Cosmology and Cluster Astrophysics with Weak Gravitational Lensing and the Sunyaev-Zel'dovich Effect

第31回理論懇シンポジウム

2018/12/20 京都大学基礎物理学研究所

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東京大学物理学専攻

Based on

KO, Flender, Nagai, Shirasaki, and Yoshida; MNRAS, 475, 532 (2018) KO, Miyatake, Nagai, Shirasaki, Yoshida, and HSC WL WG; *in prep*.

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Weak Gravitational Lensing

The **large-scale structures** induce weak gravitational lensing effect. We can probe into the matter distribution in an **unbiased** way.

The images of galaxies are distorted due to the foreground gravitational field, and the distortion can be detected by statistically analyzing many images.



Convergence field:

$$\begin{aligned} f(\theta) &= \frac{3}{2} \left(\frac{H_0}{c}\right)^2 \Omega_{\rm m} \\ &\times \int d\chi f(\chi_s, \chi) \delta(D_A(\chi)\theta, \chi) \end{aligned}$$

lensing kernel density



2D mass map from HSC



Cosmology with WL and tSZ

We can place stringent constraints on **cosmological parameters** with auto-power spectra of convergence (WL) and Compton-*y* (tSZ).

tSZ auto-power spectrum analysis





Auto 2pt Correlations



Power spectrum / 2pt correlation



Cosmology

Power spectrum / 2pt correlation







Auto 2pt Correlations



<u>tSZ</u>





Power spectrum / 2pt correlation



Cross 2pt Correlations

<u>WL</u>



Cross-correlations!

• A naive advantage over auto-correlation is addition of independent information useful for breaking parameter degeneracy.

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Especially in the case of cross-correlation between high S/N and low S/N observables, the cross-correlation becomes more powerful!

X = WL, galaxies, CMB temp. Y = tSZ, CMB pol., GW source

$$\frac{(S/N)_{XY}^2}{(S/N)_{YY}^2} \gg 1$$

Cross-correlation outperforms auto-correlation!

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Cross-correlation outperforms auto-correlation!

If the observable Y contains unique information (e.g., cluster astrophysics), cross-correlation should be the first way to go!

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Contents of this talk

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Part I: Cosmological analysis of the measurement of tSZ-WL cross-correlations with RCSLenS and *Planck*

Part II: Measurements of the tSZ-WL cross-correlations with HSC and *Planck*

astrophysics), cross-correlation should be the first way to go!

Strategy

Example: RCSLenS x Planck measurement of WL-tSZ cross-correlations.



Theoretical prediction of cross spectra is based on <u>halo model</u>. All matter and gas is associated with halos.

$$\begin{split} C_{\ell}^{y\kappa} &= C_{\ell}^{y\kappa(1\mathrm{h})} + C_{\ell}^{y\kappa(2\mathrm{h})} \\ C_{\ell}^{y\kappa(1\mathrm{h})} &= \int dz \, \frac{d^2 V}{dz d\Omega} \int dM \frac{dn}{dM} y_{\ell}(M, z) \\ \kappa_{\ell}^{y\kappa(2\mathrm{h})} &= \int dz \, \frac{d^2 V}{dz d\Omega} P_{\mathrm{m}}(k = \ell / D_A, z) \\ &\times \int dM_1 dM_2 \frac{dn}{dM_1} b(M_1, z) y_{\ell}(M_1, z) \frac{dn}{dM_2} b(M_2, z) \\ \kappa_{\ell}(M_2, z) \end{split}$$

$$\xi^{y\kappa}(\theta) = \int \frac{\ell d\ell}{2\pi} C_{\ell}^{y\kappa} J_0(\ell\theta)$$

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 $C_{\ell}^{\gamma\kappa} = C_{\ell}^{\gamma\kappa(1h)} + C_{\ell}^{\gamma\kappa(2h)} \quad \text{well calibrated with} \\ \frac{N + body simulations}{N + body simulations}$ $C_{\ell}^{\gamma\kappa(1h)} = \int dz \frac{d^2V}{dzd\Omega} \int dM \frac{dn}{dM} y_{\ell}(M, z) \kappa_{\ell}(M, z)$ $C_{\ell}^{\gamma\kappa(2h)} = \int dz \frac{d^2V}{dzd\Omega} P_{\rm m}(k = \ell/D_A, z)$ $\times \int dM_1 dM_2 \frac{dn}{dM_1} b(M_1, z) y_{\ell}(M_1, z) \frac{dn}{dM_2} b(M_2, z) \kappa_{\ell}(M_2, z)$

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$$\begin{split} C_{\ell}^{y\kappa} &= C_{\ell}^{y\kappa(1\mathrm{h})} + C_{\ell}^{y\kappa(2\mathrm{h})} & \text{well calibrated with} \\ \textbf{N-body simulations} \\ C_{\ell}^{y\kappa(1\mathrm{h})} &= \int dz \, \frac{d^2 V}{dz d\Omega} \int dM \frac{dn}{dM} y_{\ell}(M, z) \kappa_{\ell}(M, z) & \text{Projection of} \\ NFW \text{ profile} \\ C_{\ell}^{y\kappa(2\mathrm{h})} &= \int dz \, \frac{d^2 V}{dz d\Omega} P_{\mathrm{m}}(k = \ell/D_A, z) & \text{Projection of} \\ \times \int dM_1 dM_2 \frac{dn}{dM_1} b(M_1, z) y_{\ell}(M_1, z) \frac{dn}{dM_2} b(M_2, z) \kappa_{\ell}(M_2, z) \end{split}$$

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 $C_{\ell}^{y\kappa} = C_{\ell}^{y\kappa(1h)} + C_{\ell}^{y\kappa(2h)}$ well calibrated with *N*-body simulations **Convergence** $C_{\ell}^{y\kappa(1h)} = \int dz \frac{d^2V}{dzd\Omega} \int dM \frac{dn}{dM} y_{\ell}(M,z) \kappa_{\ell}(M,z)$ Projection of NEW profile **NFW** profile $C_{\ell}^{\gamma\kappa(2h)} = \int dz \, \frac{d^2V}{dzd\Omega} P_{\rm m}(k = \ell/D_A, z)$ <u>Compton-y</u> **Projection of** pressure profile $\times \int \frac{dn}{dM}$ Analytical modeling of dn $b(M_2, z)\kappa_{\ell}(M_2, z)$ pressure profile is critical! Correlation function can be obtained via manker transform. $\xi^{y\kappa}(\theta) = \left[\frac{\ell d\ell}{2\pi} C_{\ell}^{y\kappa} J_0(\ell\theta)\right]$

Models of ICM Profiles

Generalized NFW (GNFW) profile

Earlier works include Kaiser (1986); Makino+ (1998); Suto+ (1998); Komatsu & Seljak (2001, 2002); Ostriker+ (2005); Bode+ (2009)

Planck col. (2013)

1.00

_ovisari

 10^{15}

 10^{2}

10¹

10⁰

10

 10^{-2}

10

0.01

0.10

Flender+ (2016)

Radius

Chi

10¹⁴

essur

P/P₅₀₀/<f(M)>

Parametrized in the similar way to NFW profile. Parameters are fitted against X-ray or SZ observations.

$$P_e(r) = \frac{P_0}{x^{\gamma}(1+x^{\alpha})^{(\beta-\gamma)/\alpha}} \qquad x = r/R_{500c}, P_0 \propto (M_{500c})$$

<u>Analytical model</u> (Shaw+, 2010; Flender+, 2016) The gas density/pressure profiles are determined from fluid equations. Feedback processes are incorporated by introducing free parameters.

$$\frac{dP_{\text{tot}}}{dr} = -\rho_g(r)\frac{d\Phi(r)}{dr}, P_{\text{tot}} \propto \rho_g^{1.2}$$

$$\mathbf{F}_{\text{tot}} \approx \rho_g^{1.2}$$

$$\mathbf{F}_{g,f} = E_{g,i} + \epsilon_{\text{DM}} |E_{\text{DM}}| + \epsilon_{\text{f}} M_* c^2 + \Delta E_p$$

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Non-thermal Pressure

NOTE: From X-ray and SZ, only **thermal pressure** component can be observed, but simulations suggest that turbulent motion can also balance the self-gravity of galaxy clusters. This another source of pressure is called as <u>non-thermal pressure</u>.

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NOTE: From X-ray and SZ, only **thermal pressure** component can be observed, but simulations suggest that turbulent motion can also balance the self-gravity of galaxy clusters. This another source of pressure is called as <u>non-thermal pressure</u>.

BUT it is hard to measure the non-thermal pressure since it requires high-res. spectroscopy. We incorporate this effect in a phenomenological manner.

> Hydrostatic bias for GNFW profile

$$\frac{M_{\rm HSE}}{M_{\rm true}} = 1 - b$$

Non-thermal pressure profile for analytic profile

$$\frac{P_{\text{nth}}}{P_{\text{tot}}}(r) = \alpha (1+z)^{\beta} \left(\frac{r}{R_{500c}}\right)^{1.8}$$

Studies on mass calibration with WL suggest b ~ 0.1–0.4. Medezinski+ (2018); Miyatake, ..., KO, ... (2018)

Based on hydro. simulations.

Lau+ (2009); Nelson+ (2014)

All-Sky Mock Simulations

For more reliable estimation of covariance, we make advantage of <u>all-sky N-body simulations</u>. We can incorporate various effects, e.g., survey geometry, noise, and beam convolution.



KO+ (in prep.)

Compton-y Auto-Spectra



Cross-Correlation Functions



Constraints on Non-Thermal Pressure



Constraints on Non-Thermal Pressure



Constraints on Non-Thermal Pressure



Subaru Hyper Suprime-Cam





HSC-SSP WL Survey

+<u>HSC S16A</u>

Wide and deep WL survey which covers 136.9 deg² with mean *i*-band seeing ~ 0".58 and $n_{\rm eff} = 24.6 \, {\rm arcmin}^{-2}$

c.f., for RCSLenS $n_{\rm eff} = 5.8 \, {\rm arcmin}^{-2}$

Convergence

Measurements of Cross-Correlations



Constraints on Cosmological Parameters

h

 $\omega_{\rm b}$

 $\omega_{\rm c}$

In this analysis, GNFW profile is used.

With the prior from *Planck* CMB measurements, we can place tight constraints on cosmological parameters along with hydrostatic mass bias! n_s



Constraints on Mass Bias



= Mass supported by thermal pressure

Constraints on Mass Bias



= Mass supported by thermal pressure

Constraints on Mass Bias

CS82-ACT

No non-thermal pressure

HSC-Planck

LoCuSS

<u>Our results show higher b than</u> WL mass calibration measurements,

and imply the possible redshift evolution of mass bias!

<u>This work</u>

Planck tSZ auto-power spectrum

(Bolliet+, 2018)

High non-thermal pressure

= Mass supported by thermal pressure

Summary

- Weak lensing and the thermal Sunyaev-Zel'dovich effect are promising probes into the large-scale structure and thermodynamical properties of intra-cluster medium.
- Cross-correlation provides additional information with high S/N significance compared with auto-correlations.
- Halo model calculation and N-body simulations are used to predict the signal and estimate the covariance matrix. This study presents the first attempt to estimate covariance matrix from realistic mock simulations.
- HSC is the unique WL survey which can probe into the large-scale structures and galaxy clusters at high redshifts, and the redshift evolution of them by tomography.