

Polarized Balmer Line Emissions from Collisionless Shock Waves: On Measurements of the Energy Loss of the Shocks due to the Production of Non- thermal Particles

Ref: Shimoda et al. 2018, MNRAS, 473

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Jet and Shock Breakouts
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Satoru Katsuda⁴

Summary of this work

- We have calculated the polarized Balmer line emissions from the shocks efficiently accelerating non-thermal particles.
- We have shown that **the energy loss rate of the shocks resulting from the particle acceleration** can be measured by the polarization degree.
- Our calculation will be applied for **an estimation of a distance from the acceleration sites.**

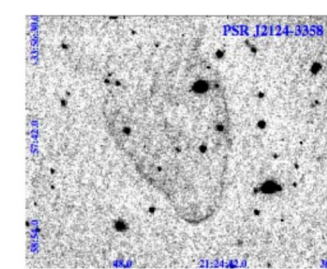
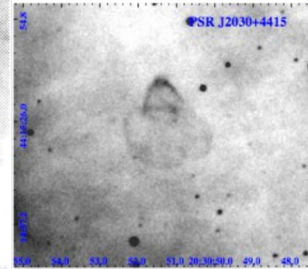
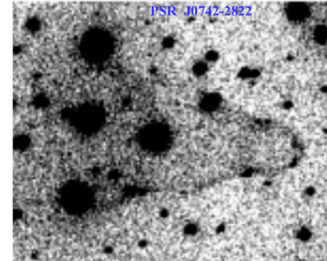
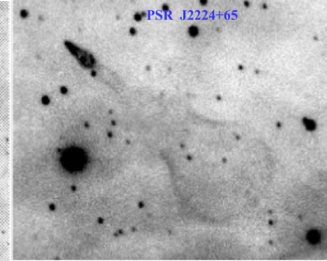
Balmer Line Emissions from Collisionless Shocks



Winkler+14



Smith 97



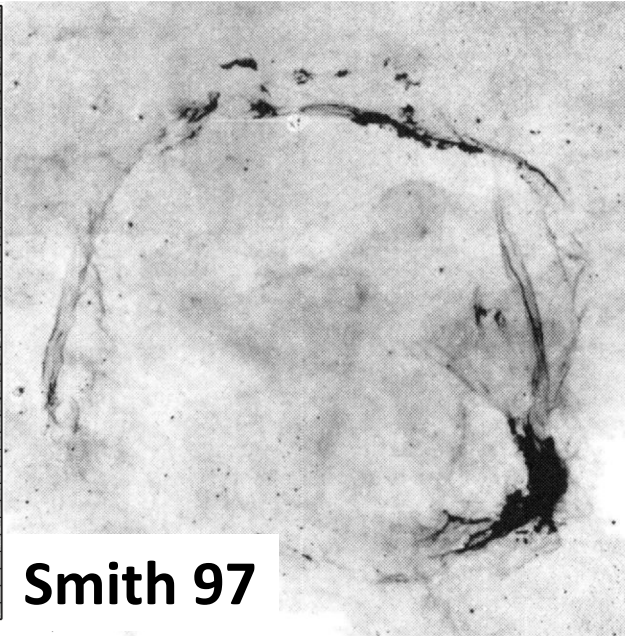
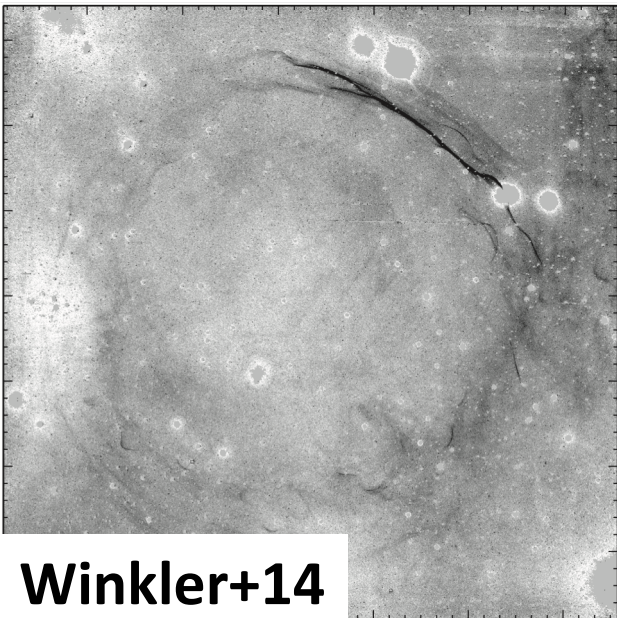
Figures from Morlino+15

Pulsar Wind Nebulae

Supernova Remnants (SNRs)

Balmer line emissions (especially $H\alpha$) are ubiquitously seen in collisionless shocks propagating into the ISM.

Balmer Line Emissions from Collisionless Shocks

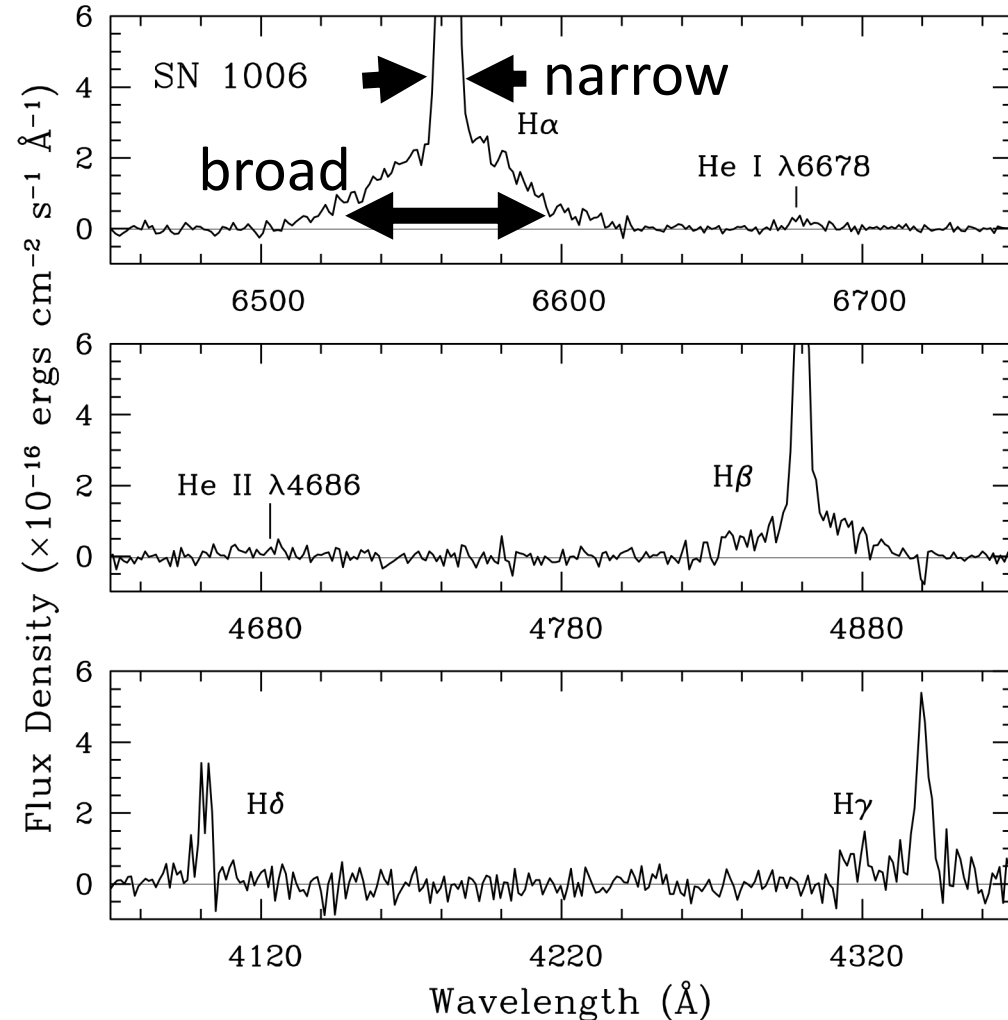


Hereafter, we focus on the SNRs. (although our study is applicable to other objects)

Supernova Remnants (SNRs)

Balmer line emissions (especially $H\alpha$) are ubiquitously seen in collisionless shocks propagating into the ISM.

Balmer Line Emissions from Collisionless Shocks



Spectrum of Balmer line Emissions

(Ghavamian+02, for SNR SN 1006)

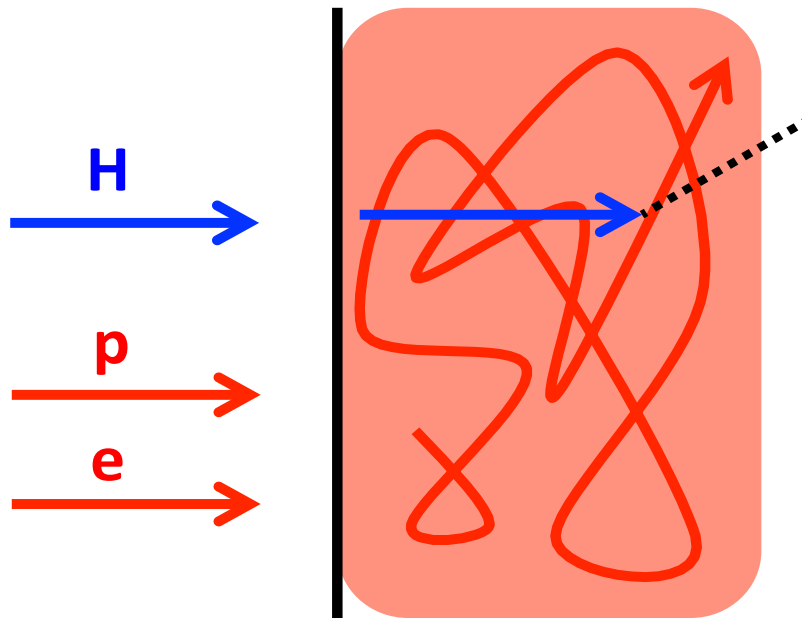
The lines consist of
“narrow” and “broad”
components.

Balmer Line Emissions from Collisionless Shocks

✓ Emission Mechanism (e.g. Chevalier+80)

upstream

downstream



SNR shock

Charged particles → shock heating

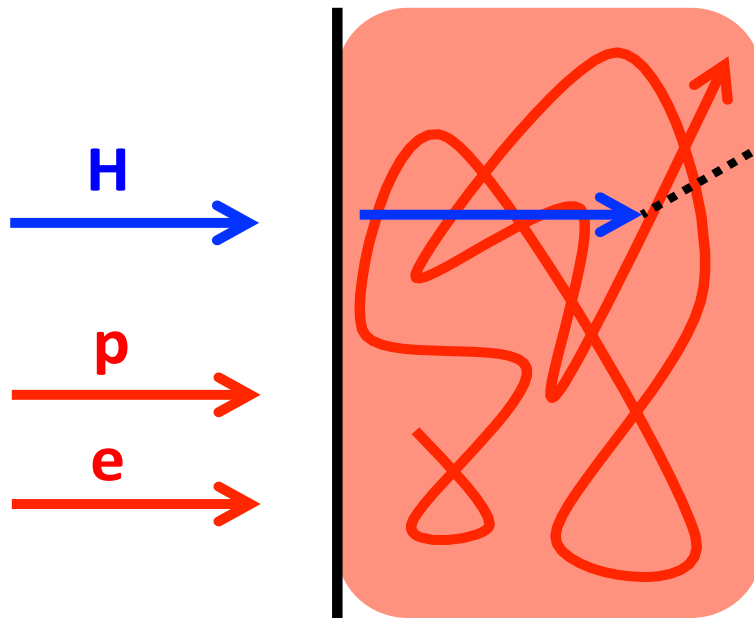
Hydrogen atoms → no dissipation

- The collisionless shock is formed by the interaction between charged particles and plasma waves rather than Coulomb collision.
- The neutral particles (e.g. hydrogen atoms) are not affected.

Balmer Line Emissions from Collisionless Shocks

✓ Emission Mechanism (e.g. Chevalier+80)

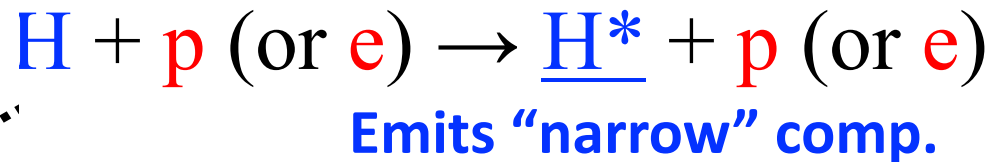
upstream downstream



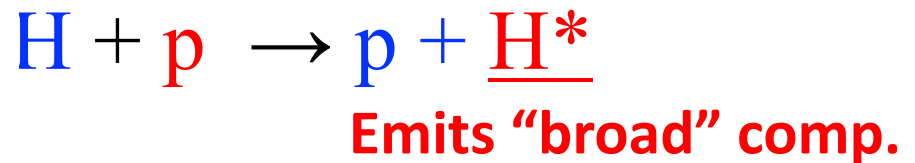
SNR shock

Charged particles → shock heating
Hydrogen atoms → no dissipation

□ Collisional Excitation

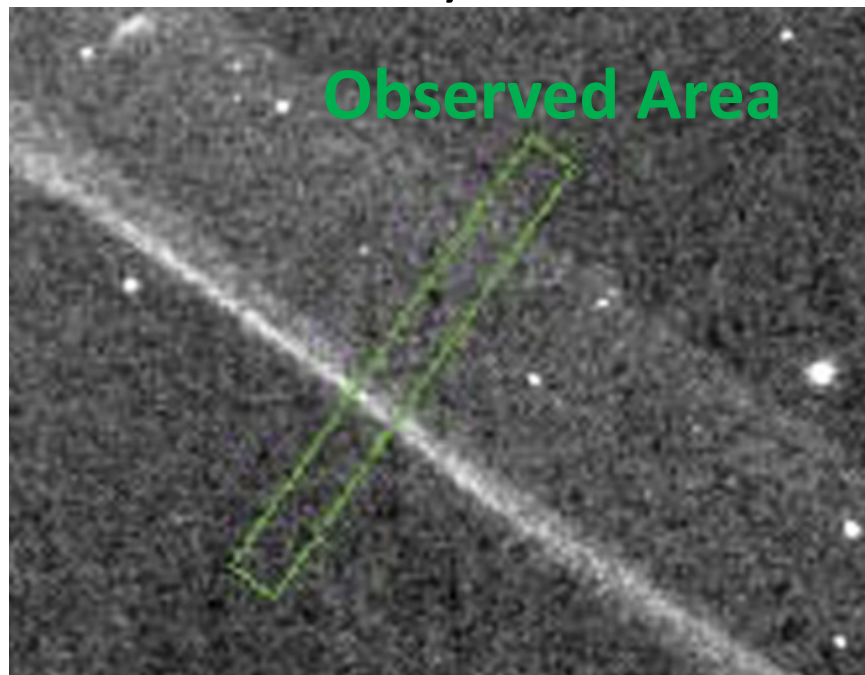
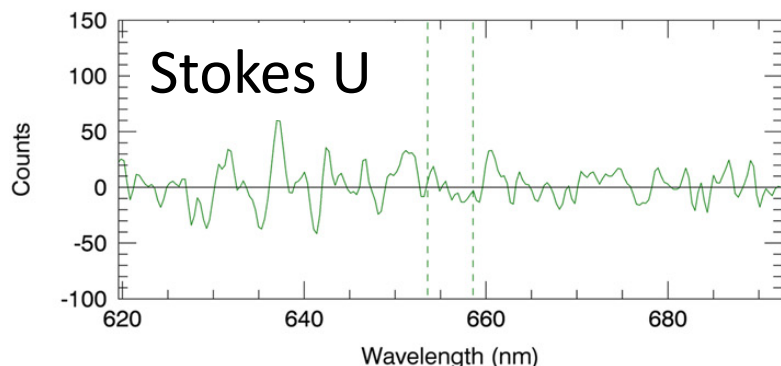
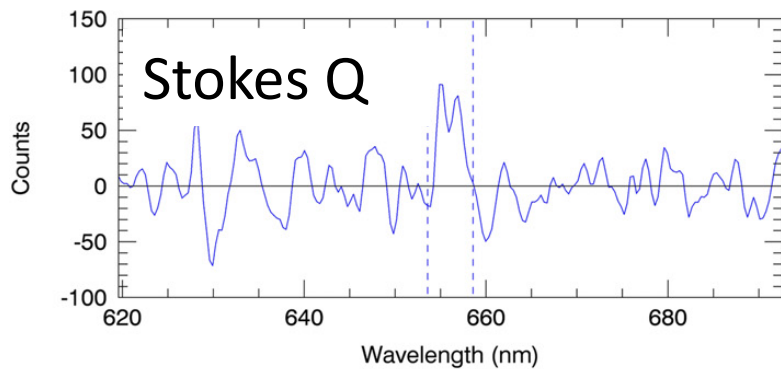
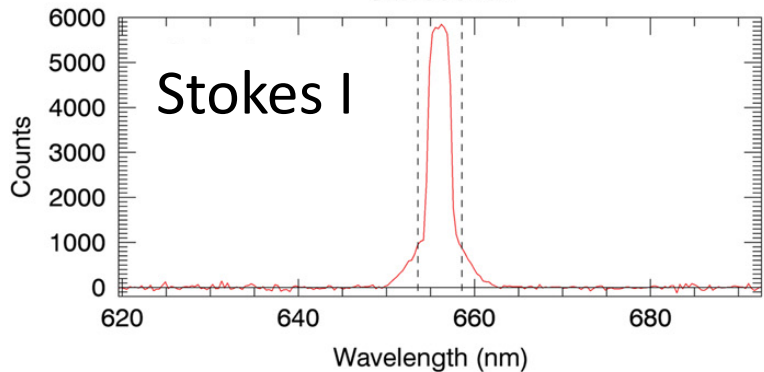


□ Charge Transfer



The “broad” component reflects the downstream temperature of protons.

Discovery of polarized H α emission @ SNR SN 1006 (Sparks+ 15)



- **Linear Polarization**
- **Polarization angle :**
perpendicular to the shock
- **Degree : 2.0 ± 0.4 %**

On polarization of atomic line

Atom in ground state

Excite

Excited atom

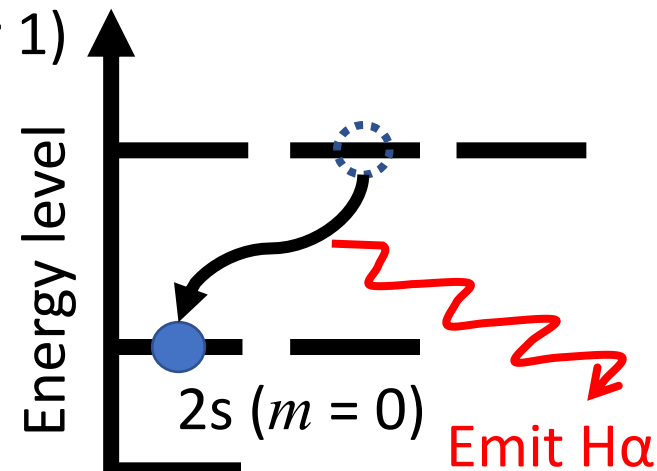
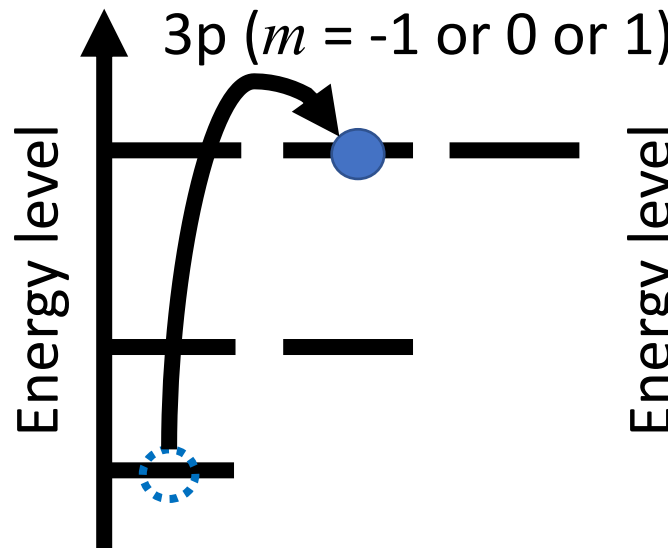
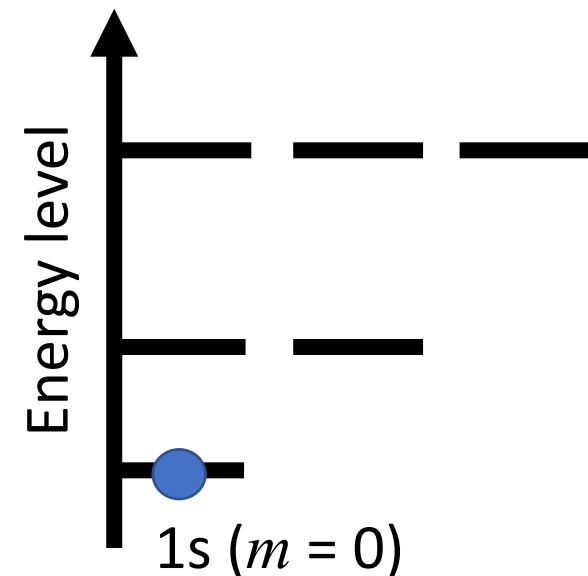
Atom in ground state

Hit !

Charged particle

Spontaneous transition

Emit a photon

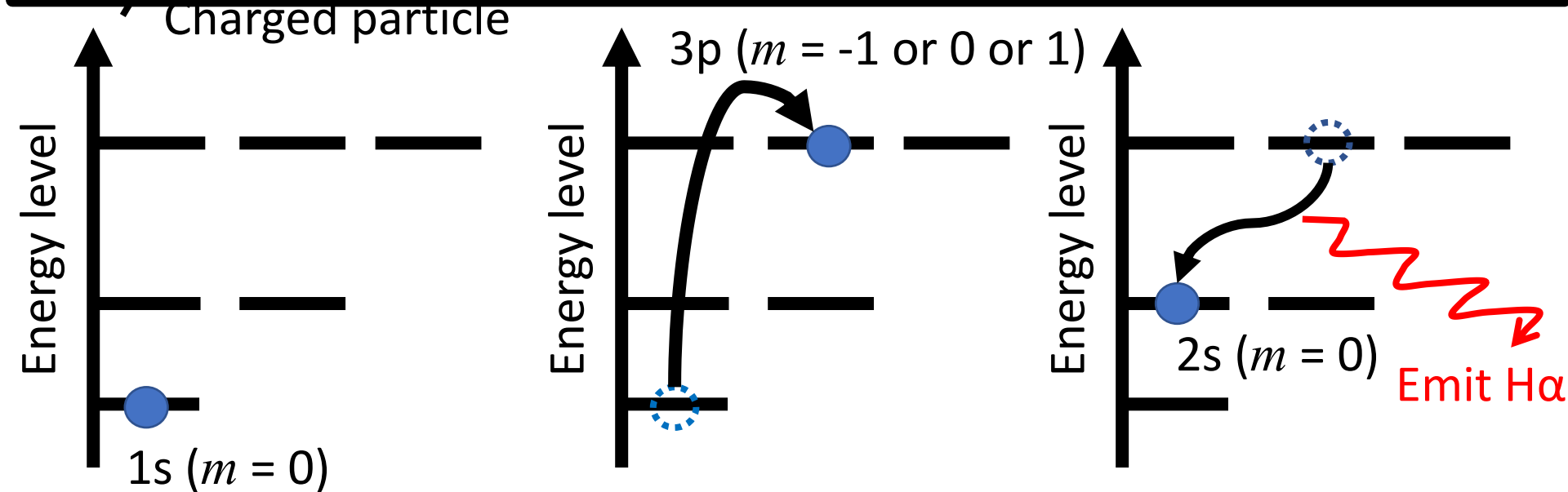


On polarization of atomic line

Polarization of photon is characterized by the variation of m before and after the transition:

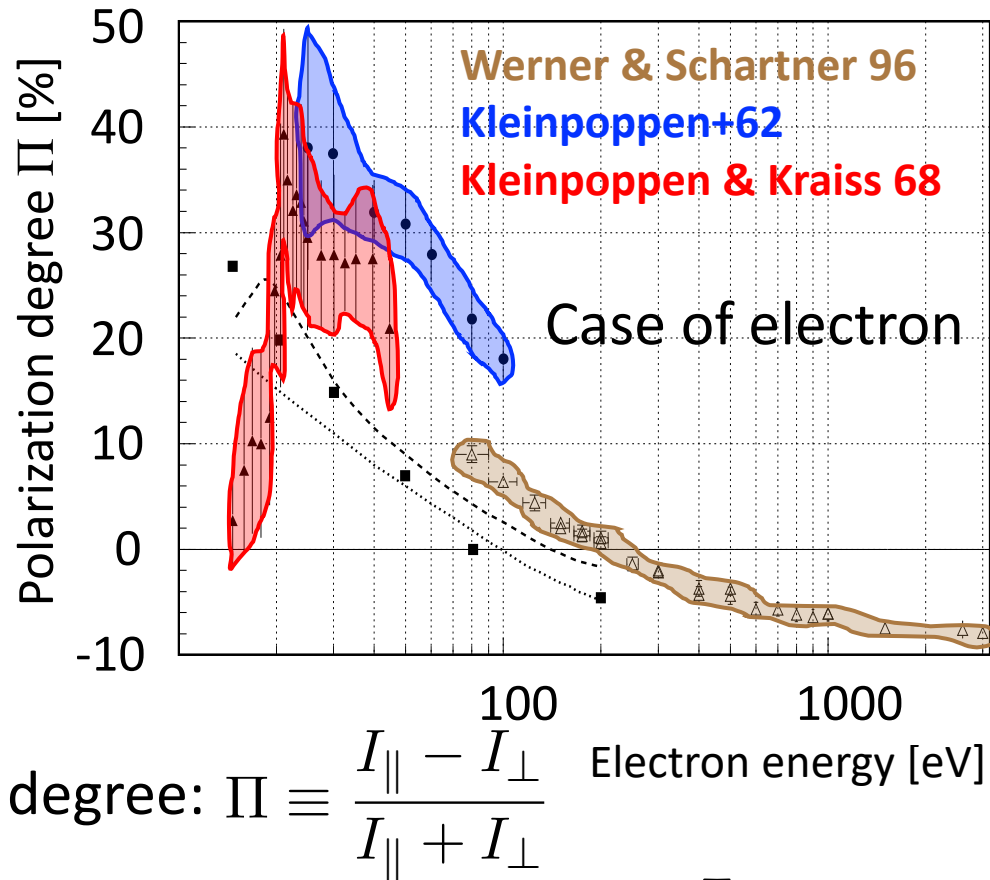
$\Delta m = 0 \rightarrow$ Linear

$\Delta m = \pm 1 \rightarrow$ Circular



Polarized H α

□ Experiments: Hydrogen atoms in electron/proton beam



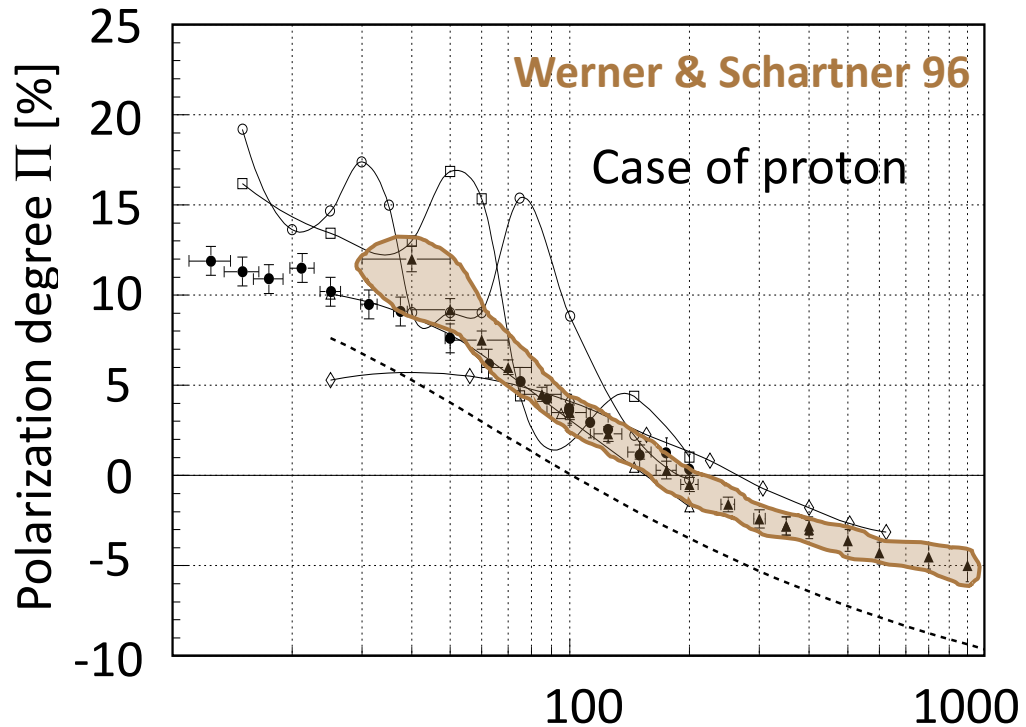
✓ Hydrogen atoms in electron (proton) beam emit polarized H α with $\sim 40\%$ (20%) degree.

✓ Polarization direction is parallel to the incident beam.

parallel to the beam : I_{\parallel}
perpendicular to the beam : I_{\perp}

Polarized H α

□ Experiments: Hydrogen atoms in electron/proton beam



✓ Hydrogen atoms in electron (proton) beam emit polarized H α with $\sim 40\%$ (20%) degree.

✓ Polarization direction is parallel to the incident beam.

degree: $\Pi \equiv \frac{I_{\parallel} - I_{\perp}}{I_{\parallel} + I_{\perp}}$

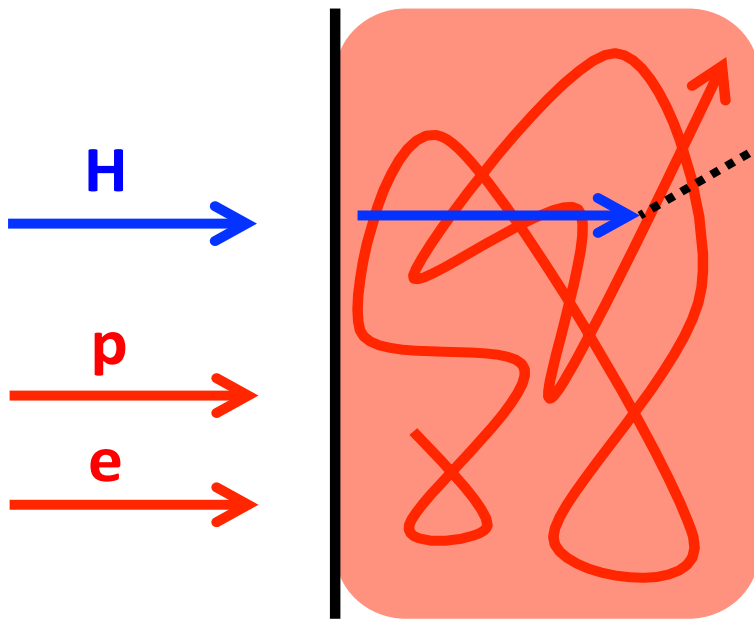
parallel to the beam : I_{\parallel}

perpendicular to the beam : I_{\perp}

Polarized H α

□ For the case of shocks

upstream downstream



Anisotropic?

✓ The hot charged particles hit the cold hydrogen atoms from various direction in the downstream region.

SNR shock

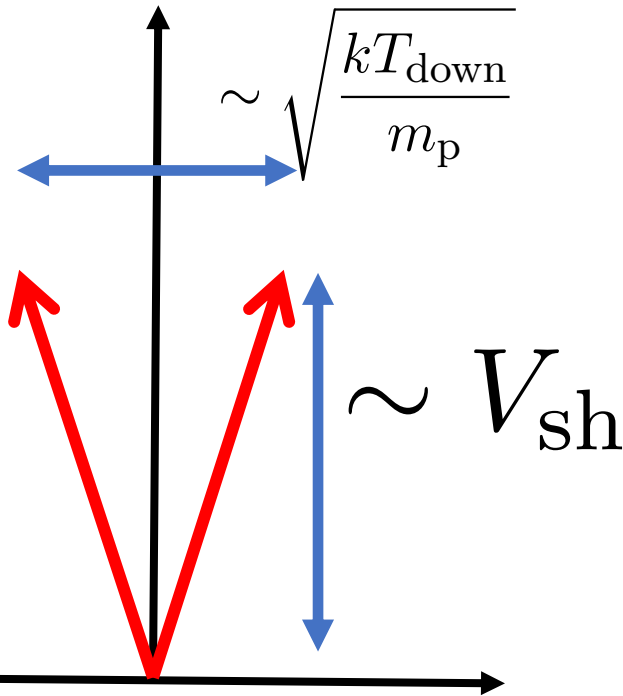
Charged particles → shock heating

Hydrogen atoms → no dissipation

Polarized H α

- ✓ **Collision direction seen in the rest frame of hydrogen atoms**

Velocity comp. **normal** to the shock surface



Velocity comp. **parallel** to the shock surface

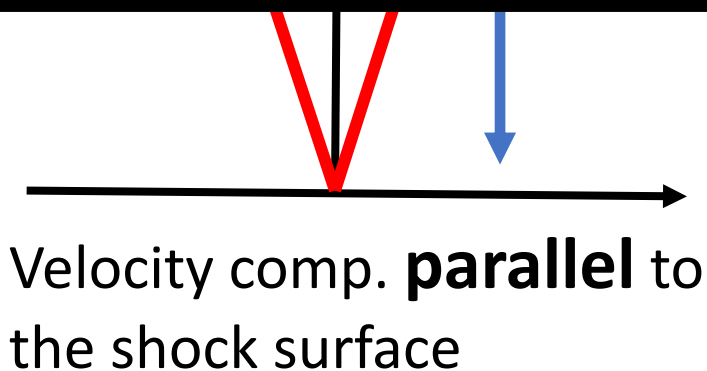
- In the rest frame of hydrogen atoms (i.e. the upstream frame), the colliding charged particles are seen as a “mildly collimated beam”.
- The “width” of beam is determined by the downstream temperature.
- The anisotropy of collision yields polarized H α with a few % degree.

Polarized H α

- ✓ Collision direction seen in the rest frame of hydrogen atoms

Velocity comp. normal to shock surface. In the rest frame of hydrogen

□ The polarized H α with a few % degree was firstly predicted by Laming (1990) for SNR shocks, but he did not consider the acceleration of non-thermal particles (i.e. cosmic-rays).

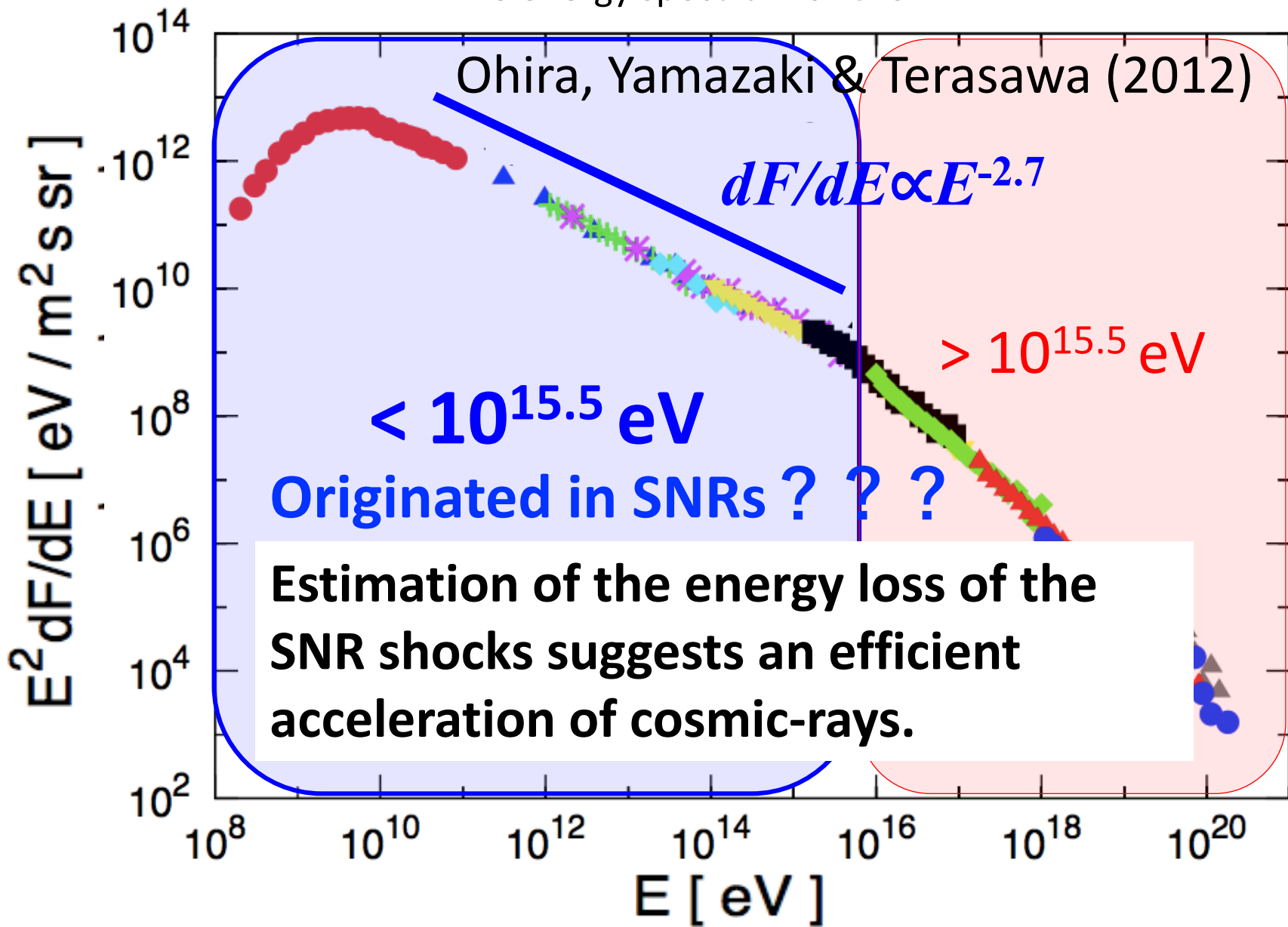


downstream temperature.

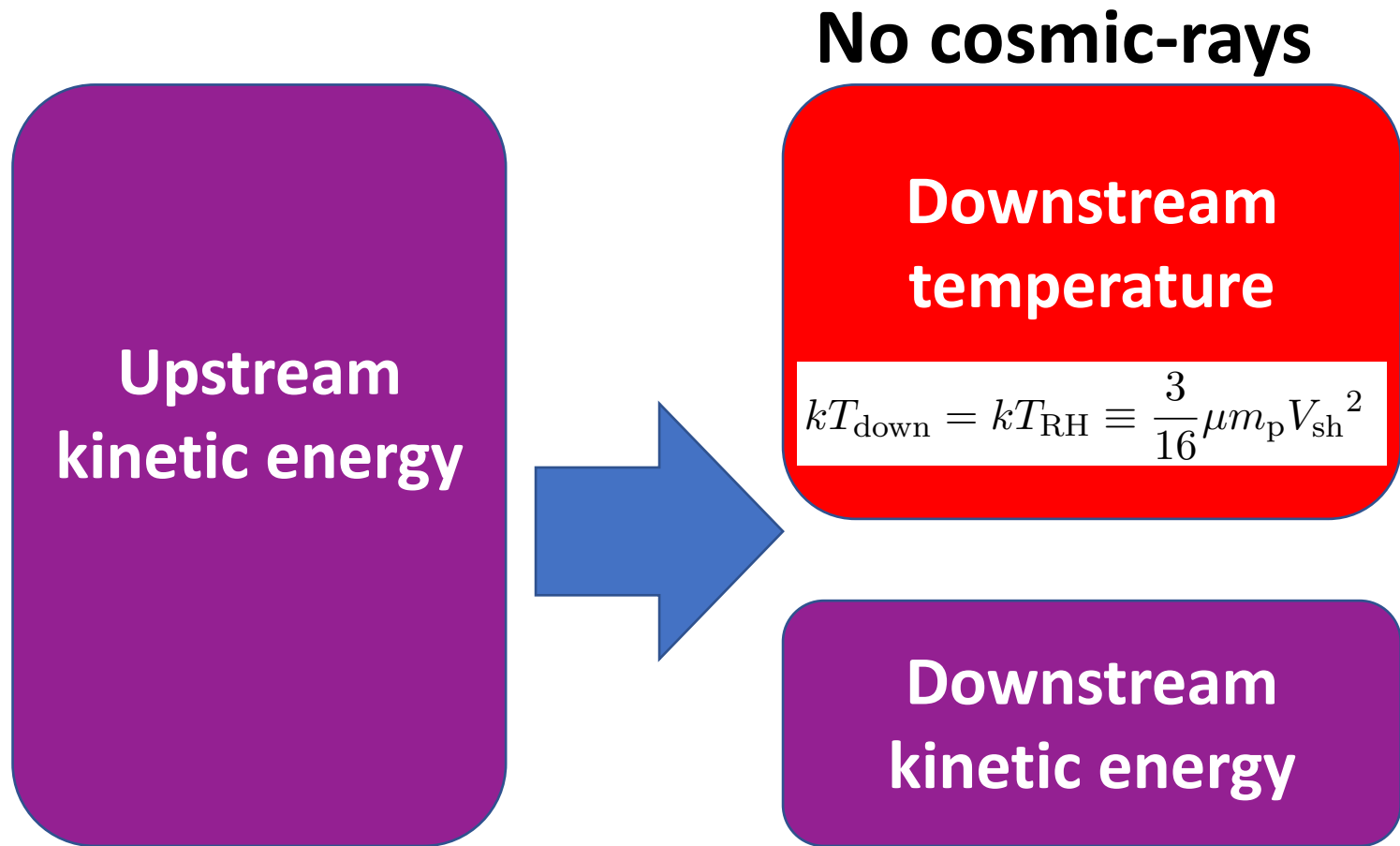
- The anisotropy of collision yields polarized H α with a few % degree.

Cosmic Rays

The energy spectrum of CRs



On the energy loss of the shocks

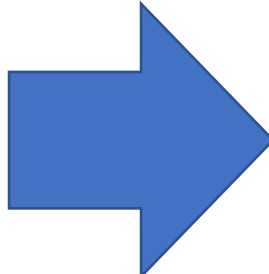


If the shock accelerates cosmic-ray, ...

On the energy loss of the shocks

Efficient Acceleration

Upstream
kinetic energy



Downstream
temperature

$$kT_{\text{down}} < kT_{\text{RH}} \equiv \frac{3}{16} \mu m_p V_{\text{sh}}^2$$

Cosmic-ray Acceleration

Downstream
kinetic energy

Energy loss rate
(Shimoda+ 15) :

$$\eta \equiv \frac{T_{\text{RH}} - T_{\text{down}}}{T_{\text{RH}}}$$

On the energy loss of the shocks

Efficient Acceleration

Upstream
kinetic energy

Downstream
temperature

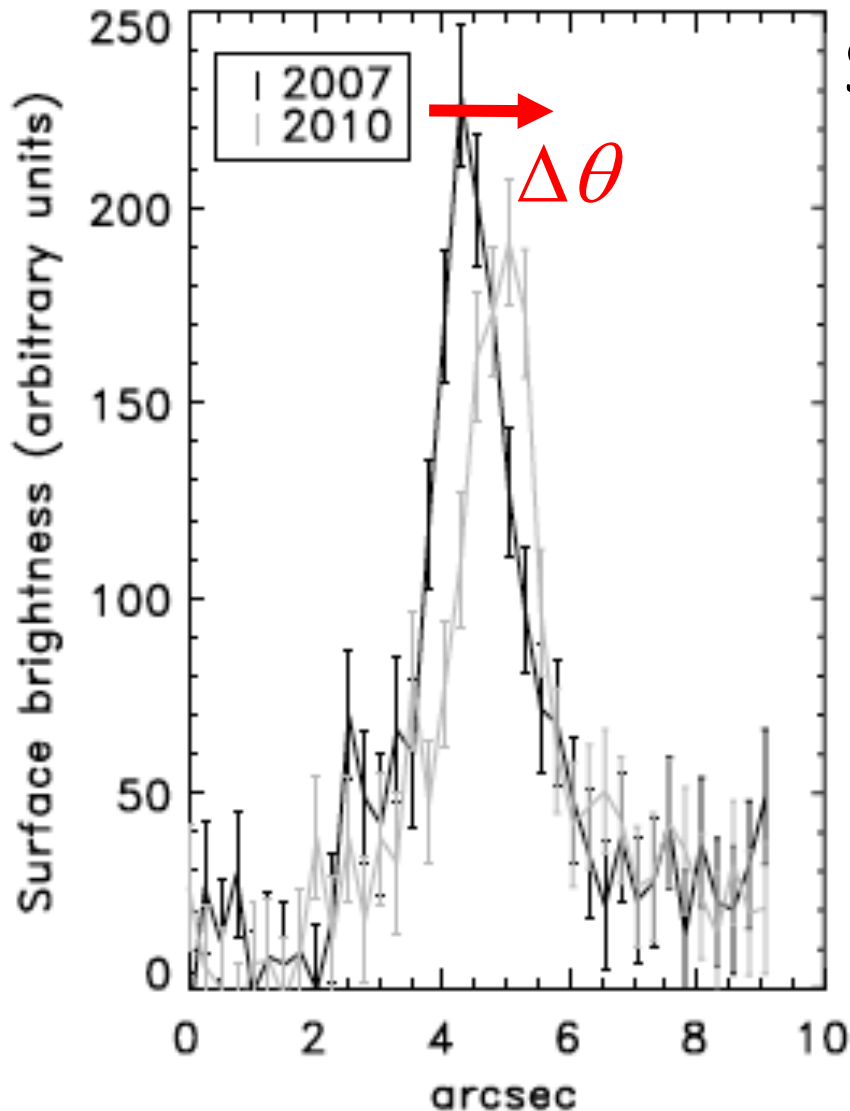
$$kT_{\text{down}} < kT_{\text{RH}} \equiv \frac{3}{16} \mu m_p V_{\text{sh}}^2$$

If we measure independently the downstream temperature T_{down} and the shock velocity V_{sh} , we can estimate the energy loss rate as a missing thermal energy.

Energy loss rate
(Shimoda+ 15) :

$$\eta \equiv \frac{T_{\text{RH}} - T_{\text{down}}}{T_{\text{RH}}}$$

Previous works of the loss rate



Shock velocity is measured by the proper motion $\Delta\theta$.

Downstream temperature is measured by the broad H α .



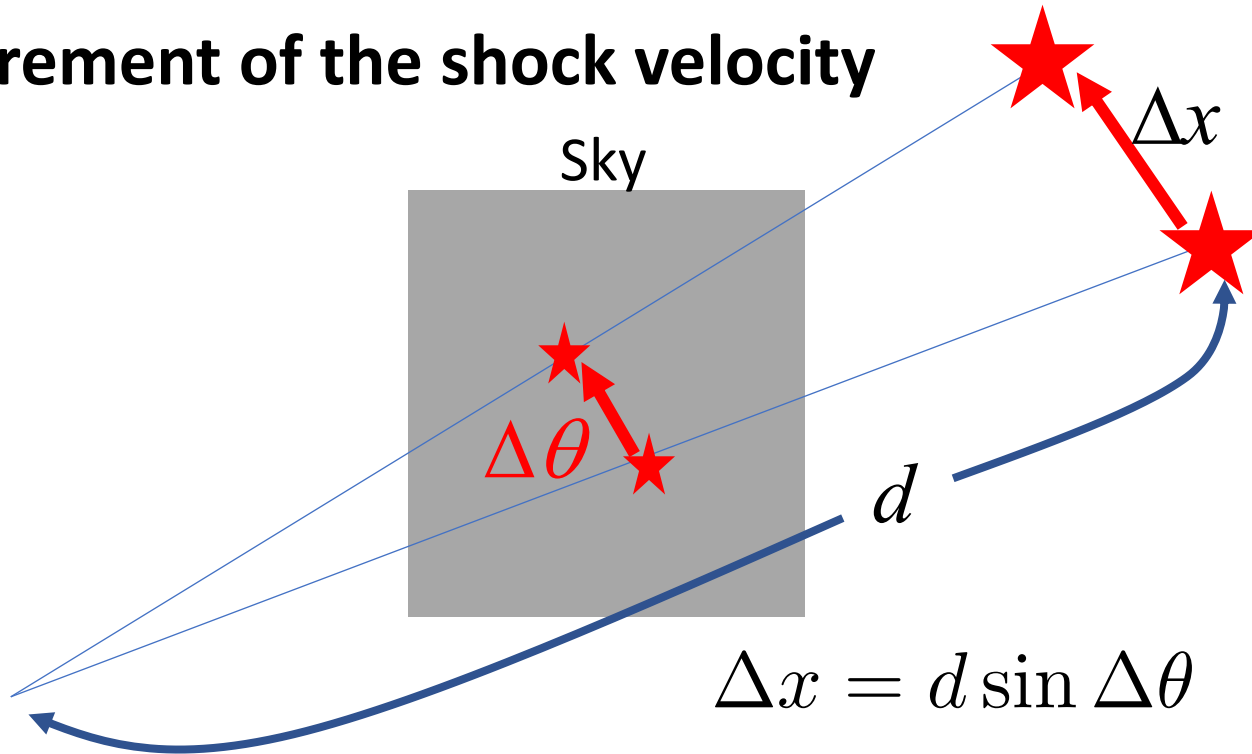
$$\eta \equiv \frac{T_{\text{RH}} - T_{\text{down}}}{T_{\text{RH}}} = 0.5 \pm 0.3$$

Suggesting the significant energy loss (e.g. Helder+ 09, 13, Shimoda+15, 18)

Helder+ 13 for SNR RCW 86

Problem in the previous estimation

□ Measurement of the shock velocity

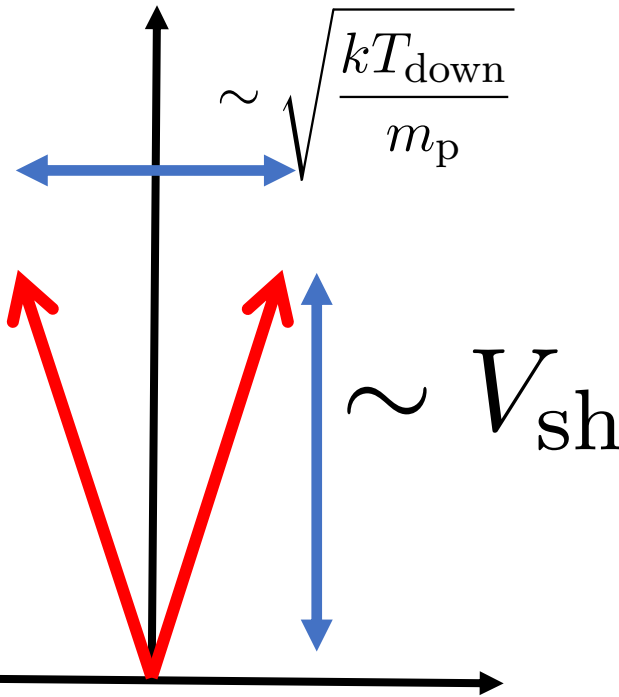


- ✓ In order to derive the shock velocity from the proper motion, we need a distance to the SNR with high accuracy (with errors less than 1 %).

Polarized H α (No cosmic-ray)

✓ **Collision direction seen in the rest frame of hydrogen atoms**

Velocity comp. **normal** to the shock surface



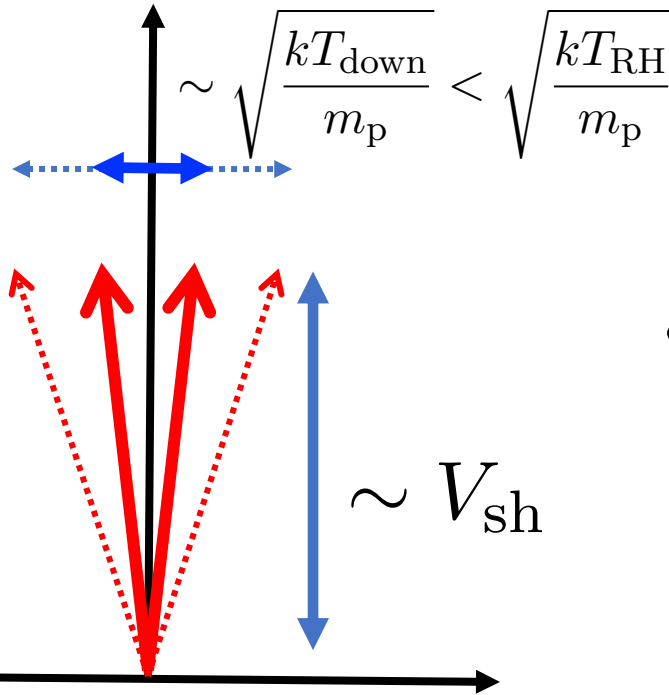
Velocity comp. **parallel** to the shock surface

- In the rest frame of hydrogen atoms (i.e. the upstream frame), the colliding charged particles are seen as a “mildly collimated beam”.
- The “width” of beam is determined by the downstream temperature.
- The anisotropy of collision yields polarized H α with a few % degree.

Polarized H α (with cosmic-ray)

✓ **Collision direction seen in the rest frame of hydrogen atoms**

Velocity comp. **normal** to the shock surface



Velocity comp. **parallel** to the shock surface

- If the shock efficiently accelerates cosmic-rays, then they can escape from the shock, carrying away significant energy.
- As a result, the downstream temperature becomes lower than the adiabatic case, yielding larger anisotropy of collision.
- **Polarization degree increases!**

Polarized H α (with cosmic-ray)

✓ Collision direction seen in the rest frame of hydrogen atoms

Velocity comp. normal to shock surface • If the shock efficiently

- ❑ In the previous study, Laming (1990) considered only H α emission from shocks without cosmic-rays.
- ❑ In this work, updating the atomic data (e.g. cross sections), we calculate H α and H β emissions from shocks efficiently accelerating cosmic-rays.

Velocity comp. **parallel** to the shock surface

- Polarization degree increases!

Calculation diagram

□ Downstream temperatures

$$kT_p = \frac{3}{16}(1 - \eta)\mu m_p V_{sh}^2$$

$$kT_e = \beta kT_p$$

The downstream proton and electron temperatures are observable.

Setting the downstream proton and electron temperatures, and the energy loss rate η , we derive the downstream velocity from the jump conditions for the shock losing an energy (Cohen+98).

□ Downstream velocity in the upstream frame

$$u_2 = \left(1 - \frac{1}{R_c}\right) \sqrt{\frac{16}{3} \frac{kT_p}{(1 - \eta)\mu m_p}}$$

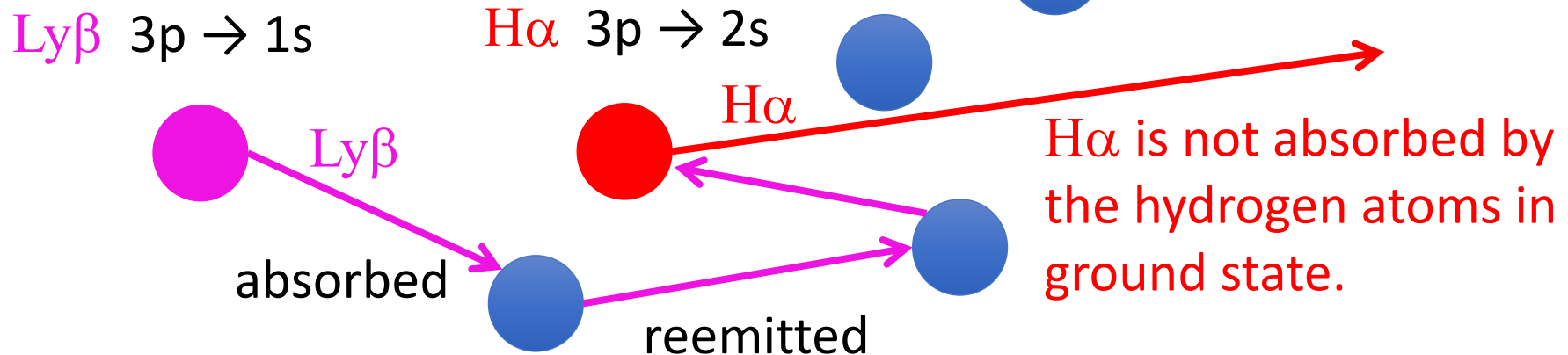
□ Distribution function of protons and electrons

$$f_q(\mathbf{v}_q, \mathbf{u}_2) = \left(\frac{m_q}{2\pi kT_q}\right)^{\frac{3}{2}} \exp\left(-\frac{m_q(\mathbf{v}_q - \mathbf{u}_2)^2}{2kT_q}\right)$$

$$Q \equiv I_{\parallel} - I_{\perp} \quad \Pi \equiv \frac{I_{\parallel} - I_{\perp}}{I_{\parallel} + I_{\perp}}$$
$$I \equiv I_{\parallel} + I_{\perp}$$

✘ Parallel and Perpendicular are defined respecting to the shock surface.

Conversion of $\text{Ly}\beta \rightarrow \text{H}\alpha$



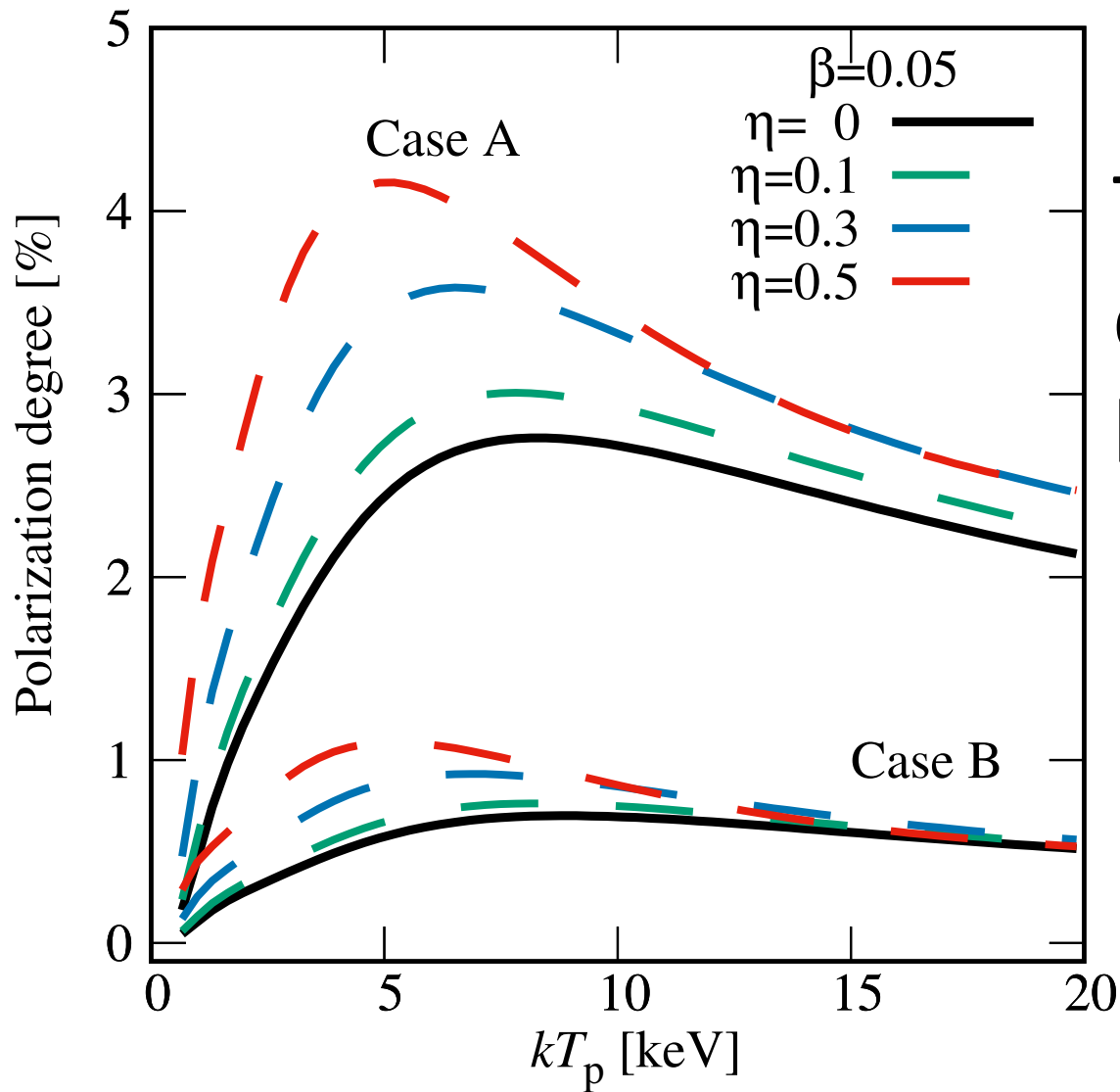
- A part of hydrogen atoms in $n=3$ emit $\text{Ly}\beta$ due to 3p to 1s transition.
- The emitted $\text{Ly}\beta$ is absorbed by the hydrogen atoms in ground state.
- Eventually, $\text{Ly}\beta$ is converted to $\text{H}\alpha$ due to 3p to 2s transition.

Optically **thin** for $\text{Ly}\beta$ is “**Case A**”

Optically **thick** for $\text{Ly}\beta$ is “**Case B**”

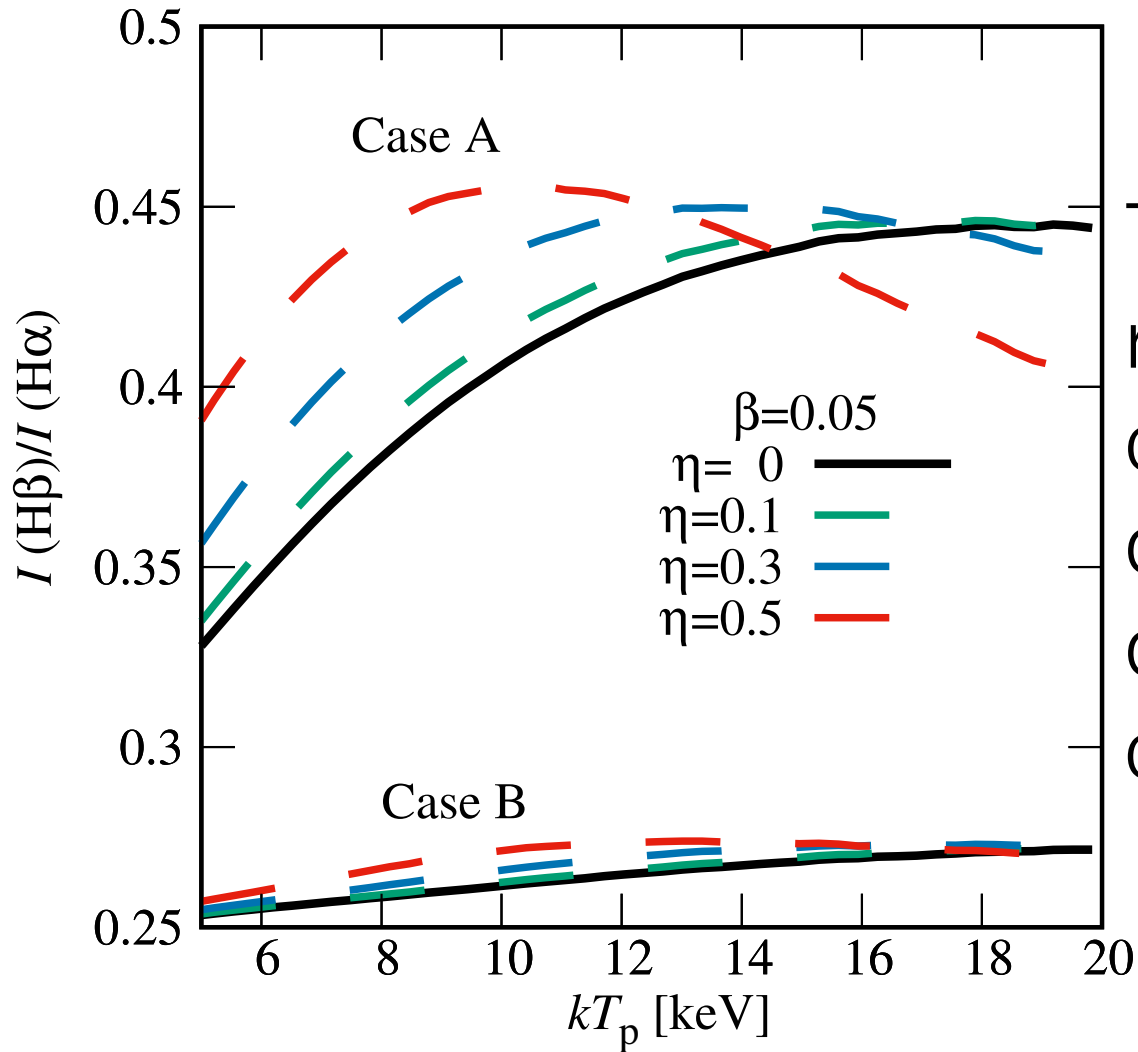
We assume the converted $\text{H}\alpha$ photons are unpolarized.

Polarization of H α : $Q(\text{H}\alpha)/I(\text{H}\alpha)$



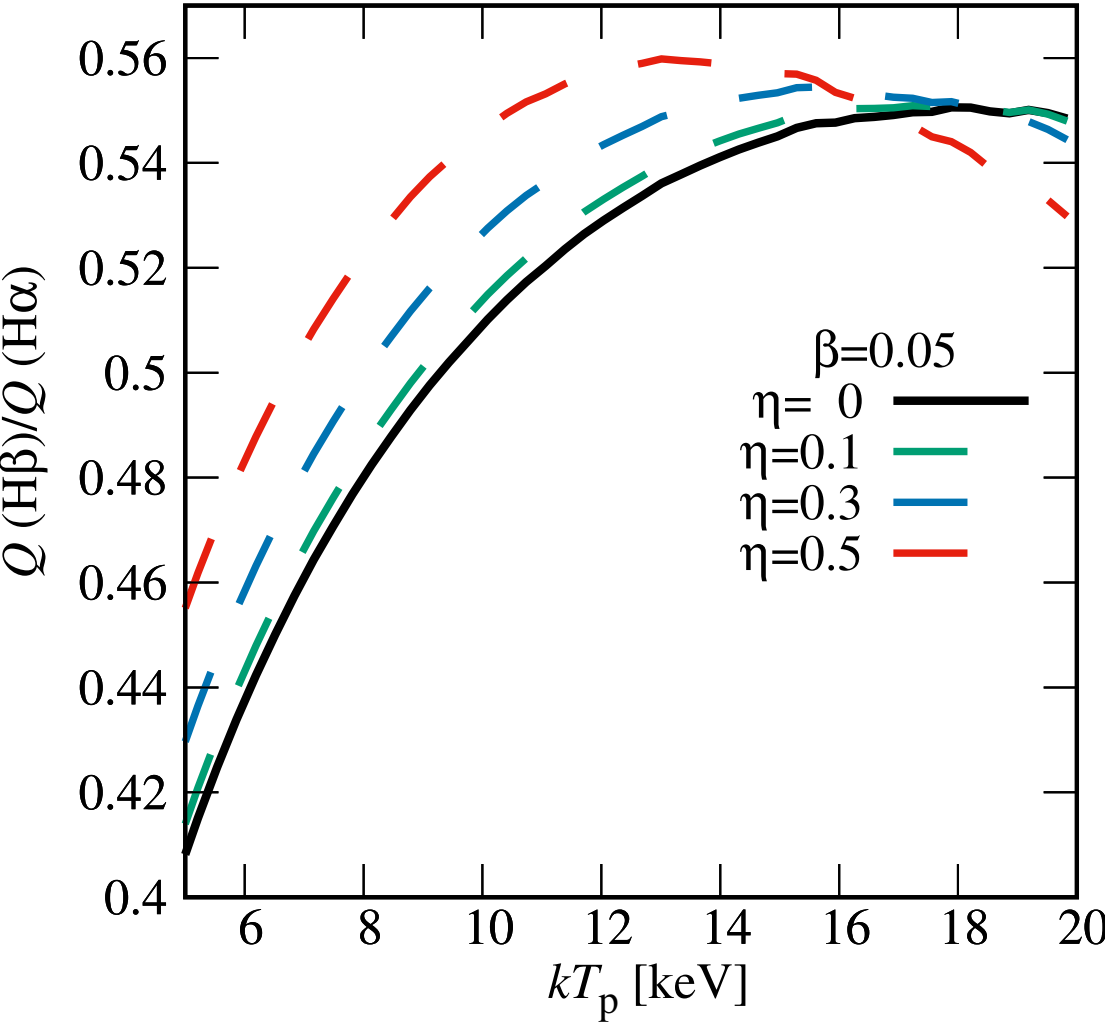
The degree depends on the loss rate η .

Ratio of total intensity: $I(\text{H}\beta)/I(\text{H}\alpha)$



The total intensity ratio depends also on the loss rate due to the difference of cross sections.

Ratio of polarized intensity: $Q(\text{H}\beta)/Q(\text{H}\alpha)$

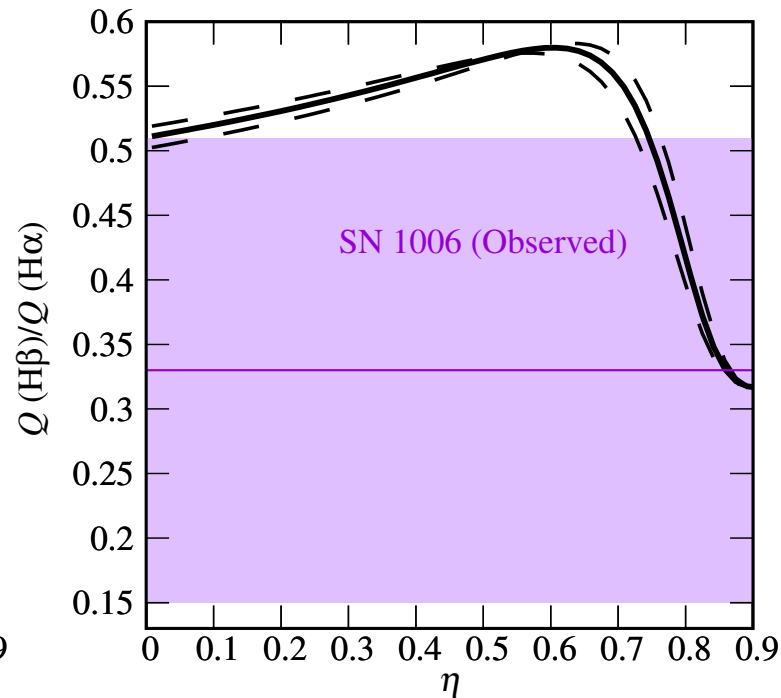
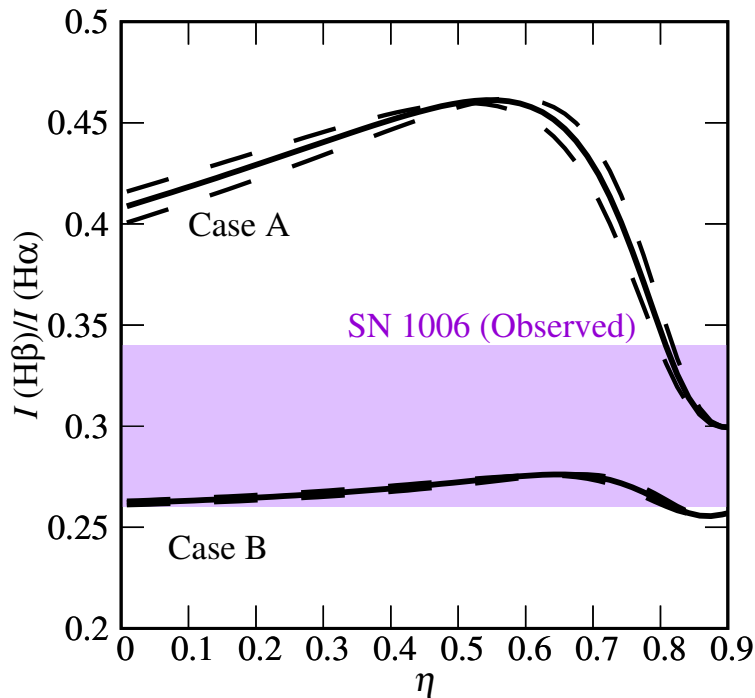
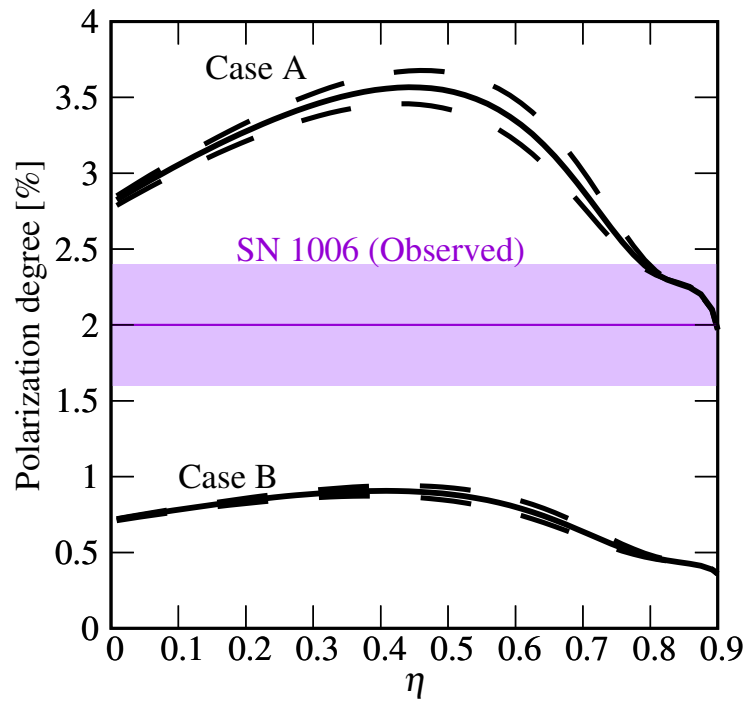


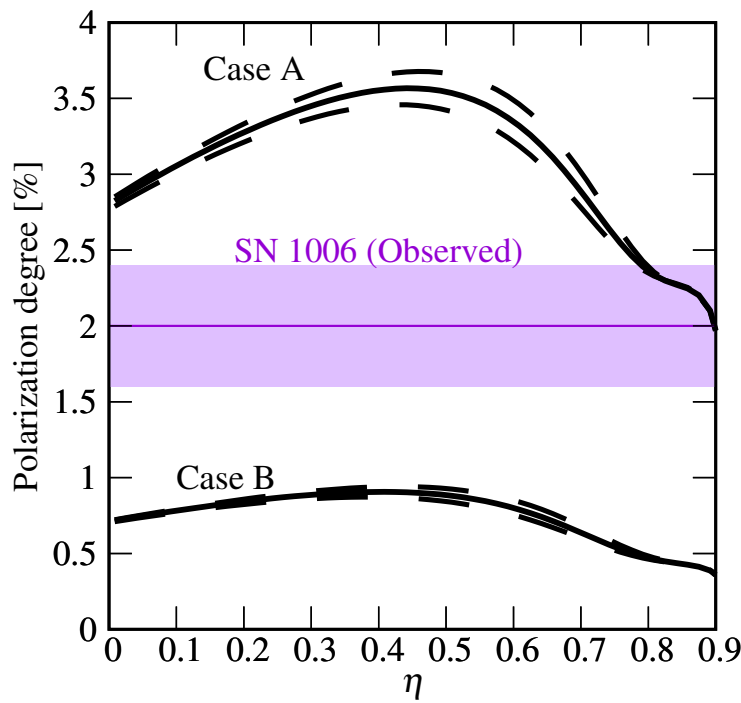
The polarized intensity ratio depends also on the loss rate due to the difference of cross sections.

It does not depend on Case A or B.

Comparison with the observation: vs. η

The loss rate is not constrained due to the errors of observations.



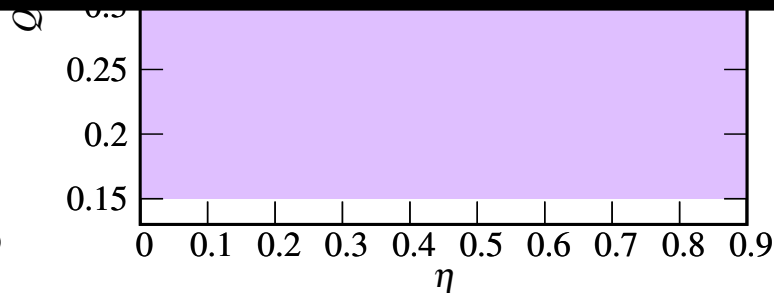
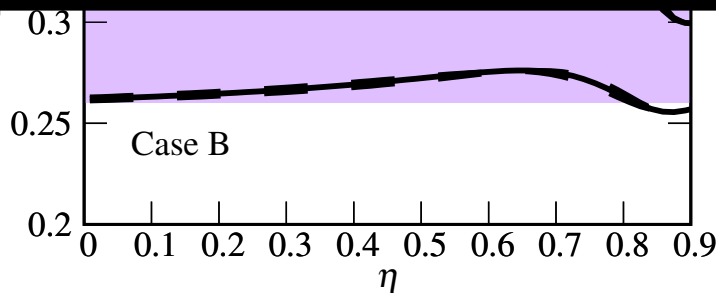


Comparison with the observation: vs. η

The loss rate is not constrained due to the errors of observations.



□ We need a precise measurement of polarization and a calculation for an arbitrary optical thickness of Ly β .



Applications

Comparison of the proper motion and the downstream temperature **had been relied on for an estimation of distance to the SNR (Chevalier+80).**

1980~

The significant energy loss of shock was suggested (e.g. Hughes+00, Warren+05, Helder+09,13). **The previous estimation of distance became suspicious.**

2000~

We can estimate the distance by combination of the loss rate by polarization and the proper motion.

present



Once we determine the distance and η

Downstream temperature

$$kT_{\text{down}} < kT_{\text{RH}} \equiv \frac{3}{16} \mu m_p V_{\text{sh}}^2$$

Cosmic-ray Acceleration

Downstream kinetic energy

$$\eta \equiv \frac{T_{\text{RH}} - T_{\text{down}}}{T_{\text{RH}}}$$

- Cosmic-ray protons : η_p
 $p_{\text{CR}} + p_{\text{thermal}} \rightarrow \pi^0 \rightarrow 2\gamma$
 Number of thermal nuclei can be derived from H α surface brightness with the calculation for an arbitrary optical thickness of Ly β (e.g. Chevalier+80).
- Cosmic-ray electrons : η_e
 $e_{\text{CR}} + \gamma_{\text{CMB}} \rightarrow \gamma_{\text{IC}}$
known
- Generation of Magnetic field: η_B
Related to Synchrotron surface brightness L_{syn}

We can **observationally** constraint the energy budget of collisionless shock in detail.

Once we determine the distance and η

Downstream temperature

$$kT_{\text{down}} < kT_{\text{RH}} \equiv \frac{3}{16} \mu m_p V_{\text{sh}}^2$$

Cosmic-ray Acceleration

Downstream kinetic energy

$$\eta \equiv \frac{T_{\text{RH}} - T_{\text{down}}}{T_{\text{RH}}}$$

$$\eta = \eta_e + \eta_p + \eta_B$$

$$L_\gamma = L_{\text{IC}}(\eta_e) + L_{\pi^0}(\eta_p)$$

$$= a\eta_e + b\eta_p$$

$$L_{\text{syn}} = c\eta_e\eta_B$$

Surface brightness are detectable η and coefficients a, b, and c are known

We have three equations with three unknowns!

We can **observationally** constraint the energy budget of collisionless shock in detail.

Summary of this work

- We have calculated the polarized Balmer line emissions from the shocks efficiently accelerating non-thermal particles.
- We have shown that **the energy loss rate of the shocks resulting from the particle acceleration** can be measured by the polarization degree.
- Our calculation will be applied for **an estimation of a distance from the acceleration sites.**