RAPIDITY WINDOW DEPENDENCES OF Join me he **HIGHER ORDER CUMULANTS OF CONSERVED CHARGES**

Masakiyo Kitazawa (Osaka Univ.) with Masayuki Asakawa, Yutaro Ohnishi, Miki Sakaida Refs.: MK, Asakawa, Ono, PLB728, 386 (2014) ACKGROUND Sakaida, Asakawa, MK, PRC90, 064911(2014) MK, NPA942, 65 (2015); Talk by Asakawa, Monday Active experimental analysis of fluctuation observables, 1.2 STAR, PRL, 2014 especially their **non-Gaussianity** 1.0 **d**² 40-50% 0.8 Function $\operatorname{Erf}\left(\frac{\Delta\eta}{\sqrt{8\sigma_{c}}}\right)$ Are these fluctuations the equilibrium one generated at some time during time evolution? 0.6 0.4 (S a)/Skellam 0.92 0.90 0.95 0.80 1.05 Счо **NO!** Fluctuations continue to change until the medium arrives at the detector. Experimental results should be interpreted taking the **non-equilibrium effects** into account. How to verify this How to describe the **non-eq. diffusive** process of non-Gaussian cumulants? picture experimentally? A1: MODEL detector $\frac{\partial}{\partial t}P(\mathbf{n}) =$ freezeout $\Delta \gamma$ **Diffusion master equation** $\gamma \sum_{n=1}^{\infty} \left| (n_x + 1) \left\{ P(\mathbf{n} + \mathbf{e}_x - \mathbf{e}_{x+1}) \right. \right.$ (Brownian particles' model) hadronic n_{x+1} n_{x+2} n_{x-1} n_x $+P(\mathbf{n}+\mathbf{e}_x-\mathbf{e}_{x-1})\}$ • • • • • • • $-2n_xP(\mathbf{n})$ NOTE: This model can describe the approach of non-Gaussian fluctuations toward the equilibrated hadronic value. 🕻 Langevin-type eqs. 🛑 Non-Gaussianity vanishes in equil. KESULT Rapidity window dep. of 4th-order cumulant in the final state for various initial conditions c=1.5 ALICE/STAR ∕c,equil coverage 0.8 c=0.5 2nd c=0initial values $\langle \delta N^4
angle_c(\eta)/\langle \delta N^4
angle_c$ 0.6 A2: CONCLUSION $\frac{\langle \delta N^4 \rangle_{\rm c,initial}}{\langle \delta N^4 \rangle_{\rm c,equil.}}$ D₄=0.5 b=0 $D_{4} = 0$ b=0.5 $\langle Q_{(\rm net)}^2 Q_{(\rm tot)} \rangle_c$ $D_{4}=0$ b=0 Measure the rapidity-window dependences of $\langle Q_{(\text{net})} \rangle$ various cumulants in experiments! $\langle Q^2_{(\rm tot)} \rangle_c$

Do **NOT** compare experimental results directly with theory assuming equilibrium!

 \rightarrow transport and thermodynamic properties

 \rightarrow Take $\Delta \eta \rightarrow$ large limit for comparison!

- Cumulant at a $\Delta\eta$ differs from their initial values.

 $\Delta \eta / 2 \sqrt{D\tau}$

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• Experiments can distinguish different lines in the Fig.

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 $\langle Q_{\rm (tot)} \rangle$

 $\frac{\langle Q^2_{\rm (net)}\rangle_c}{\langle Q_{\rm (tot)}\rangle} = 0.5$

 $D_4 = -0.5$

b=0

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