

Multi-Messenger Astrophysics in the Gravitational Wave Era

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Effects of R-Process Heating on Fall-Back Accretion in Neutron Star/Black Hole Mergers

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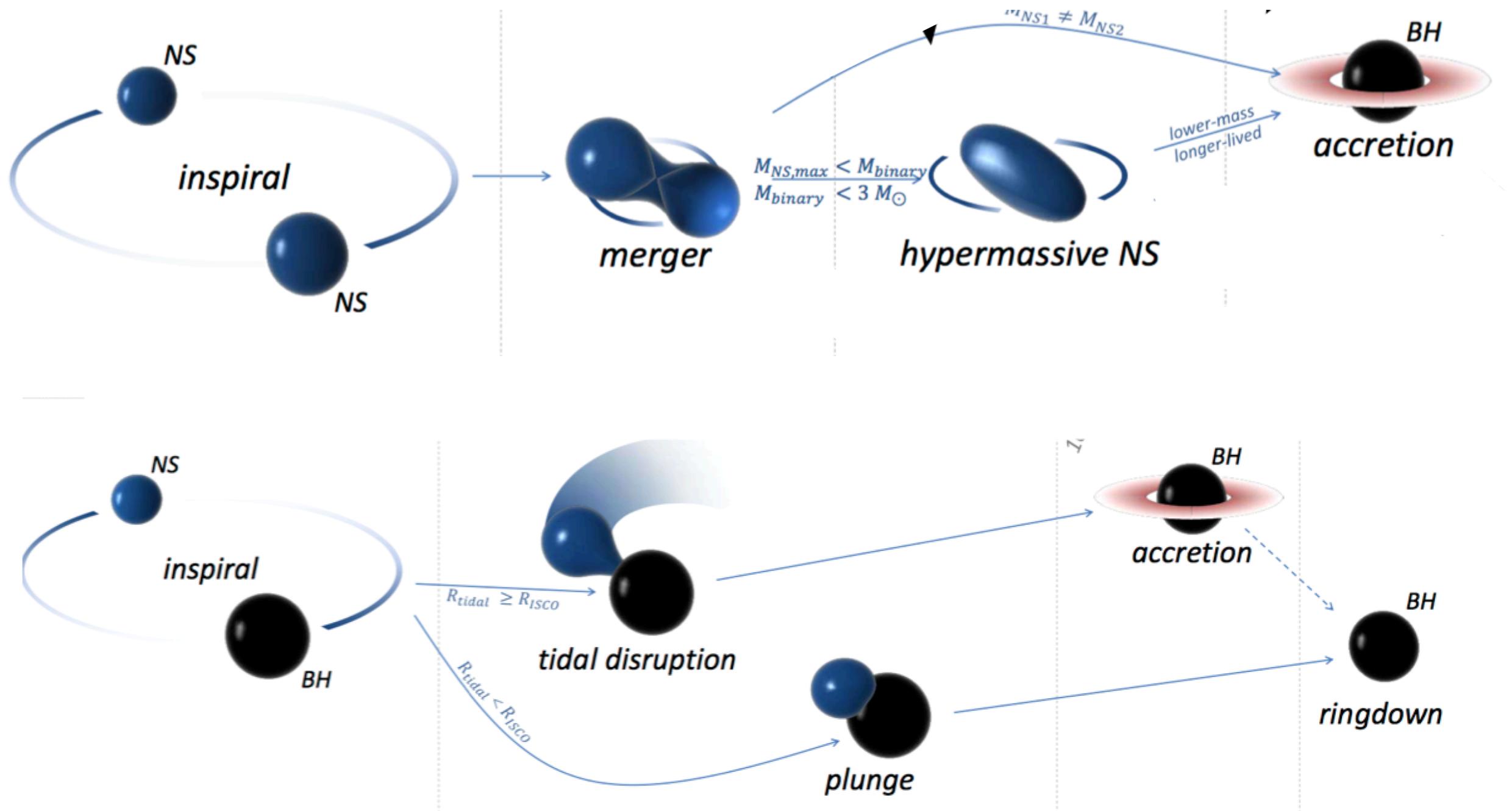
Advisors: Brian Metzger (Columbia), Francois Foucart (UNH)

Overview

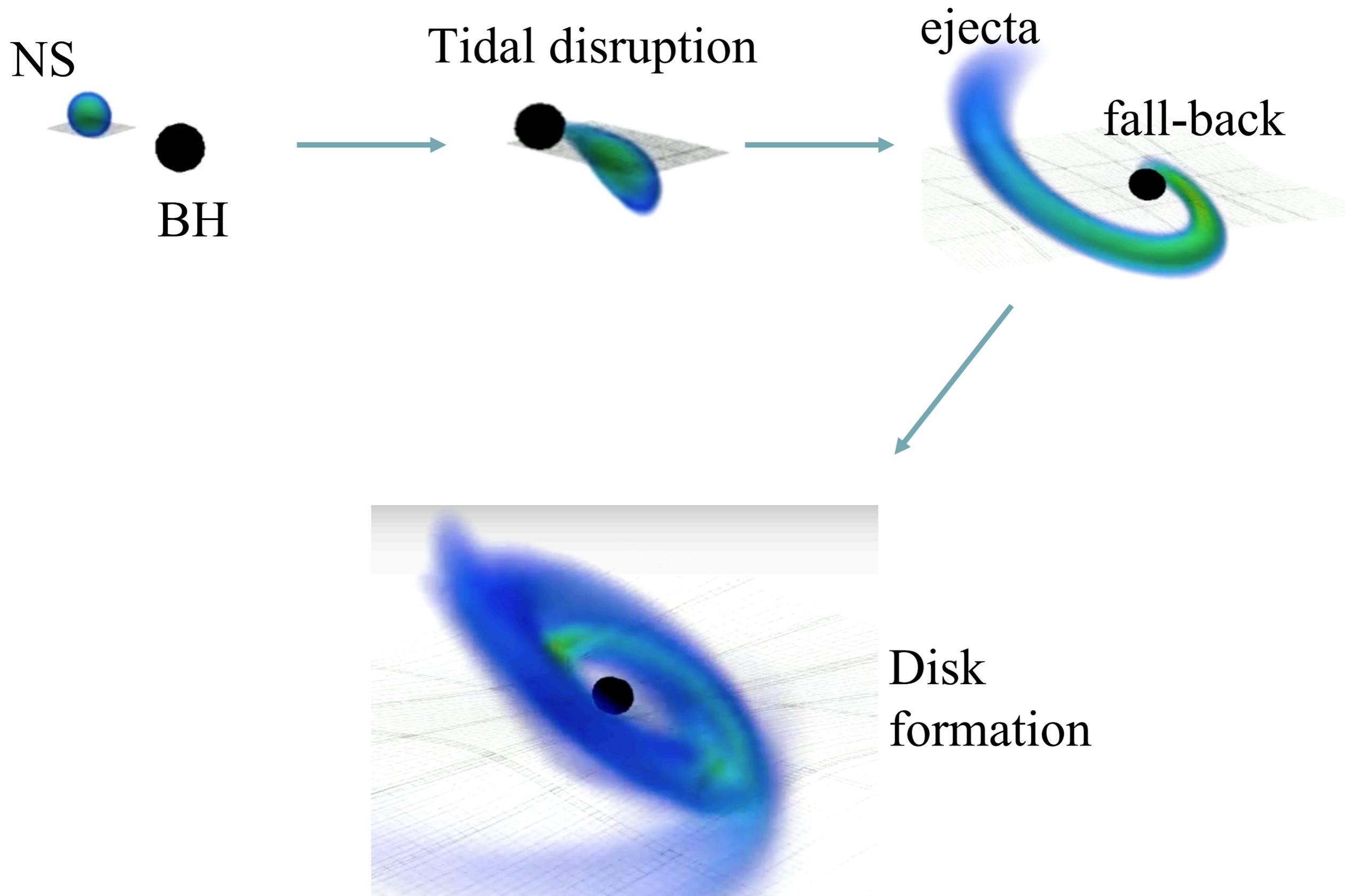
- Intro to mergers
- Intro to Short Gamma-Ray Bursts & temporally Extended X-ray Emission
- Fall-back Accretion Model
- Importance of r-process heating on dynamics
- Our Fall-back model
- Different Outcomes of the model
- Implications for distinguishing BH-NS from NS-NS mergers

The Picture

Bartos, Brady, Marka 2013

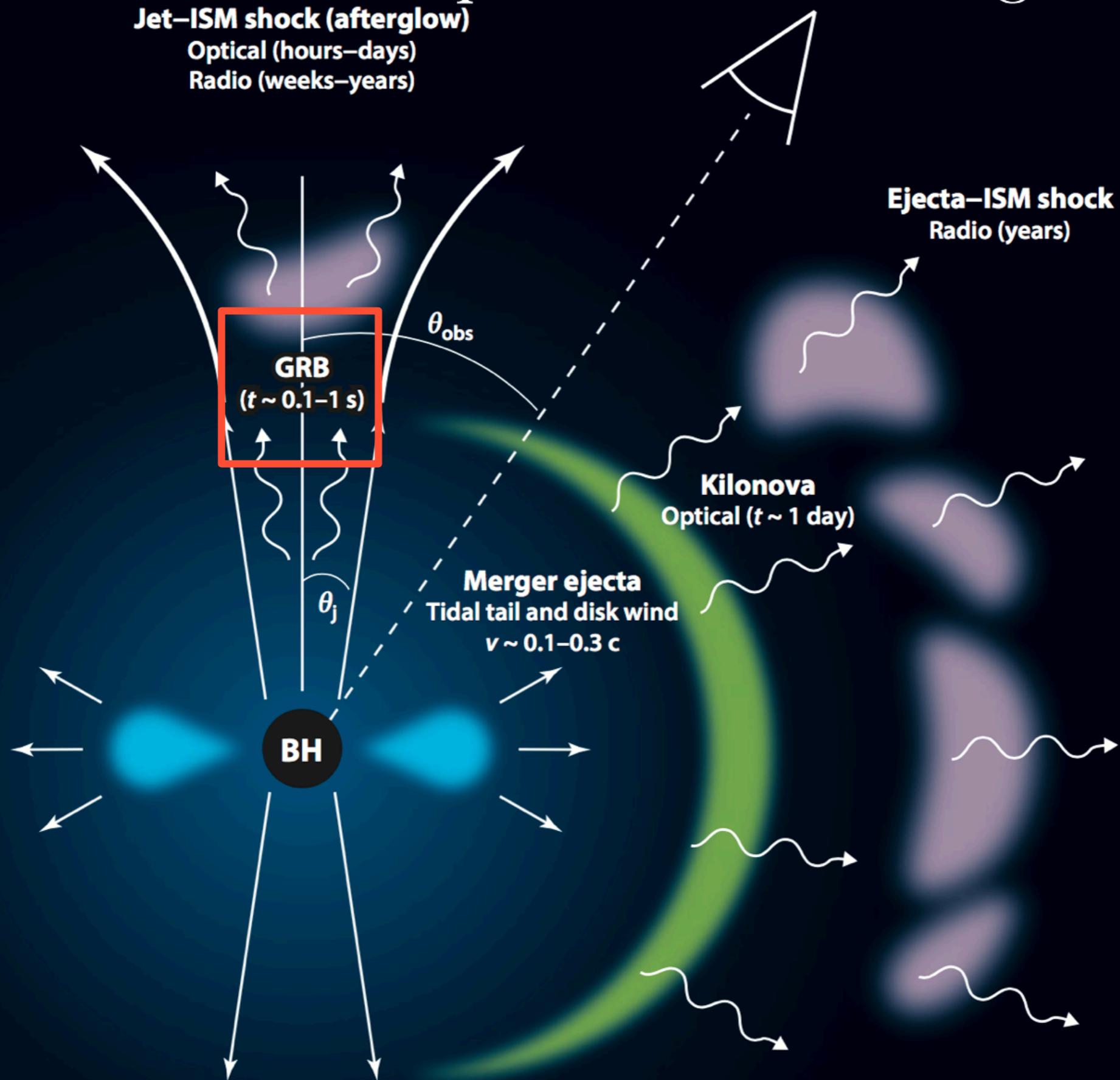


NS-BH mergers tend to eject more neutron rich material

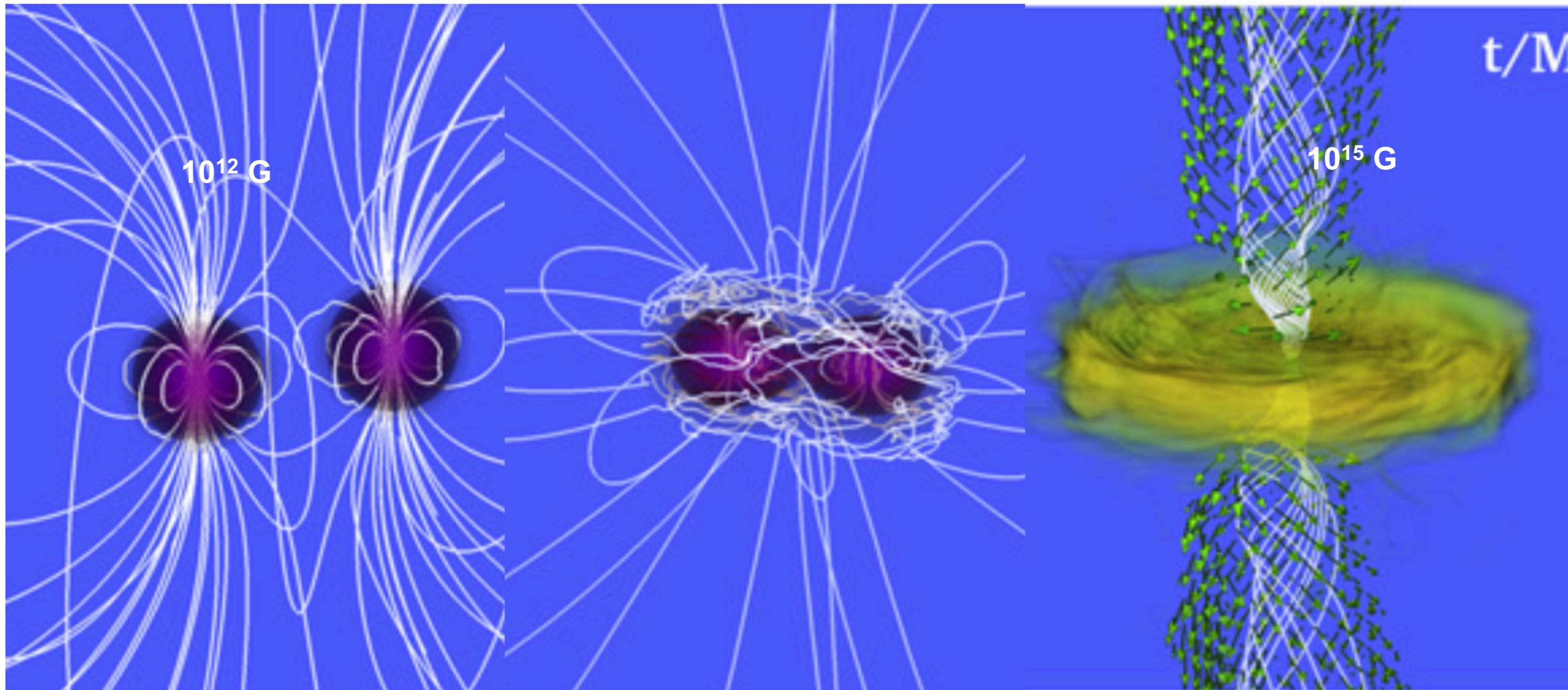


Images provided from SpEC simulations,
courtesy of Francois Foucart

EM Counterparts of BNS Mergers

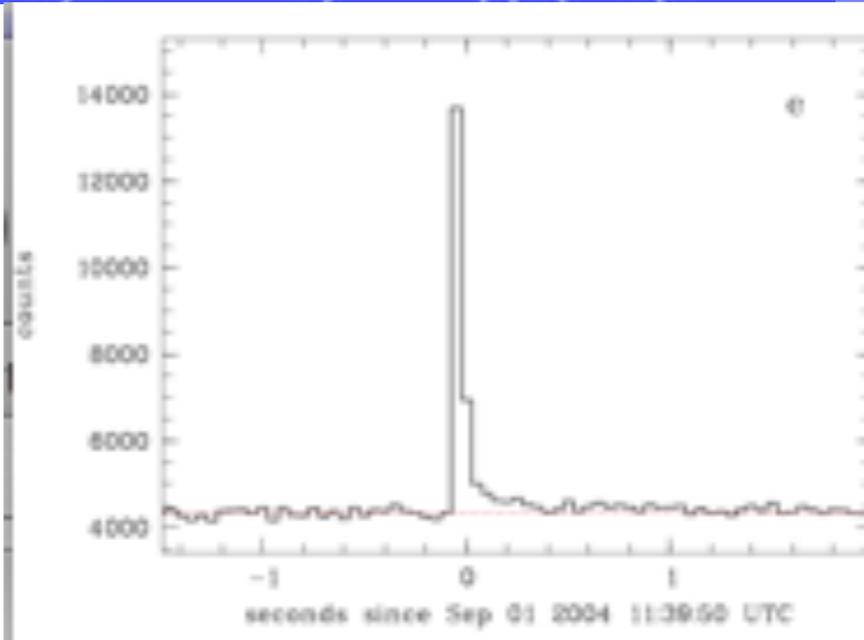


GRB Jets Powered by Black Hole Accretion

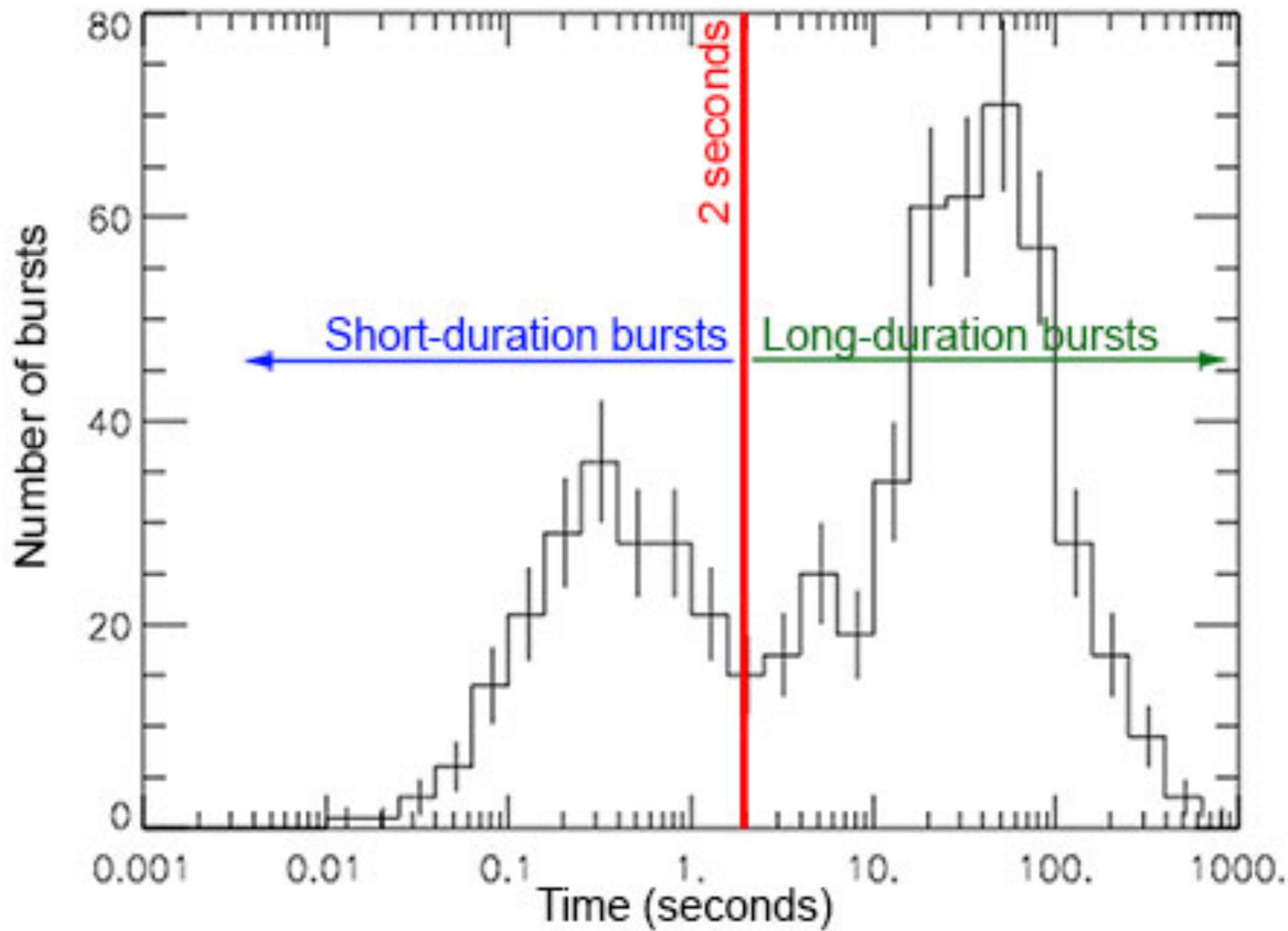


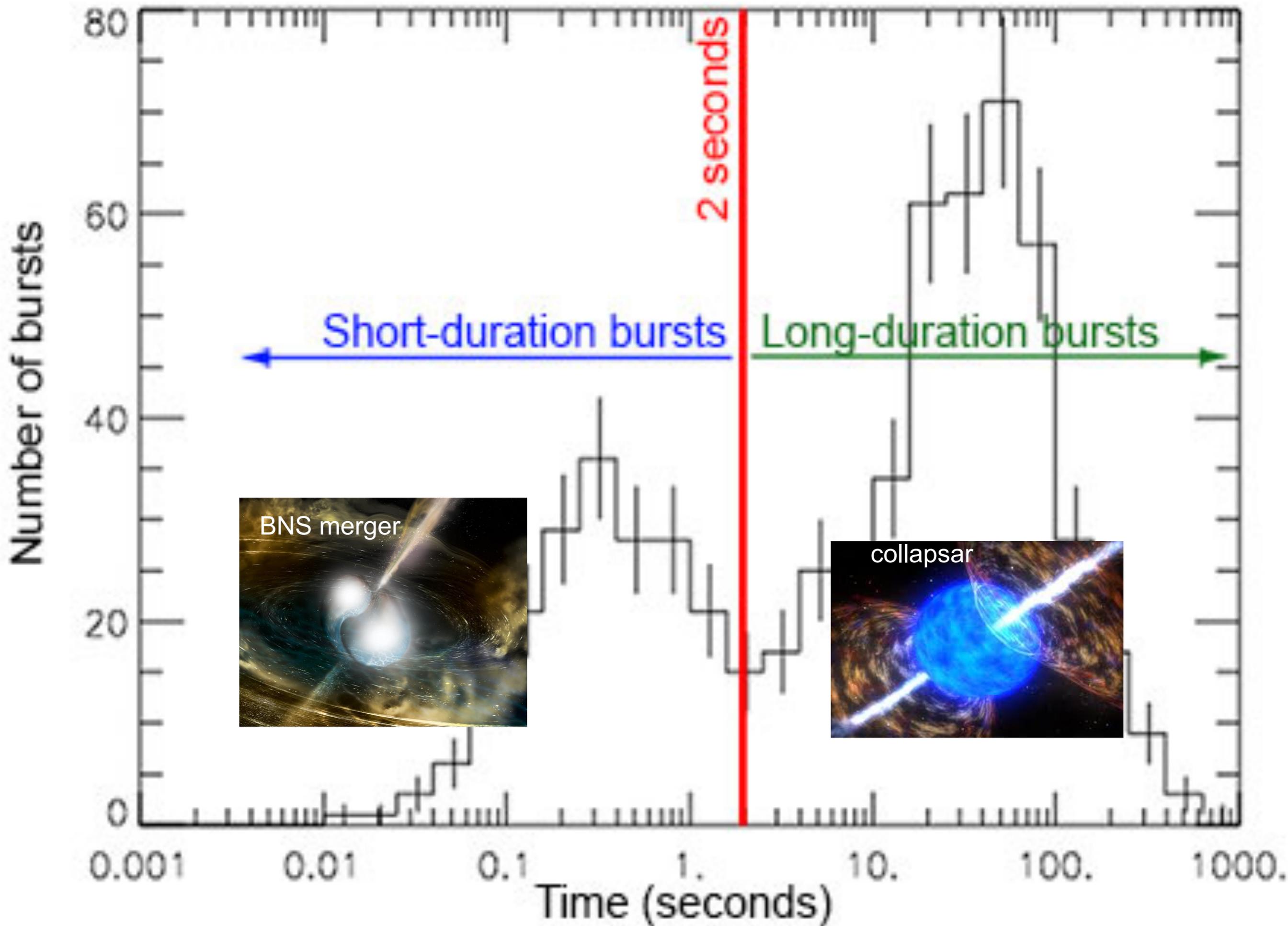
$$L = \epsilon \dot{M} c^2$$

Short GRB

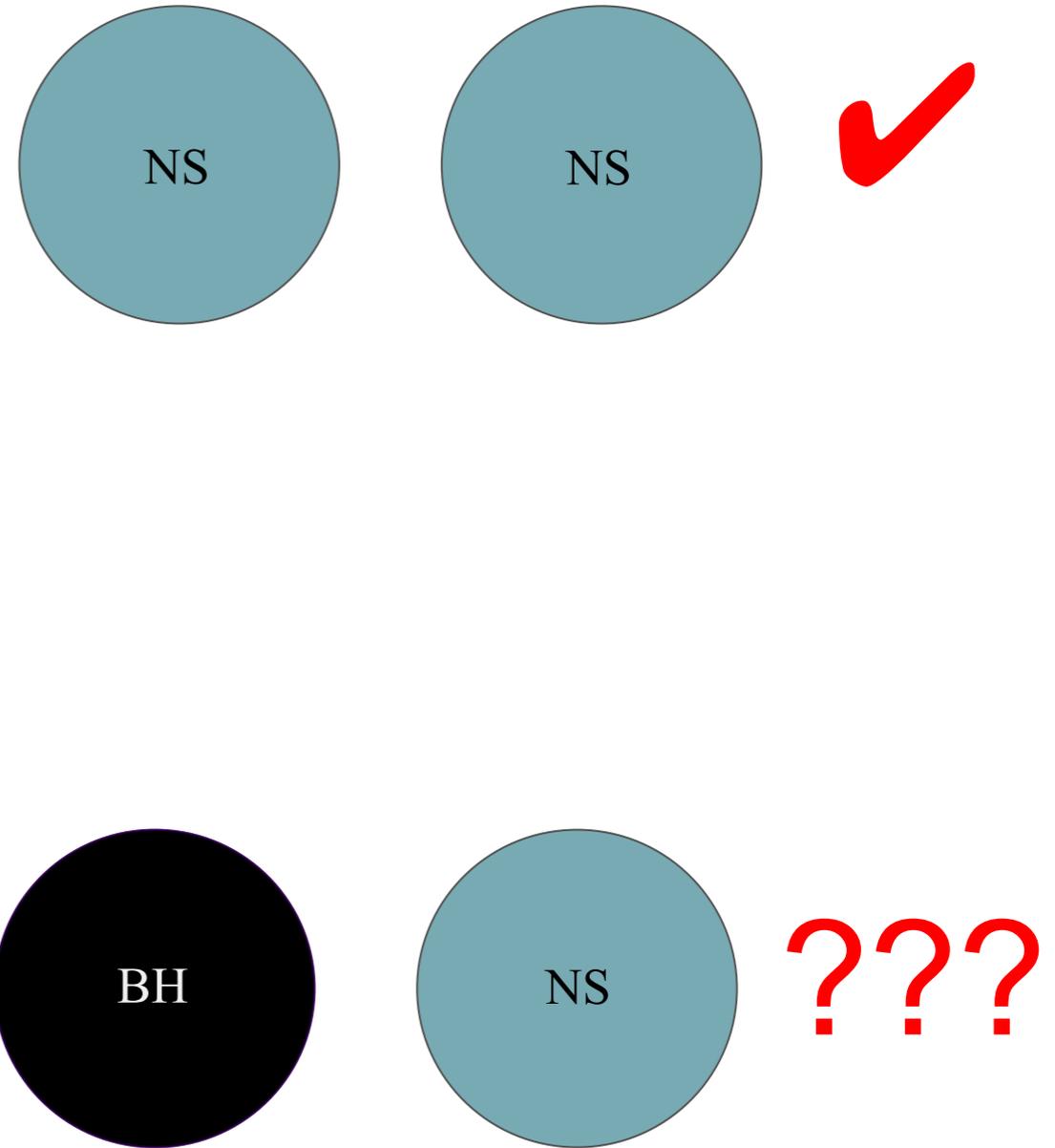
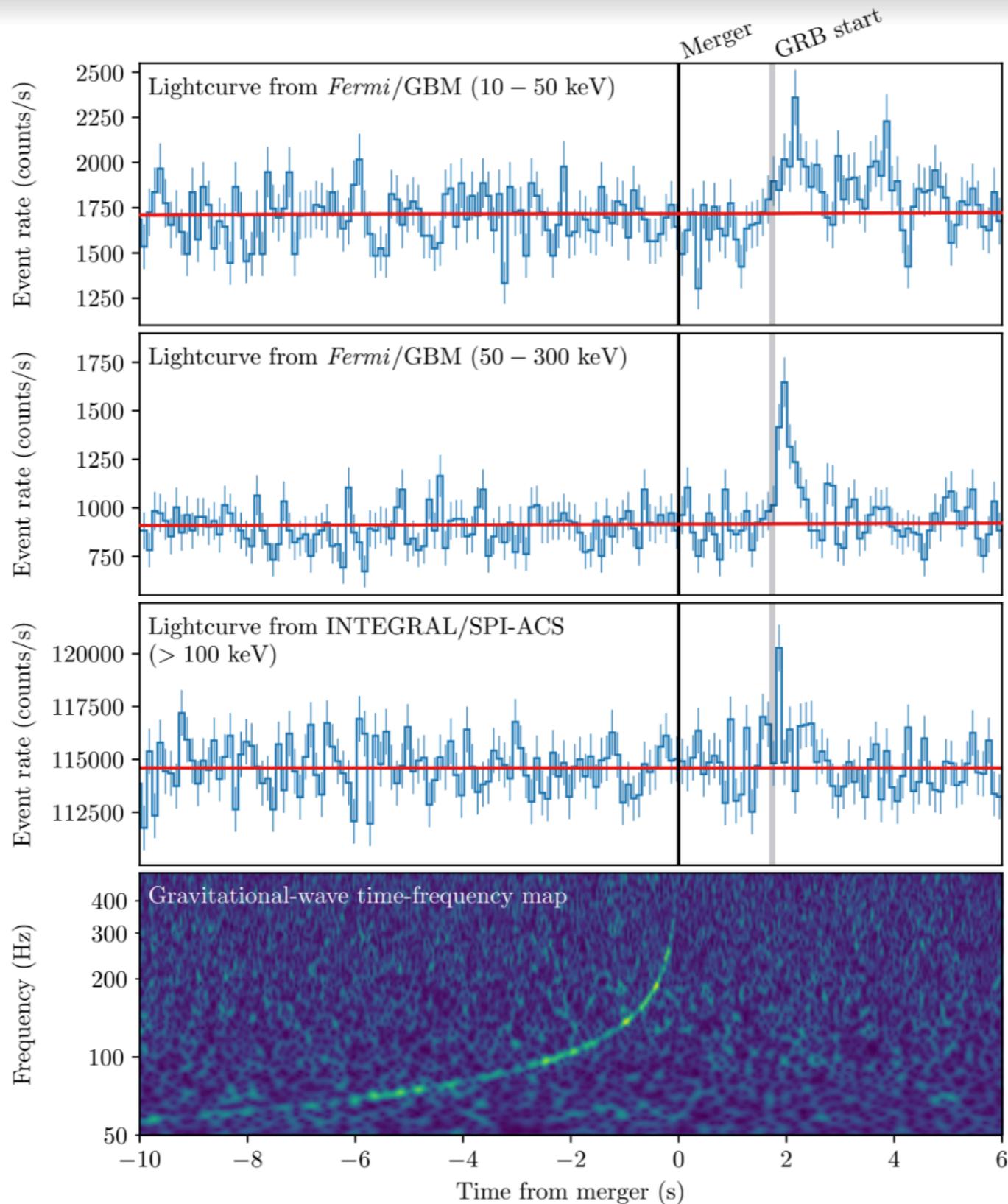


Ruiz et al. 2016





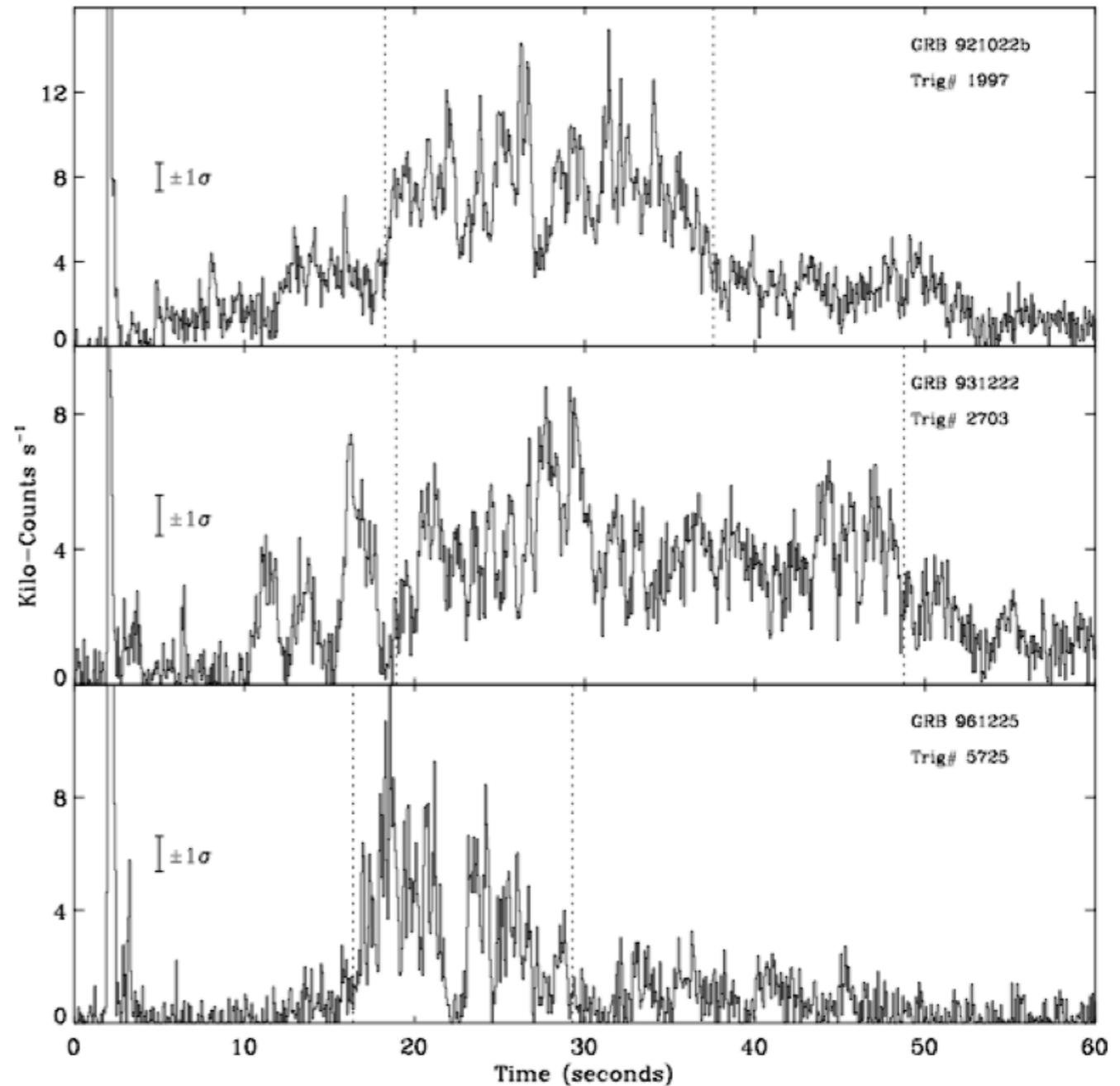
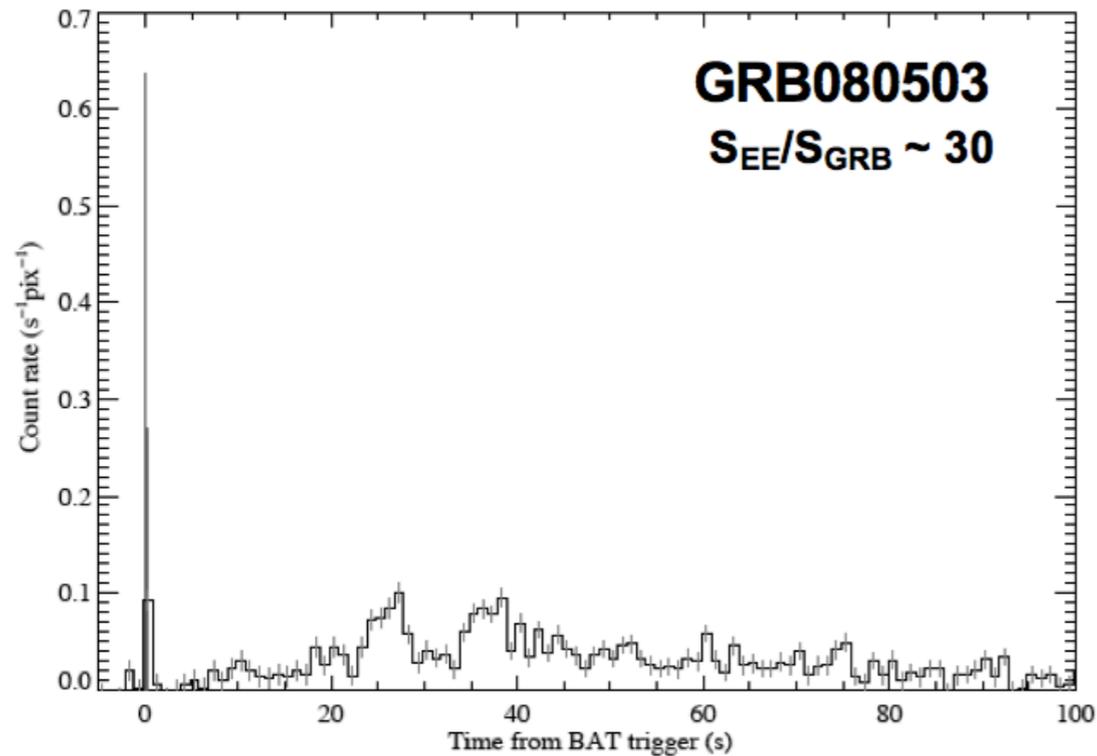
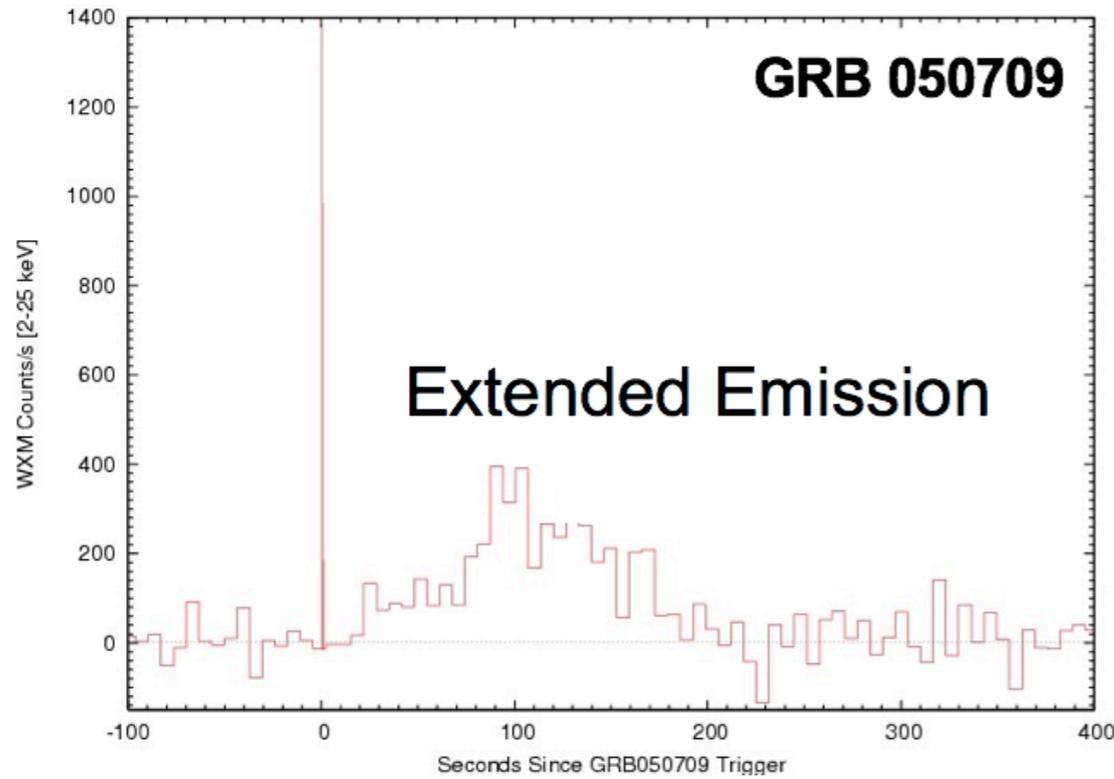
Binary NS mergers can produce short GRB



The physics is the same

Short GRBs with Extended Emission

- 20% short GRBs have X-ray tails
- Rapid variability \Rightarrow ongoing engine activity
- Energy up to ~ 30 times prompt burst itself!



Potential Candidates?

- Long-Lived Magnetar Model
 - Disfavored by lack of radio emission at late times
(Bower & Metzger 14, Horesh+16, Fong+16)
- Fall-back Accretion Model (Rosswog 2007)
 - Idea: Accretion powers a jet; jet produces X-rays

Fall-back Accretion Model

Begin with Kepler's Law:

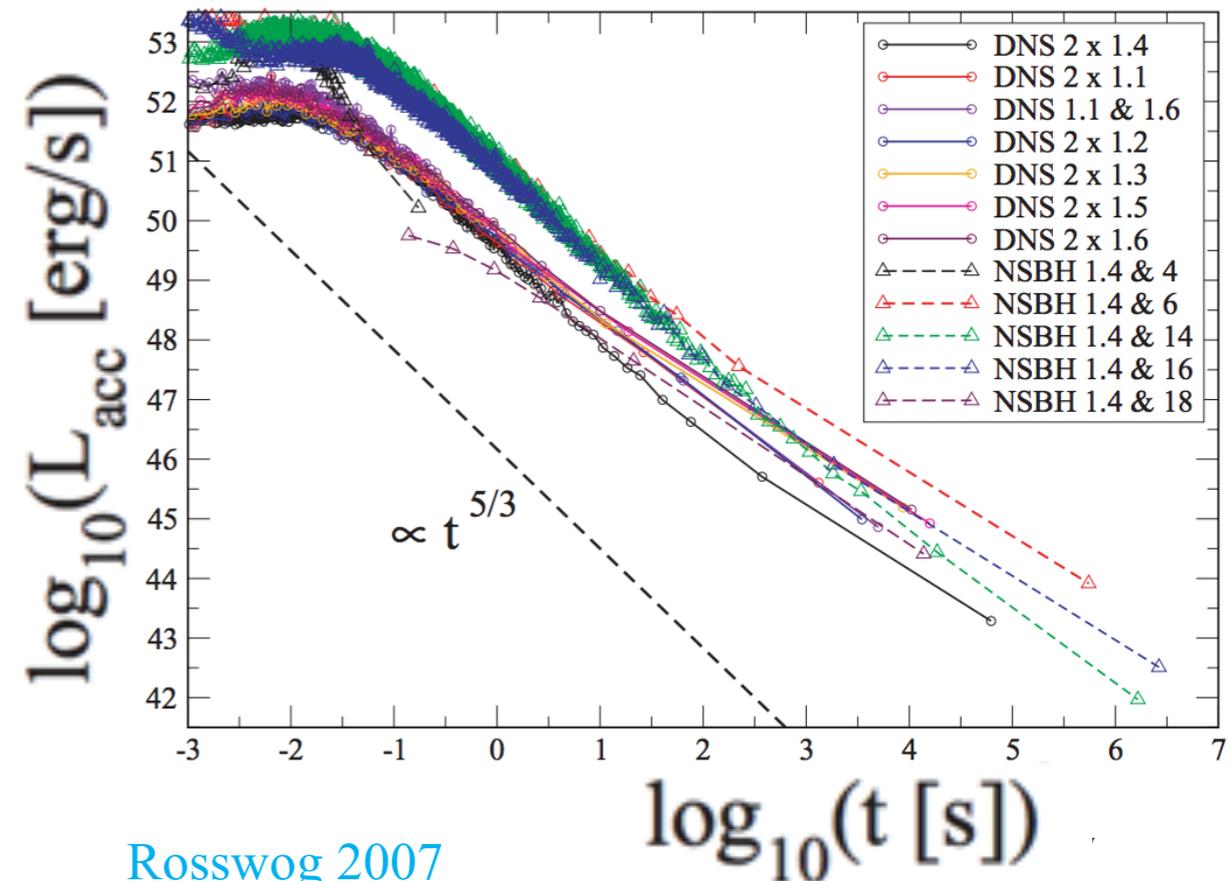
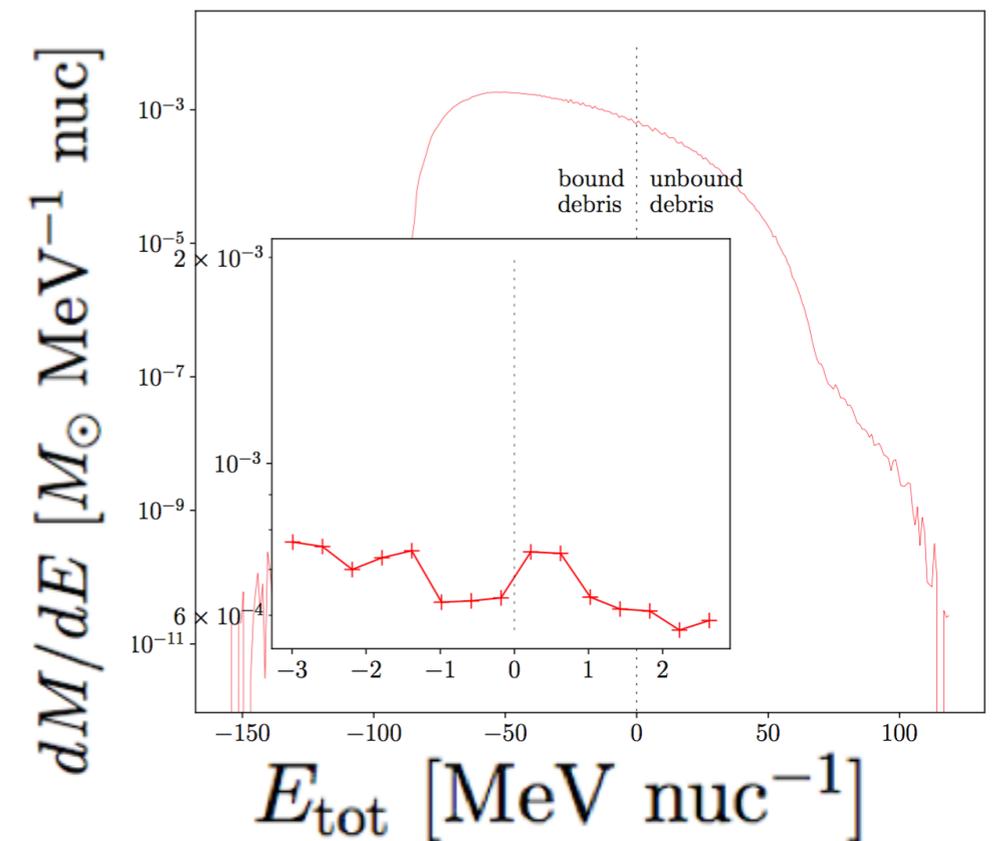
$$a^3 \propto t^2$$

$$E \sim \frac{GMm_p}{a} \propto \frac{1}{a}$$

Fall-back rate:

$$\frac{dM}{dt} = \frac{dM}{dE} \frac{dE}{dt} \propto t^{-5/3}$$

(dM/dE is \sim constant near $E=0$)



Problems with the Fall-back Accretion Model

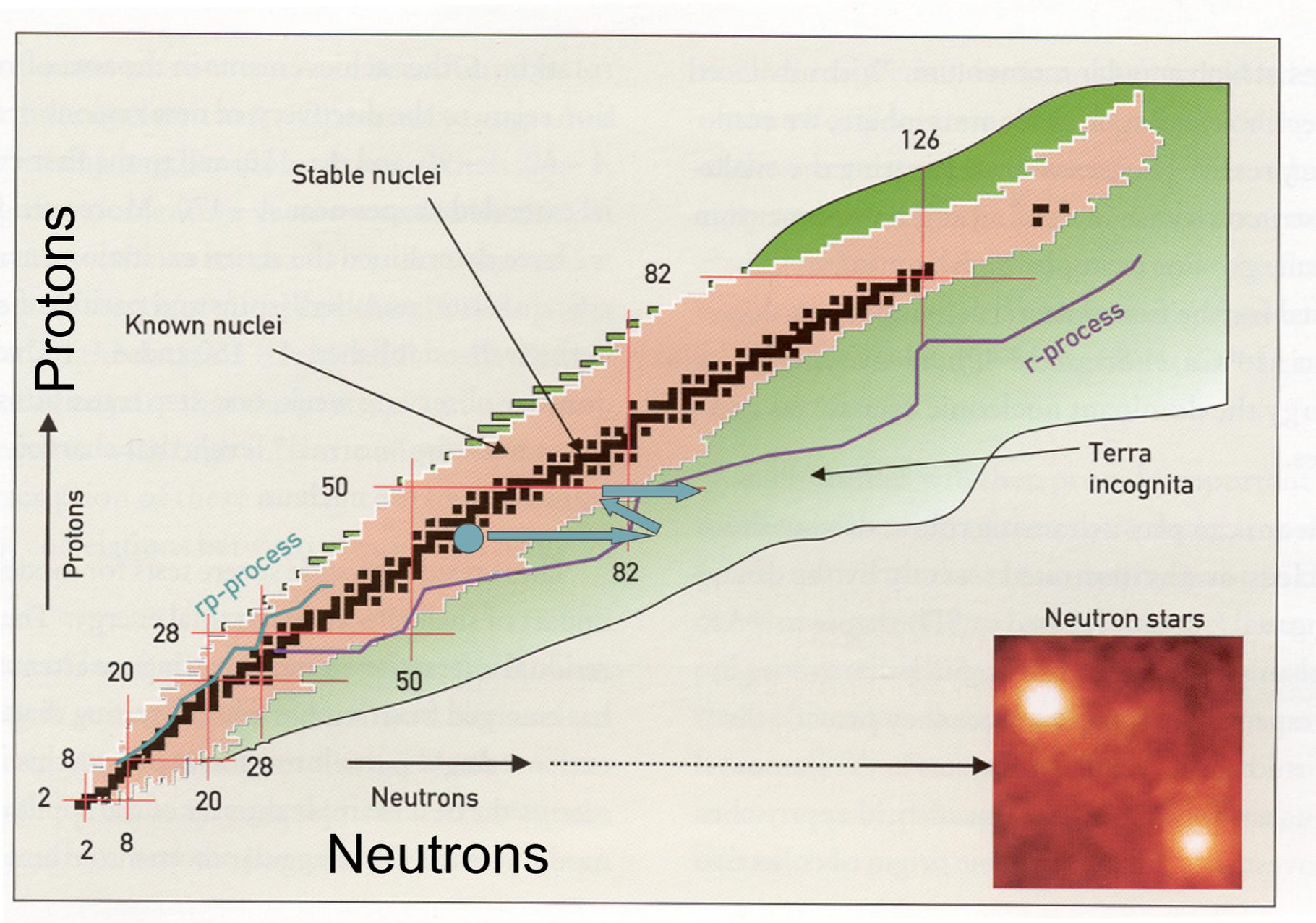
Gap between SGRB and Extended Emission unexplained.

Only $\sim 20\%$ of SGRBs are accompanied by Extended Emission. Why don't they all?

Possible solution: R-Process Heating!

Rapid Neutron Capture (R - Process) Heating (not included in present simulations!)

Decompressing NS Matter $\Rightarrow A \sim 100$ Nuclei + Free Neutrons (Lattimer et al. 1977; Meyer 1989; Freiburghaus et al. 1999):



Neutron Fuel: $\Delta E_r \sim 1-3 \text{ MeV nucleon}^{-1}$ released over $\Delta t_{\text{heat}} \sim 1 \text{ second}$

Energy Released by R-Process (\sim few MeV)

$$\Delta E_r \simeq (1 - f_\nu) \left[\left(\frac{B}{A} \right)_r - X_s \left(\frac{B}{A} \right)_s - X_n \Delta_n \right]$$

↑
Energy lost
to
neutrinos

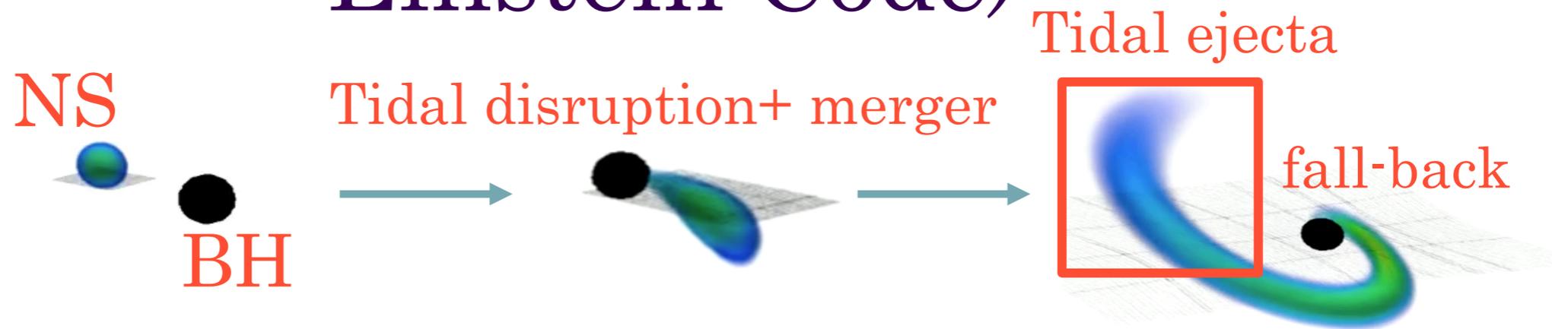
↑
Rest-mass energy
of newly formed
r-process nuclei

↑
Rest-mass
energy of
seed nuclei

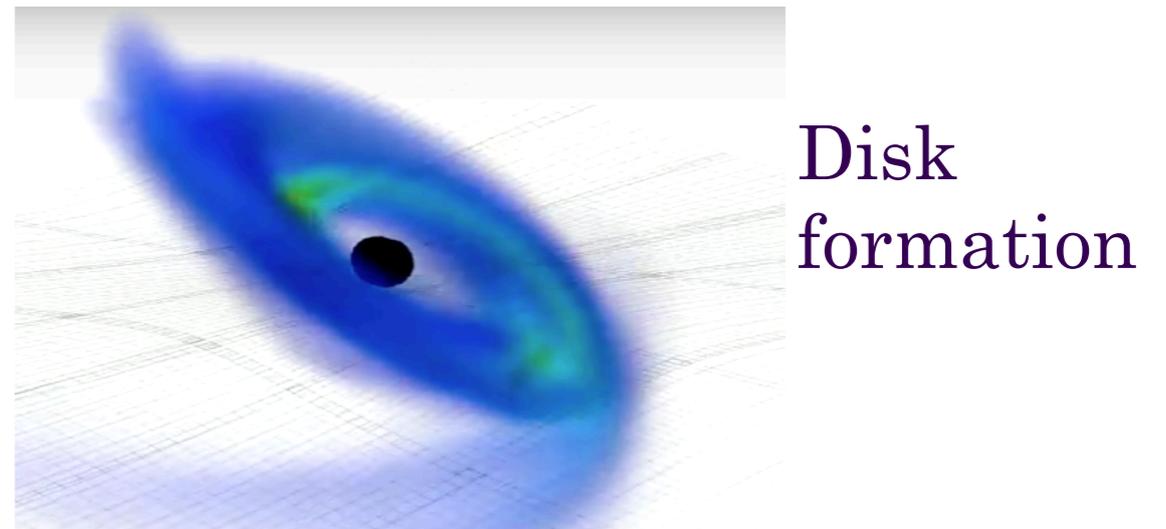
↑
Rest-mass
energy of
neutron

How does r-process heating alter
fall-back accretion rate?

Output of GR simulation (Spectral Einstein Code)



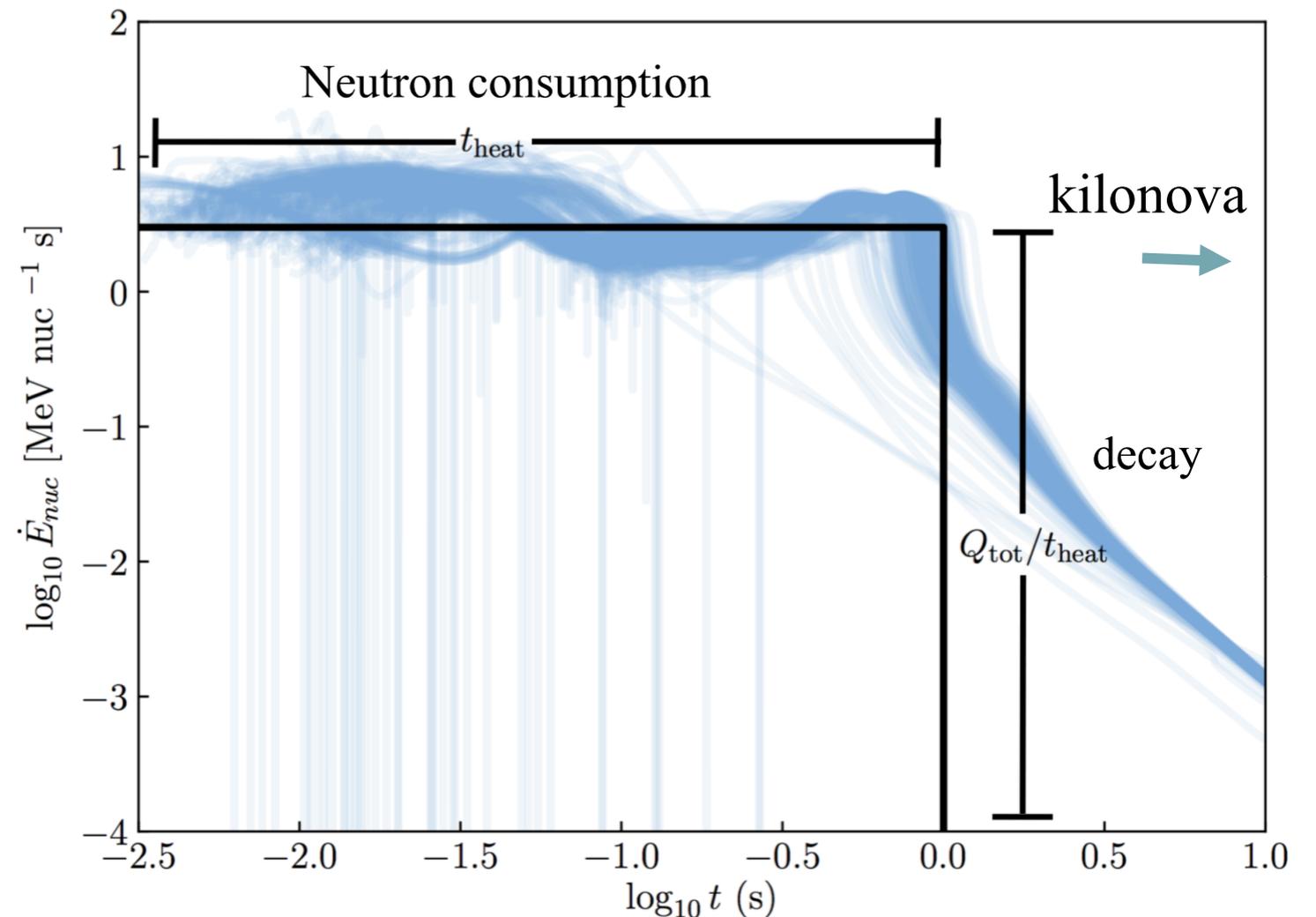
- Initial NS mass: 1.4 solar masses
- Initial BH mass: 5 solar masses
- Precessing system
- Final BH mass ~ 6 solar masses
- Data taken at $t = 15\text{ms}$ after merger



Images provided from SpEC simulations, courtesy of Francois Foucart

R-Process Heating Curves of Ejecta

- constant for first ~ 1 s of evolution, and decreases as a power law ($t^{-1.3}$)
- Heating released on timescale comparable to SGRB X-ray Emission



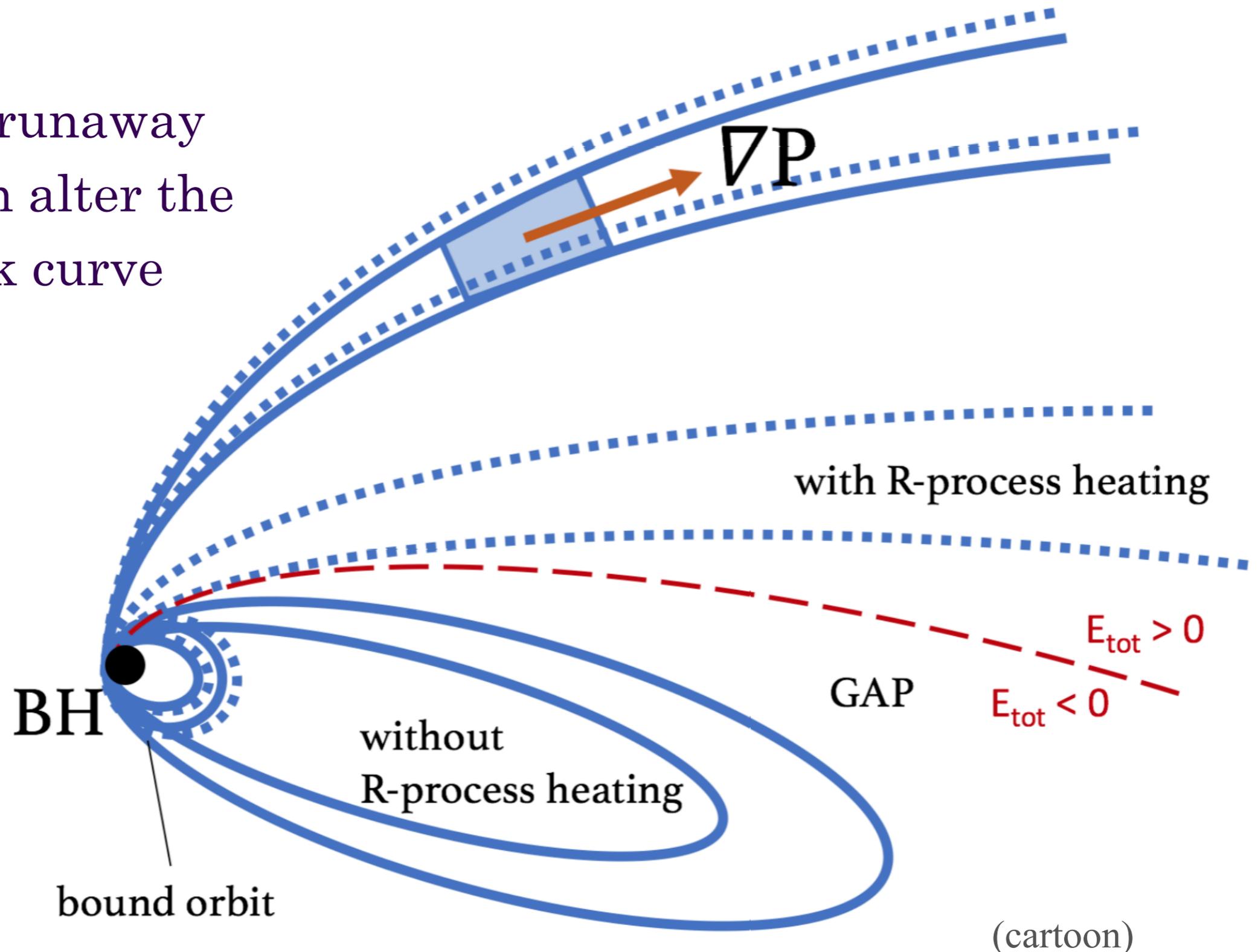
Calculated using SkyNet (Lippuner & Roberts 2014)

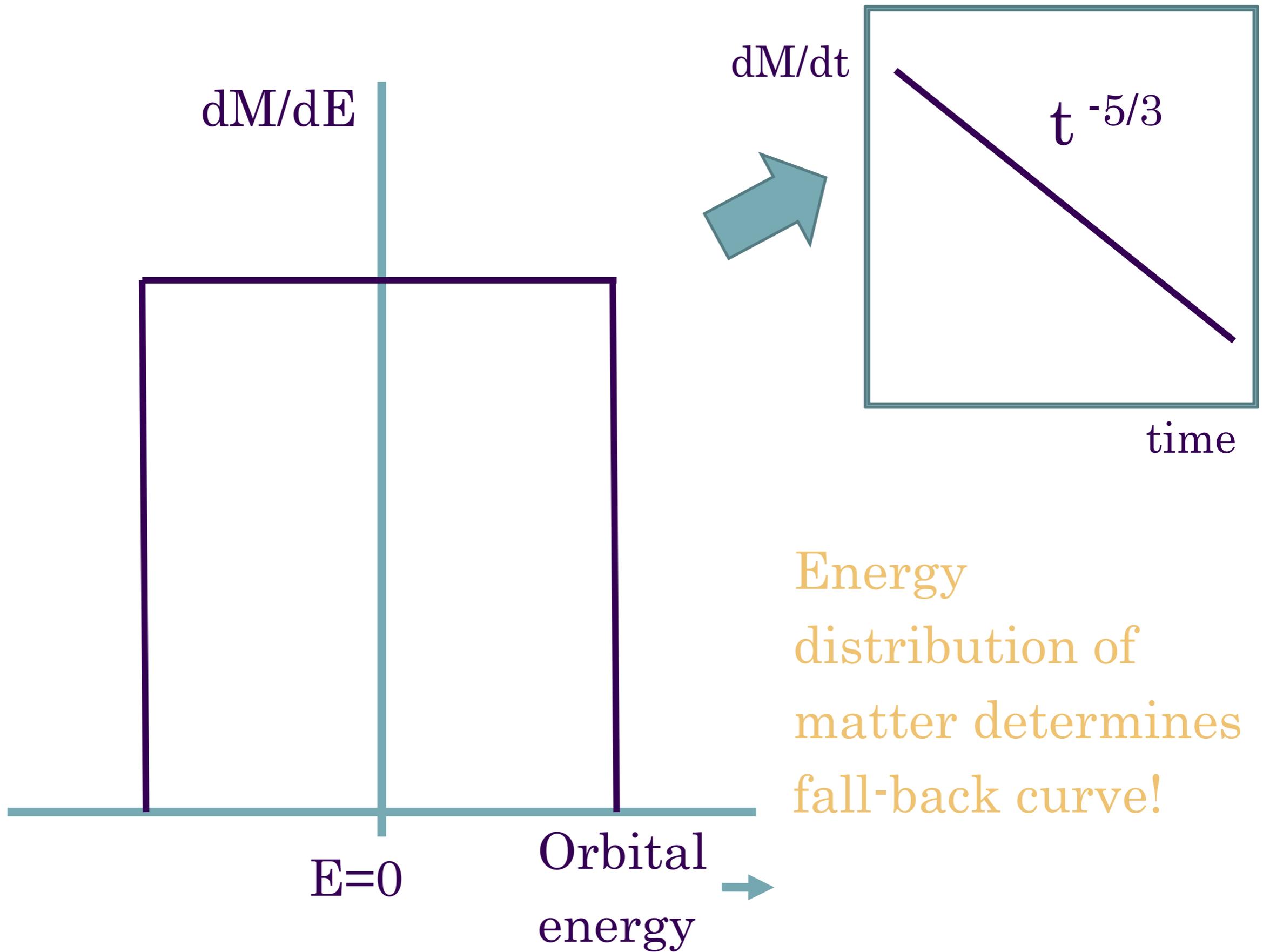
R-process heating

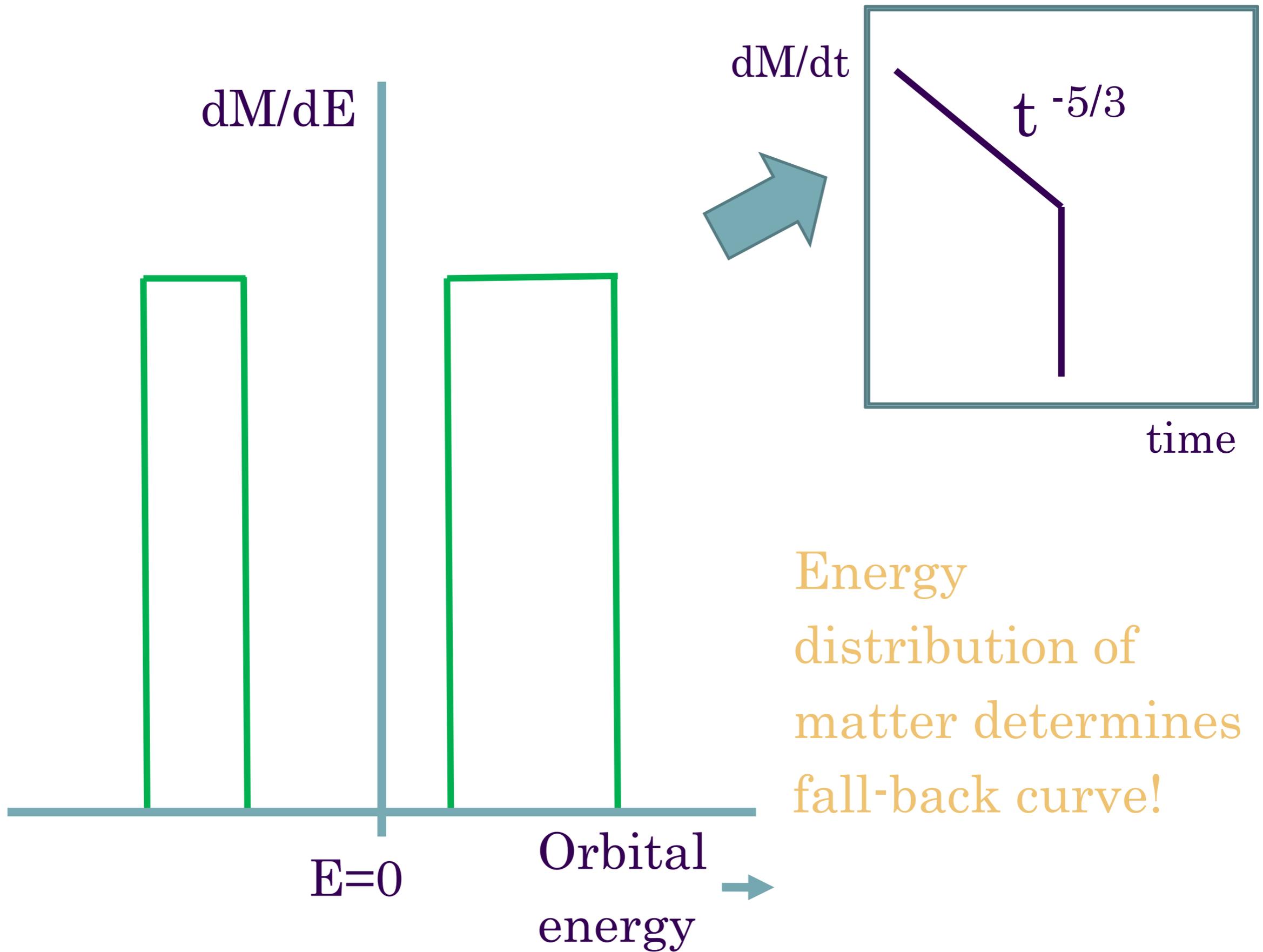
- Radiation dominated, but optically thick ejecta → adiabatic expansion
- Pressure gradient directed outwards
- Thermal energy → Kinetic energy along orbital direction

R-process heating alters fluid trajectories!

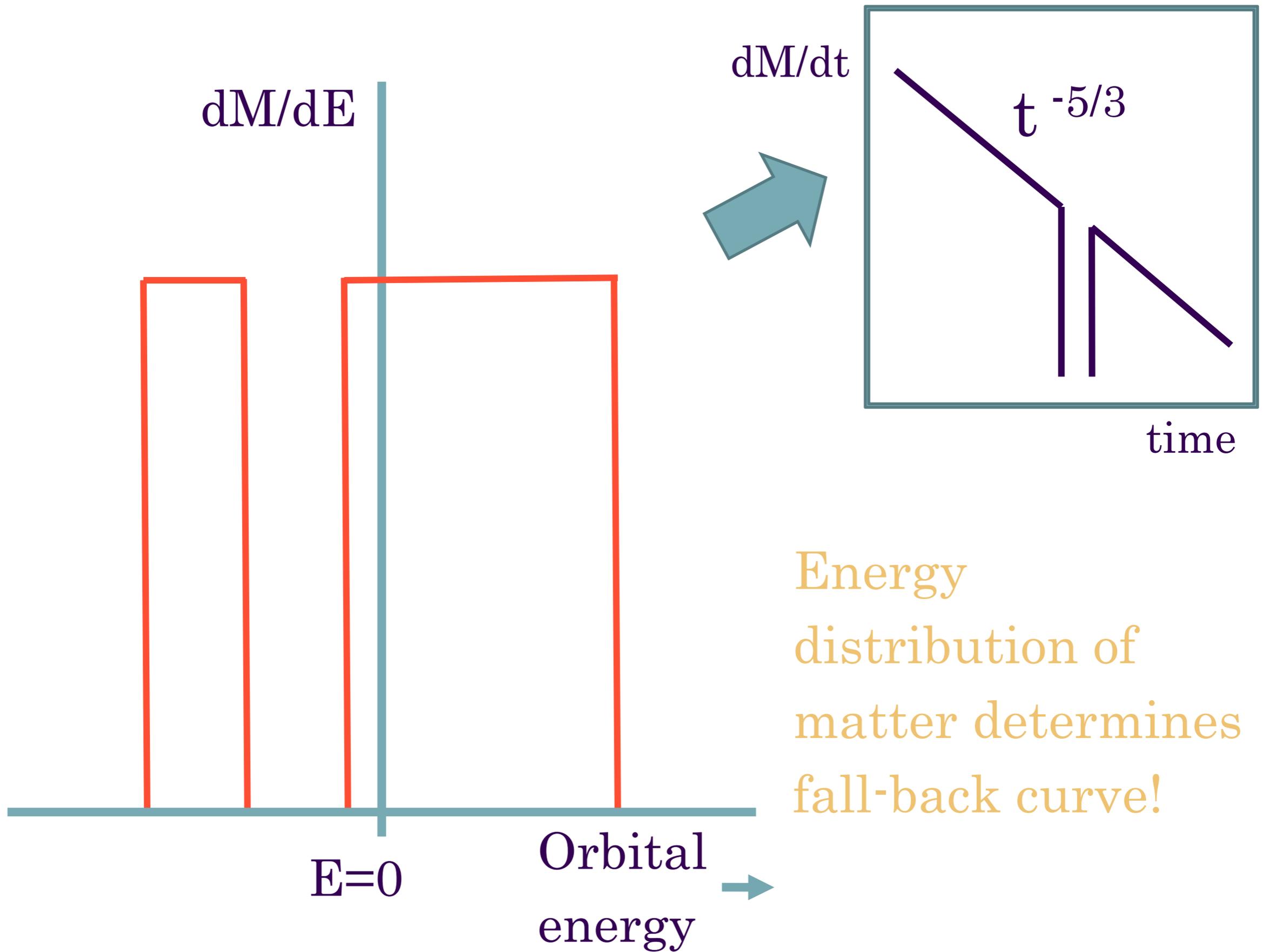
A simple runaway process can alter the fall-back curve





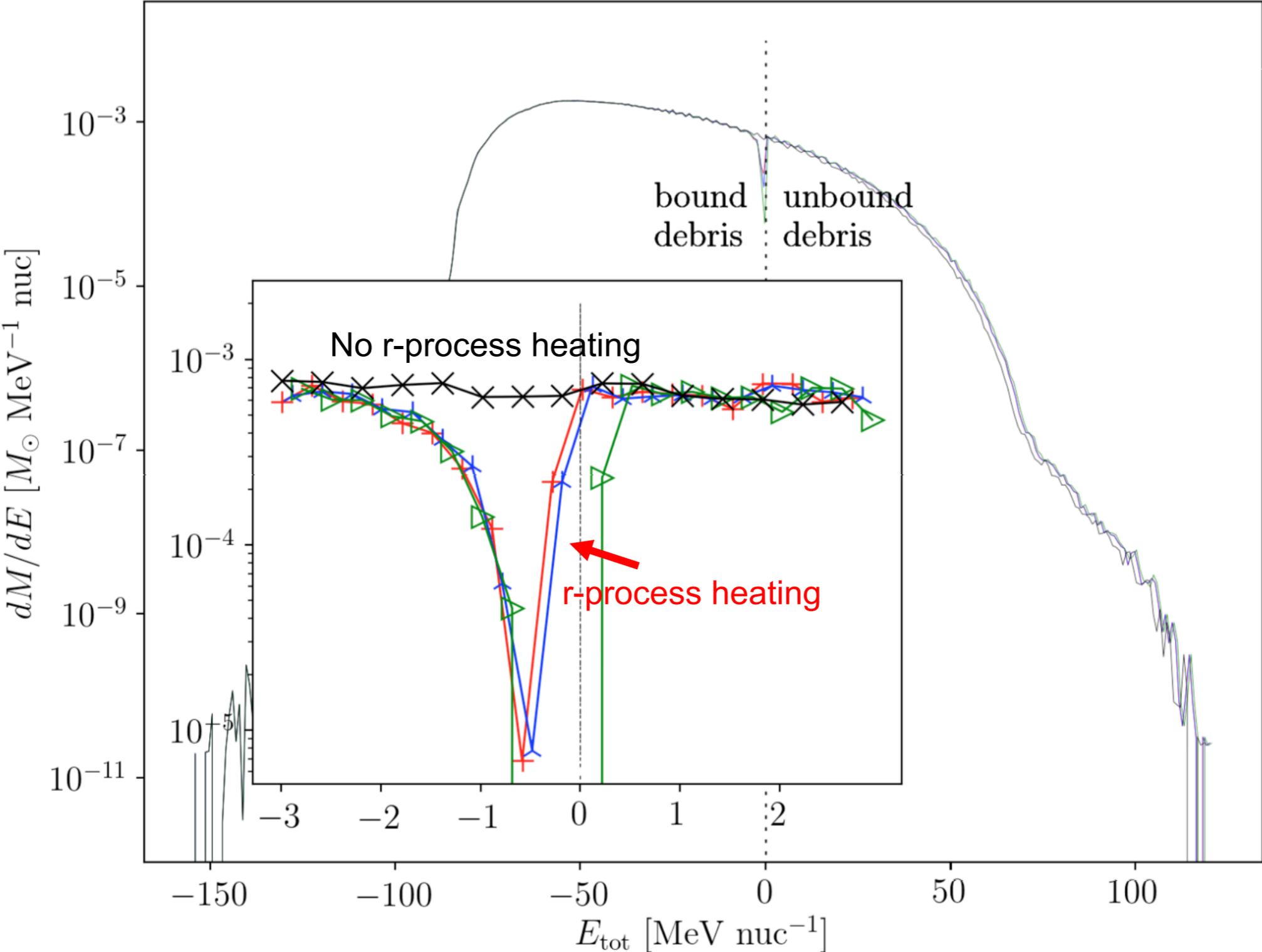


Energy distribution of matter determines fall-back curve!



Energy distribution of matter determines fall-back curve!

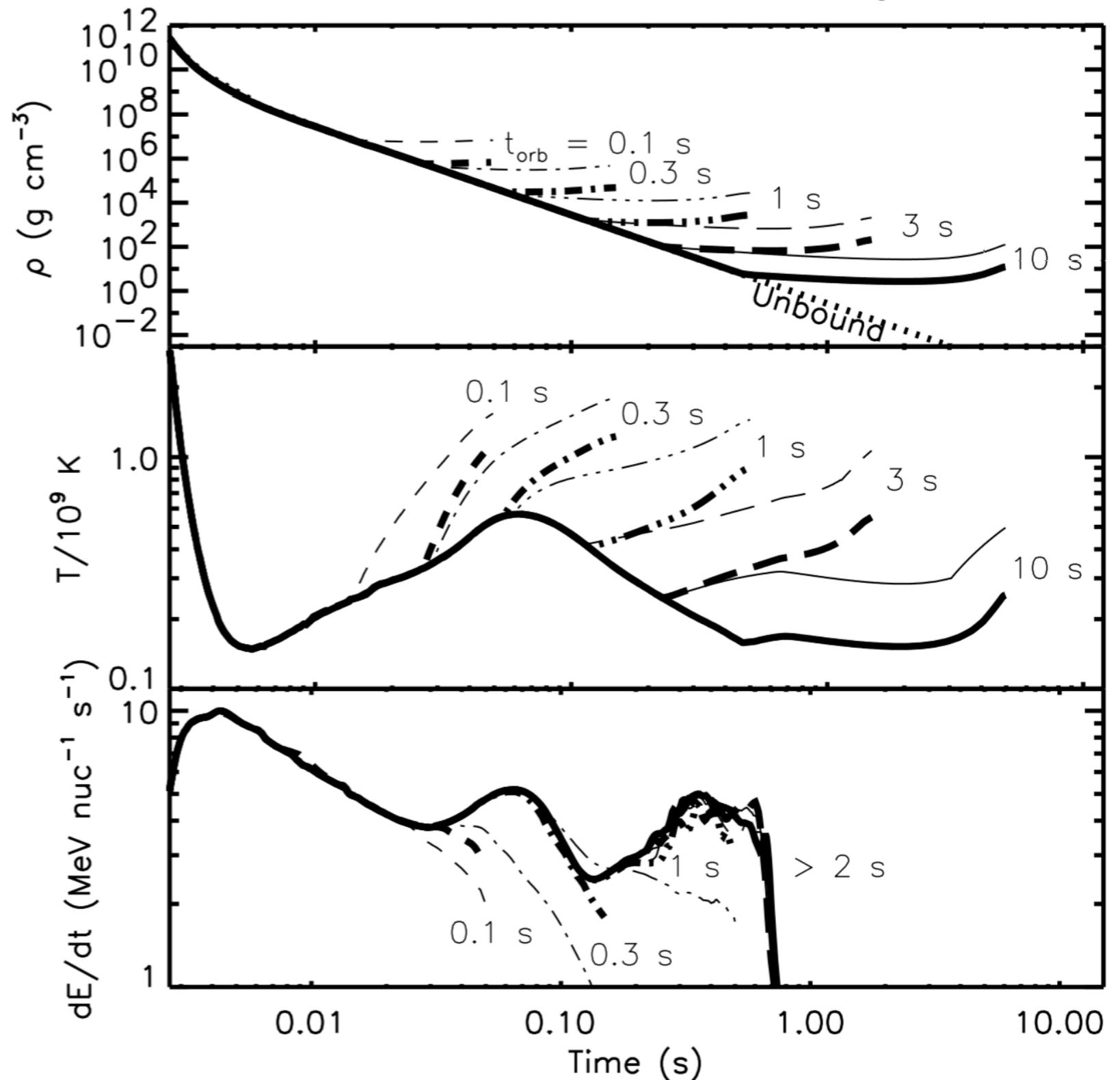
Energy Distribution With R-Process Heating



Details of our model

Metzger et al. 2010a

SkyNet simulation results show heating is cut off for negative radial velocities (r-process shuts off)



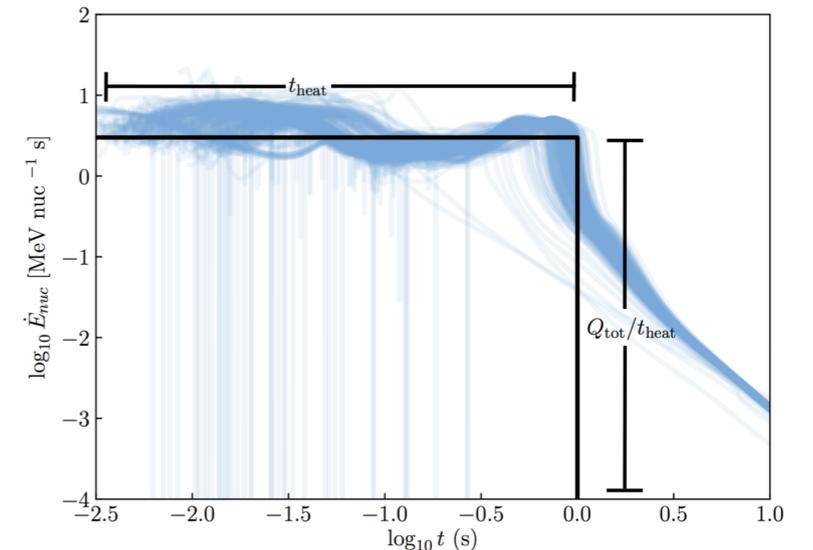
Details of our model

1. Q_{tot} , t_{heat} specified at initial time (uniform heating across all fluid elements)

2. Heating rate prescribed to each fluid element with:

$$\dot{q} = \begin{cases} Q_{\text{tot}}/t_{\text{heat}}, & \text{if } t \leq t_{\text{heat}} \text{ and } v_r > 0 \\ 0, & \text{if } t > t_{\text{heat}} \text{ or } v_r < 0, \end{cases}$$

Note: some fluid elements (those with $t_{\text{orb}} < t_{\text{heat}}$) will receive less heat than Q_{tot}

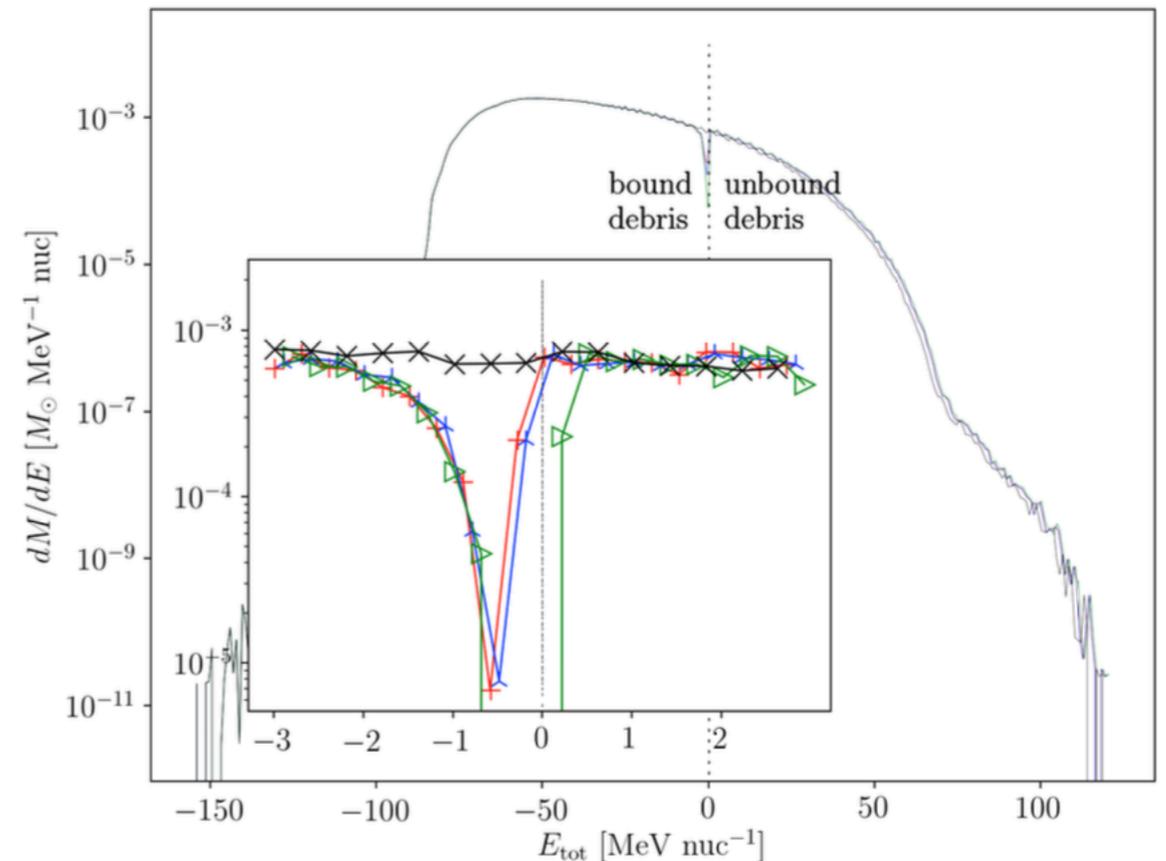
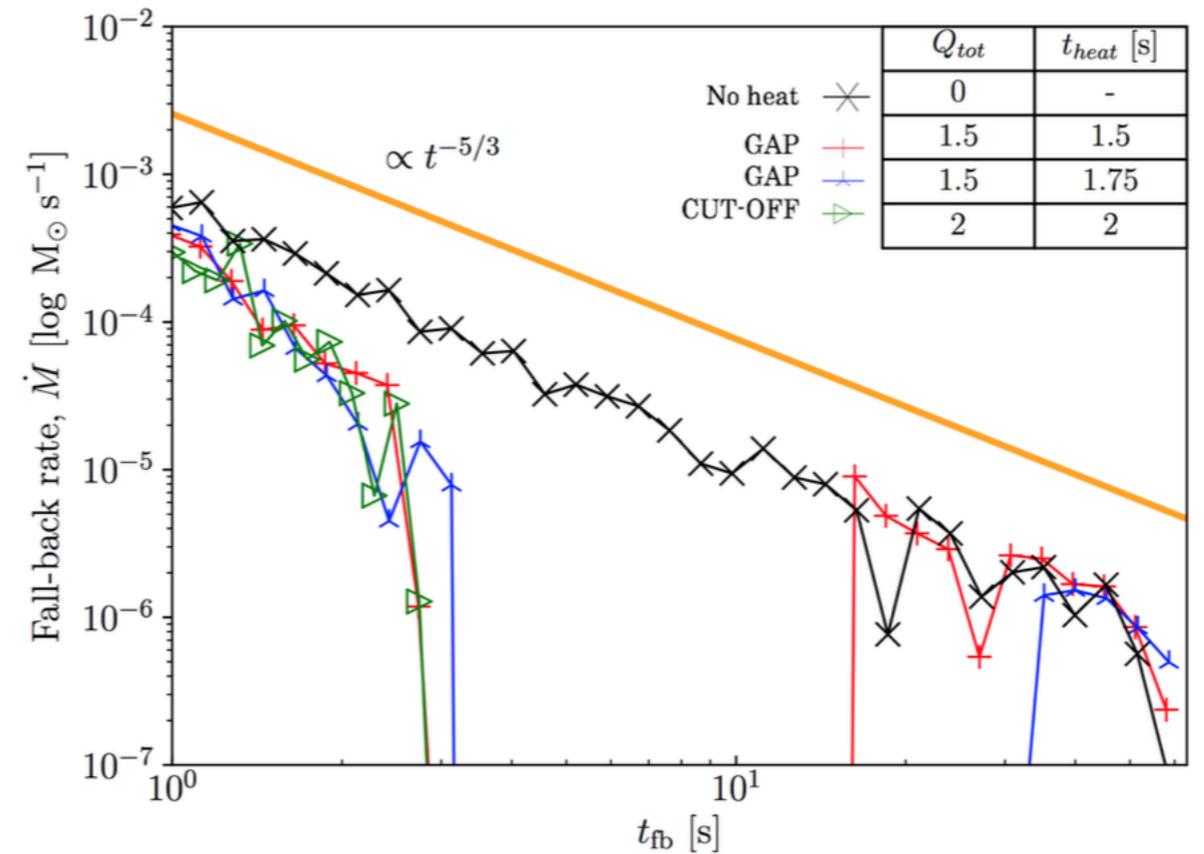


3. Kinetic energy directly increased according to:

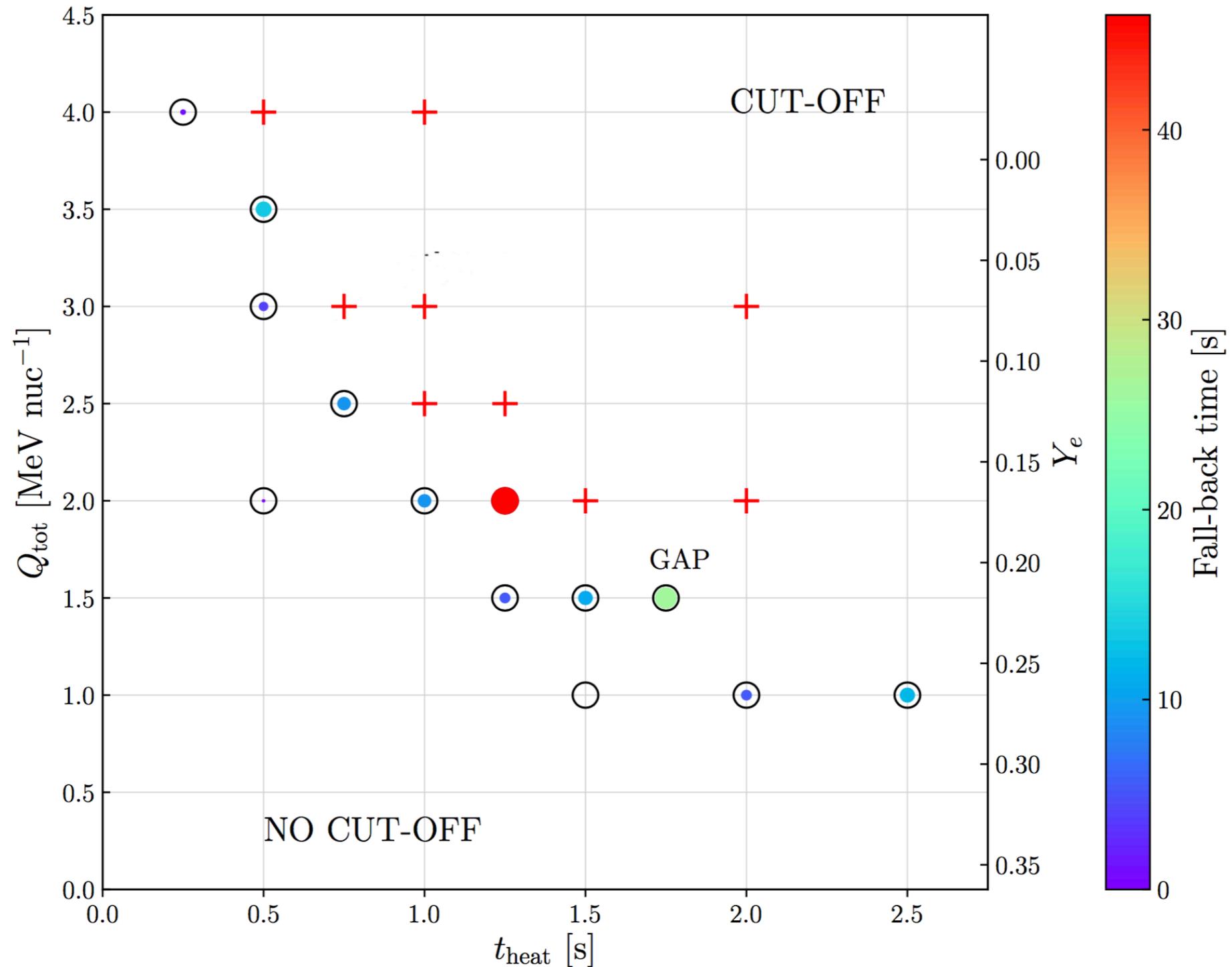
$$\frac{d}{dt} \left(\frac{1}{2} m_n v_{r,i}^2 \right) = \dot{q}_i,$$

Results of our model

- With heating, we see gap in energy distribution of ejecta
- Depending on Q_{tot} , t_{heat} , this results in either a gap, or cutoff in fall-back



Fall-back results for a suite of simulations with varying Q_{tot} , t_{heat}



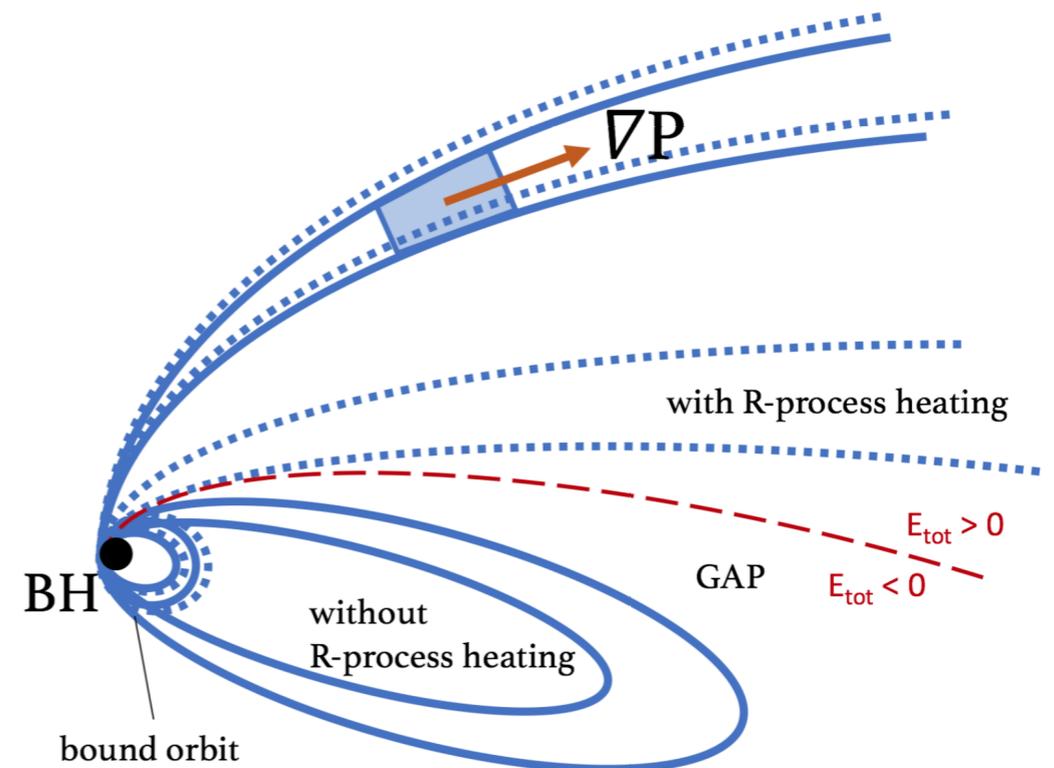
Energy required to unbind material (when $t_{\text{orb}} < t_{\text{heat}}$):

$$|E_{\text{tot},c}| \approx Q_{\text{tot}} \frac{t_{\text{orb},c}}{t_{\text{heat}}}$$

$$t_{\text{orb}} = 2\pi \left(\frac{a^3}{GM} \right)^{1/2} \approx 1.6 \text{ s} \left(\frac{|E_{\text{tot}}|}{1 \text{ MeV}} \right)^{-3/2} \left(\frac{M}{5M_{\odot}} \right)$$

Critical Dimensionless Ratio

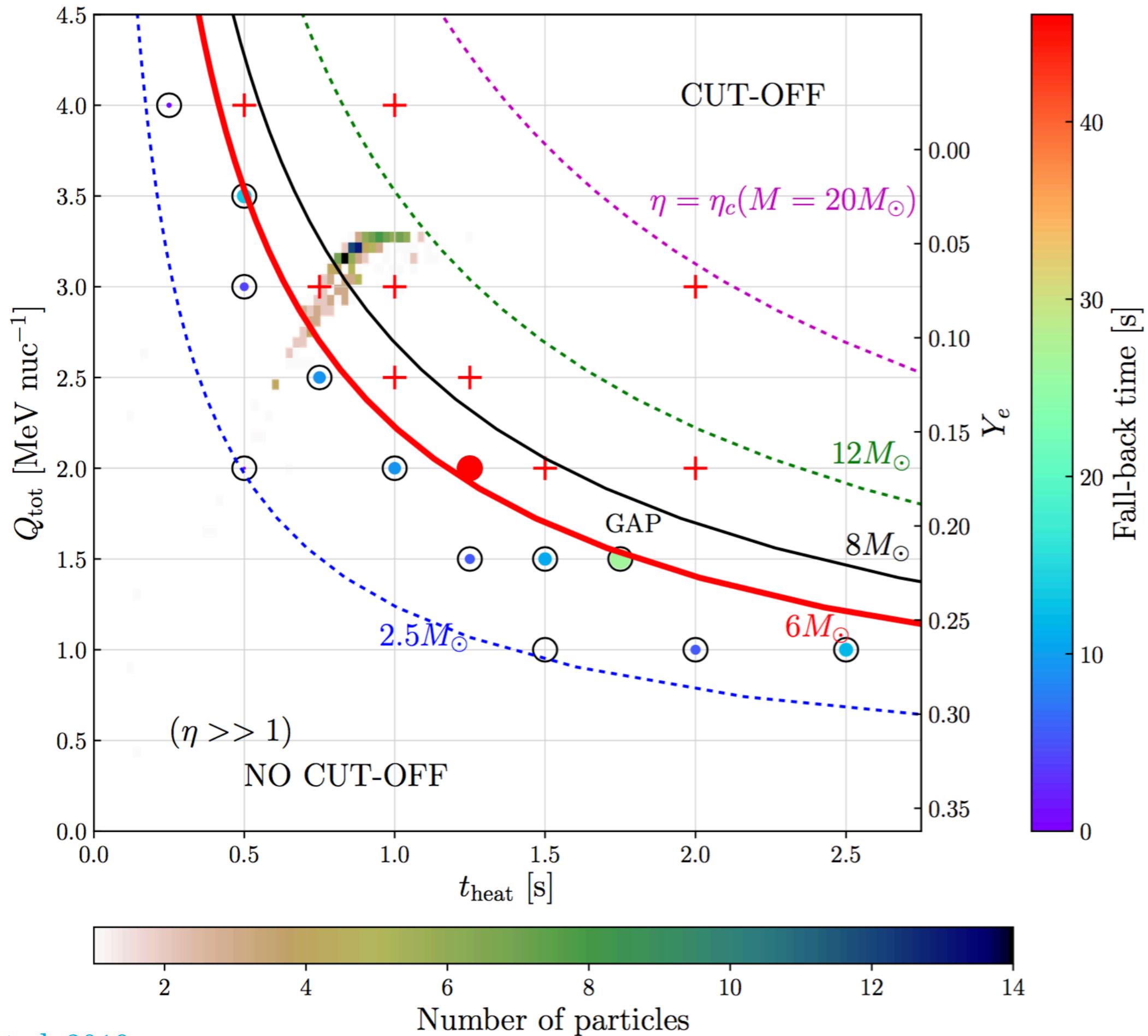
$$\eta \equiv \frac{t_{\text{heat}}}{t_{\text{orb},c}} \approx 1.6 \left(\frac{M}{5M_{\odot}} \right)^{-2/5} \left(\frac{Q_{\text{tot}}}{3 \text{ MeV}} \right)^{3/5} \left(\frac{t_{\text{heat}}}{1 \text{ s}} \right)^{2/5}$$



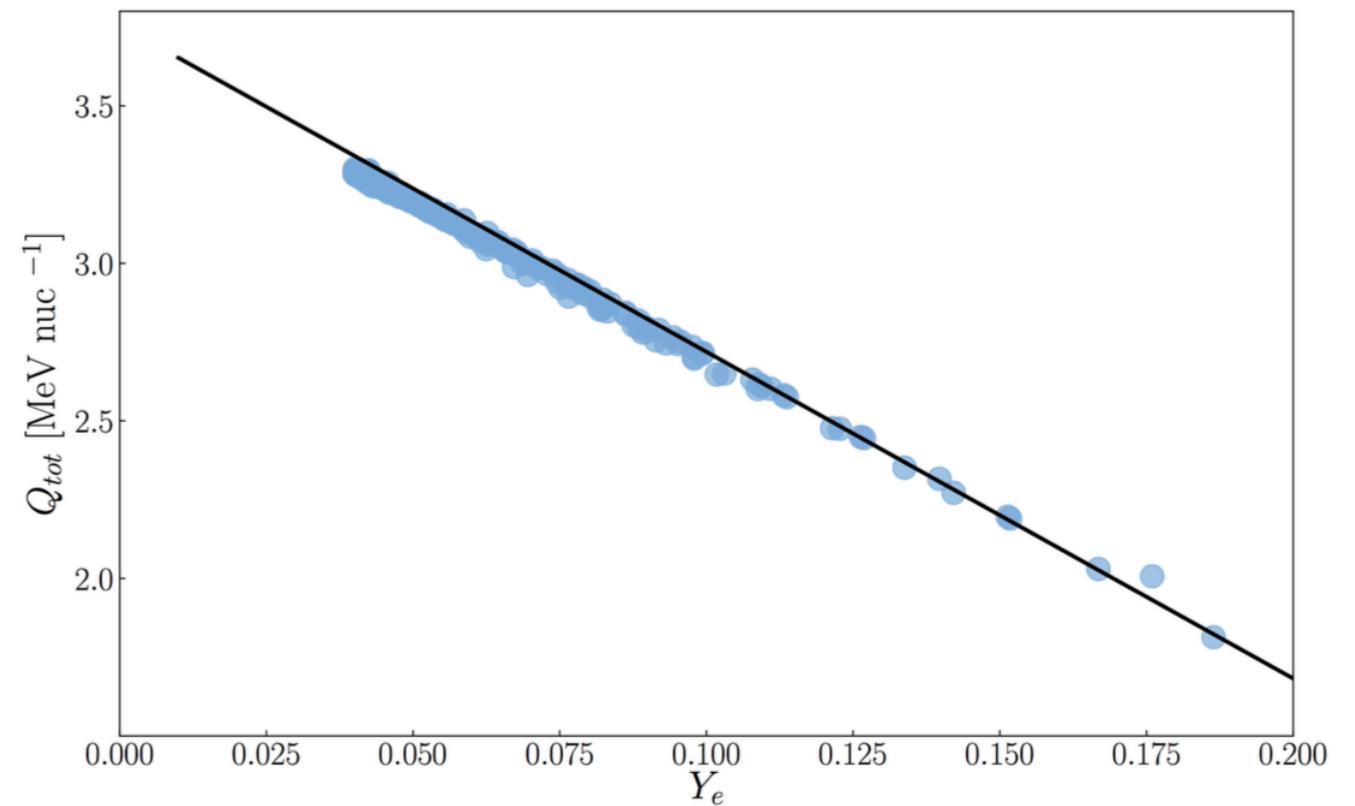
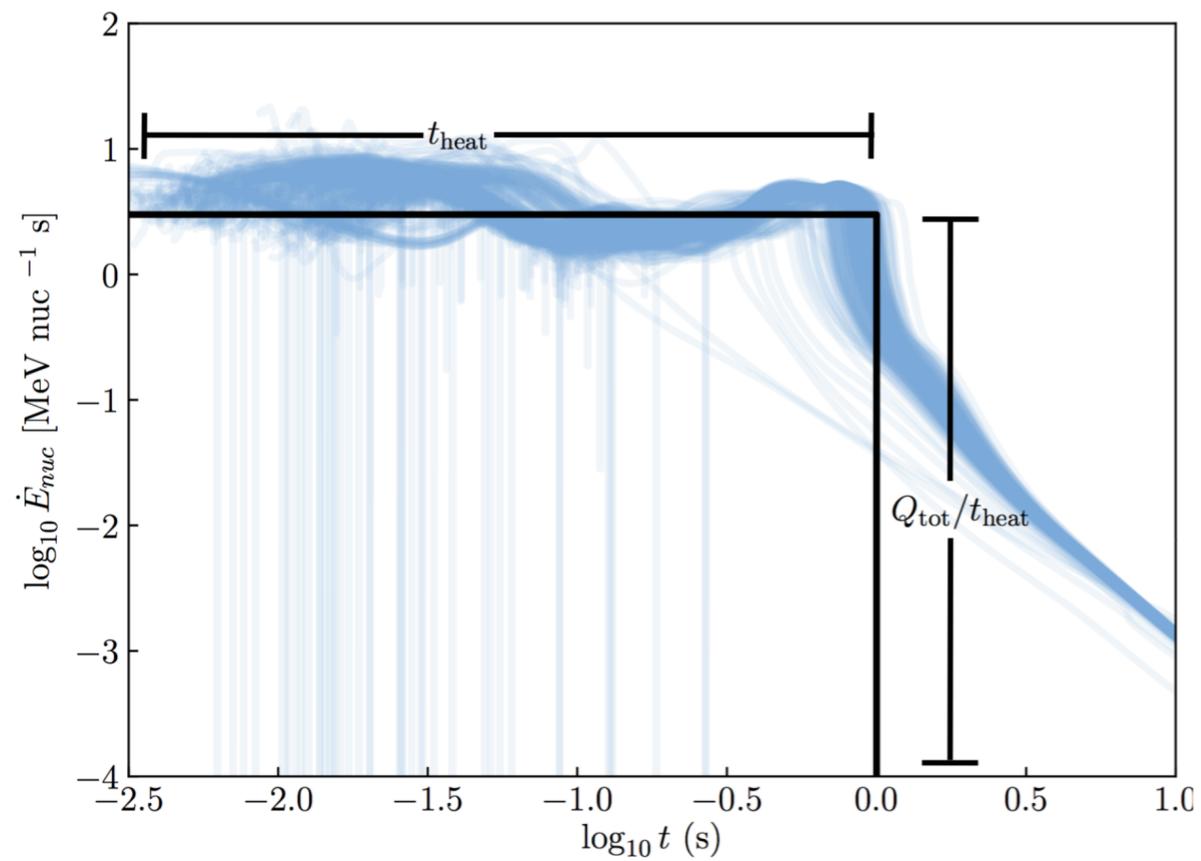
Ratio determines shape of fall-back curve!

$\eta \gg 1 \rightarrow$ Uninterrupted Fall-Back

$\eta \ll 1 \rightarrow$ Gap in Fall-Back Rate



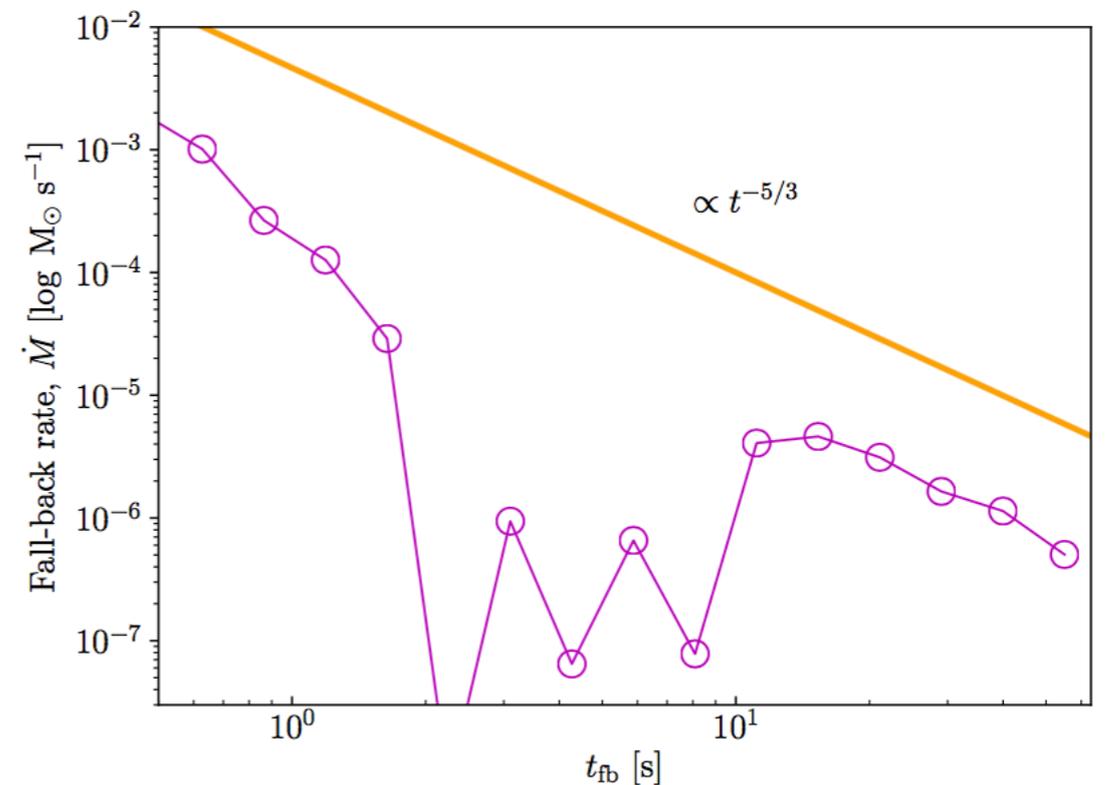
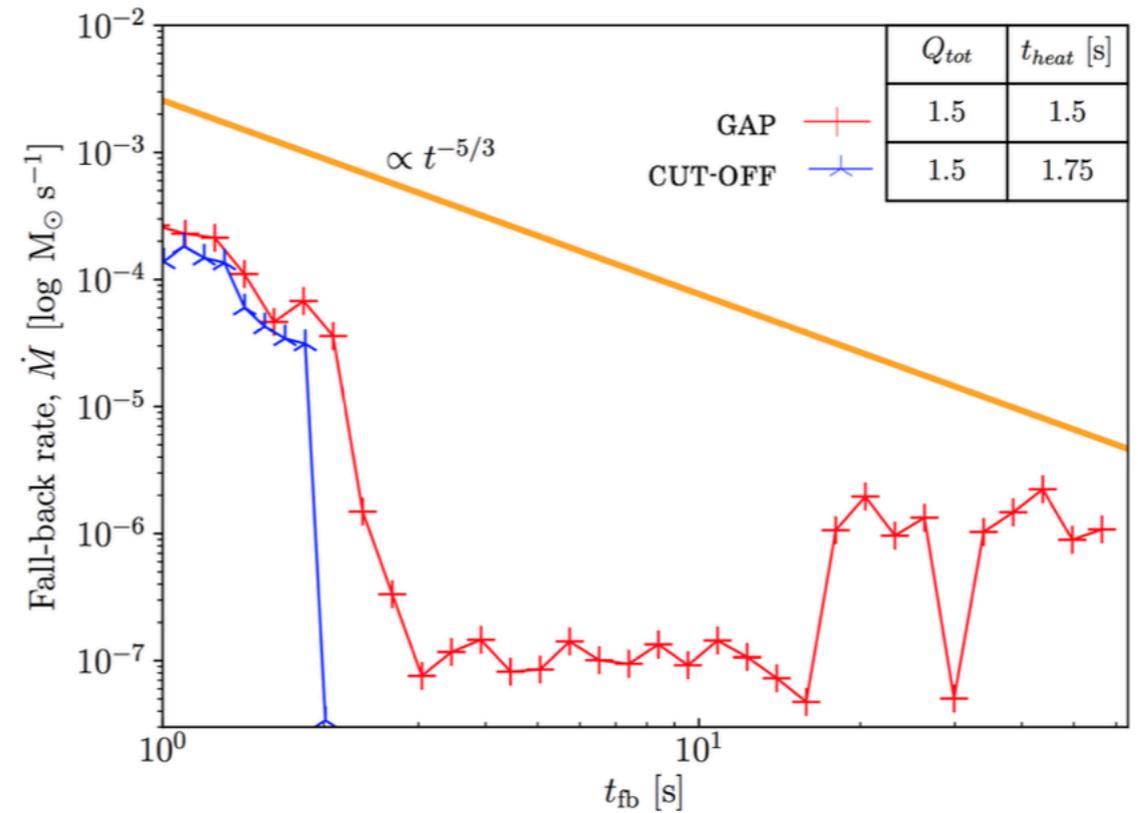
Does gap still arise with a more realistic heating distribution?



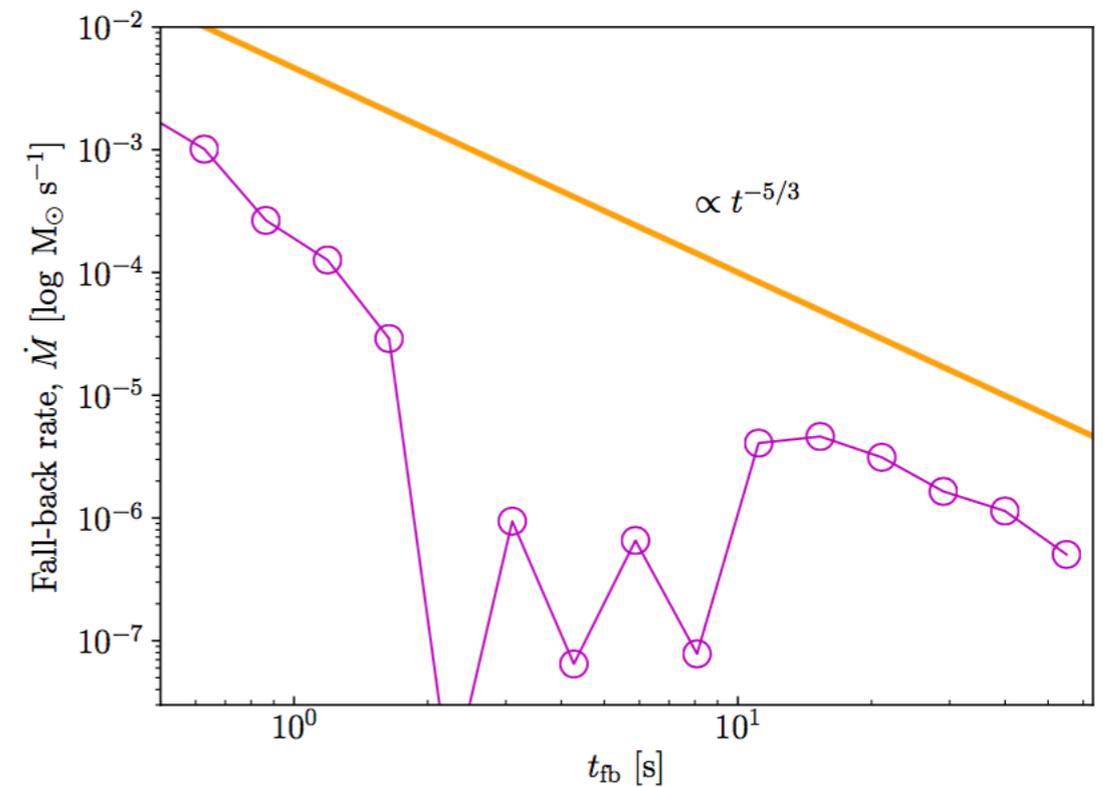
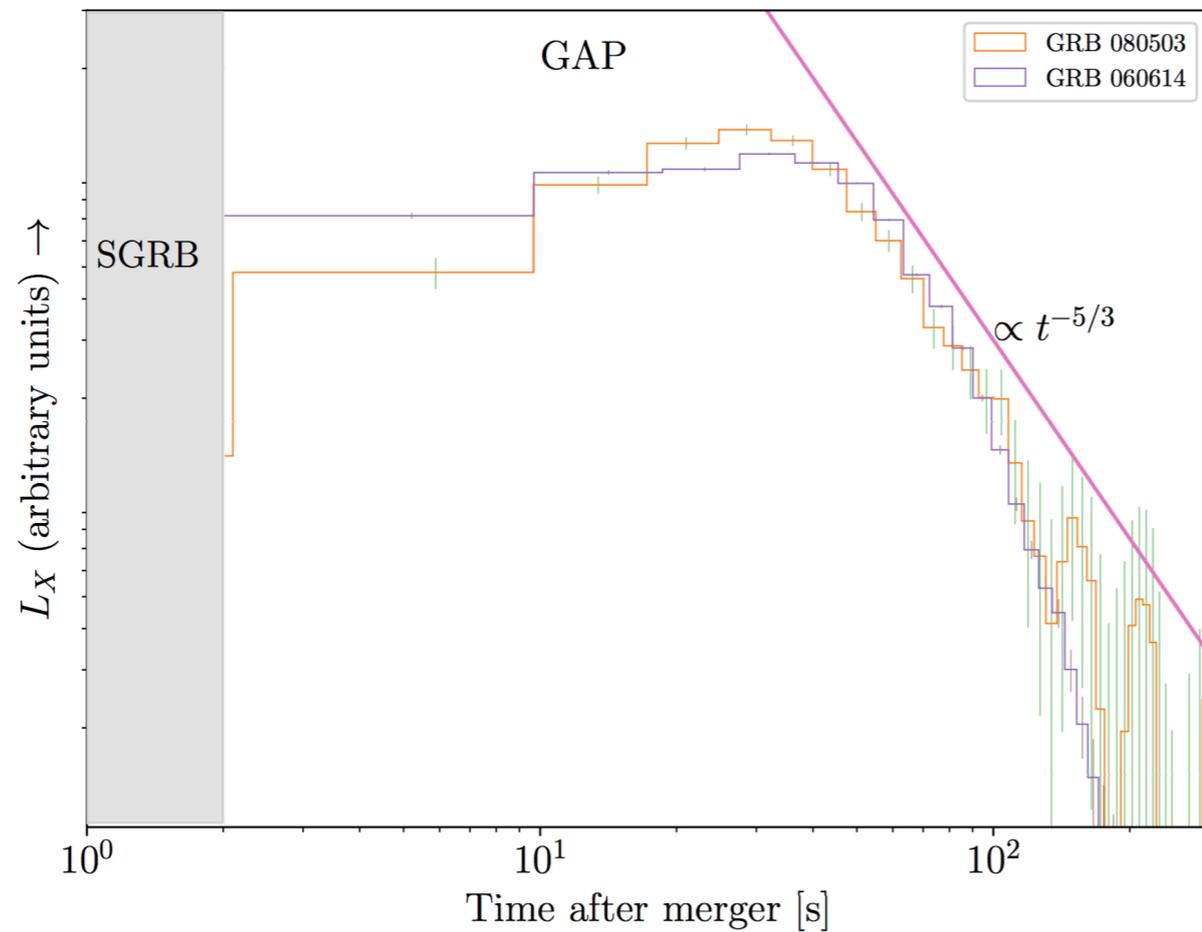
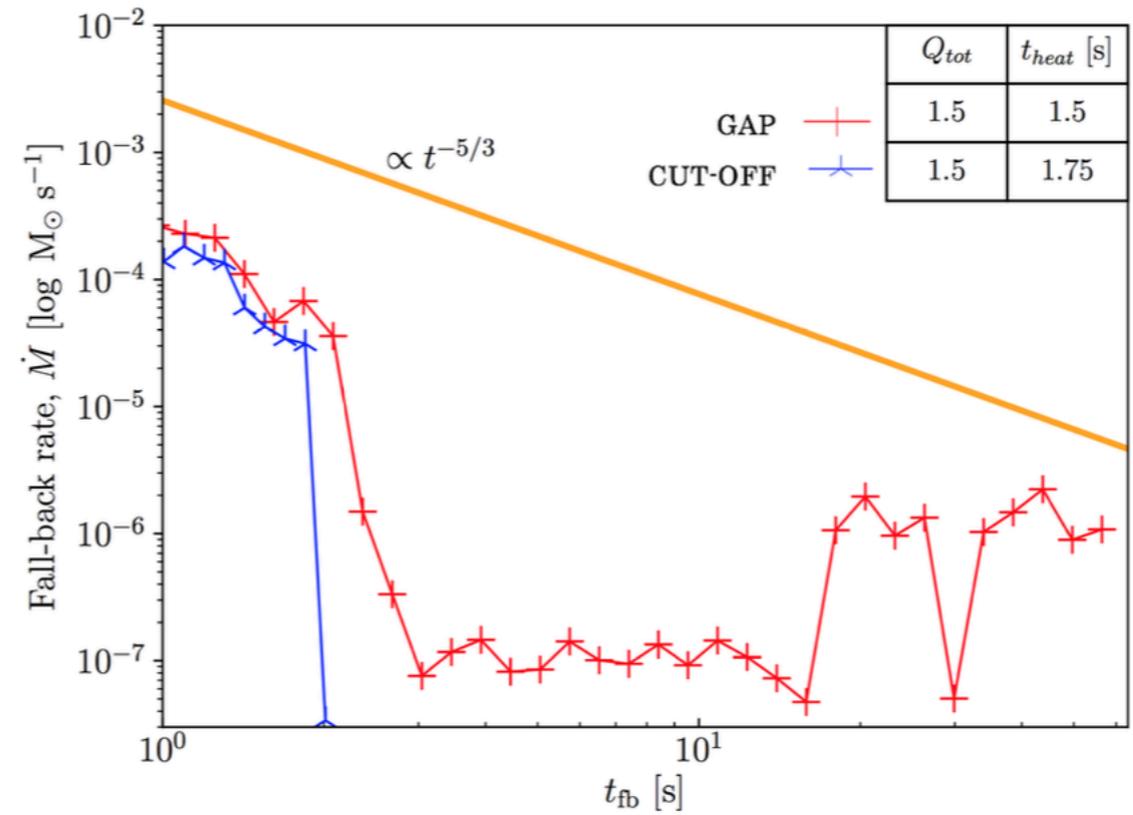
More realistic heating distributions

A. Chosen based on Ye distribution, centered on chosen mean values of Q_{tot} , t_{heat}

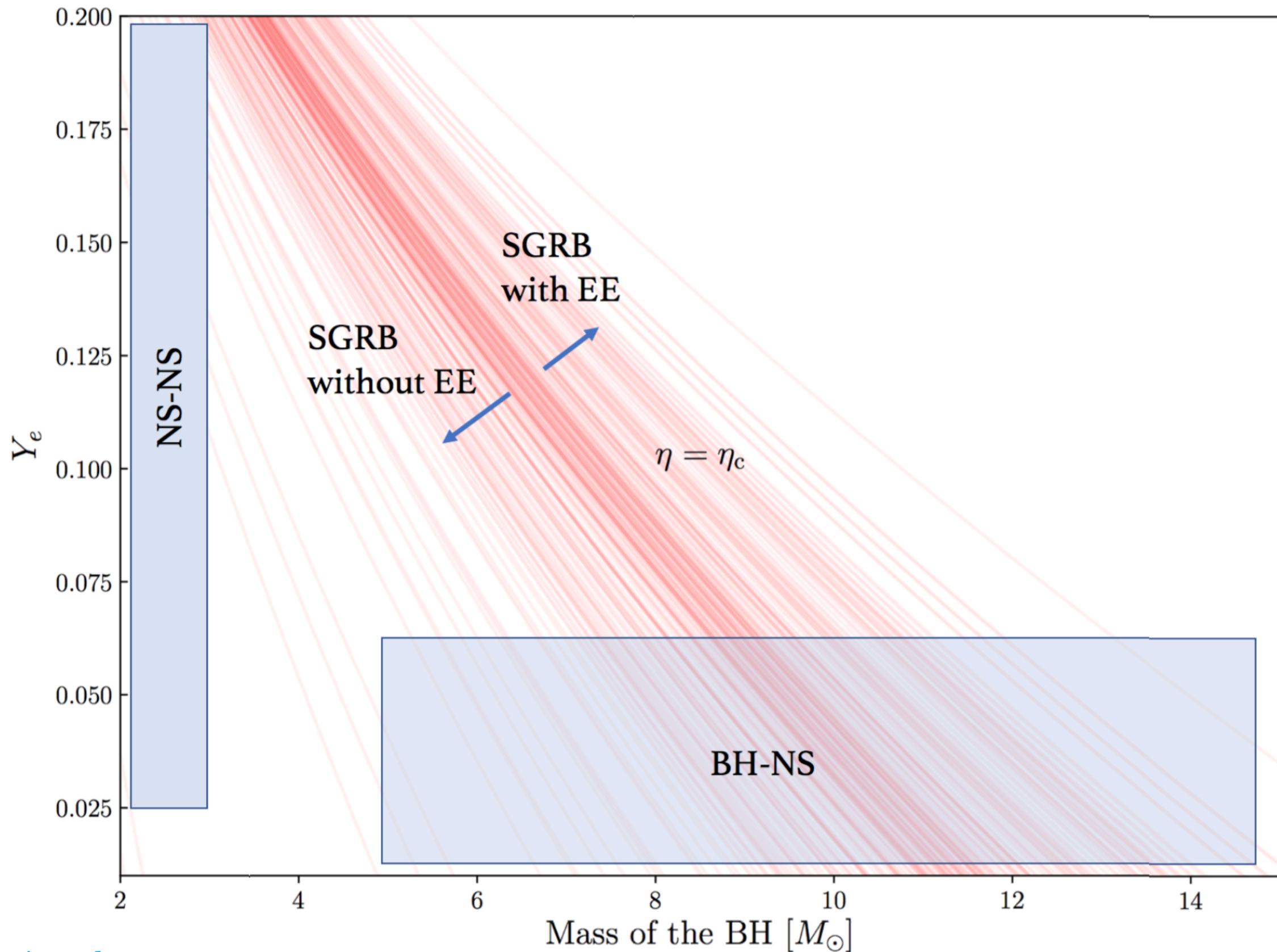
B. Heating rates directly mapped from SkyNet to fluid elements based on Ye



These occur on similar timescales!



Distinguishing BH-NS & NS-NS mergers



Event rates

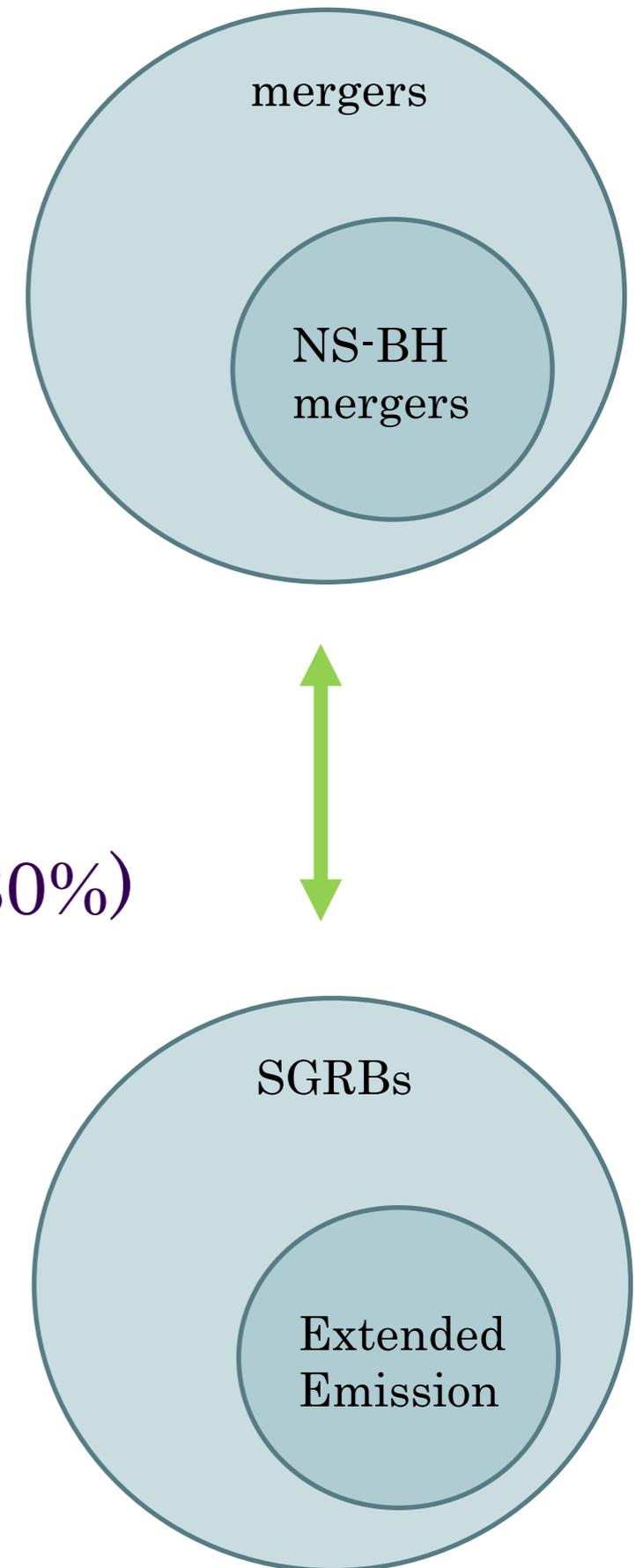
Assumptions:

1. All NS-NS mergers produce SGRBs
2. All NS-BH mergers produce SGRBs,
3. and are followed by EE

➔ fraction of mergers which are NS-BH
= fraction of SGRBs followed by EE (~30%)

But, not every NS-BH merger will
produce SGRB/EE → fraction of NS-BH
mergers must be $\gtrsim 30\%$

**Current LIGO detection rates are
consistent with these rate predictions!**



Conclusions

- R-process heating significantly alters fall-back behavior, resulting in gap or cut-off
- Higher central mass favors gap in fall-back
→ EE more likely to originate from NS-BH mergers?
- Hydrodynamic simulations to check consistency
- Check robustness of heating by assuming different theoretical models for nuclear masses
- At steady state, LIGO should detect more NS-BH mergers than NS-NS mergers due to higher sensitivity