

銀河の赤方偏移変形効果の モデリング

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カブリ IPMU

References:

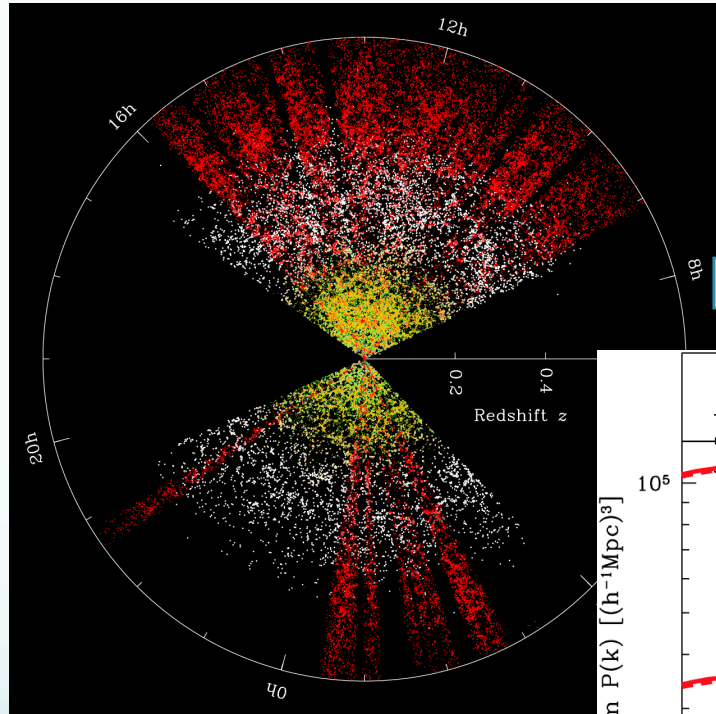
TO, Hand, Seljak, Vlah & Desjacques (2015) PRD in press, 1506.05814

TO, Takada, More & Masaki, in prep.

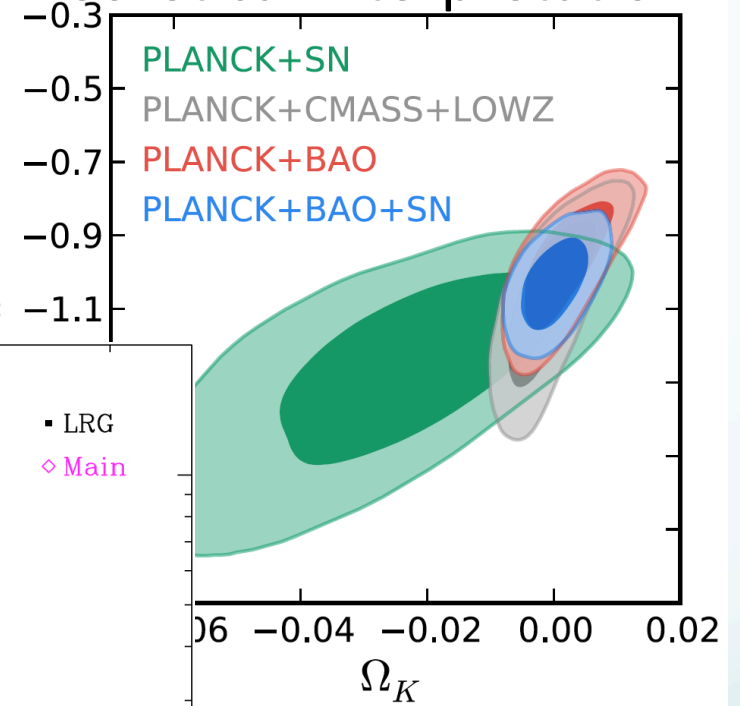
観測的宇宙論研究会@京大基研, May 18-20, 2015

Galaxy redshift surveys: galaxies as tracers of large-scale structure

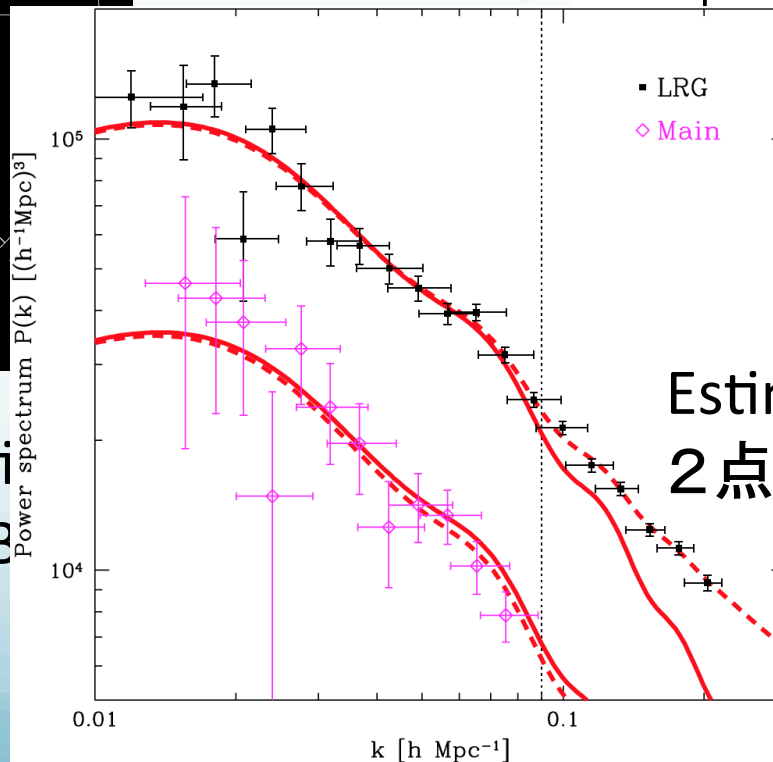
Observation



Theoretical interpretation

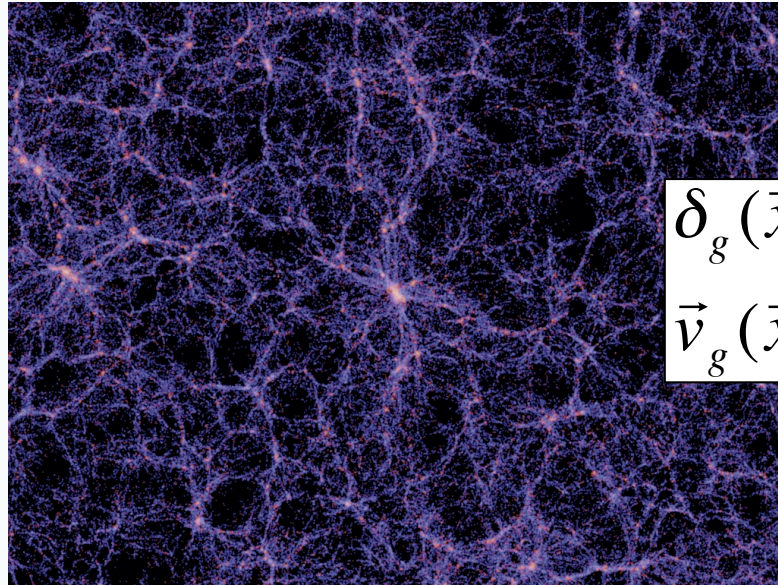


SDSS-III Baryon Oscillation Spectroscopic Survey (BOSS)



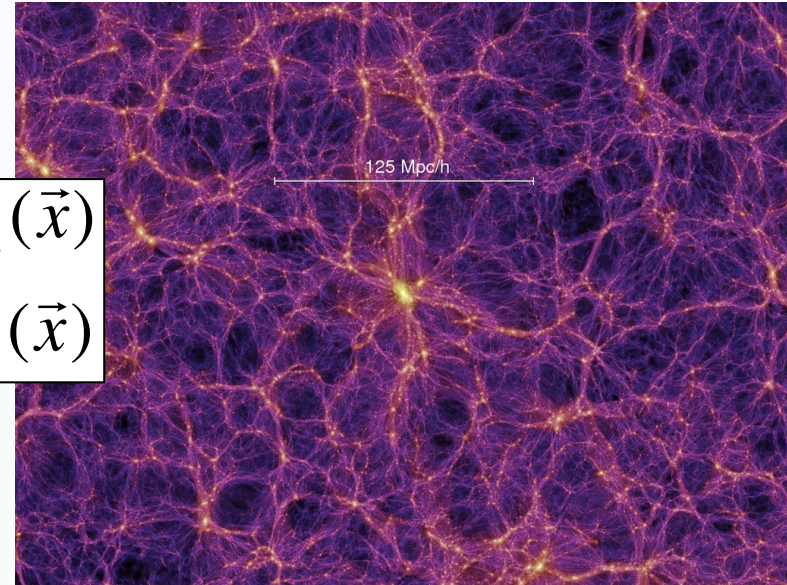
Estimator:
2点統計量

Dark matter, halos and galaxies



Observable: Galaxies

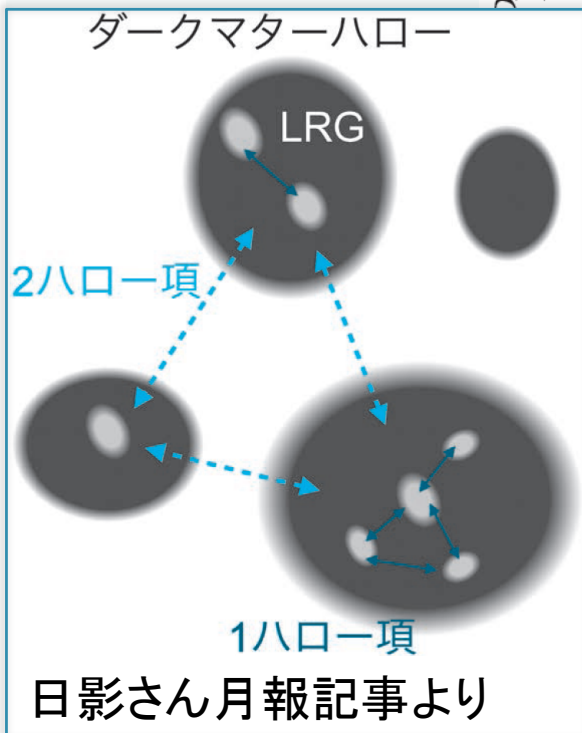
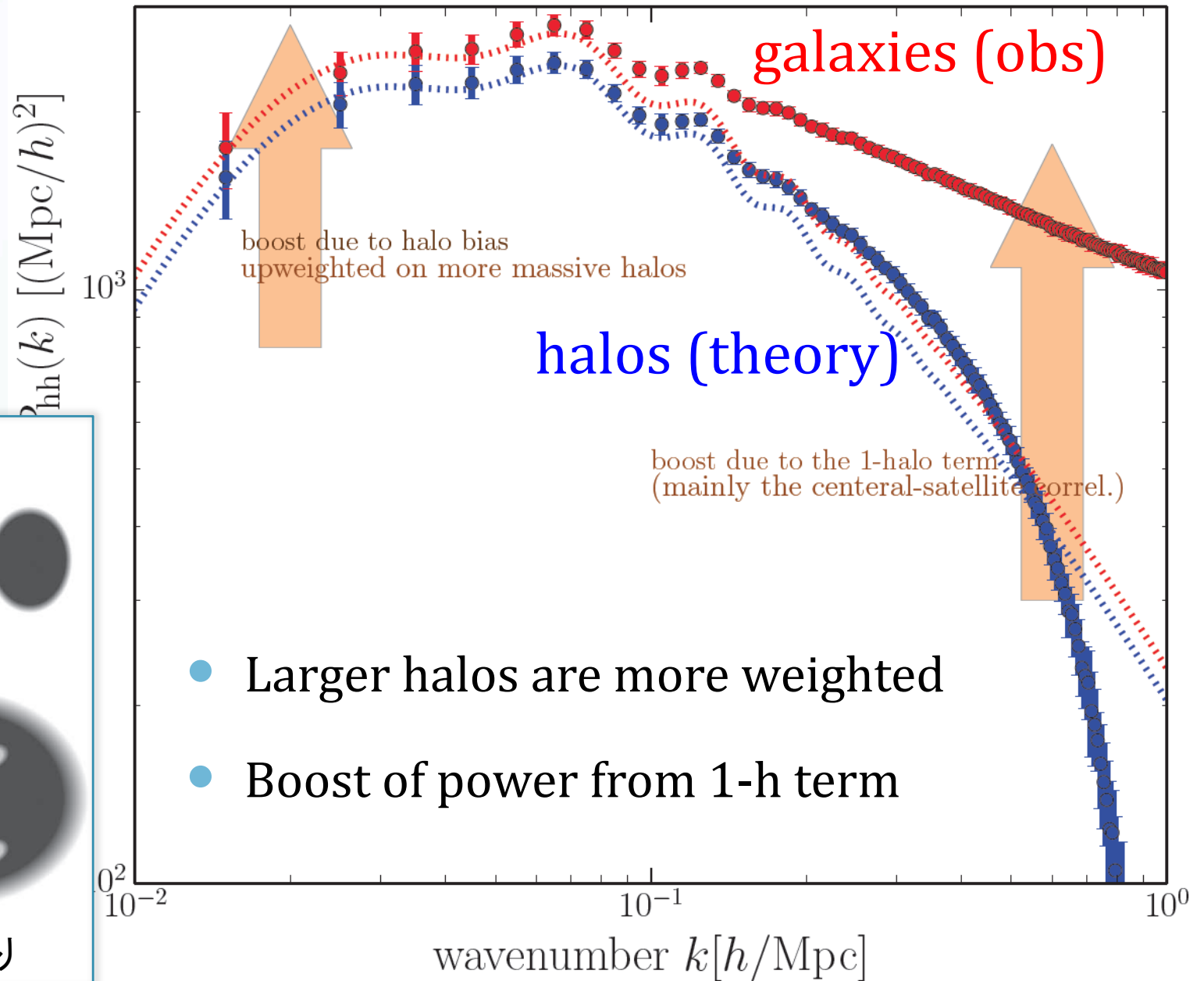
$$\delta_g(\vec{x}) \neq \delta_m(\vec{x})$$
$$\vec{v}_g(\vec{x}) \neq \vec{v}_m(\vec{x})$$



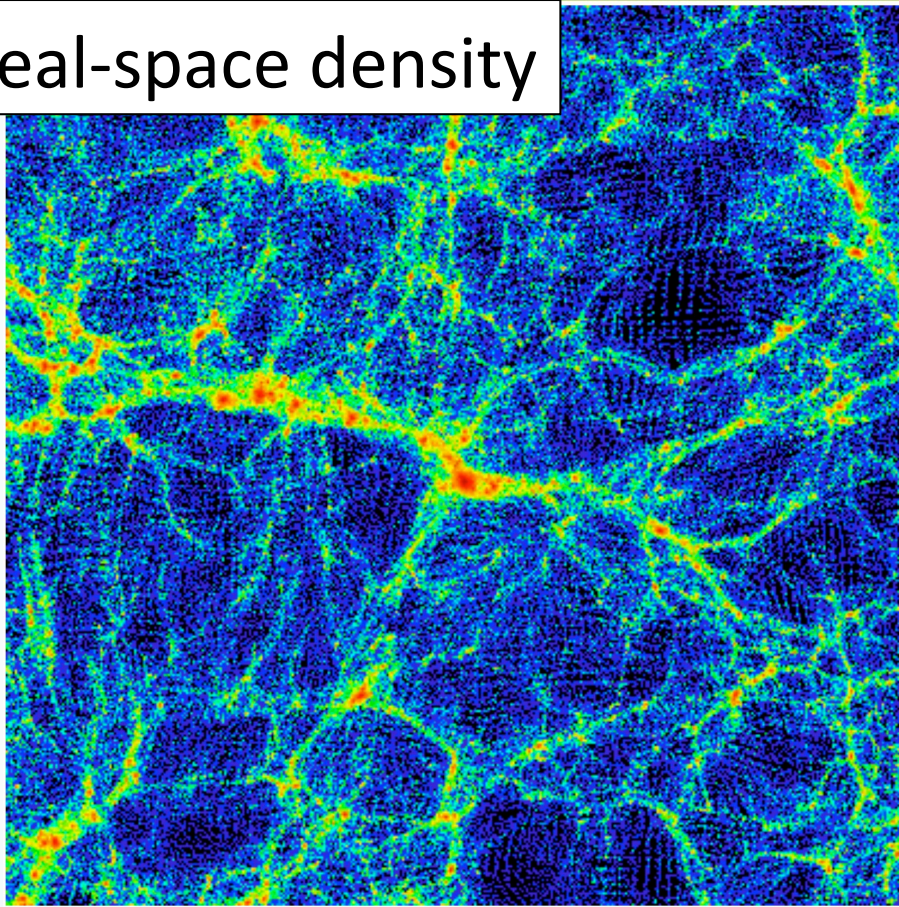
Predictable: Dark matter (halos)

- Dark matter halos are formed at high-density regions of dark matter, and galaxies are formed inside halos
- What one can predict is clustering of dark matter, while what one can observe is galaxies.

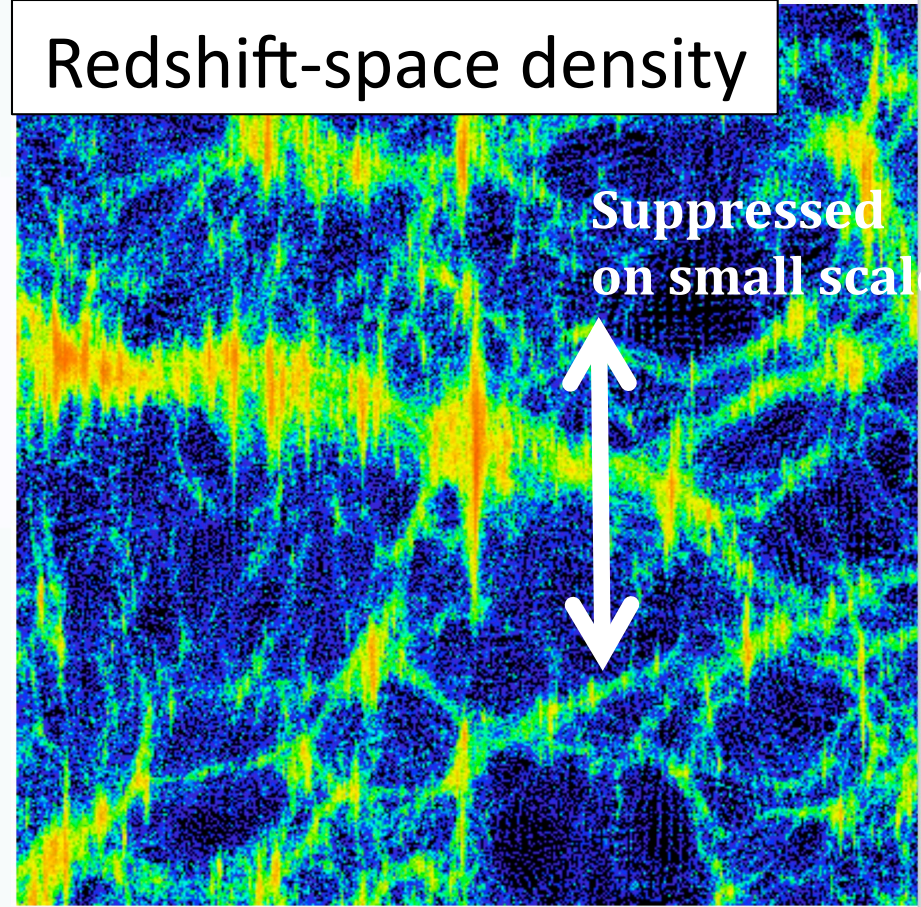
Halo vs galaxy: real-space clustering



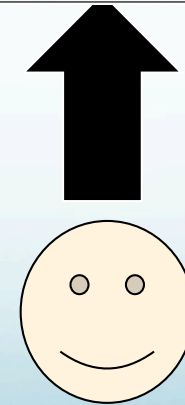
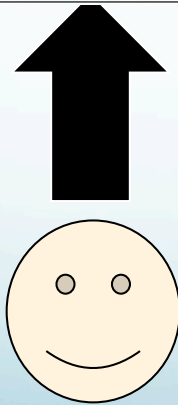
Real-space density



Redshift-space density



Suppressed
on small scales

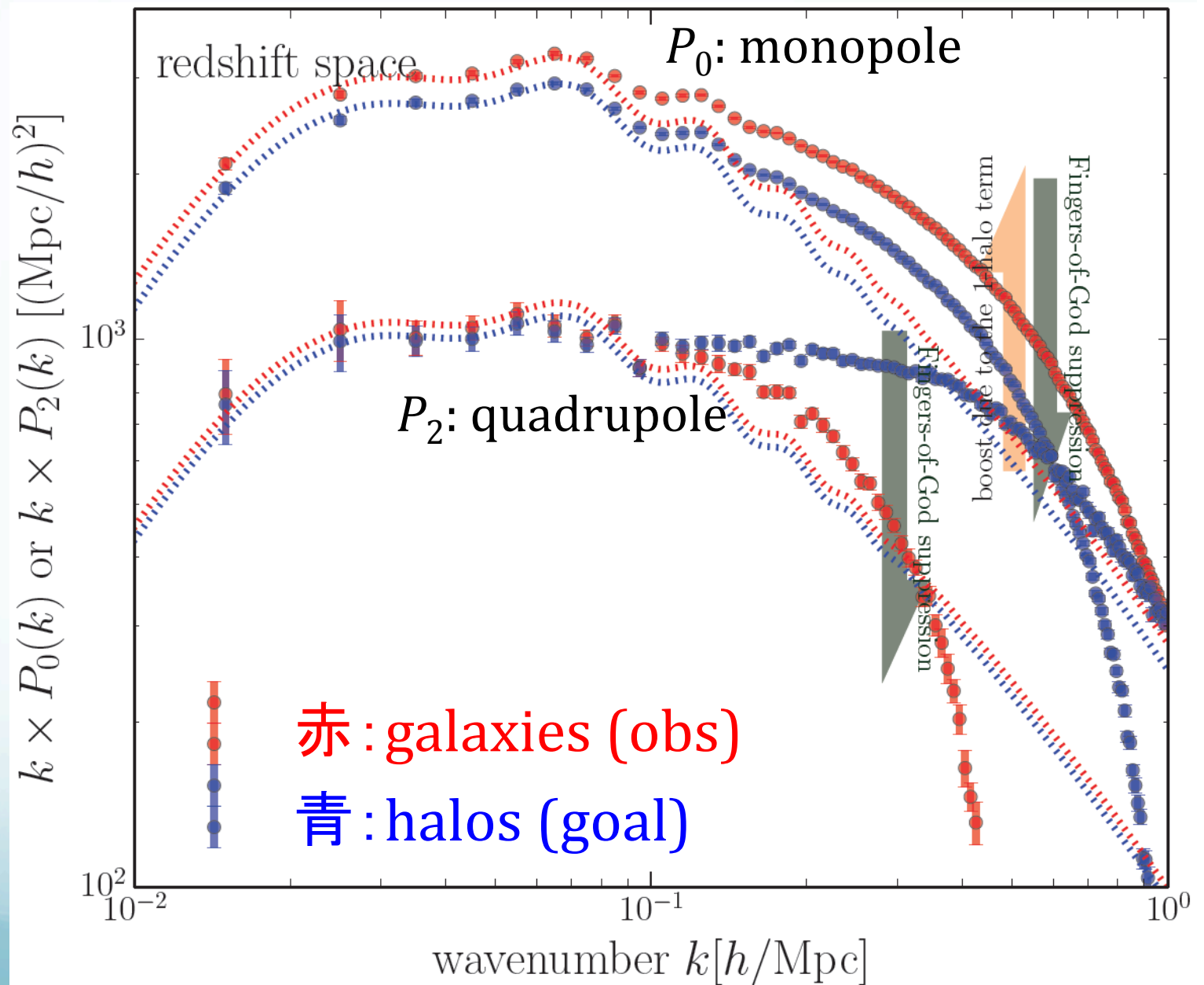


Redshift $z = \frac{\text{expansion}}{\text{distance}} + \text{peculiar velocity}$

The visualization made by T. Nishimichi

Halo vs galaxy: redshift-space clustering

- Larger halos are more weighted
- Boost of power from 1-h term
- Suppression of power for both 1-h and 2-h term



Purpose and results of this work

- 目的: 銀河サーベイで精密宇宙論をやるために、銀河(観測)とハロー(理論) の間のdistribution & kinetics のギャップを埋めたい
- 理論をハローから銀河: *TO*, Hand, Seljak, Vlah & Desjacques 2015
 - 摂動論/N体でハロークラスタリングを計算し、ハローモデルで銀河クラスタリングをモデルする。
- 観測を銀河からハロー: *TO*, Takada, More & Masaki, in prep.
 - RSD 入りの銀河分布からハローパワースペクトルをreconstruct する。
- 結論: N体でSDSS-III BOSS 型の銀河モックを作ってテストした結果、どちらの方法もhigh-k までうまくいくことがわかった。

Halo model description

- Theory

- Galaxies = 1h + 2h

$$P_{gg}^S(\mathbf{k}) = P_{gg}^{S1h}(\mathbf{k}) + P_{gg}^{S2h}(\mathbf{k})$$

1-halo

2-halo

- Observation

- Galaxies
- = centrals + satellites

$$\delta_g^S(\mathbf{k}) = (1 - f_s)\delta_c^S(\mathbf{k}) + f_s\delta_s^S(\mathbf{k})$$

$$P_{gg}^S(\mathbf{k}) = (1 - f_s)^2 P_{cc}^S(\mathbf{k}) + 2f_s(1 - f_s)P_{cs}^S(\mathbf{k}) + f_s^2 P_{ss}^S(\mathbf{k})$$

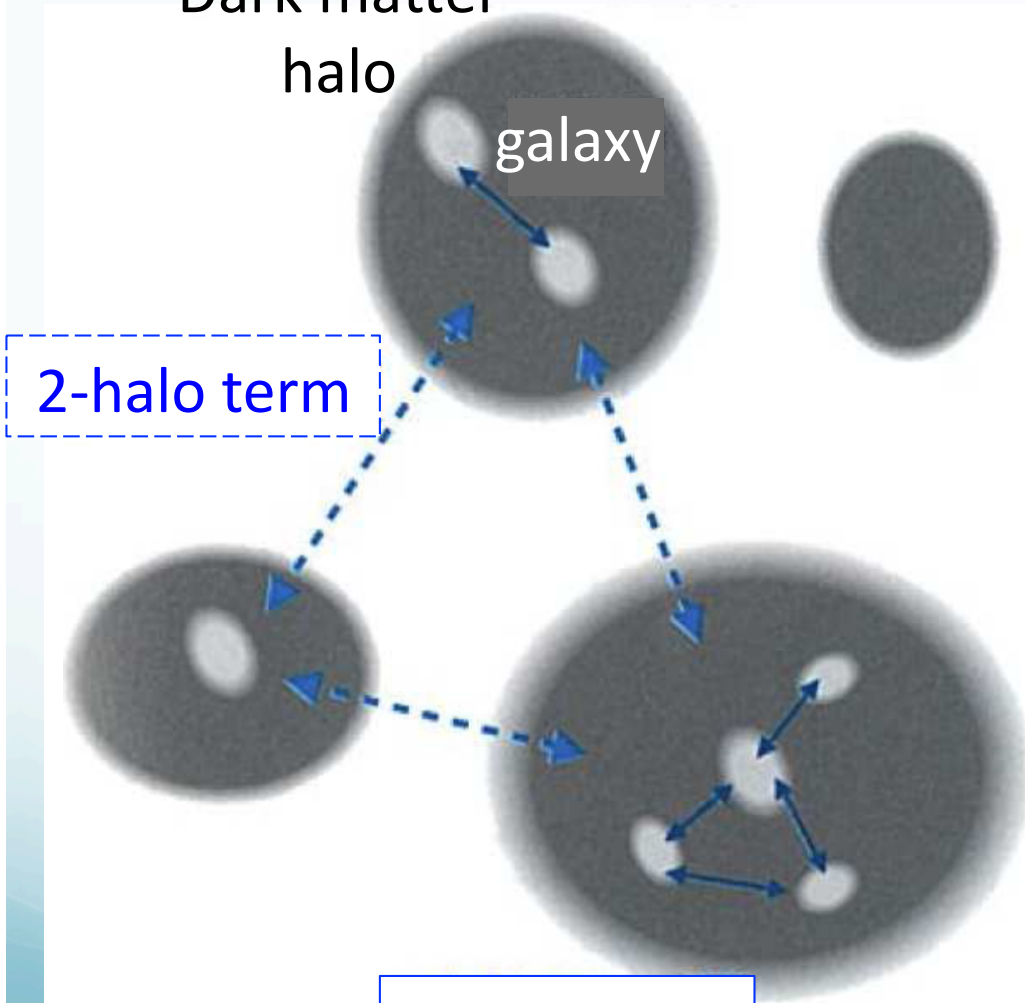
$$(2\pi)^3 P_{gg}^S(\mathbf{k})\delta(\mathbf{k} - \mathbf{k}') \equiv \langle \delta_g^S(\mathbf{k})\delta_g^{S*}(\mathbf{k}') \rangle$$

Dark matter halo

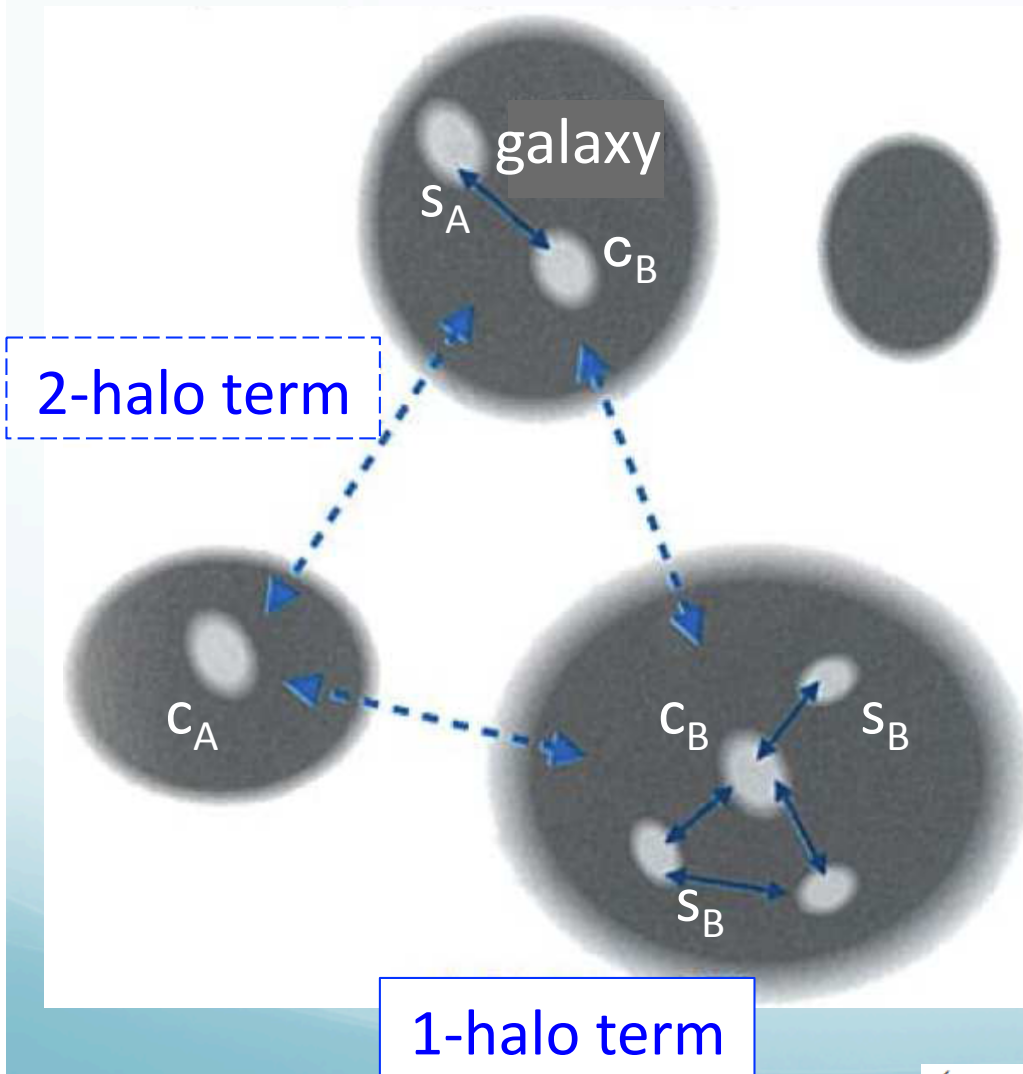
galaxy

2-halo term

1-halo term



Decomposing galaxy field in redshift survey (density field + velocity field)



- Galaxies
 - = centrals (c) + satellites (s)
- Centrals
 - = with no satellite (c_A)
 - + with satellite (c_B)
- Satellites
 - = with no other satellite (s_A)
 - + with other satellites (s_B)

$$(2\pi)^3 P_{gg}^S(\mathbf{k}) \delta(\mathbf{k} - \mathbf{k}') \equiv \langle \delta_g^S(\mathbf{k}) \delta_g^{S*}(\mathbf{k}') \rangle$$

Power spectra of decomposed fields

Decomposed power

$$P_{gg}^S(\mathbf{k}) = P_{gg}^{S1h}(\mathbf{k}) + P_{gg}^{S2h}(\mathbf{k}), \quad (5)$$

where the 2-halo and 1-halo terms are given by

$$\begin{aligned} P_{gg}^{S2h}(\mathbf{k}) &= (1 - f_s)^2 P_{cc}^S(\mathbf{k}) + 2f_s(1 - f_s) \\ &\quad \times \left(\frac{N_{cA}}{N_c} P_{cAs}^S(\mathbf{k}) + \frac{N_{cB}}{N_c} P_{cBs}^{S2h}(\mathbf{k}) \right) \\ &+ f_s^2 \left(\frac{N_{sA}^2}{N_s^2} P_{sAsA}^S(\mathbf{k}) + \frac{2N_{sA}N_{sB}}{N_s^2} P_{sAsB}^S(\mathbf{k}) \right. \\ &\quad \left. + \frac{N_{sB}^2}{N_s^2} P_{sBsB}^{S2h}(\mathbf{k}) \right), \quad (6) \end{aligned}$$

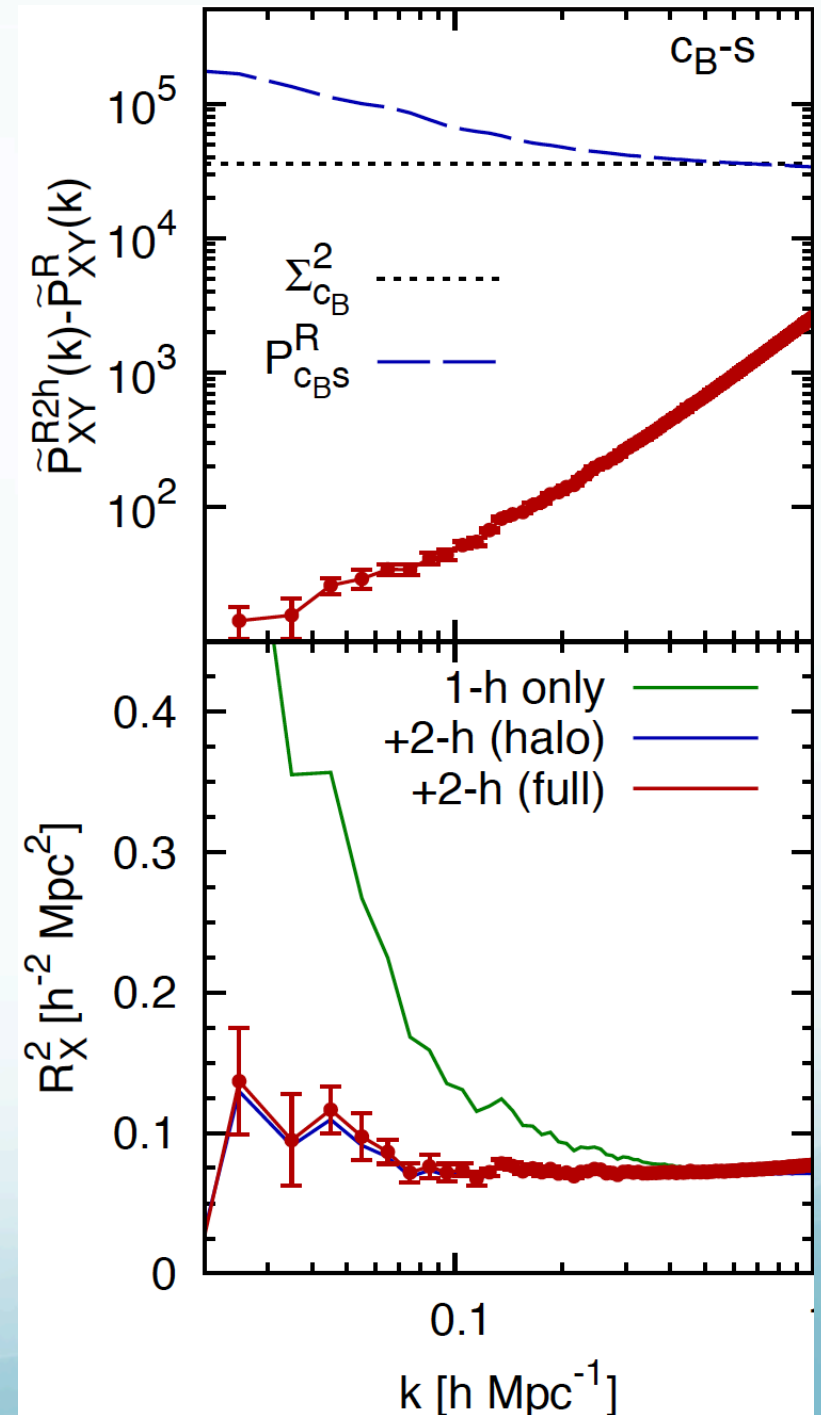
$$\begin{aligned} P_{gg}^{S1h}(\mathbf{k}) &= 2f_s(1 - f_s) \frac{N_{cB}}{N_c} P_{cBs}^{S1h}(\mathbf{k}) \\ &+ f_s^2 \frac{N_{sB}^2}{N_s^2} P_{sBsB}^{S1h}(\mathbf{k}). \quad (7) \end{aligned}$$

Effect of halo satellite radius

- In real-space power spectrum
 - Satellite clustering = host halo clustering?
 - Expanding halo profile with halo radius R_s

$$P_{c_{BS}}^{1h} = A_0 k^0 - A_2 k^2 R_s^2 + \dots$$

$$P_{c_{BS}}^{2h} = P_{lin} (k^0 - B_2 k^2 R_s^2 + \dots)$$
 - $\sim 3\%$ effect at $k \sim 0.5 h/\text{Mpc}$
 - \rightarrow for BOSS-type galaxies, $< 1\%$
- Even more smeared out in redshift space



Power spectra of decomposed fields

Decomposed power

$$P_{gg}^S(\mathbf{k}) = P_{gg}^{S1h}(\mathbf{k}) + P_{gg}^{S2h}(\mathbf{k}), \quad (5)$$

where the 2-halo and 1-halo terms are given by

$$P_{gg}^{S2h}(\mathbf{k}) = (1 - f_s)^2 P_{cc}^S(\mathbf{k}) + 2f_s(1 - f_s) \times \left(\frac{N_{cA}}{N_c} P_{cAs}^S(\mathbf{k}) + \frac{N_{cB}}{N_c} P_{cBs}^S(\mathbf{k}) \right) + f_s^2 \left(\frac{N_{sA}^2}{N_s^2} P_{sAsA}^S(\mathbf{k}) + \frac{2N_{sA}N_{sB}}{N_s^2} P_{sAsB}^S(\mathbf{k}) + \frac{N_{sB}^2}{N_s^2} P_{sBsB}^{S2h}(\mathbf{k}) \right), \quad (6)$$

$$P_{gg}^{S1h}(\mathbf{k}) = 2f_s(1 - f_s) \frac{N_{cB}}{N_c} P_{cBs}^{S1h}(\mathbf{k}) + f_s^2 \frac{N_{sB}^2}{N_s^2} P_{sBsB}^{S1h}(\mathbf{k}). \quad (7)$$

2-halo terms

$$P_{cc}^S(k, \mu) = P_{cc,h}^S(k, \mu) \quad (27)$$

$$P_{cAs}^S(k, \mu) = G(k\mu; \sigma_{v,s}) P_{cAs,h}^S(k, \mu), \quad (28)$$

$$P_{sAsA}^S(k, \mu) = G^2(k\mu; \sigma_{v,sA}) P_{sAsA,h}^S(k, \mu), \quad (29)$$

$$P_{sAsB}^S(k, \mu) = G(k\mu; \sigma_{v,sA}) G(k\mu; \sigma_{v,sB}) \times P_{sAsB,h}^S(k, \mu), \quad (30)$$

1 and 2-halo terms

$$P_{cBs}^S(k, \mu) = G(k\mu; \sigma_{v,s}) \left[\tilde{P}_{cBs,h}^S(k, \mu) - \Sigma_{cB}^2 \right] + G(k\mu; \sigma_{v,s}) \Sigma_{cB}^2 = G(k\mu; \sigma_{v,s}) \tilde{P}_{cBs,h}^S(k, \mu) \quad (31)$$

$$P_{sBsB}^S(k, \mu) = G^2(k\mu; \sigma_{v,sB}) \left[\tilde{P}_{sBsB,h}^S(k, \mu) - \sigma_{n,sB}^2 \right]. \quad (33)$$

$$G(k\mu; \sigma_v) = \begin{cases} e^{-k^2 \mu^2 \sigma_v^2 / 2} & \text{Gaussian,} \\ (1 + k^2 \mu^2 \sigma_v^2 / 2)^{-2} & \text{Lorentzian.} \end{cases} \quad (34)$$

$$\sigma_v^2(M) = \sigma_{v,0}^2 \left(\frac{M}{10^{13} M_\odot / h} \right)^{2/3}$$

- $P_{XY,h}$: power spectrum of halos hosting galaxies X and Y

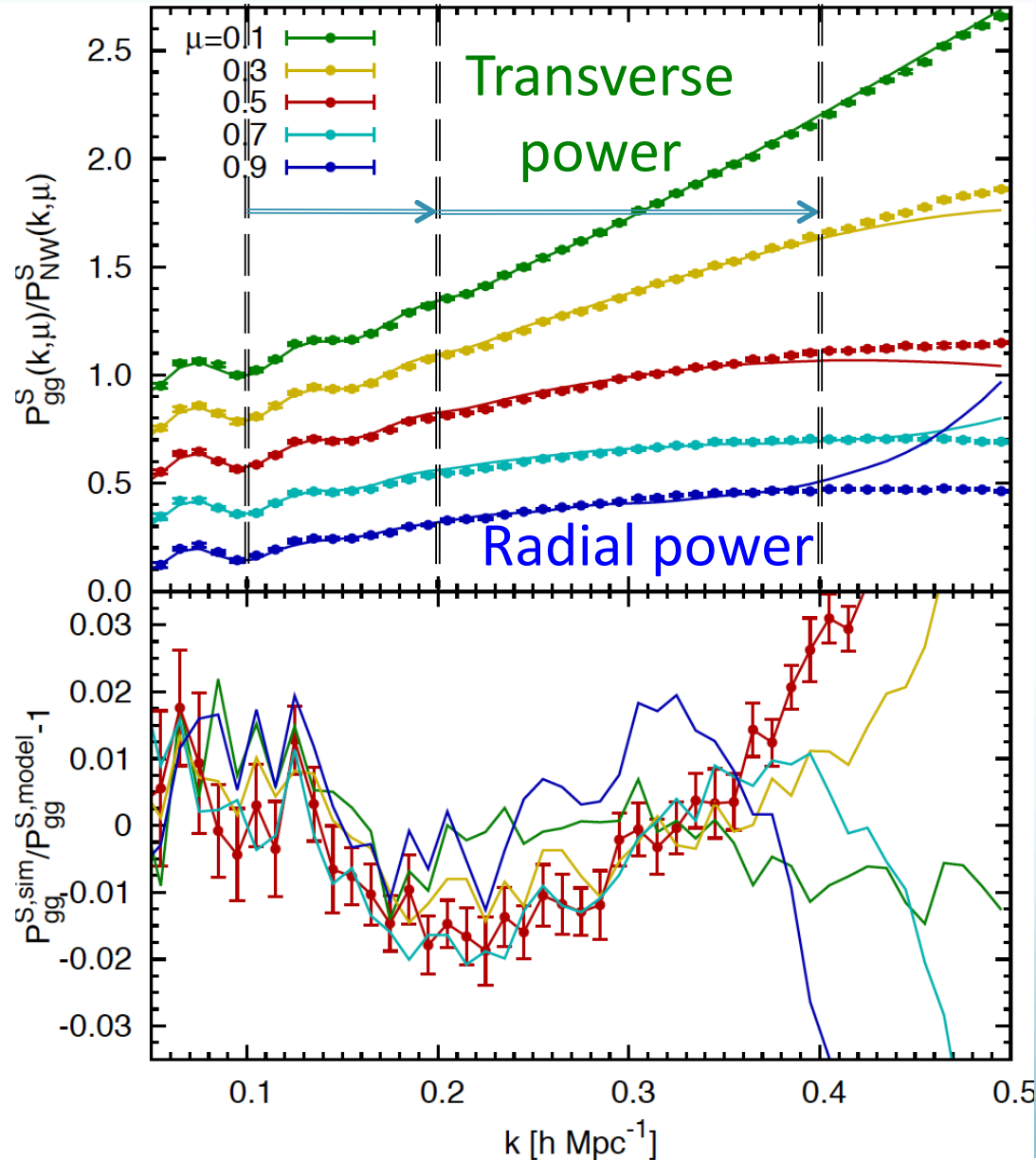
Perturbation theory for redshift-space halo clustering

- Distribution function approach
 - Paper I. Seljak & McDonald (2011) JCAP
 - Paper II. **Okumura**, Seljak, McDonald, Desjacques (2012a) JCAP
 - Paper III. **Okumura**, Seljak, Desjacques (2012b) JCAP
 - Paper IV. Vlah, Seljak, McDonald, **Okumura**, Baldauf (2012) JCAP
 - Paper V. Vlah, Seljak, **Okumura**, Desjacques (2013) JCAP
 - Paper VI. Blazek, Seljak, Vlah, **Okumura** (2014) JCAP

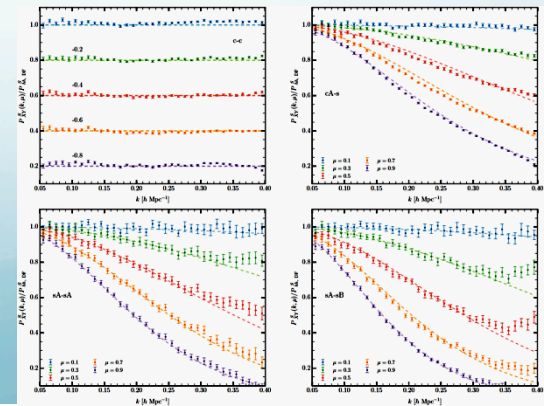
$$P_{XY,h}^S(k, \mu) = \sum_{L=0}^{\infty} \sum_{L'=0}^{\infty} \frac{(-1)^{L'}}{L!L'!} \left(\frac{ik\mu}{\mathcal{H}} \right)^{L+L'} P_{LL'}^{XY,h}(k, \mu),$$

$$P_{LL'}^{XY,h}(\mathbf{k})(2\pi)^3 \delta_D(\mathbf{k}-\mathbf{k}') = \left\langle T_{\parallel}^{X,L}(\mathbf{k}) T_{\parallel}^{Y,L'*}(\mathbf{k}') \right\rangle$$

Testing theoretical model with BOSS-like simulation result at $z=0.5$



- Points:
 - Simulation results
- Lines:
 - Theoretical (PT) model
- 3% at $k=0.4h/\text{Mpc}$ for PT-based model
- 1.5% at $k=0.5h/\text{Mpc}$ for sim-based model



Summary for the first half

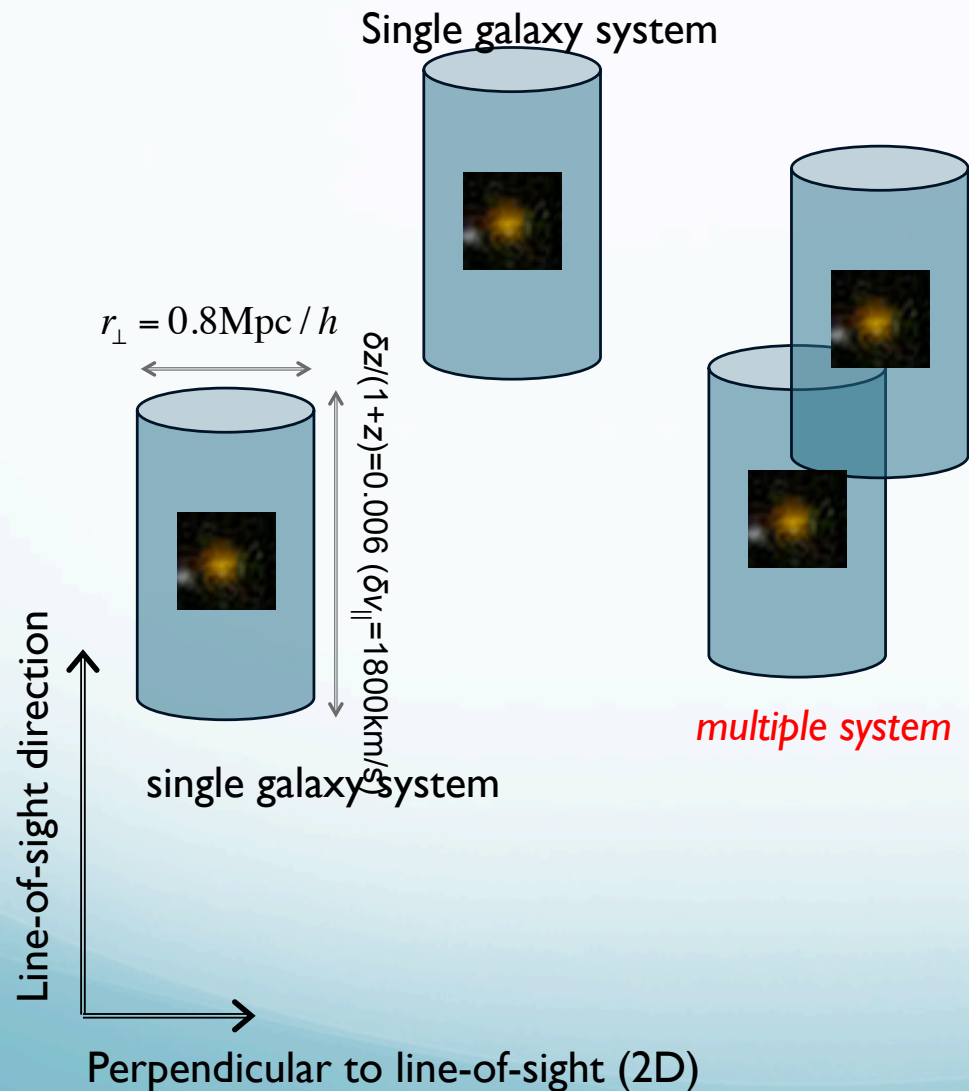
- Galaxy density field can be **decomposed** to subsamples and be separated into 1-halo and 2-halo terms.
- We found the power spectrum of galaxies can be well **modeled by that of their host halos** with only one (or at most two) additional parameter, the velocity dispersion damping $\sigma_v(M)$
- **Percent accuracy up to $k \sim 0.4 h/\text{Mpc}$** ($4^3=64$ times more modes compared to $k \sim 0.1 h/\text{Mpc}$ case) for SDSS-III BOSS mock galaxies.
- We can apply this technique to the real BOSS surveys, and also eBOSS, Subaru PFS, DESI, etc.

Purpose and results of this work

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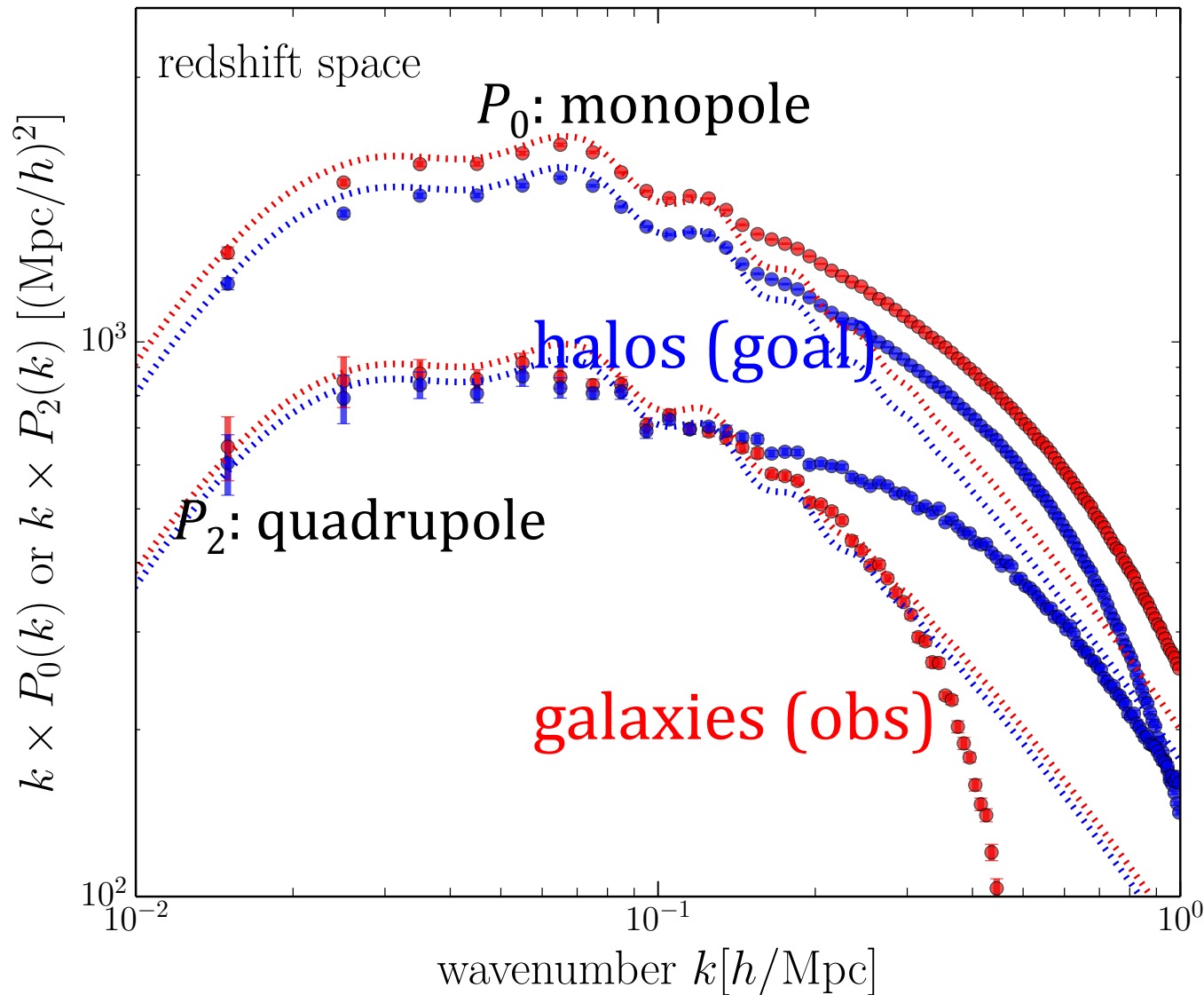
From galaxies to halos: Counts-in-Cylinders technique

Reid & Spergel 2009



- Apply a cylinder-shape region around each galaxy (taking into account RSD)
- Overlapped cylinders are considered to be in the same halo.
- RS09 found multiple SDSS LRG systems are about 5-6% of all LRGs
- *Question: can we apply this technique for high-density samples with higher satellite fraction, such as BOSS CMASS?*

Applying CiC to mock galaxies at $z=0.5$



- Galaxy dist.

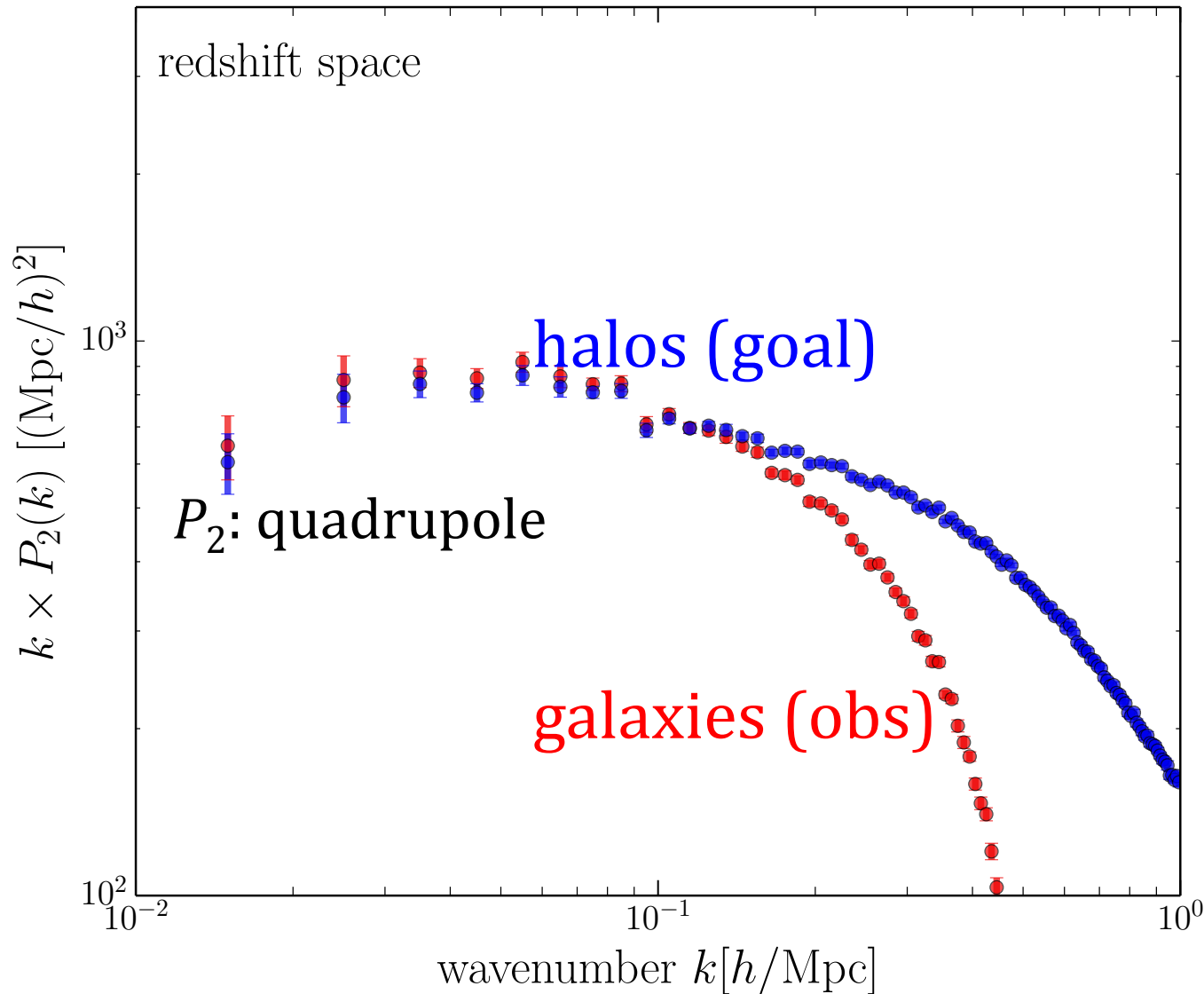
Identify halos using CiC and compute their power spectrum

- Halo clustering?

- $n_g \sim 3.5 \times 10^{-4} (h/\text{Mpc})^3$

$\sim n_{\text{BOSS}}$

Applying CiC to mock galaxies at $z=0.5$



- Galaxy dist.

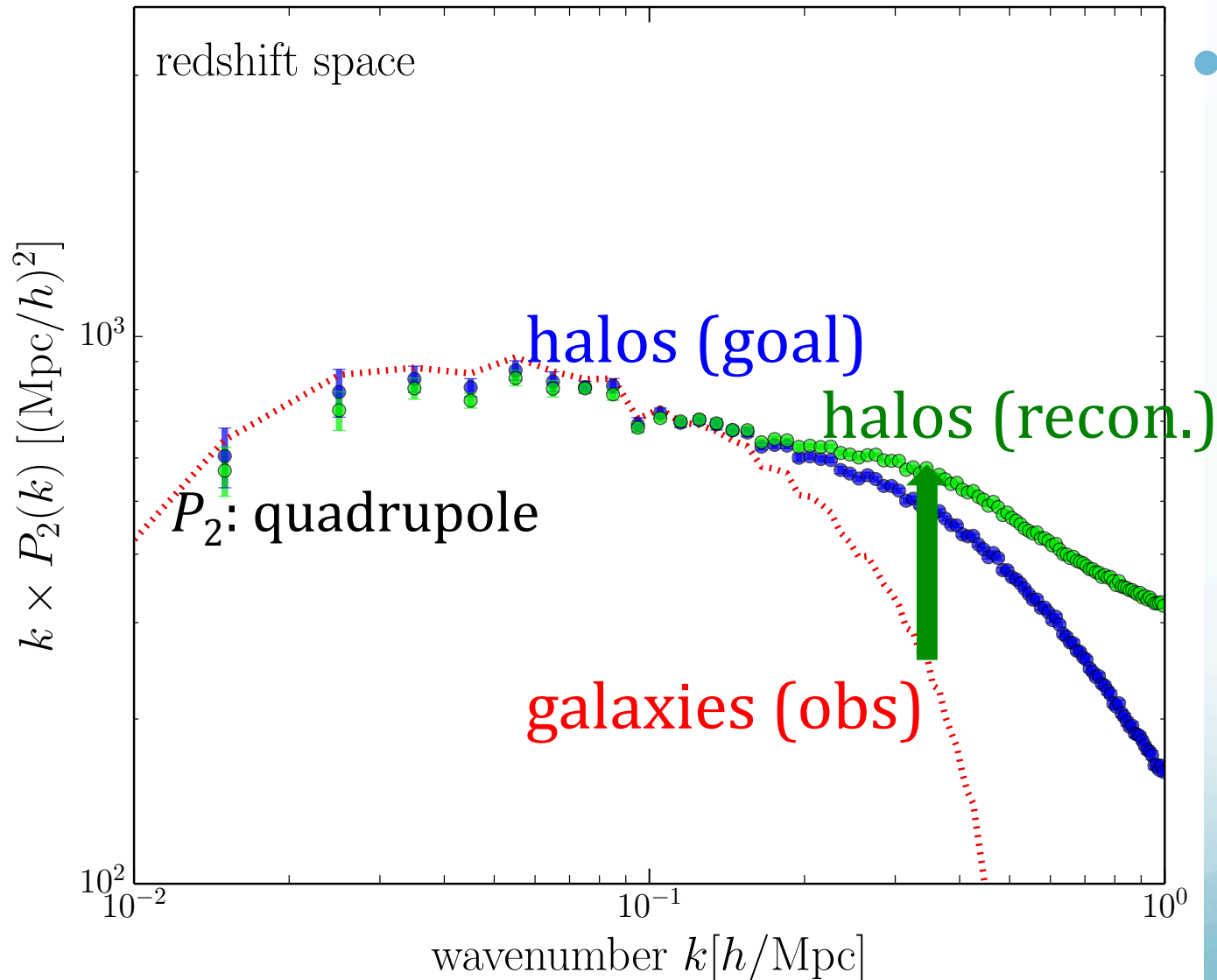
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- Halo clustering?

- $n_g \sim 3.5 \times 10^{-4} (h/Mpc)^3$

$\sim n_{\text{BOSS}}$

Applying CiC to mock galaxies at $z=0.5$



- The cylinder itself has an anisotropic shape, thus produces the artificial quadrupole.

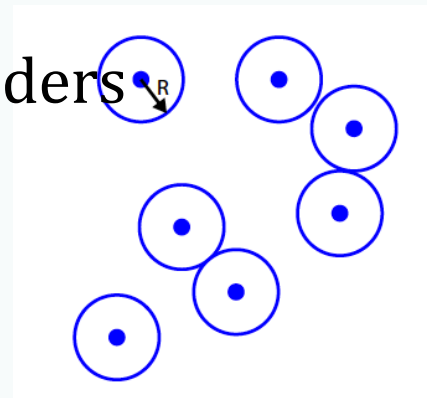
Correcting for the cylinder anisotropies

- Decomposed power spectrum (Okumura et al 2015)

$$P_{gg}^S(\mathbf{k}) = f_c^2 P_{cc}^S(\mathbf{k}) + 2f_c f_s P_{cs}^S(\mathbf{k}) + f_s^2 P_{ss}^S(\mathbf{k})$$

- Holds for the spectra decomposed based on cylinders

$$P_{gg}^S(\mathbf{k}) = \tilde{f}_c^2 \tilde{P}_{cc}^S(\mathbf{k}) + 2\tilde{f}_c f_s \tilde{P}_{cs}^S(\mathbf{k}) + \tilde{f}_s^2 \tilde{P}_{ss}^S(\mathbf{k})$$



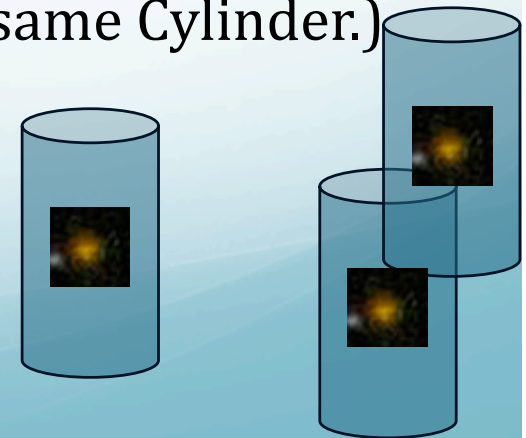
- Power spectrum with exclusion Baldauf et al (2013)

$$P_{hh}^S(\mathbf{k}) = \tilde{f}_c^2 \tilde{P}_{cc}^S(\mathbf{k}) - \tilde{f}_c^2 \left\{ W(\mathbf{k}) + \left[W * \tilde{P}_{cc}^S \right](\mathbf{k}) \right\} + \alpha(\mu) P_{lin}^S(\mathbf{k})$$

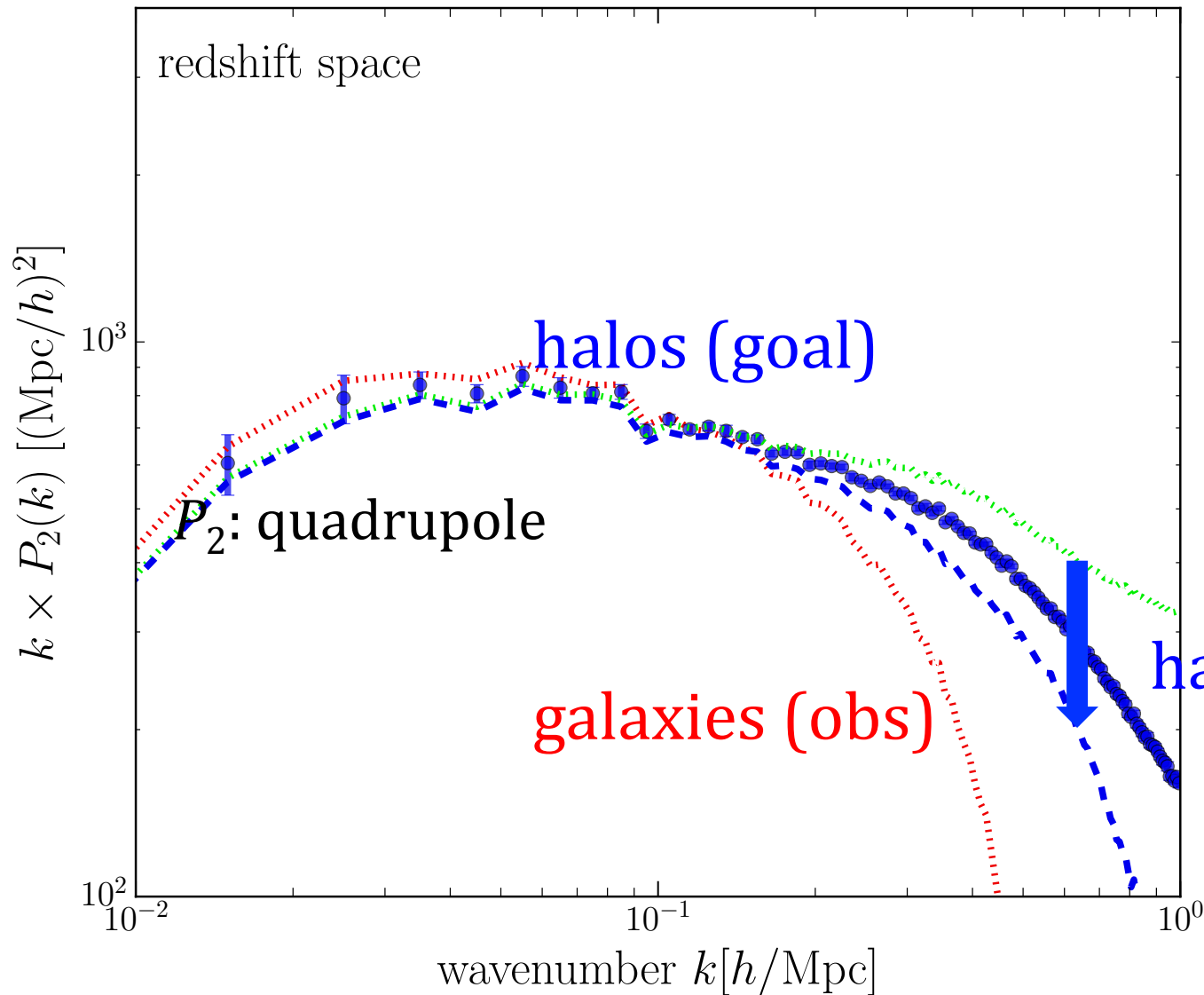
- $W(\mathbf{k})$: window (Two galaxies cannot be in the same Cylinder.)

$$|W(\mathbf{k})| = 2 \frac{J_1(k_{\perp} r)}{k_{\perp} r} \frac{\sin(k_{\parallel} l)}{k_{\parallel} l} V_W$$

- $\alpha(\mu)$: Large-scale clustering amplitude is determined using the real-space multipole.



Applying CiC to mock galaxies at $z=0.5$

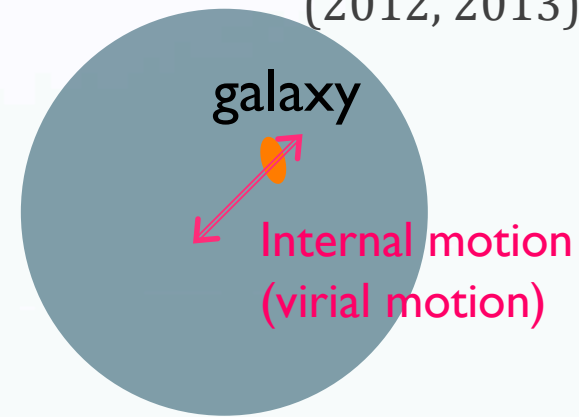


● Over suppression

Off-centering effect even for single galaxy systems



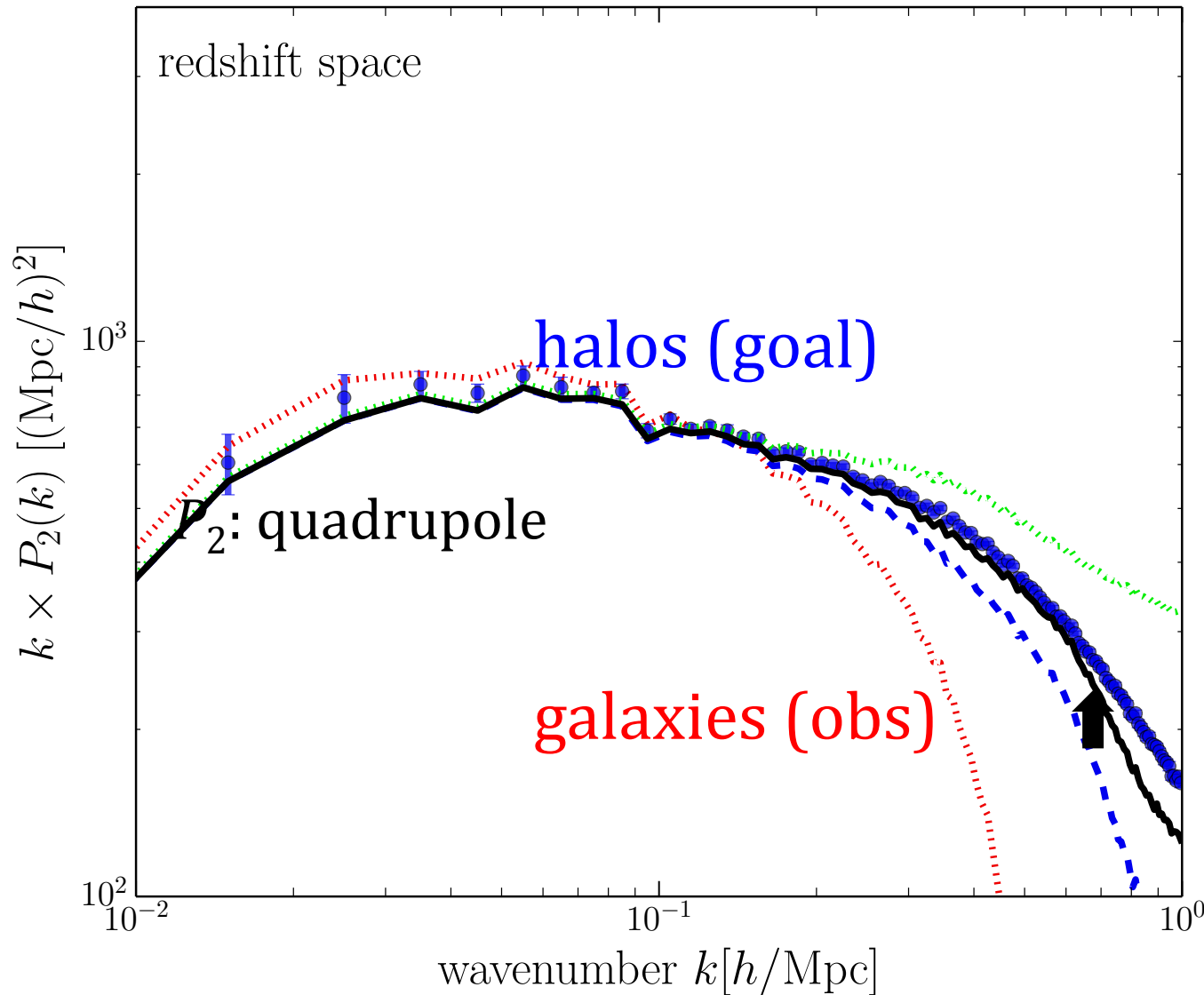
or



Hikage, Takada et al
(2012, 2013)

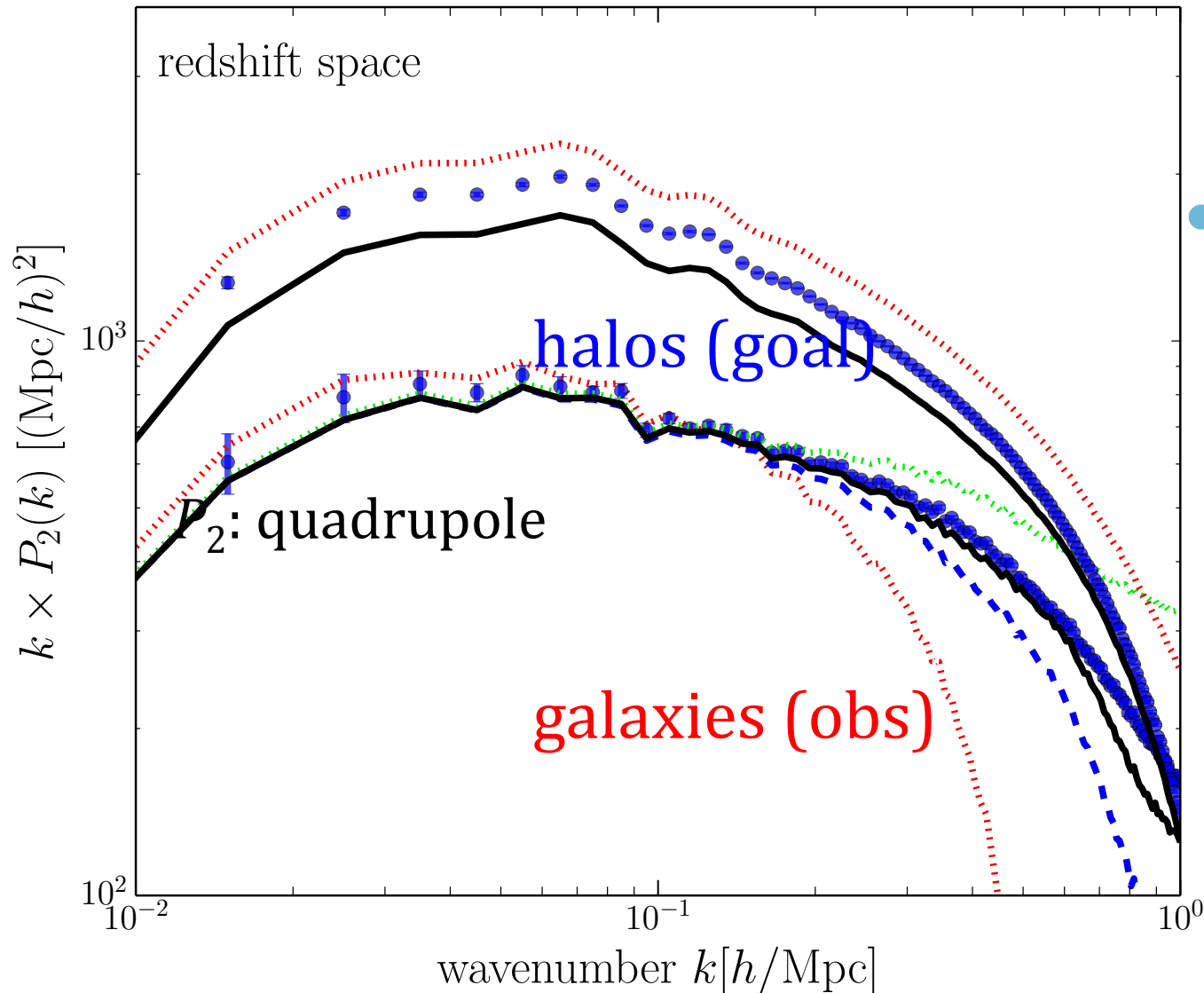
- ~20% of SDSS central LRGs are actually off-centered.
- It causes the residual FoG damping.
- Assuming we can correct for the effect (we could if galaxy-galaxy lensing is used), the galaxy velocity is replaced by the halo center.

Applying CiC to mock galaxies at $z=0.5$



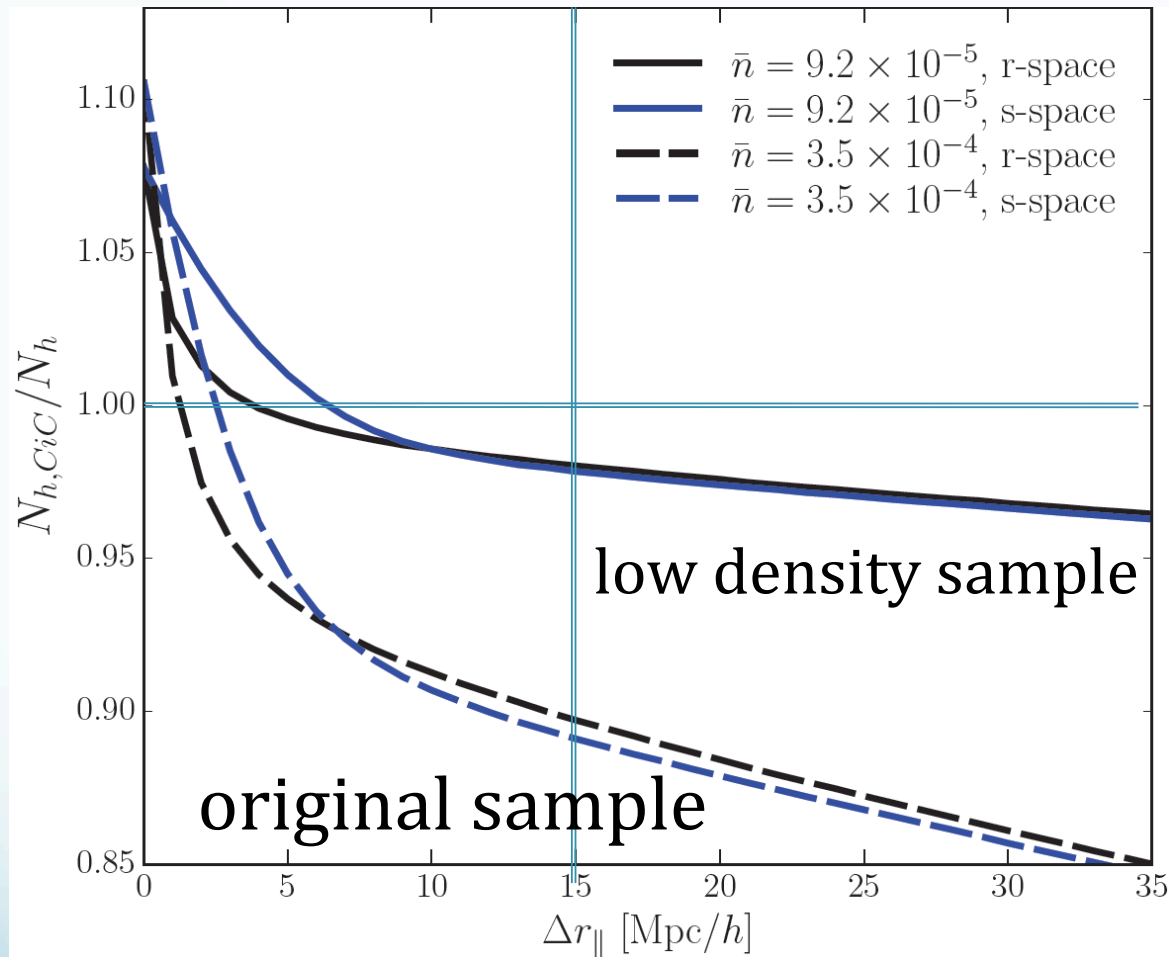
- The original halo quadrupole is recovered up to high k !

Applying CiC to mock galaxies at $z=0.5$



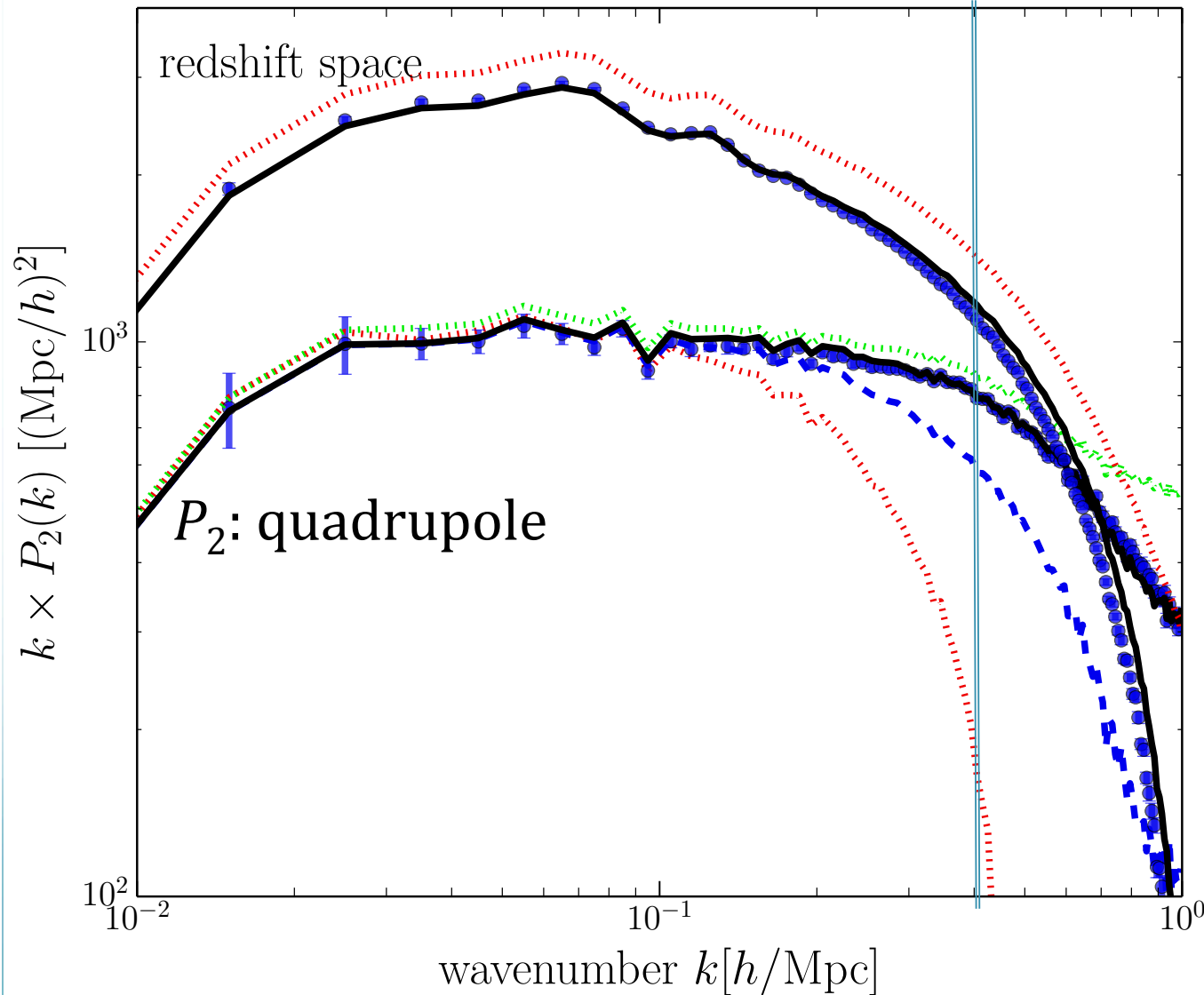
- However, note that the clustering loss due to window is corrected using the real-space quadrupole (coming only from cylinder anisotropy).

CiCハロー数と真のハロー数の比



$$P_{hh}^S(\mathbf{k}) = \tilde{f}_c^2 \tilde{P}_{cc}^S(\mathbf{k}) - \tilde{f}_c^2 \left\{ W(\mathbf{k}) + [W * \tilde{P}_{cc}^S](\mathbf{k}) \right\} + \alpha(\mu) P_{lin}^S(\mathbf{k})$$

Applying CiC to mock galaxies at $z=0.5$

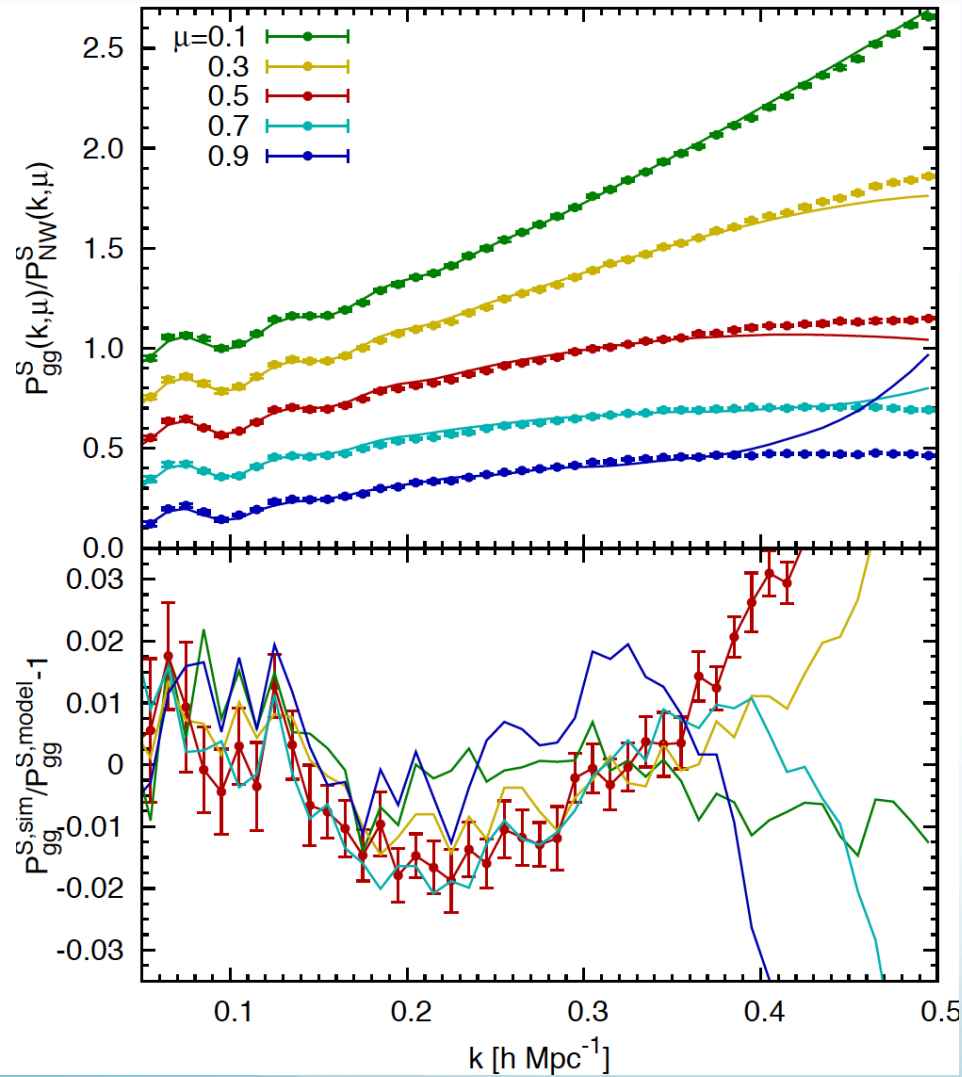


- Reduce number density to
- $n_g \sim 1.0 \times 10^{-4} (\text{h}/\text{Mpc})^3$
- Monopole + quadrupole with galaxy-halo lensing work up to $k \sim 0.3 h/\text{Mpc}$ for BOSS sample.

Summary for the second half

- We have developed a method to **reconstruct halo power spectrum** from observed redshift-space galaxy distribution using **CiC** and **halo exclusion correction**.
- It works pretty well for BOSS-type galaxy sample, particularly when we **reduce the number density by a factor of 3** close to SDSS LRG.
- Up to **$k \sim 0.3$ h/Mpc** for both Monopoles and quadrupoles, if galaxy off-centering effect is corrected for using **galaxy-galaxy lensing**.
- We can extract cosmological information from the BOSS survey using theoretical model for halos.
- Can be extended to eBOSS, HETEX, PFS, DESI,...

● 理論：ハローから銀河



● 観測：銀河からハロー

