

Test of the $R(D^{(*)})$ anomaly in the LHC experiment

Syuhei Iguro (Nagoya-U)

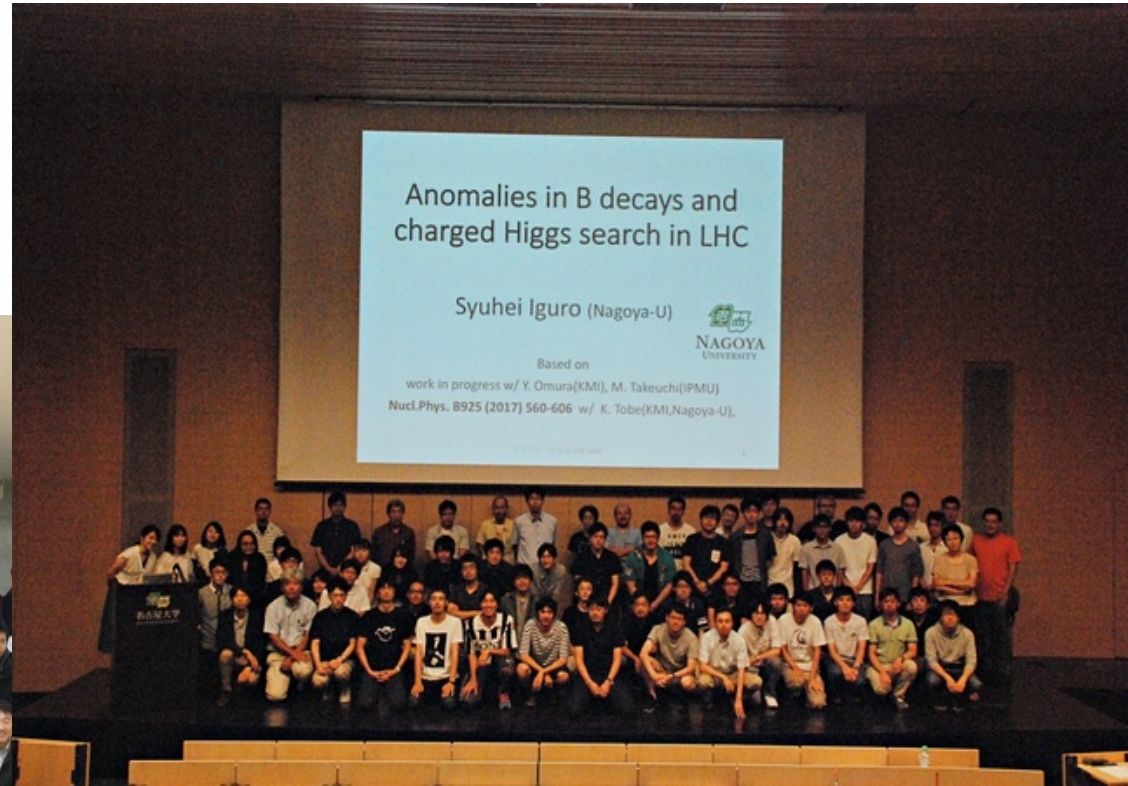


Based on

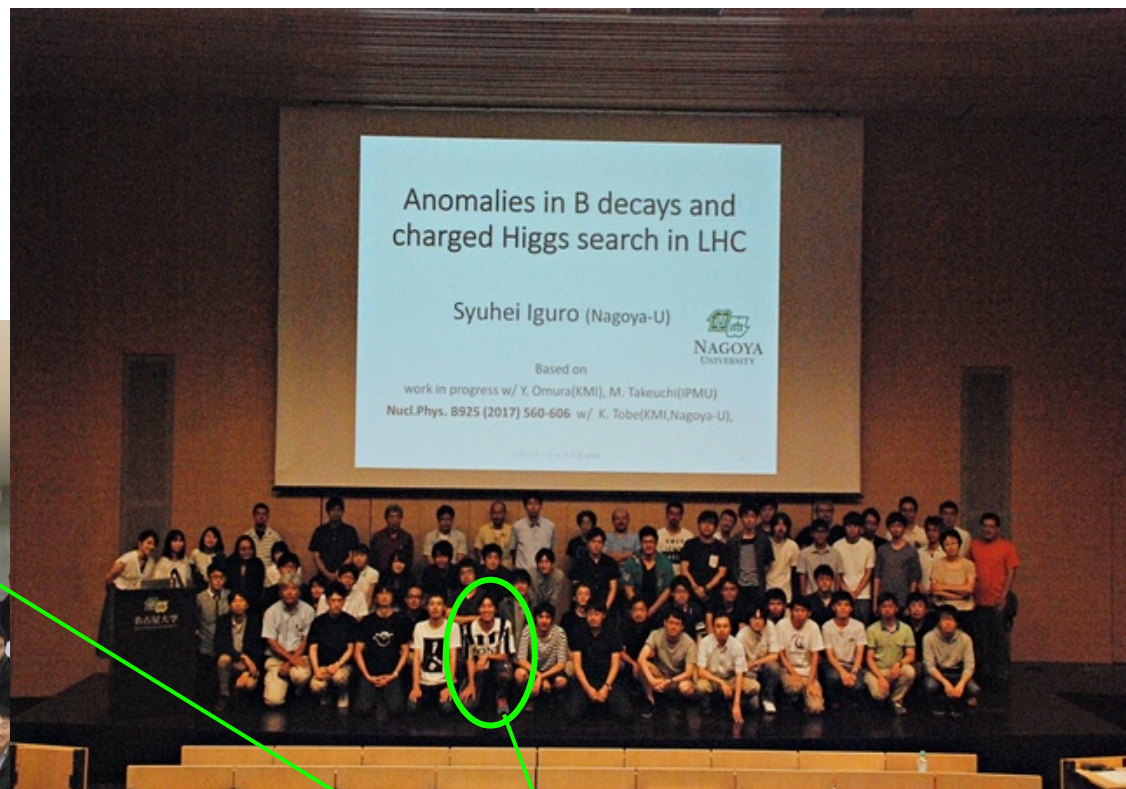
work in progress w/ Y. Omura(KMI), M. Takeuchi(IPMU)

Nucl.Phys. B925 (2017) 560-606 w/ K. Tobe(KMI,Nagoya-U),

The easiest way to find me



The easiest way to find me



Anomalies in B decays and charged Higgs search in LHC

Syuhei Iguro (Nagoya-U)

Based on
work in progress w/ Y. Omura(KMI), M. Takeuchi(IPMU)
Nucl.Phys. B925 (2017) 560-606 w/ K. Tobe(KMI,Nagoya-U).

NAGOYA UNIVERSITY

Key point:
sportswear
and vivid color

What I do today

I interplay $R(D^{(*)})$ anomaly and $\tau\nu$ resonance search in LHC within a General Two Higgs Doublet Model (G2HDM)

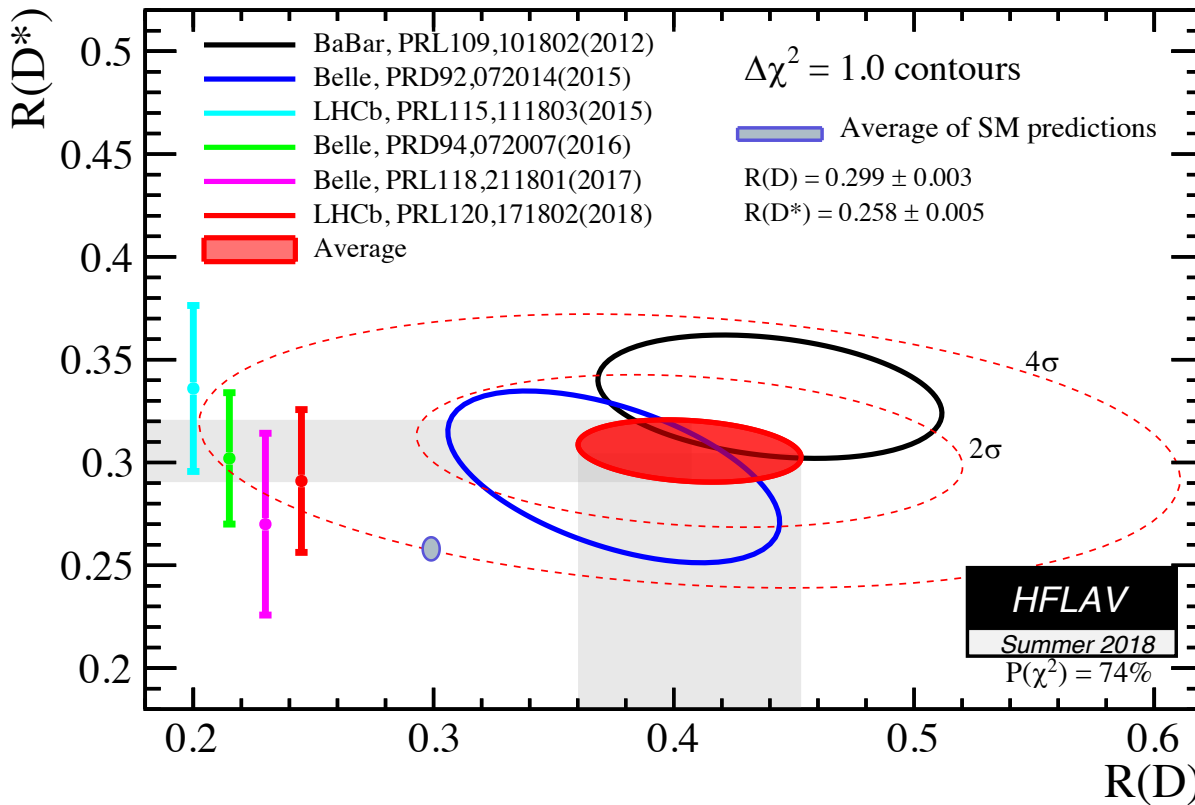
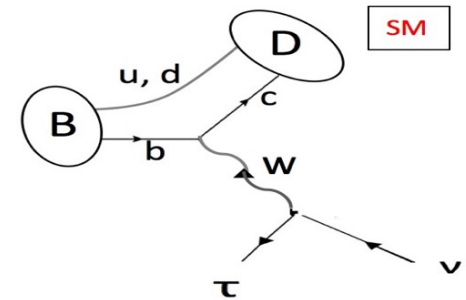
Menu

- $R(D^{(*)})$ anomaly
- Introduction of G2HDM
- Collider search
- Summary

Current status of $R(D^{(*)})$ anomaly

3.9 σ discrepancy

$$R(D^{(*)}) \equiv \frac{BR(B \rightarrow D^{(*)} \tau \nu)}{BR(B \rightarrow D^{(*)} l \nu)}, \quad l = \mu, e$$



ICHEP 2018

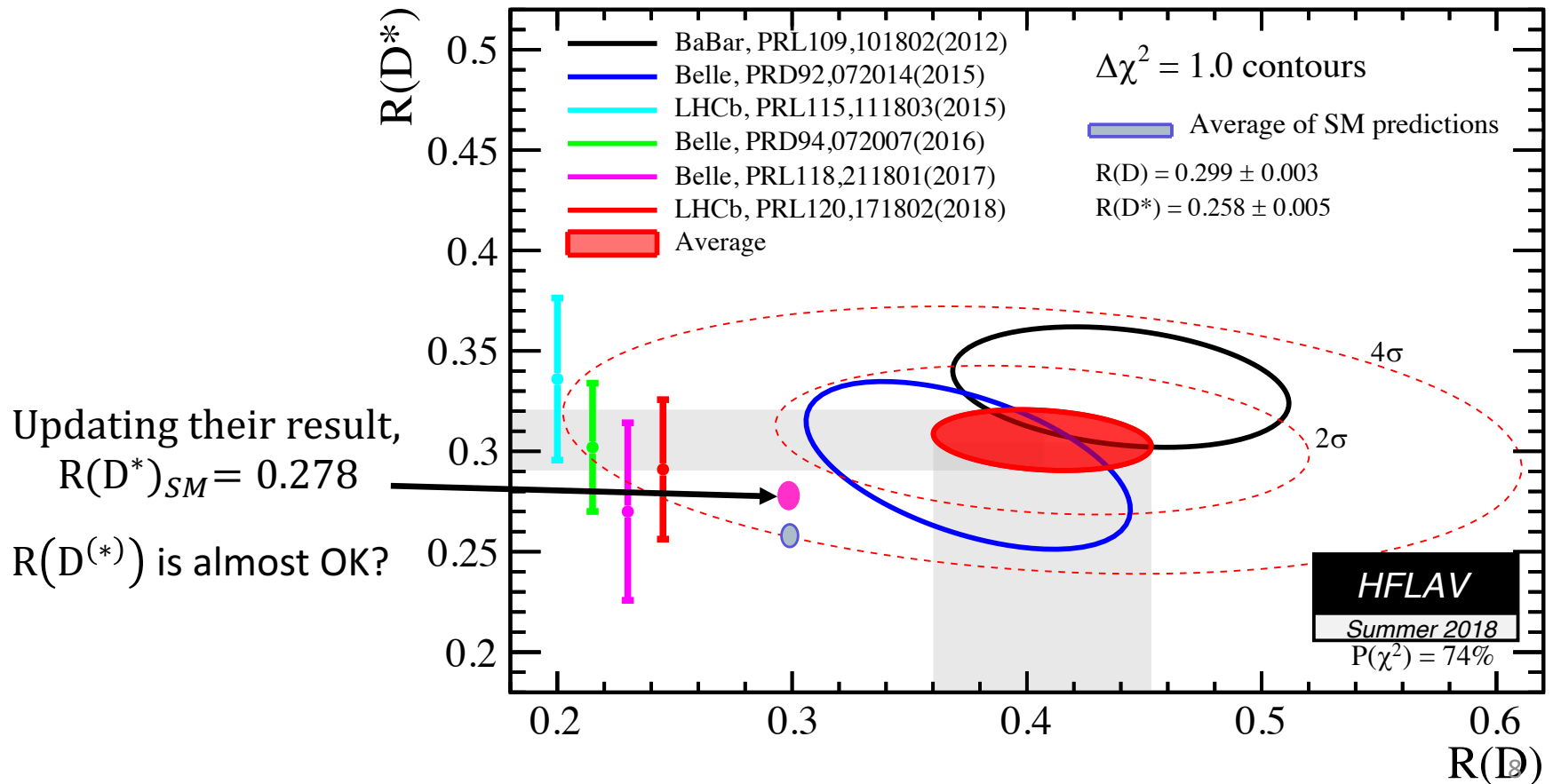
No new result but
 minor change from last year

$$R(D^*)_{SM} = 0.252$$

$$R(D^*)_{SM} = 0.258$$

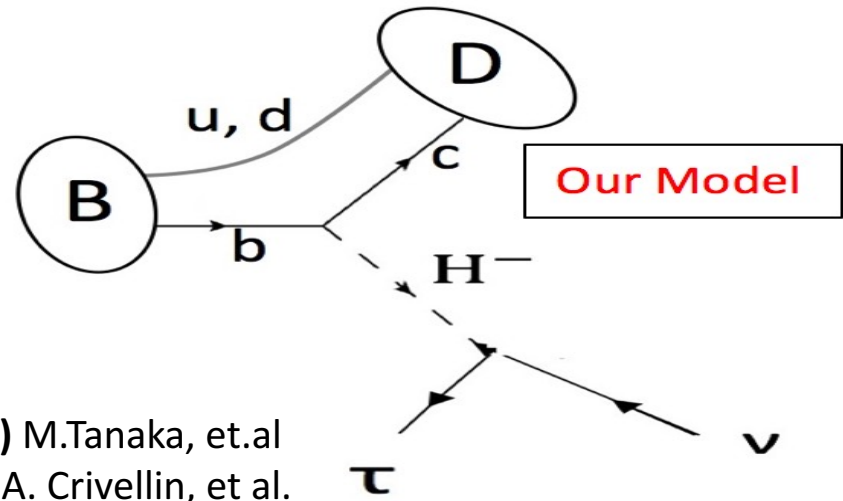
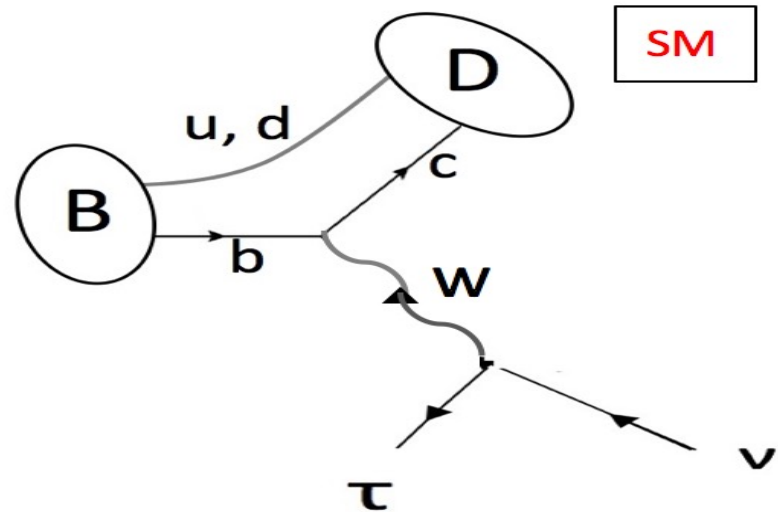
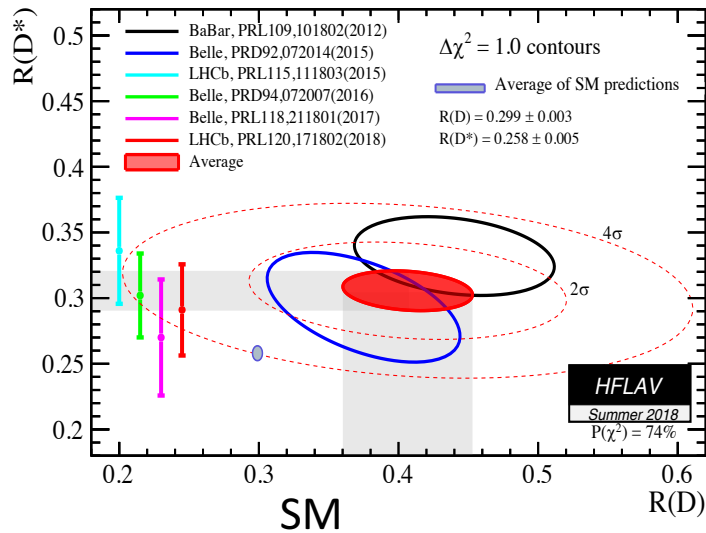
Recently by taking into account the phase space in $D^* \rightarrow D\pi$, the mode a D^* is observed, $R(D^*)_{SM} = 0.272$. This is consistent with Belle and LHCb. J. E. Chavez-Saab et al. 1806.06997

4 body decay



Naively, H^- is a good candidate.

$$R(D^{(*)}) = \frac{BR(B \rightarrow D^{(*)} \tau \nu)}{BR(B \rightarrow D^{(*)} l \nu)}$$



Phys. Rev. D 82, 034027 (2010) M.Tanaka, et.al
Phys.Rev. D86 (2012) 054014 A. Crivellin, et al.
Nucl.Phys. B925 (2017) 560-606 SI, K. Tobe

Motivation

Why I work on Higgs physics?

Guiding principles

- Simplicity of the model.
- Electroweak precision test
- Extending Higgs sector keeps the gauge anomaly-free condition



General Two Higgs Doublet Model (G2HDM)

- SM Higgs exist!
- Simple extension of scalar sector
- STU parameter is controllable
- Flavor violating Yukawa could exist

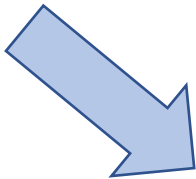


Rich flavor phenomenology

Motivation

Guiding principles

- Simplicity of
- Electroweak
- Extending Higgs condition



may explain the discrepancies in flavor physics

- $R(D^{(*)}) = BR(B \rightarrow D^{(*)} \tau \nu) / BR(B \rightarrow D^{(*)} l \nu)$ **today**
- muon $g-2$ Omura, Senaha, Tobe: *JHEP* **1505 (2015) 028**
- P'_5 : angular observable in $B \rightarrow K^* \mu \mu$ **If time allows**
- $R(K^{(*)}) = BR(B \rightarrow K^{(*)} \mu \mu) / BR(B \rightarrow K^{(*)} e e)$

for a combination of them, see *JHEP* **1805 (2018) 173** Sl, Y. Omura

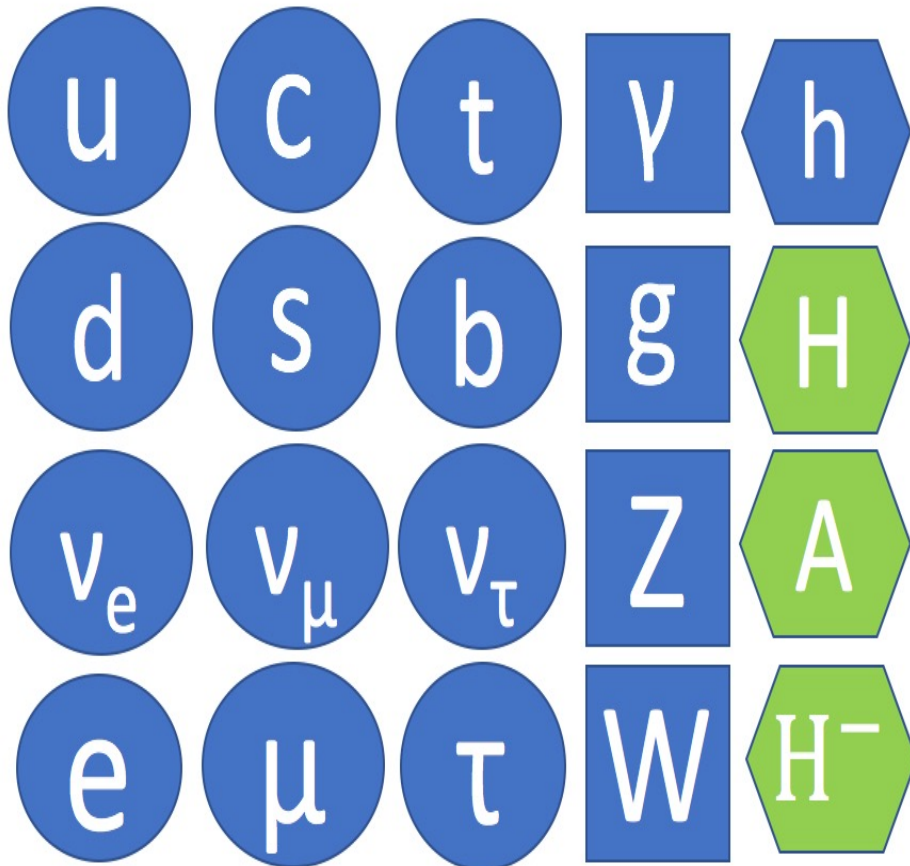
- SM Higgs exists
- Simple extension of scalar sector
- STU parameter is controllable
- **Flavor violating Yukawa could exist**



Rich flavor phenomenology

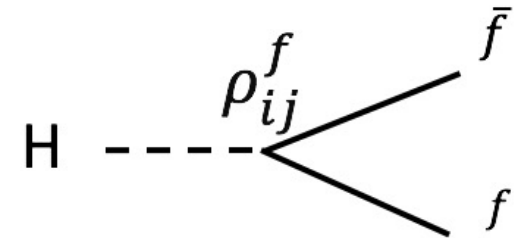
Our Model

Particle set in G2HDM



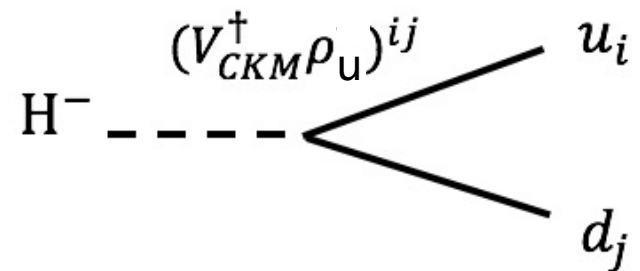
Neutral Scalar

$$\frac{1}{\sqrt{2}} \rho_f^{ij} H \bar{f}_L^i f_R^j \quad (f = u, d, e, \nu)$$



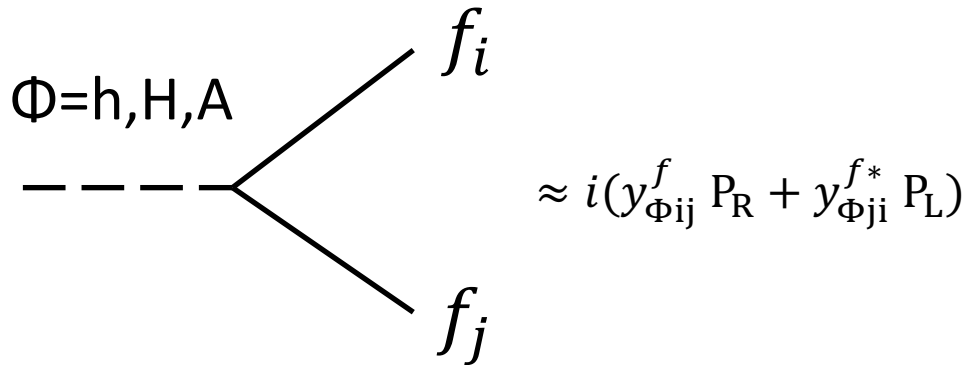
Charged Scalar

$$(V_{CKM} \rho_d)^{ij} H^- \bar{u}_L^i d_R^j + (V_{CKM}^\dagger \rho_u)^{ij} H^- \bar{d}_L^i u_R^j$$



Model: G2HDM

Yukawa couplings between a neutral scalar and fermions

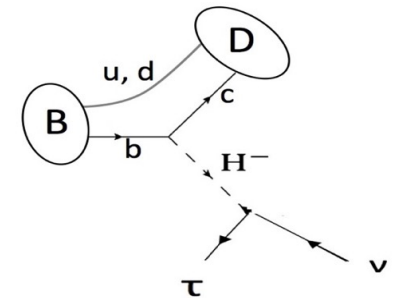
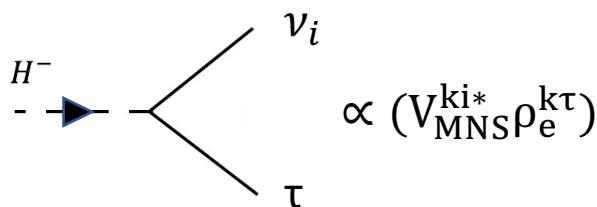
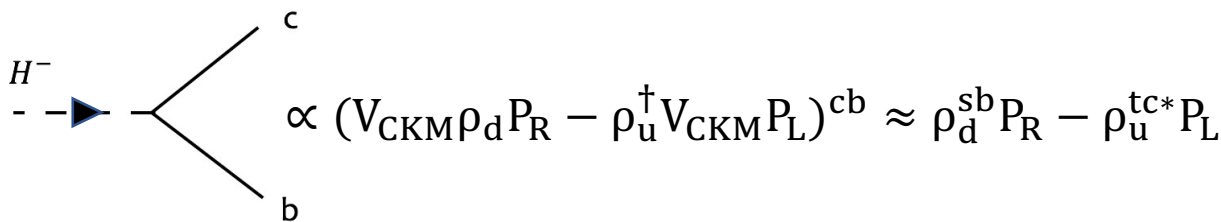


$$y_{hij}^f = \frac{m_f^i}{v} s_{\beta\alpha} \delta_{ij} + \frac{\rho_f^{ij}}{\sqrt{2}} c_{\beta\alpha}$$

$$y_{Aij}^f = \begin{cases} -\frac{i\rho_f^{ij}}{\sqrt{2}} & \text{for } f = u \\ +\frac{i\rho_f^{ij}}{\sqrt{2}} & \text{for } f = d, e, \end{cases}$$

$$y_{Hij}^f = \frac{m_f^i}{v} c_{\beta\alpha} \delta_{ij} - \frac{\rho_f^{ij}}{\sqrt{2}} s_{\beta\alpha}$$

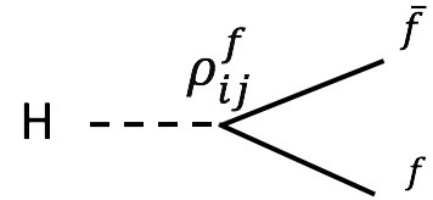
Yukawa interactions relevant to $R(D^{(*)})$



Yukawa interactions relevant to $R(D^{(*)})$

$$(\rho_u^{tc}, \rho_d^{sb}) \times (\rho_e^{e\tau}, \rho_e^{\mu\tau}, \rho_e^{\tau\tau})$$

Yukawa couplings



Without discrete symmetry like Z_2 symmetry, G2HDM has **flavor violating interactions at tree level**.

Experimentally, Yukawa couplings to use are limited

e.g. Stringent bounds come from

- meson mixing
- $b \rightarrow s\gamma$
- $B \rightarrow \tau\nu$

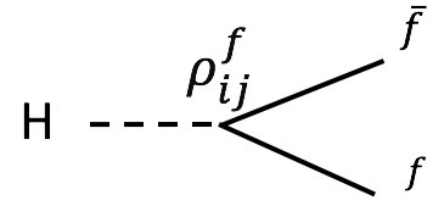


$$\rho_d^{sb} \ll 1, \text{ but}$$
$$\rho_u^{tc} \text{ can be } O(1)$$

We turn others off for simplicity and clarify how G2HDM can explain $R(D^{(*)})$ anomalies

For the top down approach of this model e.g. Cheng et al. 1507.04354

Yukawa couplings



Without discrete symmetry like Z_2 symmetry, G2HDM has flavor violating interactions at tree level.

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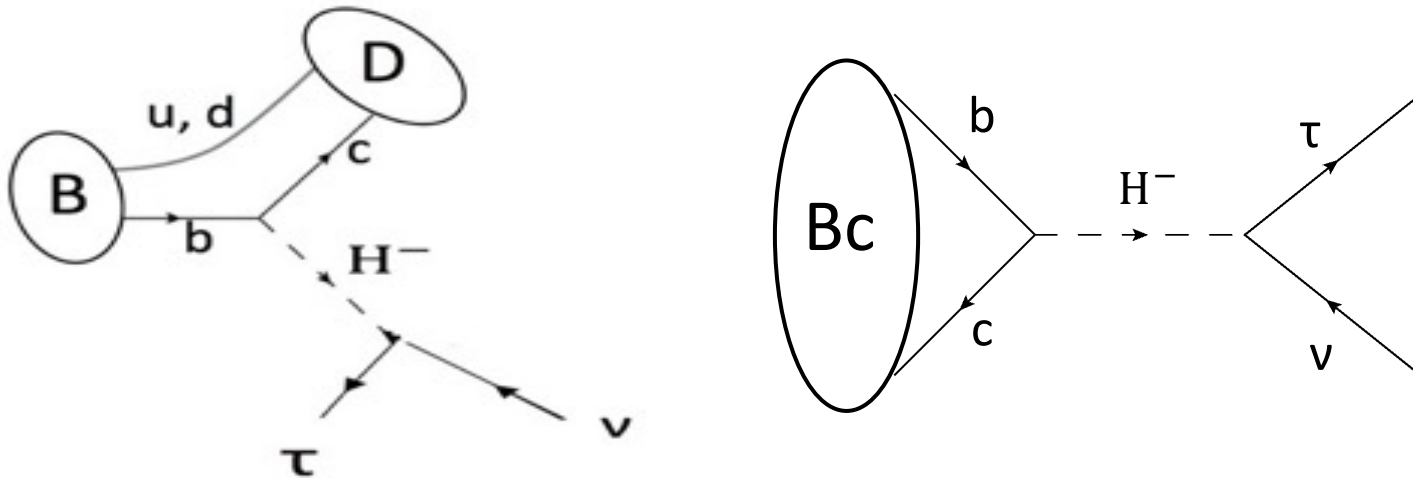
$$\rho_d^{sb} \ll 1, \text{ but}$$

15:45 ~ 重神さん



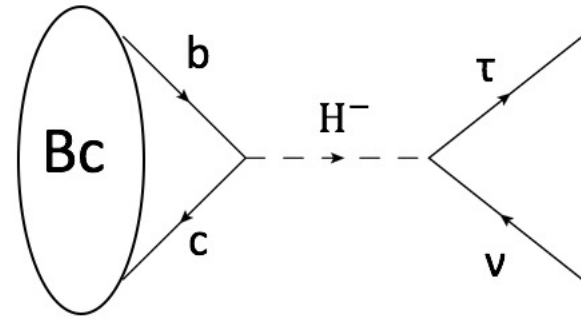
Stringent bound from $BR(B_c^- \rightarrow \tau \bar{\nu})$

Diagram for $R(D^{(*)})$ automatically contributes to $(B_c^- \rightarrow \tau \bar{\nu})$



- $$L_{eff} = -\frac{4G_F}{\sqrt{2}} V_{cb} [(\bar{\tau} \gamma_\mu P_L \nu)(\bar{c} \gamma^\mu P_L b) + S_L (\bar{\tau} P_L \nu)(\bar{c} P_L b) + S_R (\bar{\tau} P_L \nu)(\bar{c} P_R b)] + \text{h.c.}$$

Stringent bound from $BR(B_c^- \rightarrow \tau \bar{\nu})$



- $$L_{eff} = -\frac{4G_F}{\sqrt{2}} V_{cb} [(\bar{\tau} \gamma_\mu P_L \nu)(\bar{c} \gamma^\mu P_L b) + S_L(\bar{\tau} P_L \nu)(\bar{c} P_L b) + S_R(\bar{\tau} P_L \nu)(\bar{c} P_R b)] + h.c.$$



Scalar operators have a large coefficient

$$\approx 4$$

$$BR(B_c^- \rightarrow \tau \bar{\nu}) =$$

$$BR(B_c^- \rightarrow \tau \bar{\nu})_{SM} \times \left| 1 + \frac{m_{Bc}^2}{m_\tau (m_b + m_c)} (S_R - S_L) \right|^2$$

$$BR(B_c^- \rightarrow \tau \bar{\nu})_{SM} = 2\%$$

Indirect upper bounds on $\text{BR}(B_c^- \rightarrow \tau \bar{\nu})$

$$\text{BR}(B_c^- \rightarrow \tau \bar{\nu}) = 1 - \text{Br}(\text{Bc the other decay}) < 30\% \quad \text{R.Alonso et al. 1611.06676}$$



Substituting a SM calculation

Combining LEP data with inputs obtained in LHCb

$$< 10\% \quad \text{A.G.Akeroyd.et al. 1708.04072}$$

LEP has an upper limit on $B_c \rightarrow \tau \bar{\nu} + B \rightarrow \tau \bar{\nu}$. Combining recent result of LHCb, they got an upper limit on $\text{BR}(B_c^- \rightarrow \tau \bar{\nu})$.

comment: they used $\text{BR}(B_c \rightarrow J/\psi l \nu)_{\text{SM}}$ as an input.

$$\begin{aligned}\mathcal{H}_{eff} = & C_{LL}^V(\overline{b_L}\gamma_\mu c_L)(\overline{\nu_L}\gamma^\mu \tau_L) + C_{RL}^V(\overline{b_R}\gamma_\mu c_R)(\overline{\nu_L}\gamma^\mu \tau_L) \\ & + C_{LR}^V(\overline{b_L}\gamma_\mu c_L)(\overline{\nu_R}\gamma^\mu \tau_R) + C_{RR}^V(\overline{b_R}\gamma_\mu c_R)(\overline{\nu_R}\gamma^\mu \tau_R) \\ & + \underline{C_L^S}(\overline{b_R}c_L)(\overline{\nu_L}\tau_R) + \underline{C_R^S}(\overline{b_L}c_R)(\overline{\nu_L}\tau_R) + h.c..\end{aligned}$$

$$\begin{aligned}R(D) \simeq R(D)_{SM} \left\{ |1 + C_{LL}^V + C_{RL}^V|^2 + |C_{RR}^V + C_{LR}^V|^2 + 0.99|\underline{C_L^S} + \underline{C_R^S}|^2 \right. \\ \left. + 1.47\text{Re}\left[(1 + C_{LL}^V + C_{RL}^V)(\underline{C_L^{S*}} + \underline{C_R^{S*}}) \right] \right\},\end{aligned}$$

$$\begin{aligned}R(D^*) \simeq R(D^*)_{SM} \left\{ |1 + C_{LL}^V|^2 + |C_{RL}^V|^2 + |C_{RR}^V|^2 + |C_{LR}^V|^2 + 0.02|\underline{C_L^S} - \underline{C_R^S}|^2 \right. \\ \left. - 1.77\text{Re}\left[(1 + C_{LL}^V)(C_{RL}^{V*}) + (C_{RR}^V)(C_{LR}^{V*}) \right] + 0.09\text{Re}\left[(1 + C_{LL}^V - C_{RL}^V)(\underline{C_L^{S*}} - \underline{C_R^{S*}}) \right] \right\}\end{aligned}$$

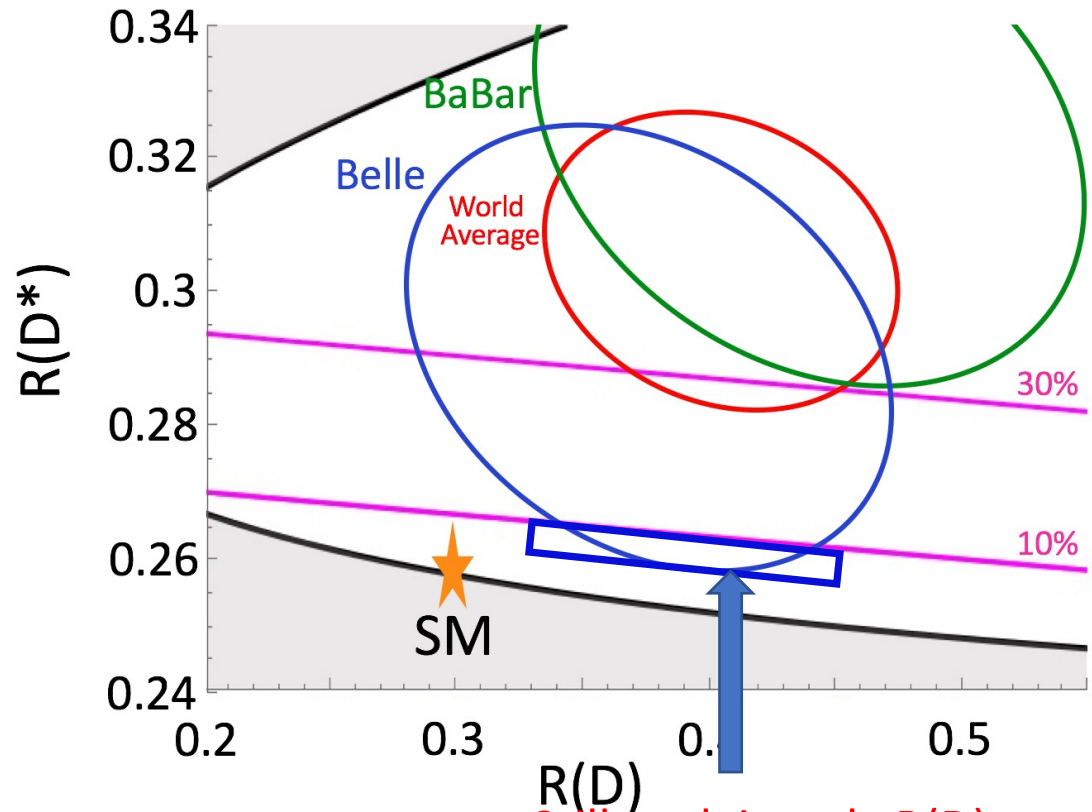
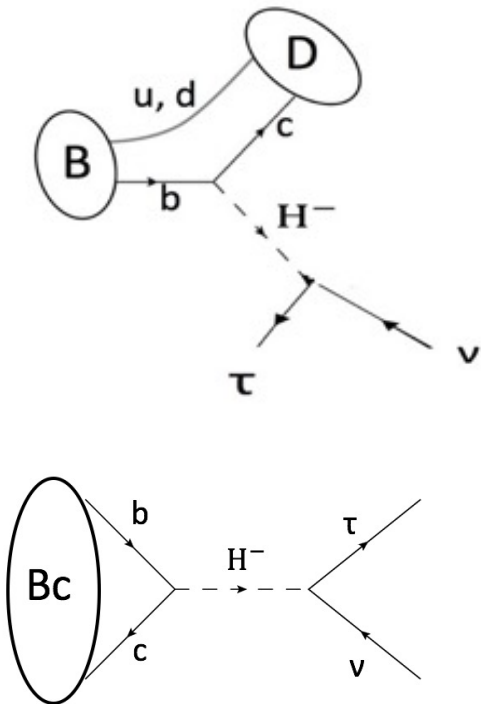
$$\rho_d^{sb} \ll 1 \rightarrow C_L^S \ll 1$$

P. Asadi ,et at.1804.04135

Stringent bound from $\text{BR}(B_c^- \rightarrow \tau \bar{\nu})$

R.Alonso et al. 1611.06676, A.G.Akeroyd.et al. 1708.04072

Diagram for $R(D^{(*)})$ automatically contributes to $\text{Br}(B_c^- \rightarrow \tau \bar{\nu})$



Collider study

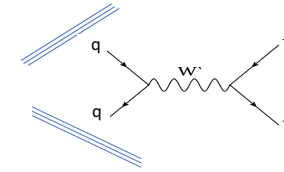
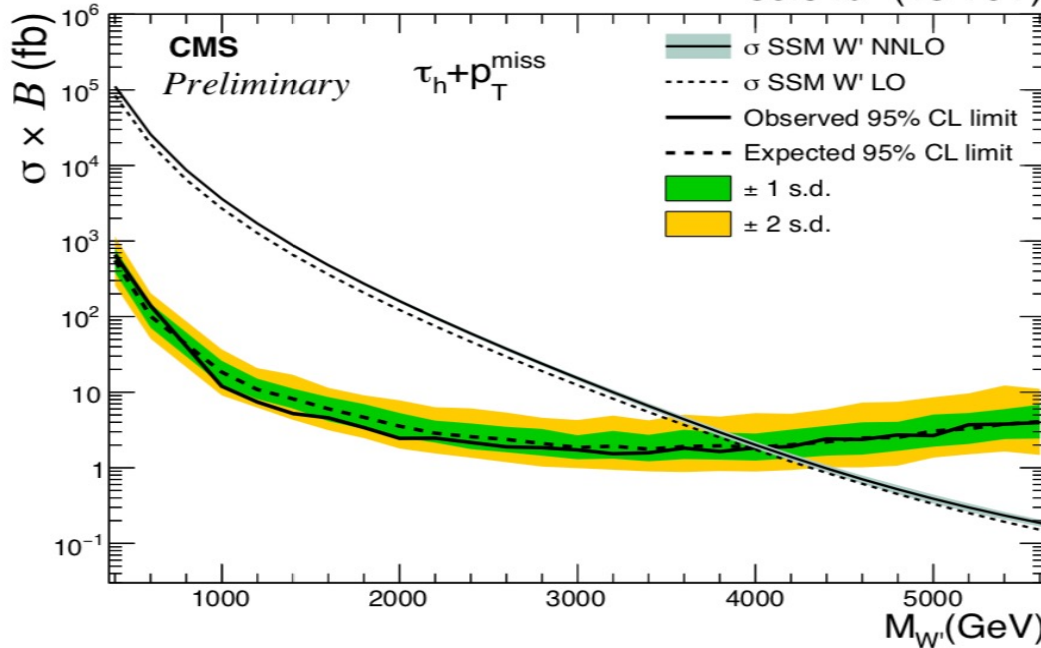
Any direct limit from collider experiment right now?

$\tau\nu$ resonance search

$\tau\nu$ resonance (+j) search in CMS can give a stringent limit.

But, the limit is for W' . CMS-PAS-EXO-17-008

35.9 fb⁻¹ (13 TeV)



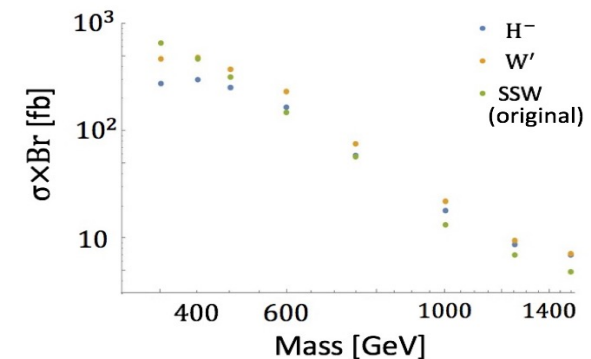
Need to reinterpret this limit for H^- .

We calculated an efficiency for H^- and obtained the limit.

Upper bounds on

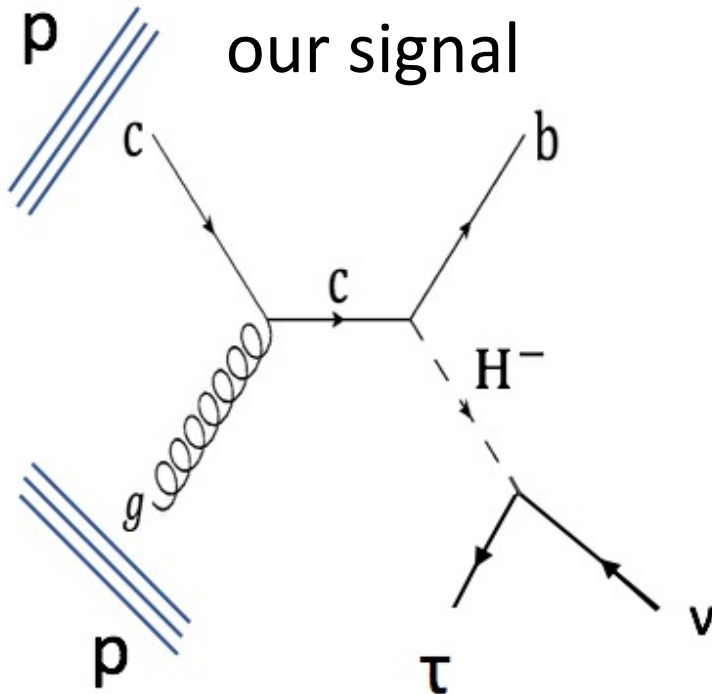
$\sigma \times Br$

Experiment:arXiv	\sqrt{s} [TeV]	L[fb ⁻¹]	Range $M_{W'}$ [TeV]
CMS:1508.04308	7,8	19.7	0.3–4
CMS:CMS-PAS-EXO-16-006	13	2.3	1–5.8
ATLAS:1801.06992	13	36.1	0.5–5
CMS:CMS-PAS-EXO-17-008	13	35.9	0.4–4



$\tau\nu$ resonance search on H^-

Why no study so far?

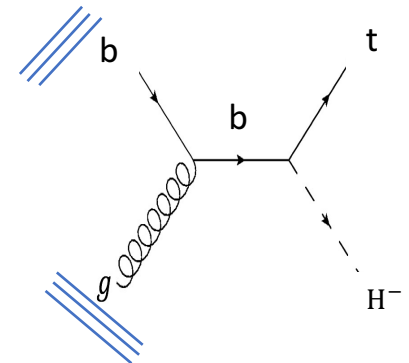
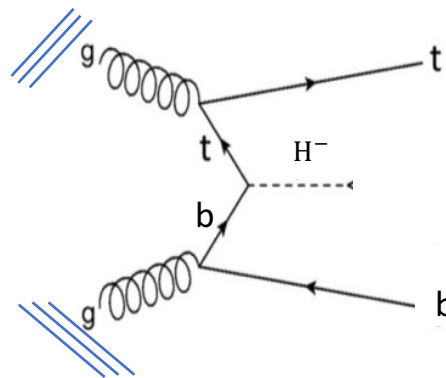


H^- in Type II 2HDM mainly couple to $bt, \tau\nu$.

No top quark in proton PDF.



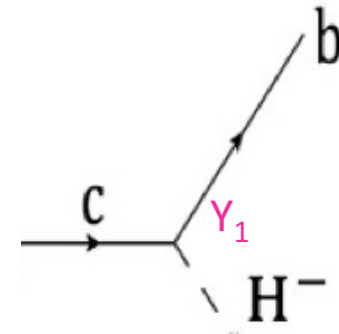
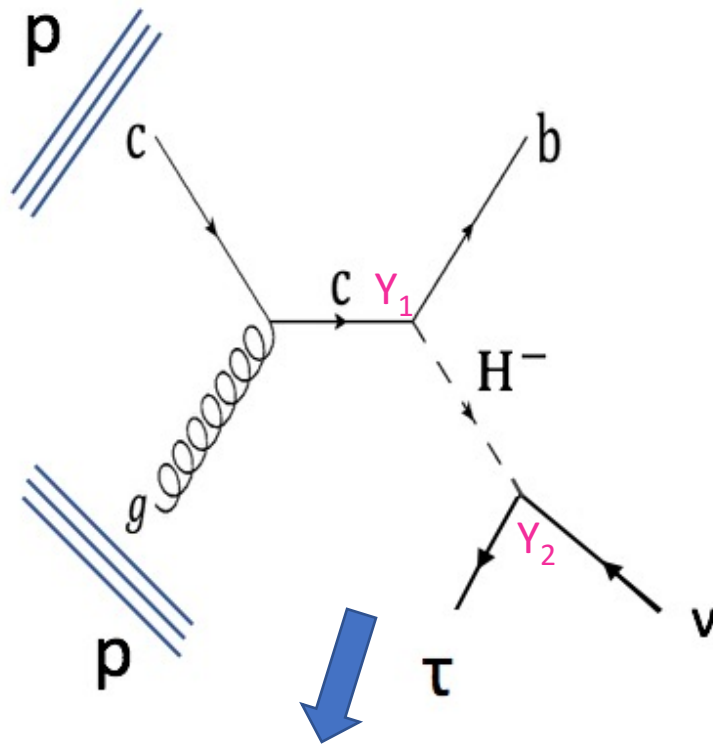
H^- is produced with top quark



Exotic process for H^-

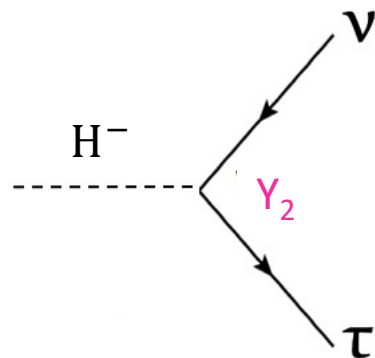
We assume our H^- interacts only with bc or $\tau\nu$ for simplicity.

Production



depending on H^- mass
 $\sigma = X_{H^-} |Y_1|^2$

Branching ratio



$$\text{BR}(H^- \rightarrow \tau \nu) \approx \frac{|Y_2|^2}{3|Y_1|^2 + |Y_2|^2}$$

$$\sigma \times \text{BR} = \frac{X_{H^-} |Y_1|^2 |Y_2|^2}{3|Y_1|^2 + |Y_2|^2}$$

To fit $R(D^{(*)})$ data,
 $Y_1 Y_2 \equiv \alpha$ is sizable.

We set $|Y_1|, |Y_2| < 1$: narrow resonance $\tau\nu$ search.

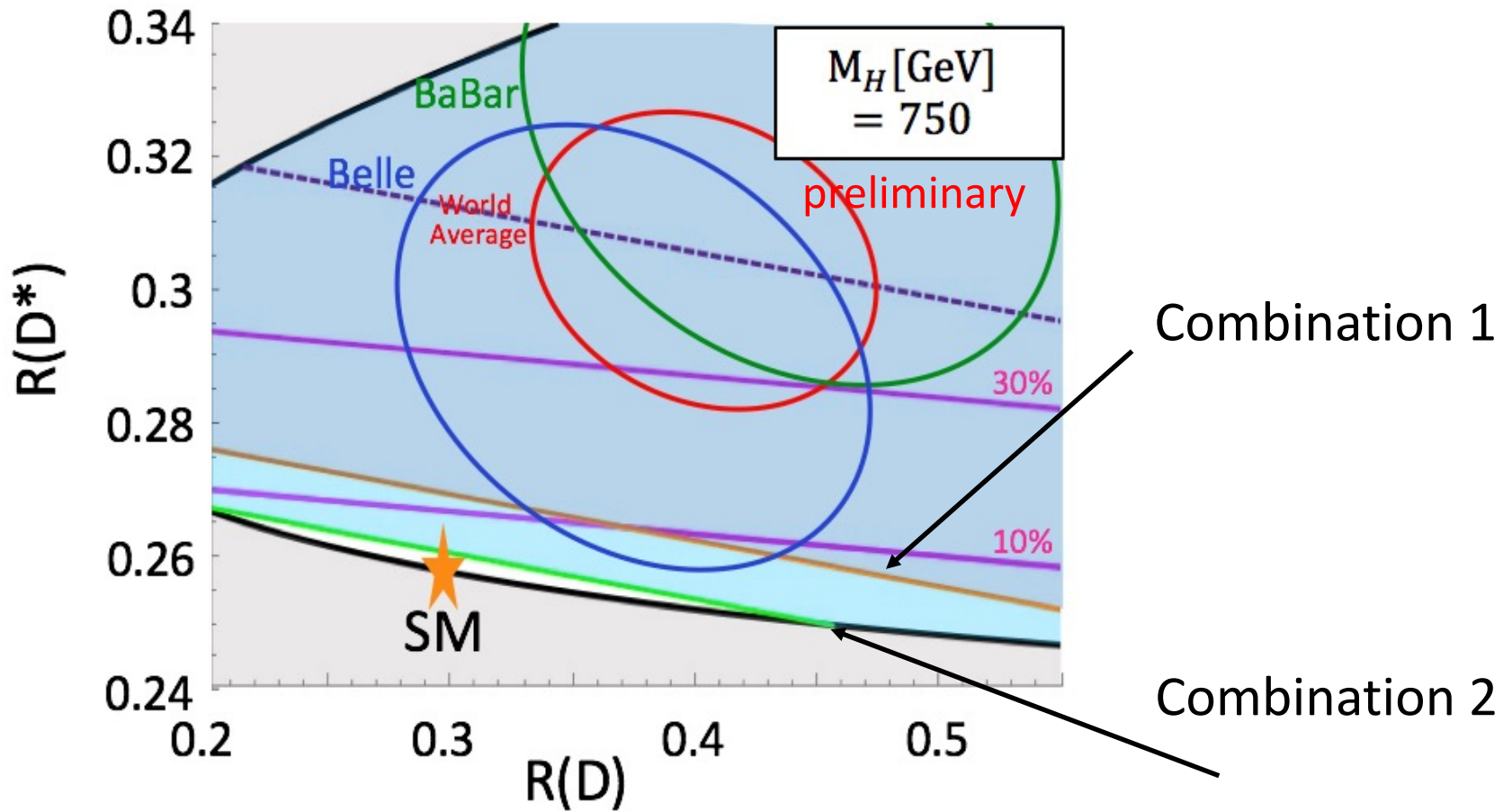
$$\Gamma/m_{H^-} < 0.1$$

$$\sigma \times \text{BR} = \frac{X_{H^-} |Y_1|^2 |Y_2|^2}{3 |Y_1|^2 + |Y_2|^2}$$

Combination 1 : $Y_1 = 1$, maximizing denominator.
weaker constraint.

Combination 2 : $Y_2 = \sqrt{3}Y_1$, minimizing denominator.
severe constraint.

Result



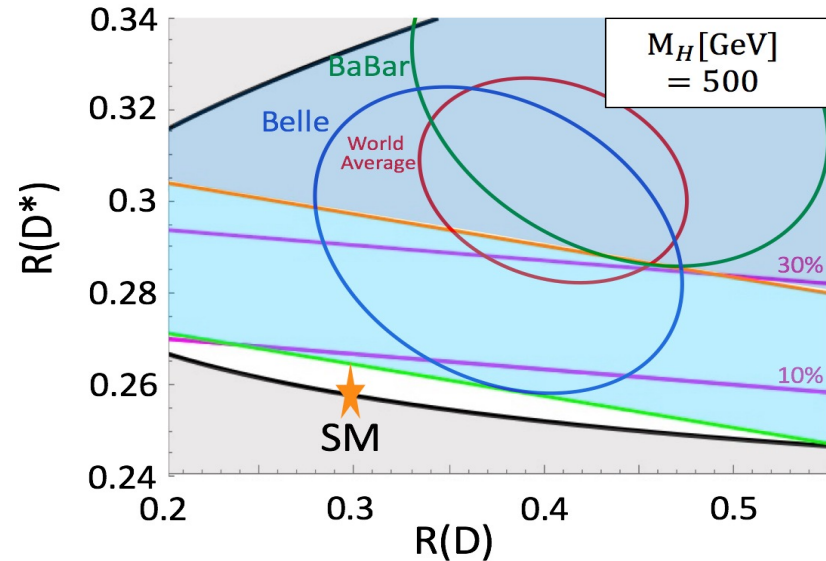
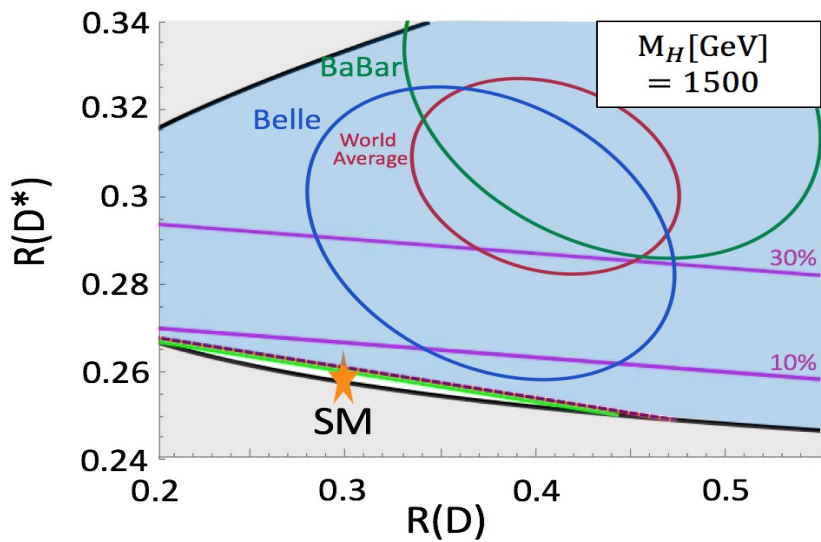
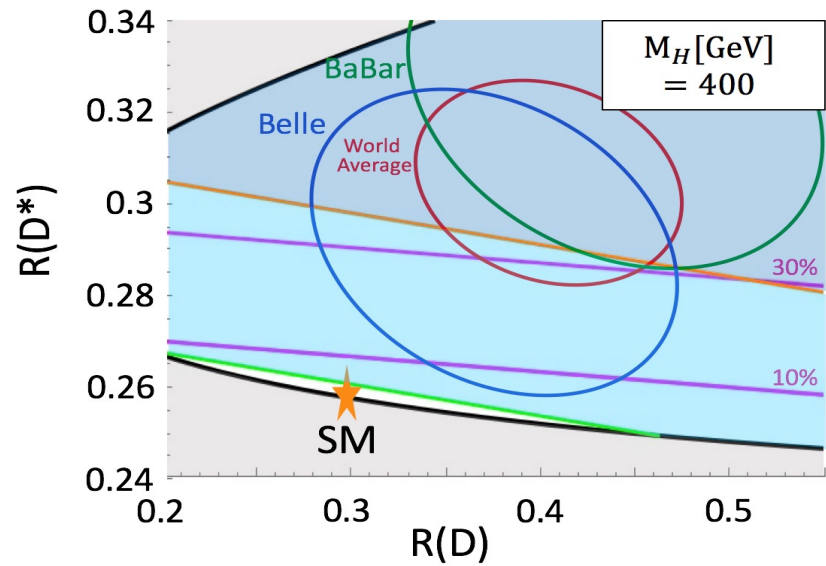
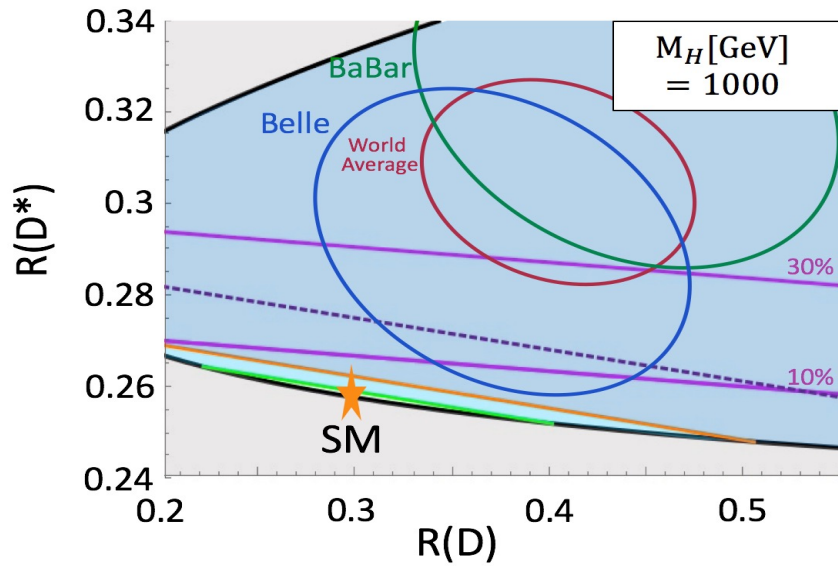
Comparable or more stringent constraint than $B_c^- \rightarrow \tau \bar{\nu}$

Result

Heavier H^- , more severe constraint.

preliminary heavier

lighter

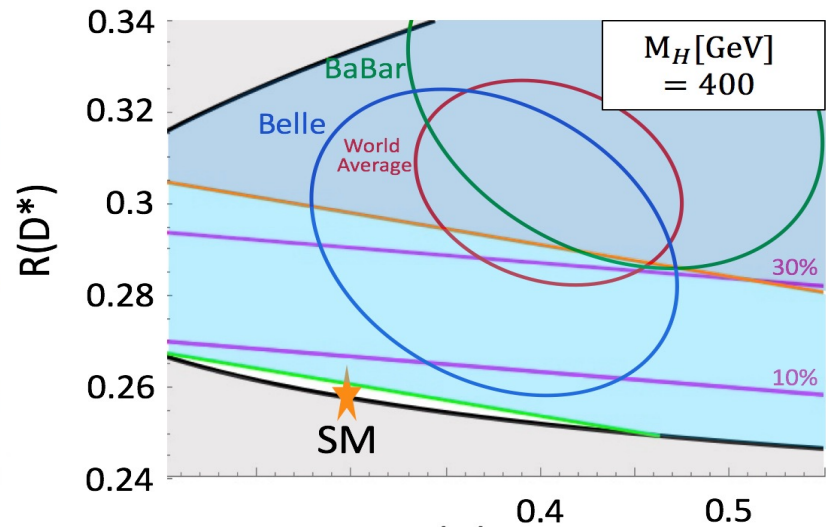
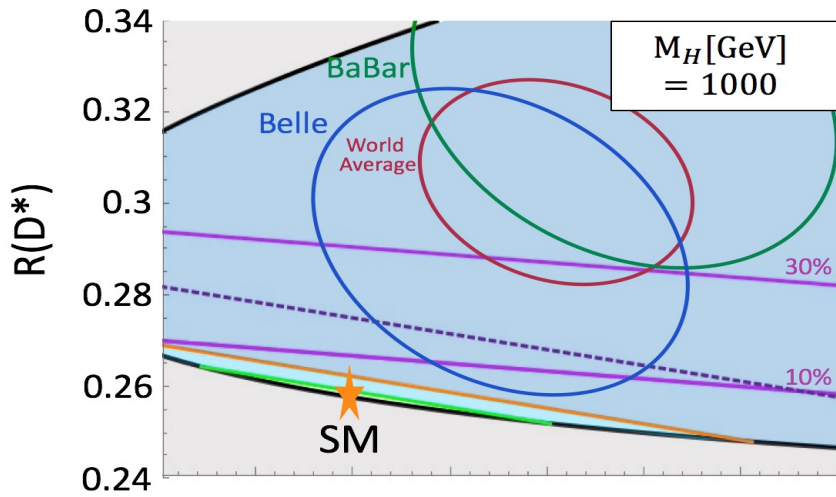


Result

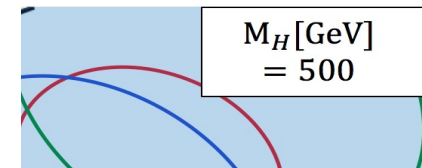
Heavier H^- , more severe constraint.

preliminary heavier

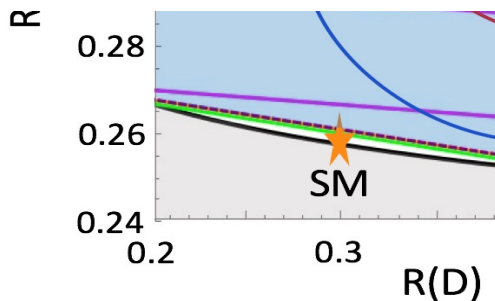
lighter



Better sensitivity for heavy $\tau\nu$ resonance:



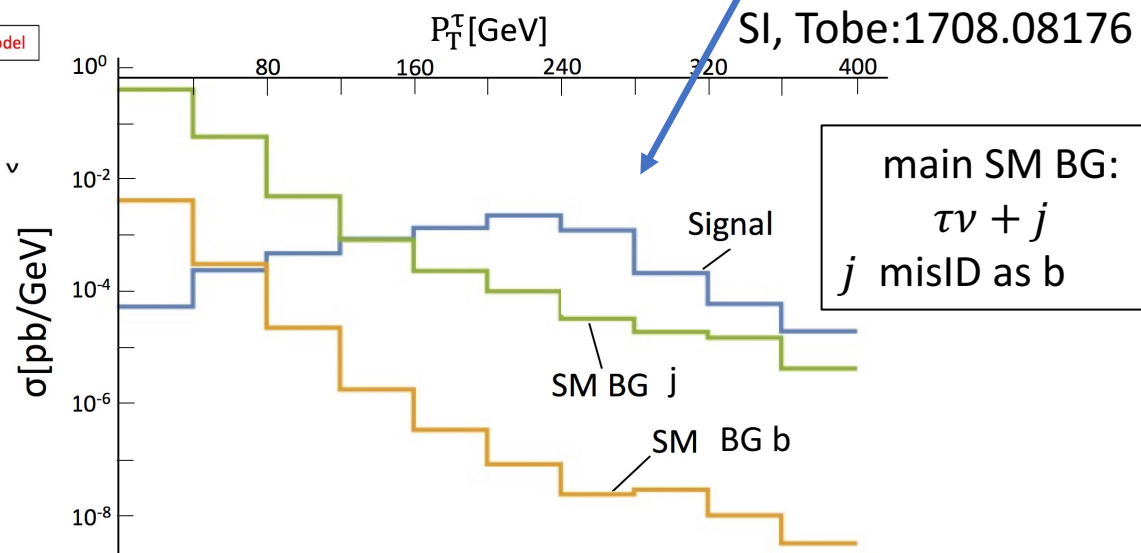
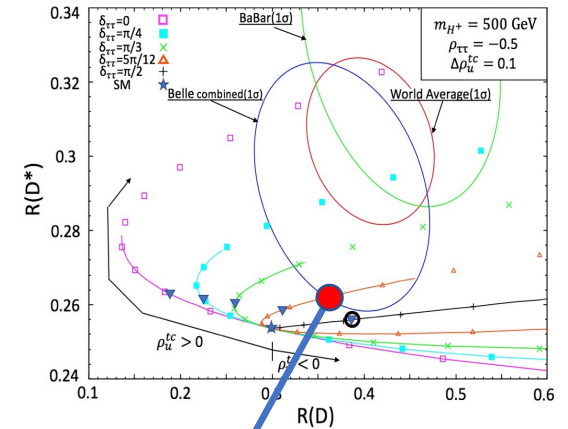
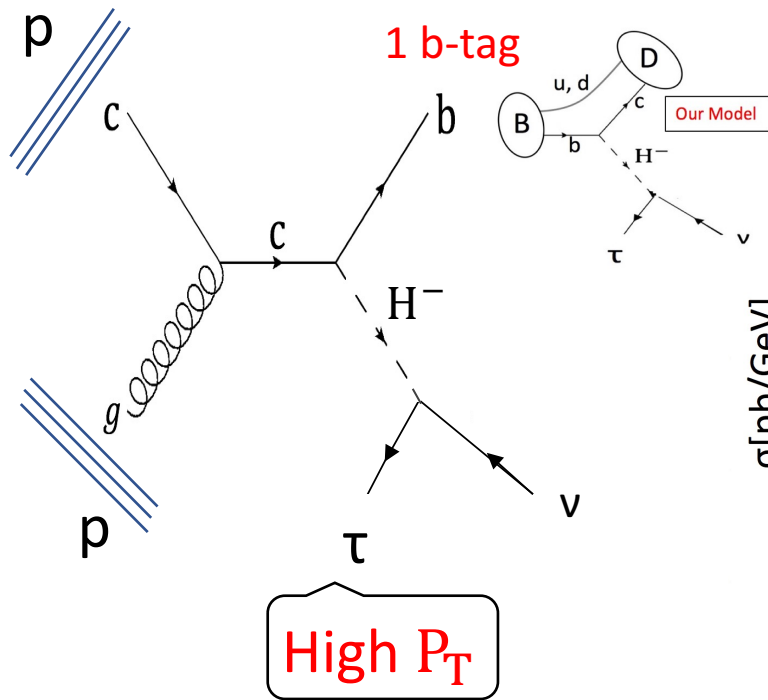
low background from $W \rightarrow \tau\nu$.



Experiment:arXiv	\sqrt{s} [TeV]	L[fb $^{-1}$]	Range $M_{W'}$ [TeV]
CMS:1508.04308	7,8	19.7	0.3-4
CMS:CMS-PAS-EXO-16-006	13	2.3	1-5.8
ATLAS:1801.06992	13	36.1	0.5-5
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Implications for LHC

Enhancing $R(D^{(*)})$ needs a large effective coupling $\bar{c}b\bar{\tau}v$ mediated by charged Higgs and generates an energetic tau lepton as a final state in LHC. (A.Soni, et al. arXiv:1704.06659)



This process looks promising, but **not measured yet**

Summary

G2HDM can still explain R(D).

$\tau\nu$ resonance search can test it.

$\tau\nu$ resonance can give more stringent constraints
than $\text{Br}(B_c^- \rightarrow \tau\bar{\nu})$.

An interplay between flavor physics and collider physics
is important.

Back up

Menu

- W' case
- P'_5 anomaly and H^-
-

Constraint for W'

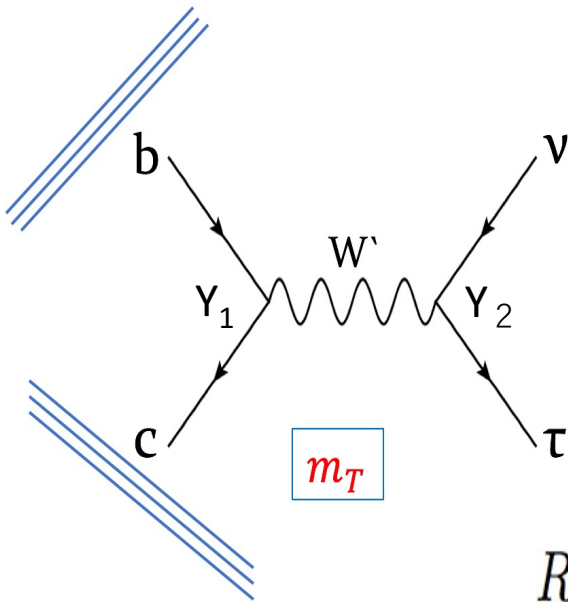
See also M. Abdullah, et al.1805.01869

Vector (couple to left handed or right handed quarks)

We assume following operators.

A. Celis, et al. 1604.03088

G. Isidori, et al. 1506.01705....



$$L_{eff} = -2\sqrt{2}G_F V_{cb} \left((\delta_{l\tau} + C_{v1}^l) O_{v1}^l + C_{v2}^l O_{v2}^l \right)$$

$$O_{V1}^l = (\bar{c}\gamma^\mu P_L b)(\bar{l}\gamma_\mu P_L \nu)$$

$$O_{V2}^l = (\bar{c}\gamma^\mu P_R b)(\bar{l}\gamma_\mu P_L \nu)$$

left handed case

$$\frac{R(D)}{R(D)_{SM}} = \frac{R(D^*)}{R(D^*)_{SM}} = 1 + 2\text{Re}\{C_{v1}^\tau\} + |C_{v1}^\tau|^2 + |C_{v1}^\mu|^2 + |C_{v1}^e|^2$$

Left handed vector charged current

$$\frac{R(D)}{R(D)_{SM}} = \frac{R(D^*)}{R(D^*)_{SM}} = 1 + 2\text{Re}\{C_{v1}^\tau\} + |C_{v1}^\tau|^2 + |C_{v1}^\mu|^2 + |C_{v1}^e|^2$$

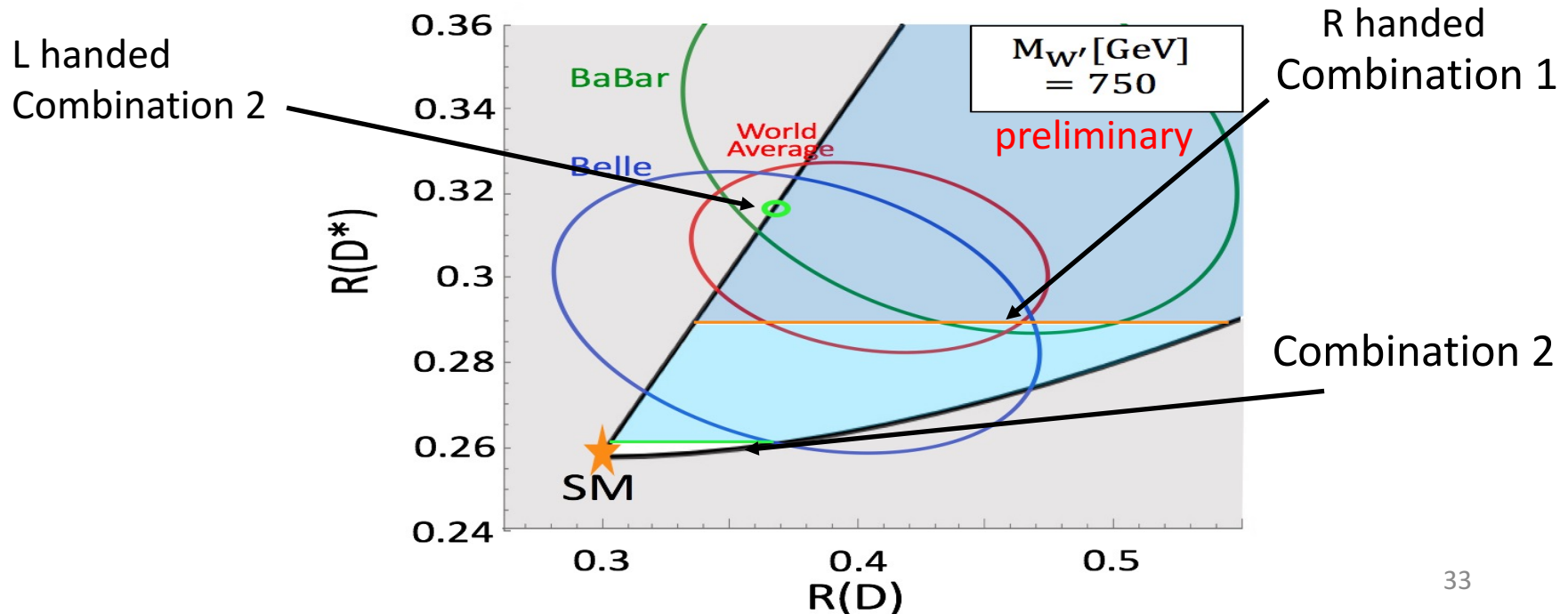
Right handed vector charged current

$$\frac{R(D)}{R(D)_{SM}} = 1 + 2\text{Re}\{C_{v1}^\tau\} + |C_{v1}^\tau|^2 + |C_{v1}^\mu|^2 + |C_{v1}^e|^2$$

$$\frac{R(D^*)}{R(D^*)_{SM}} = 1 + |C_{v1}^\tau|^2 + |C_{v1}^\mu|^2 + |C_{v1}^e|^2$$

This behavior comes from meson properties

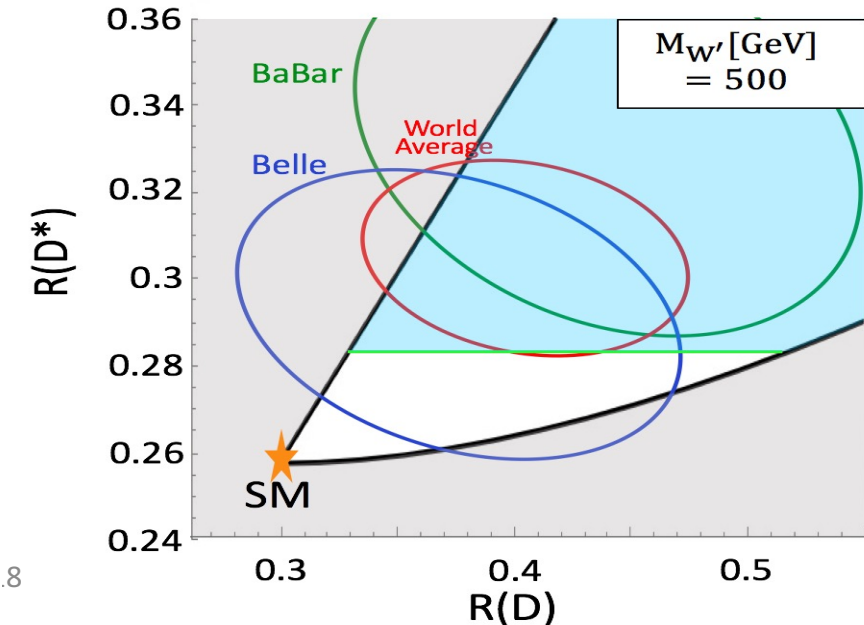
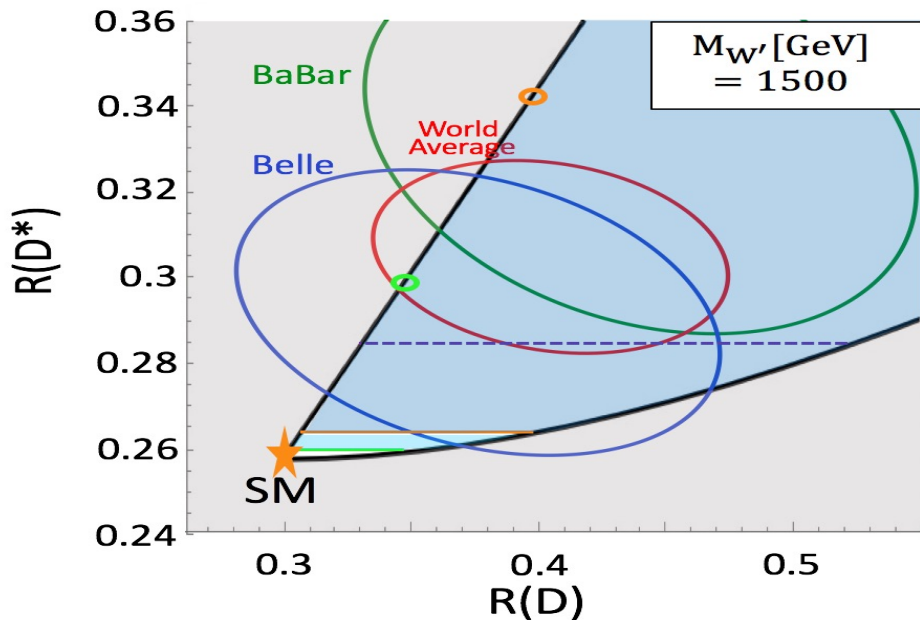
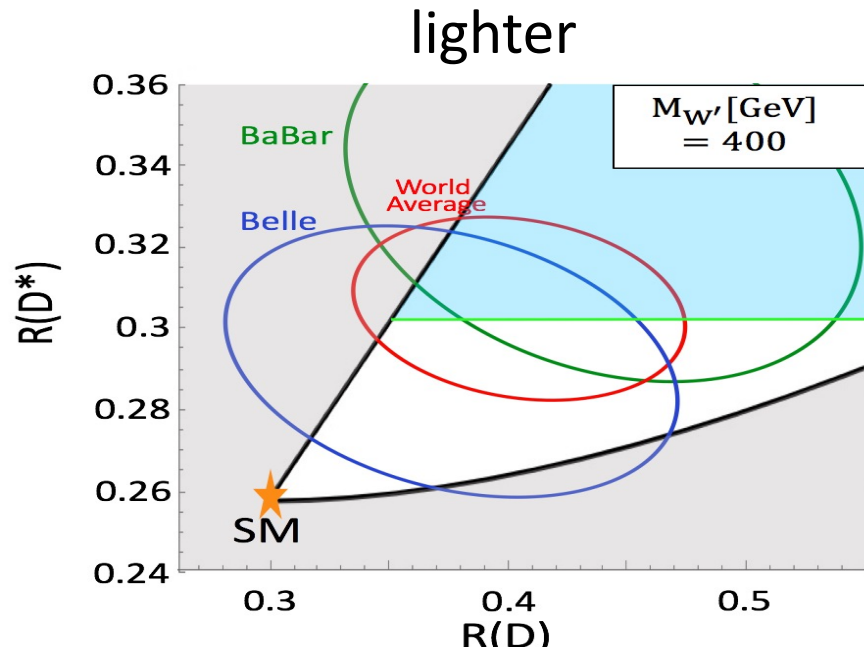
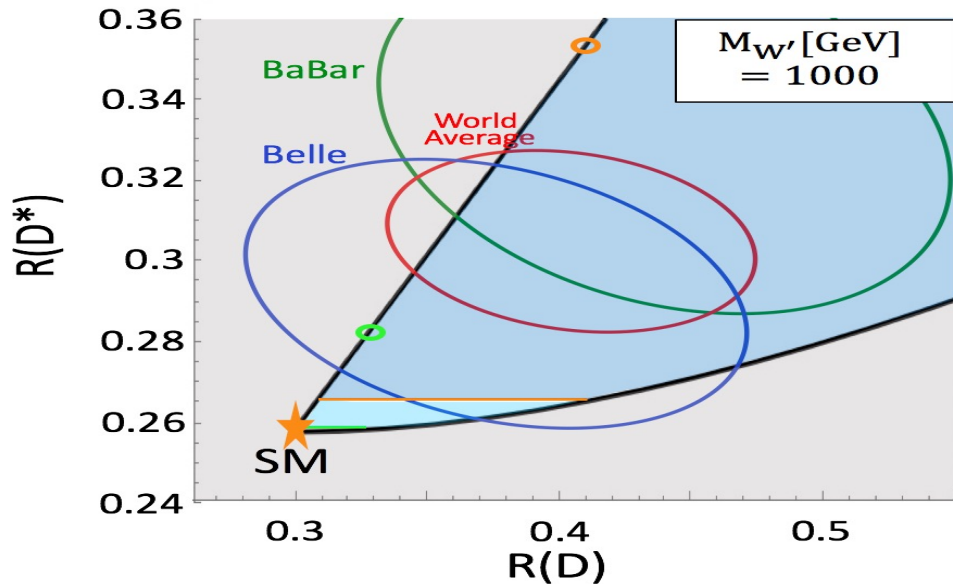
D: pseudo scalar, D*:vector meson.



Result

preliminary heavier

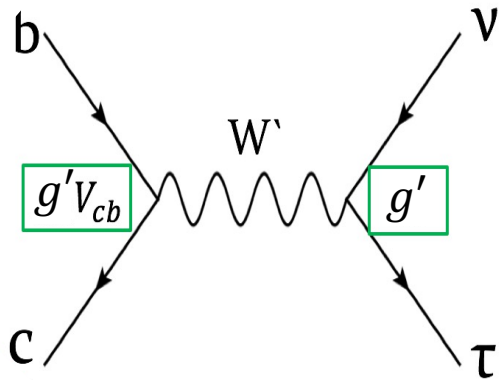
the heavier W' , the more severe constraint.



discussion

W' : difficulty for building models

SM like flavor structure is not favored. See left fig.



$V_{cb}=0.04$ suppression exists and requires large g'

T-parameter requires Z' with $m_{W'} \approx m_{Z'}$.

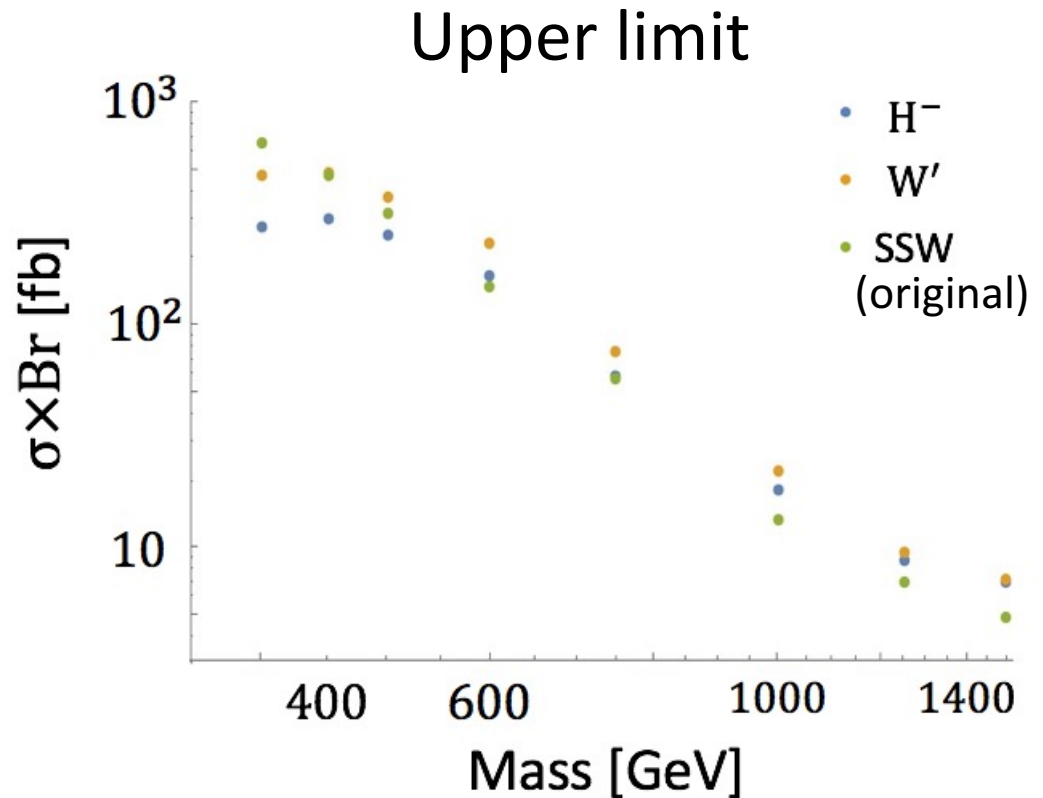
Then, there should be V_{cb} unsuppressed
 $pp \rightarrow bb \rightarrow Z' \rightarrow \tau\tau$ A.Greljo, et al:1609.07138

$500\text{GeV} > m_{W'}$ $R(D^{(*)})$ at that time.

We need extended gauge bosons with
an exotic flavor structure and lighter mass.

reinterpretation

Comparing their efficiencies by generating events with SSW, H^- and W' .



Cut

$P_T^\tau \geq 80 \text{ GeV}$, $|\eta| \leq 2.4$, $E_{miss} \geq 200 \text{ GeV}$. No e ($P_T^e \geq 20 \text{ GeV}$, $|\eta| \leq 2.5$) nor μ ($P_T^\mu \geq 20 \text{ GeV}$, $|\eta| \leq 2.4$). $0.7 \leq P_T^\tau / E_{miss} \leq 1.3$, azimuthal angle b/w τ and E_{miss} : $\Delta\phi \geq 2.4$.

P'_5 anomaly in G2HDM

$$\frac{1}{d\Gamma/dq^2 d\cos\theta_\ell d\cos\theta_K d\phi dq^2} \frac{d^4\Gamma}{dq^2} = \frac{9}{32\pi} \left[\frac{3}{4}(1 - F_L) \sin^2 \theta_K + F_L \cos^2 \theta_K \right.$$

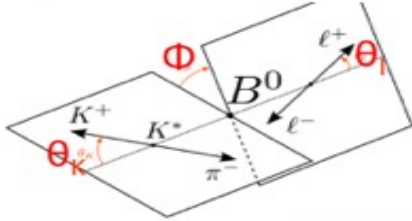
$$+ \frac{1}{4}(1 - F_L) \sin^2 \theta_K \cos 2\theta_\ell$$

$$- F_L \cos^2 \theta_K \cos 2\theta_\ell + S_3 \sin^2 \theta_K \sin^2 \theta_\ell \cos 2\phi$$

$$+ S_4 \sin 2\theta_K \sin 2\theta_\ell \cos \phi + S_5 \sin 2\theta_K \sin \theta_\ell \cos \phi$$

$$+ S_6 \sin^2 \theta_K \cos \theta_\ell + S_7 \sin 2\theta_K \sin \theta_\ell \sin \phi$$

$$\left. + S_8 \sin 2\theta_K \sin 2\theta_\ell \sin \phi + S_9 \sin^2 \theta_K \sin^2 \theta_\ell \sin 2\phi \right]$$



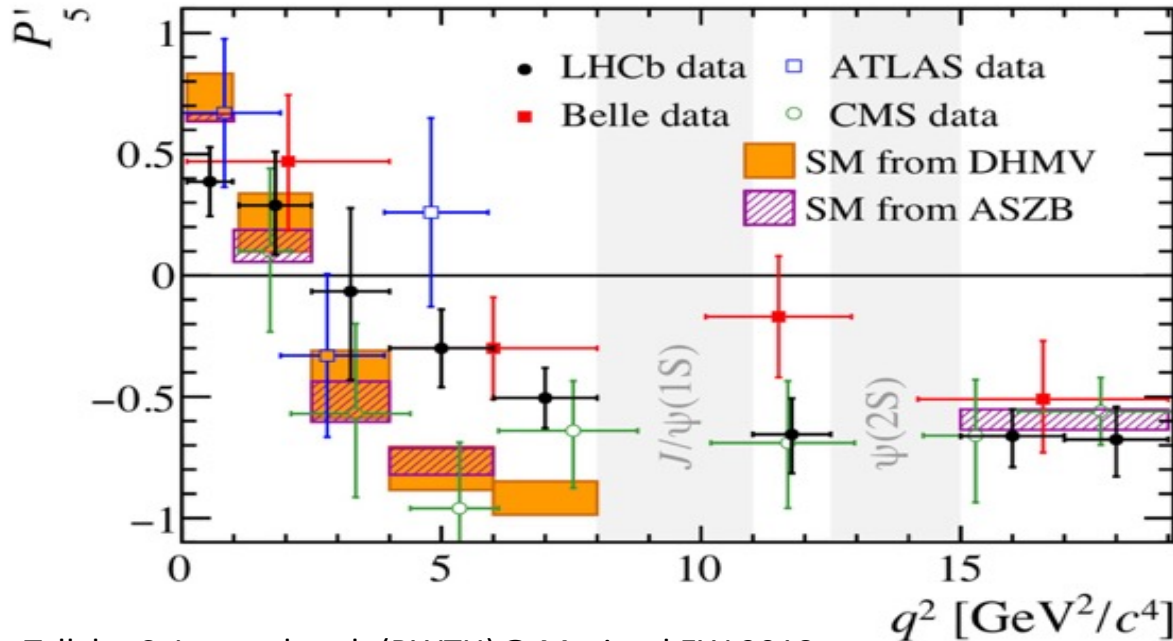
Optimized observable

$$P'_{i=4,5,6,8} = \frac{S_{j=4,5,7,8}}{\sqrt{F_L(1 - F_L)}}$$

$b \rightarrow s$ transition

P'_5 : angular observable

in $B \rightarrow K^* \mu\mu$



P'_5 anomalies

$$\mathcal{H}_{B_s} = -g_{SM} \left\{ C_9^l (\bar{s}_L \gamma_\mu b_L) (\bar{l} \gamma^\mu l) + C_{10}^l (\bar{s}_L \gamma_\mu b_L) (\bar{l} \gamma^\mu \gamma_5 l) + h.c. \right\},$$

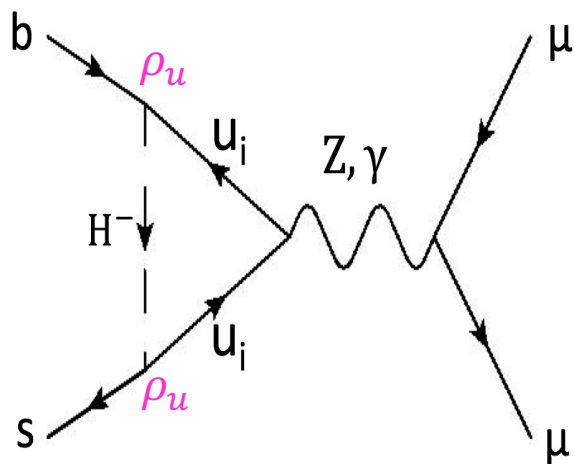
$$g_{SM} = \frac{4G_F}{\sqrt{2}} V_{tb} V_{ts}^* \frac{e^2}{16\pi^2}.$$

ρ_u^{tc} generates charm rotating diagrams : $u_i = c$

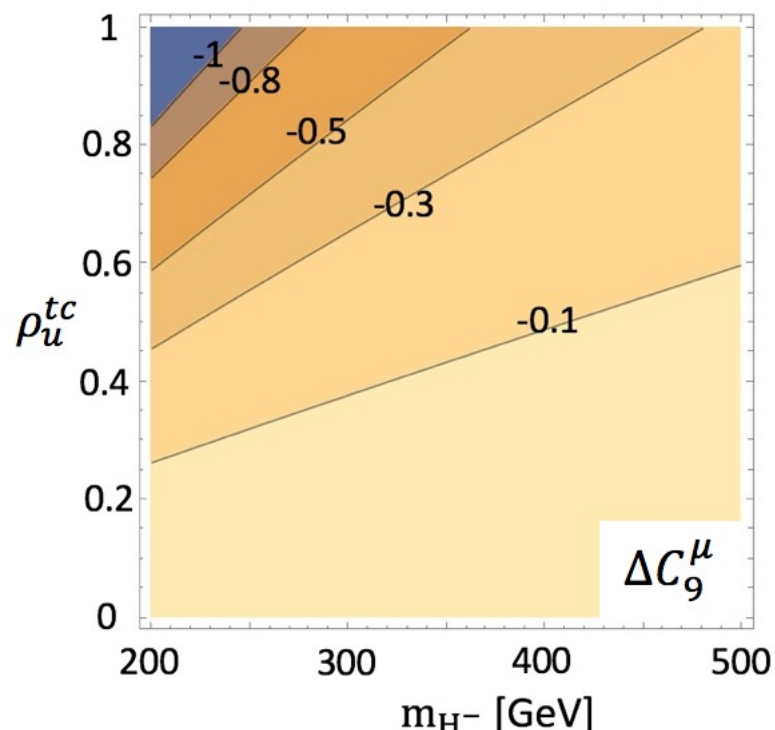
P'_5

$$\Delta C_9^\mu \approx -1 \text{ or } \Delta C_9^\mu = -\Delta C_{10}^\mu \approx -0.5$$

is favored G. D' Amico et al. 1704.05438



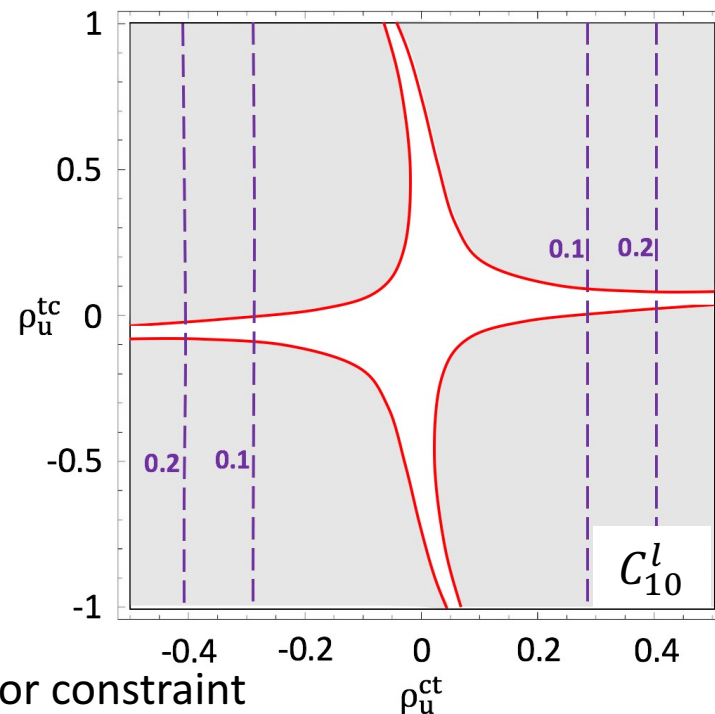
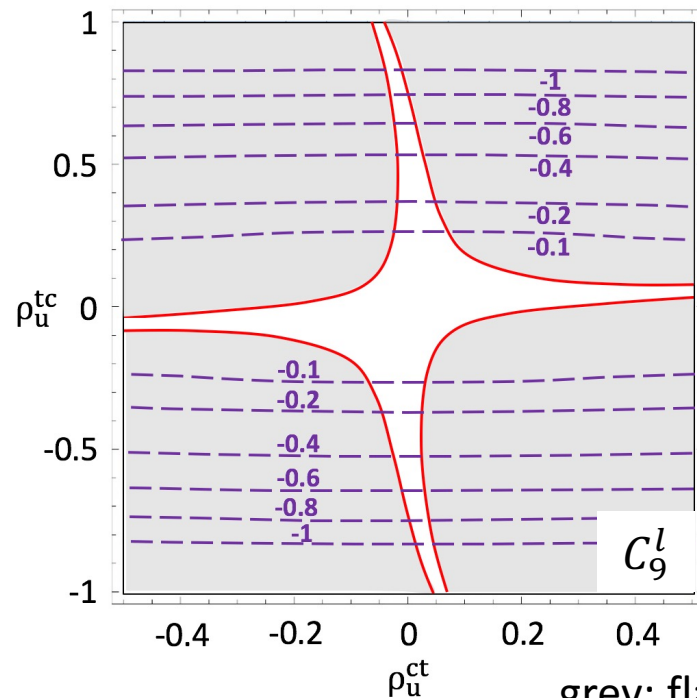
This γ penguin contribution has a dimensionless $\log \frac{m_c}{m_{H^-}}$ enhancement



Other prediction

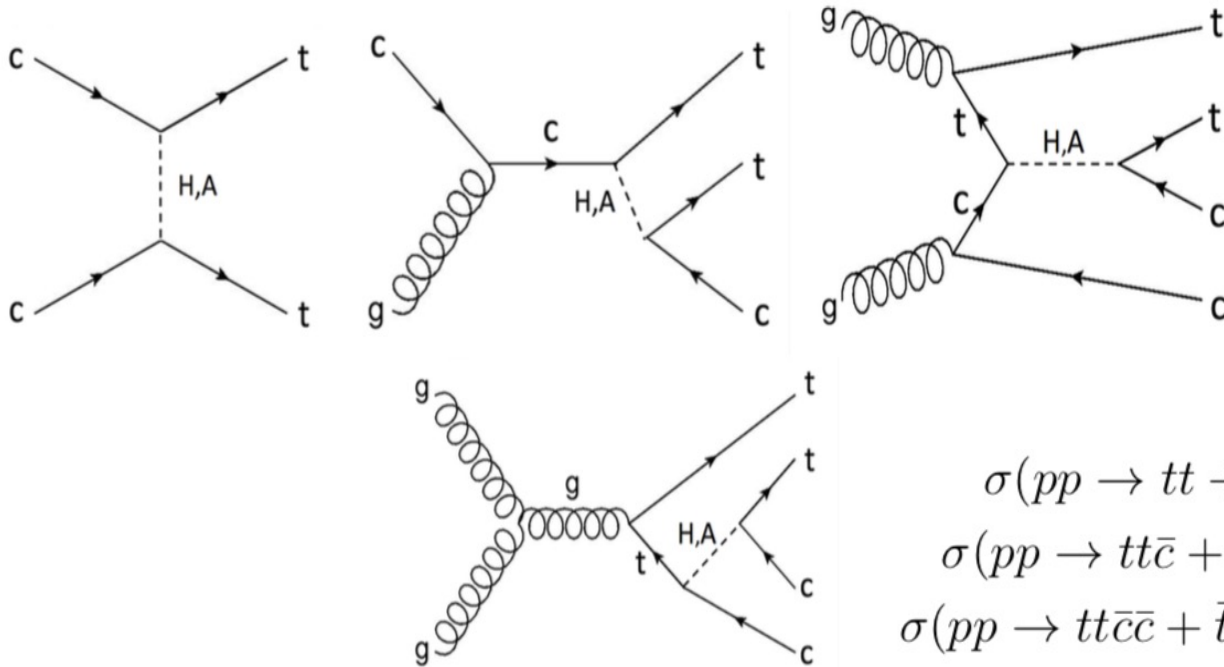
ρ_u^{tc} which generates a large contribution to C_9^l via γ penguin diagram, do not change $\text{Br}(B_s \rightarrow \mu\mu)$.

$$\frac{\text{Br}(B_s \rightarrow \mu\mu)}{\text{Br}(B_s \rightarrow \mu\mu)_{\text{SM}}} = |1 - 0.24C_{10}^\mu|^2$$



Collider signal

Same sign top is most striking



$$\begin{aligned} \sigma(pp \rightarrow tt + \bar{t}\bar{t}) &= 4.23 \times 10^{-3} |\rho_u^{tc}|^4 \\ \sigma(pp \rightarrow tt\bar{c} + \bar{t}tc) &= 4.13 \times 10^{-1} |\rho_u^{tc}|^4 \\ \sigma(pp \rightarrow tt\bar{c}\bar{c} + \bar{t}\bar{t}cc) &= 1.14 \times 10^{-1} |\rho_u^{tc}|^4 \end{aligned}$$

for $(m_A, m_H) = (200, 250)$ GeV

$m_A = m_H$ suppresses the signal.

Upper bound on $\sigma(\text{same sign top}) = 1.2$ [Pb] CMS:1704.07323 is still weak

For recent progress see 1808.00333.

G2HDM

We take so called Higgs base : a doublet acquires VEV

$$H_1 = \left(\frac{G^+}{\frac{v+\Phi_1+iG}{\sqrt{2}}} \right), \quad H_2 = \left(\frac{H^+}{\frac{\Phi_2+iA}{\sqrt{2}}} \right)$$

G^+, G : N-G boson, H^+ : charged Higgs, A : CP odd Higgs

Linear transformation to mass base of CP even scalars

$$\begin{pmatrix} \Phi_1 \\ \Phi_2 \end{pmatrix} = \begin{pmatrix} \cos \theta_{\beta\alpha} & \sin \theta_{\beta\alpha} \\ -\sin \theta_{\beta\alpha} & \cos \theta_{\beta\alpha} \end{pmatrix} \begin{pmatrix} H \\ h \end{pmatrix}$$

Yukawa terms

$$\begin{aligned} L_{CC} = & - \sum_{f=u,d,e} \sum_{\Phi=h,H,A} y_{\Phi ij}^f \bar{f}_{Li} \Phi f_{Rj} + \text{h.c.} \\ & - \bar{v}_{Li} (V_{MNS}^\dagger \rho_e)^{ij} H^+ e_{Rj} + \text{h.c.} \\ & - \bar{u}_i (V_{CKM} \rho_d P_R - \rho_u^\dagger V_{CKM} P_L)^{ij} H^+ d_j + \text{h.c.}, \end{aligned}$$

$$y_{hij}^f = \frac{m_f^i}{v} s_{\beta\alpha} \delta_{ij} + \frac{\rho_f^{ij}}{\sqrt{2}} c_{\beta\alpha}, \quad y_{Aij}^f = \begin{cases} -\frac{i\rho_f^{ij}}{\sqrt{2}} & \text{for } f = u \\ +\frac{i\rho_f^{ij}}{\sqrt{2}} & \text{for } f = d, e, \end{cases} \quad y_{Hij}^f = \frac{m_f^i}{v} c_{\beta\alpha} \delta_{ij} - \frac{\rho_f^{ij}}{\sqrt{2}} s_{\beta\alpha}$$

Result2

compatibility

	$R(K^{(*)})$	P'_5	$R(D)$	$R(D^*)$	$\delta\alpha_\mu$
(B) $\rho_e \neq 0, \rho_\nu = 0$					
ρ_u^{tt}	×	×	×	×	○
ρ_u^{tc}	×	○	○	×	×
ρ_u^{ct}	×	×	×	×	○

○: within 1σ

or XXOXO

JHEP 1805 (2018) 173 SI, Y. Omura