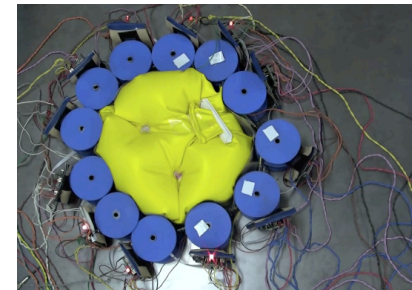
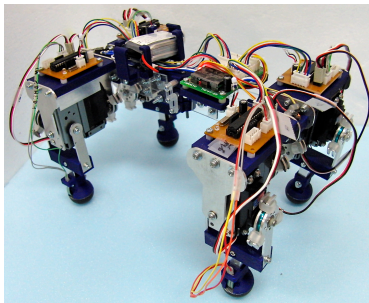
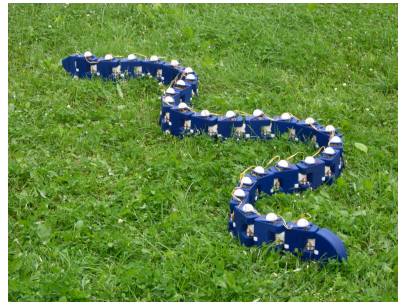
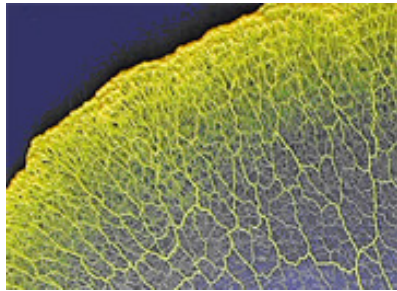
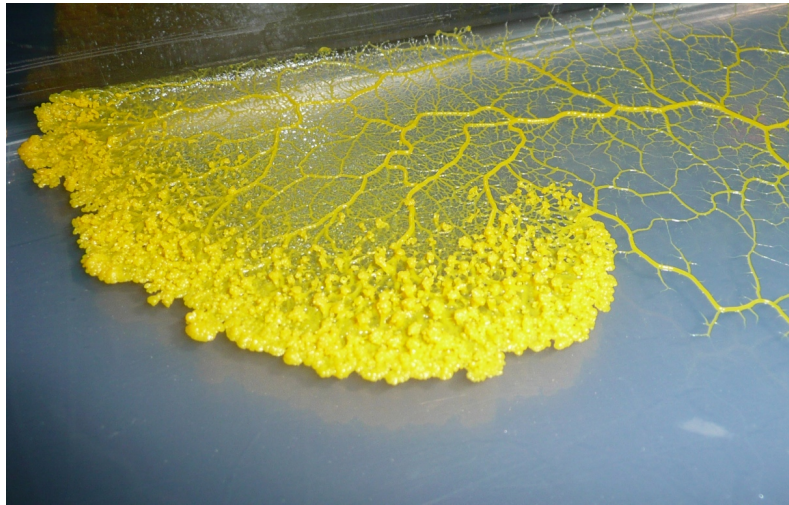


# Locomotion of Animals, Robots and Mathematics



R. Kobayashi (Hiroshima Univ.)

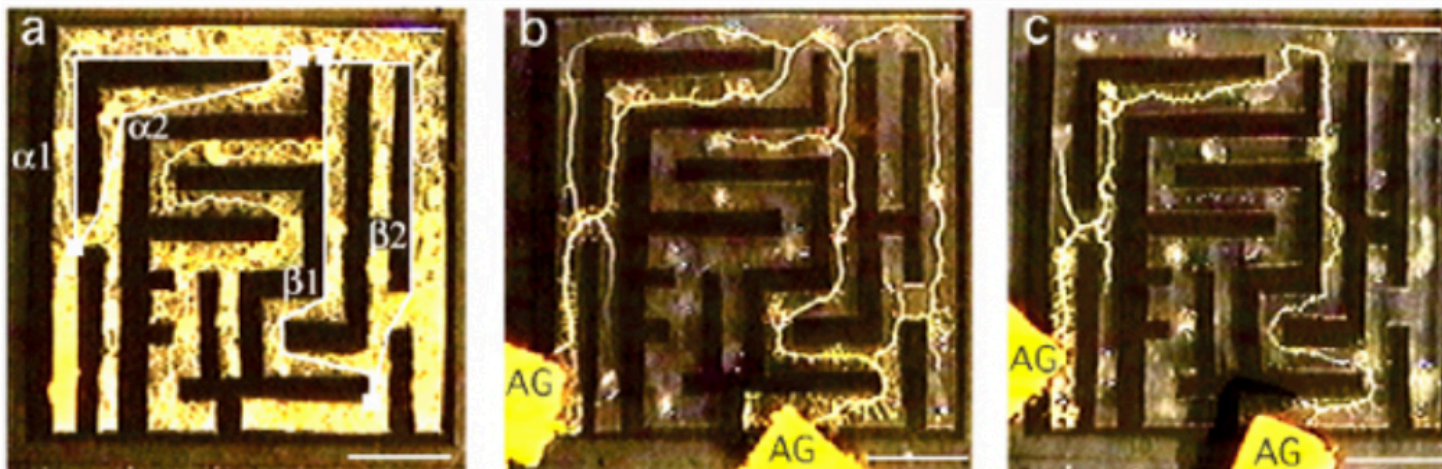
# Amazing Creature - True Slime Mold



*Physarum Polycephalum*

Large single cell organism  
with multi nuclei

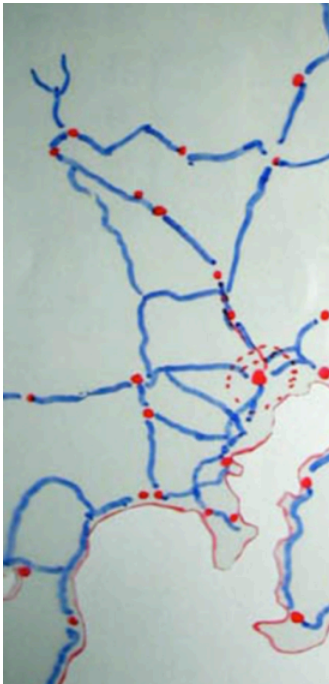
Physarum can solve a maze !



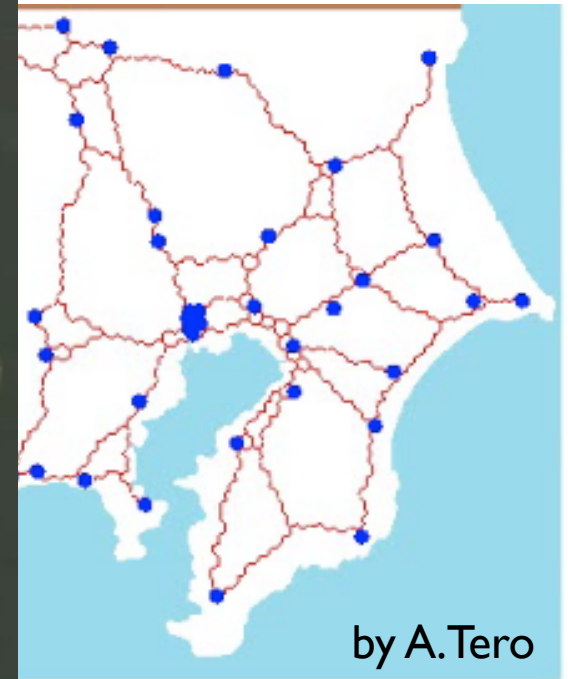
*Nakagaki et al., Nature (2000)*

# *Physarum designs networks !*

Real Railroad Network  
in Tokyo area



Mathematical Model



by A.Tero

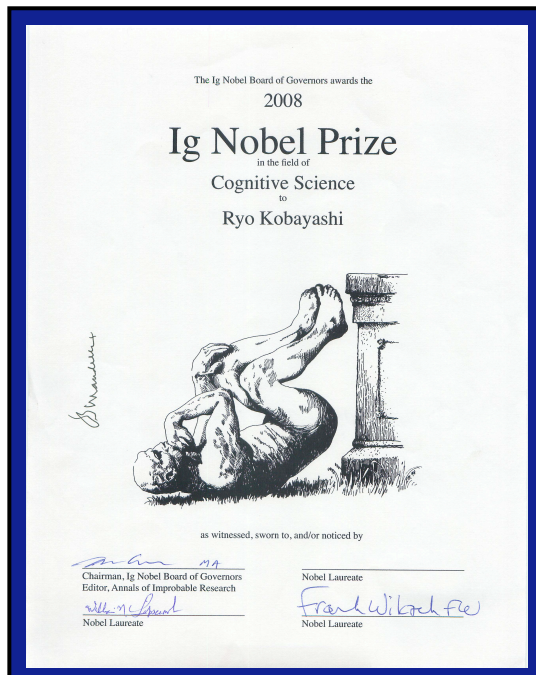
A.Tero *et al.*, *Science* (2010)

Completely Decentralized System

# *Ig Nobel Prize*

2008 Cognitive Science Prize

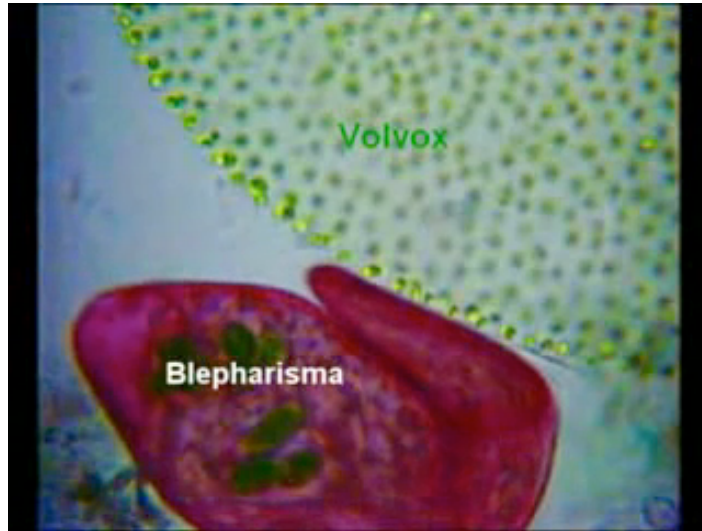
2010 Transportation Planning Prize



First make people laugh,  
and then make them think



# Locomotion of Animals



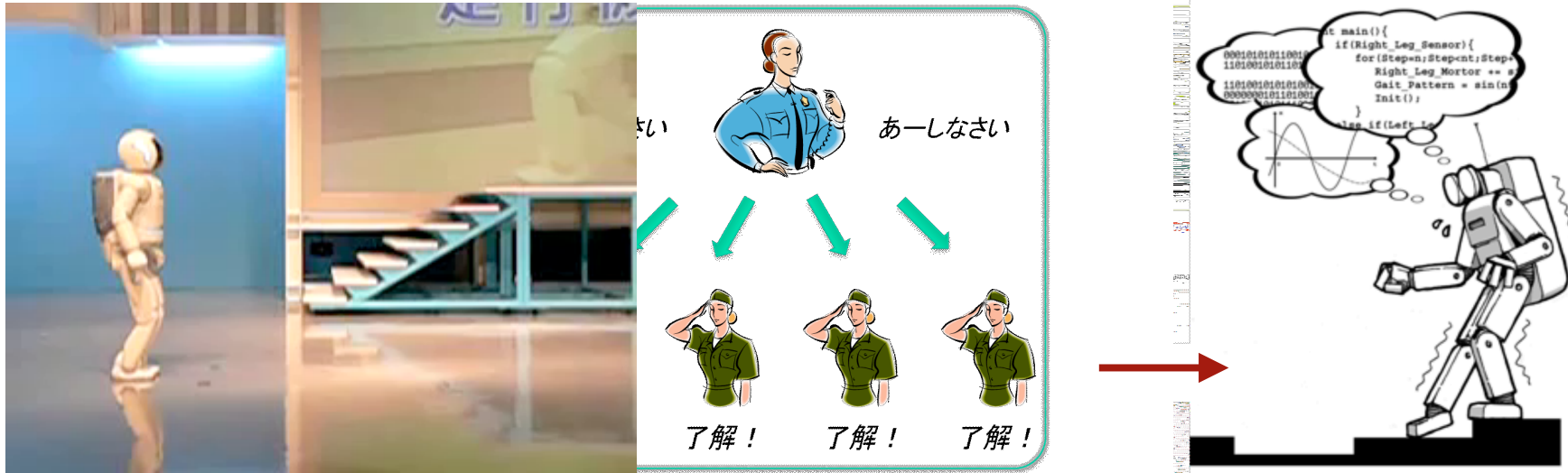
Supple, agile, robust motion

Control very large  
degrees of freedom

Tough under uncertain  
surroundings



# Locomotion of Robots



Completely centralized control

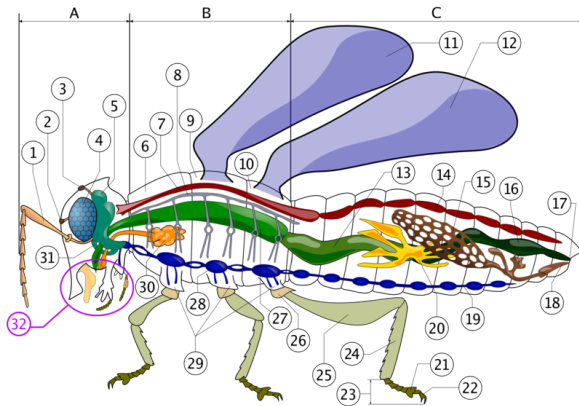


Decentralization

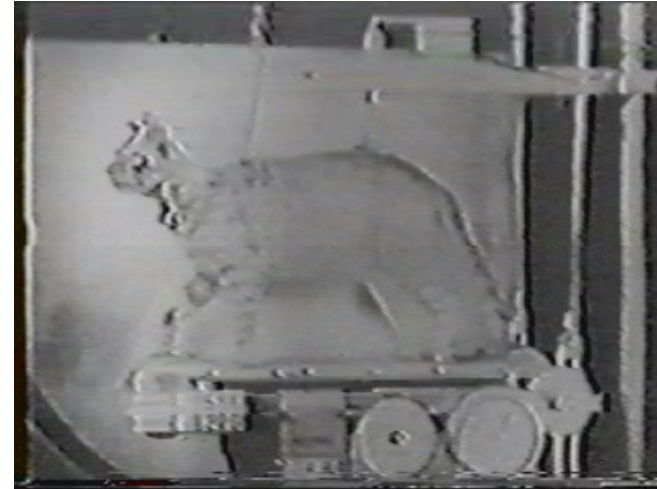
Autonomous **D**ecentralized **C**ontrol

Control policy which attains useful functions by the interactions between local elements having simple ability of sense, judge and motor output

# ADC in Animals



Neural ganglion in each body segment



Gait transition of DC cat on treadmill

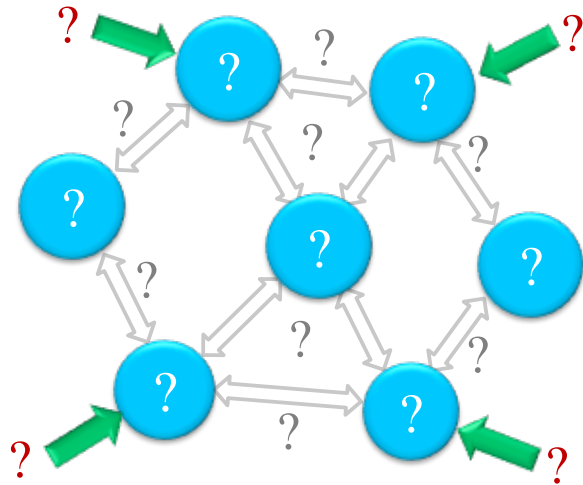
## Central Pattern Generator

Neural circuits which generate rhythm

Lamprey, Tadpole ↔ Mammals

Details are still unknown

# ADC is OK, but ....



How can we achieve the emergence of function from such systems ?

1. Dynamics of each component
2. Interaction between components
3. Local sensory feedback

ad hoc design for each case example

Still missing a systematic way of designing ADC !



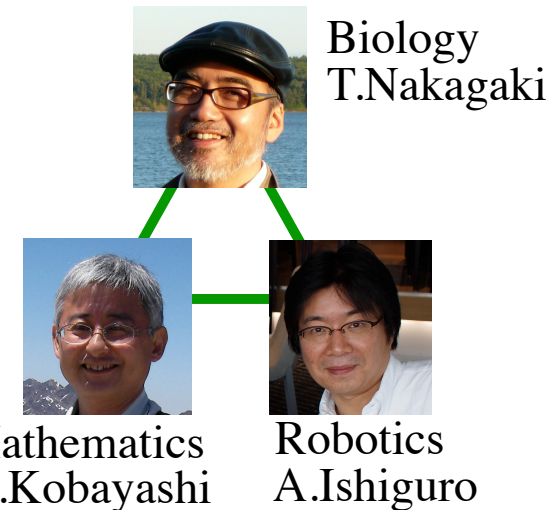
# Outline of Our Project

- Goal

Produce robots which move in supple, agile and robust manner like animals

- Who ?

Team consists of Biologists, Mathematicians & Roboticists



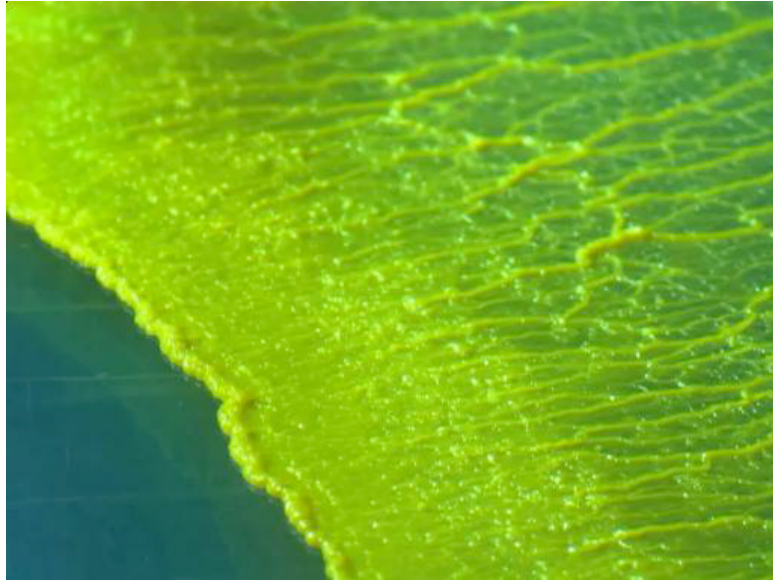
- How ?

Learn from the animals.

Design robots with large DOF controlled by ADC

Which animal at first ?

# Go Back to *Physarum* !



Completely  
decentralized system

Driven by distributed  
oscillator system

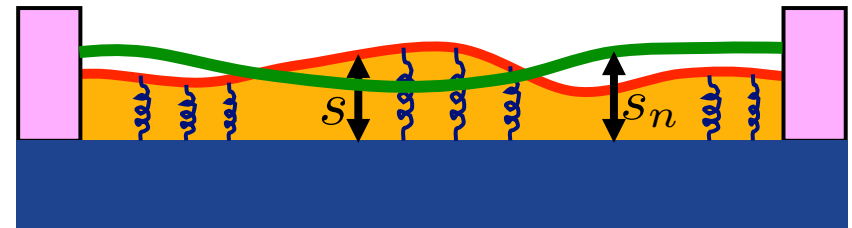
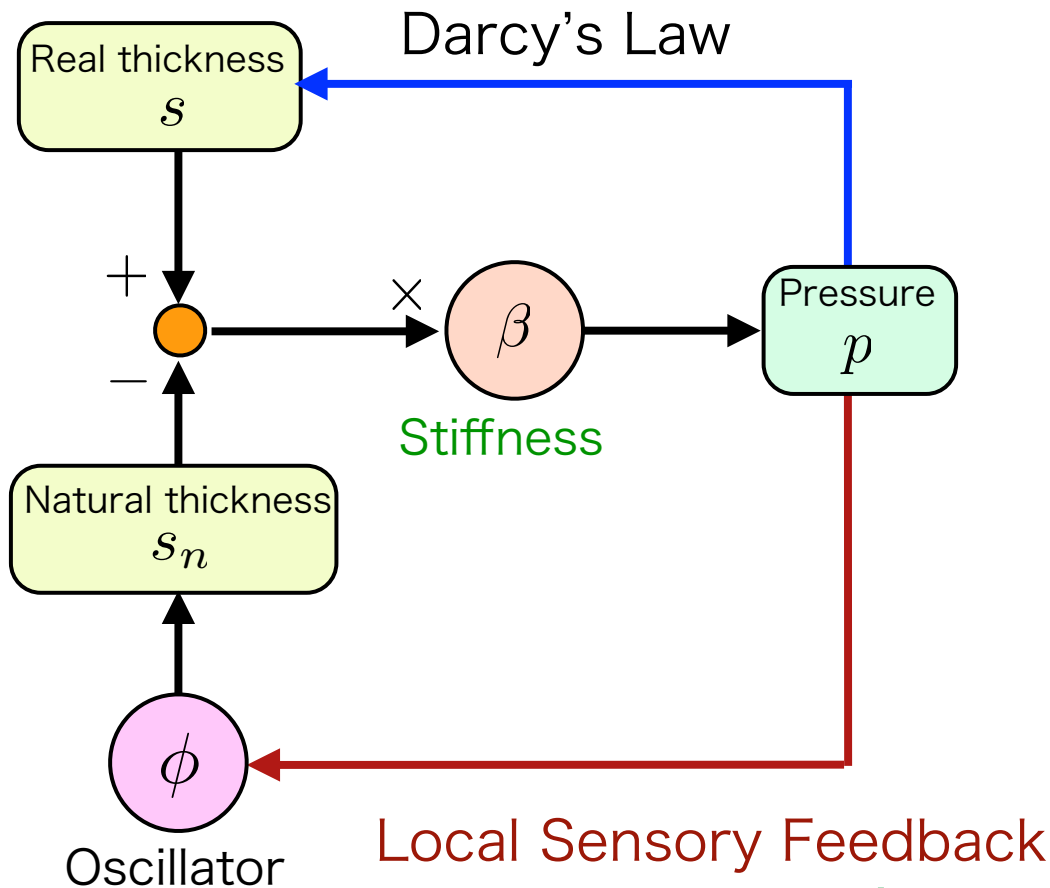
High ability

Solving a maze and  
designing networks



# Physarum Model ver.1

*Kobayashi and Nakagaki (2003)*  
*Rediscovered by Ishiguro (2008)*



Active spring whose natural length is driven by the phase oscillator  $\phi$

$$s_n(\phi) = \bar{s}(1 - a \cos \phi)$$

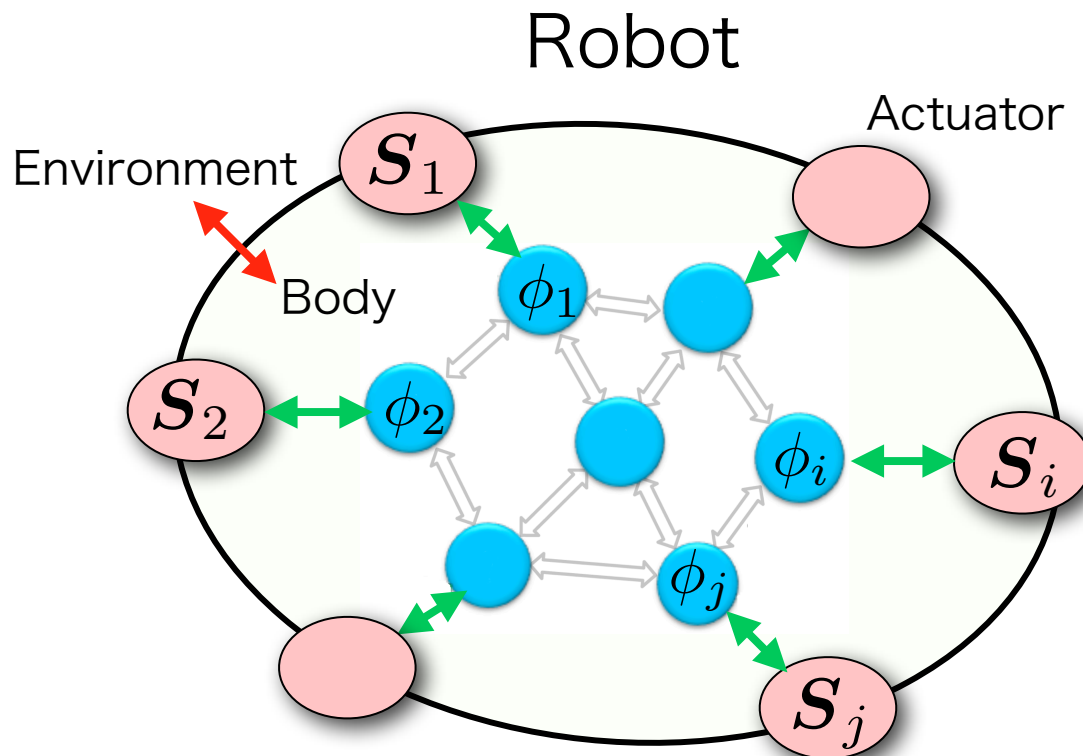
$$p = \beta(s - s_n(\phi))$$

$$\partial_t s = \nabla \cdot (sM \nabla p)$$

$$\partial_t \phi = \omega + \nabla \cdot (D \nabla \phi) \quad -\partial_\phi I$$

$$I = \frac{\sigma}{2} p^2 \quad \text{: Discrepancy Function}$$

# Basic Design Scheme



$\phi_i$  : the  $i$ -th controller  
(phase oscillator)

$S_i$  : State variable of  
the  $i$ -th actuator

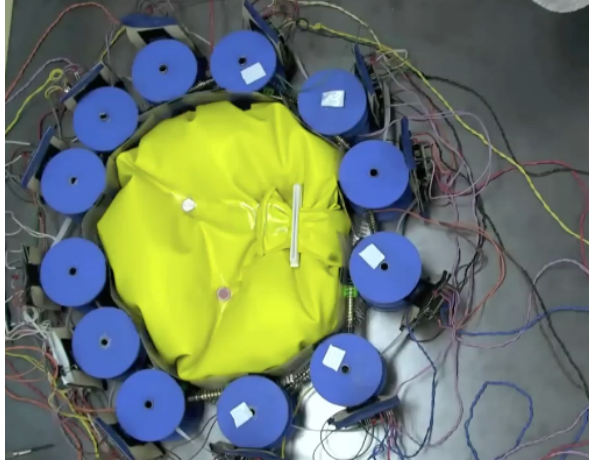
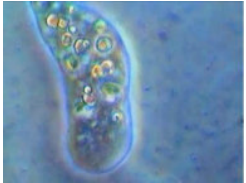
$I_i(S_i, \phi_i)$   
: Frustration accumulated  
in the  $i$ -th unit

→ Discrepancy Function

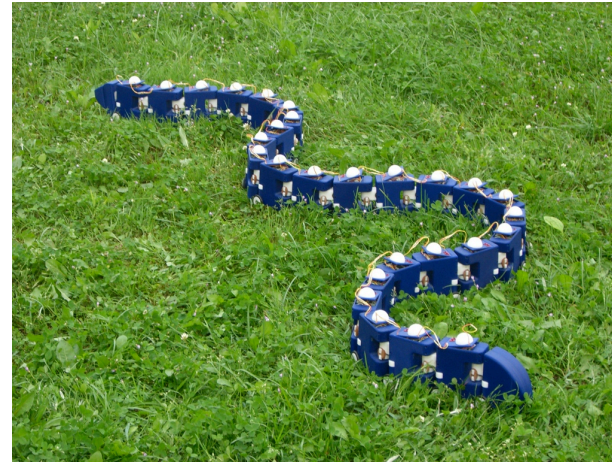
$$\partial_t \phi_i = \omega_i + \sum_j g_{ij}(\phi_i, \phi_j) - \partial_{\phi_i} I_i$$

Indirect interaction  
through the body

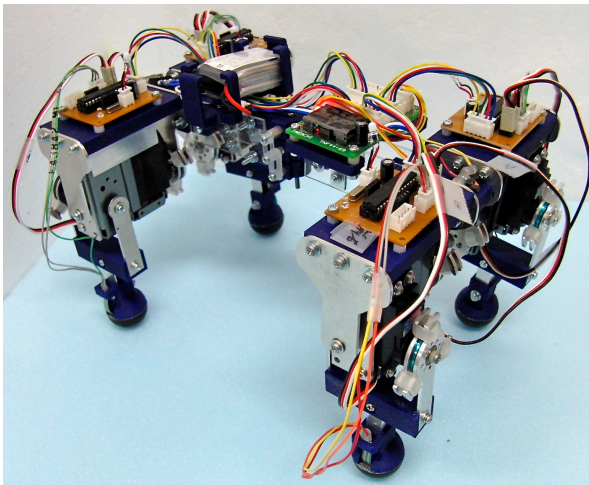
# Our Robots



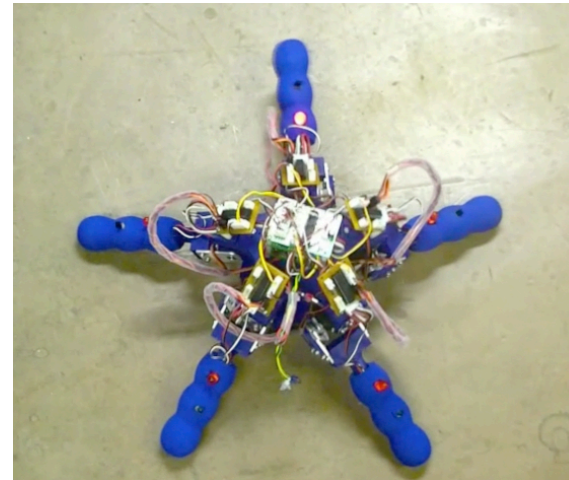
Slimy



HAUBOT



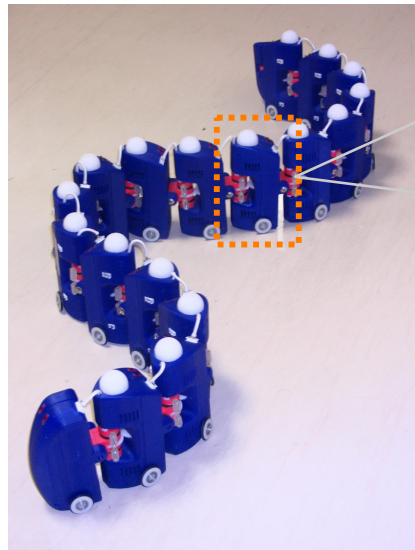
OSCILLEX



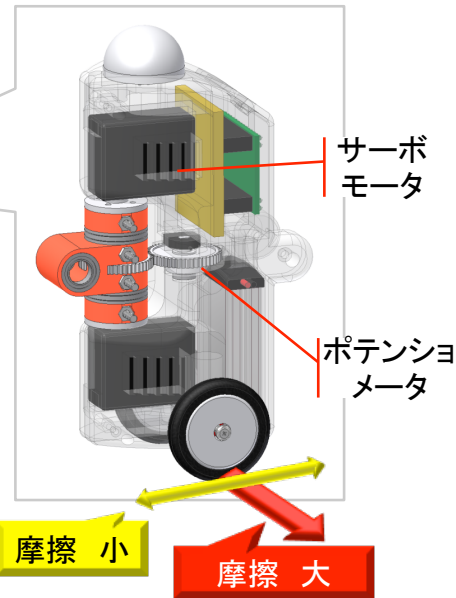
Nameless Now



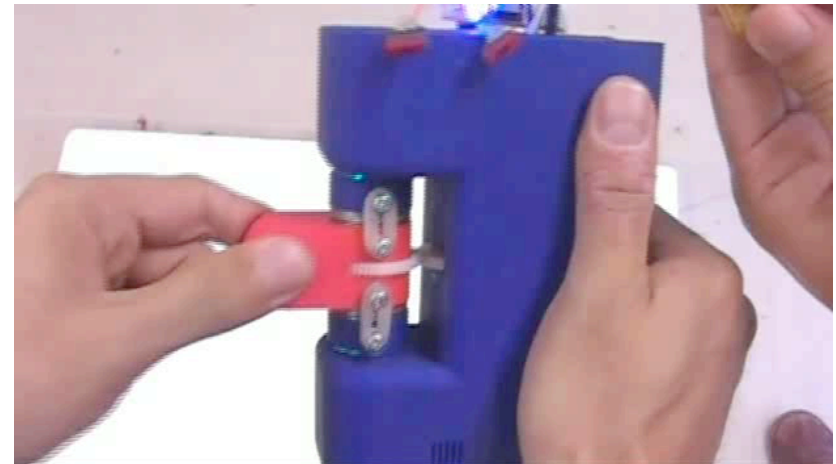
# Snake Robot : HAUBOT 2



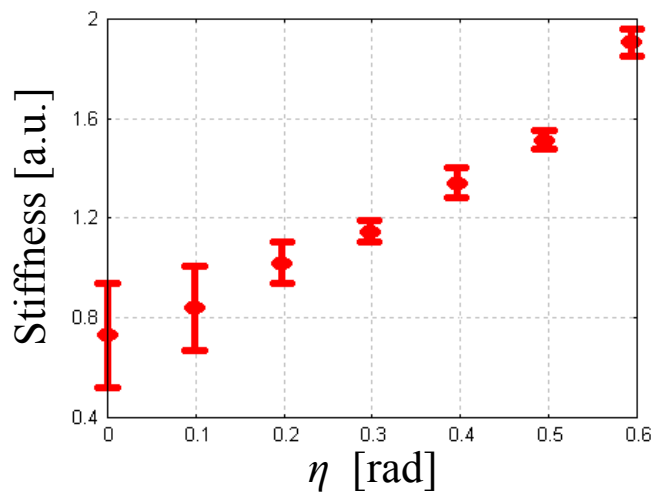
T. Sato (2011)



## Joint mechanism



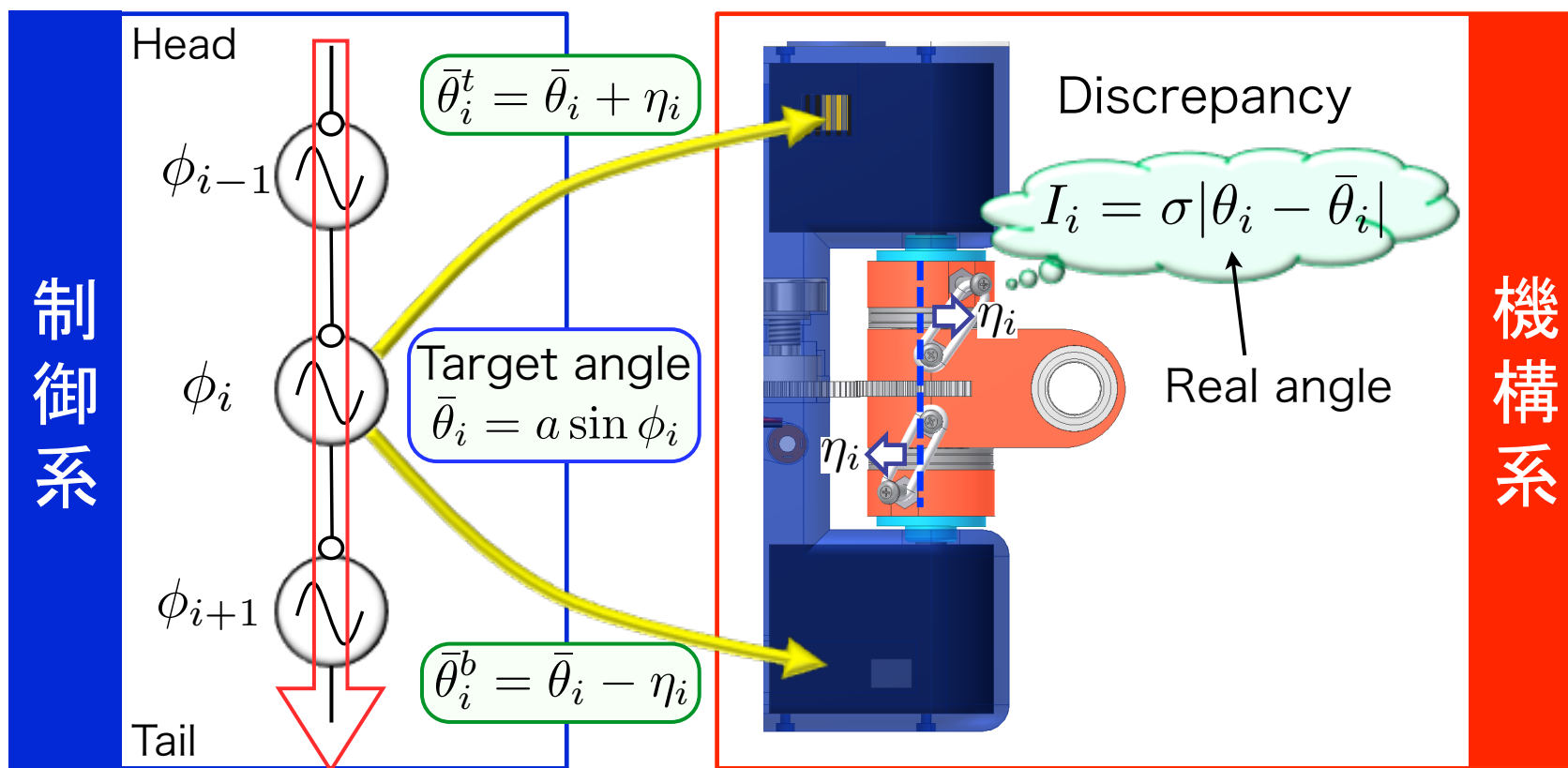
Elastic elements permit discrepancy between the motor angle (target angle) and the actual joint angle



← Stiffness is also controllable by twisting

# Phasic & Tonic Control

- $\partial_t \phi_i = \omega + D(\phi_{i-1} - \phi_i - \Delta\phi) - \partial_{\phi_i} I_i$
- $\partial_t \eta_i = \alpha(\beta I_i - \eta_i)$



# HAUBOT 1 & 2

Phasic Control	Tonic Control
phase adjustment	stiffness adjustment
Energetic efficiency	Powerful motion

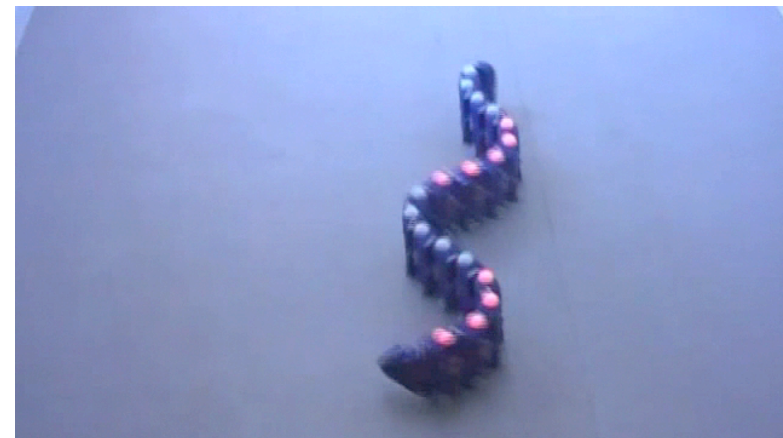
HAUBOT 1



Phasic control only



HAUBOT 2



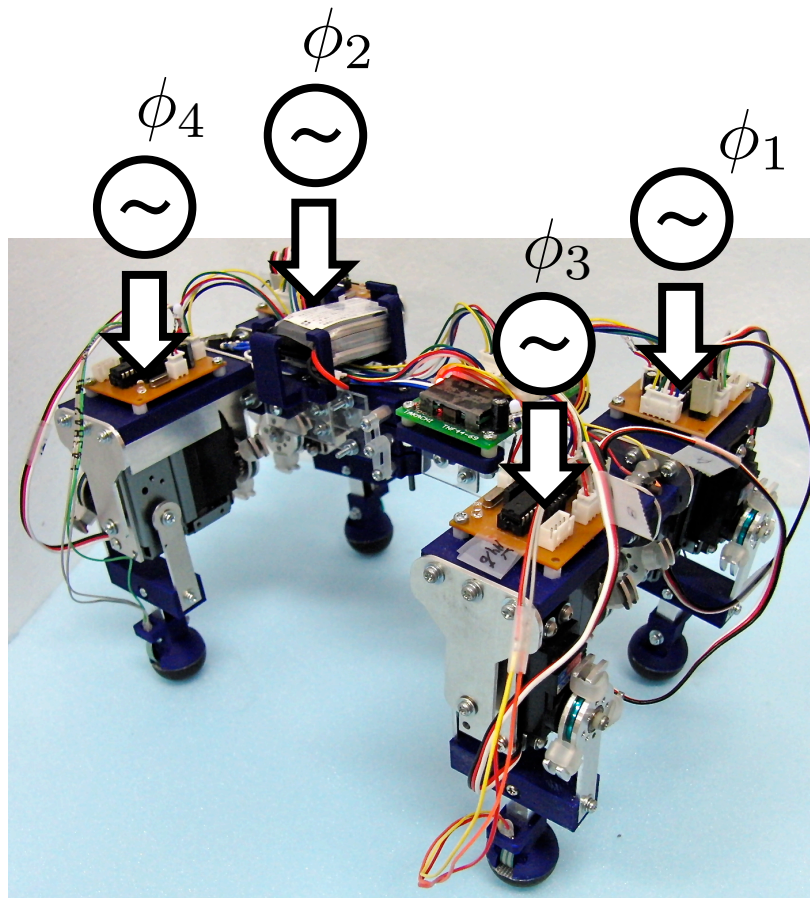
Phasic & Tonic control

**NTF Award Finalist for Entertainment Robots and Systems (IROS2011)**



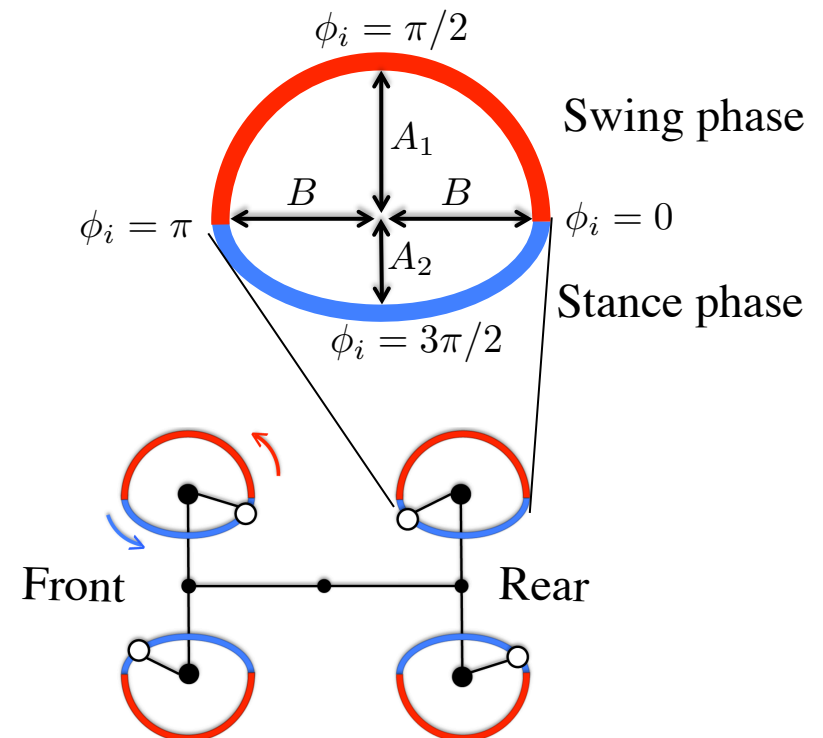
# 4-legged Robot : OSILLEX

*K. Nagasawa, T. Kano et al.*



No connections  
between controllers

Control of toe position



# 4-legged Robot : OSILLEX

Discrepancy function  
of the i-th unit

$$I_i = \sigma N_i \sin \phi_i$$

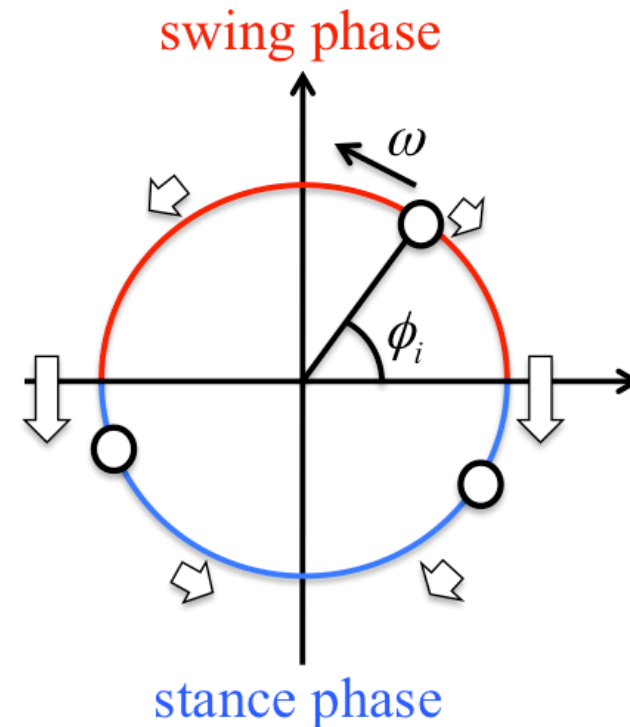
$N_i$  : load at the i-th toe

Discrepancy control

$$\partial_t \phi_i = \omega - \partial_{\phi_i} I_i$$

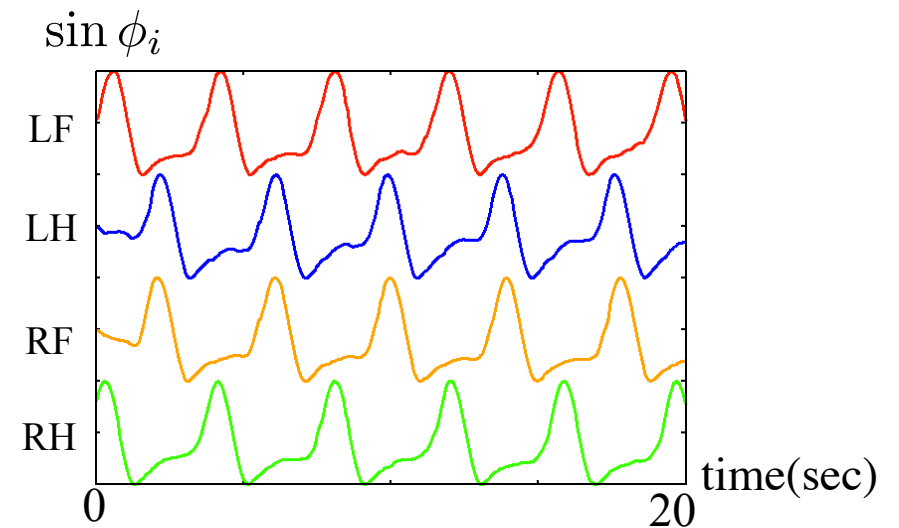
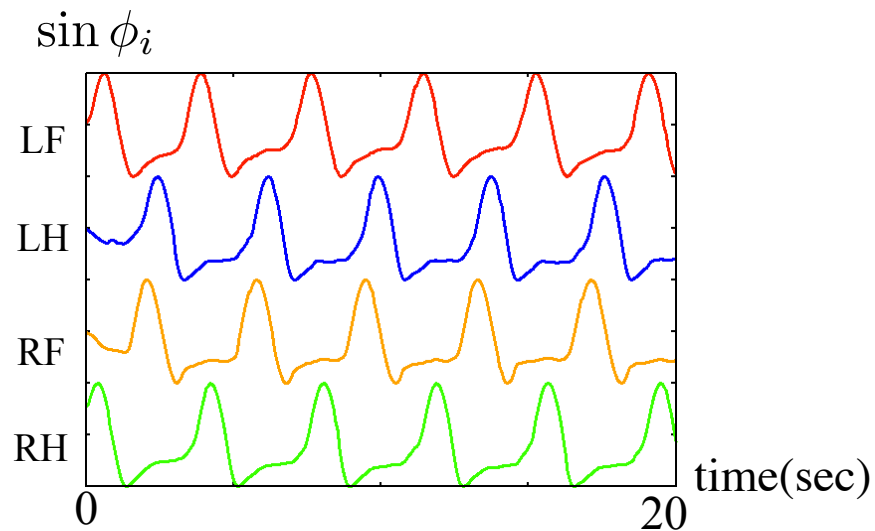
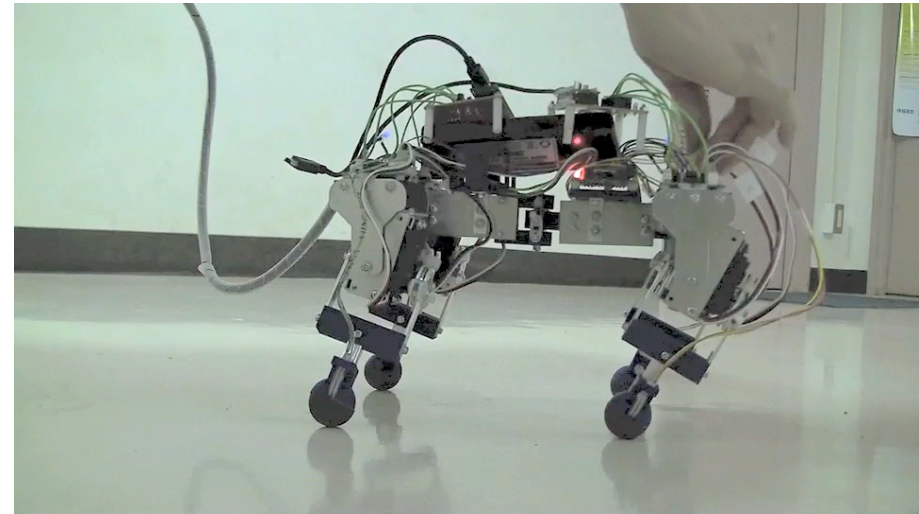
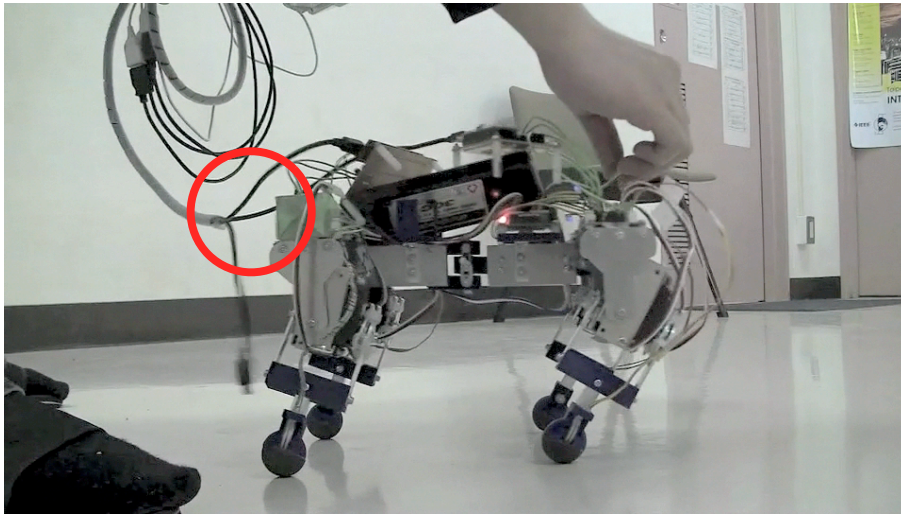
$$\partial_t \phi_i = \omega - \sigma N_i \cos \phi_i$$

No direct interactions  
Interaction through the body

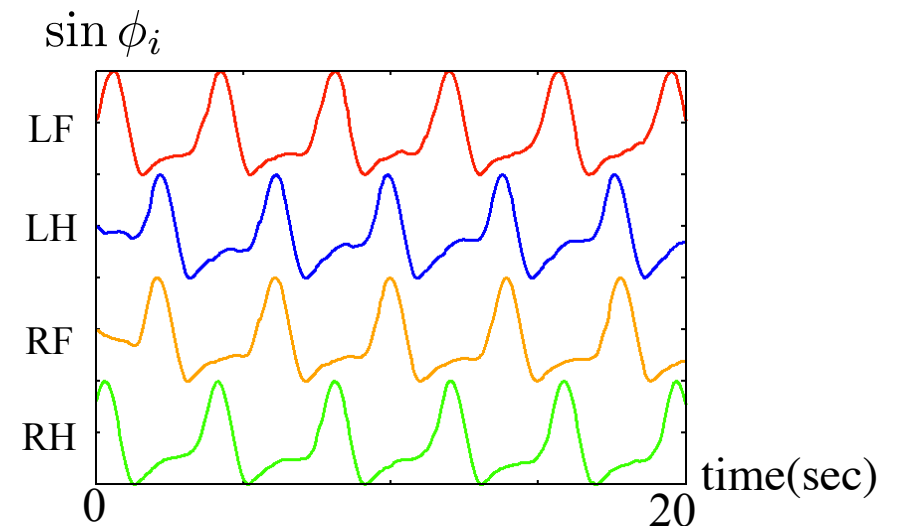
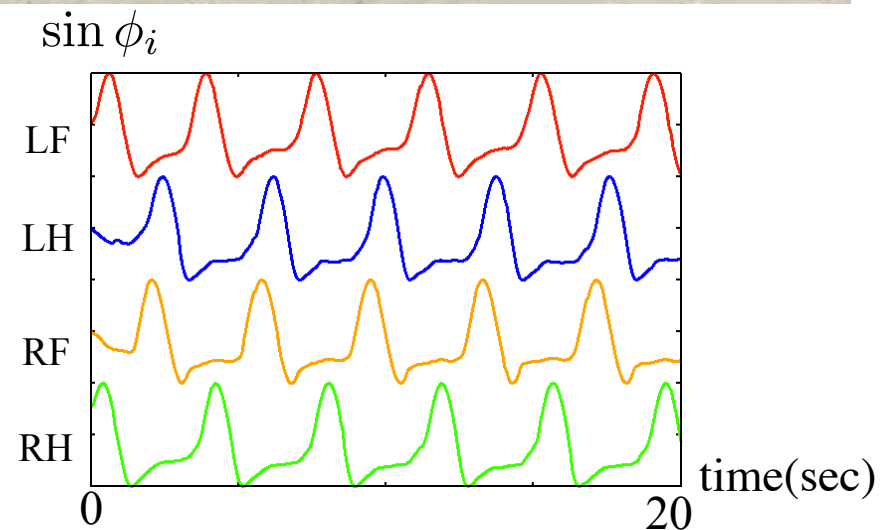


When the leg is loaded,  
it tries to stay in a  
stance phase.

# 4-legged Robot : OSILLEX



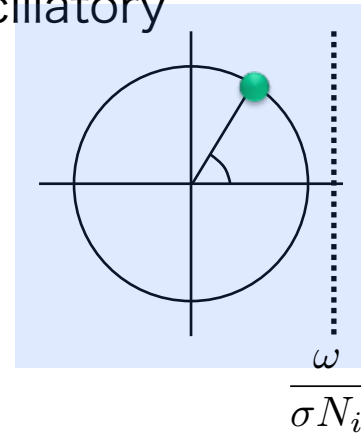
# 4-legged Robot : OSILLEX



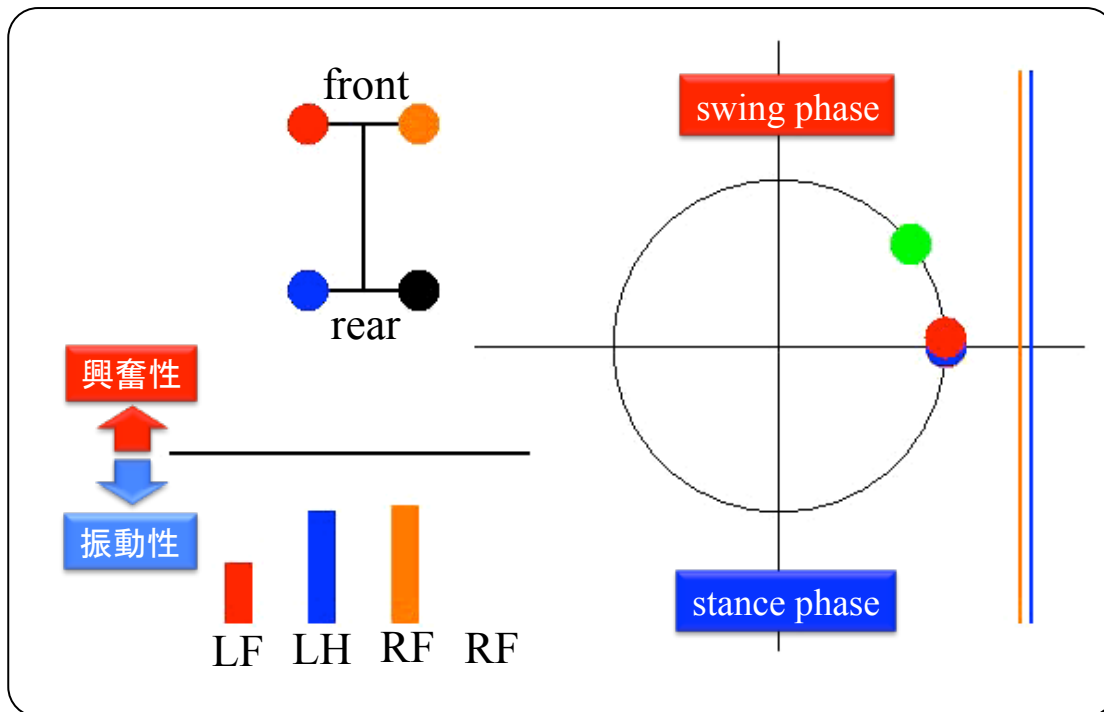
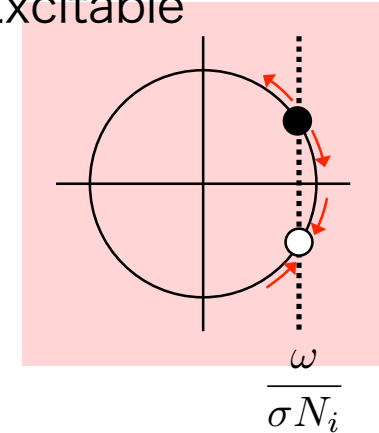
# Why OSILLEX ?

$$\partial_t \phi_i = \omega - \sigma N_i \cos \phi_i$$

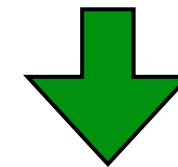
Oscillatory



Excitable



Go back and force between Oscillatory & Excitable mode



Quick transition to the stationary walking

# Summary

- We proposed a design scheme of ADC derived from the model of Physarum, and applied it to our robots.
- Design principle of ADC robots at the present stage
  - Adopt oscillators as local controllers
  - Give a backdrivability to the actuators by combining elastic elements with them
  - Design a discrepancy function appropriately
  - Generate phasic feedback using discrepancy function, and tonic feedback if necessary
  - Not to design the direct interactions between controllers more than needs → Listen to the voice of the body !

# Coworkers

## Biology Group

T. Nakagaki, S. Takagi, K. Matsumoto, Y. Tanaka

## Mathematics Group

K. Ito, T. Kazama, A. Tero, M. Akiyama, M. Iwamoto,

## Robotics Group

A. Ishiguro, T. Kano, T. Umedachi, T. Sato,  
K. Yaegashi, K. Nagasawa, W. Watanabe,  
Y. Watanabe, S. Suzuki

## Collaborators

S. Sonobe, Y. Nishigami

# Conclusion

*Physarum* is a great system !

Thank you for your attention.