

Slicing the Vacuum: New Ideas for the Dynamical Casimir Effect

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based on Good & Linder 1707.03670

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Einstein's Equivalence Principle: Acceleration = Gravity

QFT/Hawking/Unruh: Acceleration → Particle Production

Accelerating Mirrors as analogs of black holes. Study horizons, information paradox, firewalls.

- Only 2 finite solutions known (1982, 2013); now 2 new ones (Good & Linder 2017) with analytic Bogolyubov coefficients!

Accelerating Mirrors as analogs of cosmic acceleration?

Static Casimir Effect





Dynamical Casimir Effect





$T = \frac{\hbar\kappa}{2\pi ck_B}$

Reflections on Black Mirrors





Hawking, S. W. "Particle Creation by Black Holes", CMP 1975

The Model



- Massless Particles
- Scalar Field
- 1+1 Dimensions
- Non-interacting
- Minimally Coupled
- Klein-Gordon Equation

Davies, P. C. W and S. A. Fulling "Radiation from Moving Mirrors and Black Holes", PRS 1976

Boundary Conditions





 $\partial_u \partial_v \Phi = 0$

$\Phi|_z = 0$

Entropy, Energy, and Rapidity



$$S(u) = -\frac{1}{6}\eta(u) \qquad \begin{array}{l} \text{Entropy is} \\ \text{additive, just like} \\ \text{(Lorentz) rapidity} \\ \tanh\eta = \dot{z}(t) \end{array}$$

$$F(u) = \frac{1}{12\pi} (\eta'(u)^2 - \eta''(u))$$

$$E = \frac{1}{12\pi} \int_{-\infty}^{\infty} \eta'(u)^2 du$$

Particles and Spectrum



$$\beta_{\omega\omega'} = \frac{1}{4\pi\sqrt{\omega\omega'}} \int_{-\infty}^{\infty} dt \ e^{-i\omega_p t + i\omega_n z(t)} \left[\omega_p \dot{z}(t) - \omega_n\right]$$



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Two New Solutions: 1





Asymptotic Static:

 $z(t) = -\frac{v}{\kappa} \ln(\kappa^2 t^2 + 1)$

Two New Solutions: 2





Asymptotic Drift:

 $z(t) = -\frac{v}{\kappa} \ln[\cosh \kappa t]$

Total Energy





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Total Particles





Thermal Emission







Still much to explore:

- **Particle nature of thermal emission**
- Black hole evaporation vs black hole remnant
- Analog to cosmic acceleration
- Laboratory tests -
- **1. Plasma mirrors (accelerated by lasers)** Chen & Mourou, PRL 2017
- 2. Superconducting resonant circuits Wilson+, Nature 2011