Composition and Stellar Structure in TDEs using FLASH+MESA

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Why we do simulations to determine the fallback rate

 $\frac{dE}{dt} = \frac{1}{3} (2\pi GM)^{2/3} t^{-5/3}$





Can constrain $M_{\rm BH}$ and other properties from well-sampled observations





Mockler+ 2019



• Setup

- Build stars in MESA (1D stellar evolution code)
- Calculate their disruption in FLASH (3D adaptive-mesh / grid / Eulerian hydrodynamics code; Newtonian)

Features:

- Accurate stellar structures
- Composition: track 49 elements
- Extended Helmholtz EOS

FLASH+MESA

- Goals (some more long-term than others):
 - Determine parameters from a given TDE observation: BH mass, spin, stellar mass, age, efficiency, etc. Break degeneracies in fitting.
 - Tie composition directly to spectra!
 - Probe nuclear stellar populations, dynamical mechanisms in galactic centers.
 - Tie to QBS/E+As. What kind of star? Related to SFH?
 - Help understand other parts of basic TDE theory, e.g. emission mechanism(s).



 $M_{\rm BH} = 10^6 M_{\odot}; \ M_* = 1 M_{\odot}; \ R_{\odot} \approx 1.3 R_{\odot}; \ \text{age}_* = \text{TAMS}; \ \beta = 1$ code: FLASH rest frame of star; zoomed in (not full box) vis.: temperature volume rendering vis. time: $t - t_p \approx -3t_{dyn} \rightarrow +10t_{dyn}$





simulation from Law-Smith+ 2019, vis. credit: Nick Leaf / NVIDIA





Stellar structure: depends on mass and age

Uncertainty on $M_{\rm BH,max}$ from stellar evolution ~~ uncertainty from BH spin

- The maximum BH mass for tidal disruption increases by a factor of ~2 from stellar radius changes due to MS evolution; this is equivalent to varying BH spin from 0 to 0.75 (e.g. Fig. 1 of Kesden 2012).
- BH spin determines the cutoff of the TDE rate as a function of BH mass (e.g. Fig. 4 of Kesden 2012).



Stellar structure and susceptibility



full disruption

All panels same $t - t_p \approx + 3t_{dyn}$

grazing encounter





Shape of mass fallback rate curve varies with stellar age



- Different shapes from Guillochon & Ramirez-Ruiz 2013
- t_{peak} increases with stellar age
- $M_{\rm peak}$ decreases with stellar age



Example of a stellar mass dependence result: peak fallback time depends ~weakly on stellar mass



Law-Smith+ 2019



Law-Smith+ in prep.



Composition depends on stellar mass and age. MESA profiles (= i.c.'s):



Predictions from analytic framework: fallback composition as fn. of age, mass



Lodato+ 2009

Gallegos-Garcia, Law-Smith, & Ramirez Ruiz 2018



Composition (hydro): strong mixing/rotation during disruption





Composition: abundance anomalies at peak



Most striking results:

- N, He enhanced before/at peak
- C depleted before/at peak

$$\frac{X}{X_{\odot}} = \frac{\dot{M}_X / \dot{M}_H}{M_X / M_{H,\odot}}$$



Composition: abundance anomalies at peak; indicator of stellar mass



- timescale for disruptions of MS stars.
- (Note different y-axis scales.)

• Compositional anomalies in N, He, C, (O) can occur before the peak

More massive stars generally show stronger anomalies at earlier times.



Full grid will be publicly available

- Grid:
 - Stellar mass: 0.3 to $3M_{\odot}$.
 - Stellar age: ZAMS to TAMS.
 - Impact parameter β : $\Delta M/M_{\star} \approx 0.01$ to 1
- **Results**: lacksquare
 - $\dot{M}_{\rm fb}$ vs. time
 - X/X_{\odot} (composition of fallback material) vs. time
 - $M_{\text{peak}}, t_{\text{peak}}, \Delta M/M_{\star}, n(t), n_{\infty}$

Big goal: (light curves + \dot{M} from accurate stellar structures)

+ (spectra + X/X_{\odot} + radiative transfer) to better constrain almost everything! (= star, BH, efficiency, emission mechanism, etc.)

Law-Smith+ in prep.



Different objects probe different BHs: the tidal disruption "menu"



Using M-R relationships and estimate of maximum BH mass for observable tidal disruption ($\beta \ge 1$, non-spinning BH; maximally spinning BH increases this by factor of 8):

$$M_{\rm BH} \leq \frac{R_{\star}^{3/2}}{M_{\star}^{1/2}} \left(\frac{c^2}{4G}\right)^{3/2} \propto \rho_{\star}^{-1/2}.$$

[^]This is RHS bounds of each region.

LHS bounds are given using a simple "prompt circularization condition": $r_{\rm p} < 10r_{\rm g}$. Observable TDEs are certainly possible to the left of each region.

Law-Smith+ 2017b





Fallback rates for characteristic objects, scaled to $M_{\rm BH} = 10^6 M_{\odot}$ for comparison



Law-Smith+ 2017b





$M_{\rm BH} = 10^3 M_{\odot}; \ M_{\star} = 1 M_{\odot}; \ R_{\odot} \approx 1.3 R_{\odot}; \ \text{age}_{\star} = \text{TAMS}; \ \beta = 5$ code: FLASH vis.: density volume rendering

simulation from Law-Smith+ in prep., vis. credit: Nick Leaf / NVIDIA



Conclusions

- Fallback-rate hydro simulations with realistic stellar
- Ramirez-Ruiz 2013.
- age, and these effects diminish with increasing β .
- occur before the peak of the mass fallback rate for disruptions of MS stars.
- earlier times.
- Full grid will be publicly available.

structures and compositions (tracking 49 elements): build stars in MESA and tidally dirupt in FLASH with a Helmholtz EOS.

Shape of mass fallback curves different from Guillochon &

• $t_{\rm peak}$ increases with stellar age and $\dot{M}_{\rm peak}$ decreases with stellar

Compositional anomalies in N, He, C, O (and others) can

• More massive stars can show stronger abundance anomalies at

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