

Higgsing and Superpotential Deformations of ADE Superconformal Theories

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We study large classes of renormalization group flows, driven by scalar expectation values or mesonic superpotential terms, away from the conformal fixed points of the $4d$ supersymmetric gauge theories with ADE -type superpotentials. The a -maximization procedure allows us to compute the R charges and to check the a -theorem conjecture. For a theory obtained by Higgsing the D_{k+2} theory, we use the magnetic dual description proposed by Brodie to determine the parameter region where the resulting theory is at a non-trivial conformal fixed point.

New CFT points discovered are summarized as follows:

$$\begin{aligned}
 \widehat{M} & & W &= Q_i X Q^i \\
 M_{(0,0)}^{\widehat{M}} & & W &= Q_i Q^i \\
 M_{(4,0)}^{\widehat{A}} & & W &= Q_i X Q^i + \text{tr} X^2 \\
 M_{(0,1)}^{\widehat{D}} & & W &= Q_i X Q^i + \text{tr} X^2 Y \\
 M_{(1,0)}^{\widehat{E}} & & W &= Q_i X Q^i + \text{tr} Y^3 \\
 M_{(0,1)}^{\widehat{E}} & & W &= Q_i X Q^i + \text{tr} X^3
 \end{aligned} \tag{1}$$

$$\begin{aligned}
 M_{(k,0)}^{\widehat{E}} & & W &= Q_i X^k Q^i + \text{tr} Y^3, \quad k = 0, 1, 2, 3 \\
 M_{(l,1)}^{\widehat{E}} & & W &= Q_i X^l Y Q^i + \text{tr} Y^3, \quad l = 0, 1 \\
 M_{(4,0,0)}^{\widehat{E}} & & W &= Q_i Q^i Q_j Q^j + \text{tr} Y^3
 \end{aligned} \tag{2}$$

$$M_{(4,k)}^{\widehat{A}} \quad W = (Q_i X^a Q^i) Q_j X^b Q^j + (Q_j X^a Q^j) Q_i X^b Q^i + \text{tr} Y^2, \tag{3}$$

$$\begin{aligned}
 M_{(0,k,2)}^{\widehat{D}} & & W &= \sum (\text{tr} X^a Y) Q_j X^b Y Q^j + \text{tr} X Y^2, \\
 M_{(0,k,1)}^{\widehat{D}} & & W &= \sum (\text{tr} X^a) Q_j X^b Y Q^j + \text{tr} X Y^2. \\
 M_{(1,k,0)}^{\widehat{D}} & & W &= \sum (Q_i X^a Q^i) Q_j X^b Q^j + \text{tr} X Y^2, \\
 M_{(1,k,1)}^{\widehat{D}} & & W &= \sum (Q_i X^a Q^i) Q_j X^b Y Q^j + \text{tr} X Y^2,
 \end{aligned} \tag{4}$$

where the sums are over a and b with $a + b = k$.