

# Beyond the neutron-drip line

~ two-neutron decay of unbound nuclei ~

Kouichi Hagino

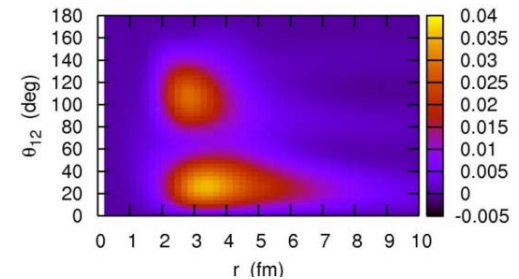
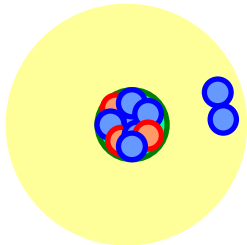
*Tohoku University, Sendai, Japan*



Hiroyuki Sagawa

*RIKEN/ University of Aizu*

TOHOKU  
UNIVERSITY

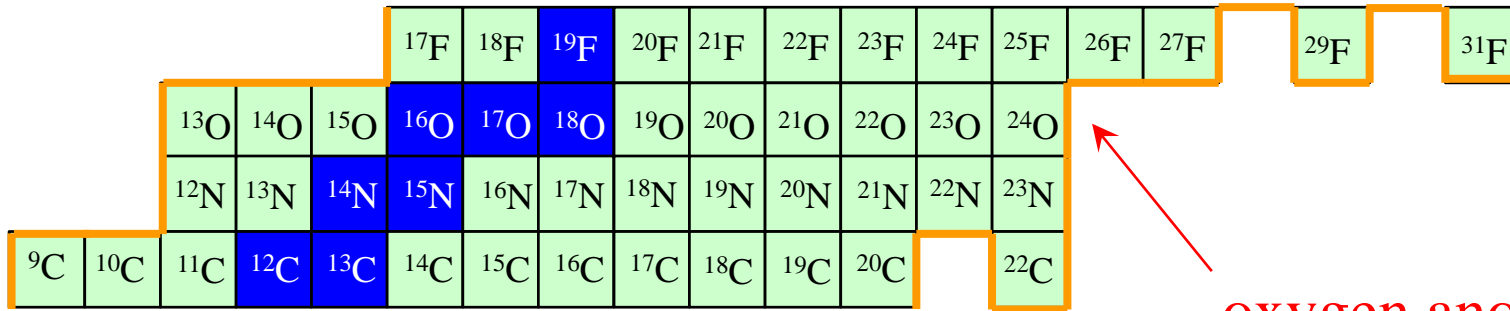


- 1. Three-body model analysis for decay of  $^{26}\text{O}$*
- 2. Application to  $^{10}\text{He}$*
- 3. Summary and future perspectives*



# Introduction

An important question in physics of unstable nuclei:  
**where are the neutron- and proton- drip lines located?**



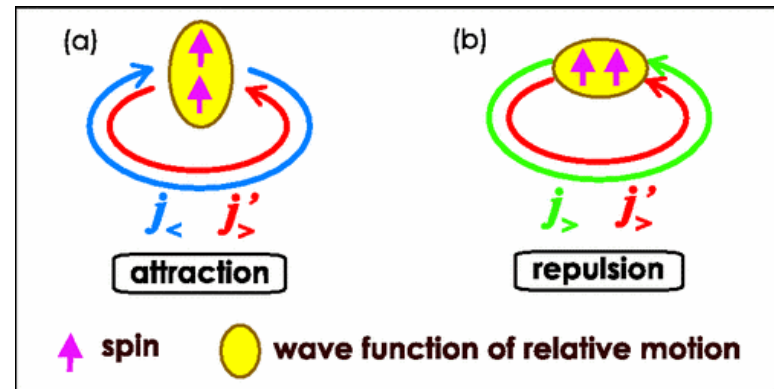
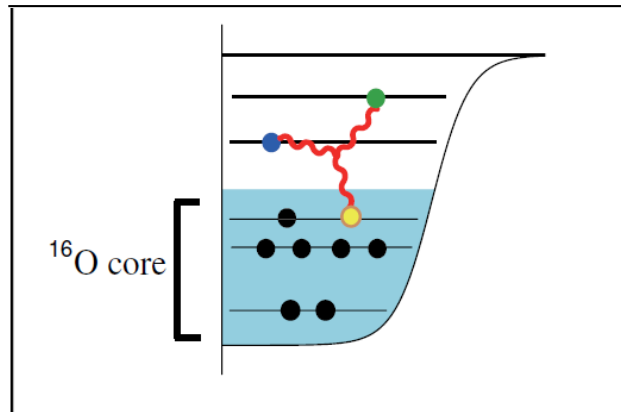
oxygen anomaly

why at  $N=16$  for **O**  
 while  $N \geq 22$  for **F**?

[T. Otsuka et al.,](#)

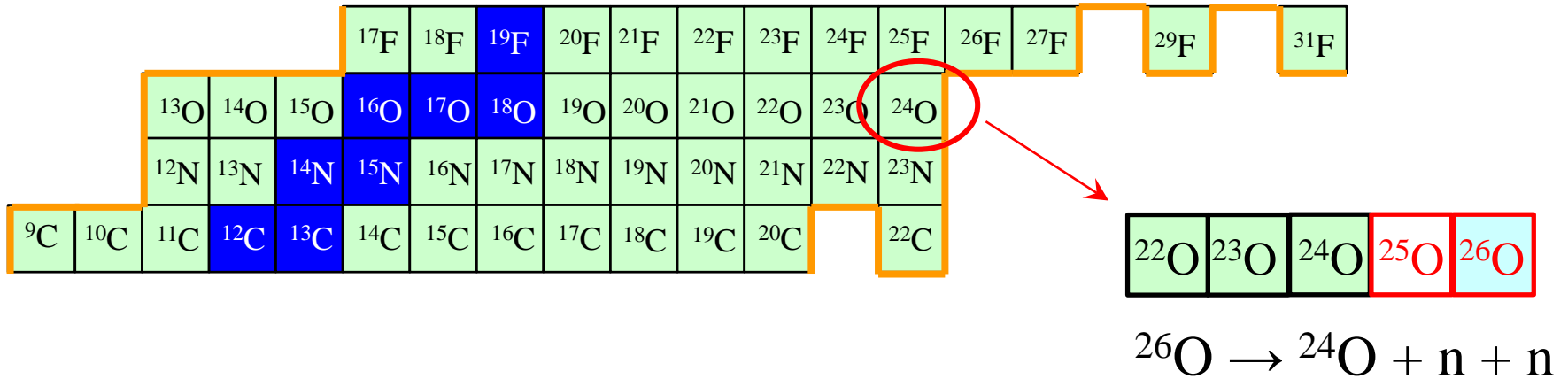
PRL95 ('05) 232502, PRL105 ('10) 032501

Effects of three-body and tensor forces



# Introduction

An important question in physics of unstable nuclei:  
where are the neutron- and proton- drip lines located?



My talk today:

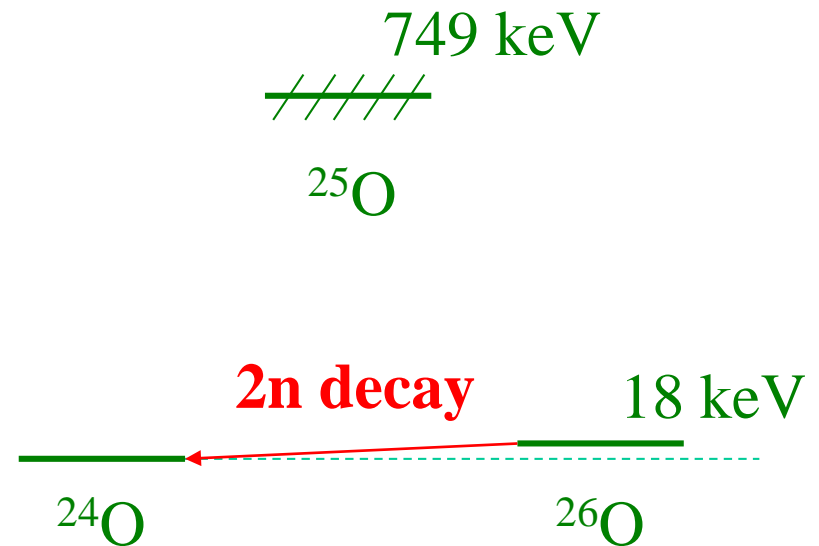
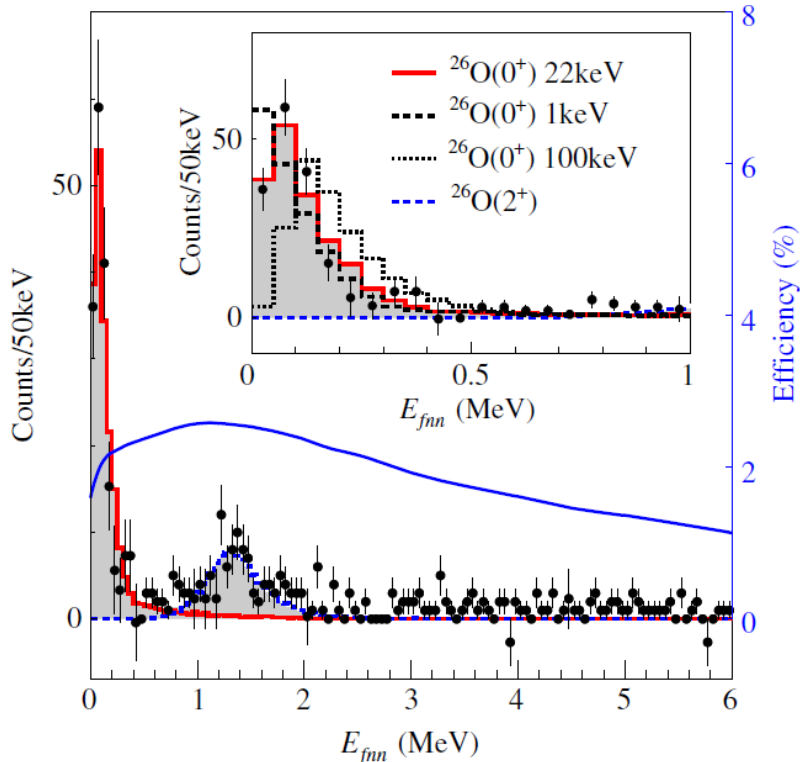
Decay dynamics of the unbound  $^{26}\text{O}$  nucleus

role of nn correlation?

# Experimental data for decay spectrum

Expt. :  $^{27}\text{F} \rightarrow ^{26}\text{O} \rightarrow ^{24}\text{O} + n + n$

- **MSU**: E. Lunderberg et al., PRL108 ('12) 142503
- **GSI**: C. Caesar et al., PRC88 ('13) 034313
- **RIKEN**: Y. Kondo et al., PRL116('16)102503

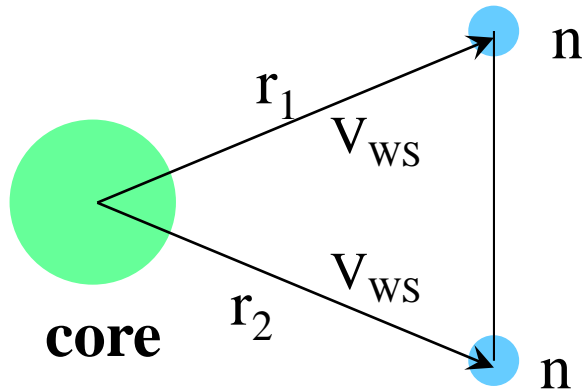


Y. Kondo et al., PRL116('16)102503  $\rightarrow E_{\text{decay}}(^{26}\text{O}) = 18 \pm 3 \pm 4 \text{ keV}$

# 3-body model analysis for $^{26}\text{O}$ decay

core + n + n model with density dependent contact  $nn$  interaction

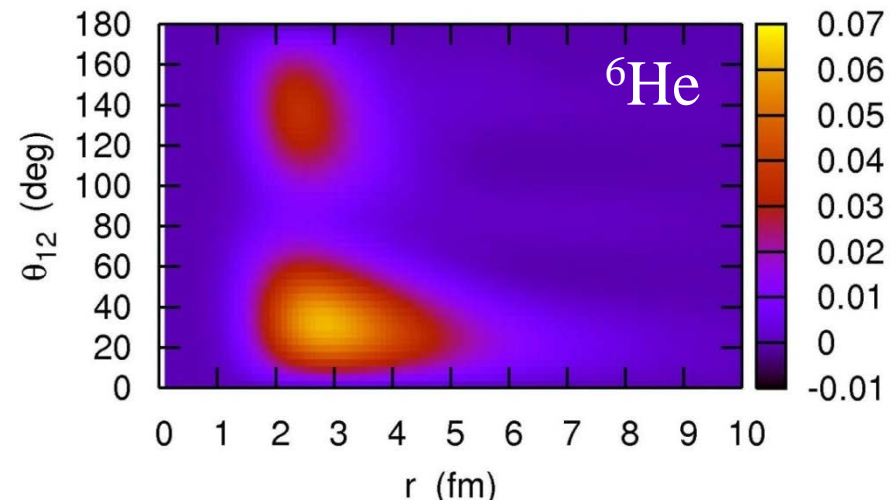
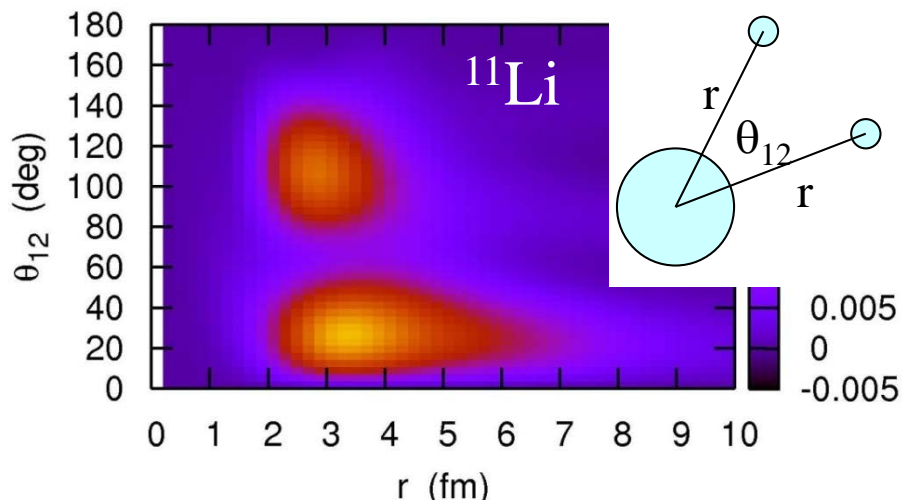
G.F. Bertsch and H. Esbensen, Ann. of Phys. 209 ('91) 327  
K.H. and H. Sagawa, PRC72 ('05) 044321



Density-dependent delta-force

$$v(\mathbf{r}_1, \mathbf{r}_2) = v_0(1 + \alpha\rho(r)) \times \delta(\mathbf{r}_1 - \mathbf{r}_2)$$

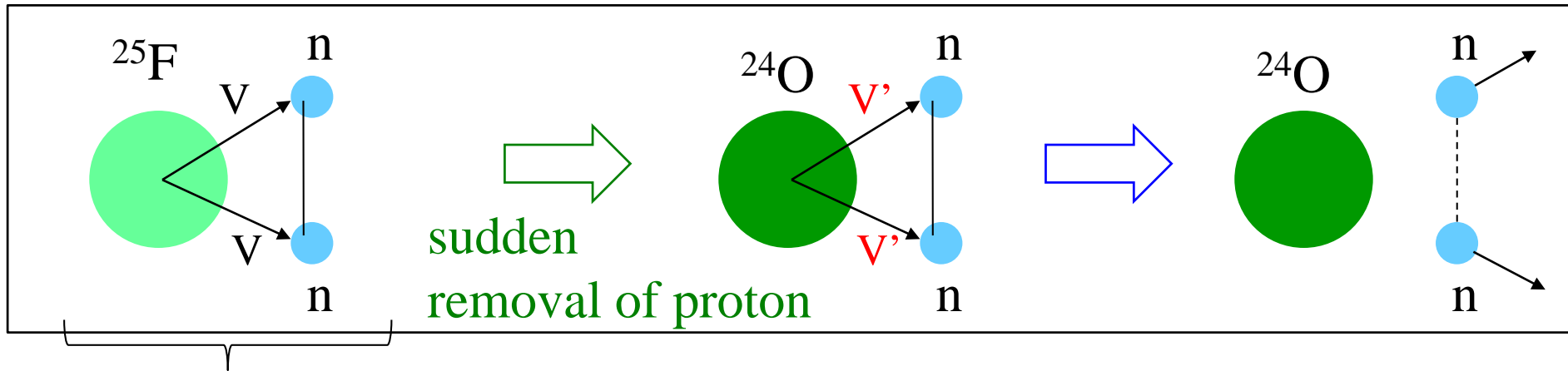
K.H. and H. Sagawa, PRC72 ('05) 044321



# 3-body model analysis for $^{26}\text{O}$ decay

K.H. and H. Sagawa,  
PRC89 ('14) 014331

cf. Expt. :  $^{27}\text{F} + ^9\text{Be} \rightarrow ^{26}\text{O} \rightarrow ^{24}\text{O} + n + n$



g.s. of  $^{27}\text{F}$  (bound)

$$\underbrace{\Psi_{nn}(^{27}\text{F}) \otimes |^{25}\text{F}\rangle}_{\text{the same config. (the reference state)}} \xrightarrow{\text{green arrow}} \underbrace{\Psi_{nn}(^{27}\text{F}) \otimes |^{24}\text{O}\rangle}_{\text{the same config. (the reference state)}} \xrightarrow{\text{blue arrow}} \text{spontaneous decay}$$

$$\frac{dP}{dE} = |\langle \Psi_{nn}(^{27}\text{F}) | \Psi_{nn}(^{26}\text{O}; E) \rangle|^2$$

# 3-body model analysis for $^{26}\text{O}$ decay

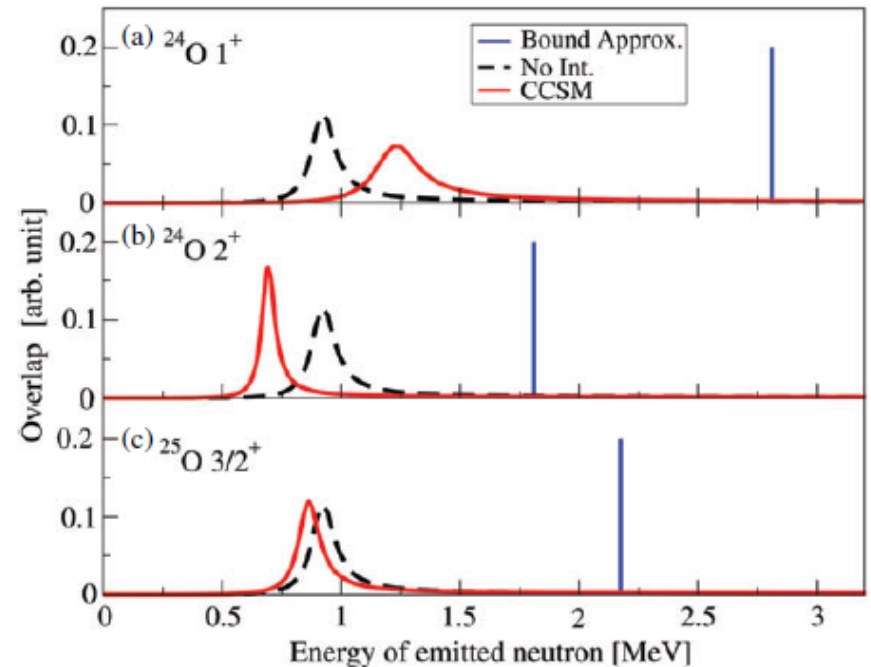
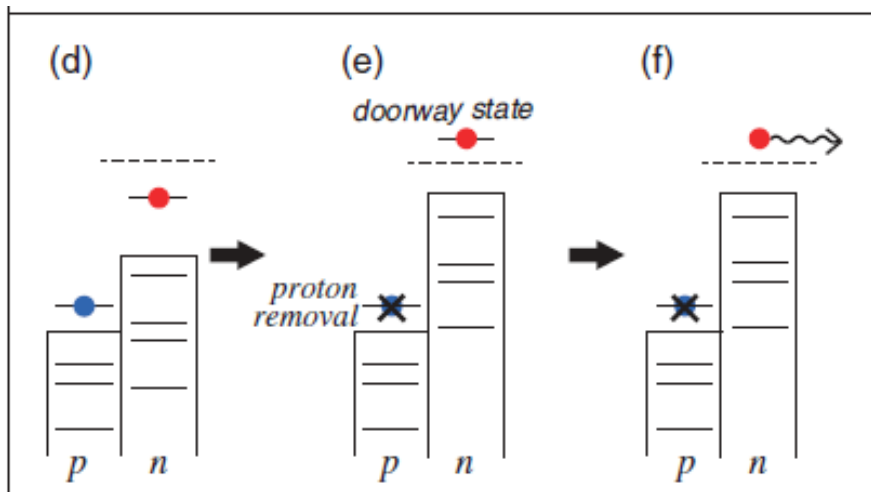
K.H. and H. Sagawa,  
PRC89 ('14) 014331

$\Psi_{nn}(^{27}\text{F}) \otimes |^{25}\text{F}\rangle \xrightarrow{\text{green arrow}} \Psi_{nn}(^{27}\text{F}) \otimes |^{24}\text{O}\rangle \xrightarrow{\text{blue arrow}} \text{spontaneous decay}$

$$\frac{dP}{dE} = |\langle \Psi_{nn}(^{27}\text{F}) | \Psi_{nn}(^{26}\text{O}; E) \rangle|^2$$

cf. Door-way state approach

K. Tsukiyama, T. Otsuka, and R. Fujimoto, PTEP 2015, 093D01





# 3-body model analysis for $^{26}\text{O}$ decay

K.H. and H. Sagawa,  
PRC89 ('14) 014331

$\Psi_{nn}(^{27}\text{F}) \otimes |^{25}\text{F}\rangle \xrightarrow{\text{green}} \Psi_{nn}(^{27}\text{F}) \otimes |^{24}\text{O}\rangle \xrightarrow{\text{blue}} \text{spontaneous decay}$

$$\frac{dP}{dE} = |\langle \Psi_{nn}(^{27}\text{F}) | \Psi_{nn}(^{26}\text{O}; E) \rangle|^2$$

## ➤ Green's function method

$$\frac{dP}{dE} = \int dE' |\langle \Psi_{E'} | \Phi_{\text{ref}} \rangle|^2 \delta(E - E') = \frac{1}{\pi} \Im \langle \Phi_{\text{ref}} | \frac{1}{H - E - i\eta} | \Phi_{\text{ref}} \rangle = G(E)$$

## Correlated Green's function: continuum effects

$$G(E) = G_0(E) - G_0(E)v(1 + G_0(E)v)^{-1}G_0(E)$$

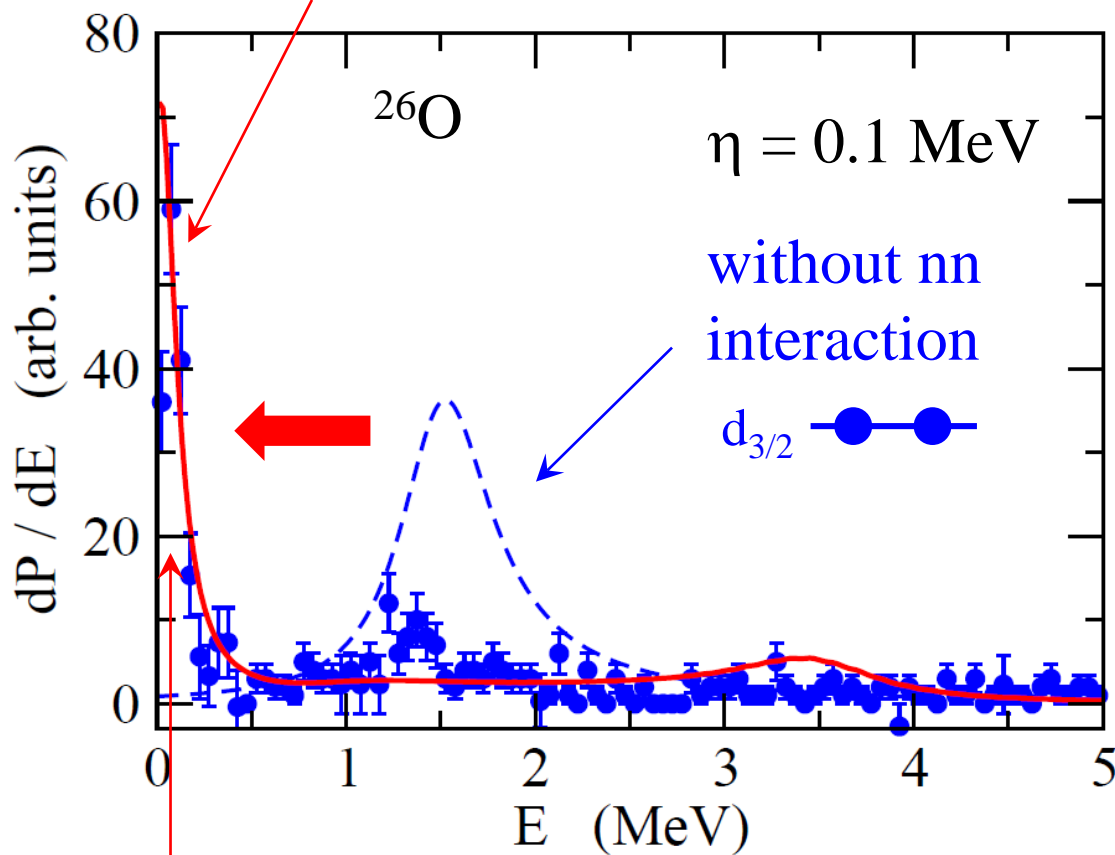
← zero-range interaction

# Decay energy spectrum

K.H. and H. Sagawa,  
- PRC89 ('14) 014331  
- PRC93('16)034330

$$|\Phi_{\text{ref}}\rangle = |[1d_{3/2}]^2\rangle \text{ in } ^{27}\text{F}$$

with nn interaction



$3/2^+$  ~~////~~ 749 keV  
 $^{25}\text{O}$

18 keV  
 $^{24}\text{O}$   $^{26}\text{O}$

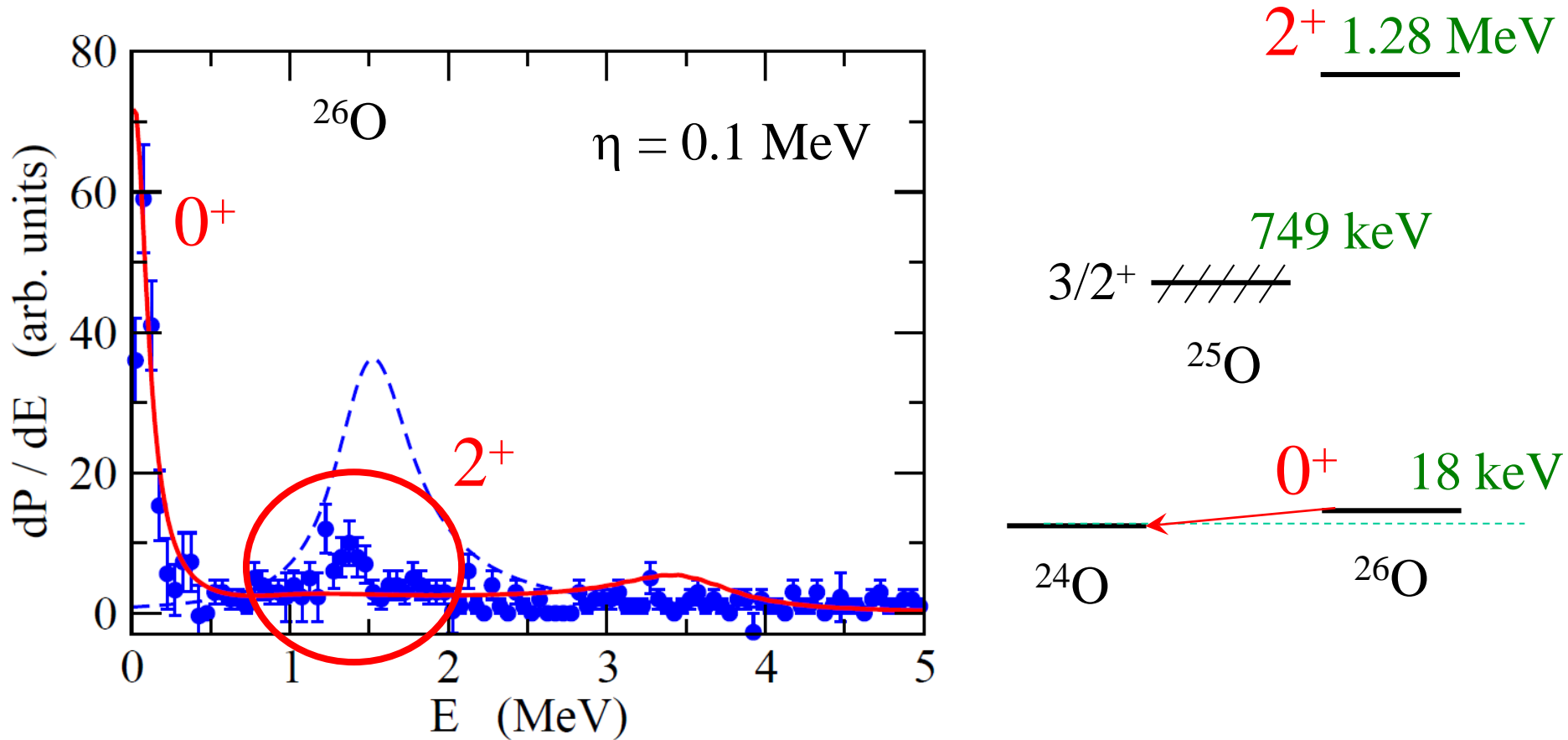
$$E_{\text{peak}} = 18 \text{ keV (input)}$$

Data: Y. Kondo et al., PRL116('16)102503

# Decay energy spectrum

K.H. and H. Sagawa,  
- PRC89 ('14) 014331  
- PRC93('16)034330

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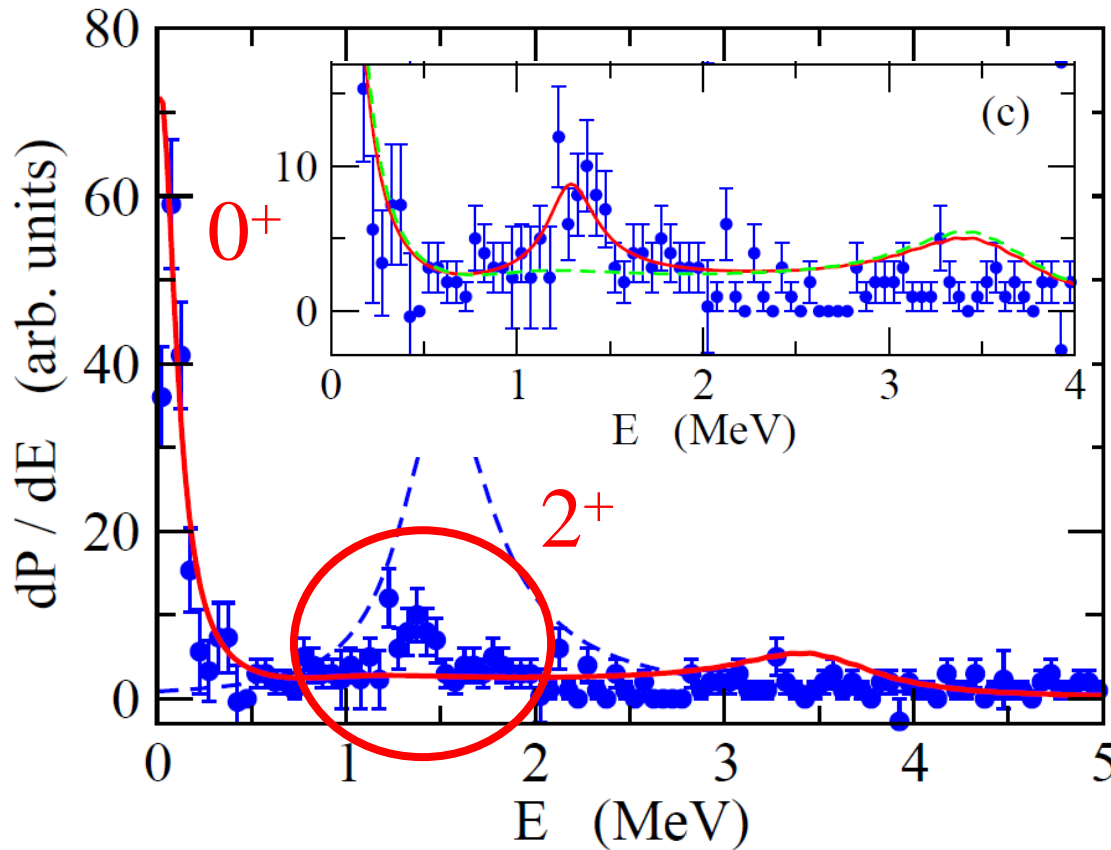
a prominent second peak  
at  $E = 1.28^{+0.11}_{-0.08} \text{ MeV}$

Data: Y. Kondo et al., PRL116('16)102503

# Decay energy spectrum

K.H. and H. Sagawa,  
- PRC89 ('14) 014331  
- PRC93('16)034330

$$|\Phi_{\text{ref}}\rangle = |[1d_{3/2}]^2\rangle \text{ in } ^{27}\text{F}$$



*three-body model  
calculation:*

(MeV)

1.498	-----	$(d_{3/2})^2$
1.282	-----	$2^+$
		$\Gamma = 0.12 \text{ MeV}$
0.018	-----	$0^+$

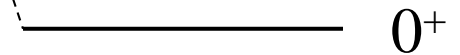
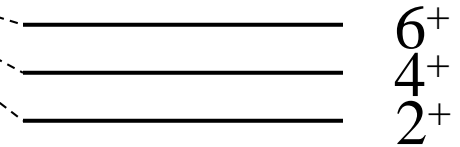
a prominent second peak  
at  $E = 1.28^{+0.11}_{-0.08} \text{ MeV}$

Data: Y. Kondo et al., PRL116('16)102503

a textbook example of pairing interaction!

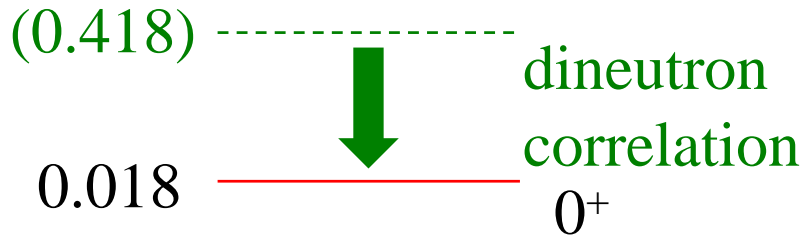
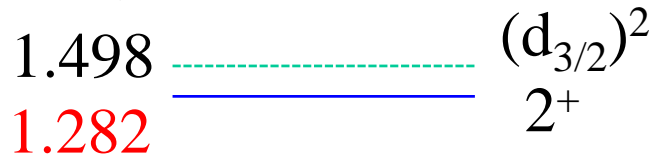
$$[jj]^{(1)} = 0^+, 2^+, 4^+, 6^+, \dots$$

w/o residual interaction



with residual interaction

(MeV)



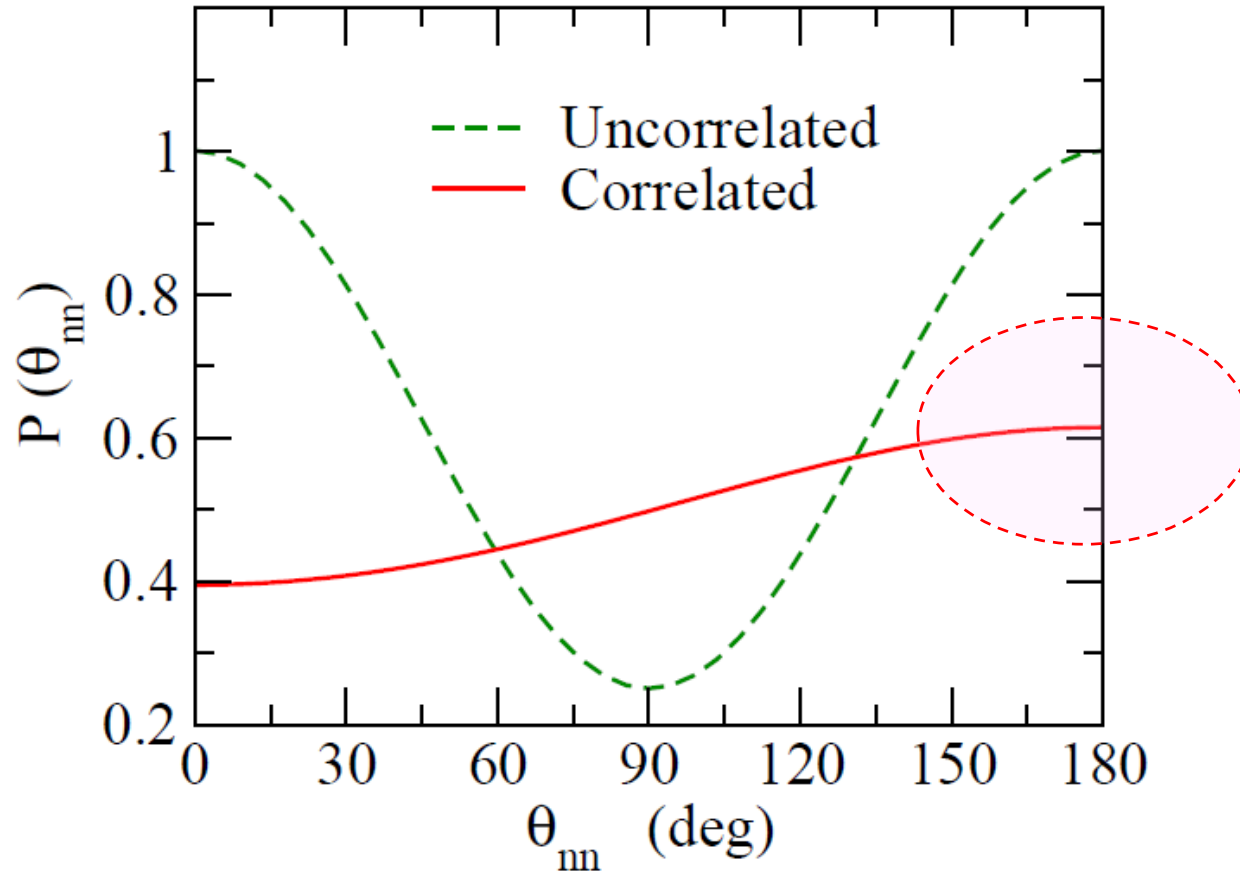
$^{26}\text{O}$

cf. Gamow shell model: similar result  
S.M. Wang et al., PRC96 ('17) 044307

## Angular correlation of two emitted neutrons

K.H. and H. Sagawa,  
PRC89 ('14) 014331;  
PRC93 ('16) 034330

$$P(\theta) \sim |\langle \mathbf{k}_1 \mathbf{k}_2 | \Psi_{3\text{bd}}(E) \rangle|^2$$

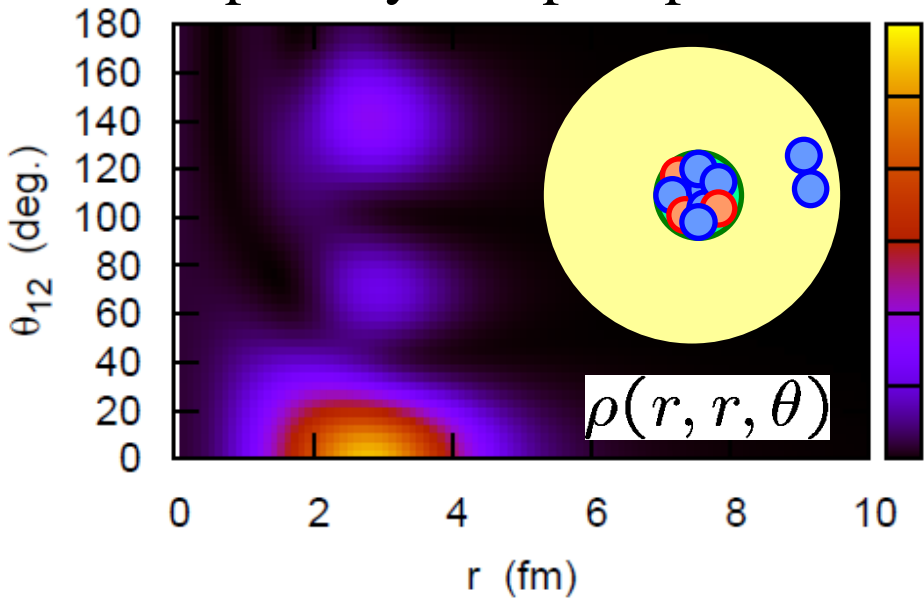


**correlation  $\rightarrow$  enhancement of back-to-back emissions**

# Di-neutron correlation

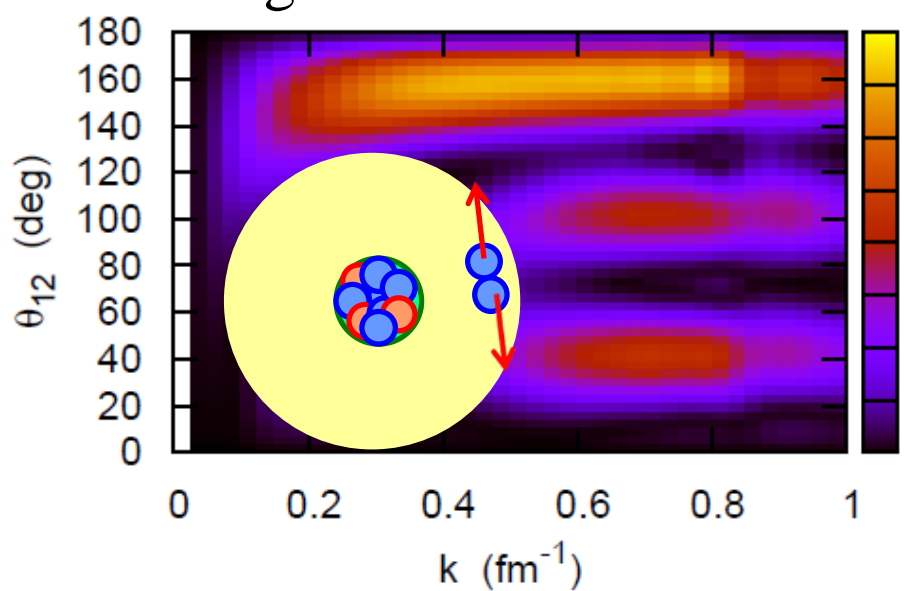
$^{26}\text{O}$  in a large box

spatially compact pair

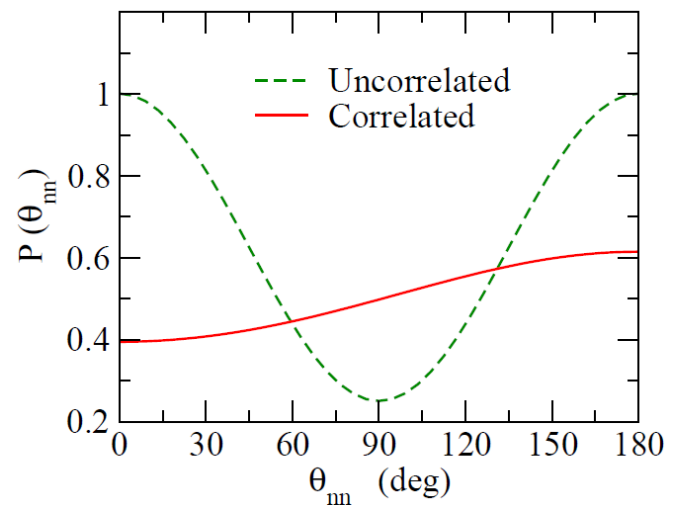


→

large relative momentum



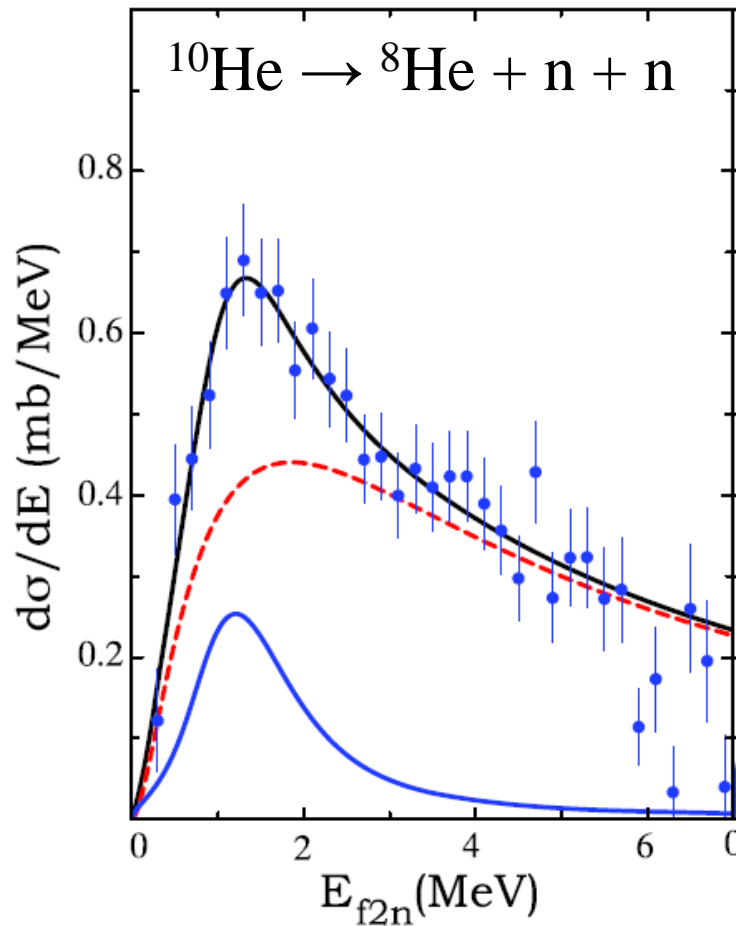
$$8\pi^2 k^4 \sin \theta \cdot \rho(k, k, \theta)$$



enhancement of back-back emission  
→ a clear evidence for di-neutron correlation

# Application to $^{10}\text{He}$ decay

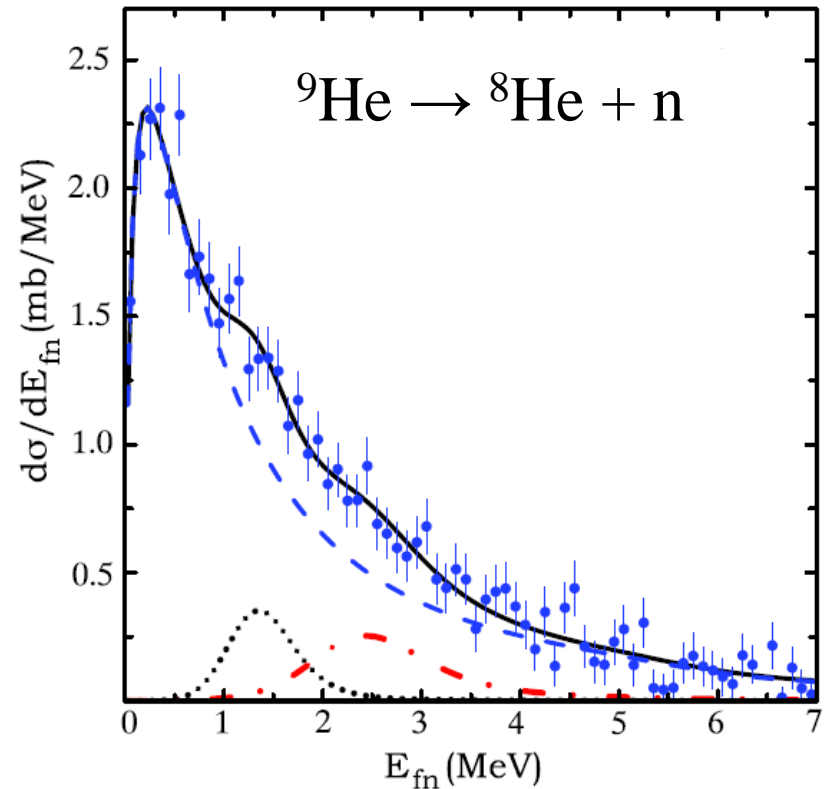
GSI Expt. :  $^{11}\text{Li} \rightarrow ^{10}\text{He} \rightarrow ^8\text{He} + n + n$  (H.T. Johansson et al., NPA842 ('10)15)  
cf. A.A. Korshennikov et al., PLB326 ('94) 31



H.T. Johansson et al., NPA847 ('10) 66

three-body model:

$$^8\text{He} [(s_{1/2})^2, (p_{3/2})^4] + n + n$$



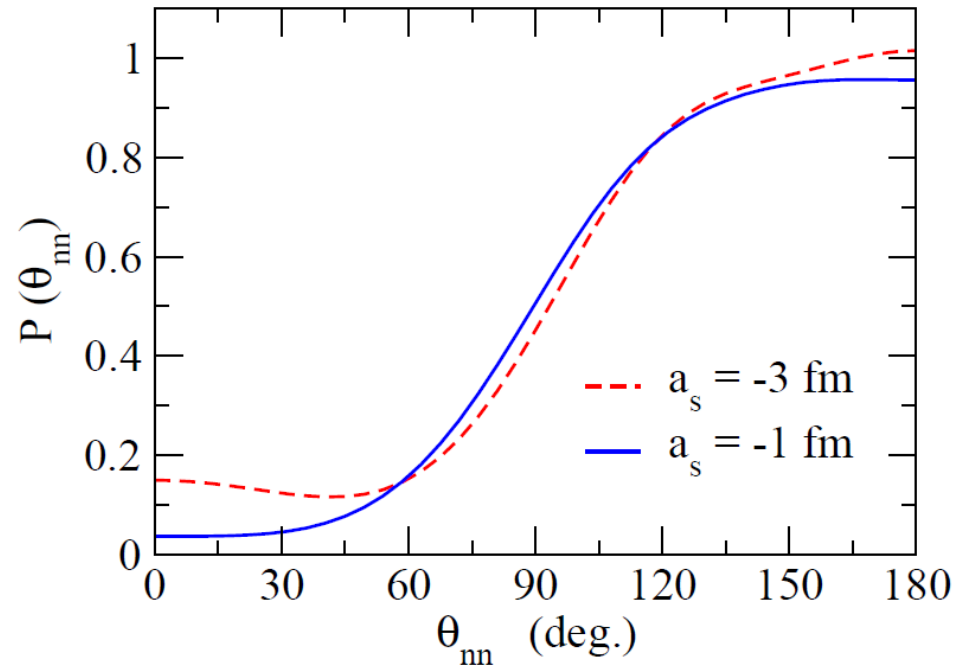
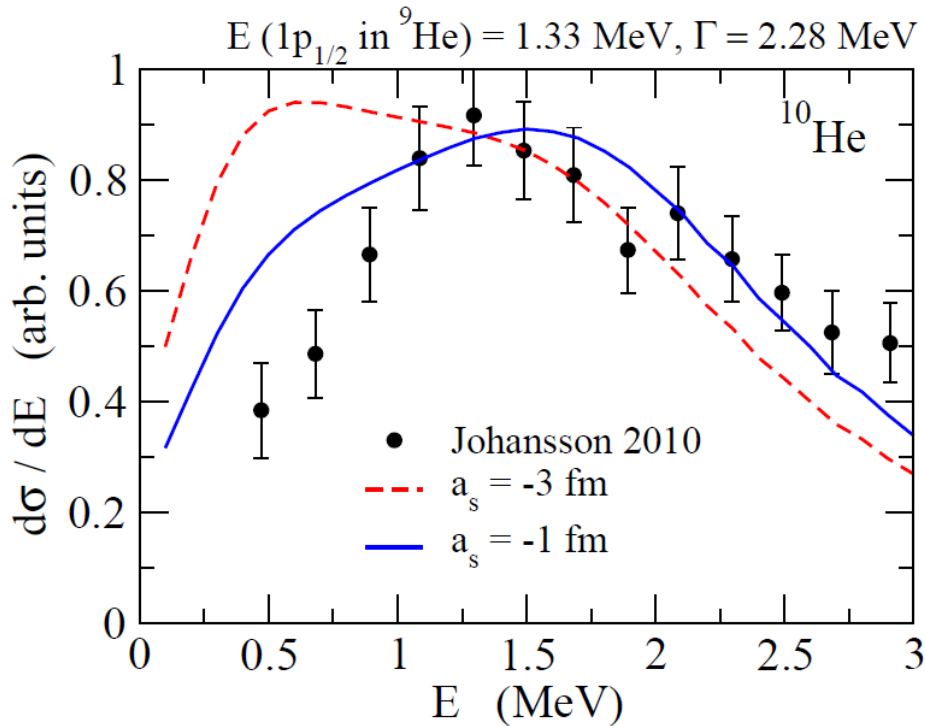
H.T. Johansson et al., NPA842 ('10) 15



# Application to $^{10}\text{He}$ decay

three-body model:  $^8\text{He} [(s_{1/2})^2, (p_{3/2})^4] + n + n$

ref. state  $^{11}\text{Li}$  (g.s.) K.H. and H. Sagawa, PRC72('05)



cf. H.T. Johansson et al., NPA842 ('10) 15

$a_s(^8\text{He}-n) = -3.17(66) \text{ fm}$

$1/2^- (^9\text{He}) : E=1.33 \text{ MeV}, \Gamma=0.1 \text{ MeV}$

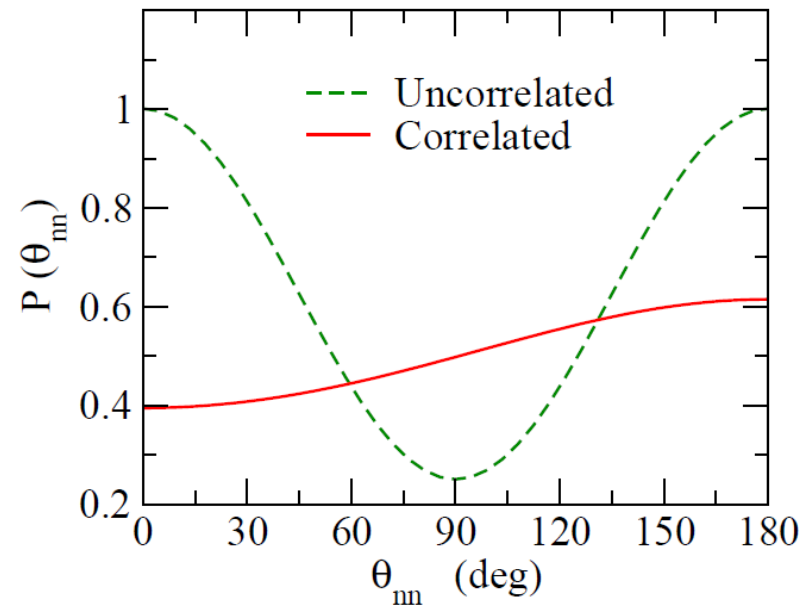
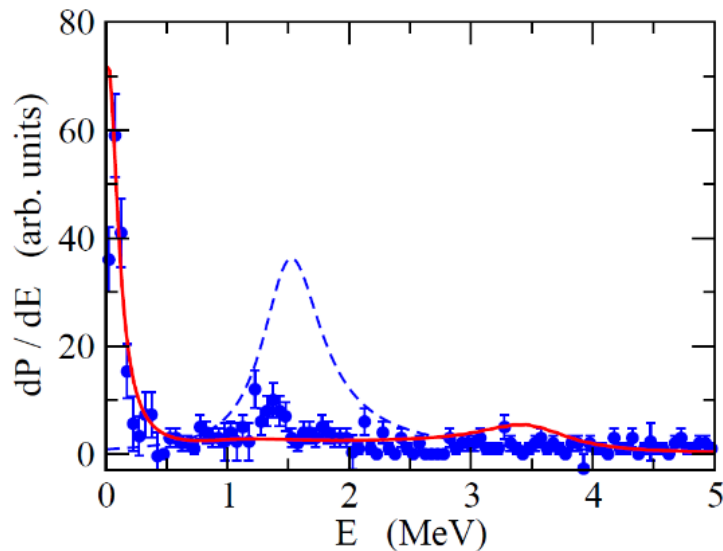
enhancement of  
back-to-back  
as in the decay of  $^{26}\text{O}$

# Summary

## □ 2n emission decay of $^{26}\text{O}$ ← three-body model

- ✓ Decay energy spectrum: strong low-energy peak
- ✓  $2^+$  energy: excellent agreement with the data
- ✓ Angular distributions: enhanced back-to-back emission

↔ dineutron correlation

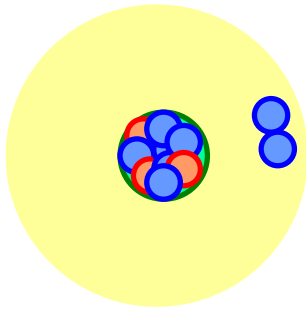


## □ application to 2n decay of $^{10}\text{He}$

# Future perspectives

## Decay of unbound nuclei beyond the drip lines

....as a probe for di-neutron correlations inside nuclei



### How to probe it?

#### ➤ Coulomb breakup

- ✓ disturbance due to E1 field
- ✓ cluster sum rule

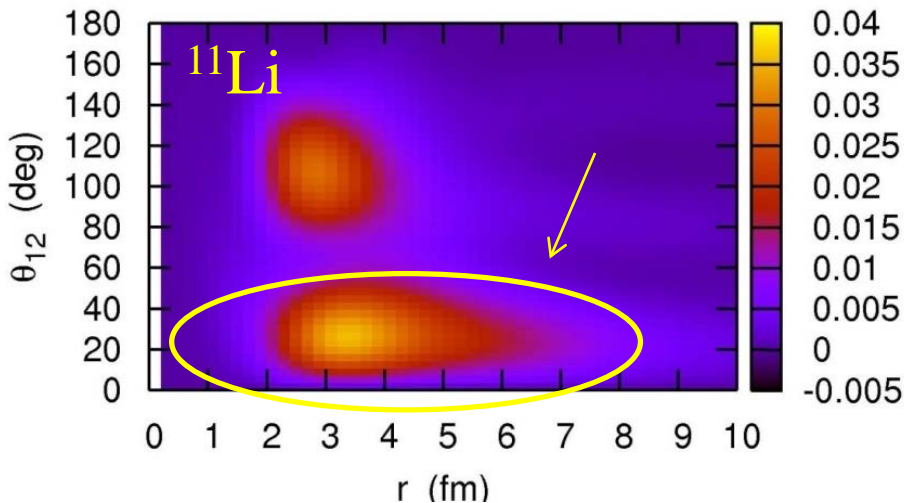
(the mean value of  $\theta_{nn}$ )

#### ➤ pair transfer reactions

#### ➤ two-proton decays

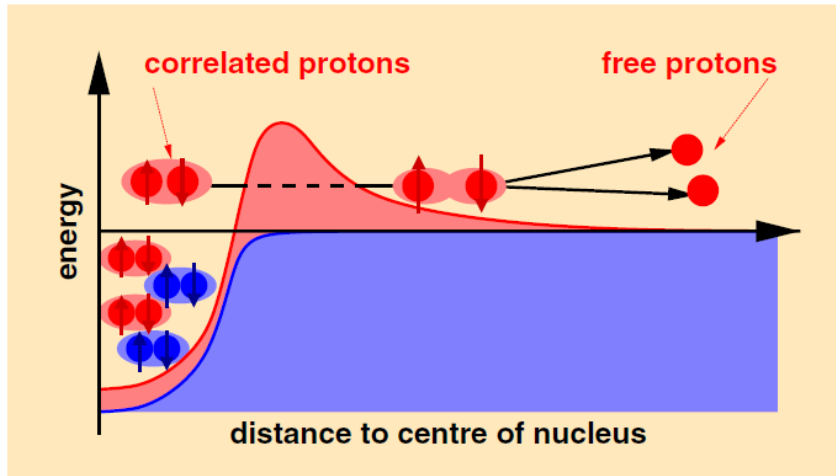
#### ➤ two-neutron decays

spontaneous emission without a disturbance



# Future perspectives

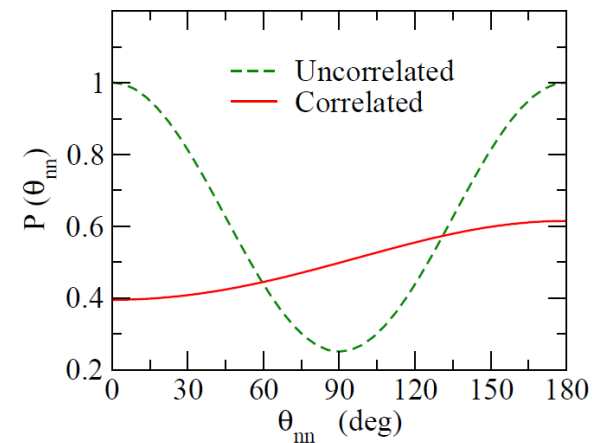
## 2n decay of unbound nuclei



B. Blank and M. Ploszajczak,  
Rep. Prog. Phys. 71('08)046301

## Can correlations be probed?

- 2p emission: long range Coulomb
- 2n emission: only centrifugal



back-to-back emission

## Experimental challenges

- ✓ measurement of ang. corr.
- ✓ spin measurement

## Theoretical challenges

- ✓ core deformation ( $^{16}\text{Be}$ )
- ✓ 3-body to 5- and 7-body
  - core+4n ( $^{13}\text{Li}$ )
  - core+6n ( $^{10}\text{He}$ )
- ✓ 4n emission ( $^{28}\text{O}$ )