



Overview of Strangeness Production and Baryon-Baryon Interactions from Heavy-Ion Collisions

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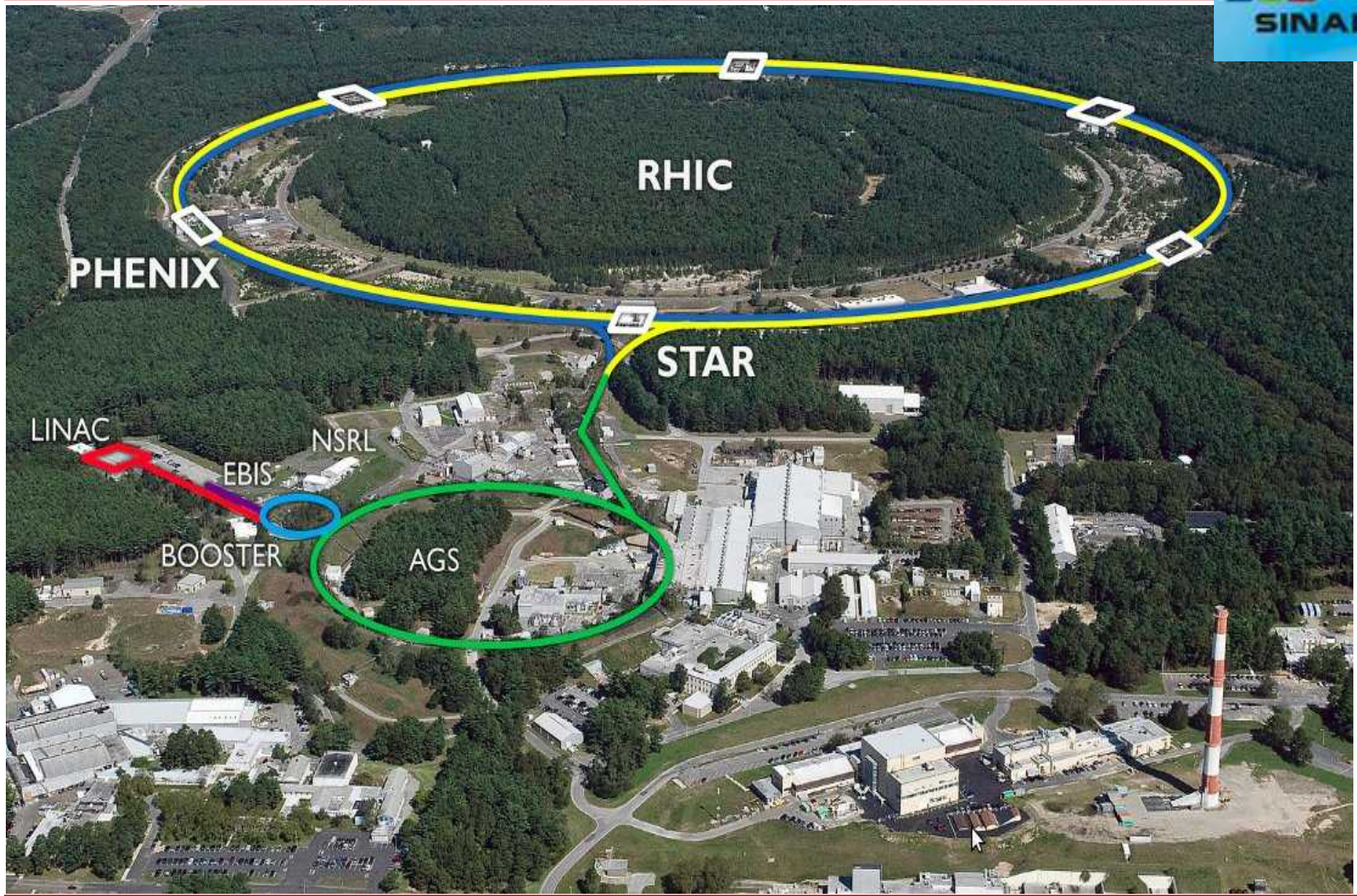
ExHIC Workshop YITP

Outline



- Strangeness production in HIC
- Hypertriton life time
- Baryon-Baryon interactions
 - $\Lambda\Lambda$ interactions
 - Antiproton-antiproton interactions
 - Preliminary results on Proton- Ω

Relativistic Heavy Ion Collider (RHIC)



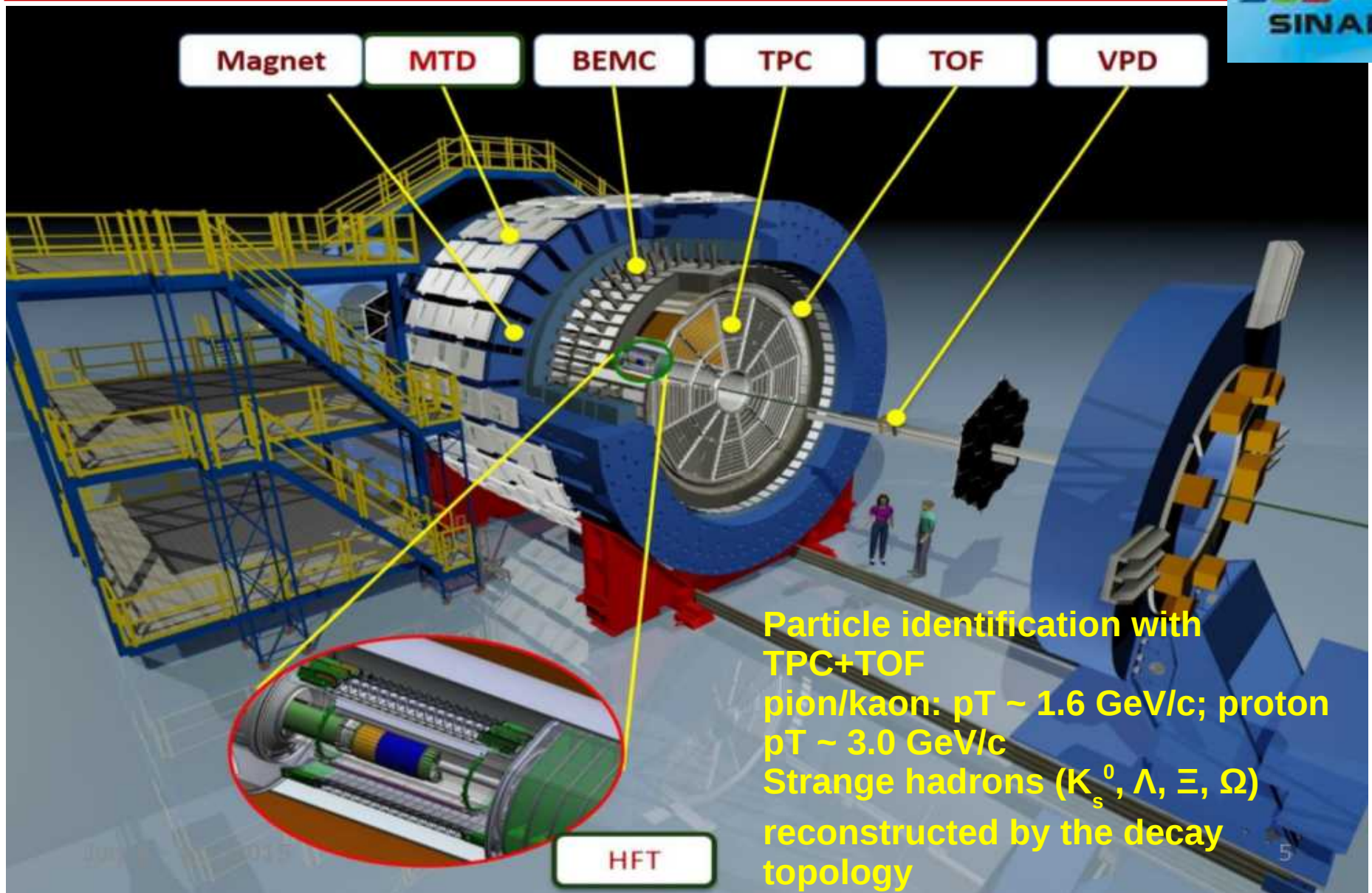
March 23, 2016

Relativistic Heavy Ion Collider (RHIC)



| Collision species | C.M. Energy per nucleon pair (GeV) | Physics |
|-------------------|---|--|
| Polarized p+p | 510, 200, 150 | Spin physics |
| Au+Au | 200, 130, 62.4, 39, 27, 19.6, 14.5, 11, 7.7 | Quark Gluon Plasma properties, QCD Critical point search |
| Cu+Cu, Cu+Au | 200, 62.4, 19.6, 22.4 | Study initial conditions |
| d+Au | 200 | Cold nuclear matter |
| U+U | 193 | Study initial conditions |

Solenoidal tracker at RHIC (STAR)



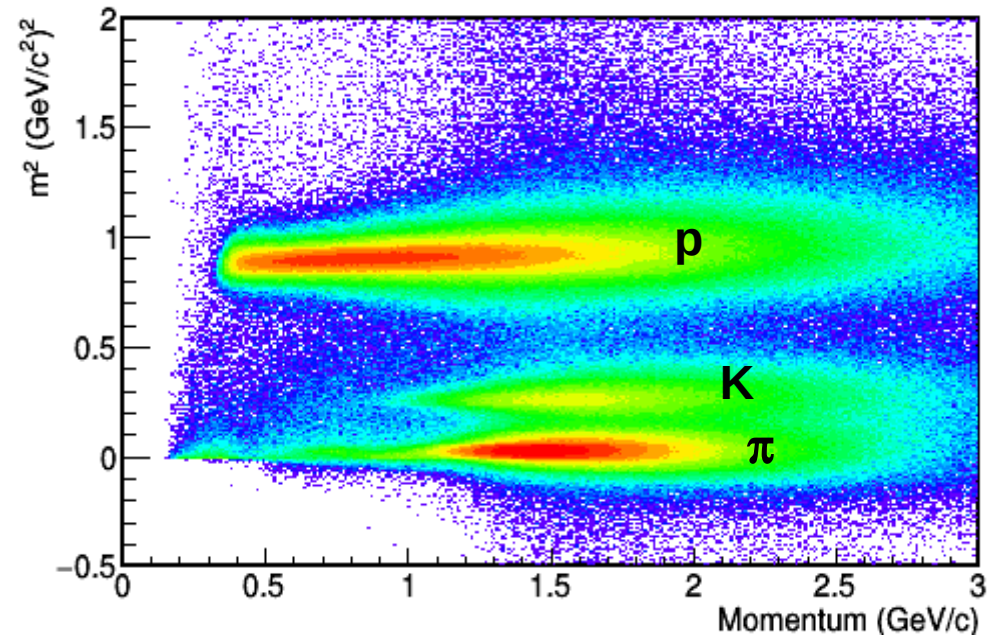
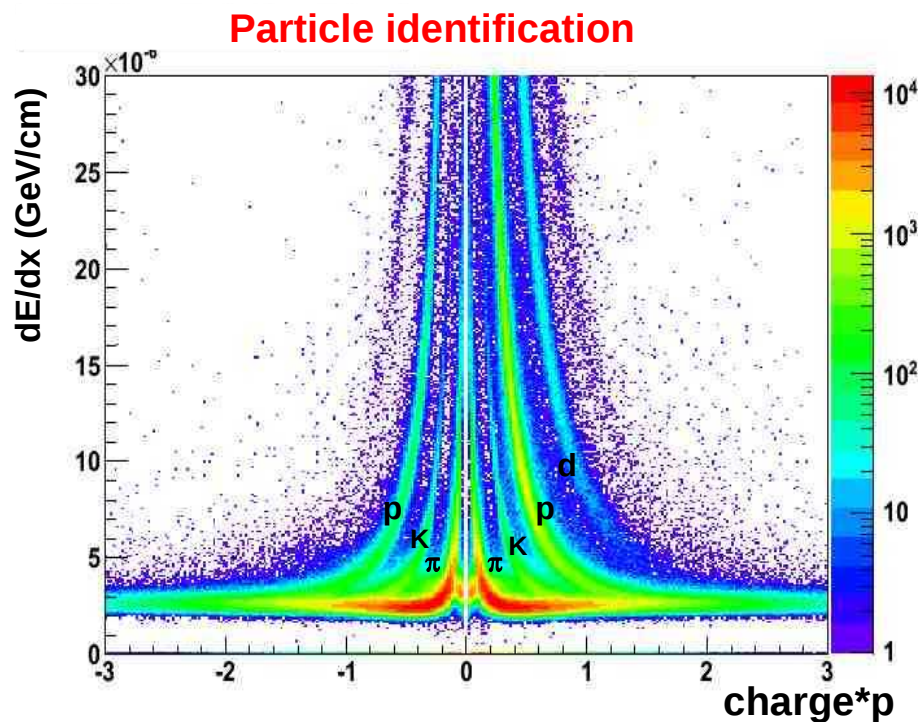
Particle identification with
TPC+TOF
pion/kaon: $p_T \sim 1.6 \text{ GeV}/c$; proton
 $p_T \sim 3.0 \text{ GeV}/c$
Strange hadrons ($K_s^0, \Lambda, \Xi, \Omega$)
reconstructed by the decay
topology

Particle Identification with TPC+TOF



Excellent PID with TPC+TOF

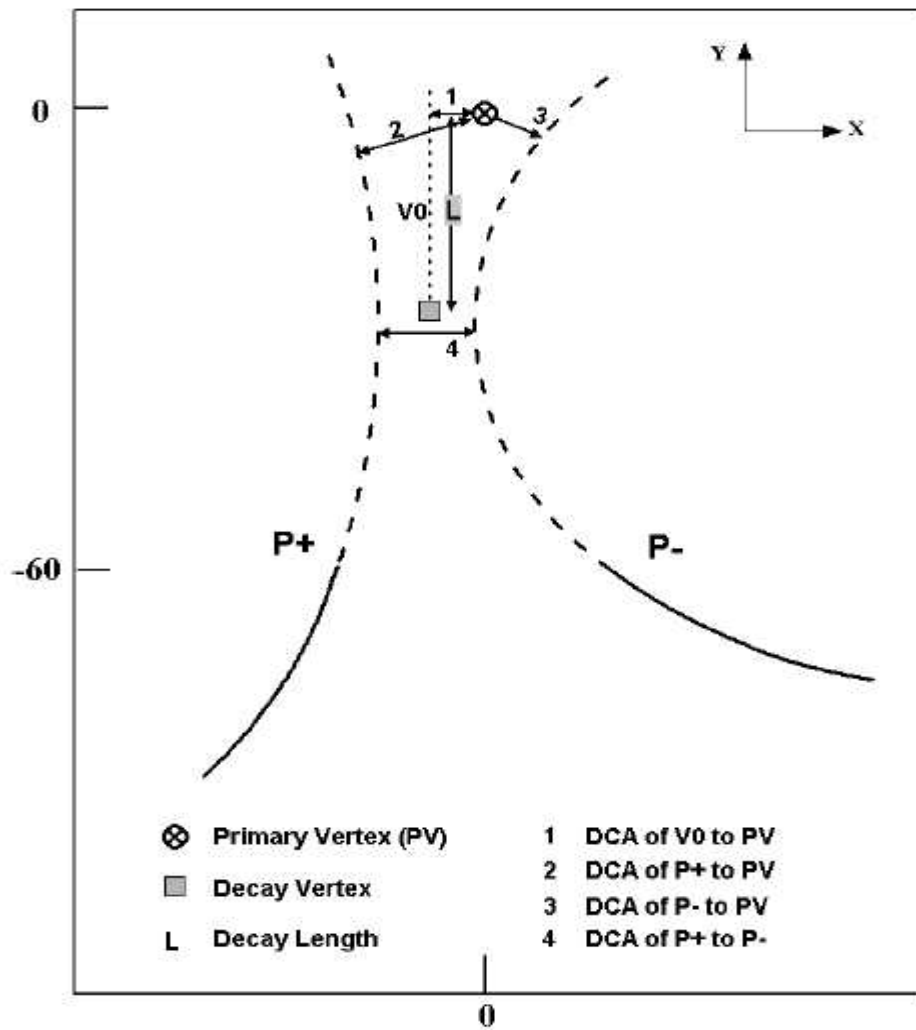
$$m^2 = (p^2 / c^2)(t^2 c^2 / L^2 - 1)$$



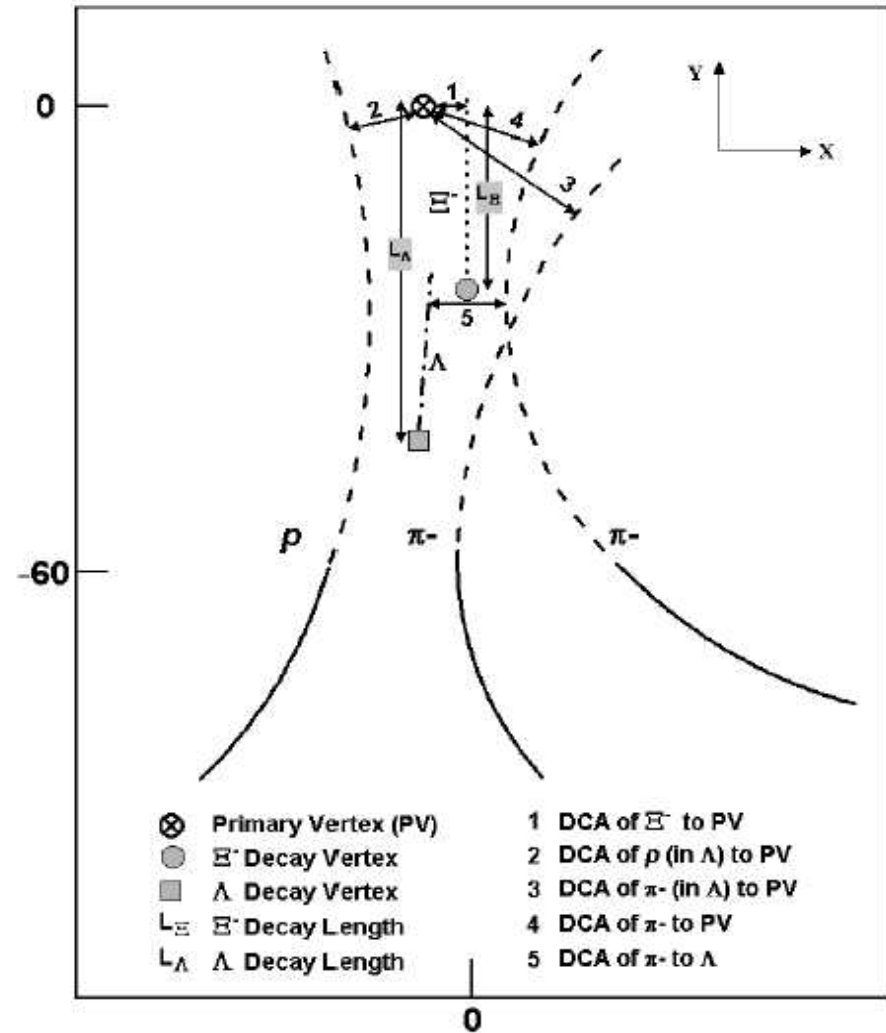
Hyperon Reconstruction



Λ reconstruction



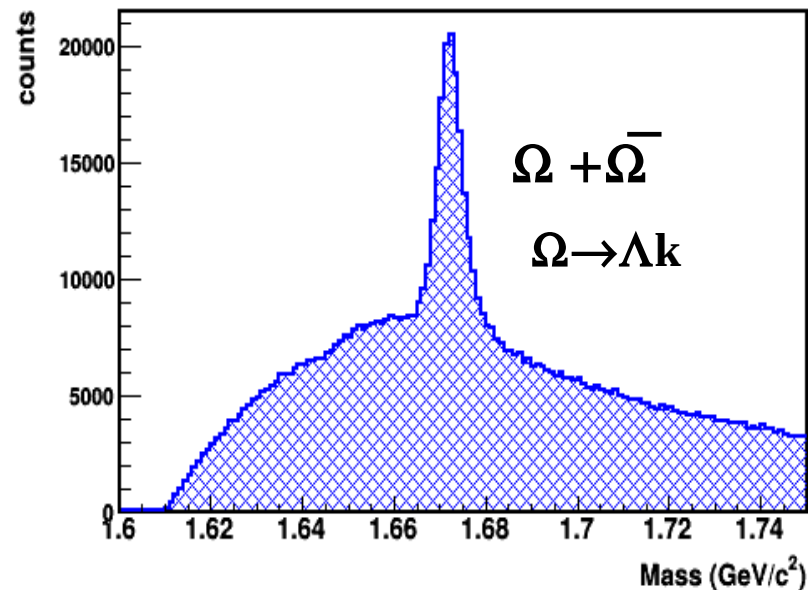
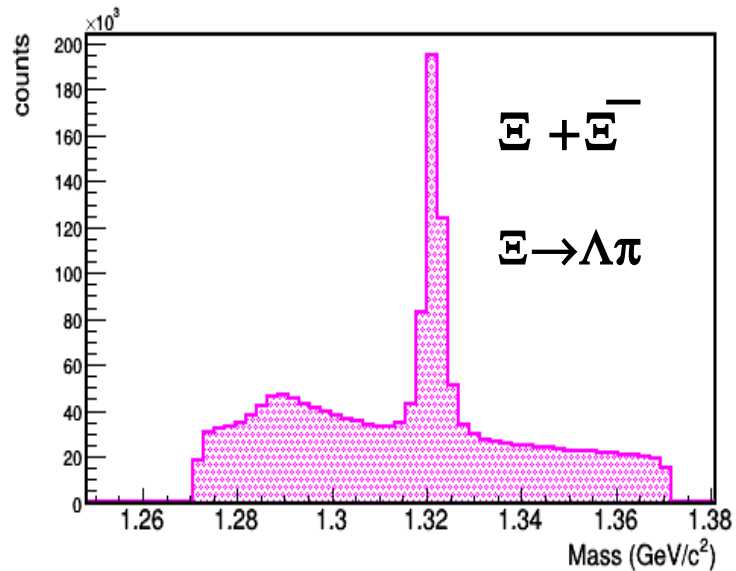
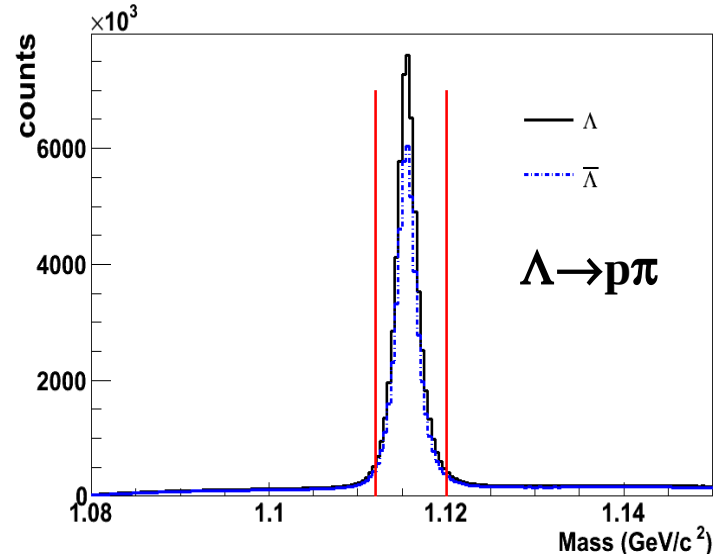
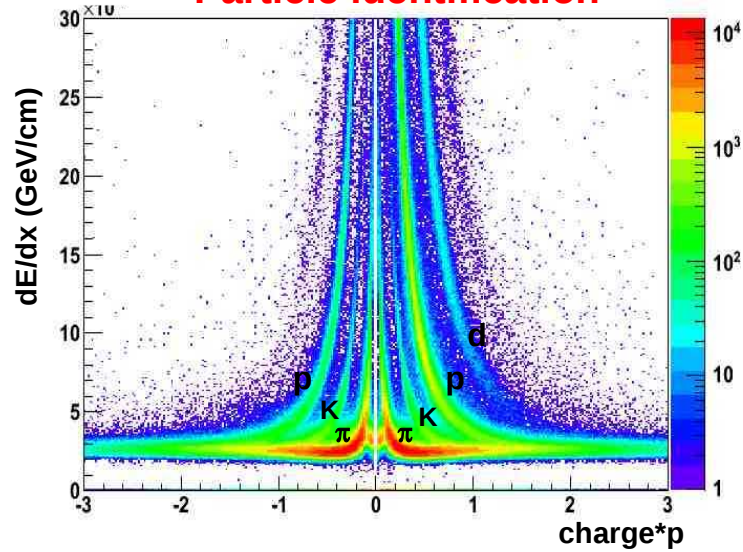
Ξ/Ω reconstruction



Hyperon reconstruction



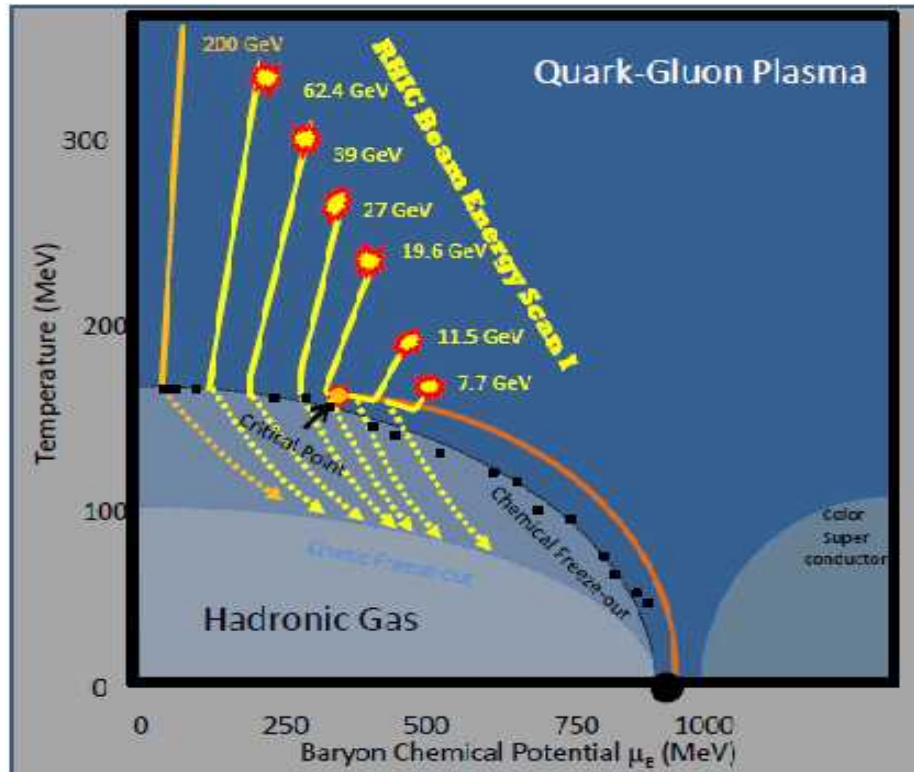
Particle identification





Strangeness Production

STAR BES: Study QCD Phase Diagram



Beam Energy Scan at RHIC:

Look for onset of de-confinement, identify the phase boundary and search for the QCD critical point

Systematic study of Au+Au collisions at 7.7, 11.5, 19.6, 27, 39 GeV (BES phase I)

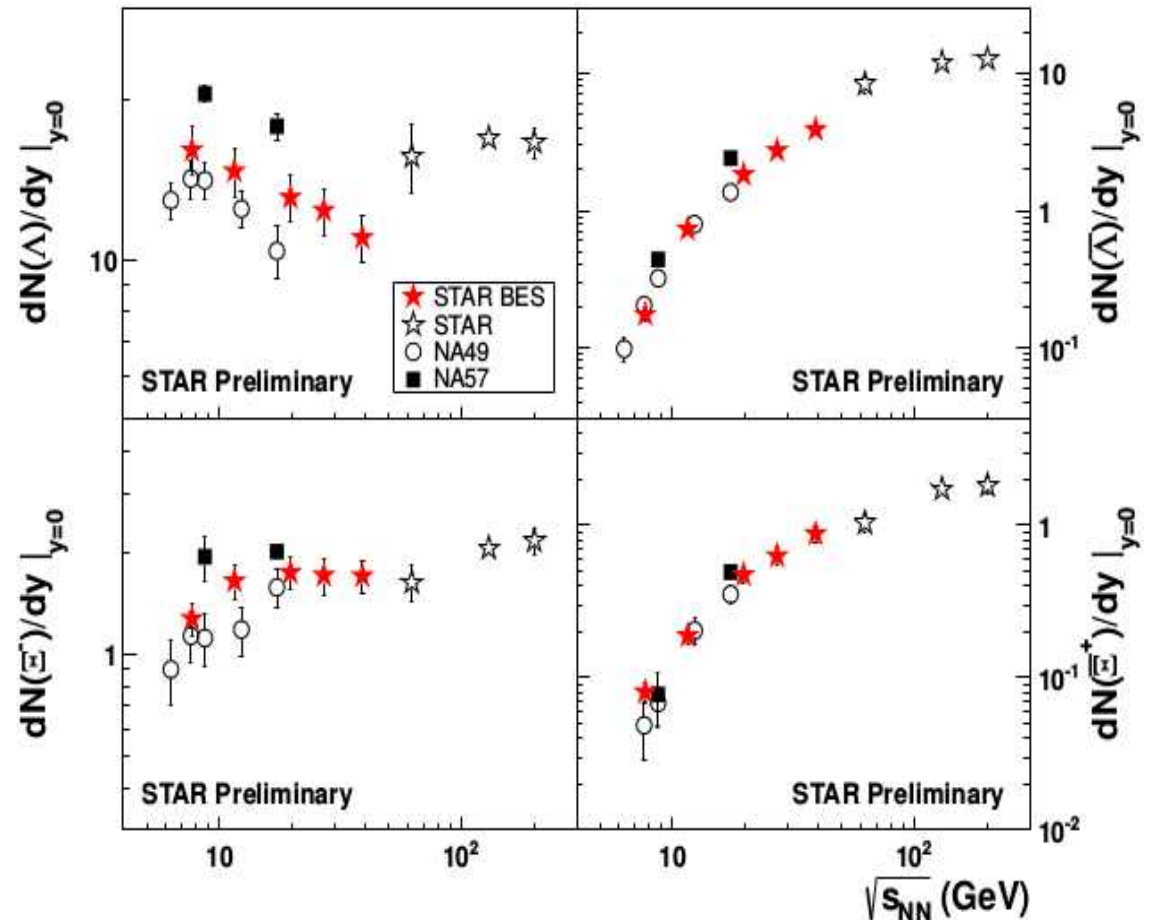
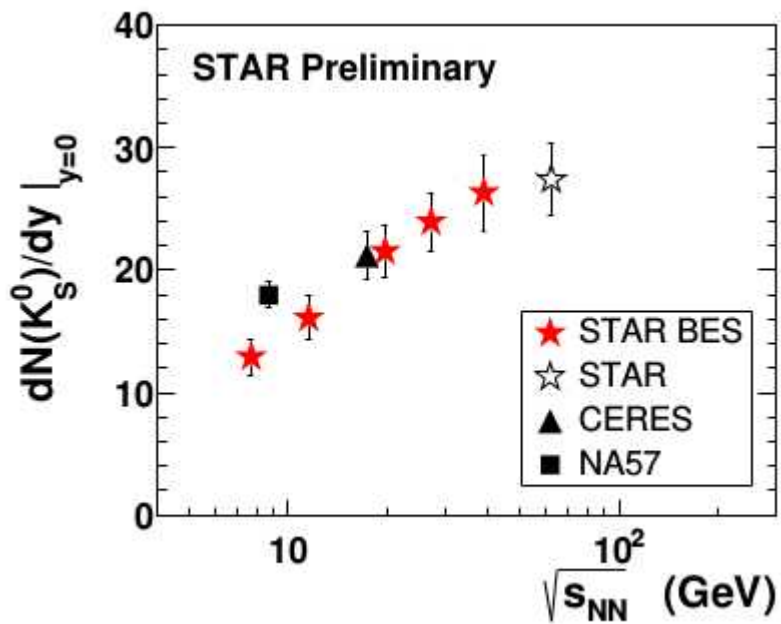
Key Observables:

- 1) Strangeness enhancement
- 2) Baryon/meson ratio
- 3) Nuclear modification factor

Strange Particle Yields



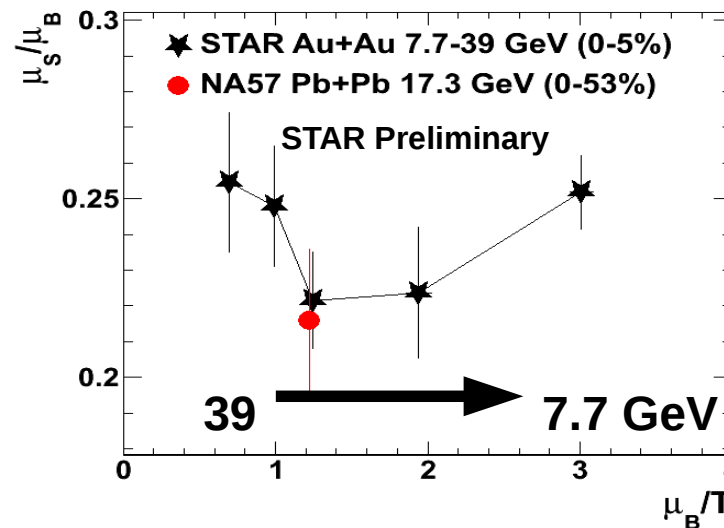
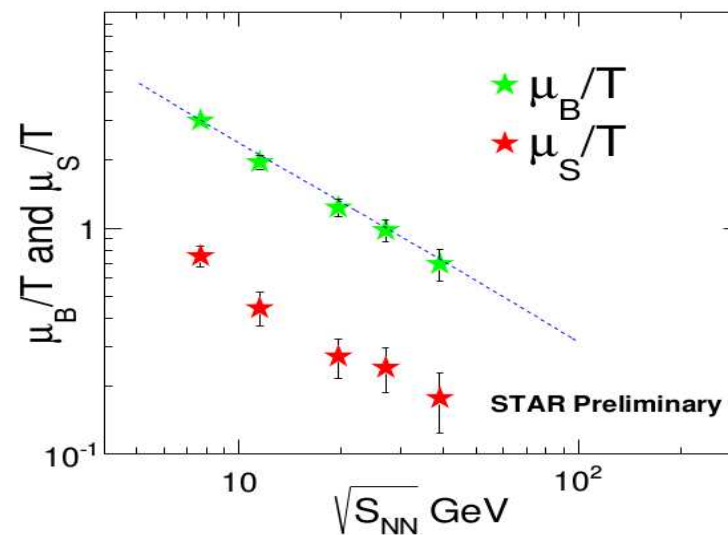
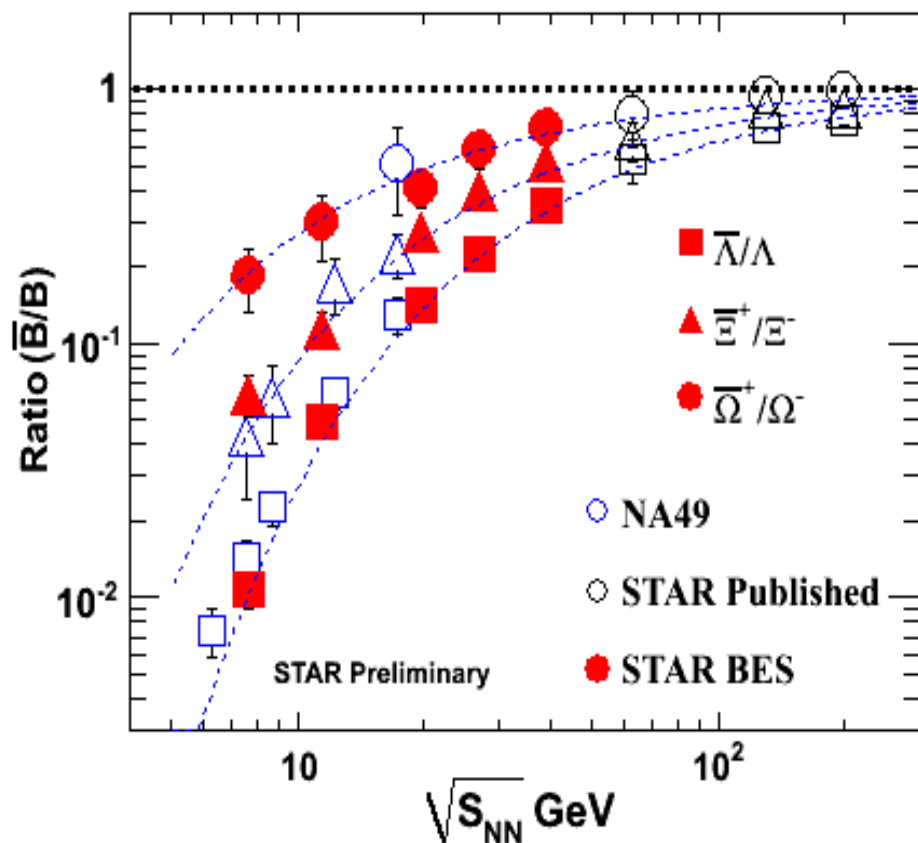
- STAR results are consistent with published data in general
- Λ yields show dip at $\sqrt{s_{NN}} = 39$ GeV



Antibaryon to Baryon Ratio



- Anti-baryon to baryon ratios are consistent with statistical thermal model



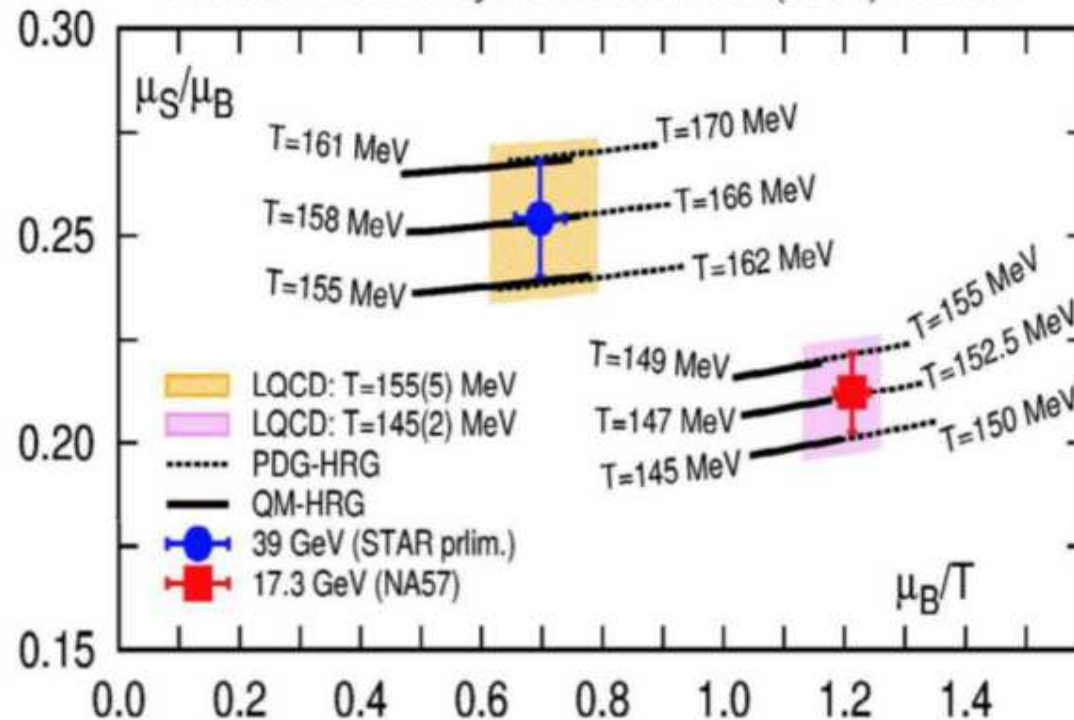
Antibaryon to Baryon Ratio



Strangeness, LQCD and freeze-out in HIC

freeze-out T by comparing μ_S/μ_B from LQCD and expt.

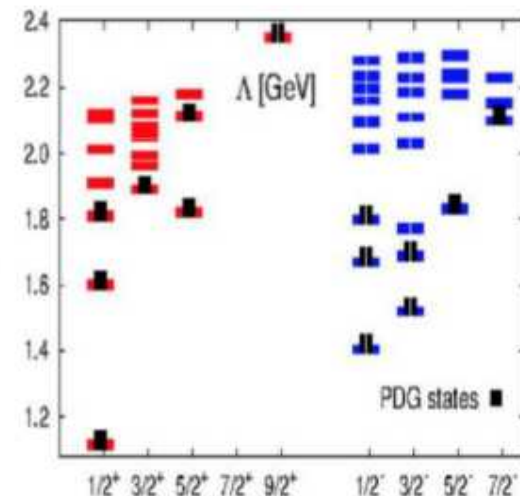
BNL-Bi-CCNU: Phys. Rev. Lett. 113 (2014) 072001



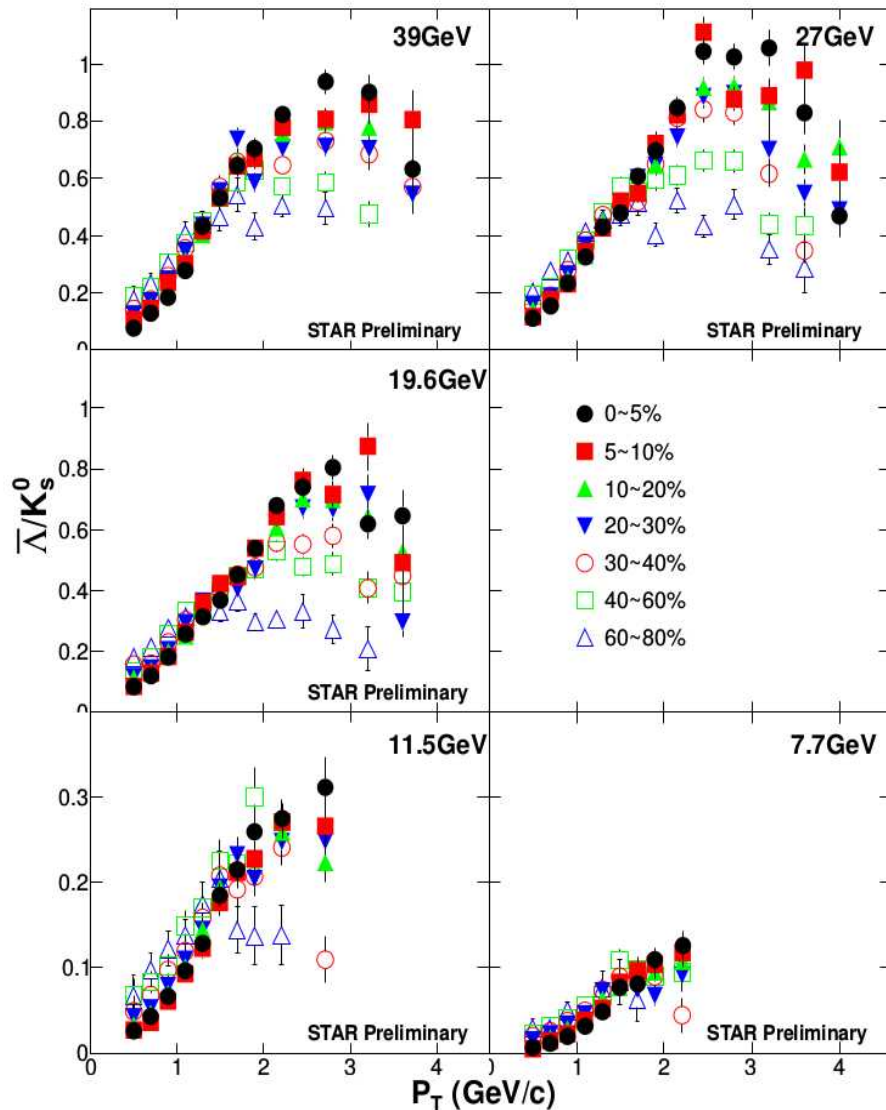
indirect evidence for so-far undiscovered strange baryons at RHIC ?

not reproduced by hadron gas with only PDG states

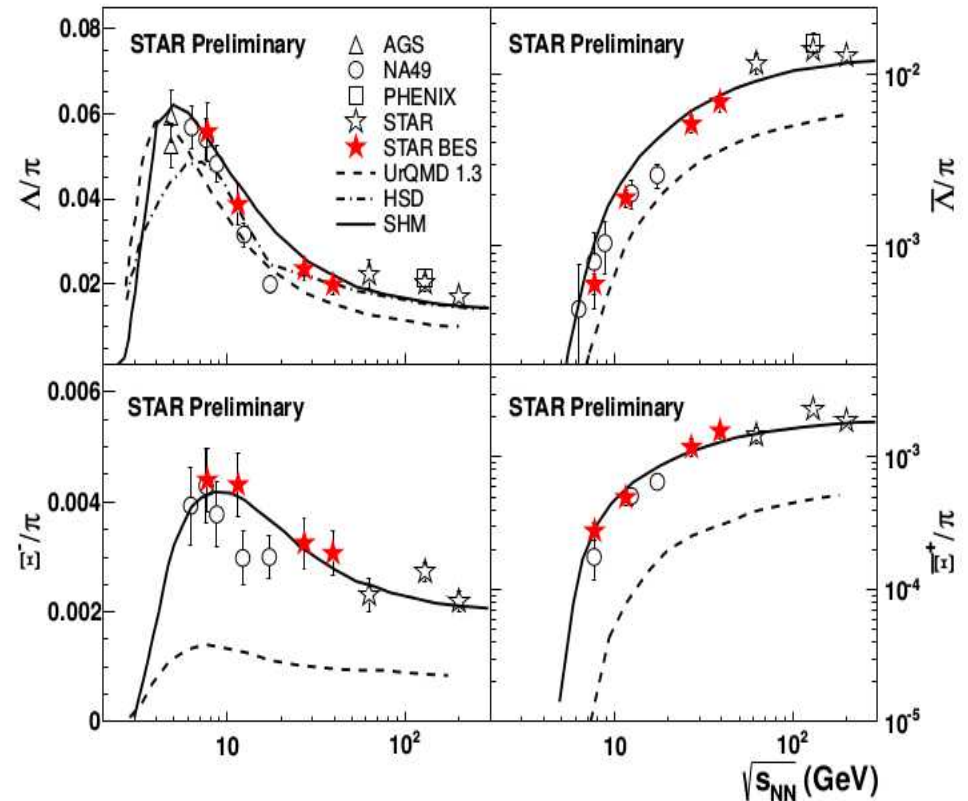
reproduced when additional Quark Model (QM) predicted strange baryons are taken into account



Baryon to Meson Ratio



➤ Clear $\bar{\Lambda}, \bar{E}$ yield enhancement compared to pion with increasing collision energy

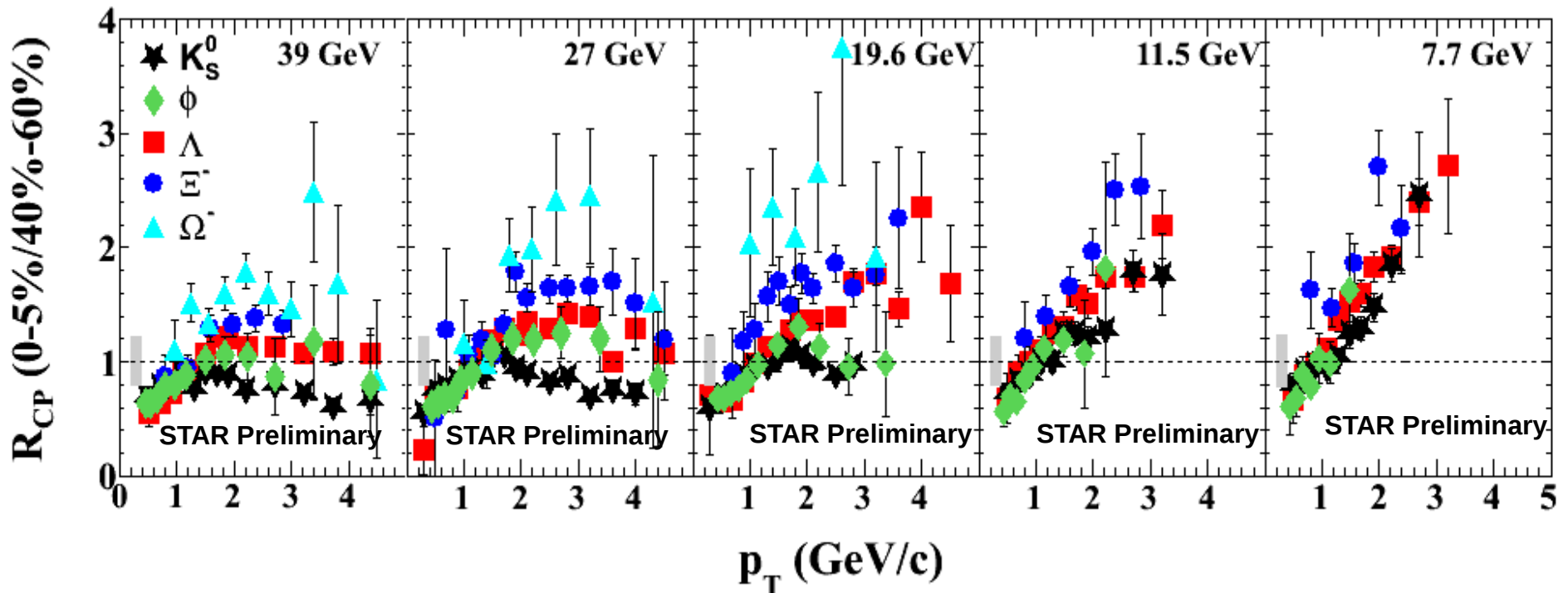


Nuclear Modification Factor



$$R_{CP}(p_T) = \frac{[d^2\sigma / (N_{bin} p_T dp_T dy)]_{central}}{[d^2\sigma / (N_{bin} p_T dp_T dy)]_{peripheral}}$$

- No K_s^0 suppression in Au+Au @ 7.7, 11.5
- At intermediate p_T , particle R_{CP} difference becomes smaller for 7.7 and 11.5 GeV



Summary – I: Strangeness Production



- STAR has measured systematically the production of various strange hadrons in $\sqrt{s_{NN}} = 7.7 - 39$ GeV
- Observed clear $\Lambda, \bar{\Xi}$ yield enhancement compared to pions with increasing collision energy
- Intermediate p_T nuclear modification factors show clear separation between different strange particles for 200 – 19.6 GeV
- Below 19.6 GeV, the separation between different strange particles becomes small → indicating possible phase transition



Hypertriton Life-time

Hypertriton Life-time Measurement



- ✓ First hyper nucleus was observed in 1952.
- ✓ Binding energy and lifetime are sensitive to YN interaction.
- ✓ The hypertriton being a loosely-bound nuclear system, its mean lifetime should be close to the free Lambda
- ✓ Life time measurements from Bubble chamber, emulsion and heavy-ion experiments are smaller than the free Λ life time.
- ✓ The hypertriton lifetime data are not accurate to distinguish between model, more precise measurements are needed.

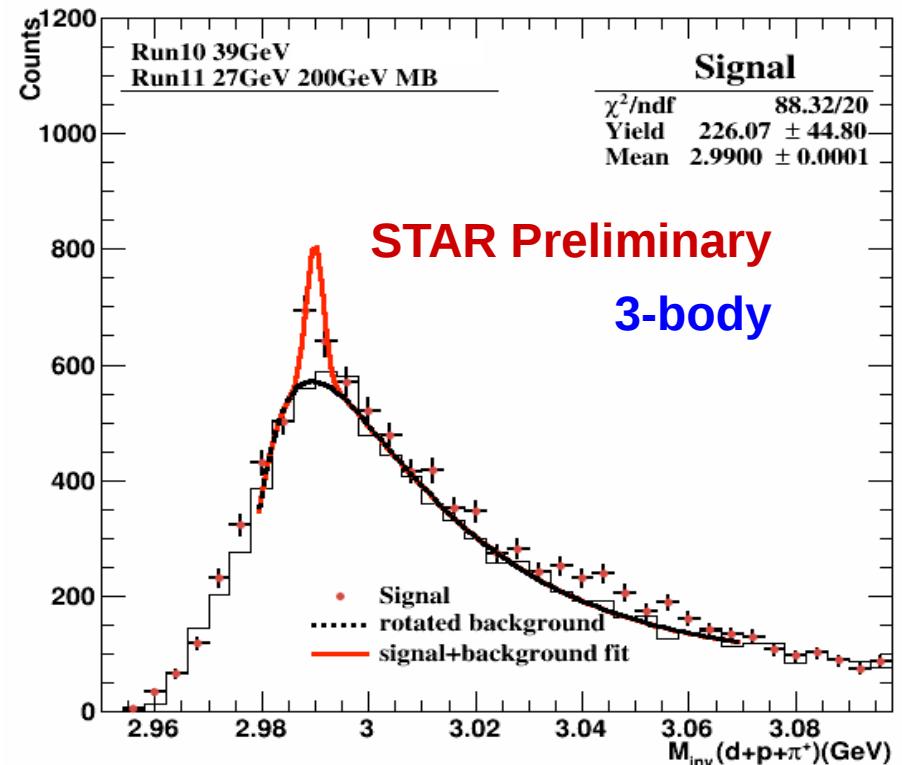
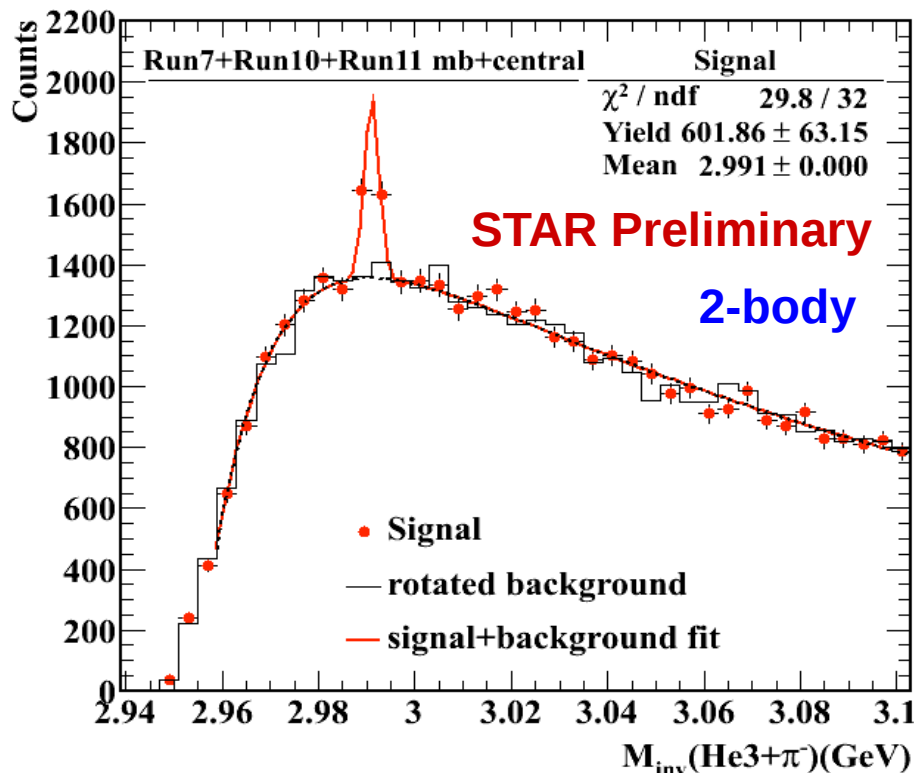
Hypertriton life-time measurement



$$\tau = 182^{+89}_{-45} \text{ (stat)} \pm 27 \text{ (sys)} \text{ ps (Science 328 (2010) 58)}$$

✓ Signal from 2-body and 3-body decay

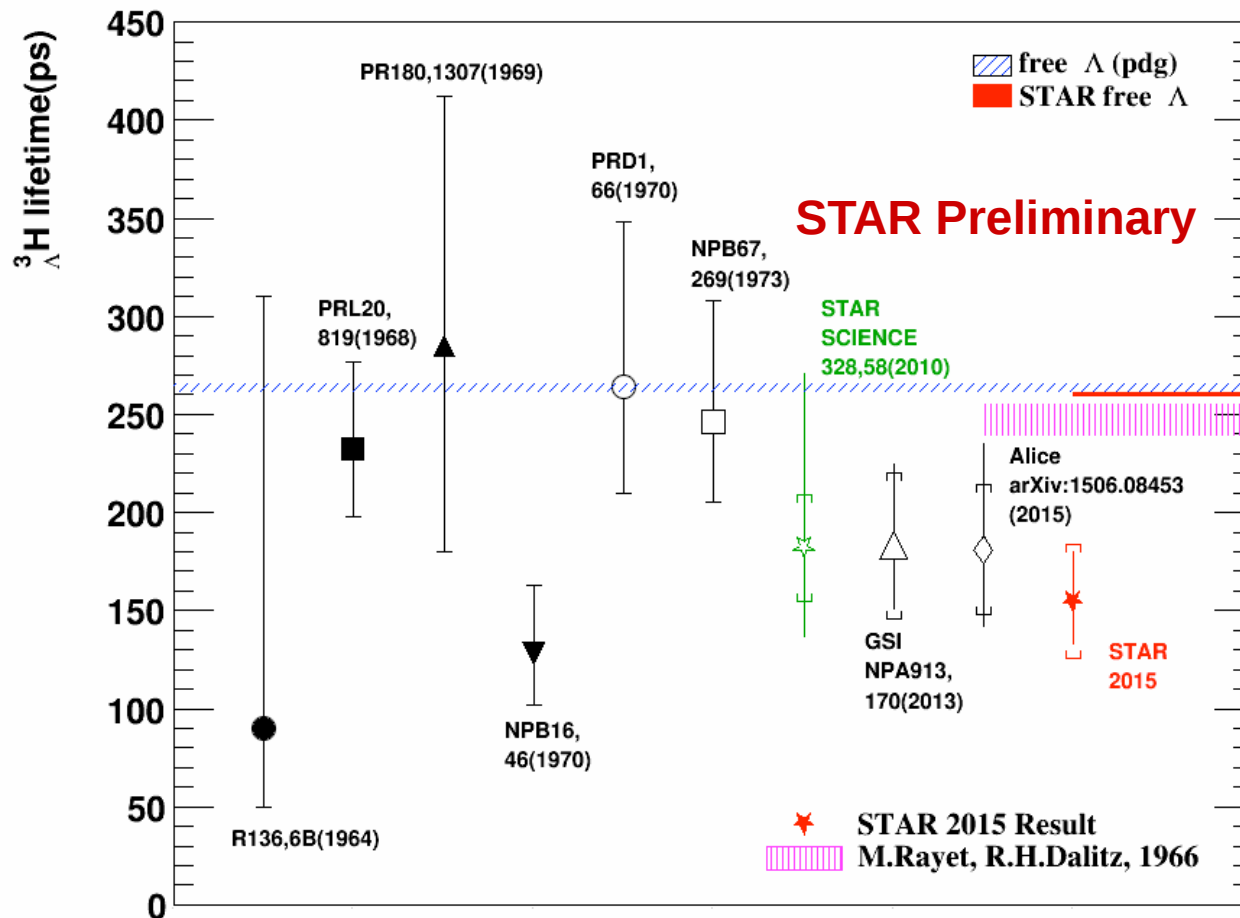
✓ Largest sample of hypertriton



Summary – II : Hypertriton Life-time



$$\tau = 155^{+25}_{-22} \text{ (stat)} \pm 29 \text{ (sys)} \text{ ps}$$





Baryon-Baryon Interactions

Baryon-Baryon Interactions



- Baryon interactions are of fundamental interest in Nuclear Physics and Astrophysics
- Neutron Star puzzle
- Interactions between pair of anti-particles → examine CPT
- $\Lambda\Lambda$ - ΣN Coupling is important to understand production of double- Λ hypernuclei
- Methods:
 - Scattering
 - Binding Energies
 - Two particle correlation

Correlation Function



➤ Two particle correlation function

$$C_{\vec{K}}^{ab}(\vec{q}) = \frac{d^6 N^{ab} / (dp_a^3 dp_b^3)}{(d^3 N^a / dp_a^3)(d^3 N^b / dp_b^3)} = \int d^3 r' \cdot S_{\vec{K}}^{ab}(\vec{r}') \cdot |f(\vec{q}, \vec{r}')|^2$$

$S_{\vec{K}}^{ab}(\vec{r}')$ – normalized separation distribution

$f(\vec{q}, \vec{r}')$ – two-particle wave function, $\vec{q} = 2\vec{k}^*$

(quantum statistics, FSI: Coulomb int., Strong int.)

Standard procedure:

$$C_{\vec{K}}^{ab}(\vec{k}^*) = \int d^3 r' \cdot S_{\vec{K}}^{ab}(\vec{r}') \cdot |f(\vec{k}^*, \vec{r}')|^2$$

s-wave approximation

$$\exp(-i \vec{k}^* \cdot \vec{r}) + f \frac{\exp(i \vec{k}^* \cdot \vec{r})}{r}$$

effective range approximation

$$f^{-1} = \frac{1}{f_0} + \frac{1}{2} d_0 k^{*2} - i k^*$$

Reversed procedure:

$$C_{\vec{K}}^{ab}(\vec{k}^*) = \int d^3 r' \cdot S_{\vec{K}}^{ab}(\vec{r}') \cdot |f(\vec{k}^*, \vec{r}')|^2$$

Interaction Cross-section



At low energies, the elastic cross section, σ_e , is solely determined by the scattering length,

$$\lim_{k \rightarrow 0} \sigma_e = 4\pi f_0^2$$

where k is the wave number.

The effective range d_0 of strong interaction between two particles correspond to the range of the potential in an extremely simplified scenario - the square well potential.

The f_0 and d_0 are two important parameters in characterizing the strong interaction between two particles.



Λ - Λ interaction

ΛΛ Correlation Function



Fit function from Lednicky-Lyuboshitz analytical model:

$$C(Q) = N(1 + \lambda [\sum_s \rho_s (-1)^s \exp(-r_0^2 Q^2) + \Delta CF^{FSI} + a_{res} \exp(-Q^2 r_{res}^2)]) \quad (\text{SJNP 35 (1982) 770})$$

N- normalization, λ – suppression parameter, a_{res} – amplitude of residual term
 r_{res} – width of the Gaussian

$$\rho_0 = \frac{1}{4}(1 - P^2) \quad \rho_1 = \frac{1}{4}(3 + P^2) \quad P = \text{Polariz.} = 0$$

$$\Delta CF^{FSI} = 2\rho_0 \left[\frac{1}{2} |f^0(k)/r_0|^2 (1 - d_0^0 / (2r_0 \sqrt{\pi})) + 2 \text{Re}(f^0(k)/(r_0 \sqrt{\pi})) F_1(r_0 Q) - 2 \text{Im}(f^0(k)/r_0) F_2(r_0 Q) \right]$$

r_0 - emission radius, d_0 - effective radius, f_0 – scattering length

$$\text{Scattering amplitude: } f^s(k) = (1/f_0^s + \frac{1}{2} d_0^s k^2 - ik)^{-1}, \quad k = Q/2$$

$$F_1(z) = \int_0^z dx \exp(x^2 - z^2)/z \quad F_2(z) = [1 - \exp(-z^2)]/z$$

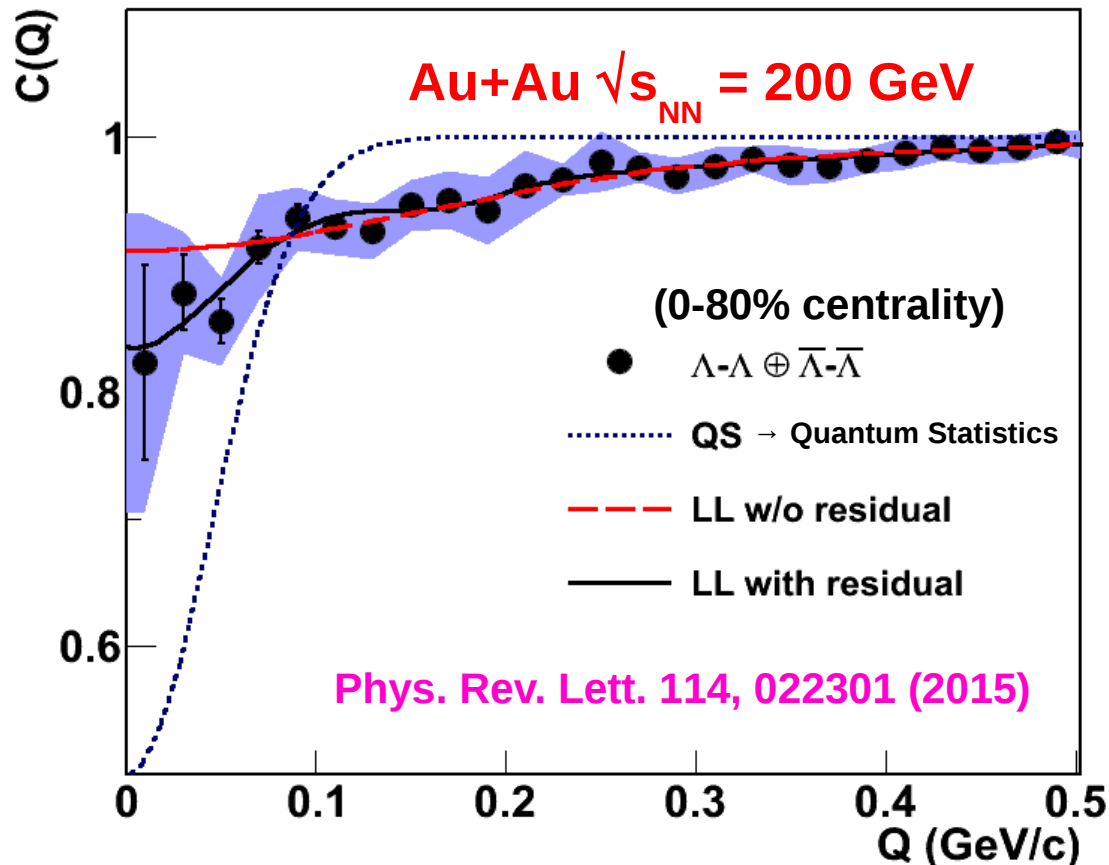
$\Lambda\Lambda$ Correlation Function



Fit using Lednicky-Lyuboshitz analytical model:

$$C(Q) = N(1 + \lambda[\sum_s \rho_s (-1)^s \exp(-r_0^2 Q^2) + \Delta CF^{FSI} + a_{res} \exp(-Q^2 r_{res}^2)]) \quad (\text{SJNP 35 (1982) 770})$$

N- normalization, λ – suppression parameter



➤ Interaction parameters:

Emission radius-
 $r_0 = 2.96 \pm 0.38^{+0.96}_{-0.02}$ fm

Scattering length-
 $a_0 = -1.10 \pm 0.37^{+0.68}_{-0.08}$ fm

Effective range-
 $r_{eff} = 8.52 \pm 2.56^{+2.09}_{-0.74}$ fm

$\chi^2/\text{NDF} = 0.56$

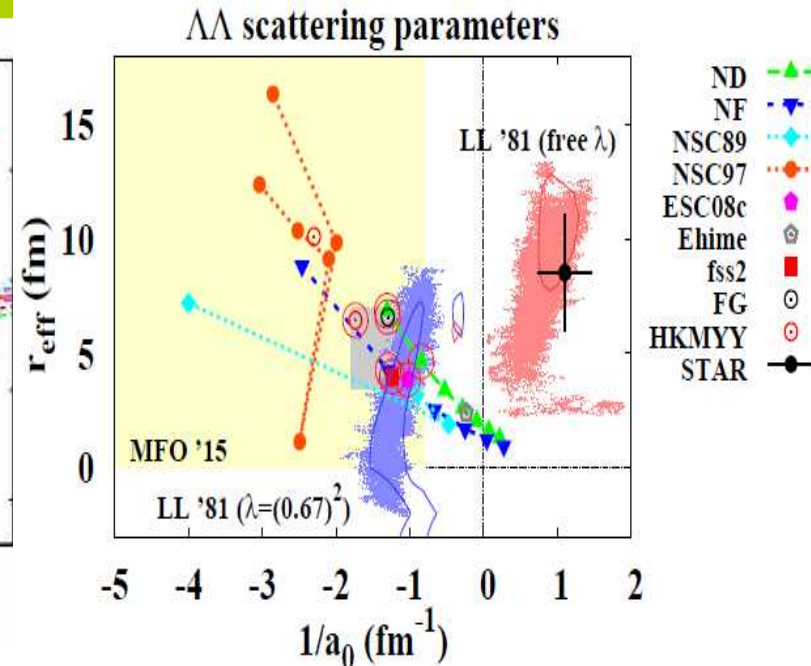
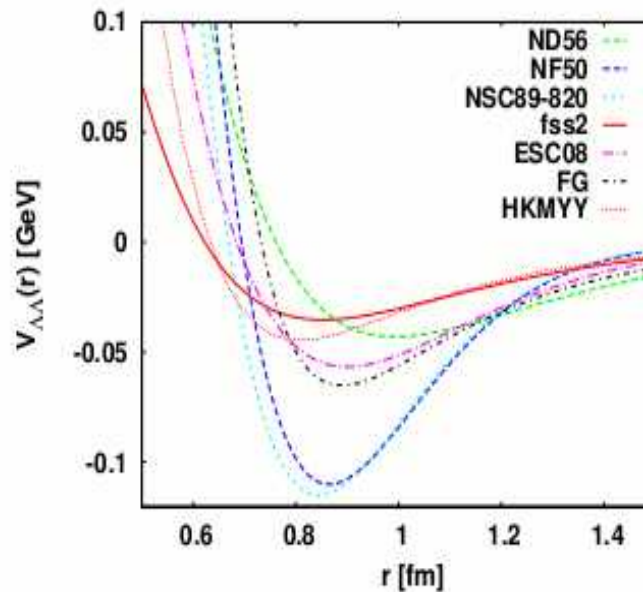
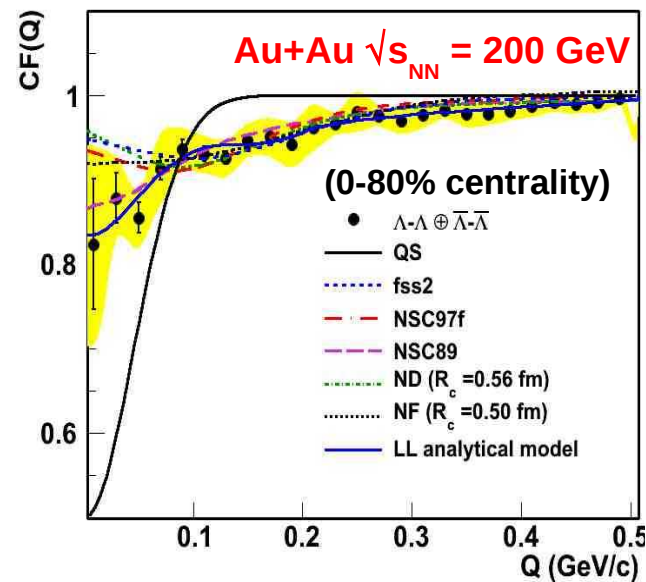
$\Lambda\Lambda$ Interaction Parameters



Baryon-baryon interaction model \Rightarrow attractive potential

A rather weak interaction exists between $\Lambda\Lambda$ compared to NN and $p\Lambda$

$$|a_{\Lambda\Lambda}| < |a_{p\Lambda}| < |a_{NN}|$$



STAR Collaboration, Phys. Rev. Lett 114, 022301 (2015)

K. Morita, T. Furumoto and A. Ohnishi, Phys. Rev. C 91 024916 (2015)

A. Ohnishi, HYP2015 Proceedings

H-dibaryon Signal from Coalescence Expectation

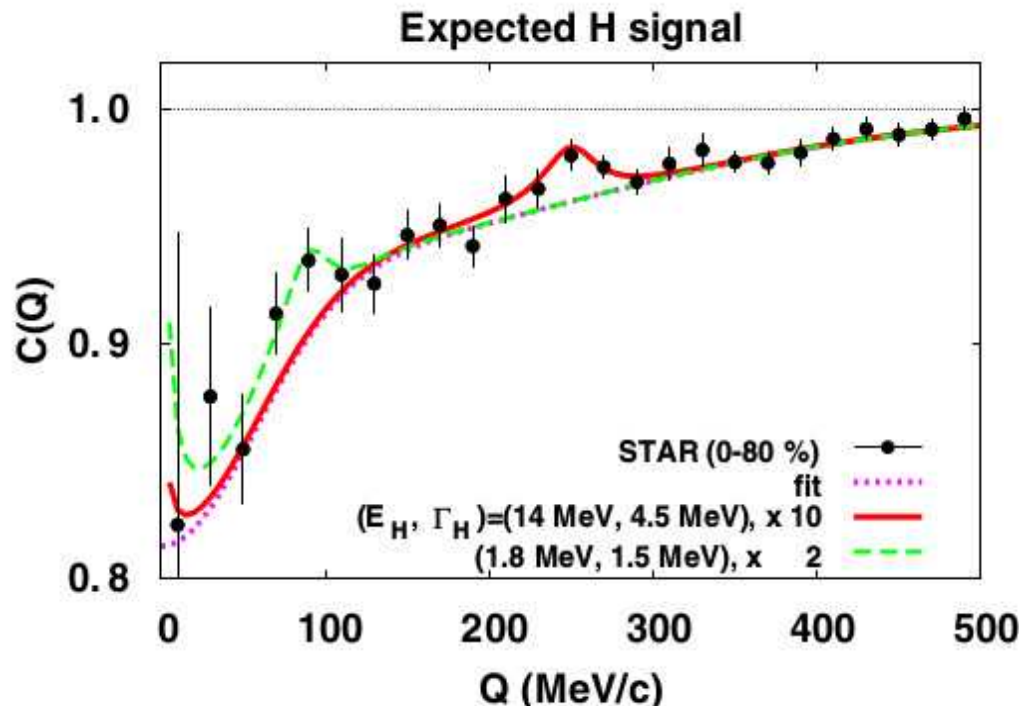


- Assuming H-dibaryon are stable against strong decay and are produced through coalescence of Λ pairs:

$$(1/2\pi p_T)d^2N_H/dp_T dy = 16B ((1/2\pi p_T)d^2N_\Lambda/dp_T dy)^2 ,$$

where B is coalescence fraction. (Phys. Lett. B 350 (1995) 147)

$$\text{Integrated yield } (dN_H/dy) = (1.23 \pm 0.47_{\text{stat}} \pm 0.61_{\text{sys}}) \times 10^{-4}$$



- More experimental events are necessary to confirm or rule out the existence of resonance pole in low Q region

K. Morita, T. Furumoto and A. Ohnishi, Phys. Rev. C 91 024916 (2015)



Antiproton-Antiproton interaction

AntiProton-AntiProton Correlation



Correlation function:

$$C_{meas}(k_{pp}^*) = 1 + x_{pp}[C_{pp}(k^*; R_{pp}) - 1] + x_{p\Lambda}[\tilde{C}_{p\Lambda}(k_{pp}^*; R_{p\Lambda}) - 1] + x_{\Lambda\Lambda}[\tilde{C}_{\Lambda\Lambda}(k_{pp}^*; R_{\Lambda\Lambda}) - 1]$$

$$\tilde{C}_{\Lambda\Lambda}(k_{pp}^*) = \sum_{k_{\Lambda\Lambda}^*} C_{\Lambda\Lambda}(k_{\Lambda\Lambda}^*) T(k_{\Lambda\Lambda}^*, k_{pp}^*)$$

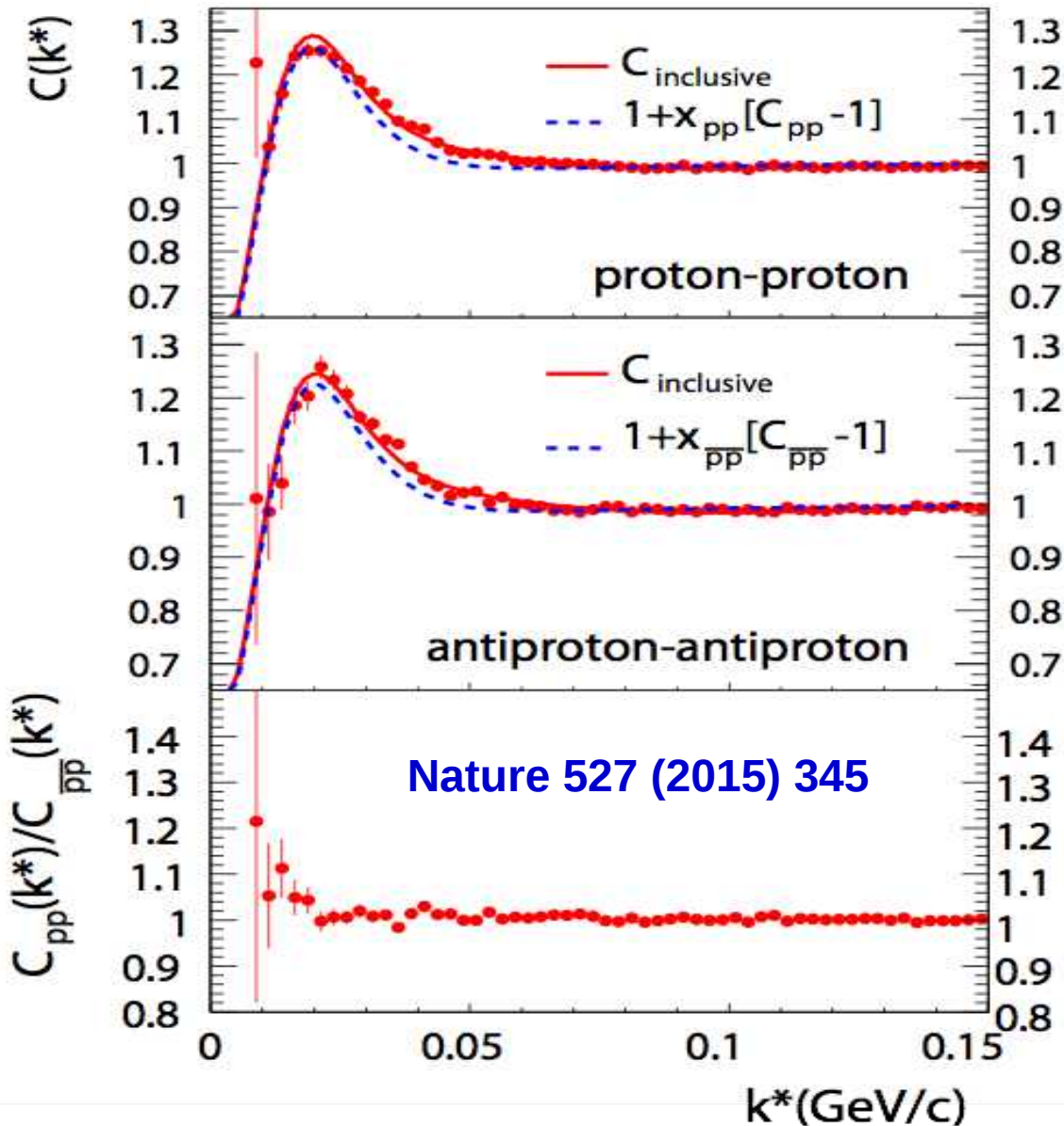
$$\tilde{C}_{p\Lambda}(k_{pp}^*) = \sum_{k_{p\Lambda}^*} C_{p\Lambda}(k_{p\Lambda}^*) T(k_{p\Lambda}^*, k_{pp}^*)$$

where $C_{pp}(k^*)$ and $C_{p\Lambda}(k_{p\Lambda}^*)$ are calculated by the Lednicky-Lyuboshitz model and $C_{\Lambda\Lambda}(k_{\Lambda\Lambda}^*)$ is taken from STAR measurement.

$$R_{p\Lambda} = R_{\Lambda\Lambda} = R_{pp}$$

$T(k^*, k^*)$ is the corresponding transform matrices generated by THERMINATOR2 model to transform the $k_{p\Lambda}^*$ to k_{pp}^* or $k_{\Lambda\Lambda}^*$ to k_{pp}^* .

Antiproton-Antiproton Correlation

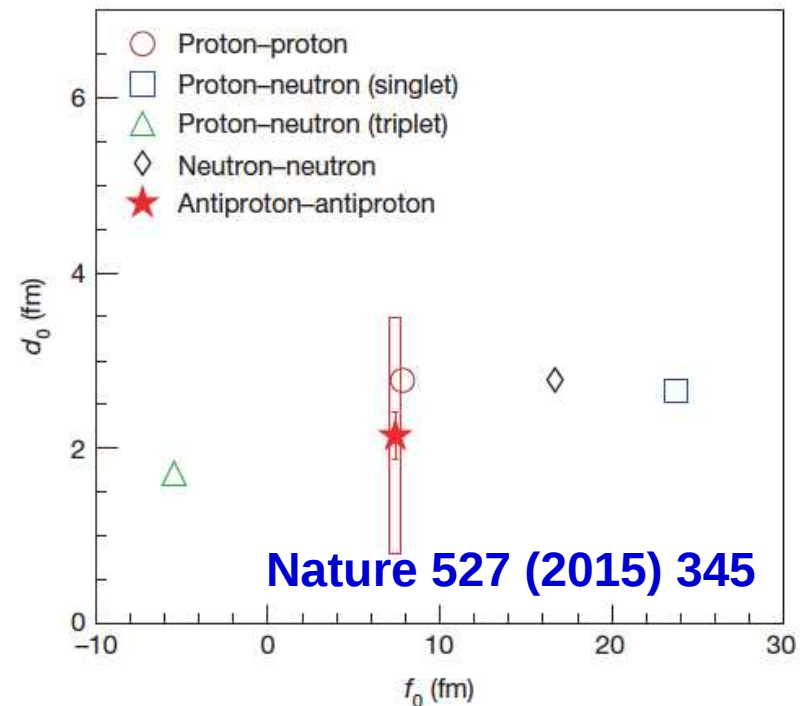


Proton-proton:

$R = 2.75 \pm 0.01 \text{ fm}; \chi^2/\text{NDF} = 1.66$

Antiproton-Antiproton:

$R = 2.80 \pm 0.02 \text{ fm}, f_0 = 7.41 \pm 0.19 \text{ fm},$
 $d_0 = 2.14 \pm 0.27 \text{ fm}; \chi^2/\text{NDF} = 1.61$





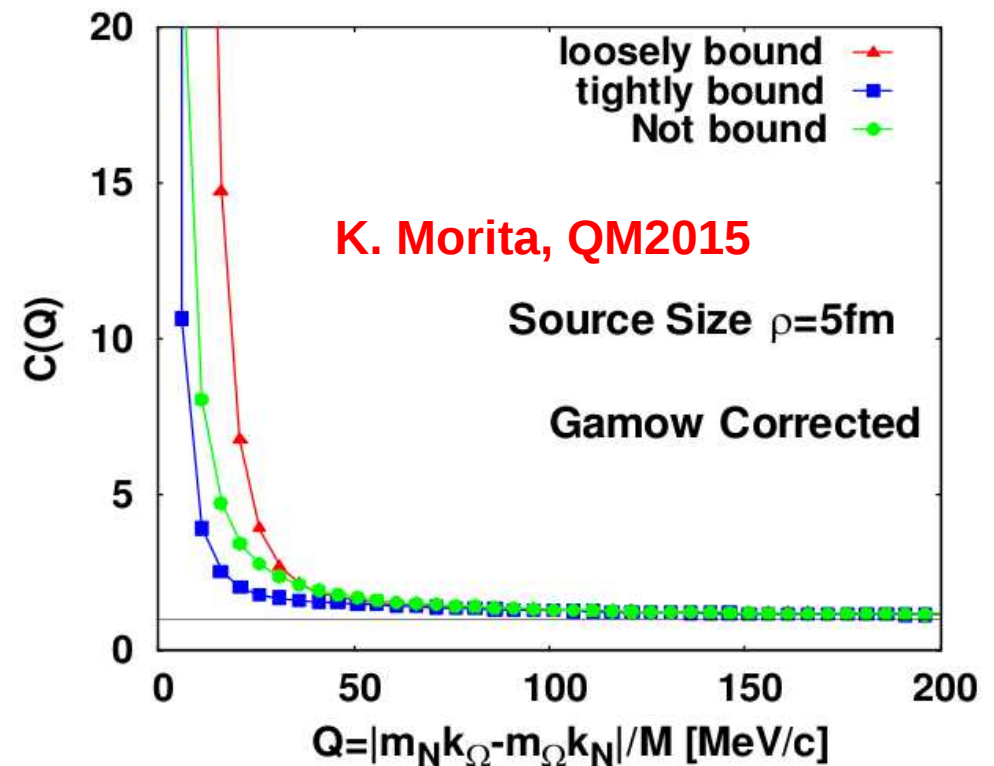
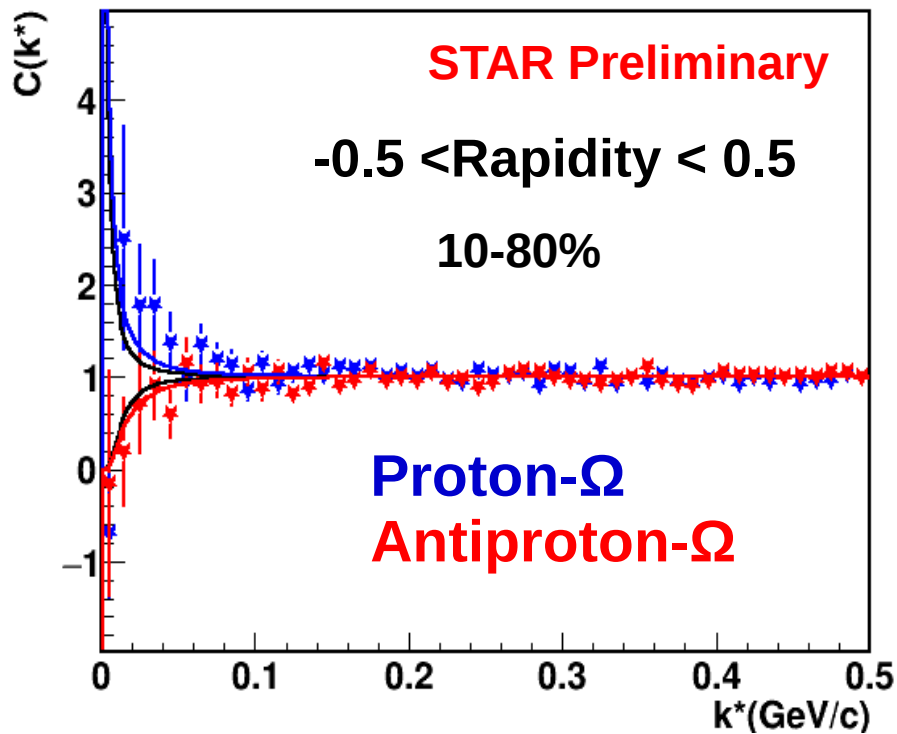
Proton- Ω Correlation Function

Proton- Ω Correlation Function



➤ N- Ω potential may be attractive to form a bound state

Phy. Rev. Lett. 59 (1987) 627, Phy. Rev. C 69 (2004) 065207,
Phy. Rev. C 70 (2004) 035204, Nucl. Phys. A 928 (2014) 89



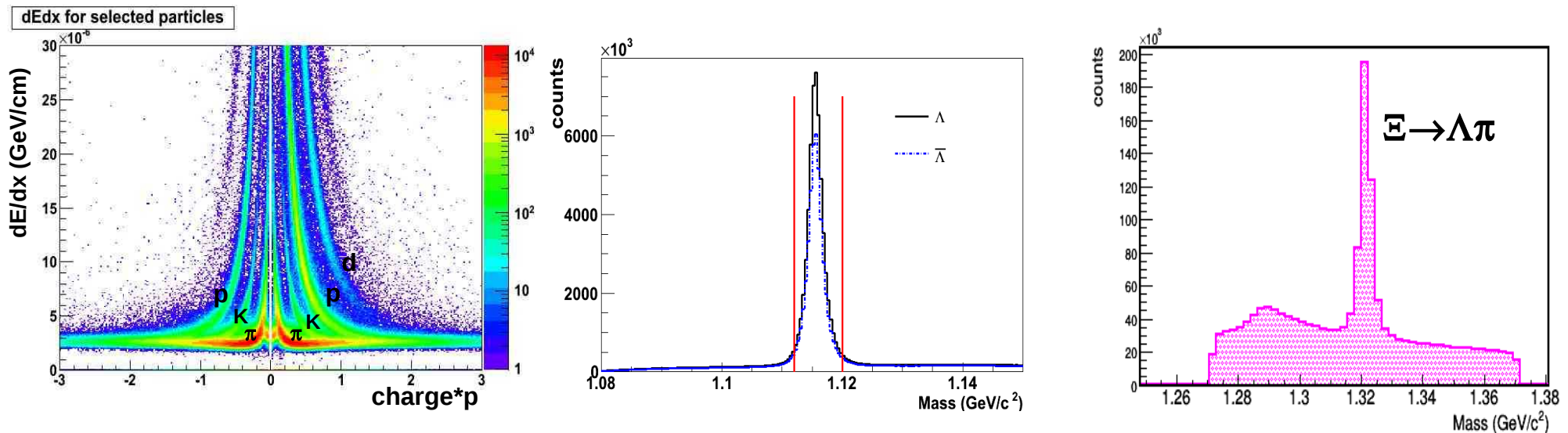
Other Correlation Function



- Proton- Ξ : $\Lambda\Lambda$ - ΞN Coupling is important to understand production of double- Λ hypernuclei
- Deuteron- Λ : Deeply bound kaonic states and to understand neutron- Λ interactions

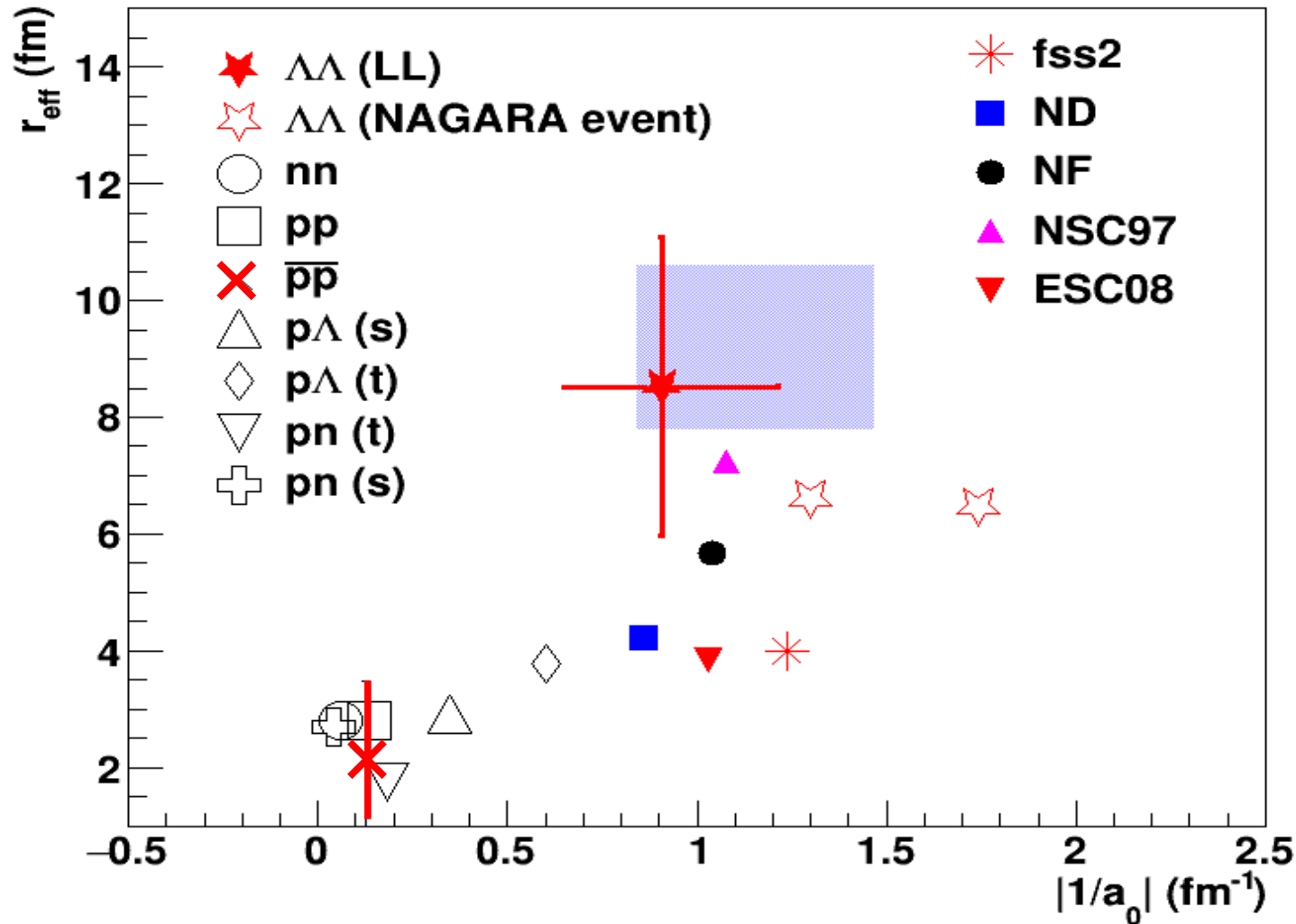
For $k^* < 0.5$ GeV/c we have

- 20K pair of Proton- Ξ for 0-5% centrality in 200 M MB Au+Au events
- 26K pair of deuteron- Λ for 0-80 % centrality in 100 M MB Au+Au events



- Work is in progress for Proton- Ξ and deuteron- Λ correlation functions
- Stay tuned for more results!**

Summary – II: Interaction Parameters for Baryon-Baryon



n-n Phys. Lett B, 80 (1979) 187
 p-n Phys. Rev. C 66 (2002) 047001
 p-p Mod. Phys. 39 (1967) 584

p- Λ Phys. Rev. Lett. 83 (1999) 3138
 $\Lambda\Lambda$ Phys. Rev. C 66 (2002) 024007
 $\Lambda\Lambda$ Nucl. Phys. A 707 (2002) 491

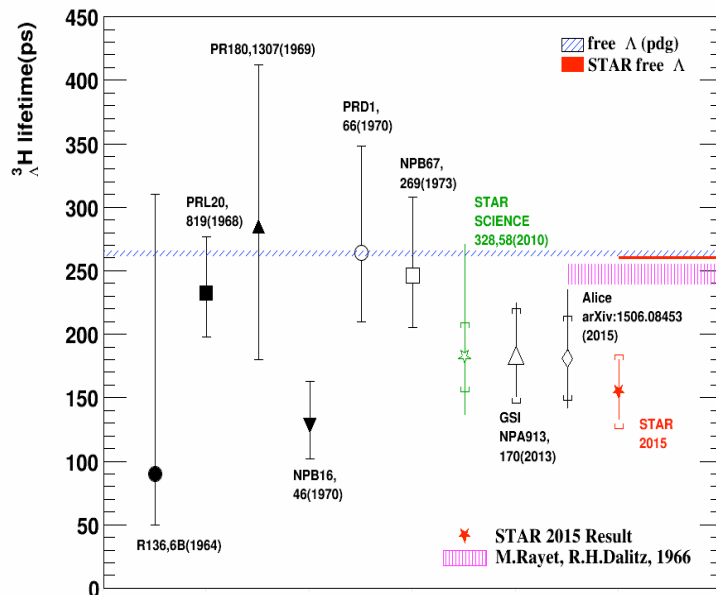
Phys. Rev. Lett 114, 022301 (2015)
 Phys. Rev. C 91 024916 (2015)
 Nature 527 (2015) 345

Summary

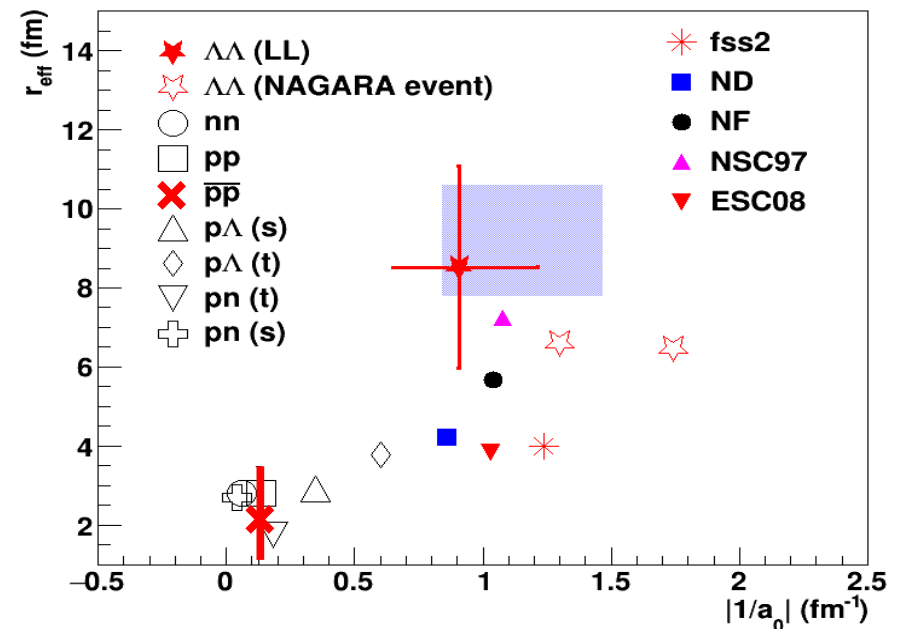


- Clear Λ, Ξ^- yield enhancement compared to pions with increasing collision energy
- Intermediate p_T nuclear modification factors show clear separation between different strange particles for 200 – 19.6 GeV
- Below 19.6 GeV, the separation between different strange particles becomes small → indicating possible phase transition

Hypertriton life-time



BB-Interaction Parameters





Thank you!

NS