

# 開弦チャンネルの境界状態と弦の場の理論

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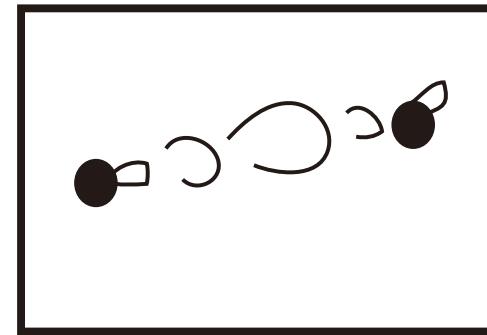
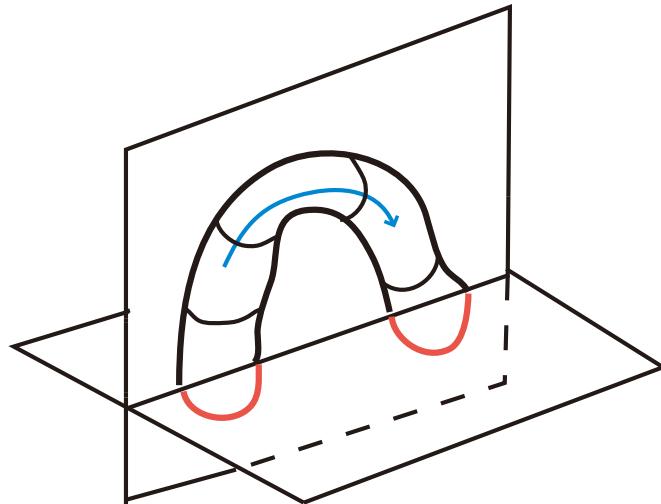
- OBS & SFT
- Shapiro-Thorn vertex
- Shapiro-Thorn vertex & OBS
- Discussion

**OBS**

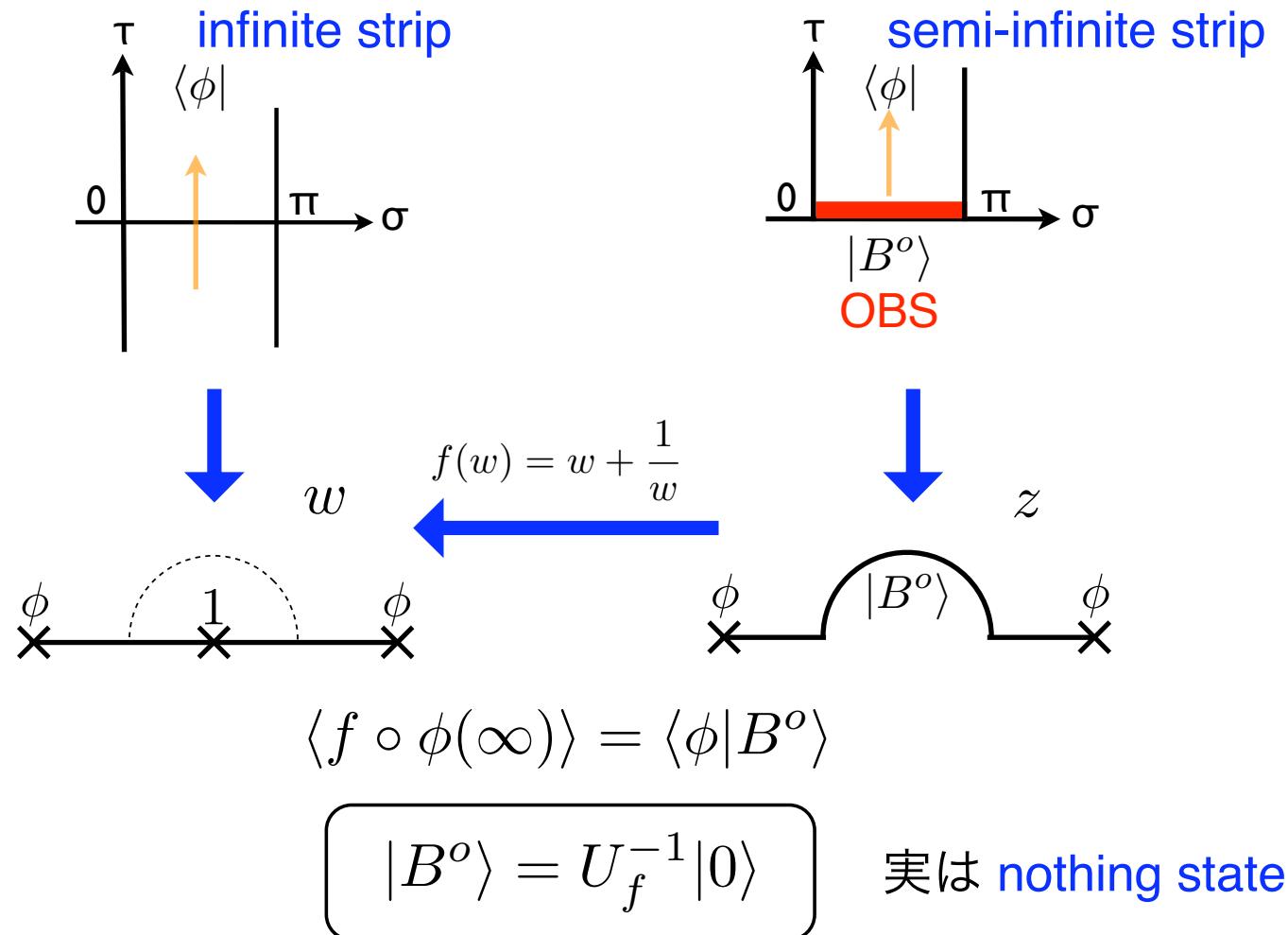
# Open Boundary State (OBS)

[I, Matsuo '05], [Imamura, I, Matsuo '06 '07]

複数の D-brane からなる系で、  
D-brane による開弦の放出吸収をあらわす境界状態



# Open Boundary State (OBS)



# OBS and SFT

## D-branes in SFT

closed string field theory & usual closed string boundary state

[Hata, Hashimoto] [Kishimoto, Matsuo, Watanabe] [Baba, Ishibashi, Murakami] etc.

If possible, we want to deal with D-branes in OSFT

OBS might be a tool for dealing with D-branes in OSFT

Concrete roles of OBS in OSFT are now unclear

# OBS and SFT

## Attempt

- OBS as a source term in EoM of OSFT

$$Q_B \Phi + \Phi * \Phi = B^o \quad \text{OBS} = \text{source of open string}$$

- idempotency  $|B^o\rangle * |B^o\rangle \sim |B^o\rangle$

the same relation as usual boundary state [Kishimoto, Matsuo, Watanabe]

# OBS and SFT

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## This talk

(Closed) Boundary State & Shapiro-Thorn vertex

[Kawano-Kishimoto-Takahashi] [Ellwood]

introduce naturally OBS to OSFT in the context of ST vertex

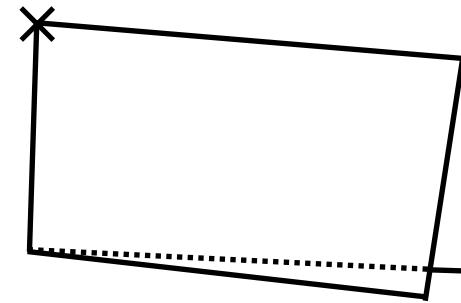
# **Shapiro-Thorn vertex**

# Shapiro-Thorn vertex

vertex specifying **open-closed coupling**

$$\langle V^c | \hat{\gamma}^{\text{ST}} | V^o \rangle \equiv \langle I | \tilde{V}^c | V^o \rangle =$$

(conventionally,  $\langle \langle \gamma^{\text{ST}} | V^c \rangle | V^o \rangle$ )



For  $\langle V^c |$  : **on-shell**  $\langle V^c | \hat{\gamma}^{\text{ST}} | \Phi_o \rangle$  is **gauge-invariant**.

[Hashimoto Itzhaki]

$$\langle V^c | \hat{\gamma}^{\text{ST}} | \delta_\Lambda \Phi_o \rangle = 0$$

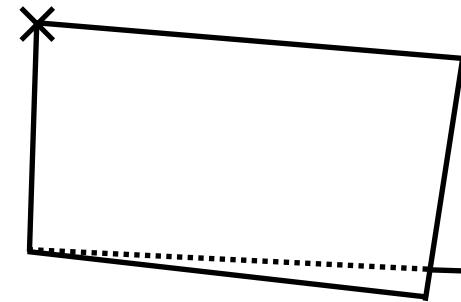
$$\delta_\Lambda \Phi_o = Q_B \Phi_o + [\Phi_0, \Lambda]_*$$

# Shapiro-Thorn vertex

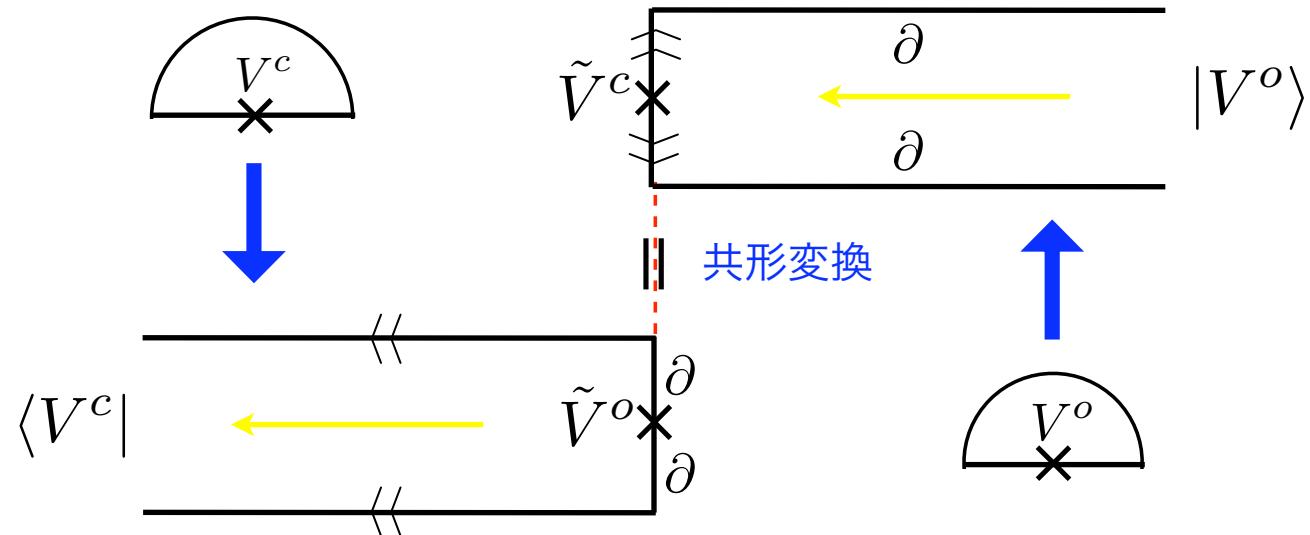
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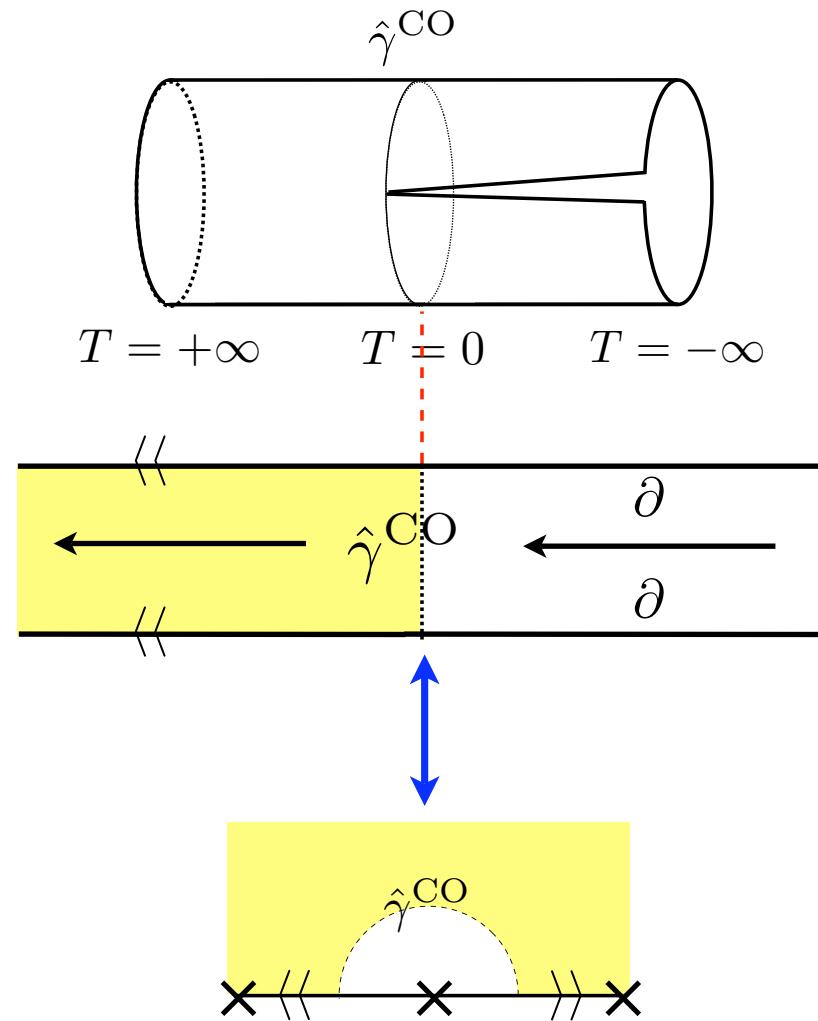
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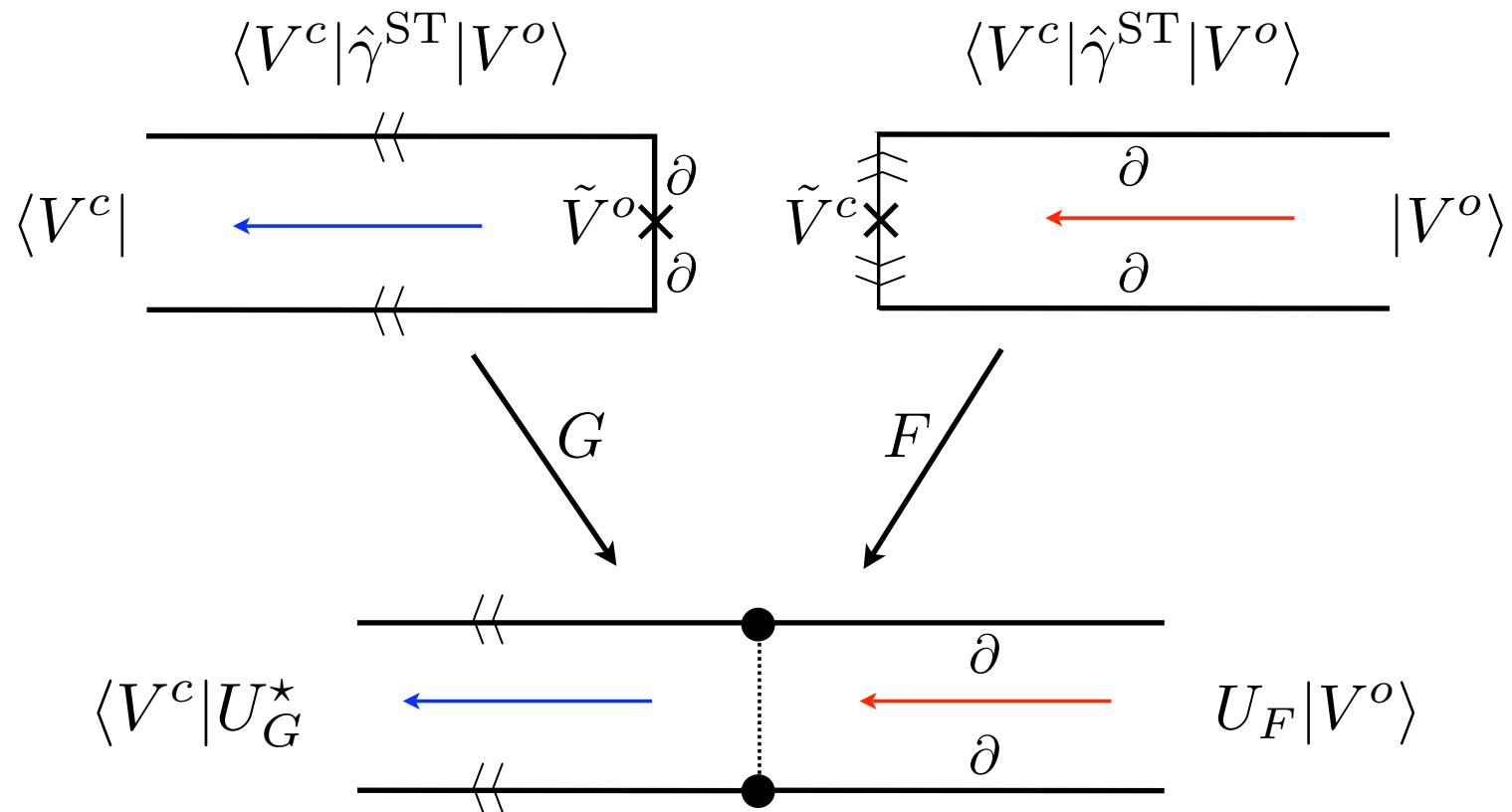
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# Open-Closed vertex

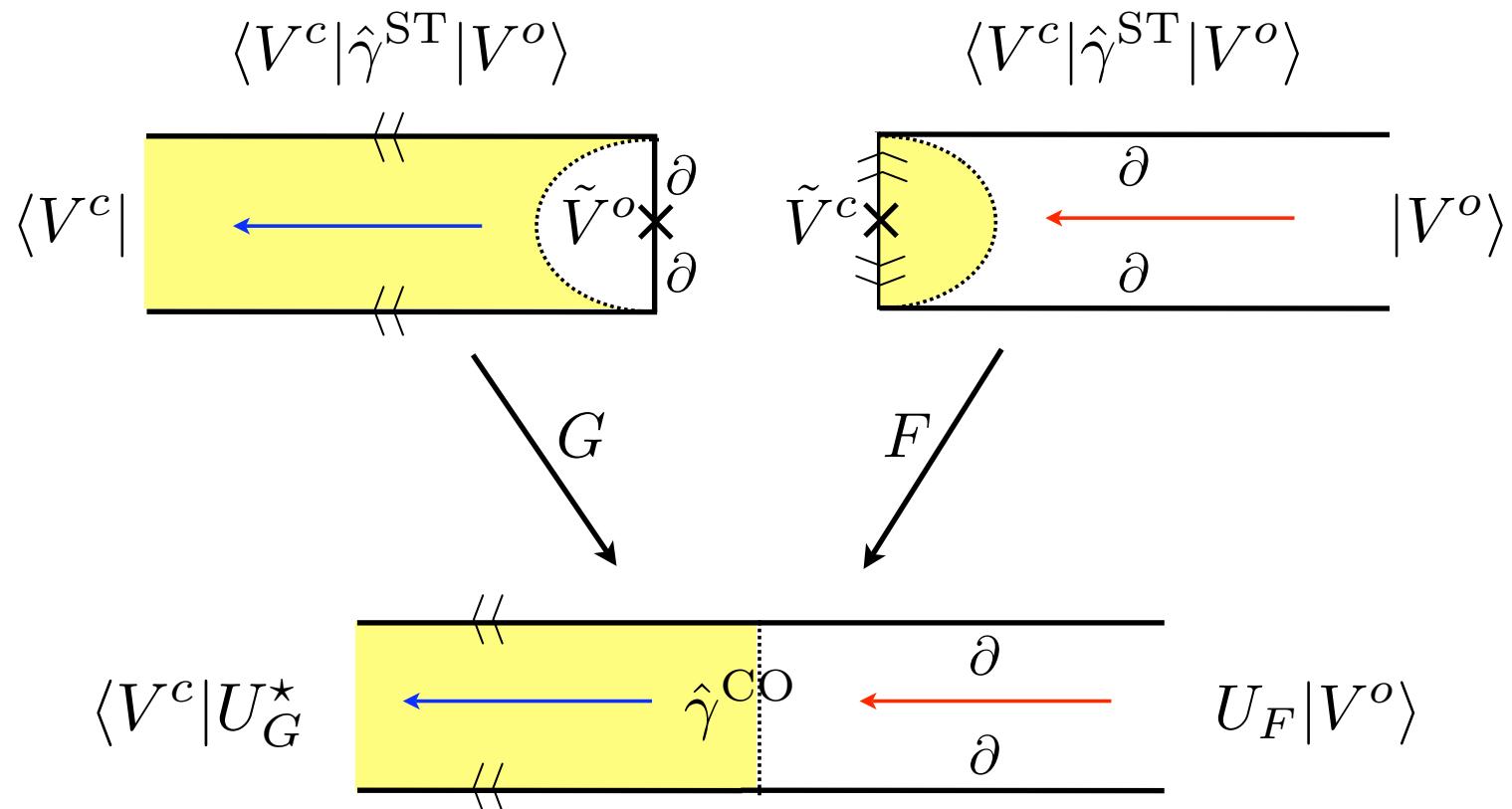


# Open-Closed & Shapiro-Thorn



Both  $F$ ,  $G$  map the semi-infinite strips to identical infinite strip.

# Open-Closed & Shapiro-Thorn

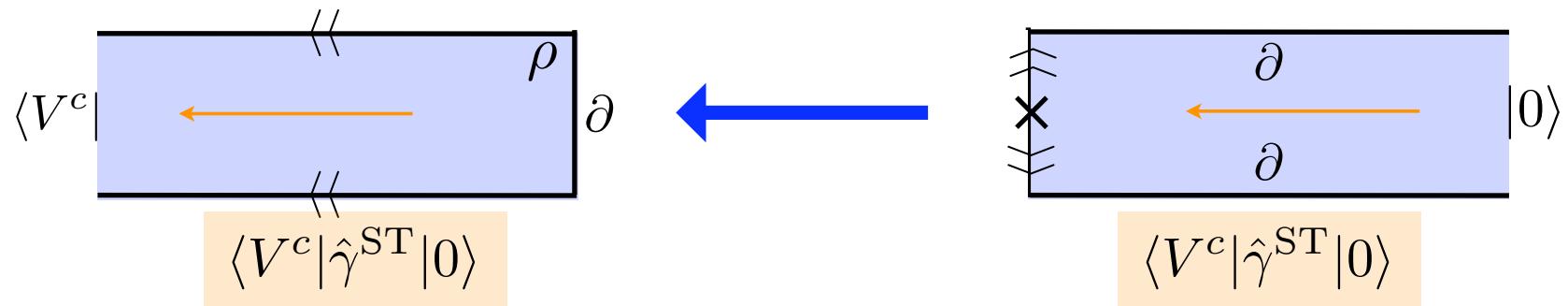


Both  $F$ ,  $G$  map the semi-infinite strips to identical infinite strip.

# **Shapiro-Thorn vertex & OBS**

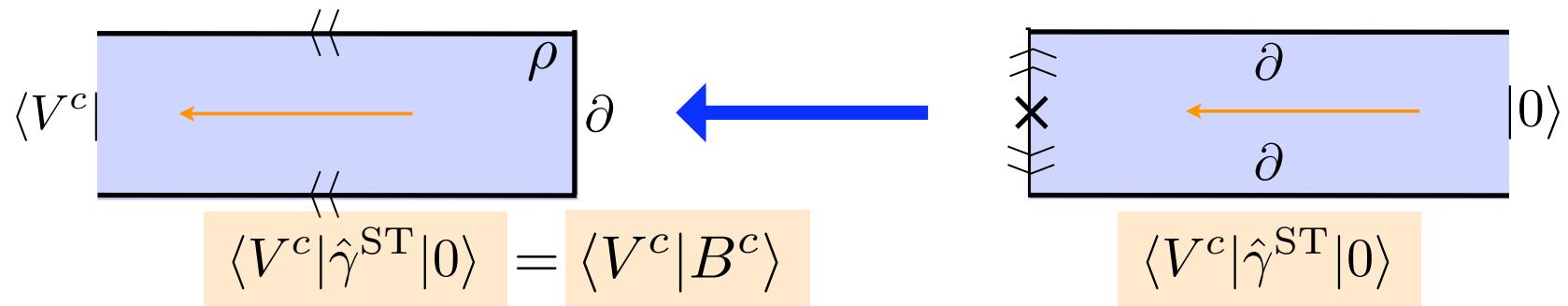
# Shapiro-Thorn and OBS

$$\hat{\gamma}^{\text{ST}}|0\rangle = |B^c\rangle$$



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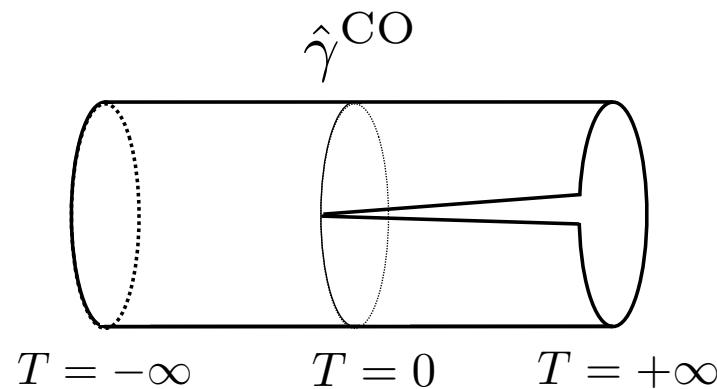


# Shapiro-Thorn and OBS

$$\hat{\gamma}^{\text{CO}} |B^o\rangle = |B^c\rangle$$

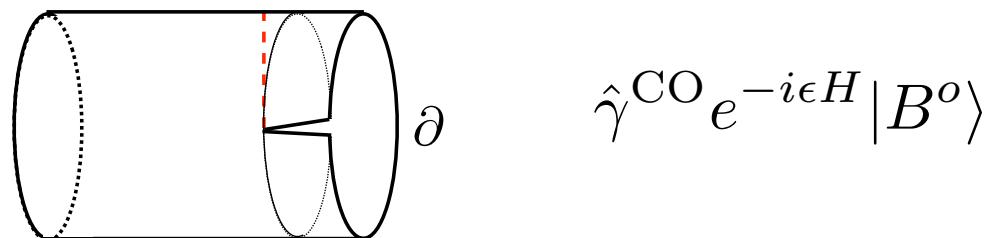
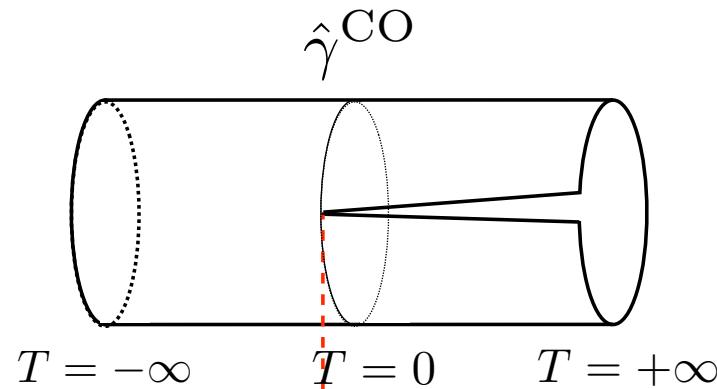
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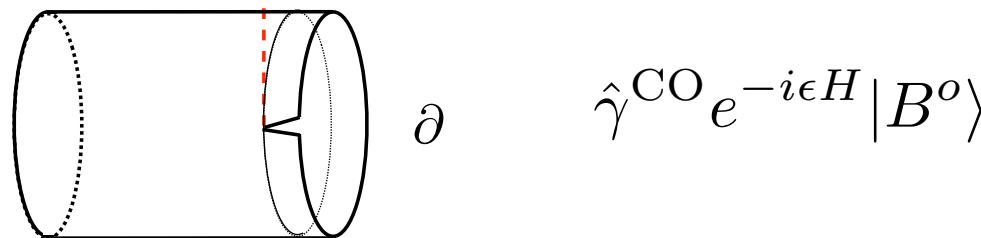
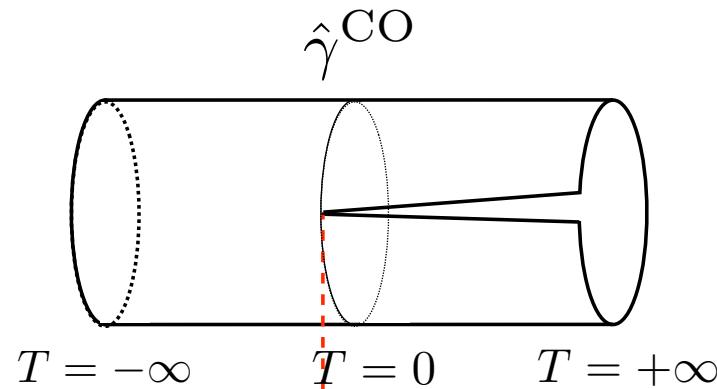
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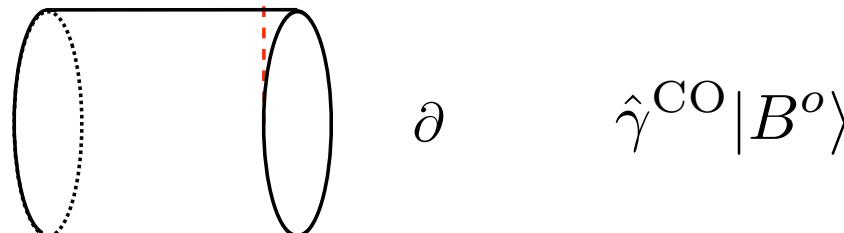
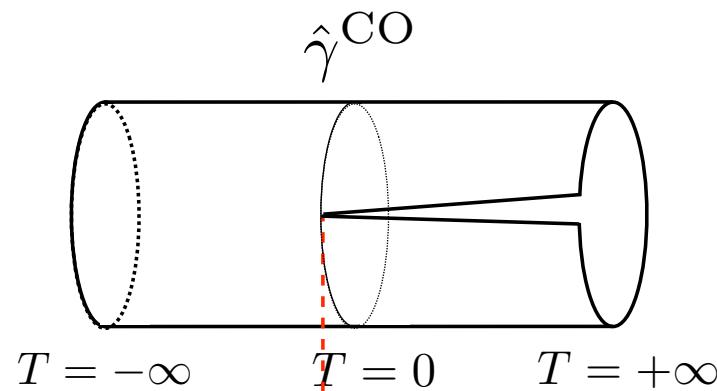
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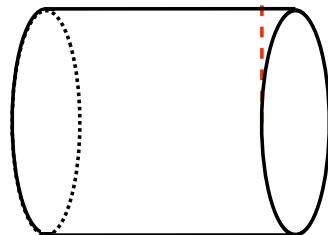
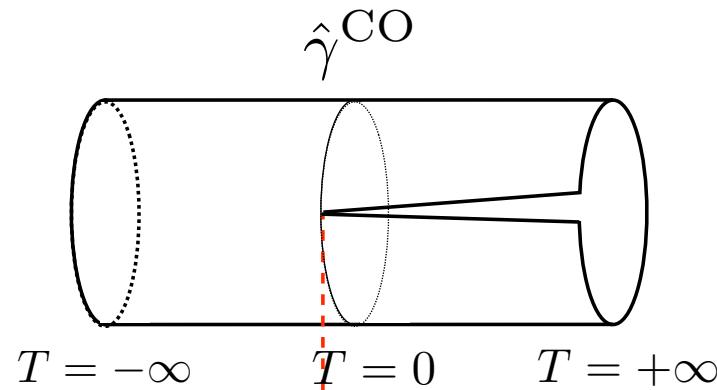
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# Shapiro-Thorn and OBS

$$\hat{\gamma}^{\text{ST}} |0\rangle = |B^c\rangle$$

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$$\hat{\gamma}^{\text{ST}}|0\rangle = \hat{\gamma}^{\text{CO}}|B^o\rangle$$

# Discussion

# Discussion

- In the context of Shapiro-Thorn vertex or open-closed vertex  
OBS(nothing state) naturally appears (can be introduced).

$$\hat{\gamma}^{\text{ST}}|0\rangle = \hat{\gamma}^{\text{CO}}|B^o\rangle$$



Can we obtain any important information about branes in SFT ??

# Discussion

- relation to Kawano-Kishimoto-Takahashi, Ellwood

$$\langle V^c | \hat{\gamma}^{\text{ST}} | \psi_{\text{Sch}} \rangle = \langle V^c | B^c \rangle \quad \langle V^c | : \text{on-shell} :$$

$|\psi_{\text{Sch}}\rangle$  : Schnabl sol. of OSFT (corresp. to tachyon vacuum)

By using  $\hat{\gamma}^{\text{ST}}|0\rangle = \hat{\gamma}^{\text{CO}}|B^o\rangle$  etc. naively ,

under  $\langle V^c |$  (on-shell) and  $\hat{\gamma}^{\text{CO}}$   $|\psi_{\text{Sch}}\rangle \cong |0\rangle$  ?!



seems consistent

In the calculation by KKT, E

only  $|0\rangle$  part in  $|\psi_{\text{Sch}}\rangle$  contributes to  $\langle V^c | \hat{\gamma}^{\text{ST}} | \psi_{\text{Sch}} \rangle$

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- How to interpret this result?

To what extent does  $\langle V^c | \hat{\gamma}^{\text{ST}} | \psi_{\text{Sch}} \rangle$  contain the info. of the solution ?

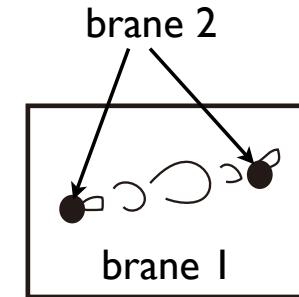
on-shell closed vertex imposes very strong constraints

# Discussion

- OBS : non-perturbative excitations on branes

e.g. D3-D(-1)-brane system

D(-1) as OBS



gauge field in open string emitted from D(-1)

↔  
instanton solution

EoM on **two-intersecting D-brane system**

$$Q_B \Phi + \Phi * \Phi = 0 \quad \Phi \equiv \begin{pmatrix} \Phi_{11} & \Phi_{12} \\ \Phi_{21} & \Phi_{22} \end{pmatrix}$$

solution  $\Phi_{11}$  ← → instanon

relation with OBS ?