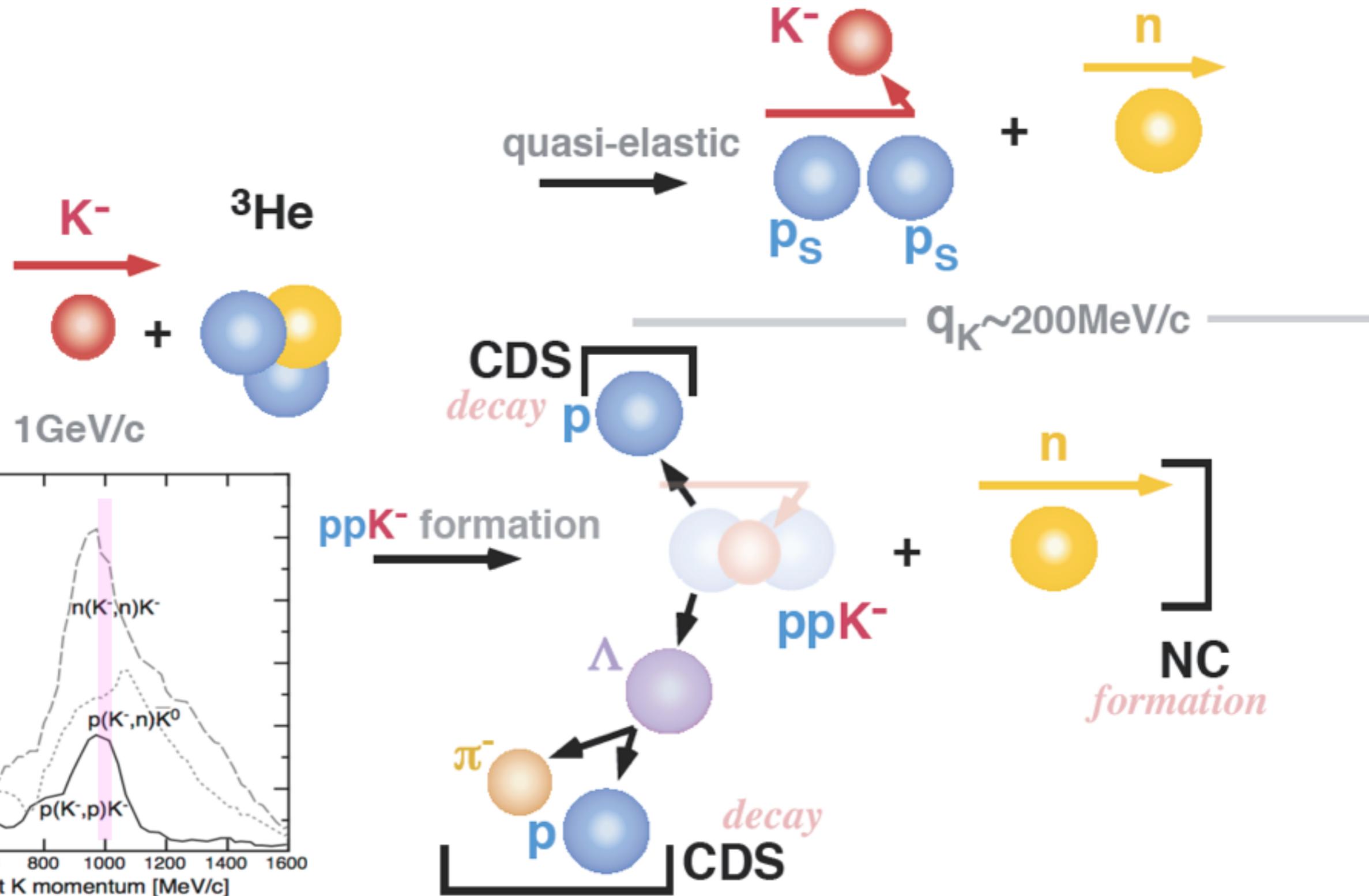
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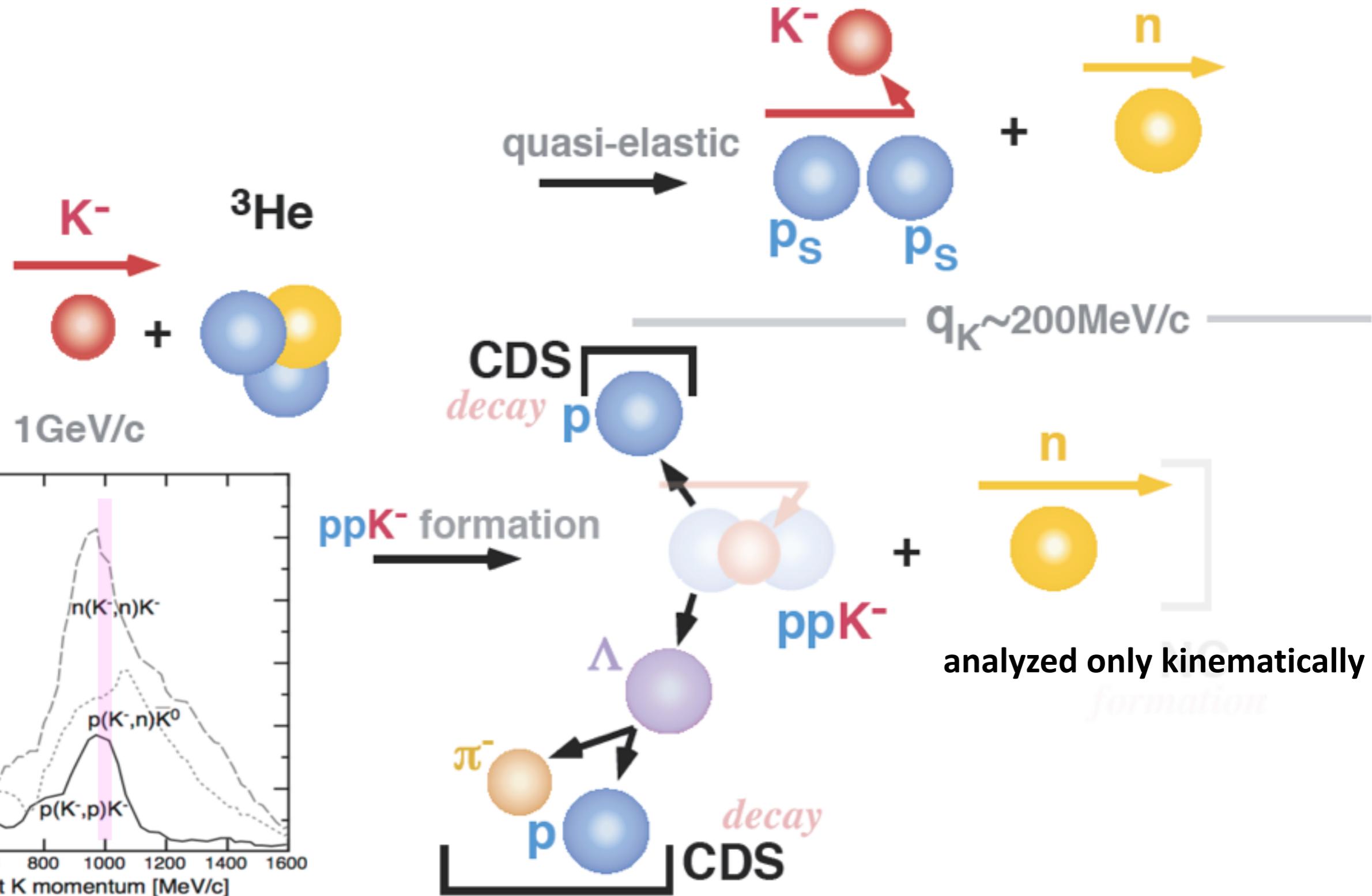
“K⁻pp” search via ${}^3\text{He}(K^-, n)$ @ $p_K=1\text{GeV}/c$

for efficient “ppK” formation $q_K \sim 200 \text{ MeV}/c$

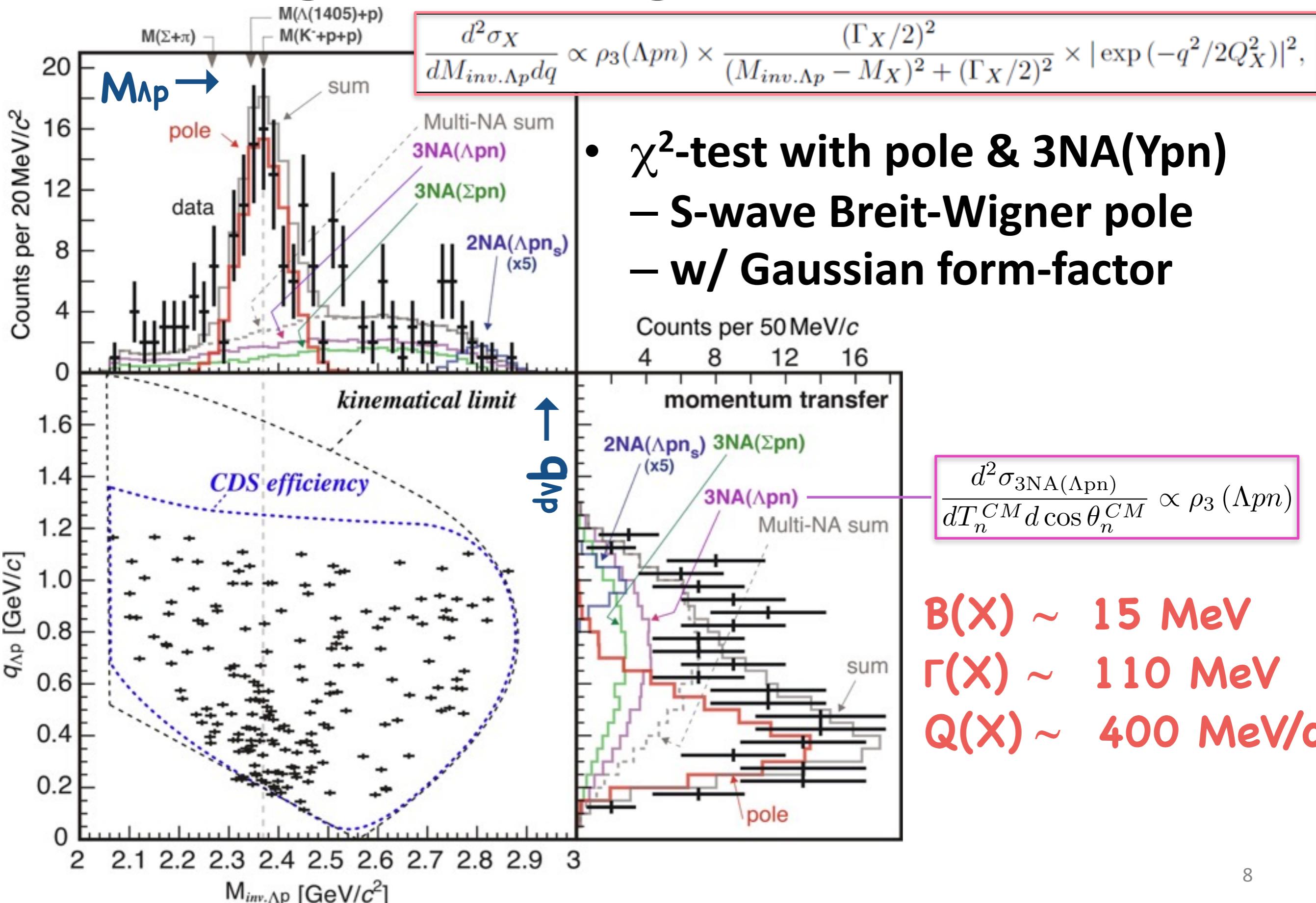


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Assuming a Breit-Wigner



Assuming single pole (Breit-Wigner)

– introduce simplest assumption

S-wave pole & Breit-Wigner formula & Gaussian form-factor

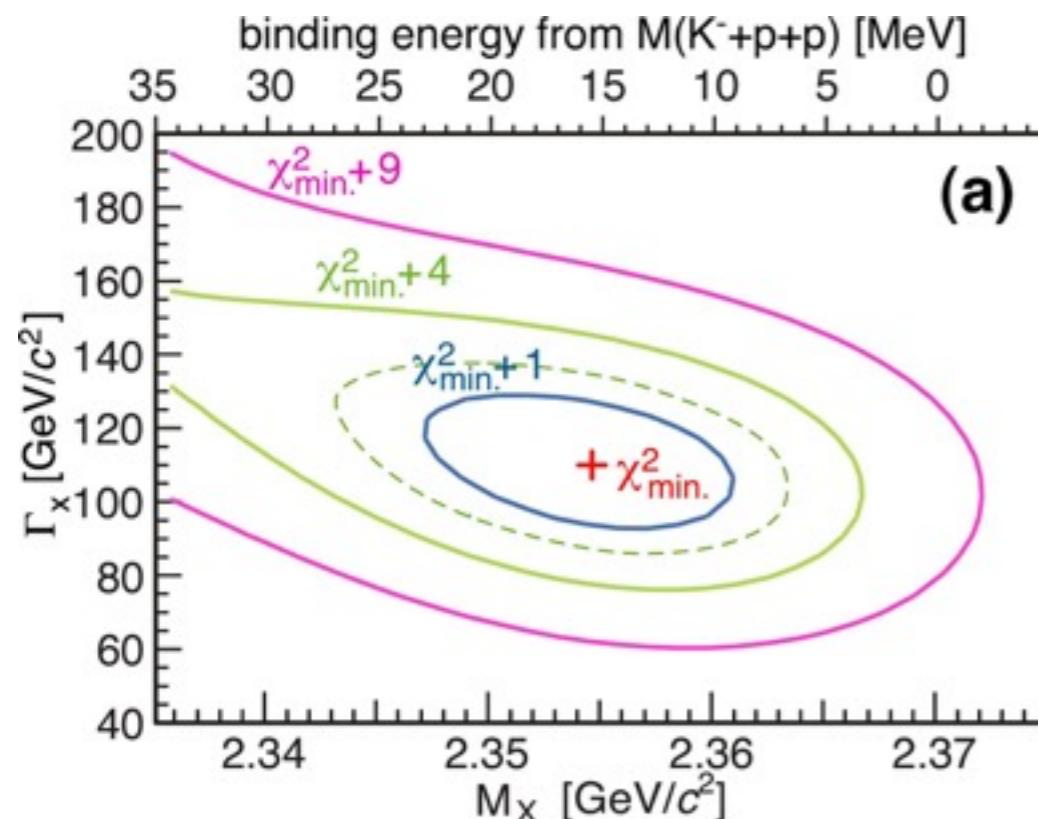
Breit-Wigner

sticking probability to
harmonic oscillator

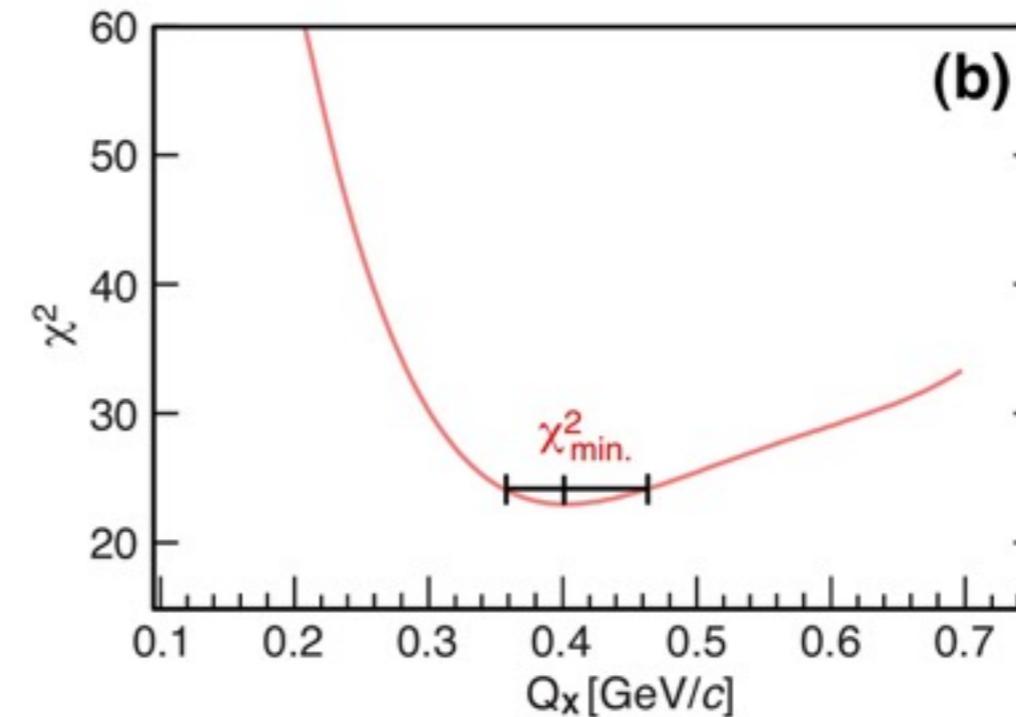
$$\frac{d^2\sigma_X}{dM_{inv.\Lambda p}dq} \propto \rho_3(\Lambda pn) \times \frac{(\Gamma_X/2)^2}{(M_{inv.\Lambda p} - M_X)^2 + (\Gamma_X/2)^2} \times |\exp(-q^2/2Q_X^2)|^2,$$

Lorentz invariant
phase-space

form-factor²



(a)



(b)

$B(X) \sim 15 \text{ MeV}$, $\Gamma(X) \sim 110 \text{ MeV}$, $Q(X) \sim 400 \text{ MeV}/c$

What is the structure found in E15^{1st} data? Improving statistics via E15^{2nd} data

3 days → 3 weeks w/ higher priority to Λp in CDS

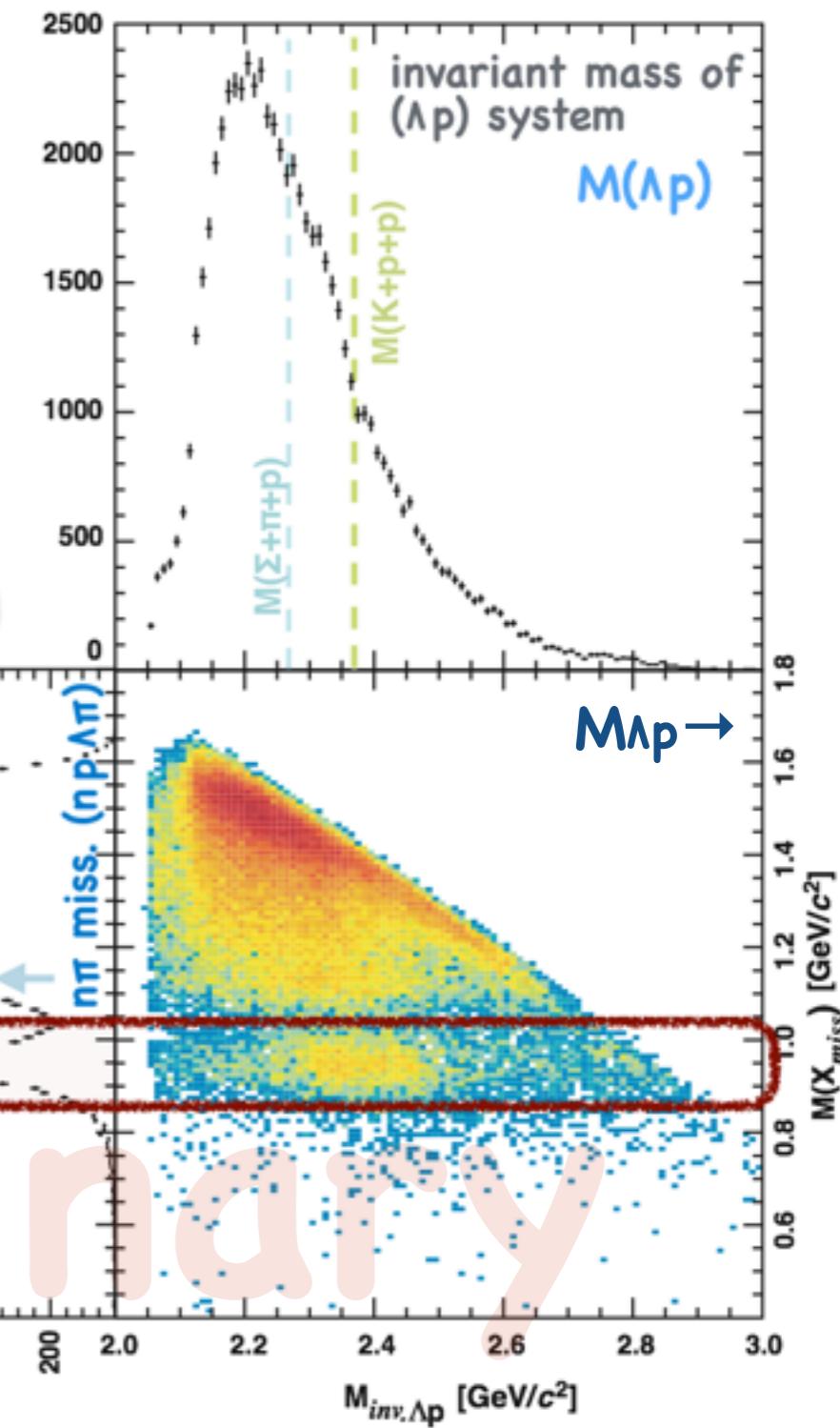
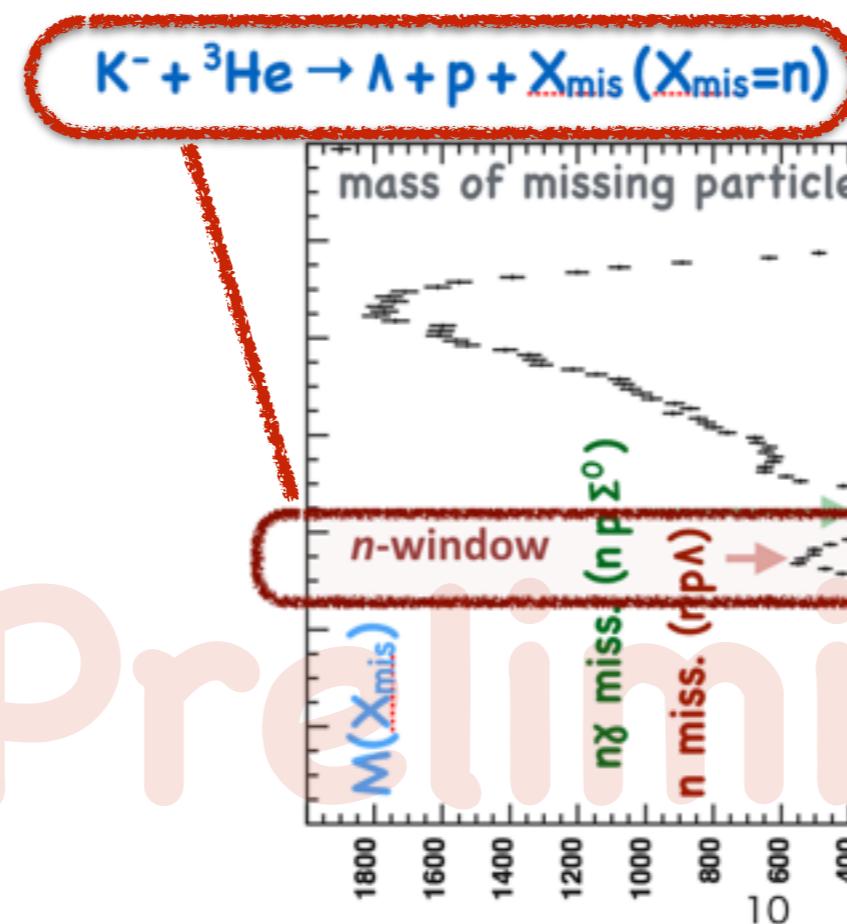
E15^{1st}

E15^{2nd}



~ 6 times more
data for forward
neutron

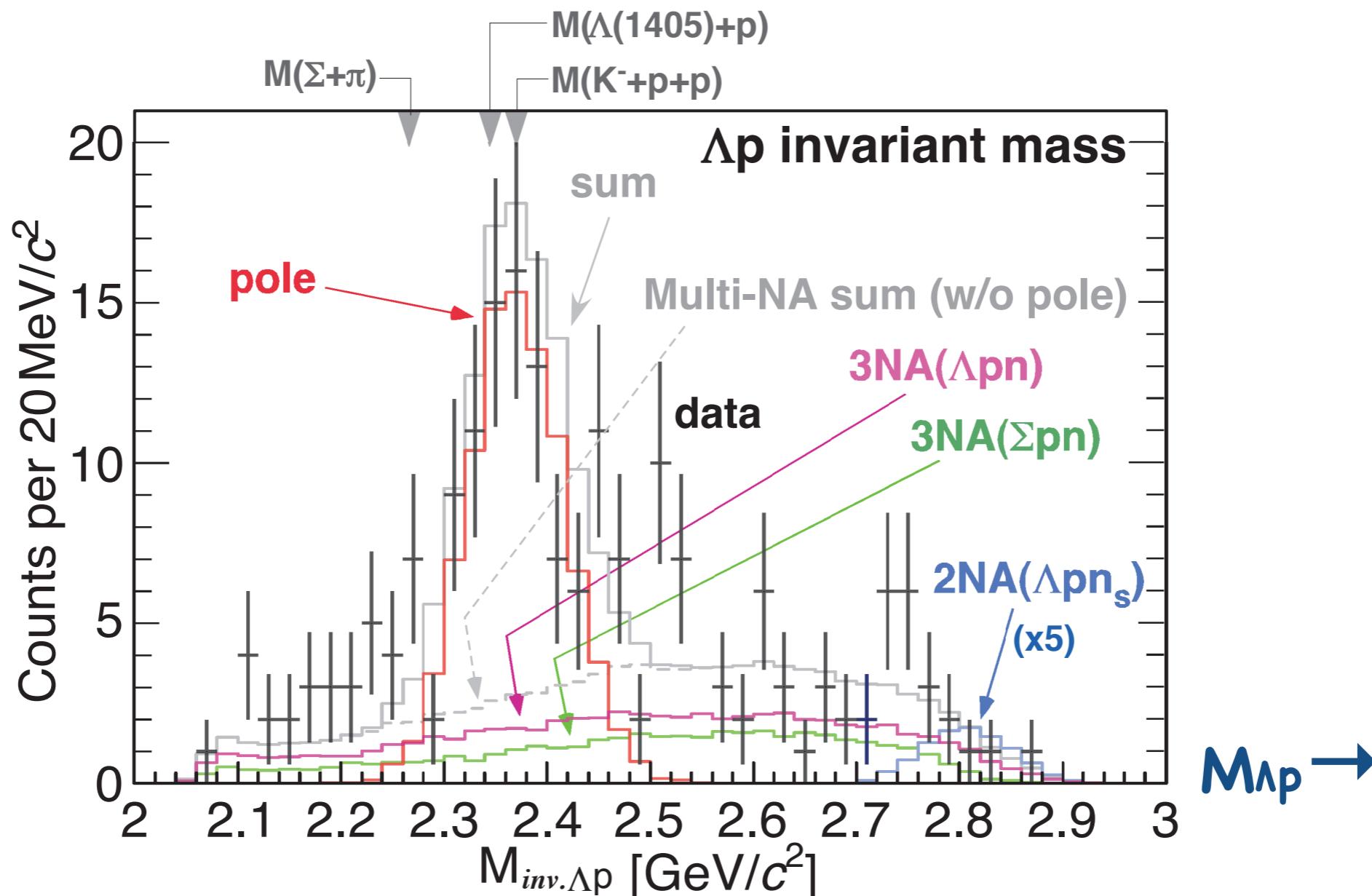
~ 30 times more
data for $\Lambda p n$ final
state



E15^{1st} and E15^{2nd} spectra consistent?

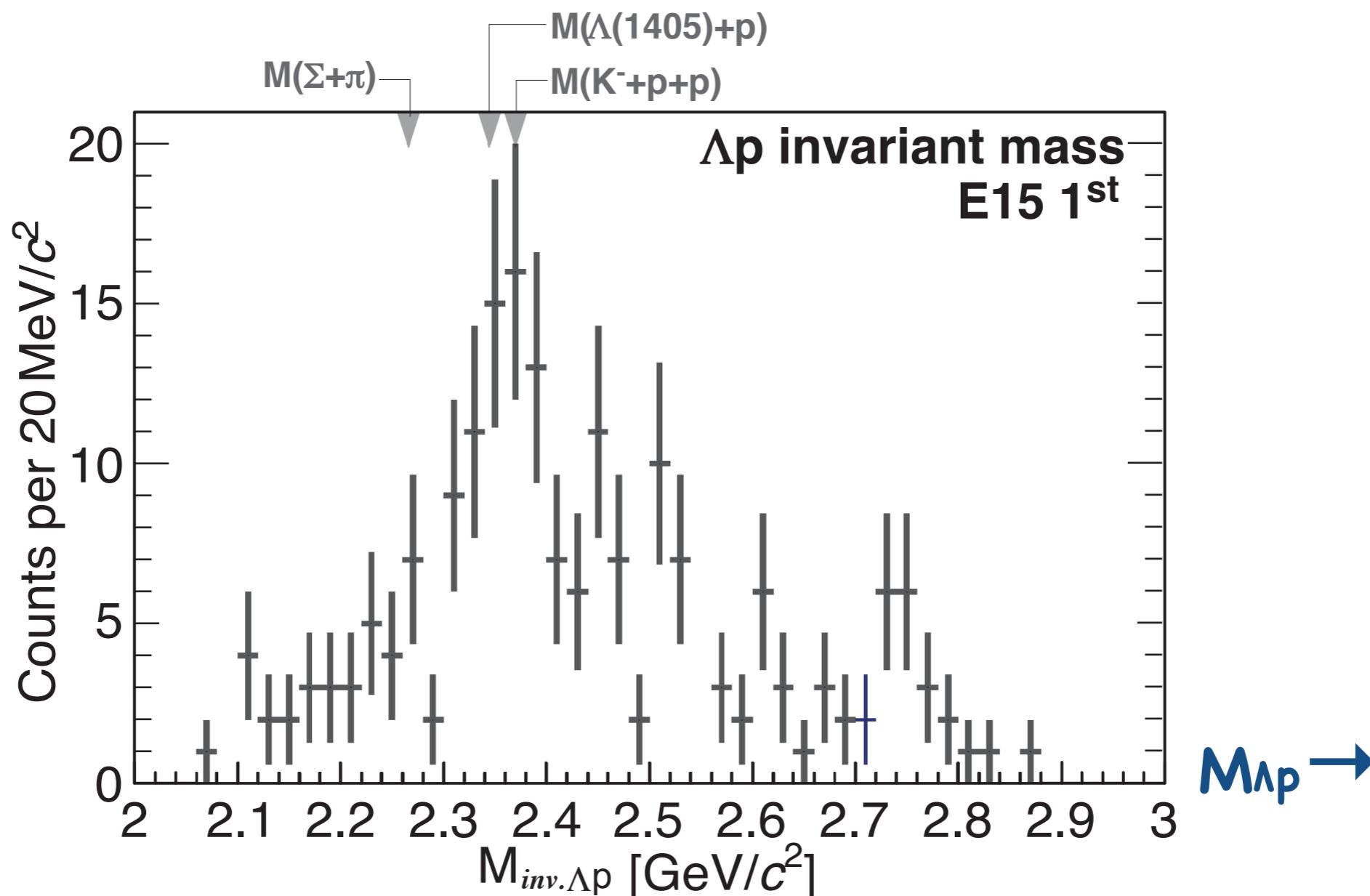


$$\frac{d^2\sigma_X}{dM_{inv.\Lambda p}dq} \propto \rho_3(\Lambda pn) \times \frac{(\Gamma_X/2)^2}{(M_{inv.\Lambda p} - M_X)^2 + (\Gamma_X/2)^2} \times |\exp(-q^2/2Q_X^2)|^2,$$



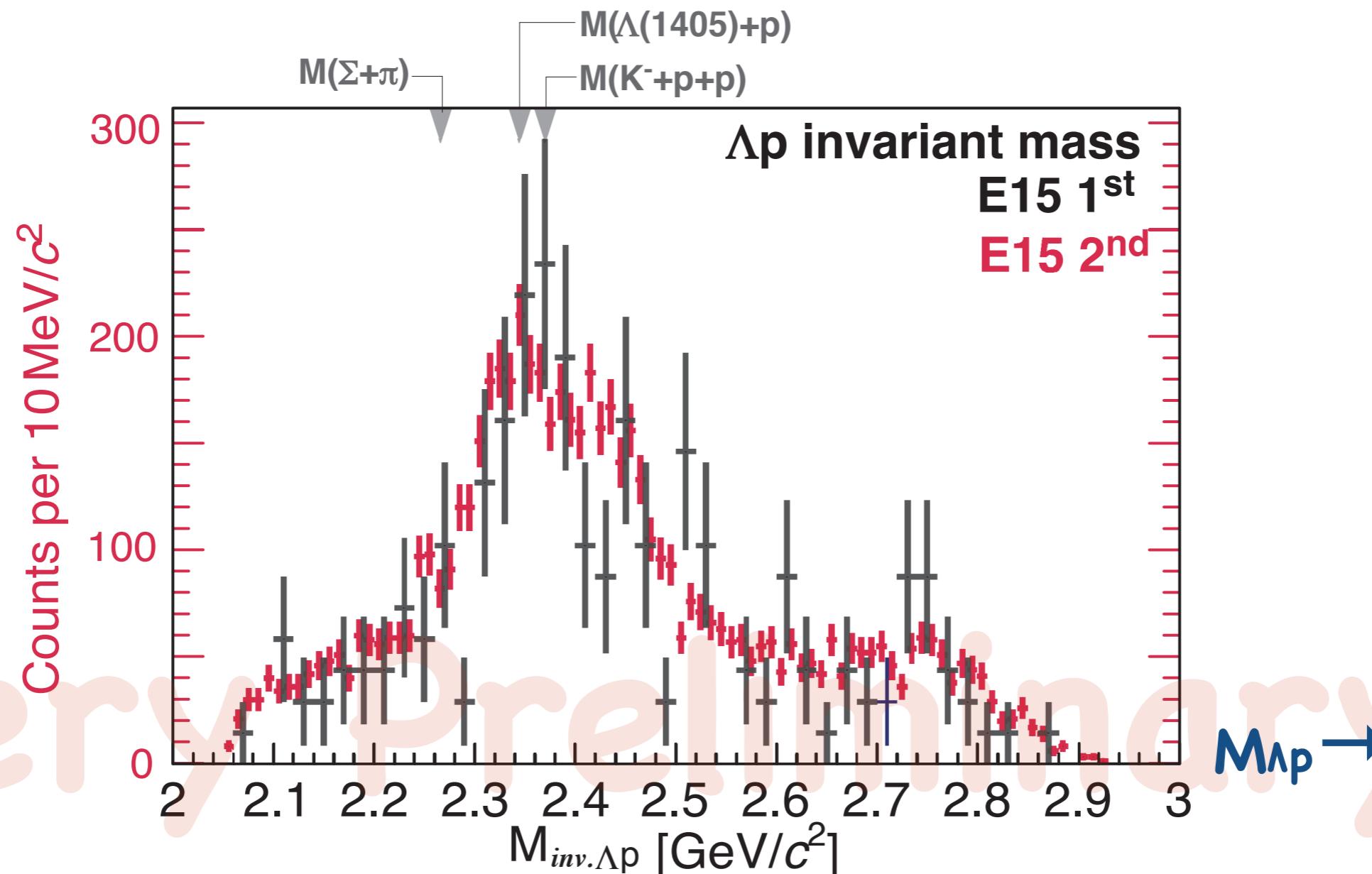
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E15^{1st} and E15^{2nd} spectra consistent?

YES! They are consistent!

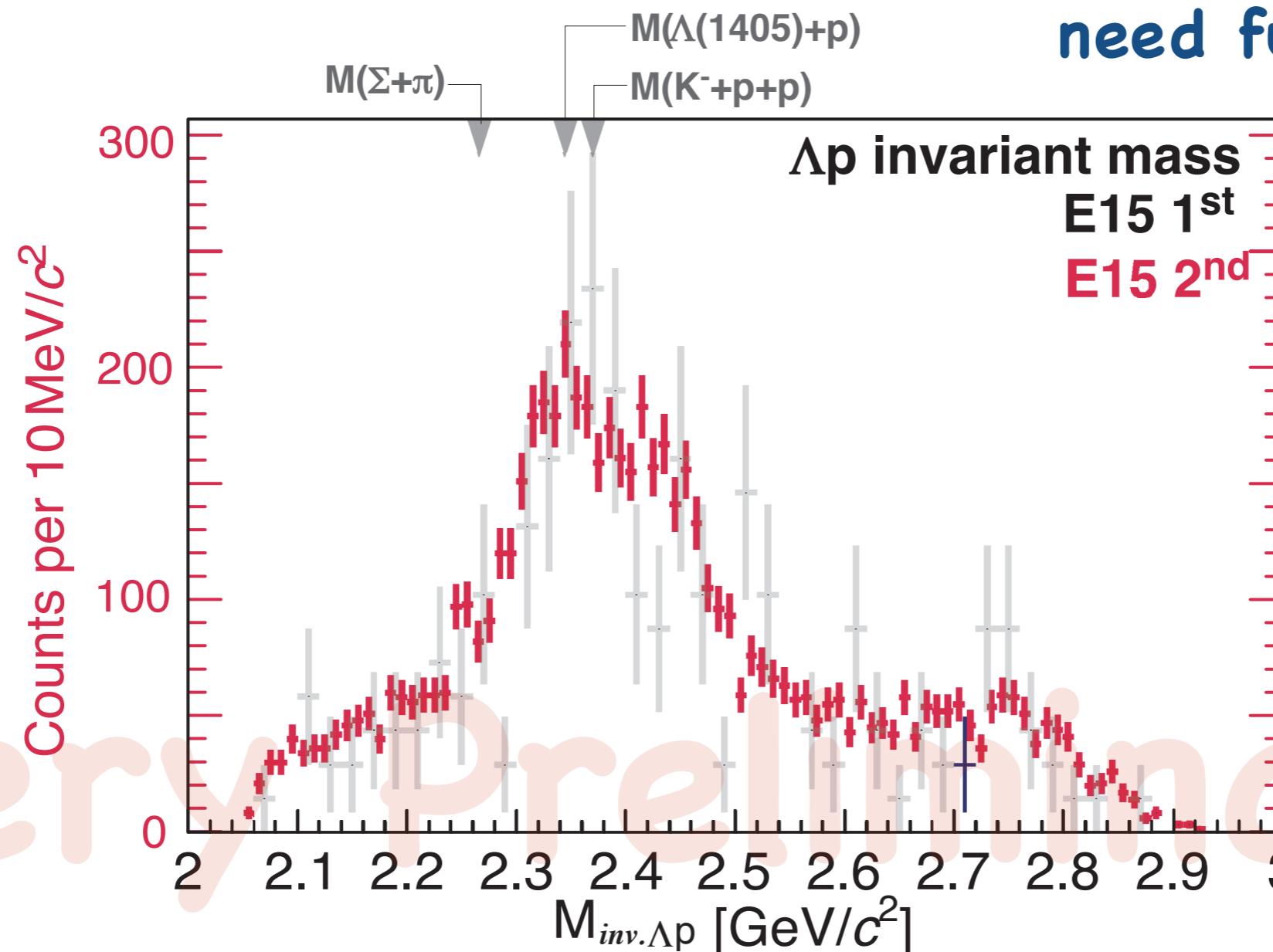


E15^{1st} and E15^{2nd} spectra consistent?

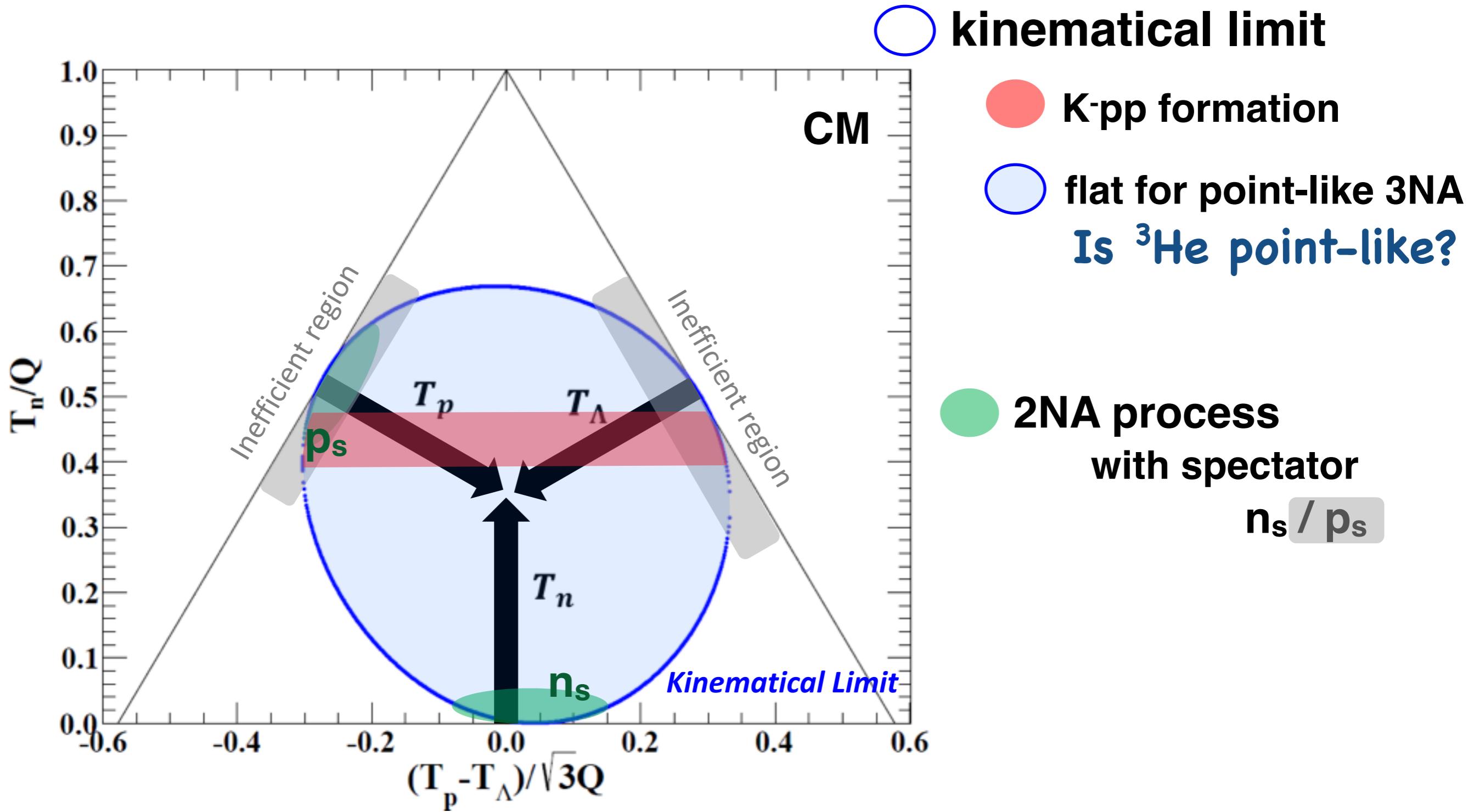
YES! They are consistent!

E15^{2nd} spectrum does not allow single pole assumption

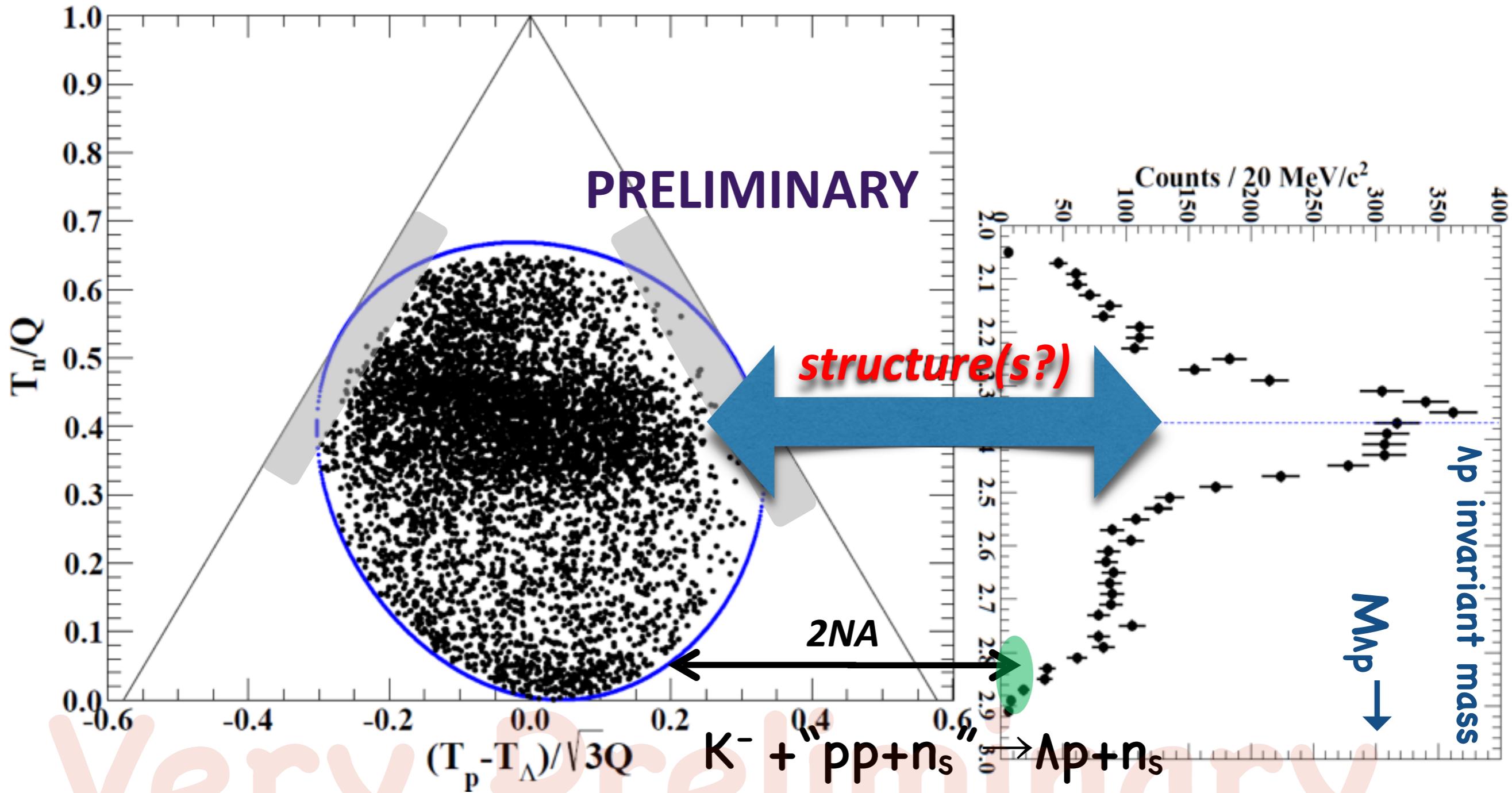
looks like trapezoidal??
need further study



Dalitz Plot of $\Lambda p n$



Dalitz Plot of $\Lambda p n$

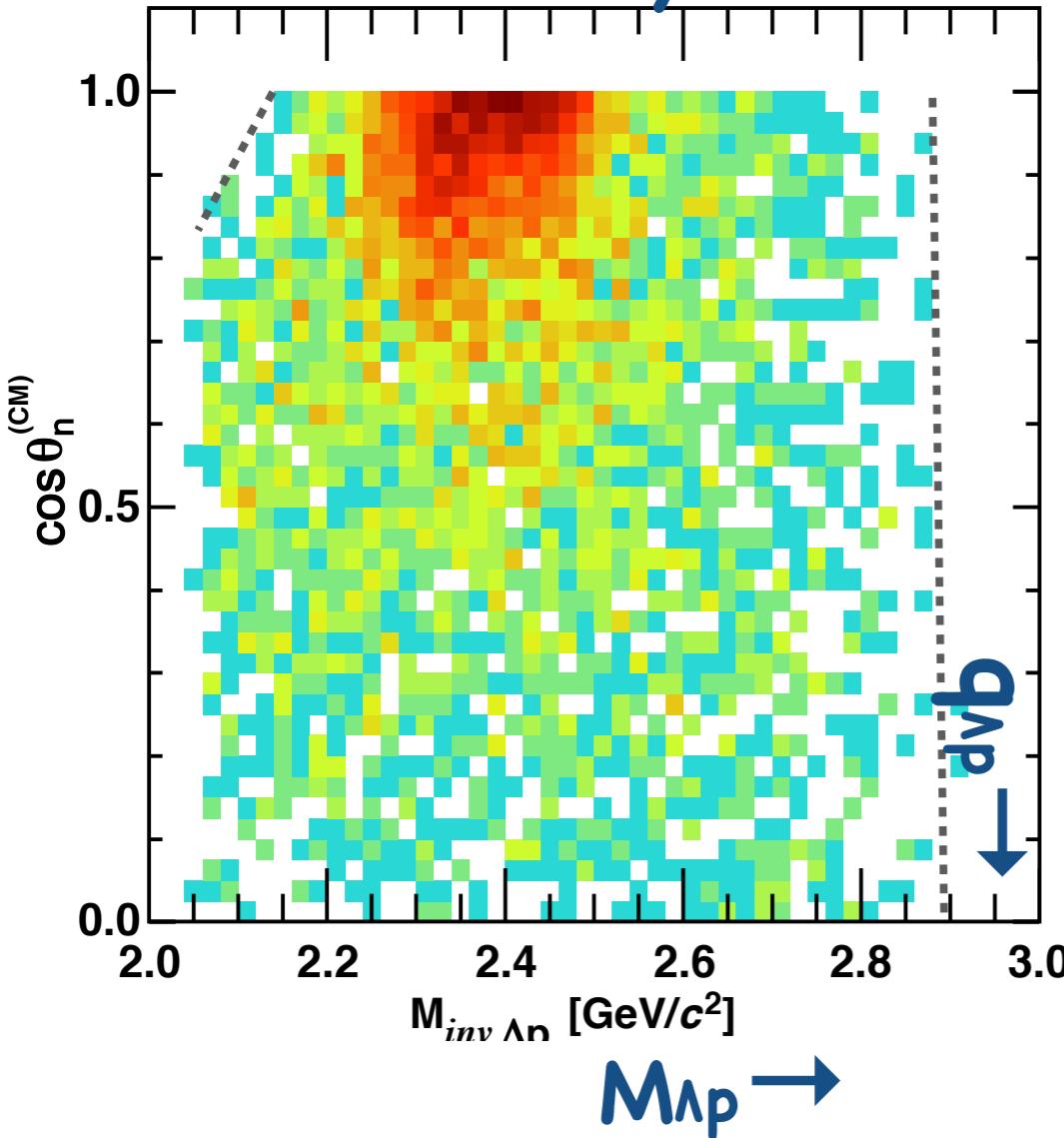


$^3\text{He}(\text{K}^-, \Lambda p)n:$

Angular Dependence of n in CM

${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$: Angular Dependence

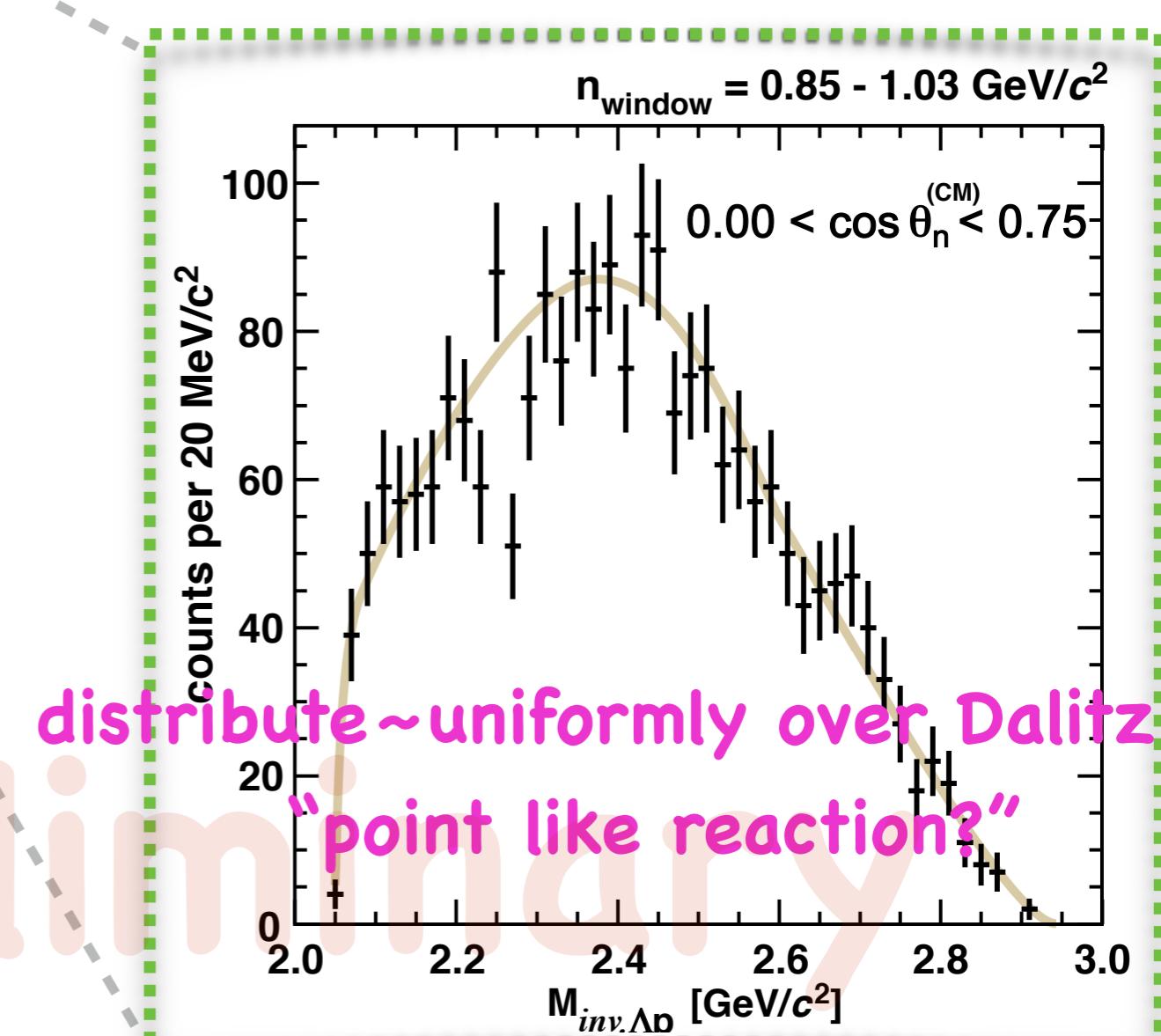
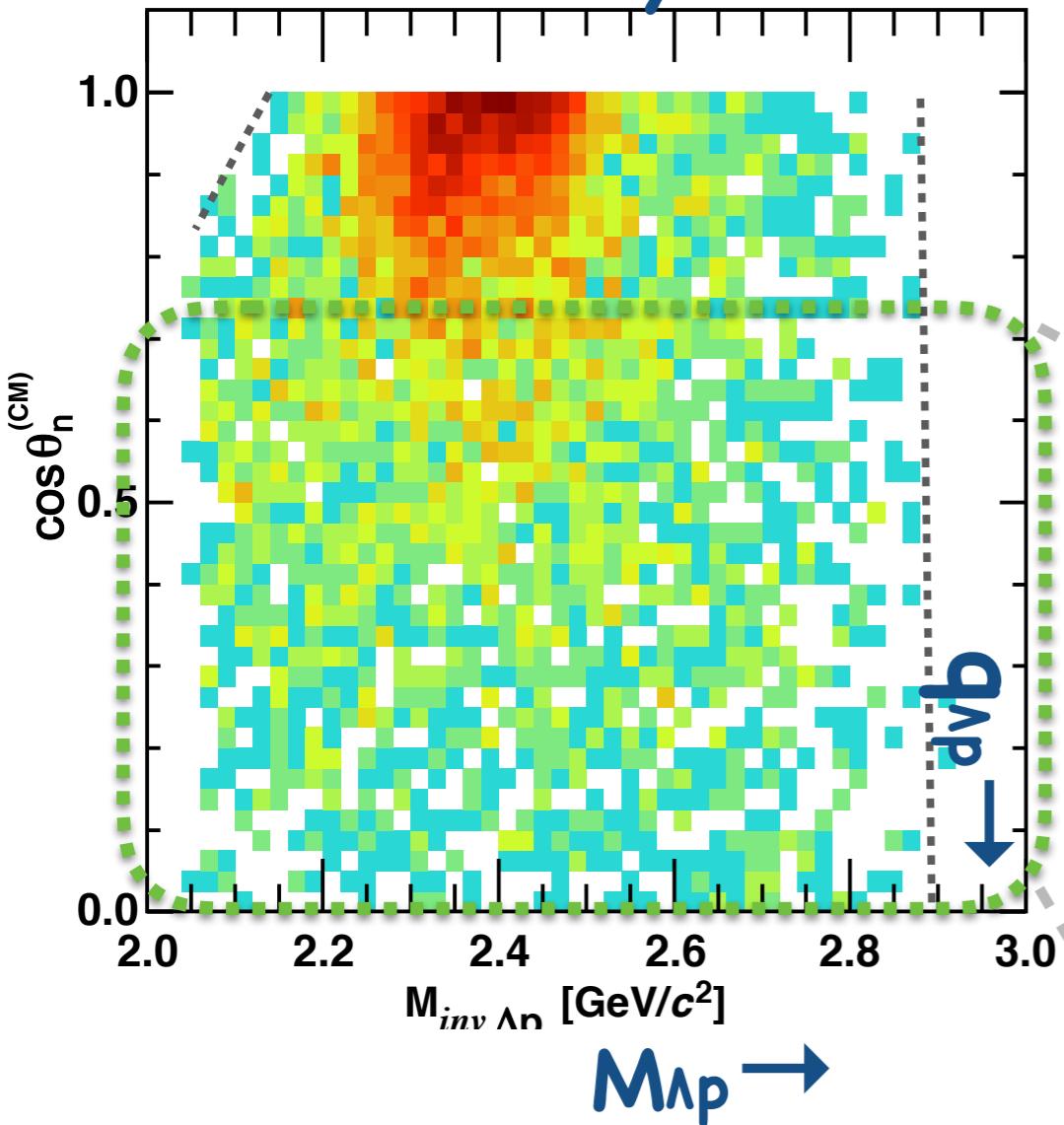
forward n only



Very Preliminary

${}^3\text{He}(K^-, \Lambda p)n$: Angular Dependence

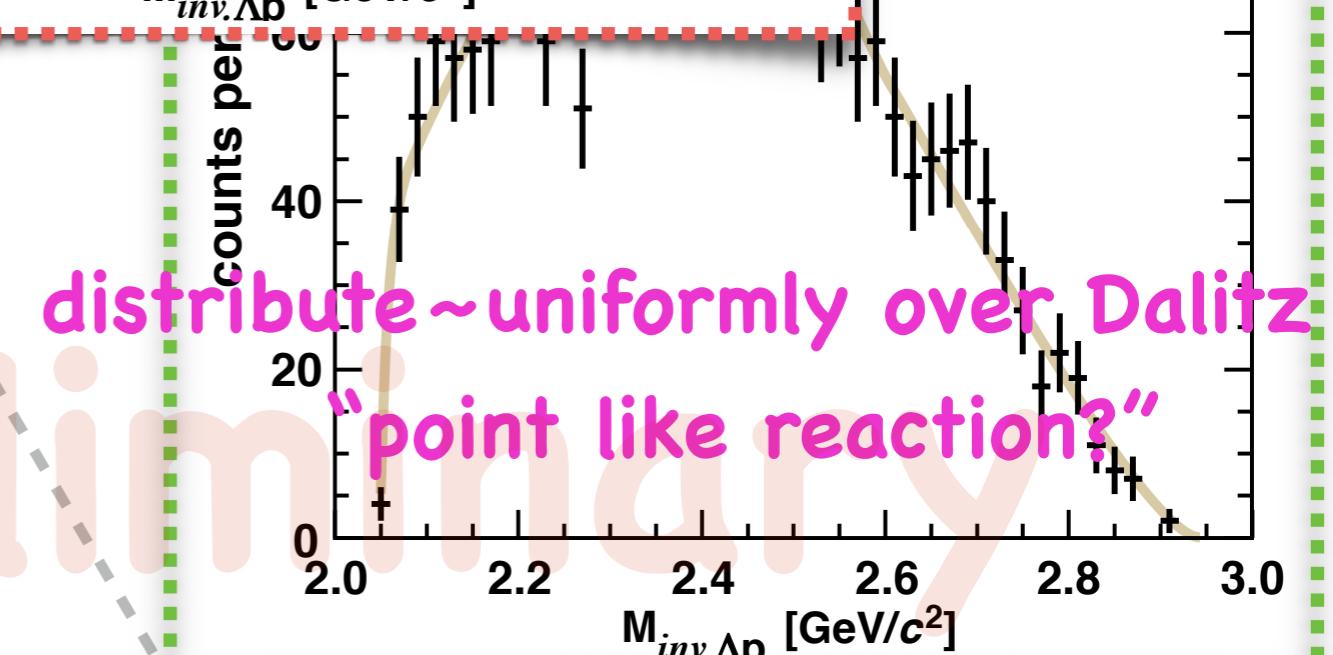
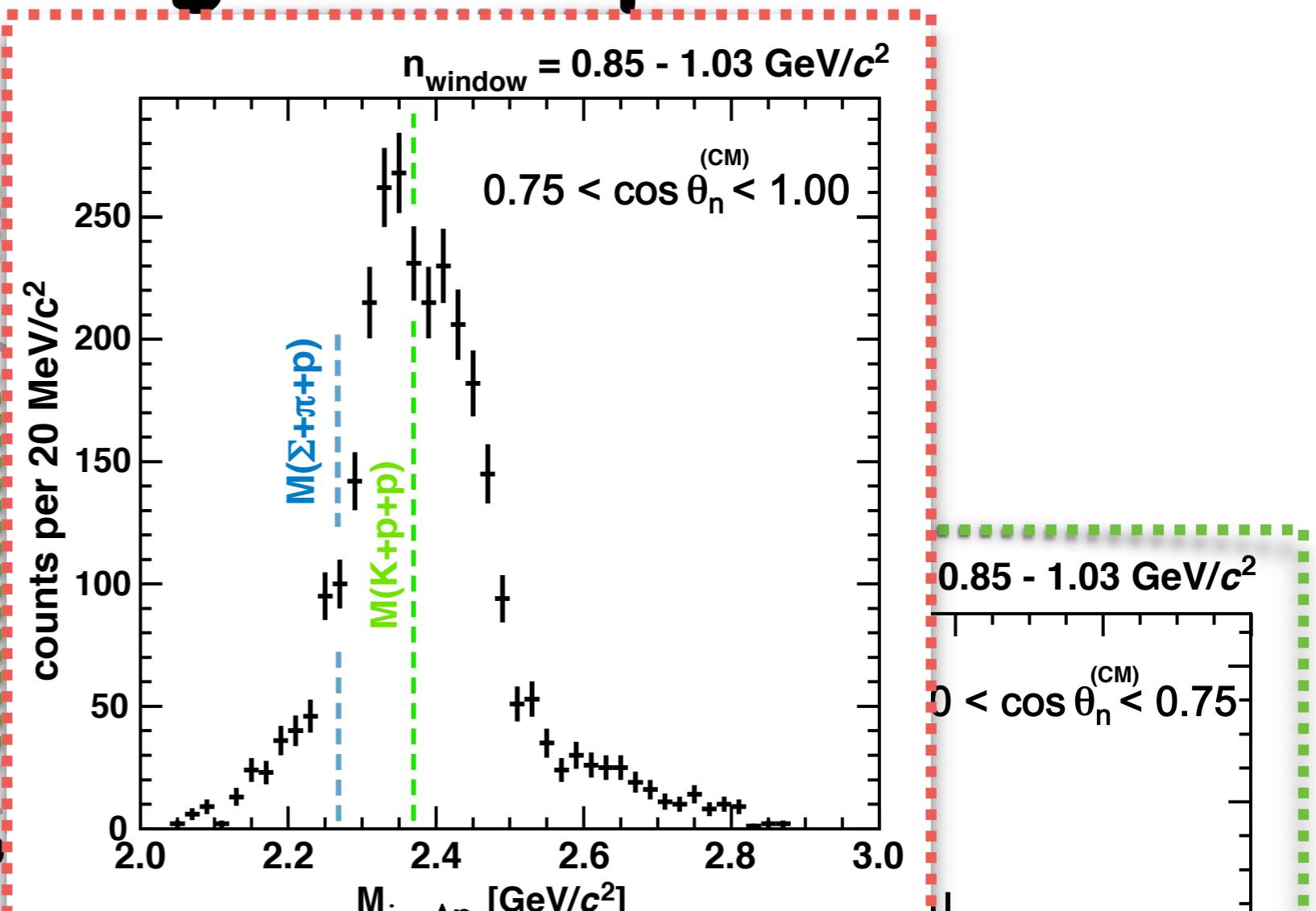
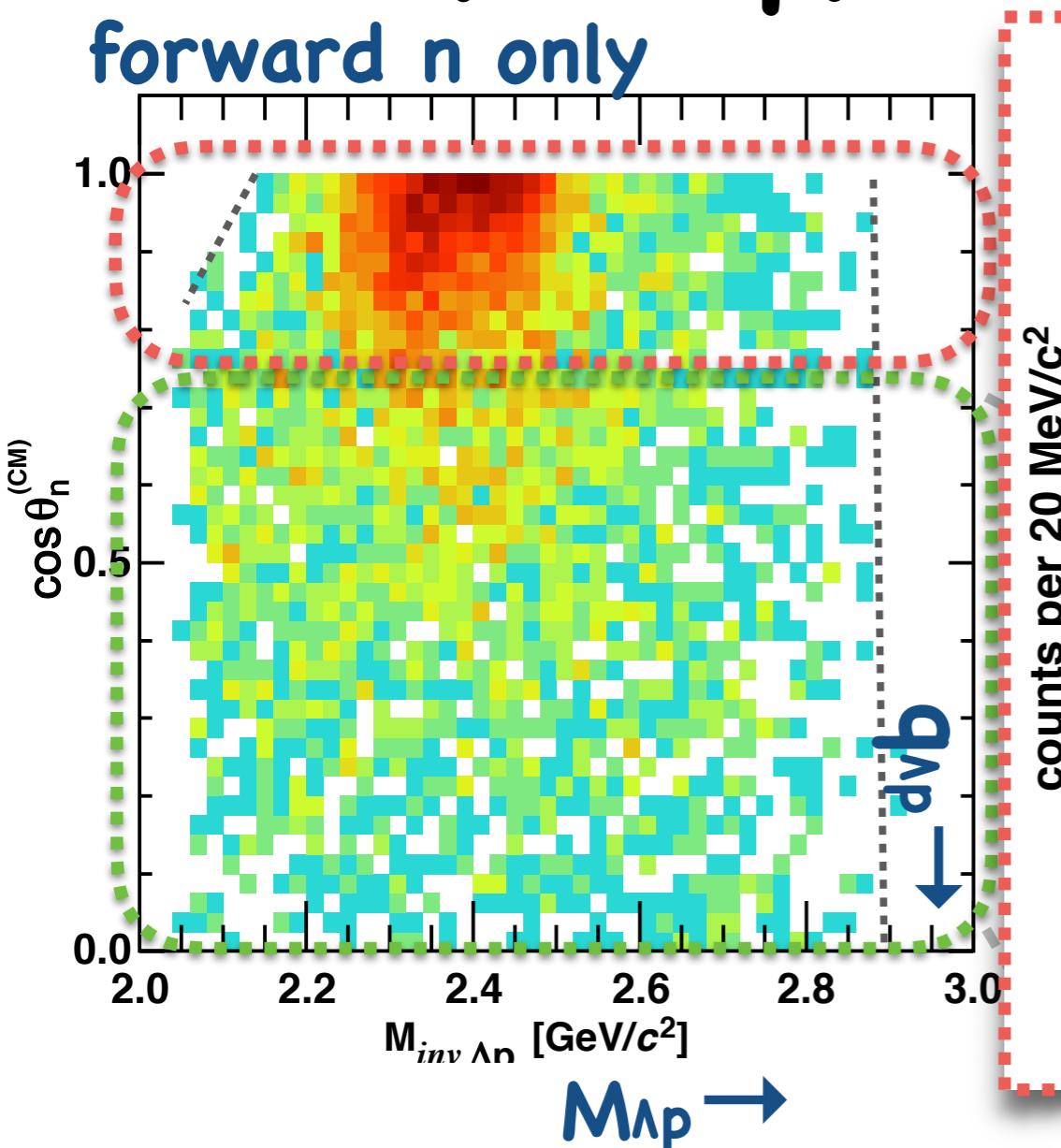
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Very Preliminary

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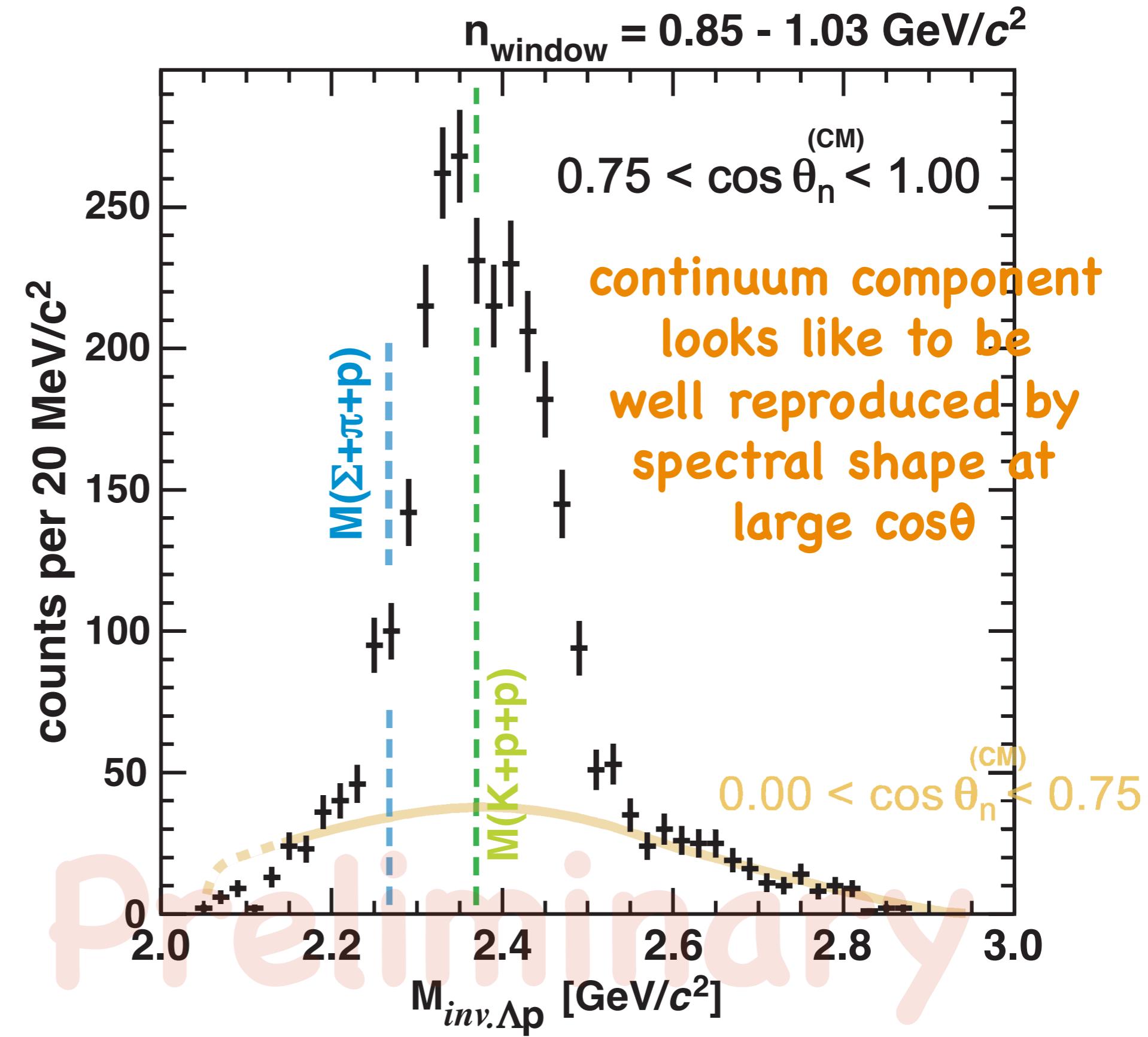
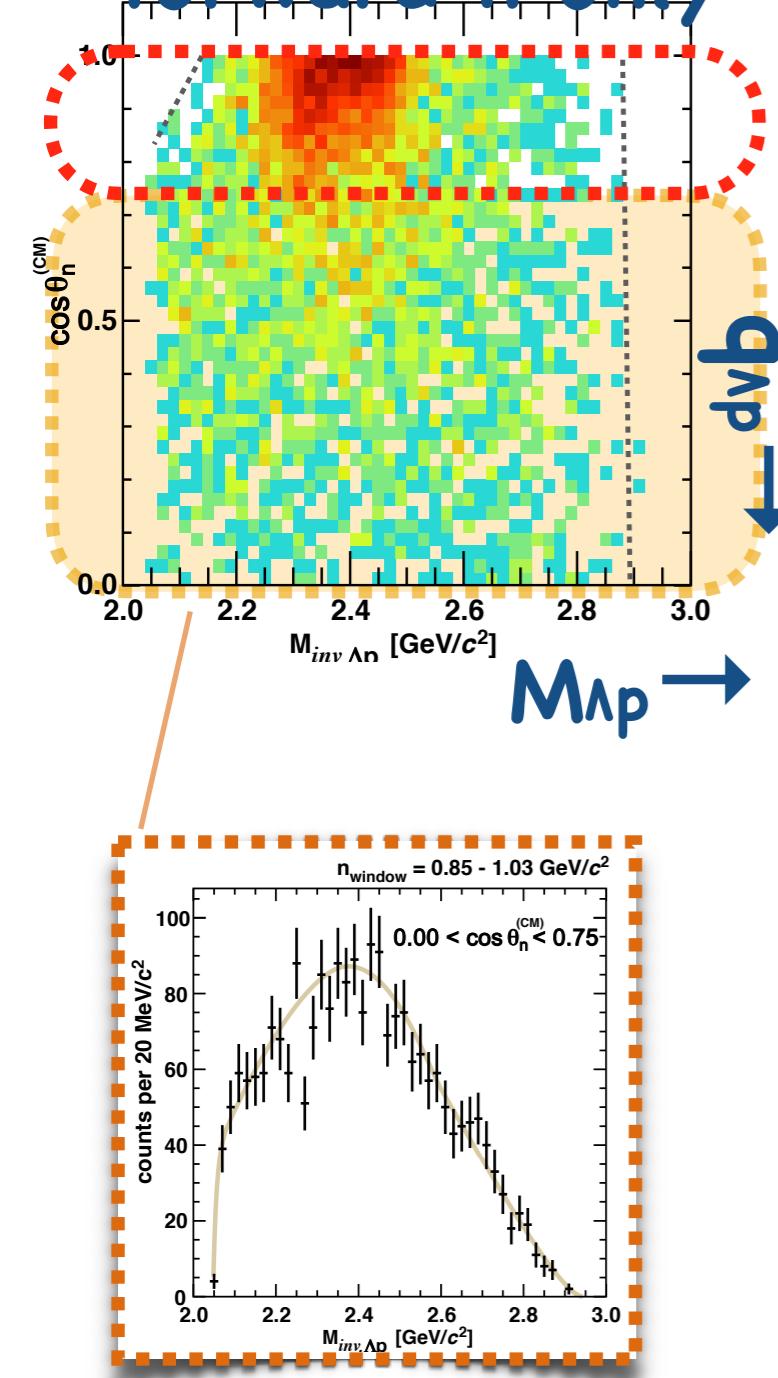
forward n only



Very Preliminary

${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$: Angular Dependence

forward n only



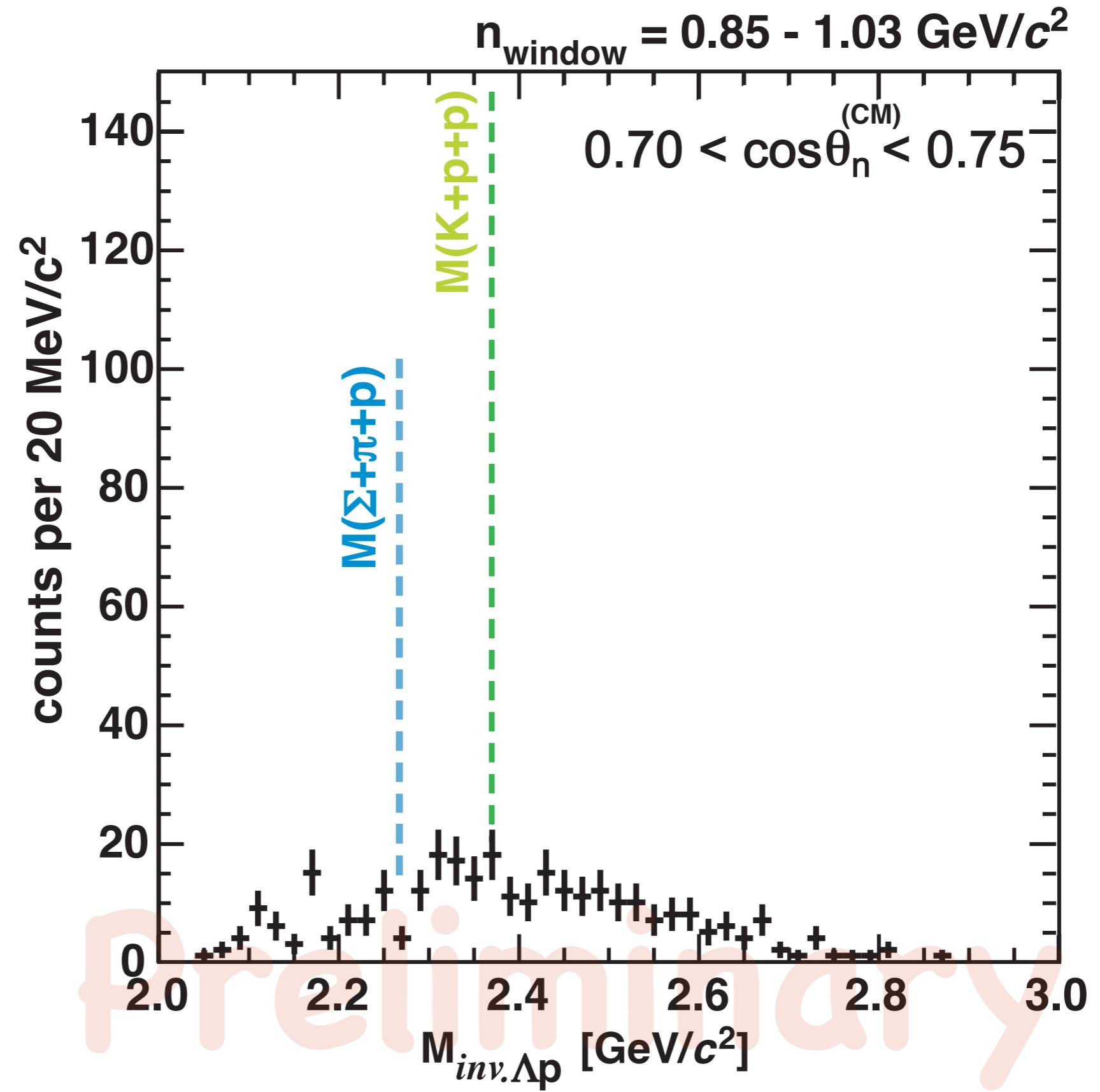
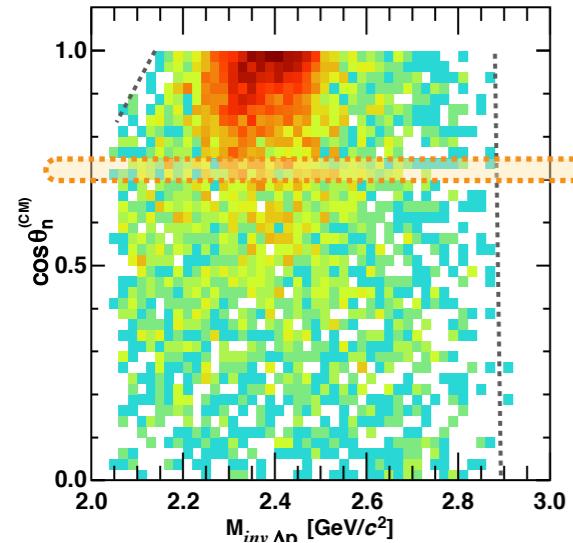
Very Preliminary

${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$:

Angular Dependence of n in CM

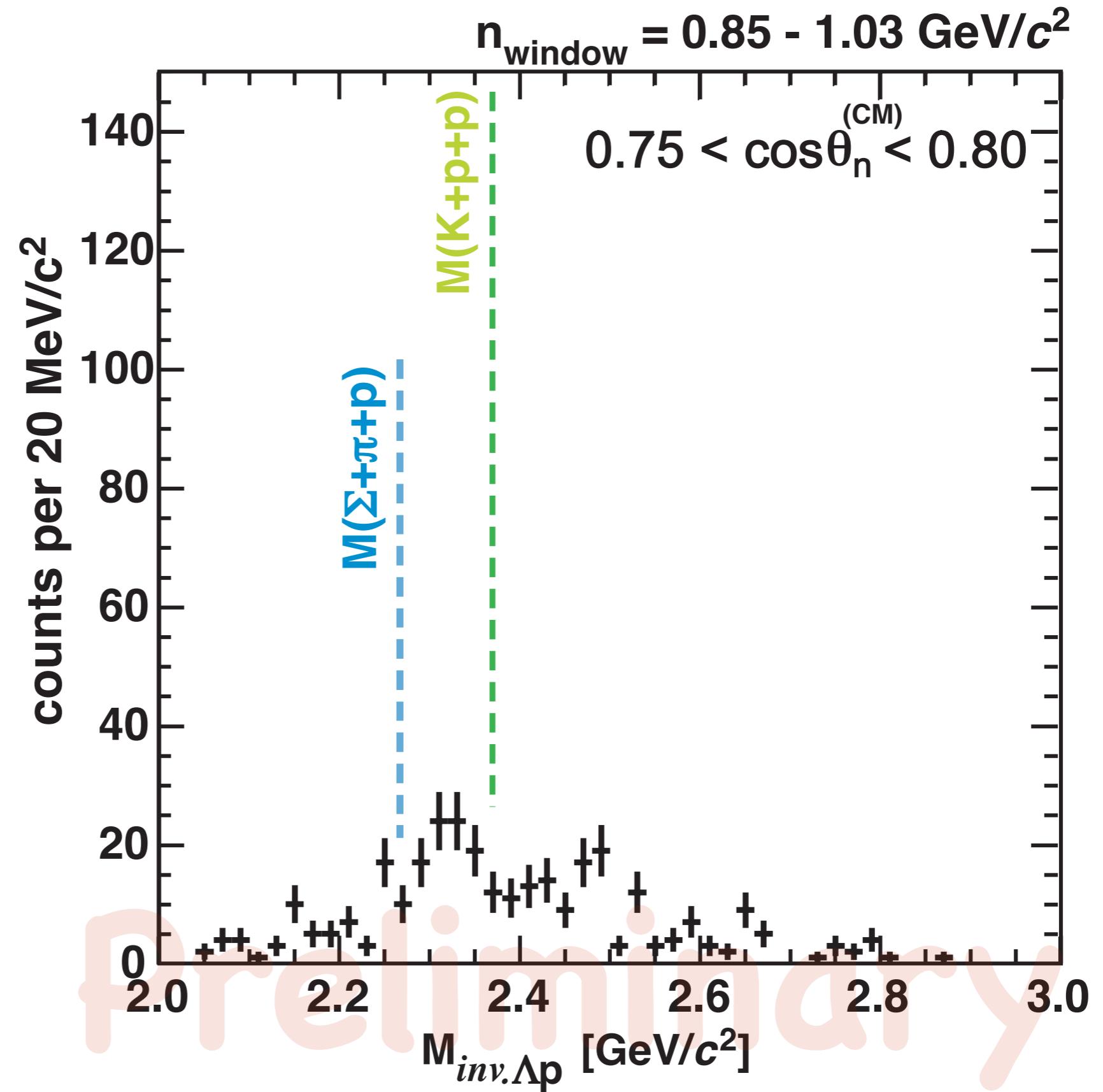
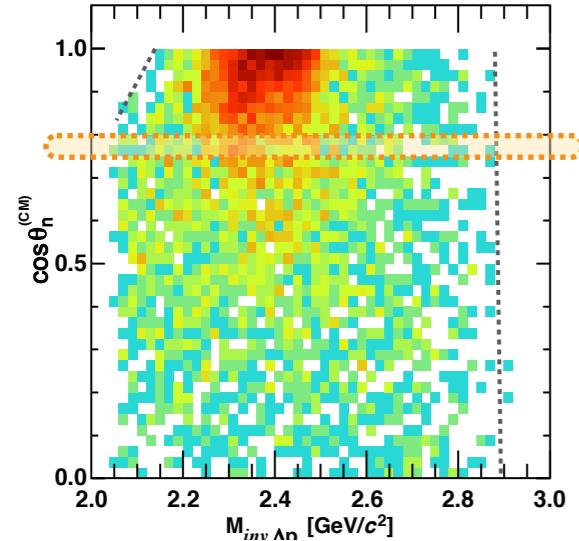
in more detail
as a clue to understand

${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$: Angular Dependence

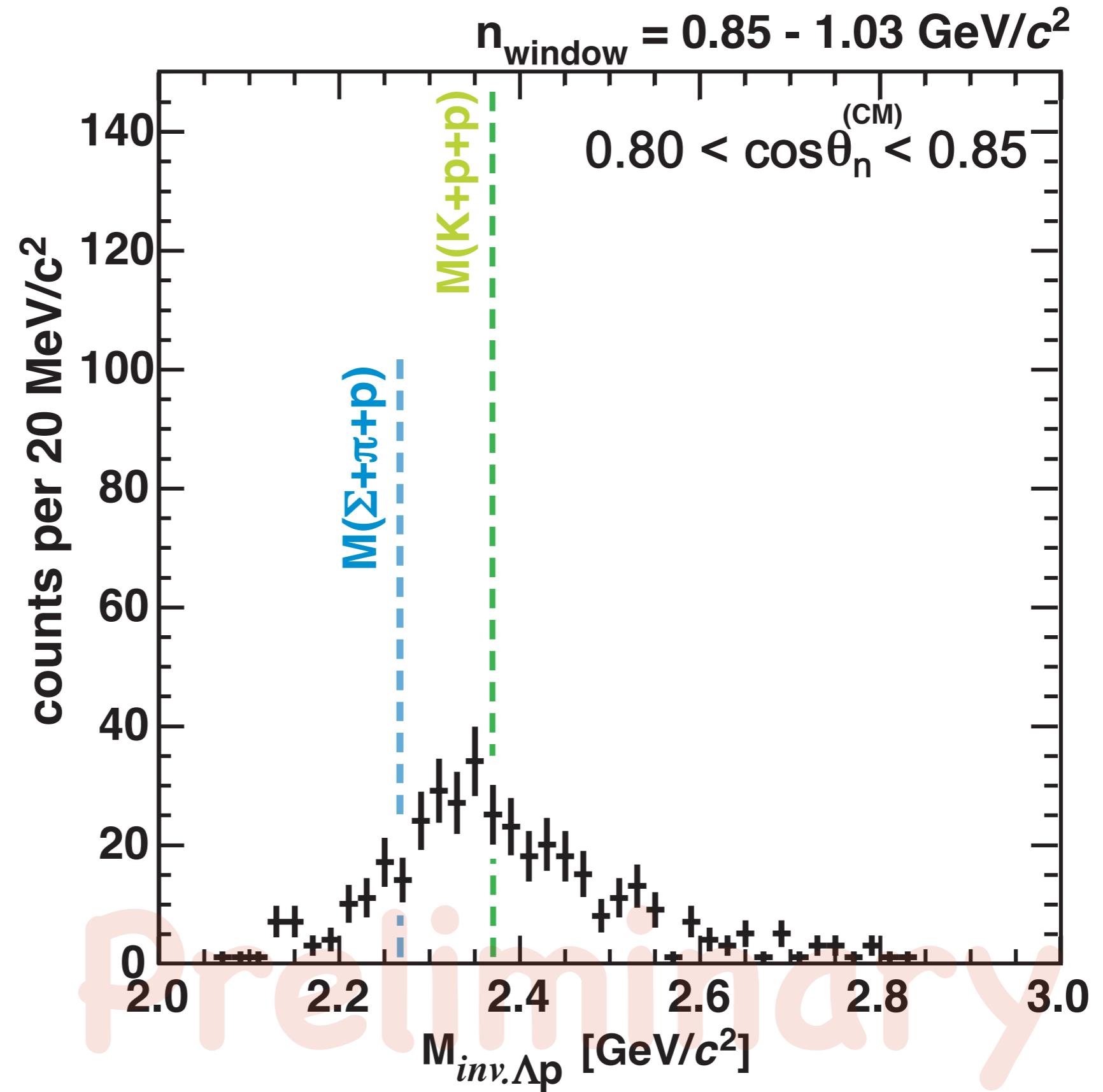
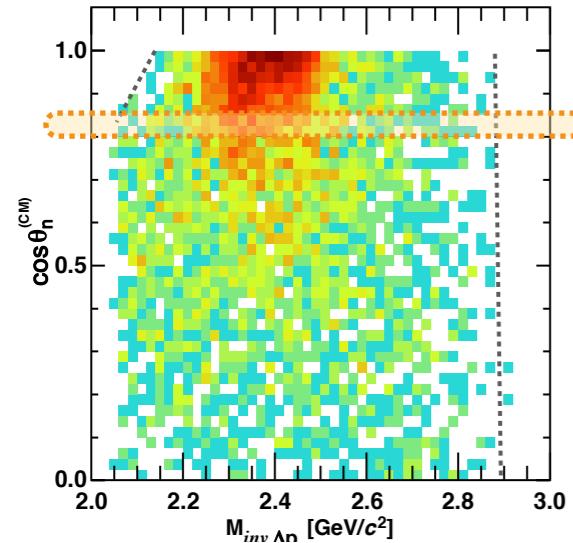


Very Preliminary

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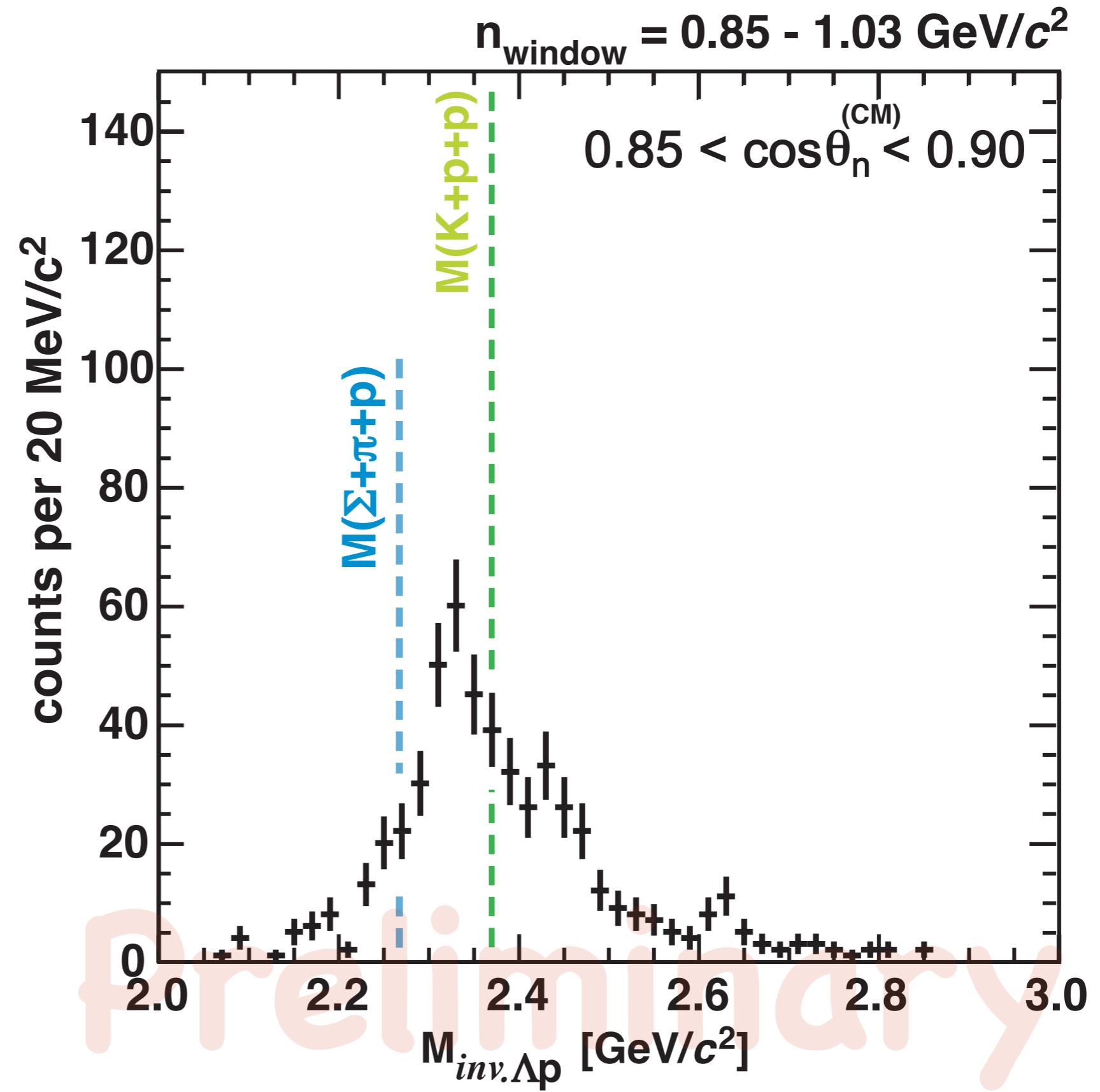
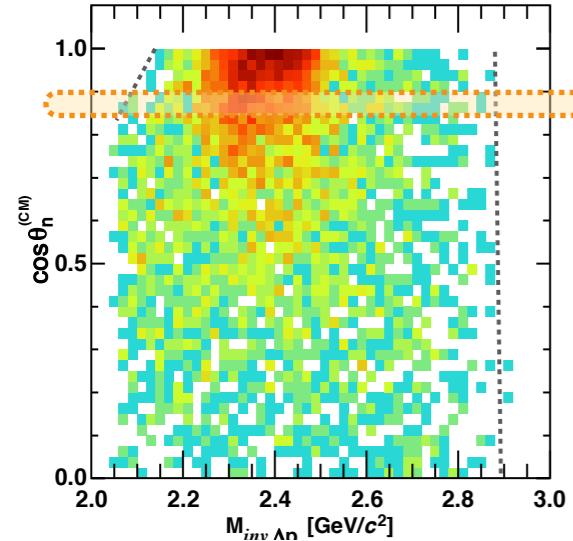


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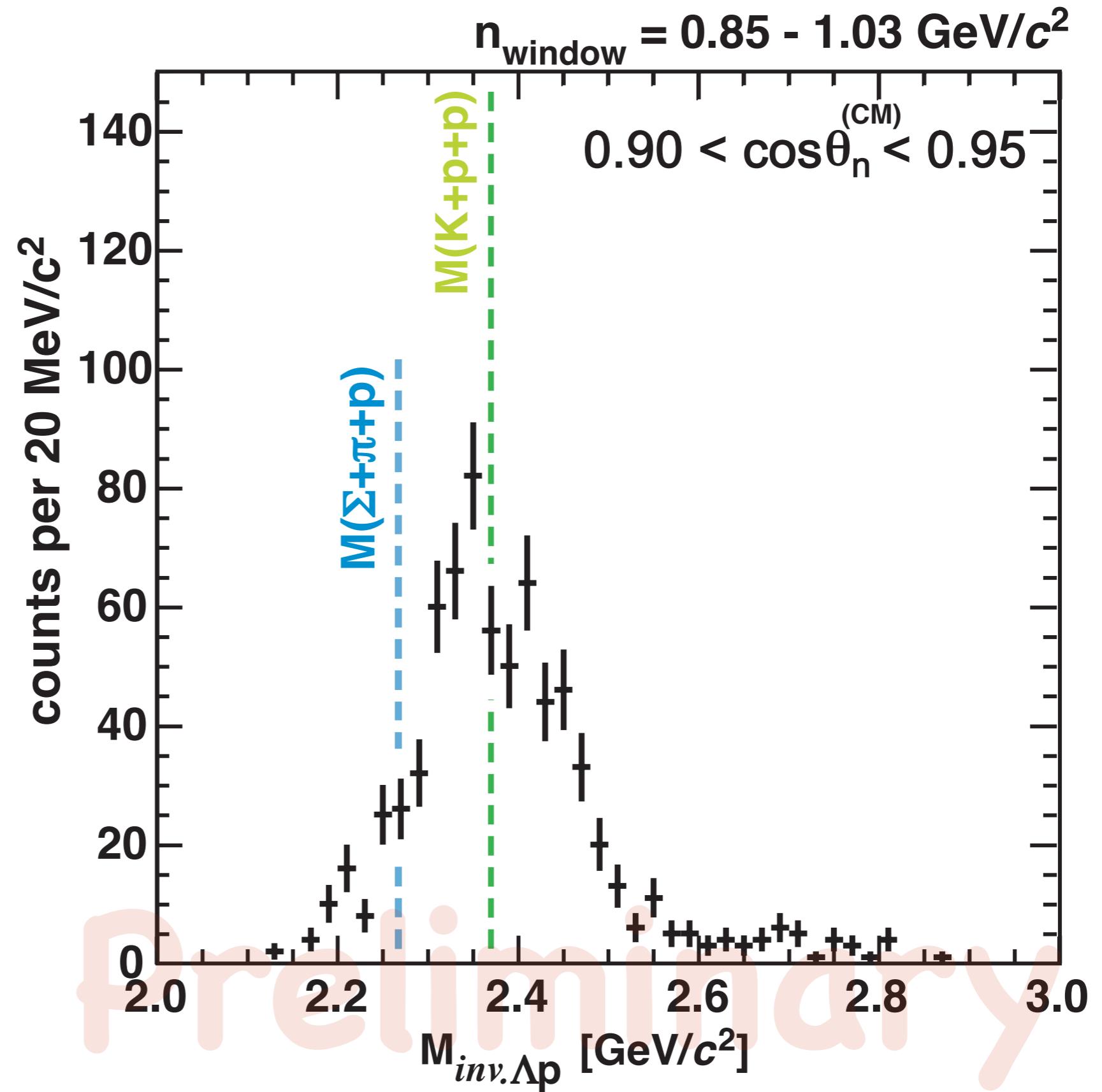
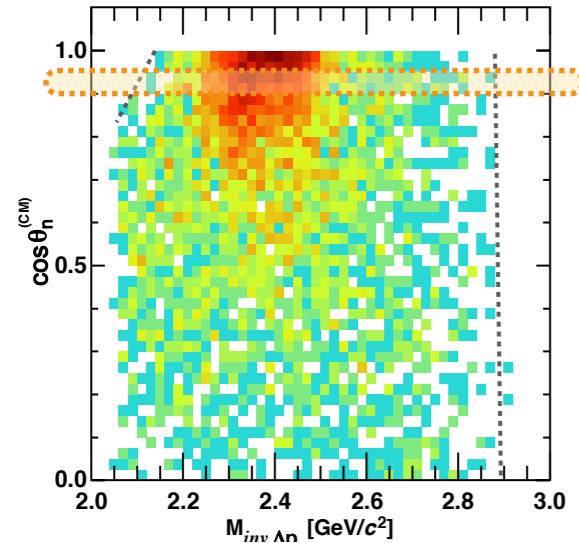
Very Preliminary

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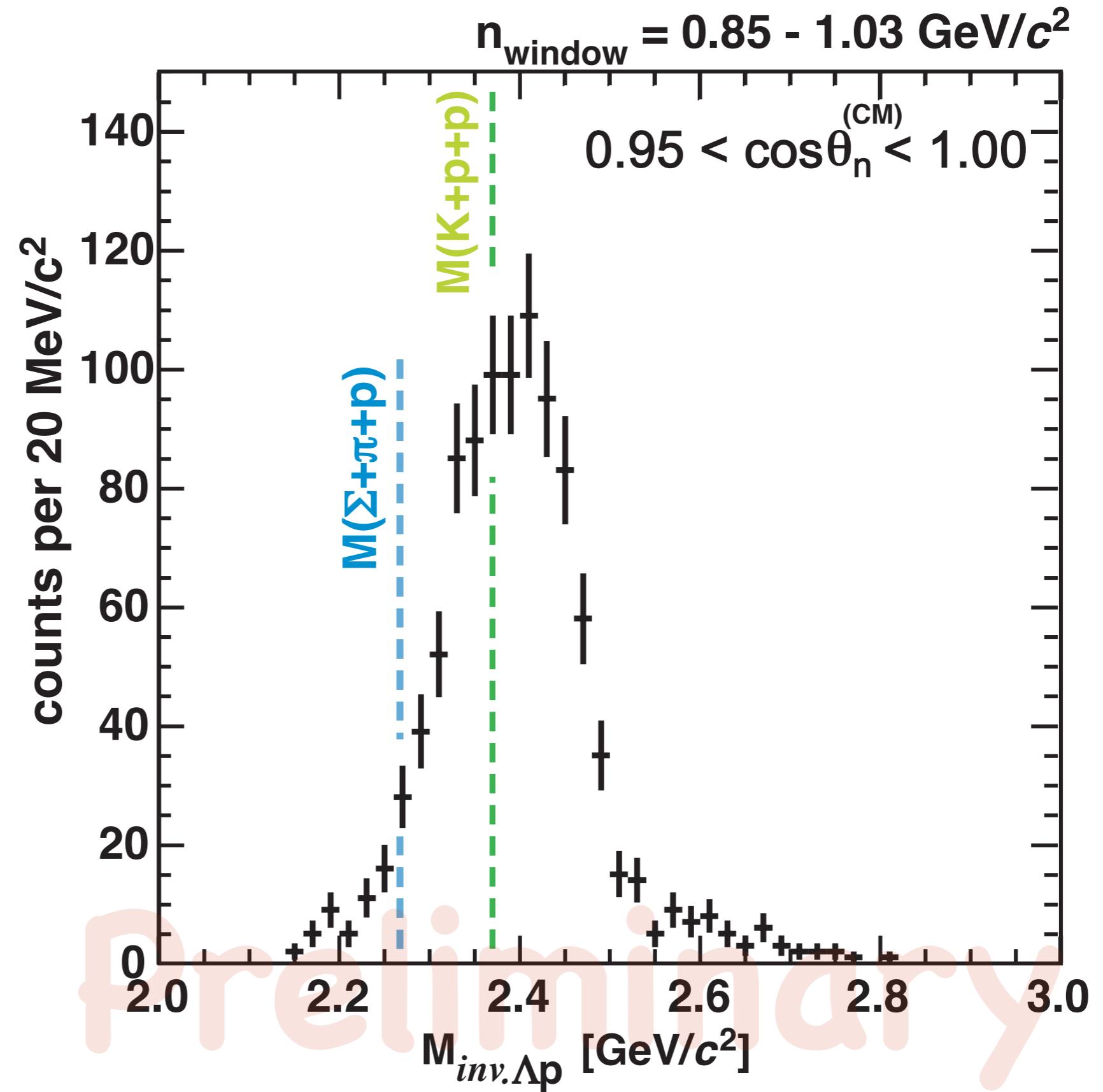
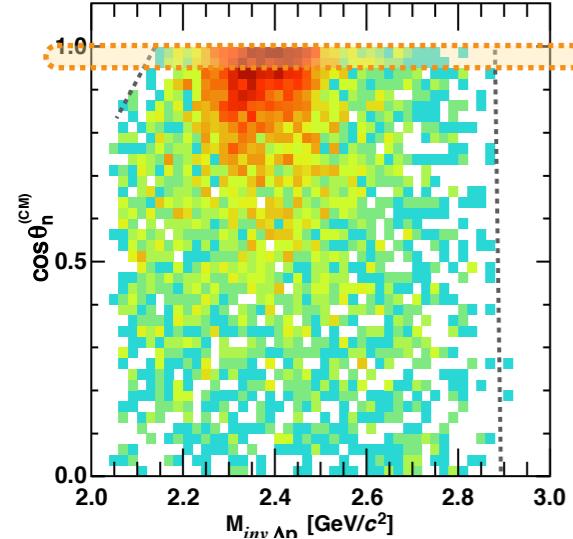
Very Preliminary

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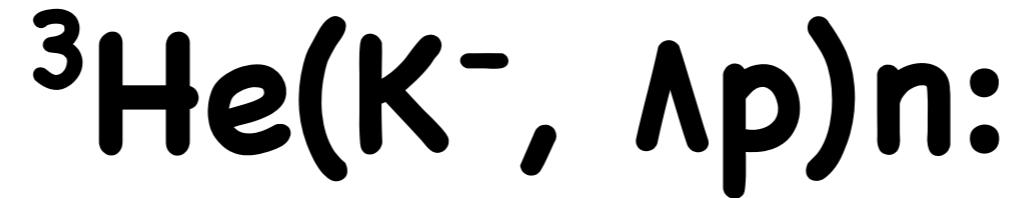


Very Preliminary

${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$: Angular Dependence



Very Preliminary



Angular Dependence of n in CM

two components exist?

if that is the case,

bound region :
forward peaking

S-wave would be OK
weakly depend to $\cos\theta$

unbound region :
very forward peaking

bit strongly depend to $\cos\theta$
lower Q_K preferred

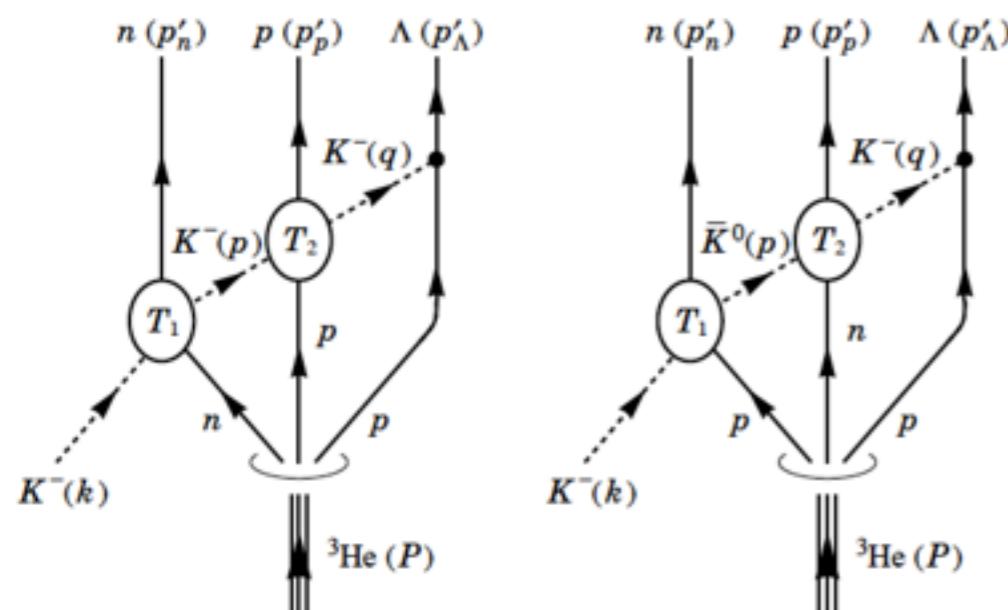
typical momentum transfer $Q_K \sim 400 \text{ MeV}/c$

$^3\text{He}(K^-, \Lambda p)n$:

Not like semi-inclusive spectrum,
“quasi-free K” excluded by the final state: Λpn ,
but still need to ask ...

Structure can be explained with
quasi-elastic K scattering?

through uncorrelated $\Lambda(1405)p$ channel



Sekihara Oset Ramos

PTEP

Prog. Theor. Exp. Phys. 2013, 00000 (27 pages)
DOI: 10.1093/ptep/0000000000

On the structure observed in the in-flight
 $^3\text{He}(K^-, \Lambda p)n$ reaction at J-PARC

Takayasu Sekihara^{1,*}, Eulogio Oset², and Angels Ramos³

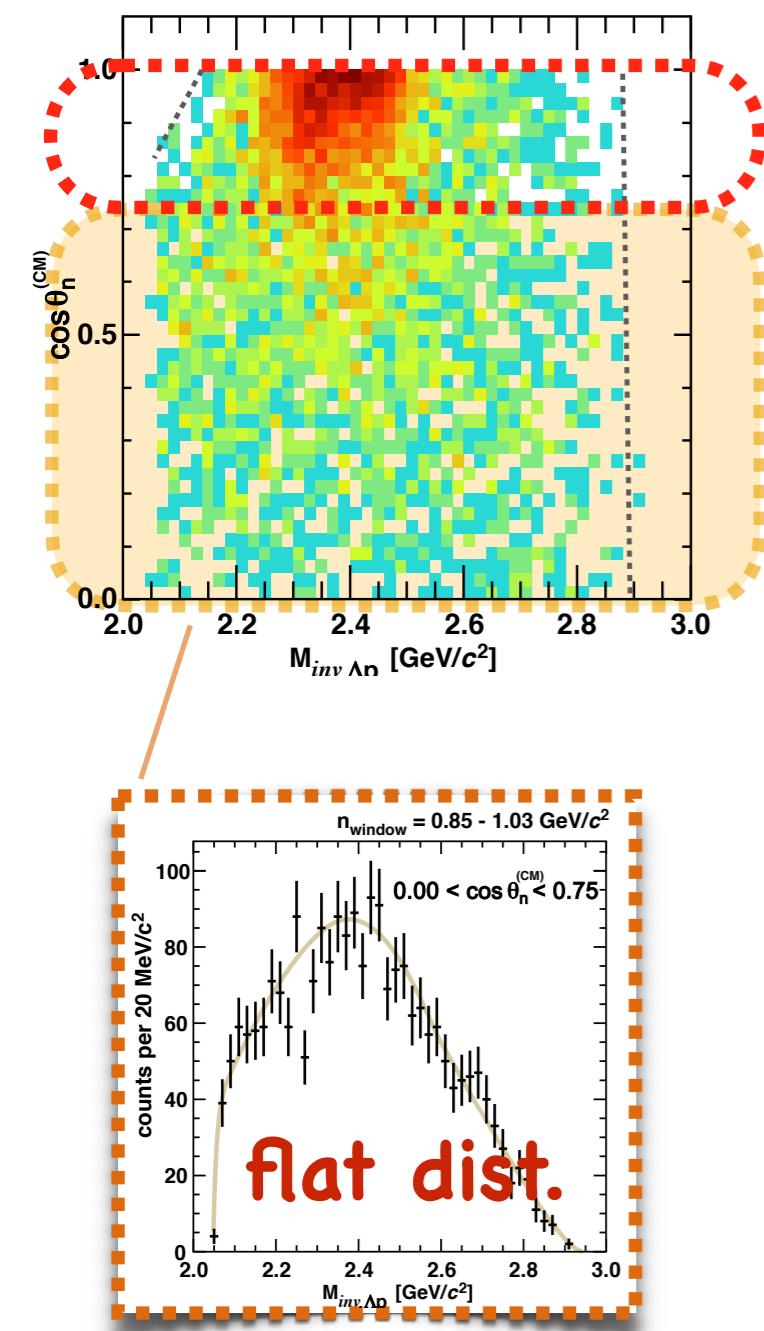
¹Advanced Science Research Center, Japan Atomic Energy Agency, Shirakata, Tokai, Ibaraki, 319-1195, Japan

²Departamento de Física Teórica and IFIC, Centro Mixto Universidad de Valencia-CSIC, Institutos de Investigación de Paterna, Aptdo. 22085, 46071 Valencia, Spain

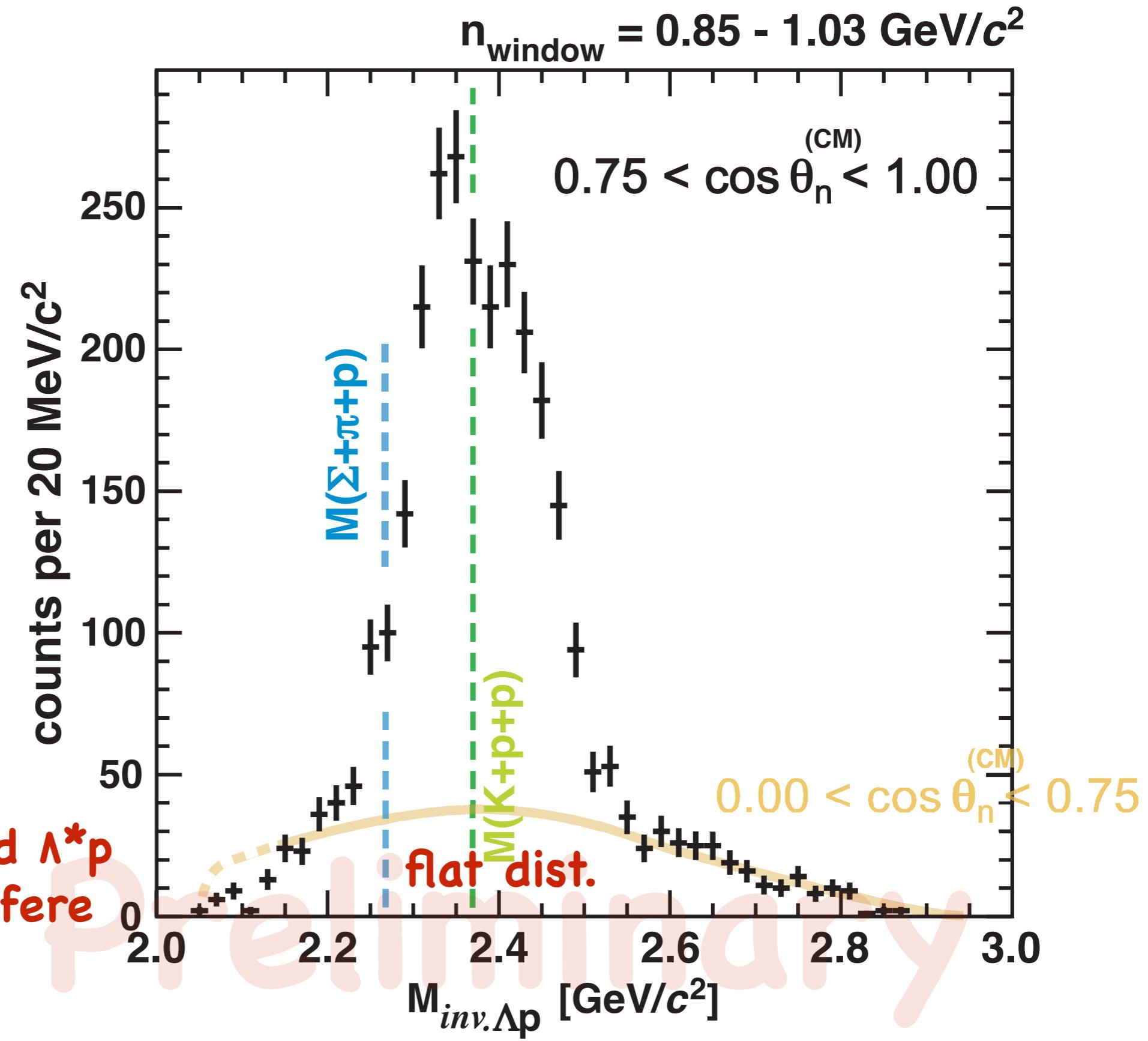
³Departament de Física Quàntica i Astrofísica and Institut de Ciències del Cosmos, Universitat de Barcelona, Martí i Franquès 1, 08028 Barcelona, Spain

*E-mail: sekihara@post.j-parc.jp

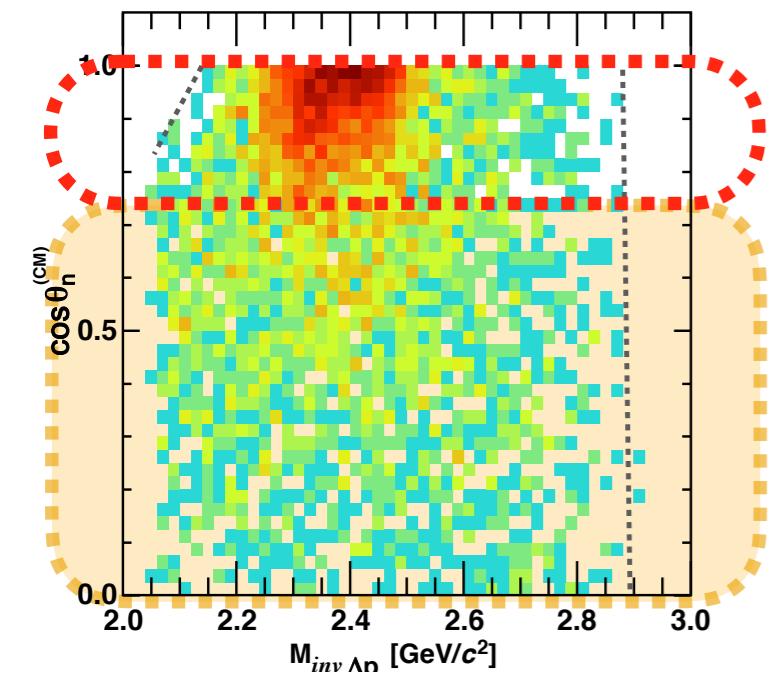
${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$:



assuming uncorrelated $\Lambda^*\text{p}$
channel do not interfere
with flat dist.

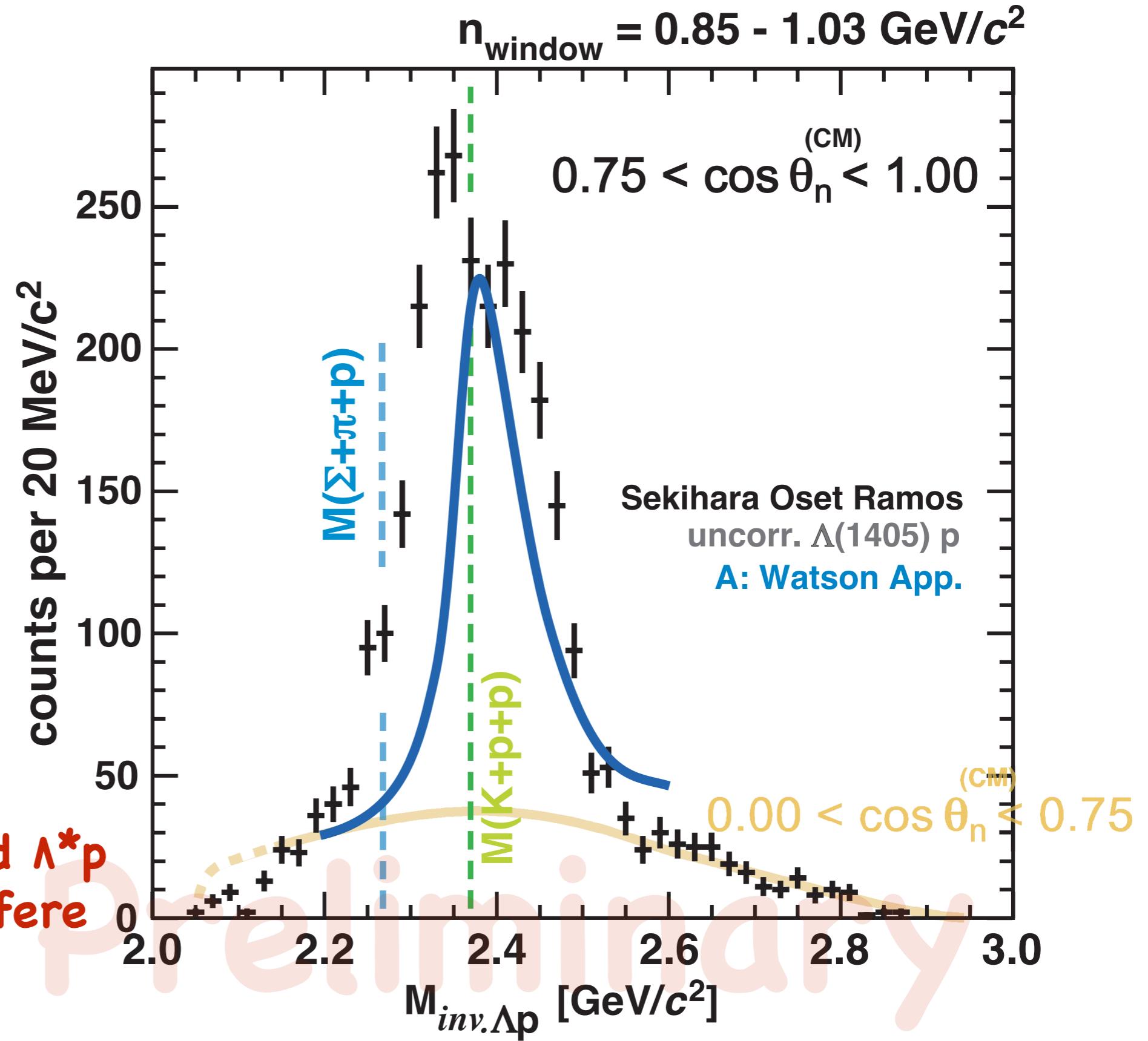


${}^3\text{He}(K^-, \Lambda p)n$: Quasi-elastic?

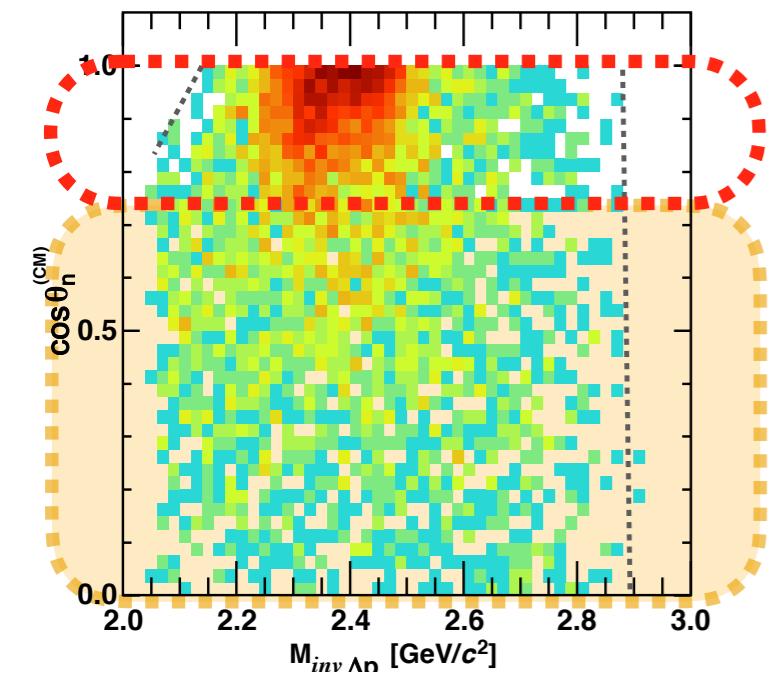


simple QE?

assuming uncorrelated $\Lambda^* p$
channel do not interfere
with flat dist.

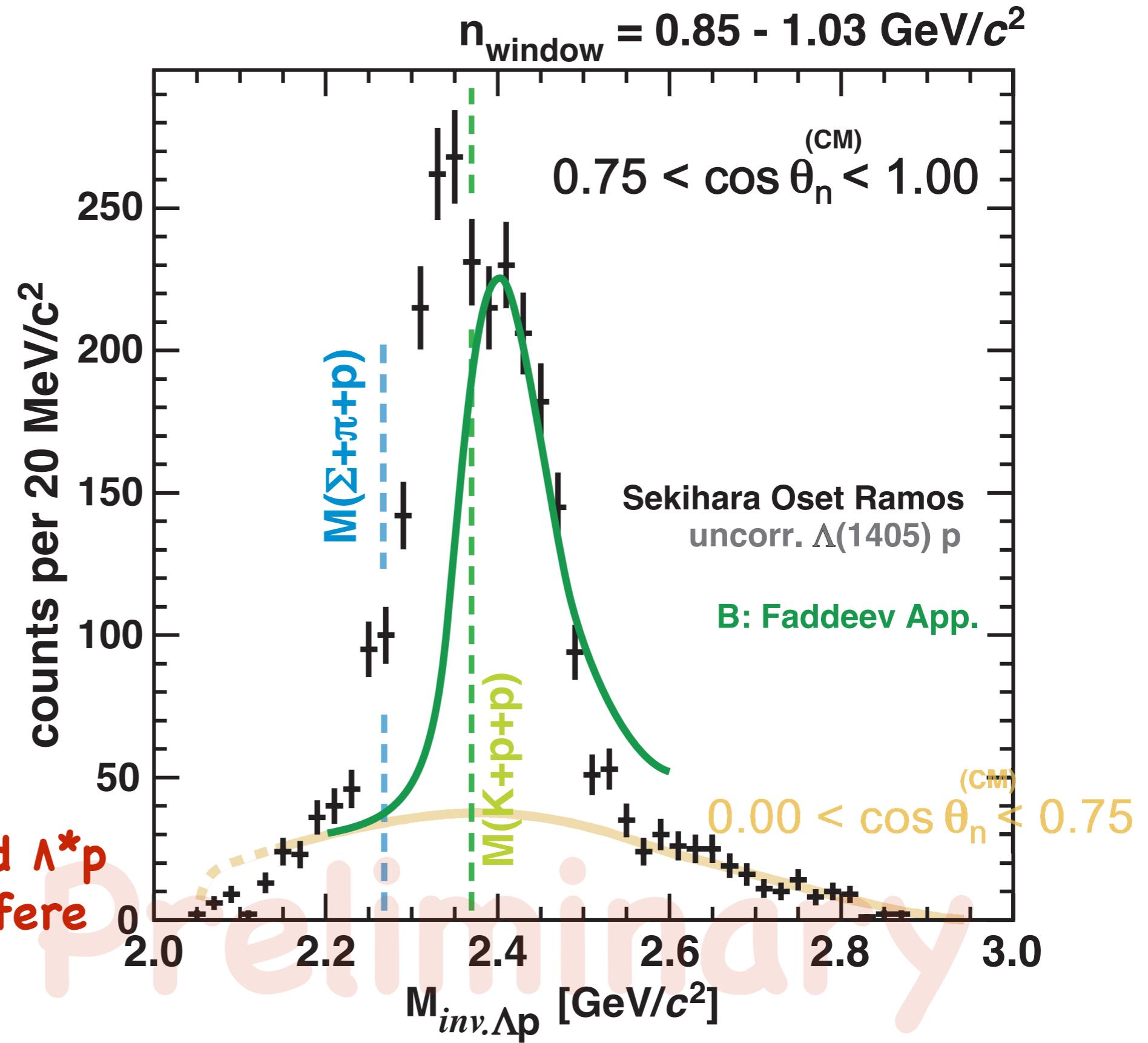


${}^3\text{He}(K^-, \Lambda p)n$: Quasi-elastic?



simple QE?

assuming uncorrelated $\Lambda^* p$
channel do not interfere
with flat dist.

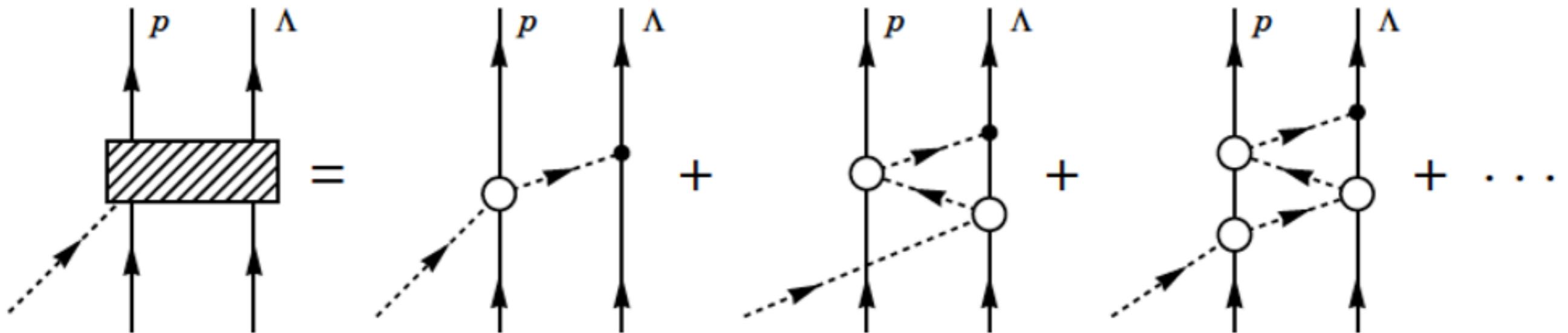


${}^3\text{He}(\text{K}^-, \Lambda p)\text{n}$:

Structure can be explained with “quasi-elastic K scattering”? \rightarrow NO!

Need deeper strength!

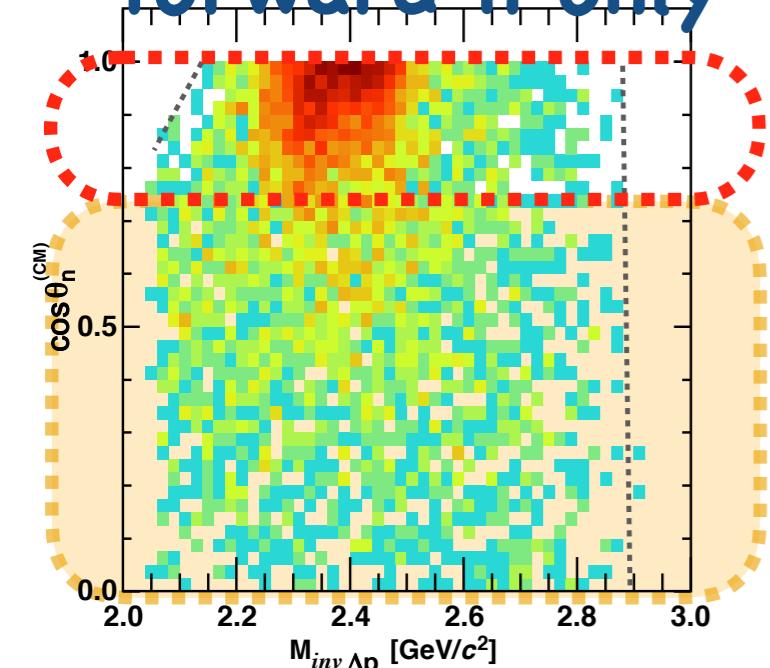
Sekihara Oset Ramos



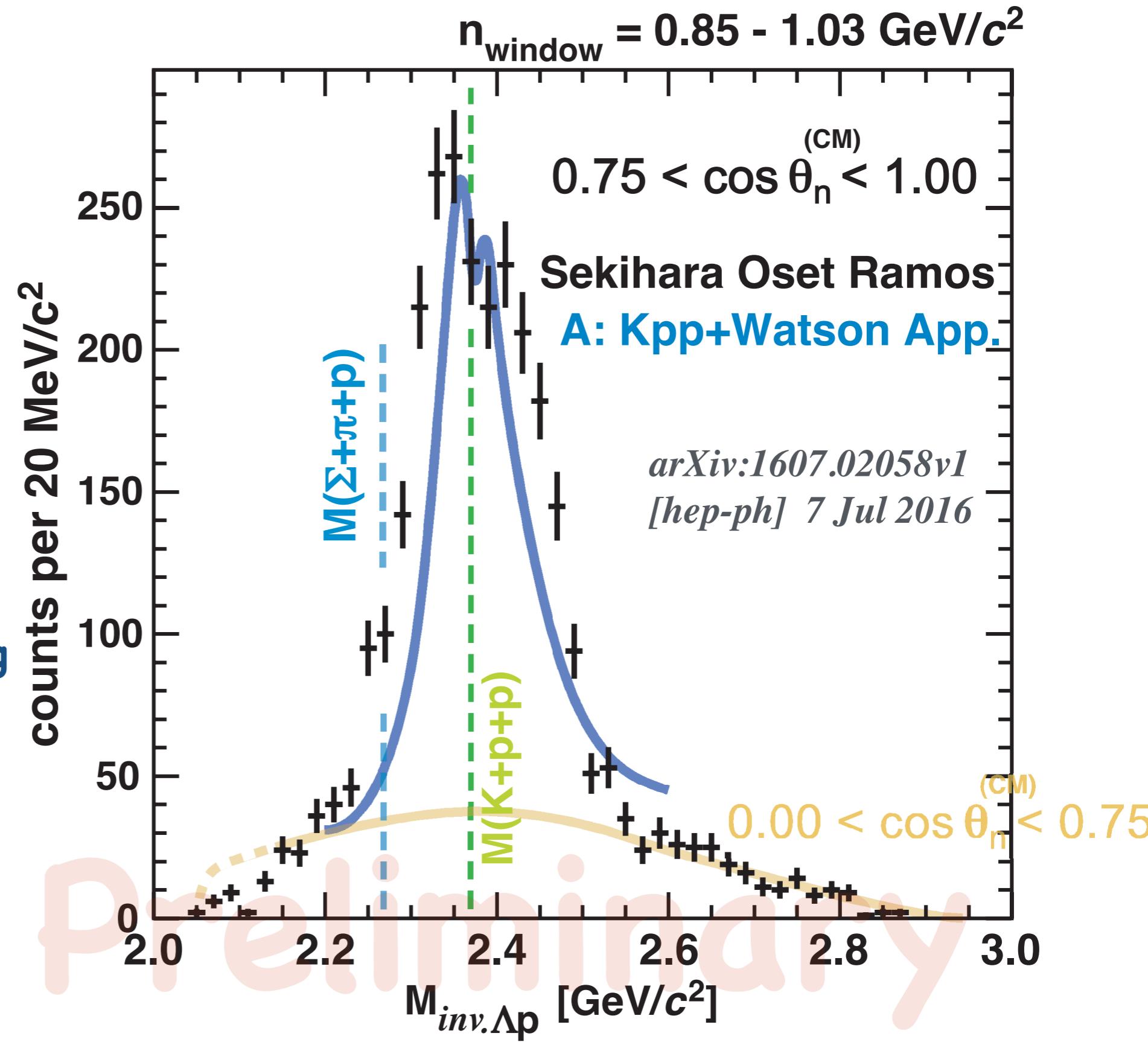
K multiple scattering = “Kpp”

${}^3\text{He}(K^-, \Lambda p)n$: comparison with SOR

forward n only



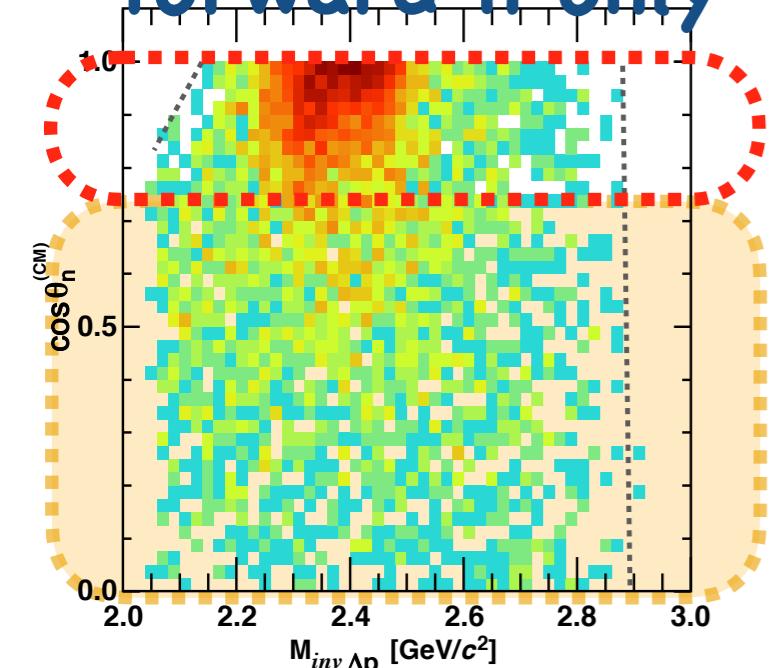
QE + "Kpp"
K multiple scattering



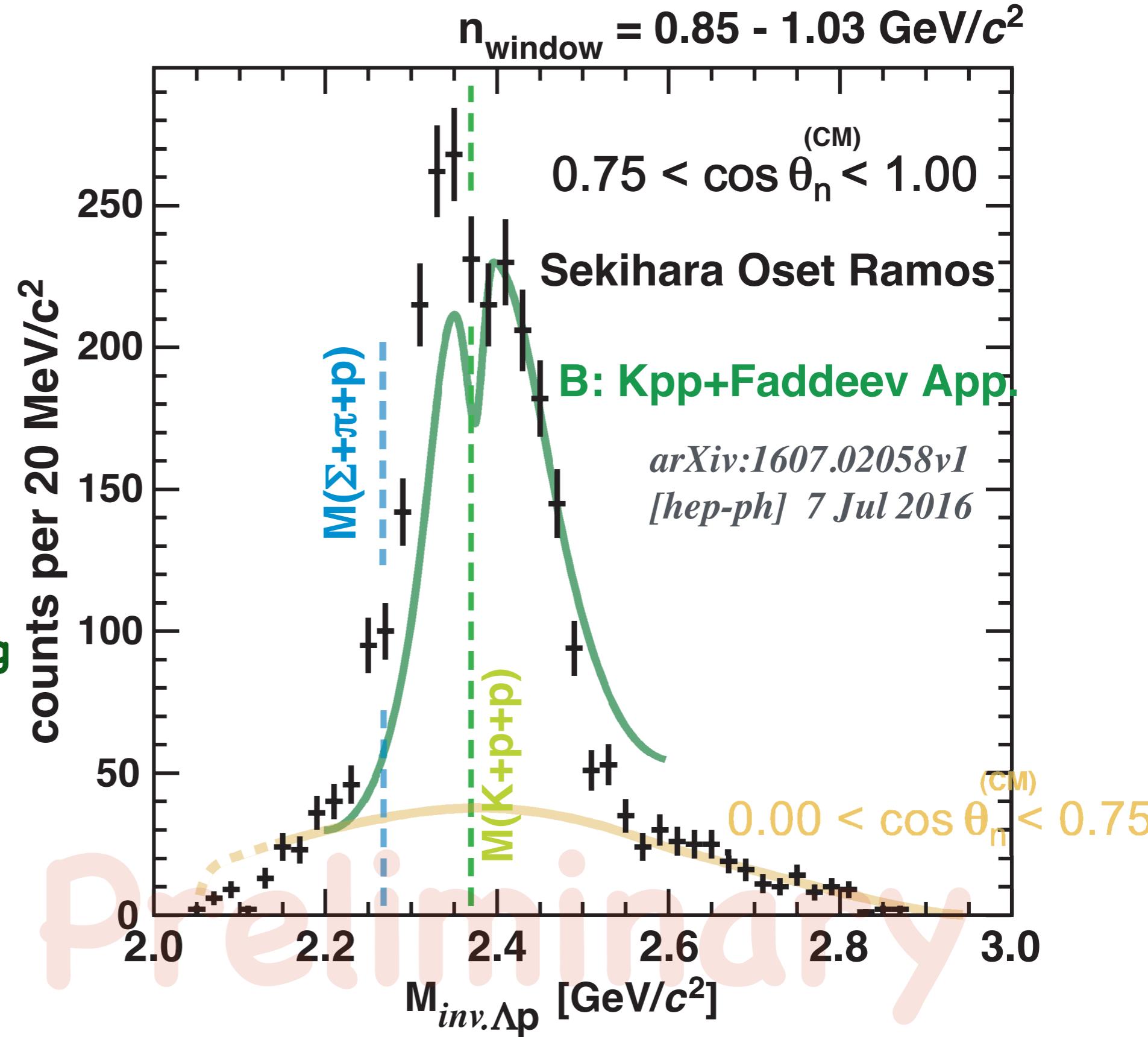
Very Preliminary

${}^3\text{He}(K^-, \Lambda p)n$: comparison with SOR

forward n only



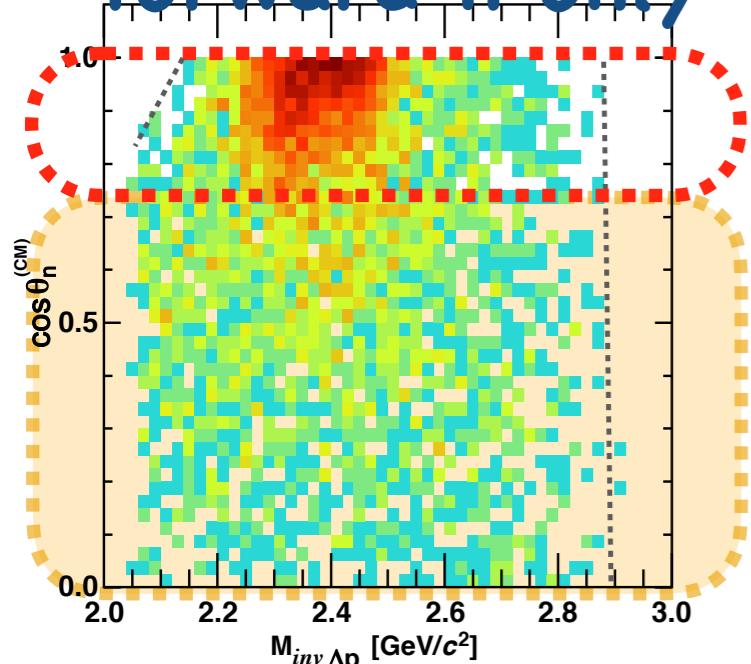
QE + “Kpp”
K multiple scattering



Very Preliminary

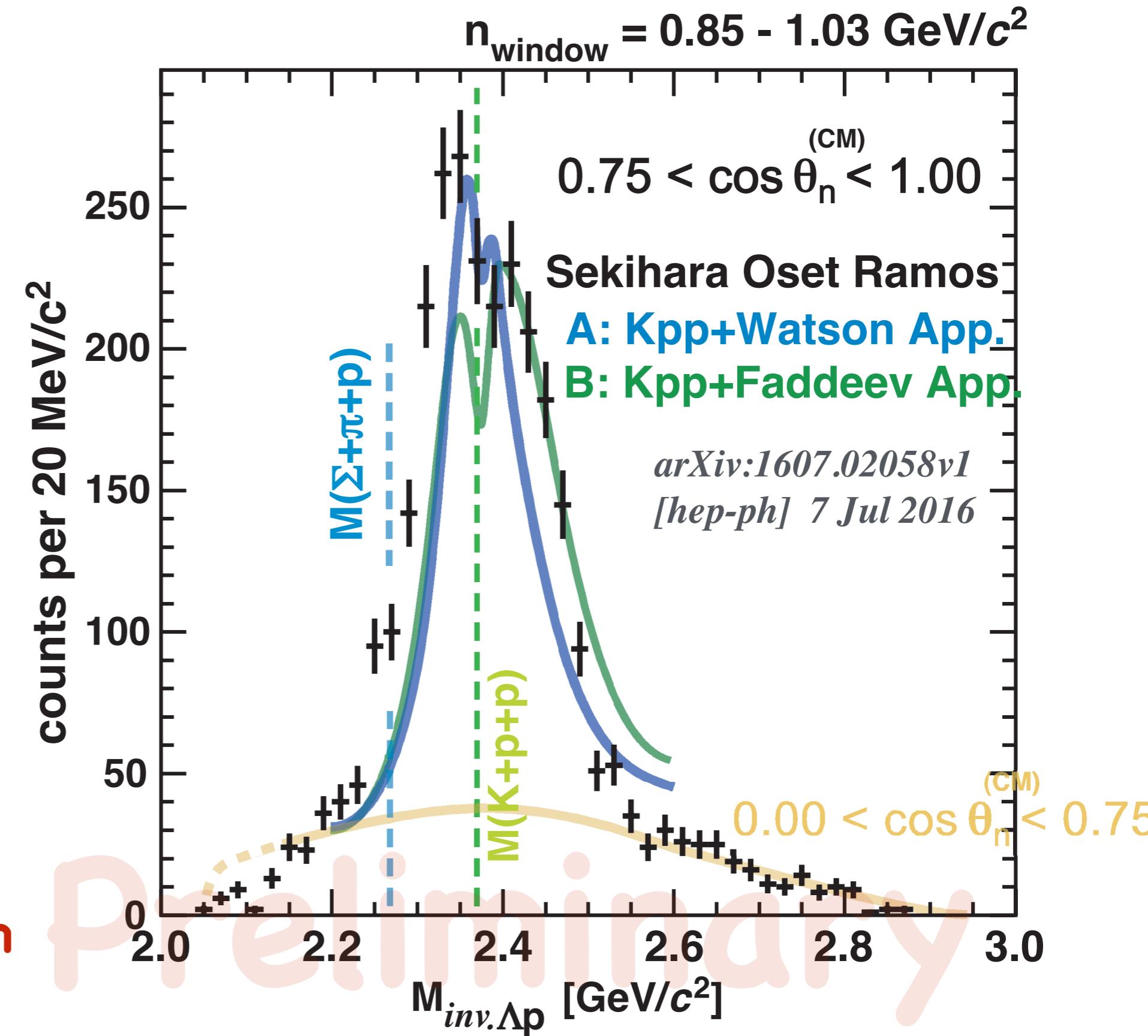
${}^3\text{He}(K^-, \Lambda p)n$: comparison with SOR

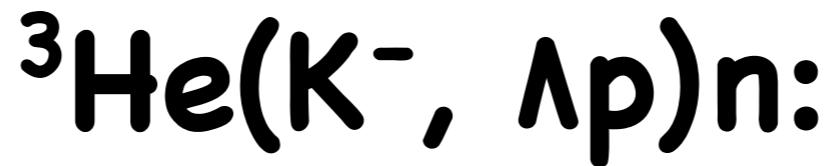
forward n only



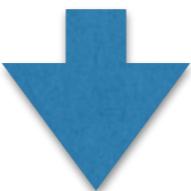
Qualitatively
in good
agreement!

calculated
without knowing
E15 2nd spectrum





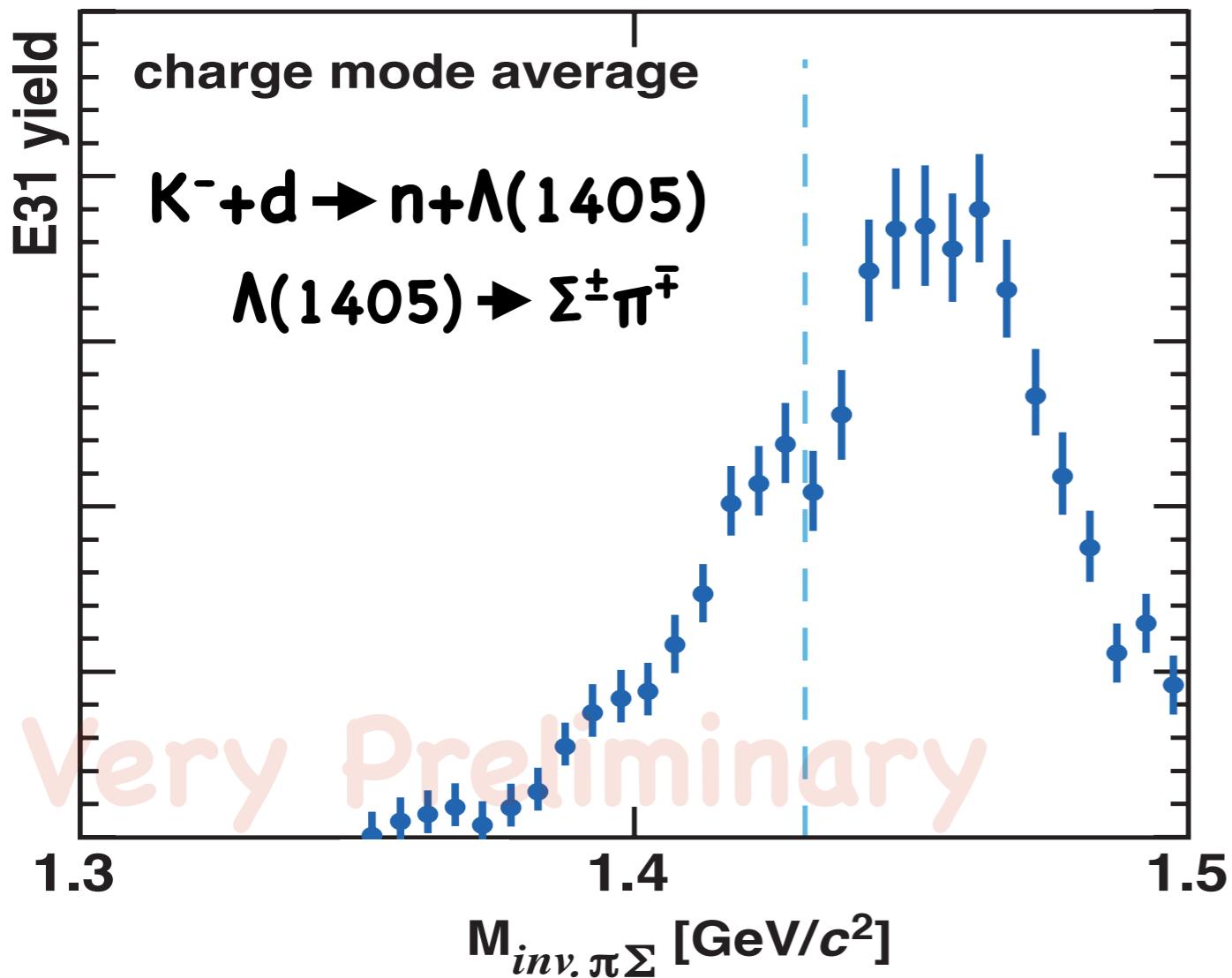
Structure can be explained with quasi-elastic K scattering & Kpp @ x -UM?



qualitatively YES! but ...

Need even deeper strength!

How to understand whole structure?

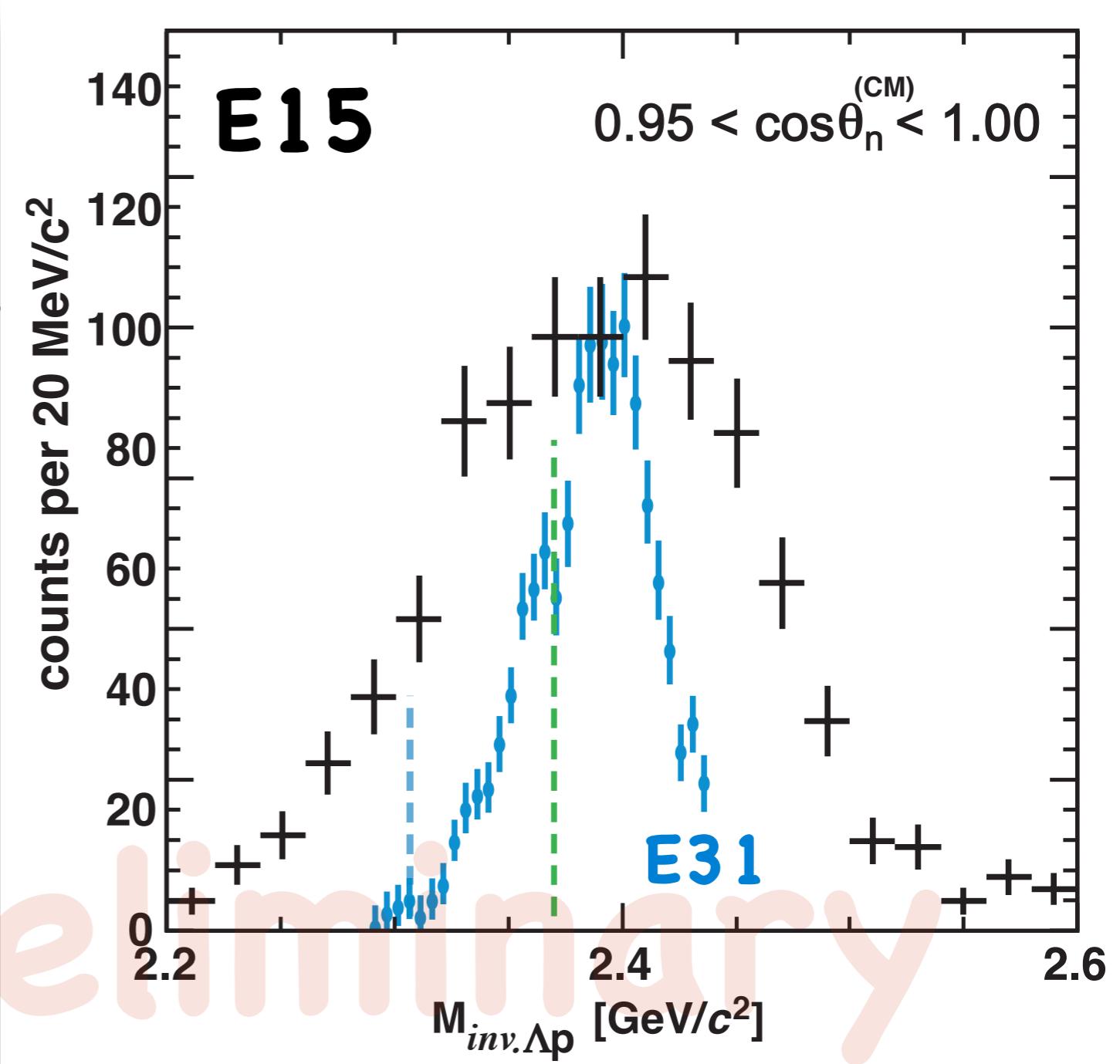
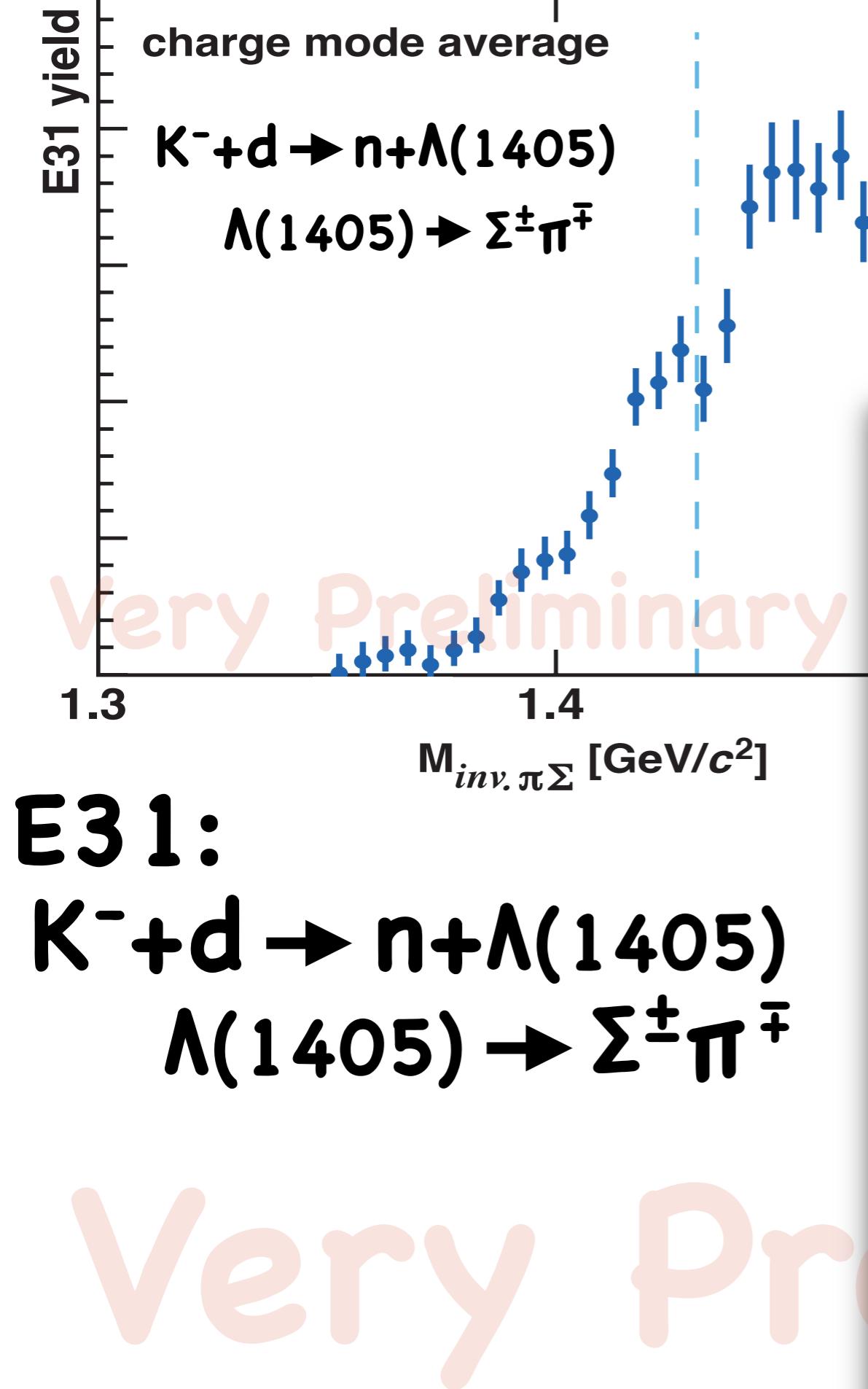


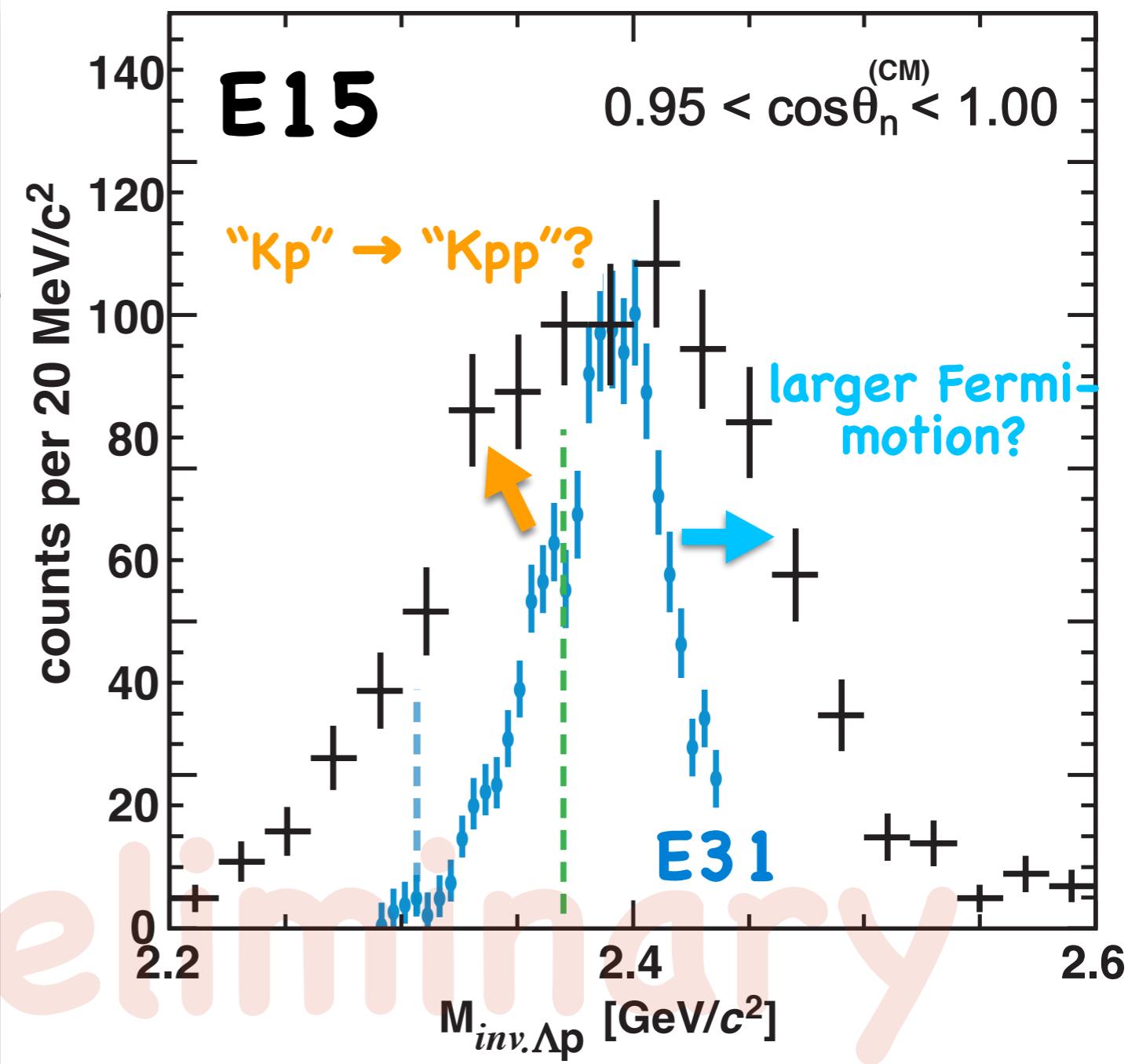
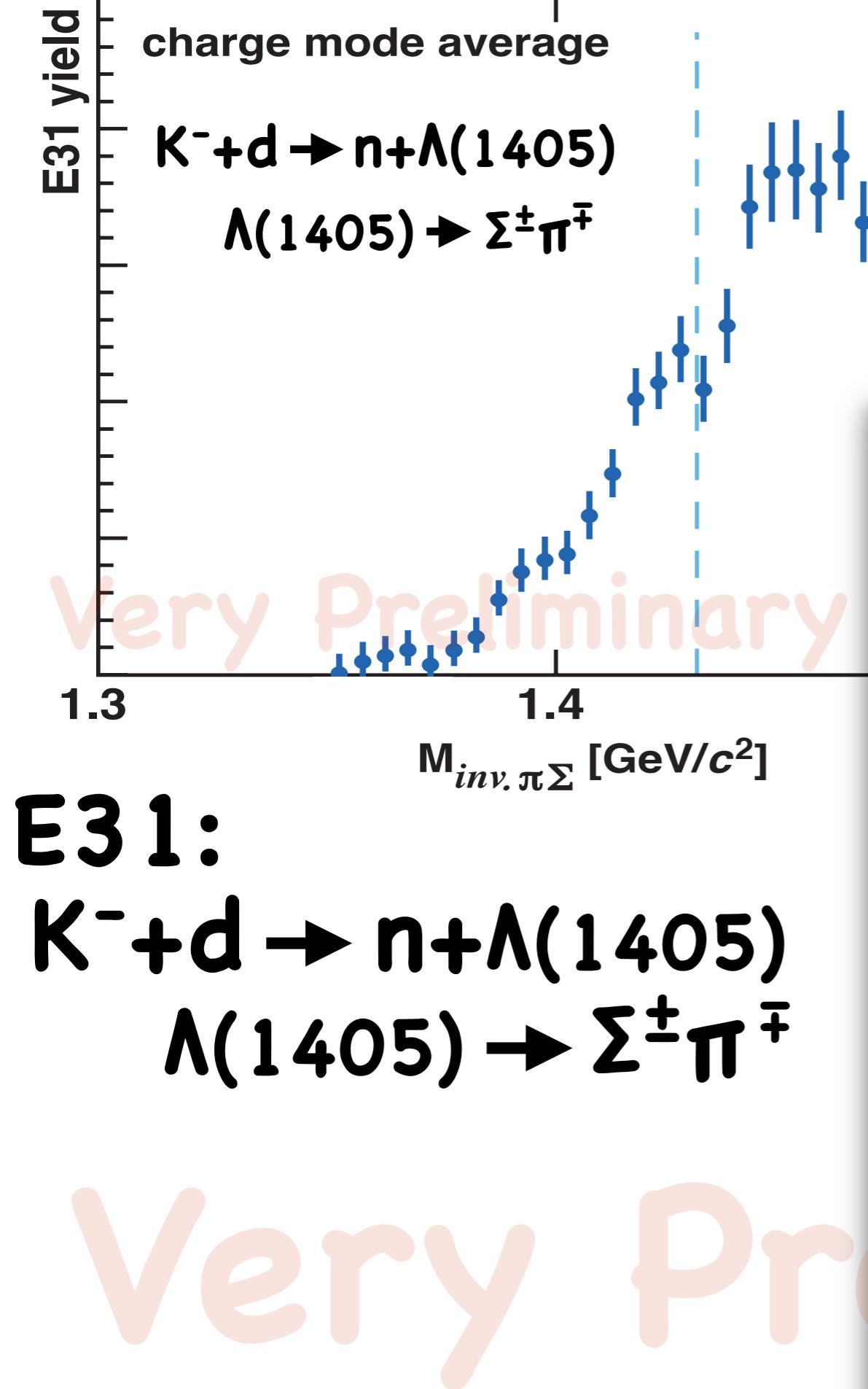
E31:

$K^- + d \rightarrow n + \Lambda(1405)$

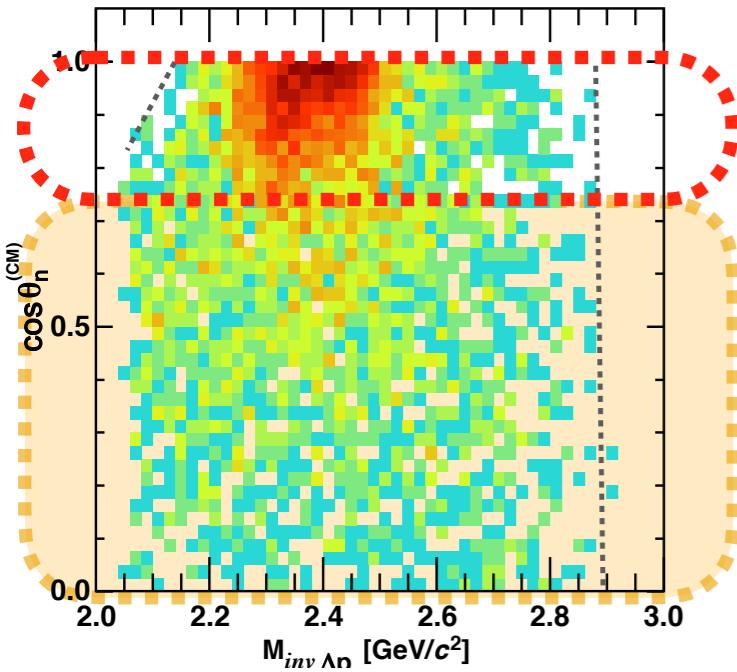
$\Lambda(1405) \rightarrow \Sigma^\pm \pi^\mp$

Very Preliminary

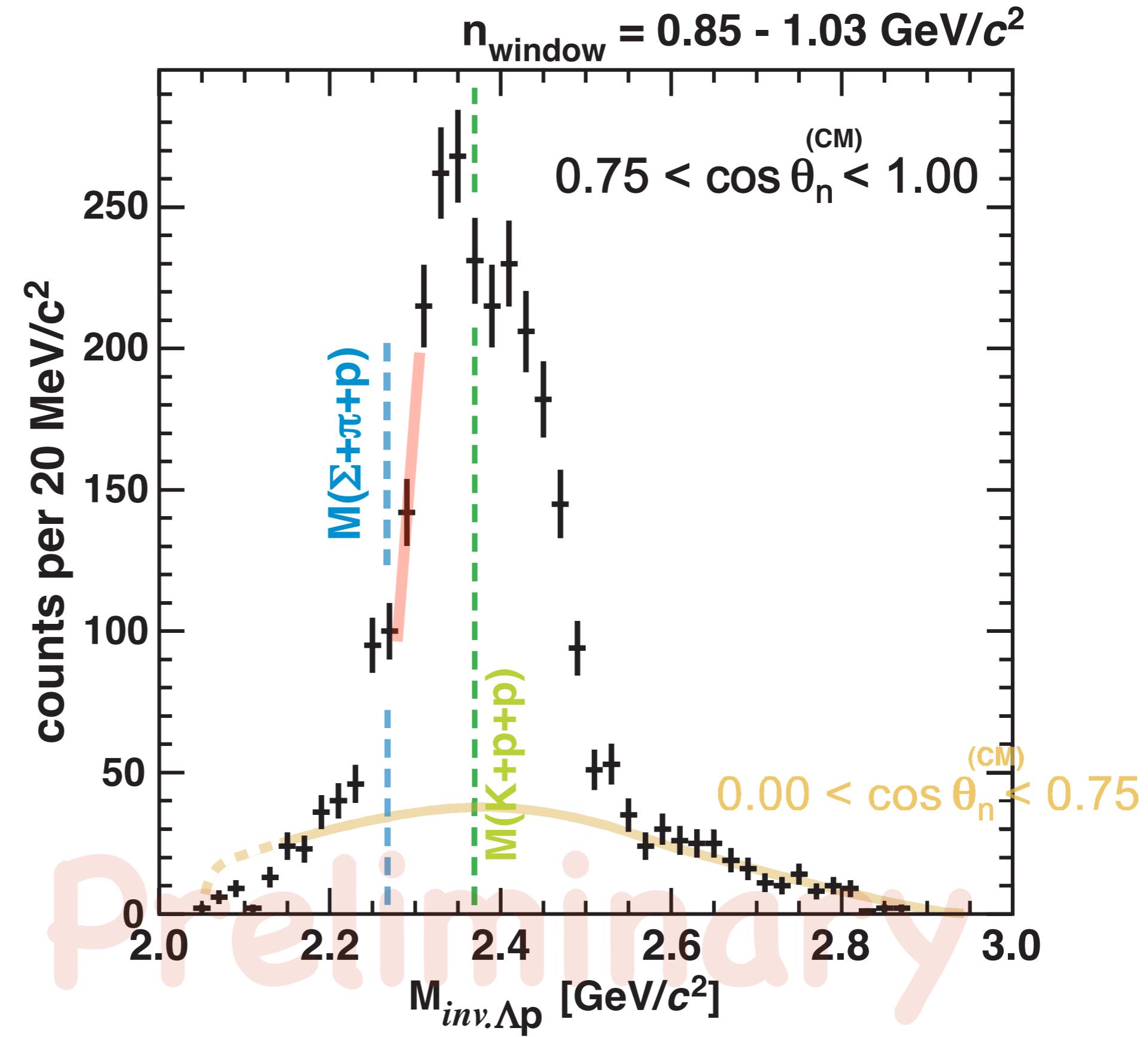




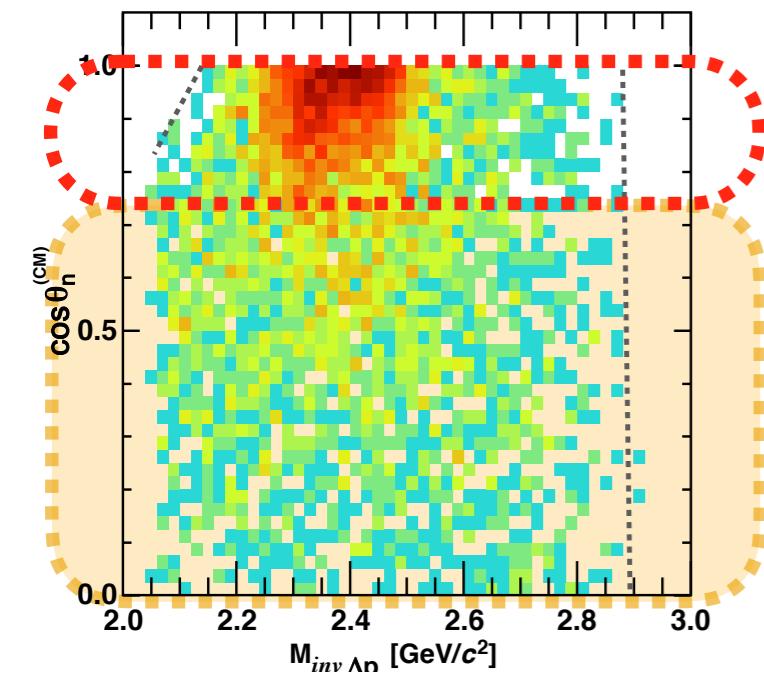
How to understand whole structure? ${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$:



from the shape of
deeper region
(sharp drop), the
structure in bound
region must be
narrow ($\sim 60\text{MeV}$)



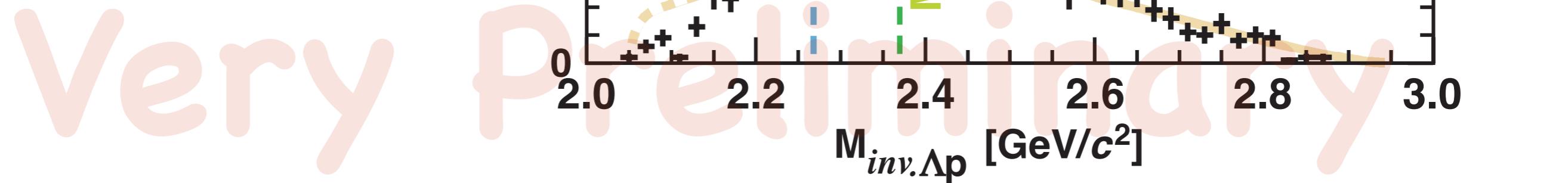
${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$: QE + ?



simple QE

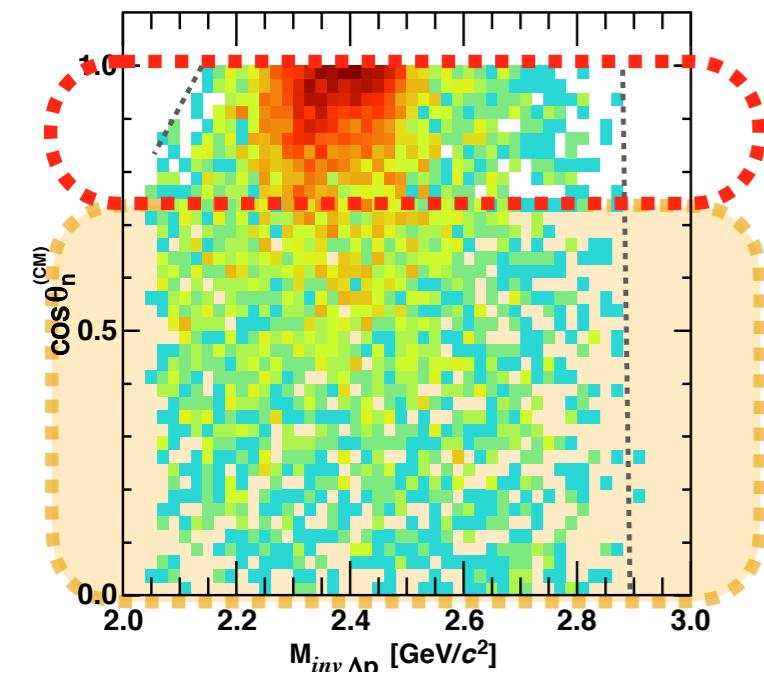
+

?



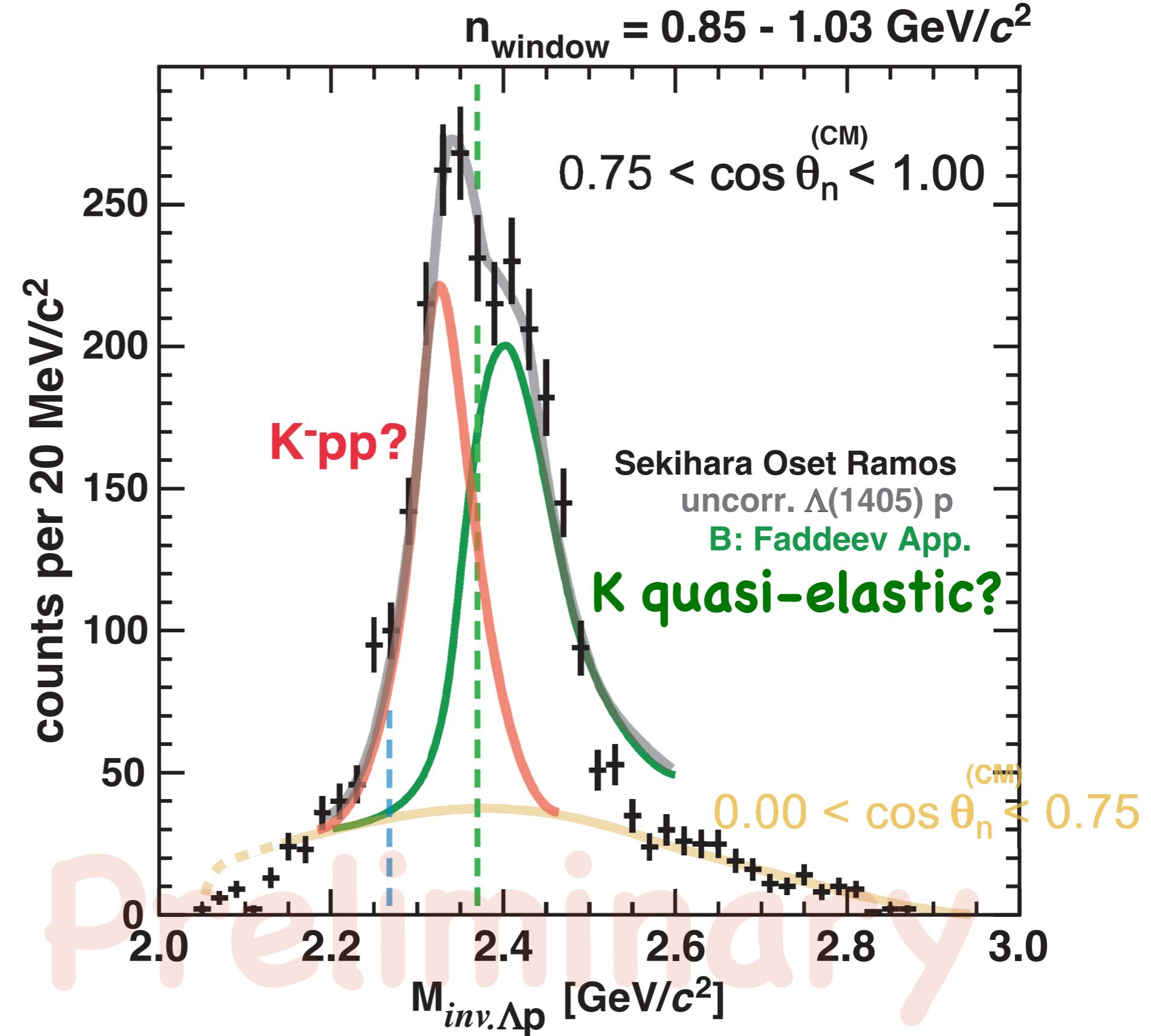
Very Preliminary

${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$: QE + Kpp

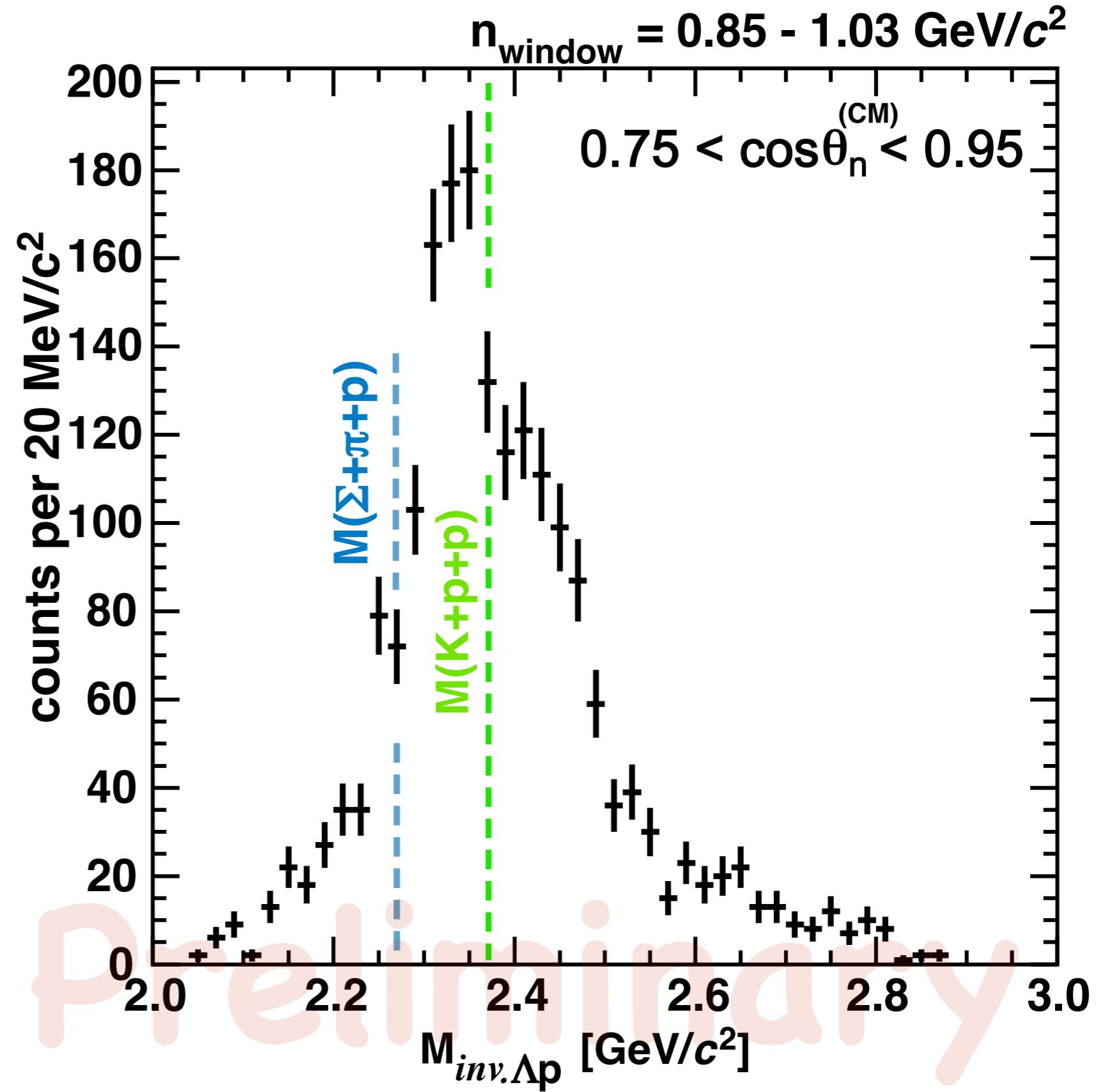
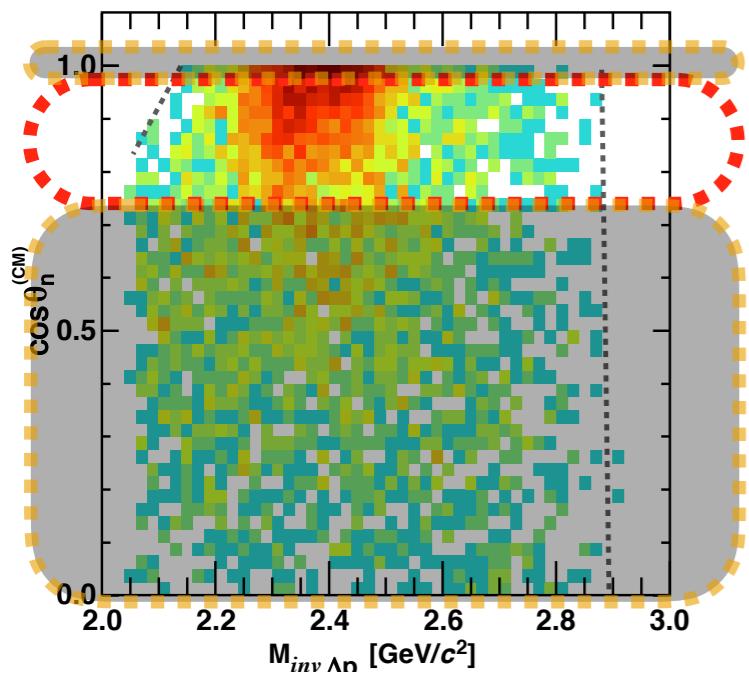


simple QE
+
Kpp?
if we can neglect
interference

rather deep &
narrow in width

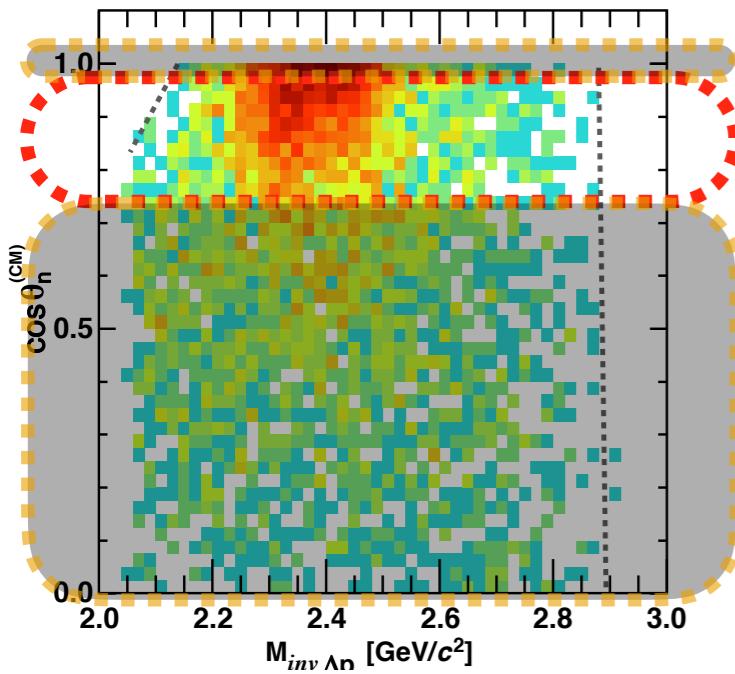


$^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$:

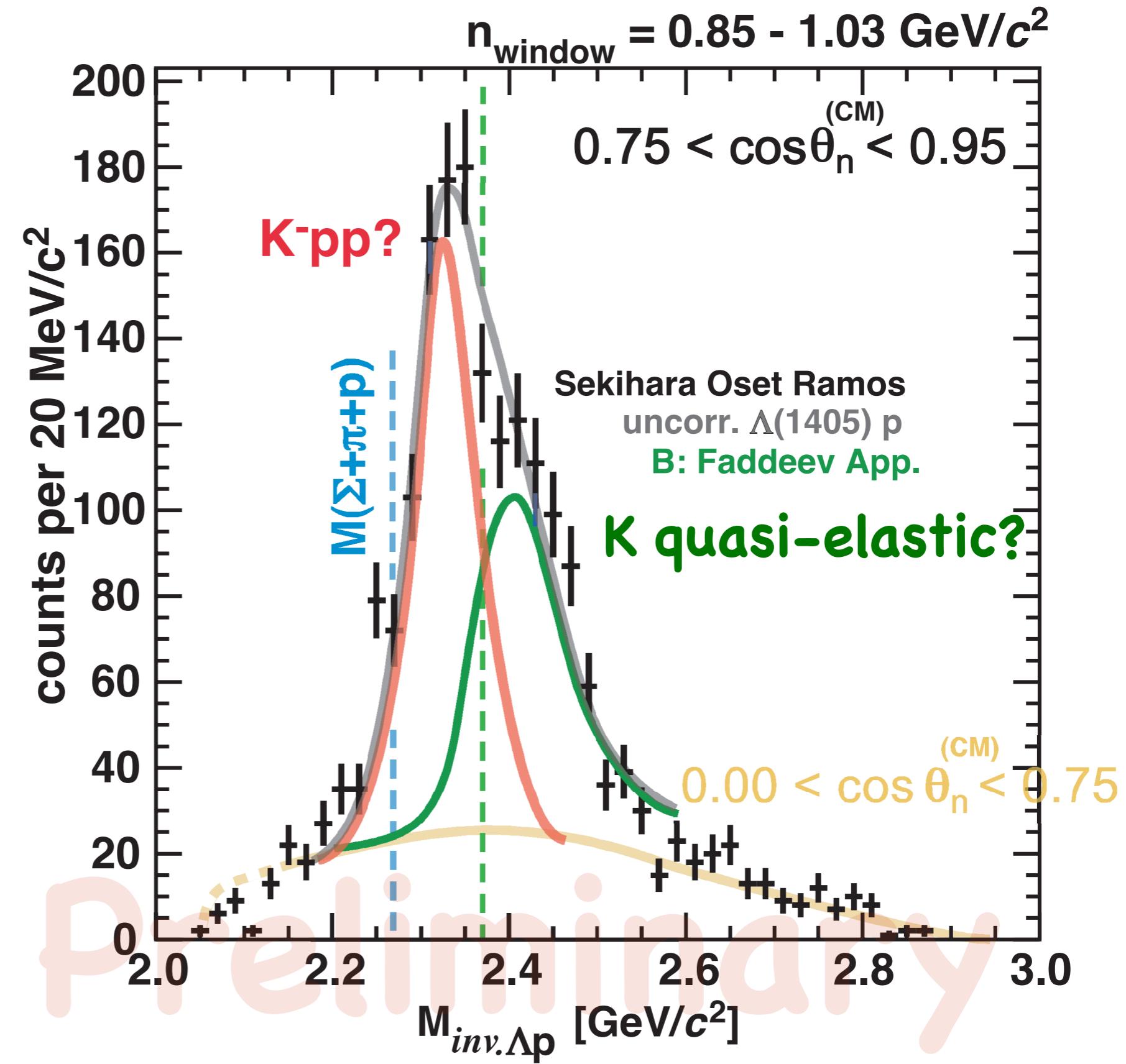


Very Preliminary

${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$:



if we can neglect
interference
rather deep &
narrow in width
could be OK



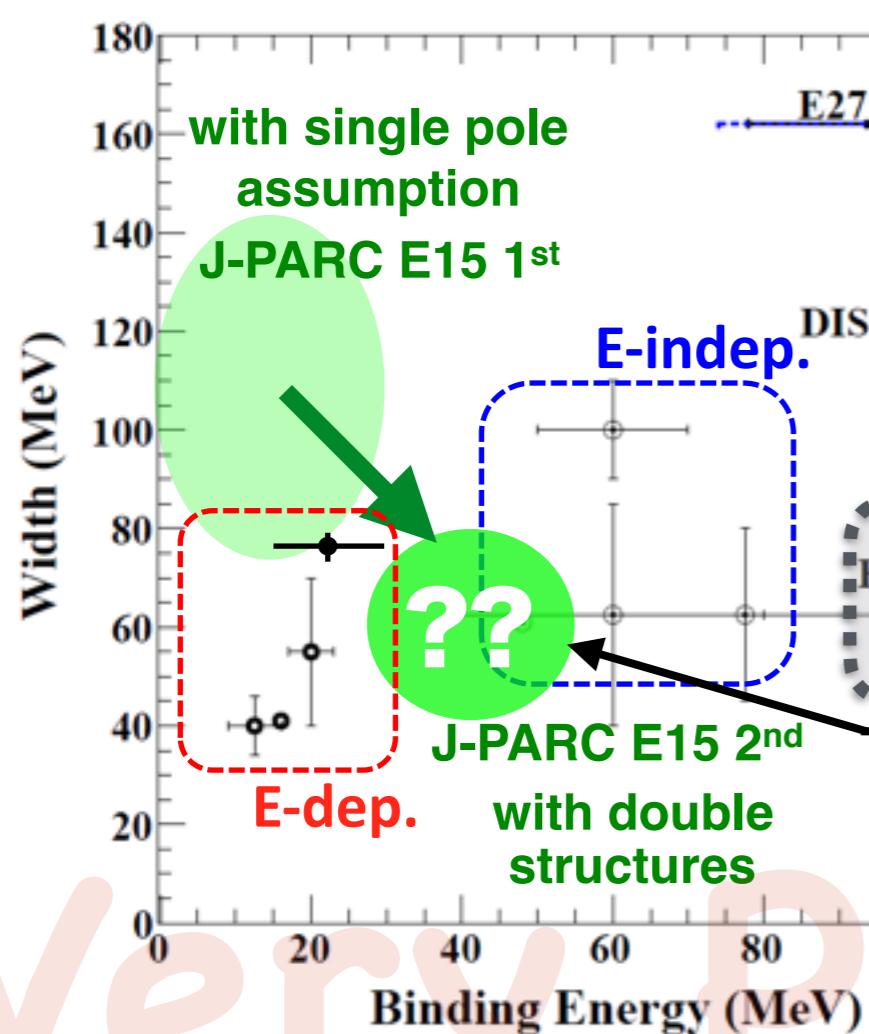
Recent status of $K^- pp$ bound state

◆ Recent results

► Theoretical calc.

$\bar{K}N$ interaction model

E-dep. / E-indep.



► Experiments

Reports structure

NO structure

LEPS

$p(\gamma, \pi^- K^+)X$

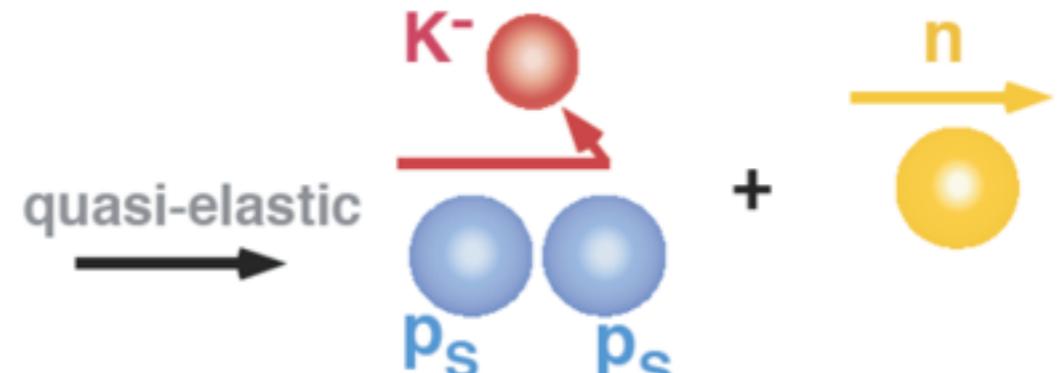
HADES

$pp \rightarrow \Lambda p K^+$

FINUDA ?

could be the first convincing data
... after a long journey ...

Summary



low q_K is key for the formation

first convincing $K\Lambda$ signal

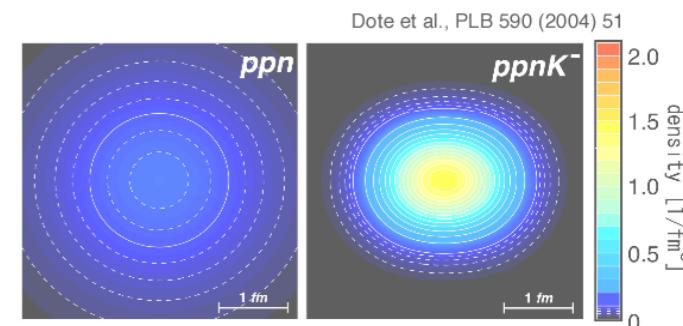
probably, $B_K \sim 100$ MeV would be excluded

compact system ?

$Q_K \sim 400$ MeV/c $\rightarrow \sim 0.5$ fm?

deeper than χ -UM ?

cf. arXiv:1607.02058 $\rightarrow M_{\Lambda p} = 2354 - 36i$ MeV



$B(K)$ ~ 15 MeV
 $\Gamma(K)$ ~ 70 MeV

what needed to be finalize?



what is flat dist. over Dalitz?

Λpn

finish analysis, including $E31$?

full kinematical refit / angular distributions ...

further theoretical inputs?

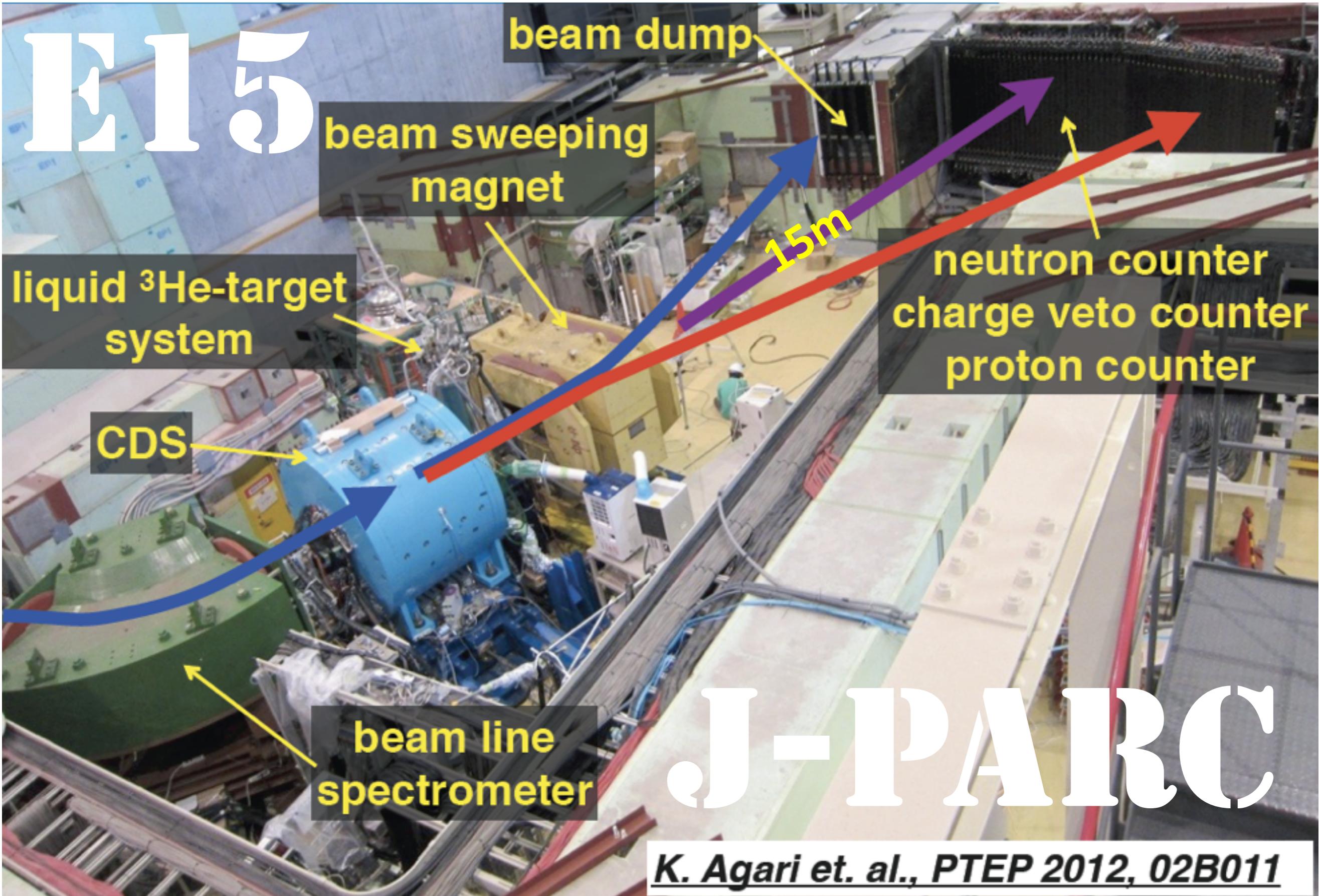
J^P ?

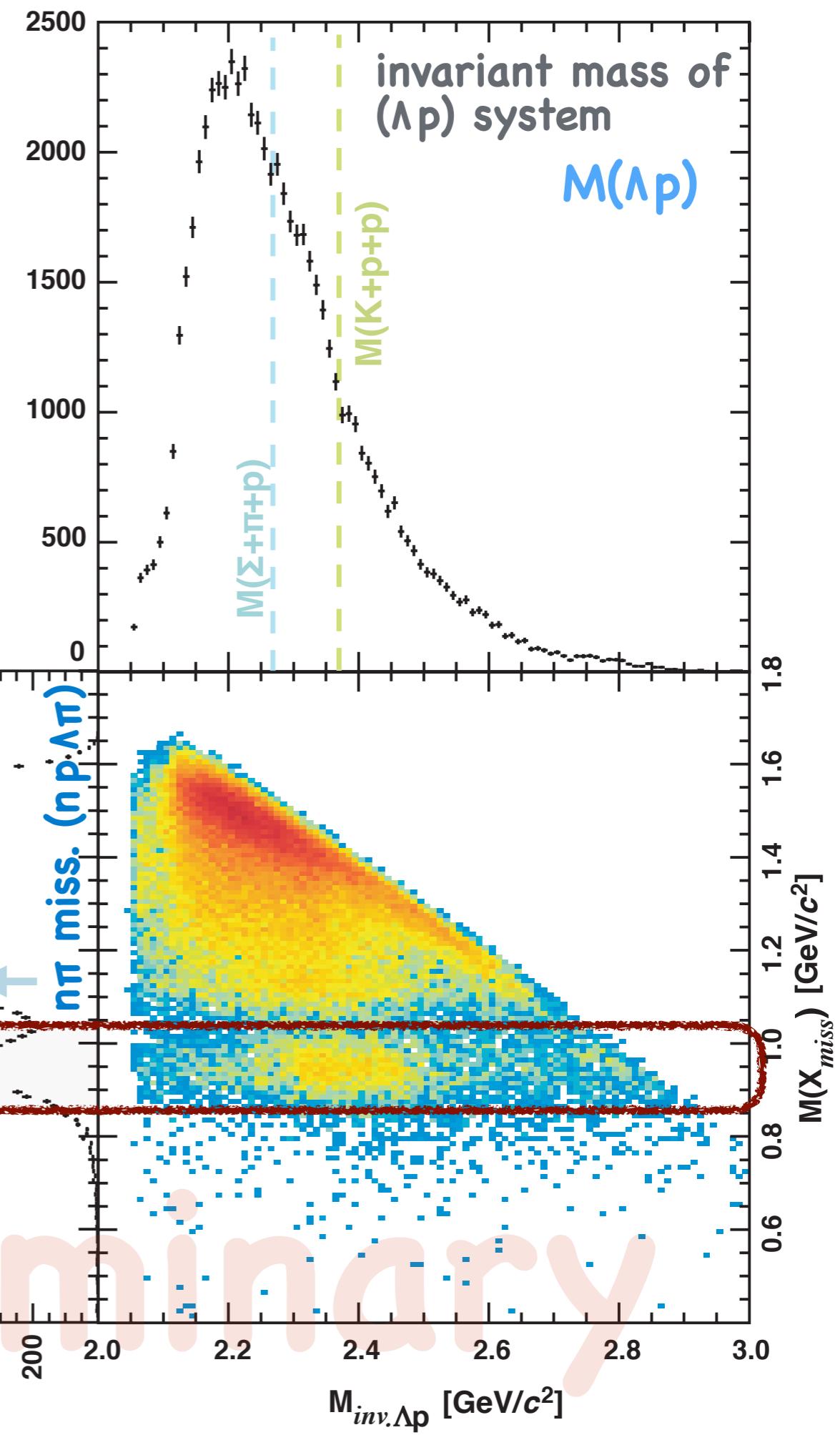
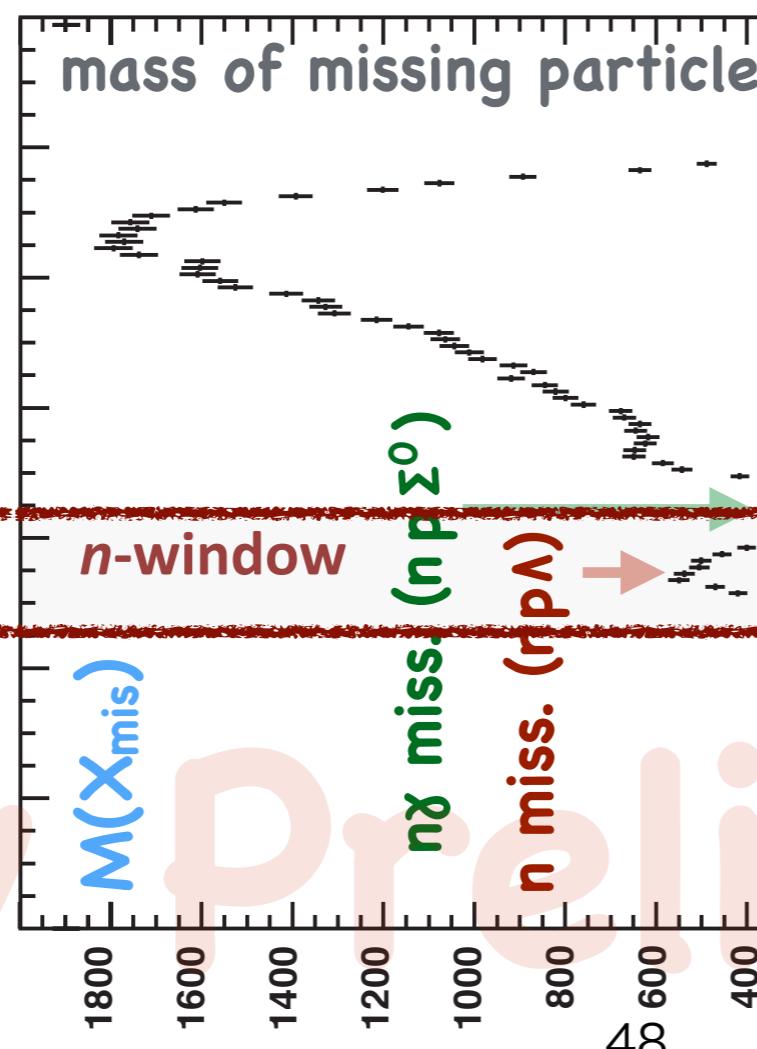
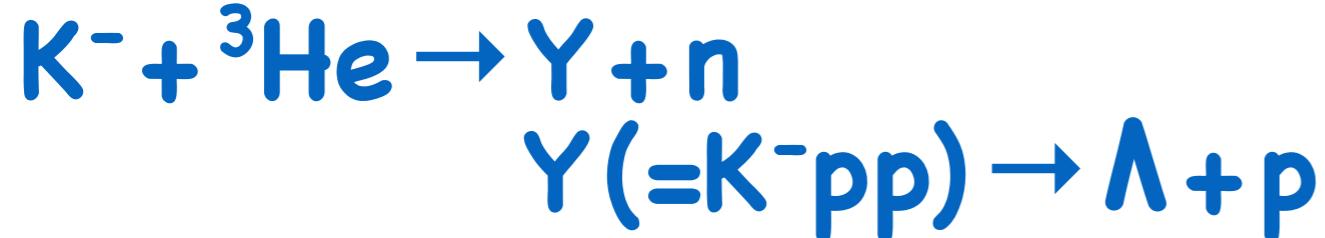
examine other possibilities: uncorrelated $\Sigma^* p$?



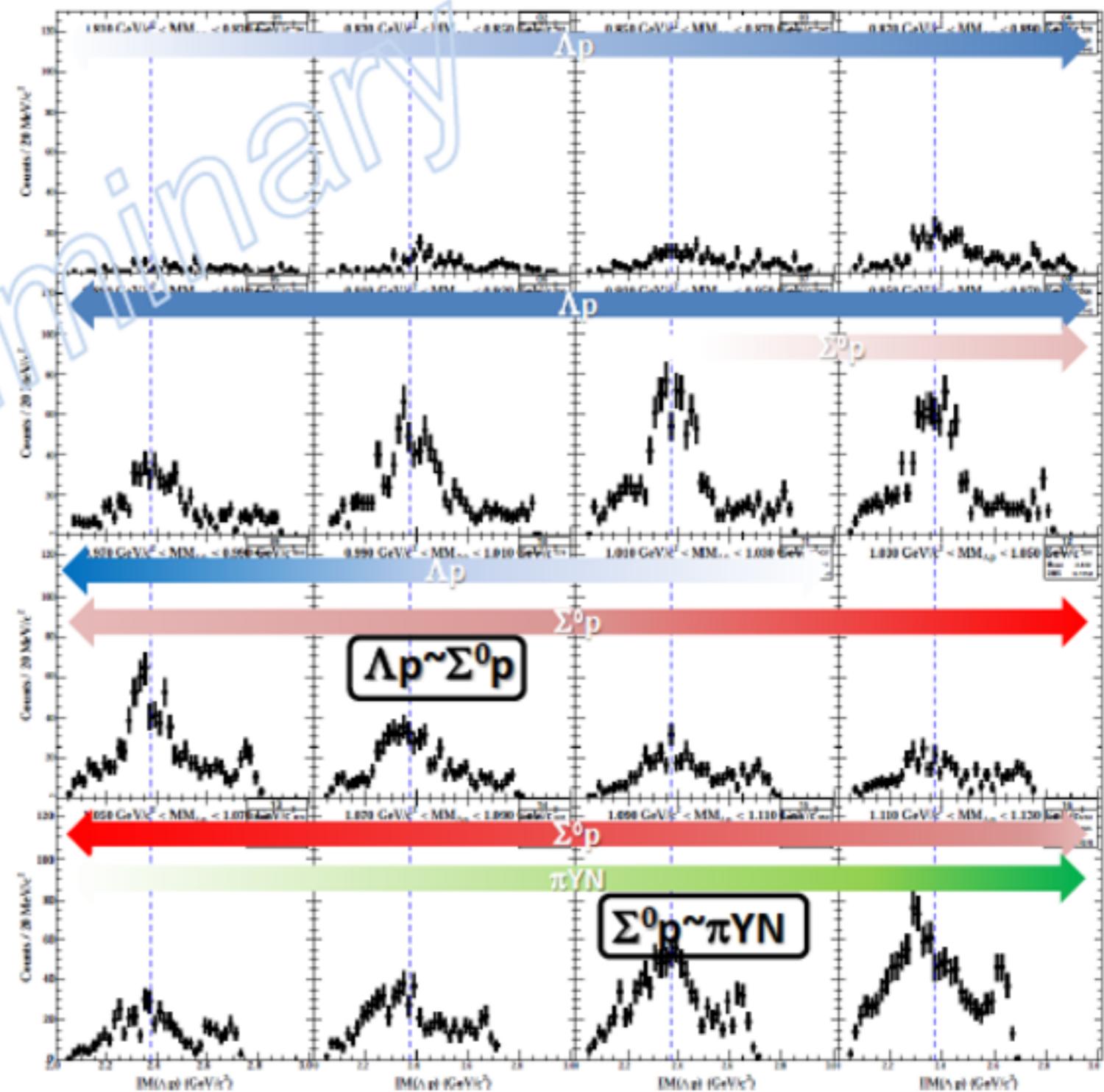
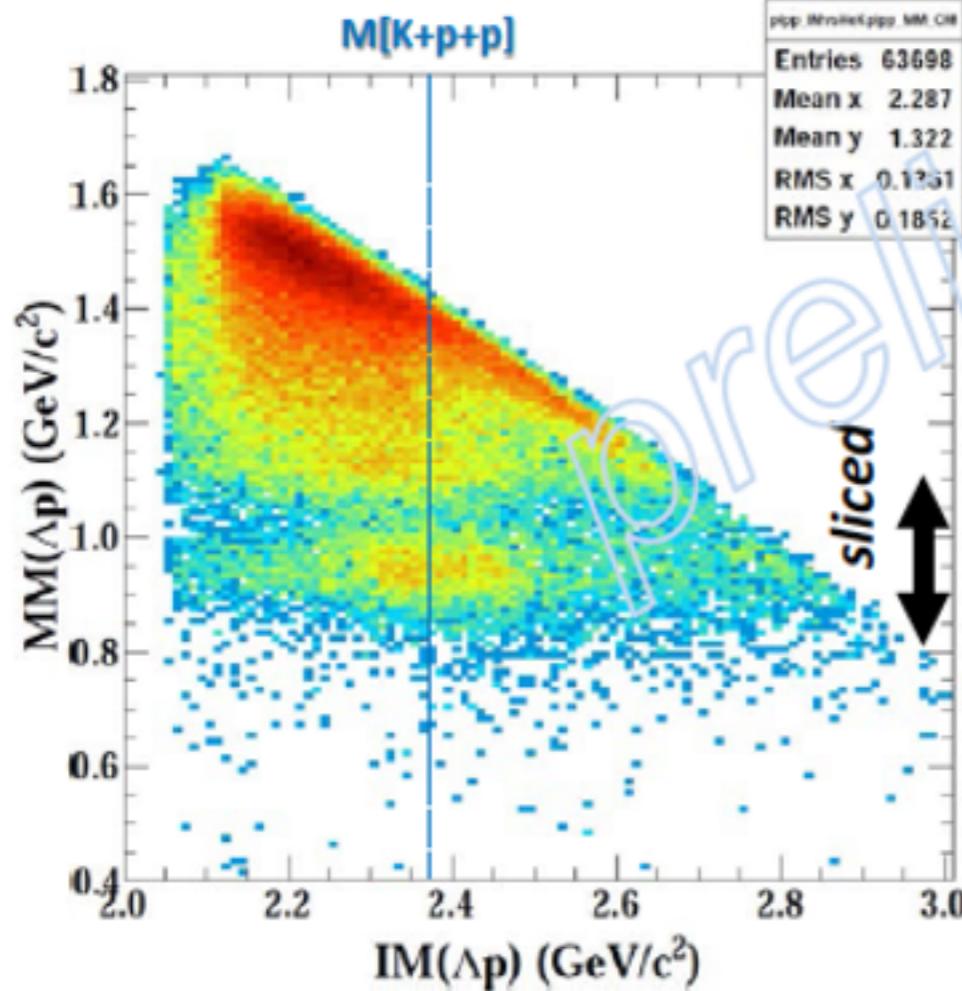
BACKUPS

E15



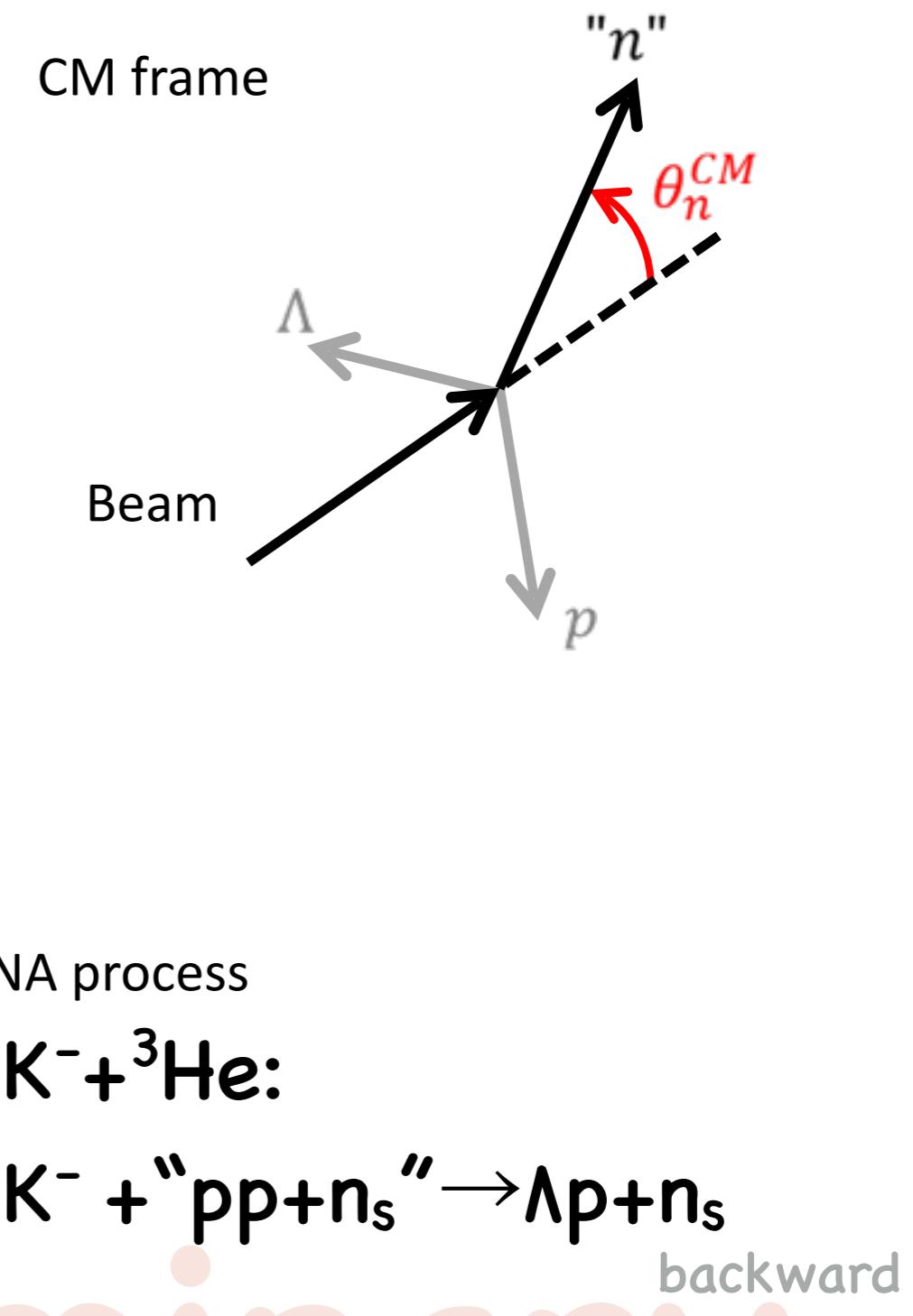
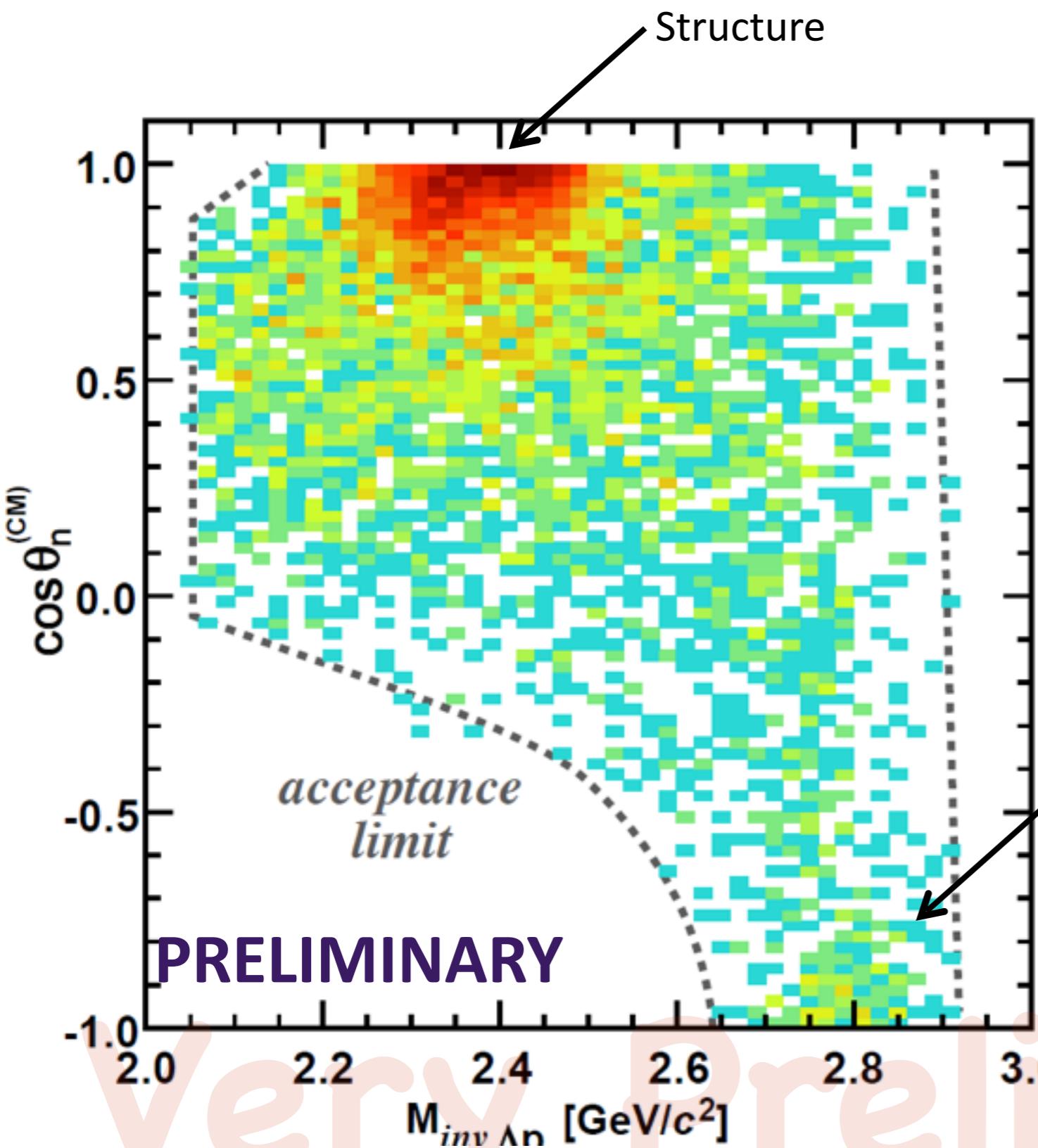


$^3\text{He}(\text{K}^-, \Lambda p)n$: Decay Channel

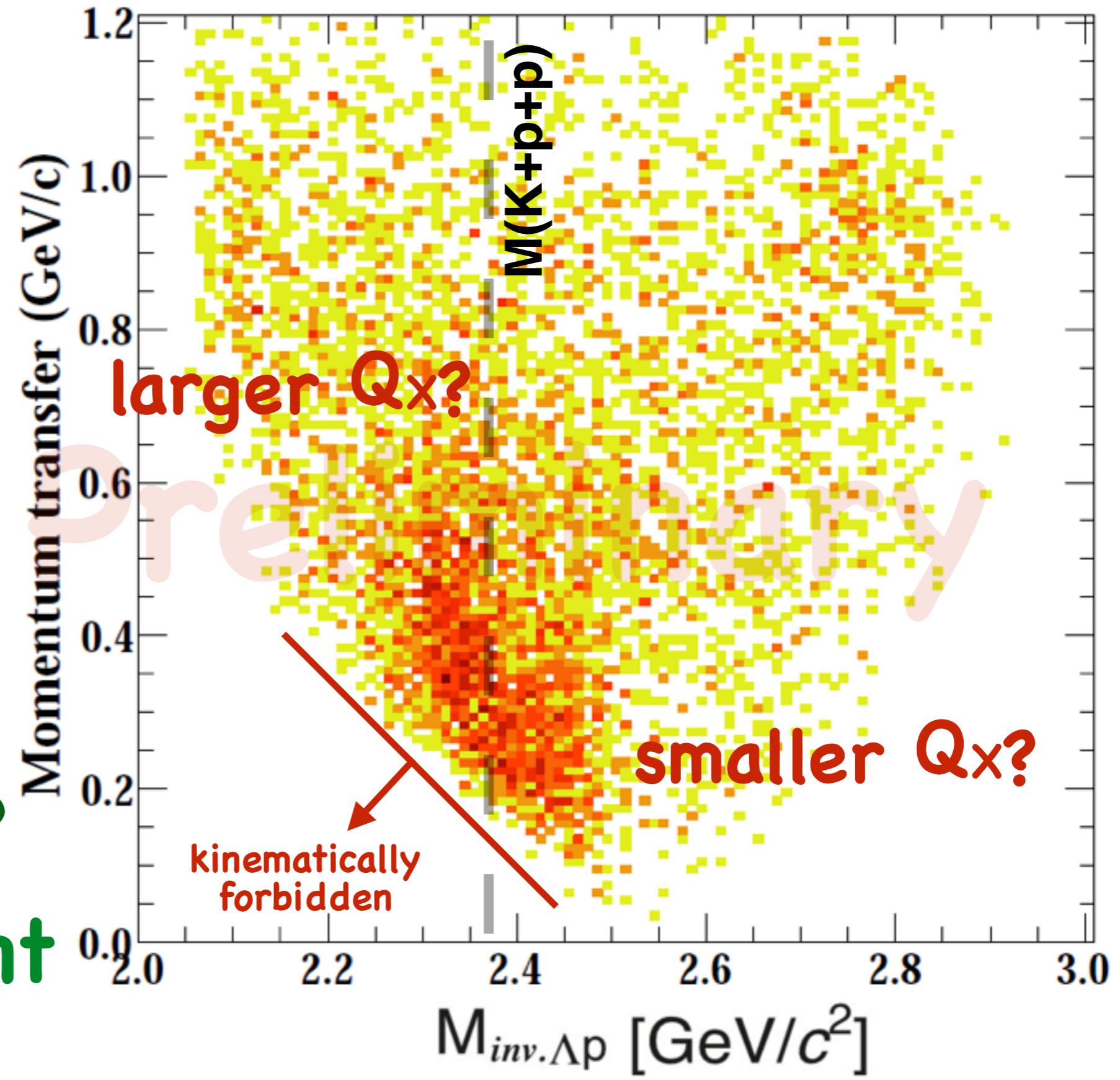


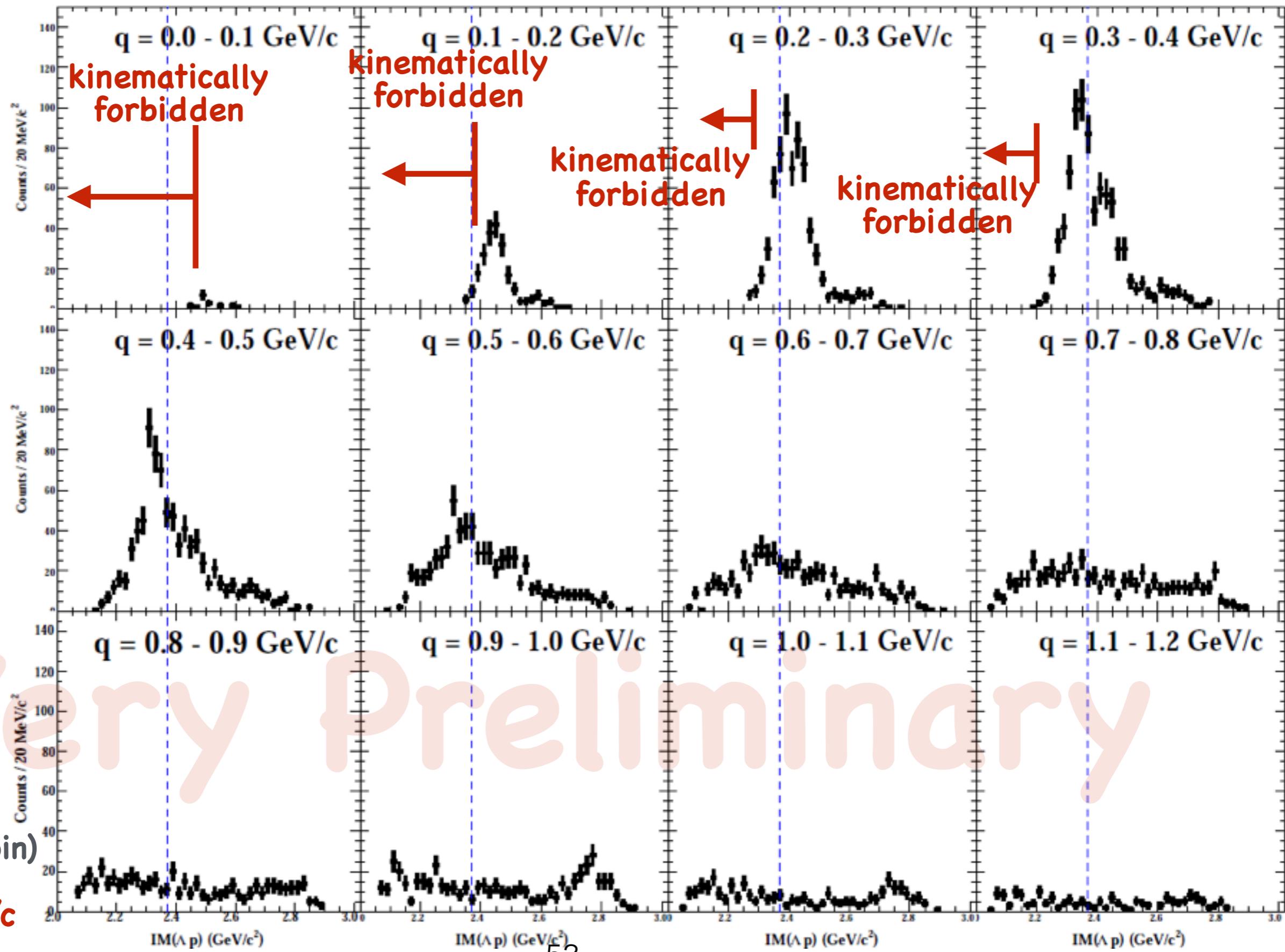
$\Gamma(\Lambda p) > \Gamma(\Sigma^0 p) !?$

$IM(\Lambda p)$ vs. $\cos \theta_n^{CM}$ Plot



**Very
q_x
dependence
two
components?
with different
q_x?**





$^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$

E15^{1st} $B(X) \sim 15 \text{ MeV}$

$\Gamma(X) \sim 110 \text{ MeV}$

$Q(X) \sim 400 \text{ MeV/c}$

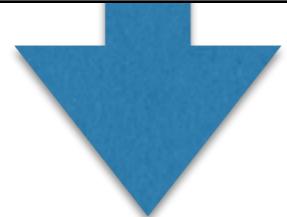
T. Hashimoto et al., PTEP (2015) 061D01.

n : semi-inclusive

Y. Sada et al., PTEP (2016) 051D01.

Λpn : single-pole?

$$\frac{d^2\sigma_X}{dM_{inv.\Lambda p}dq} \propto \rho_3(\Lambda pn) \times \frac{(\Gamma_X/2)^2}{(M_{inv.\Lambda p} - M_X)^2 + (\Gamma_X/2)^2} \times |\exp(-q^2/2Q_X^2)|^2,$$



E15^{2nd}

two structures & Kpp for deeper one!!

$B(X) \sim 50 ?? \text{ MeV}$... very deep (not hyper deep, though)

$\Gamma(X) \sim 60 ?? \text{ MeV}$... rather narrow

$Q(X) \sim 400 ?? \text{ MeV/c}$... very compact ($< 0.5 \text{ fm}$?)

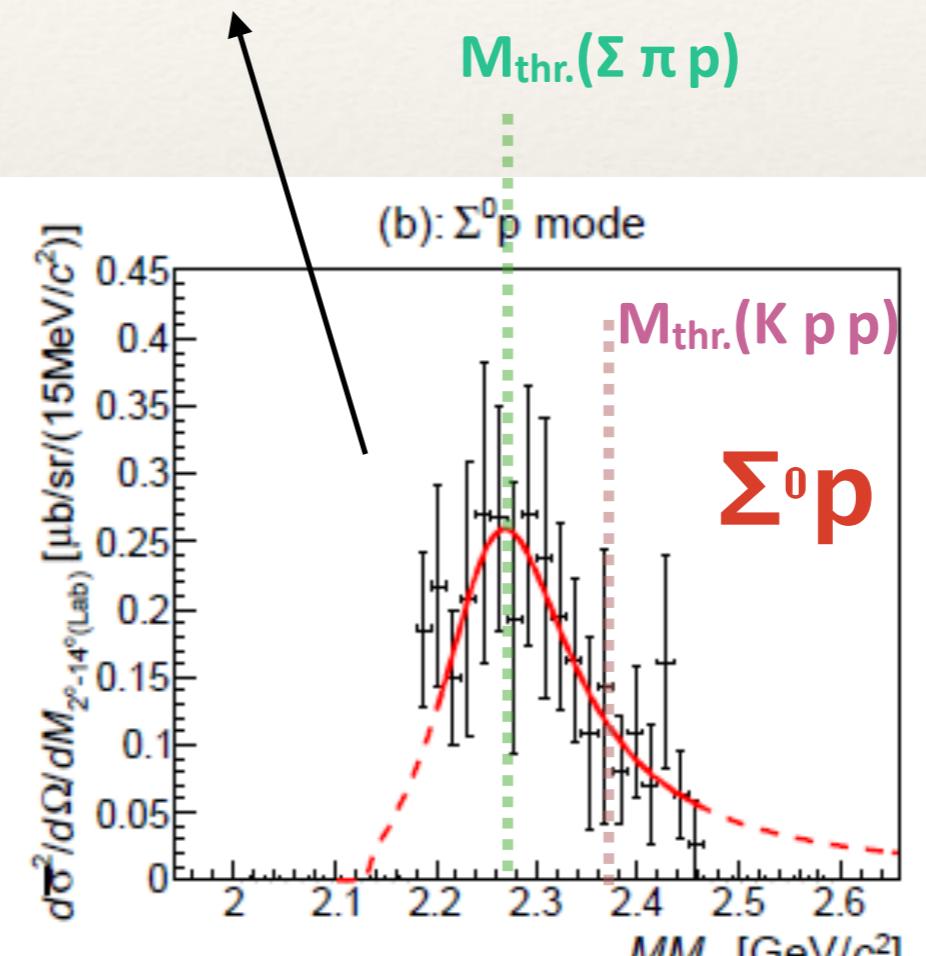
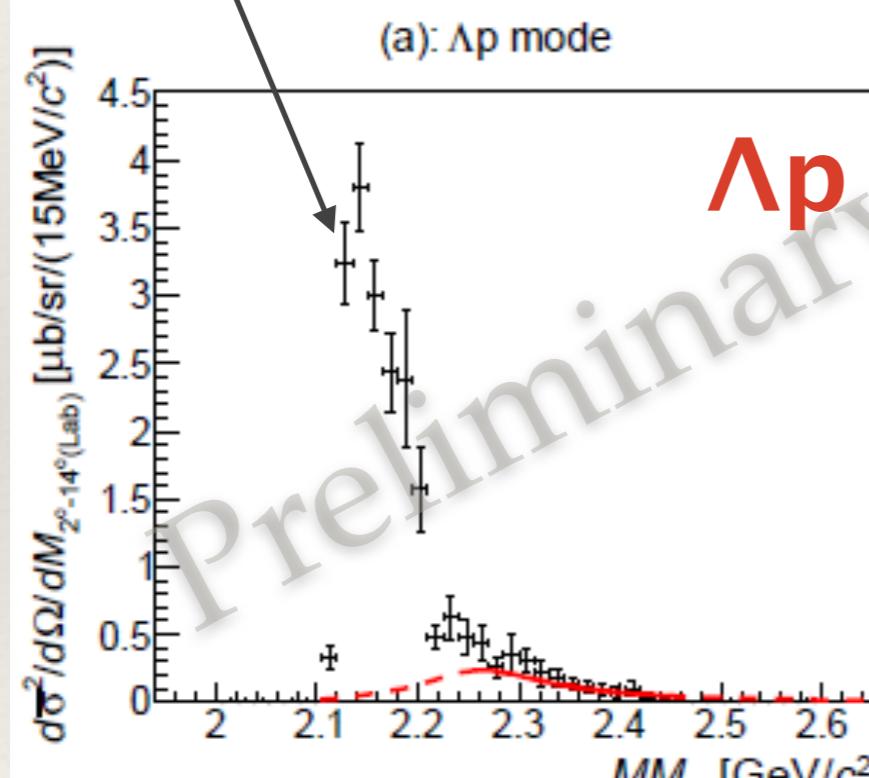
remaining mystery “point like reaction in Λpn final state”

K-pp-like structure in $\Sigma^0 p$

$\Lambda p / \Sigma^0 p$

- ❖ Mass : $2275^{+17}_{-18}(\text{stat.})^{+21}_{-30}(\text{syst.}) \text{ MeV}/c^2$
- ❖ Width : $162^{+87}_{-45}(\text{stat.})^{+66}_{-78}(\text{syst.}) \text{ MeV}$
- ❖ Binding Energy $95^{+18}_{-17}(\text{stat.})^{+30}_{-21}(\text{syst.}) \text{ MeV}$

ΣN cusp +
 $\Sigma N \rightarrow \Lambda N$ conversion



$$\frac{\Gamma_{\Lambda p}}{\Gamma_{\Sigma^0 p}} = 0.92^{+0.16}_{-0.14}(\text{stat})^{+0.60}_{-0.42}(\text{syst})$$

No threshold effect seen?!

