### Density-Functional Approach to Nano- and Bio-Materials

Carbon Nanotubes on Metal and Si Surfaces

 Chemical bonding/Electron transfer at interfaces modulate their propertie

[ Okada & Oshiyama: PRL 95, 206804 (2005), Berber & Oshiyama: PRL 96, 105505 (2006) ]

- Double Walled CNT as a Nano-Capacitor
  - Quantum effects on capacitance in an ultimate nano-capacitor

[Uchida, Okada, Shiraishi & Oshiyama: PRB 76, 155436 (2007)]

- New Form of Ice in CNT
  - A template to forge a new structure

[Kurita, Okada & Oshiyama: PRB 75, 205424 (2007)]

Proton Transfer in Cytochrome c Oxidase

DFT-based Molecular Dynamics tackles biochemical reactions

[Kamiya, Boero, Tateno, Shiraishi & Oshiyama: J Am Chem Soc 129, 9663 (2007) ]

# Density Functional Theory (DFT)

The total energy of an interacting electron system under nuclear potentials  $v_{nucl}$  with its electron density *n* is <u>exactly</u> given by:

$$E[n] = \langle \Psi | T + V \text{nucl} + V \text{ee} | \Psi \rangle$$
  
=  $T_{s}[n] + \int V_{\text{nucl}}(\vec{r}) n(\vec{r}) d\vec{r} + \frac{1}{2} \int \frac{n(\vec{r})n(\vec{r}')}{|\vec{r} - \vec{r}'|} d\vec{r} d\vec{r}' + E_{xc}[n]$ 

By introducing a non-interacting quasi-particle system which has the density n identical to the above, we get <u>Kohn-Sham equation</u>:

$$\begin{bmatrix} -\frac{1}{2}\nabla^{2} + v_{\text{nucl}}(\vec{r}) + \int \frac{n(\vec{r}')}{|\vec{r} - \vec{r}'|} d\vec{r}' + \frac{\delta E_{xc}[n]}{\delta n(\vec{r})}(\vec{r}) ]\phi_{j}(\vec{r}) = \varepsilon_{j}(\vec{r})$$

$$n(\vec{r}) = \sum_{j} |\phi_{j}(\vec{r})|^{2}$$

### Density Functional Theory: approximation

Nobody knows the exact form of  $E_{xc}$ . Then,

- Local (Spin) Density Approximation (LDA, LSDA)
- Generalized Gradient Approximation (GGA)





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# Hybrid Structures of Carbon Nanotubes and Others



Characterization and control of interfaces are crucial in technology: <u>CNTs and conventional metals</u>

Si surfaces are wombs of everything that supports our electronic lives: <u>CNTs on Si surfaces</u>



Possibility of controlled wiring?





CNT as a Booster in Post-scaling (morethan-Moore) Si Technology: <u>Capacitance in Nanostructures</u>

#### What about water?

Medical engineering application: e.g drug delivery Behaviors of the <u>material most familiar to us</u> in <u>confined space</u>



# (10,0) Semiconducting CNT on Ca and Al



Various electrodes in current CNT-FET: Pt, Au, Ca, Al, Pd etc But... Ca ⇒ spontaneous n-type doping Pd ⇒ spontaneous p-type doping

LDA Calculations for 12-layer repeating slabs with 20 A vacuum inbetween

- Normconserving pseudopotentials + 45-Ry plane-wave basis set
- Ca and Al (100) surfaces
- CNT 3% elongated along tube axis diameter of (10,0) = 7.83 A



 CNTs stick on both metals
 Adsorption distance and energy are different
 Al: 3.0 A & 3.21 eV
 Ca: 4.5 A & 0.47 eV

# Electron Density and Electron States near Fermi Energy



# Si Surface that is a Stage of Fabrications

 CNT-Si hybrids
 ✓ Effects of local chemical environments
 ✓ Role of step morphology Possibility of CNT alignment







# Exploration of Adsorption Geometries: (5,5) CNT on Si(001)



energy

translation

0.2 0.1 -0.2 -0.3 -0.4 -0.5 -0.6 (5.5) between dime

ween

dimers

rotation



0.3 0.2 0.1 -0.1 -0.2 -0.3 -0.4 -0.5 -0.6 <u>CNT Adsorption sites?</u> A, B, C, D on Terrace, E, F, G, H near double-layer Step

nrb-DB step

Exhaustive Search Without Relaxation + Full Relaxation at Candidate Sites

LDA Calculations for repeating slabs with 10 A vacuum inbetween

- Normconserving pseudopotentials + 40-Ry plane-wave basis set
- CNT 3% elongated along tube axis
- diameter of (5,5) = 6.78 A

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# Energetics and Structures of (5,5) CNT on Si(001)



### **Modification of Electronic Structure**



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### Capacitance that is Crucial in Circuit Design



### How to Calculate Capacitance

$$E_{\text{DFT}}[n(\mathbf{r})] - \mu \Delta N[n(\mathbf{r})]$$

Variational principle wrt Electron Density



$$H_{\rm KS} = -\frac{\nabla^2}{2} + V_{\rm nuclei}(\mathbf{r}) + \frac{1}{2} \iint \frac{n(\mathbf{r})n(\mathbf{r'})}{|\mathbf{r} - \mathbf{r'}|} d\mathbf{r} d\mathbf{r'} + V_{\rm ex-cor}[n(\mathbf{r})] - \mu(\mathbf{r})$$

Chemical Potential Difference Provided by Power Source .

Uchida et al, Phys Rev B 74, 035408 (2006)

 $\frac{Classical Electrostatic}{Analog} E(Q) = \frac{Q^2}{2C} - QV \longrightarrow Q = CV$  Minimization wrt Q

QV is work done by power source

# Capacitance of Double Walled CNT



C depends on bias
voltage with
spiky structures
C is larger than the
classical 2460 unitcell  $C_{cla} = \frac{2460}{\ln [R(24,0)/R(4,0)]}$ 

Charge Redistribution in (4,0)@(24,0) DWCNT under Bias Voltage µ [ R(4,0) = 1.7 A, R(24,0)=9.4 Capacitance  $C = d(-e \Delta N)/d\mu$ (x 10<sup>-3</sup> atto farad) 2015- classical Capacitance C 10 50 -4 -2 0 2 6 8 Bias Voltage  $\mu$  (V)

007

### Quantum Effect I: Density of States



and DOS contributions  $1/C \equiv d\mu/dQ$  $= 1/C_0 + 1/D_{(4,0)} + 1/D_{(24,0)}$ 



✓ Van Hove singularity in 1D conductor✓ Chemical individuality

### Quantum Effect II: Electron spill



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# Ice Nanotube in Carbon Nanotube



Is this real? What's the structure? Role of CNT?

# Ice Rules and Ice-CNT Interaction

Ice: more than 10 polymorphs depending on temperature and pressure



oxygen network in most stable ice I<sub>h</sub>

#### H<sub>2</sub>O in Carbon Nanotube



Put a  $H_2O$  in



 Ice rule: each water molecule preserved; each H responsible for a single hydrogen bond; each O responsible for 2 hydrogen bonds



Common Characteristics ✓ Adsorption Energy: 20 -30 meV which is smaller than a typical value of H-bonding 200 meV

CNT with the diameter of 6 A - 14 A. Calculate stable adsorption structures and energies with GGA(FBEDE). 3.7 - 3.9 A

# Three Possible ice NTs & Suitable CNT

#### Ice nanotubes consisting of polygonal $H_2O$

Stacked Polygon



Helix



Double Helix

Satisfying the <u>ice rule</u> and, when choosing the pentagon, (14.2) CNT is suitable with the <u>distance</u> of 3.7 A



GGA(PBE96) calculations with - Ultrasoft pseudopotentials + 36-Ry plane-wave basis set - diameter of (14,2) = 11.8 A

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# Structure and Energetics of Ice NTs in Carbon Nanotubes

Energetics of Pentagonal Ice NT@CNT (meV/water molecule)

	cohesive energy	encapsulation gain	1
Stacked	543	9.2	
Helix	509	10.2	HAR
Double-helix	431	8.3	
Ice Ih	713		AFEA

✓ H-bonding cohesive energy >> encapsulation energy

 $\checkmark$  Tubular ice is certainly stable (60-76% of Ice  $I_h$ )

Energetics of Polygonal Ice NT





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### What is Cytochrome c Oxidase (CcO)?

#### Foods ( $C_6H_{12}O_6$ etc), Oxygen $\Rightarrow$ NADH, NAD<sup>+</sup> $\Rightarrow$ Electrons & Protons



Mechanisms / Pathways / Free-energy Barriers for the Proton Transfer in CcO?

# Proton-Relay Mechanism (Grotthuss-like mechanims)



# Candidate Proton Pathways deduced from X-Ray Measurements

- ✓ CcO: 40 thousands of atoms
- Subunits I and II (7000 atoms) are responsible for proton transfer
- Structures are a set of helices connected with each other
- Reduction and Oxidation changes its structure
- Biggest and suggestive change takes place for ASP51 along H pathway



Tsukihara et al: Proc. Natl. Acad. Sci, 100, 15304 (2003)

- Can proton move with moderate free-energy barrier through peptide bonds?
- A new process different from what Grotthuss speculated in two centuries ago?
- What is the actual atomic mechanism?

### **Car-Parrinello Molecular Dynamics**



# Car-Parrinello + Meta Dynamics to Overcome Multiscale Problem in Time

Collective (reaction) coordinates:  $S_{\alpha}$ 

$$L = L_{CP} + \sum_{\alpha} \frac{1}{2} M_{\alpha} \dot{s}_{\alpha}^{2} - \sum_{\alpha} \frac{1}{2} k_{\alpha} (s_{\alpha}(R) - s_{\alpha})^{2} - V(s,t)$$

usual CP Lagrangean / fictitious kinetic energy Restrain potential: Gaussian potentials added coupling with other coordinates

where the history dependent function V is  $V(\mathbf{s},t) = \sum_{i_i < t} W_i \exp\left(-\frac{1}{2} \frac{(\mathbf{s} - \mathbf{s}_i)^2}{(\Delta s^{\perp})^2} \frac{1}{j} \exp\left[-\frac{1}{2} \frac{((\mathbf{s}_{i+1} - \mathbf{s}_i)(\mathbf{s} - \mathbf{s}_i))^2}{(\Delta s_i^{\parallel})^4}\right]$ 



YKI52007 (Kyoto), Novi S er 20, 2007

and sum of gaussians gives us Free-energy landscape  $\lim_{t^{(\mathbb{R})\infty}} V(\mathbf{s},t) = -F(\mathbf{s}) + const.$ 

# H-pathway in Cytochrome c Oxidase (CcO)



How is the proton above the peptide bonds drafted by D51/Asp51? How does the next proton come to the position above the peptide bonds?

### Enol Form is Produced in Usual CPMD Simulation



Reaction generating the <u>enol form</u> is plausible under thermal fluctuation at room temperature

### Proton gets through the peptide bond: **Concerted** reaction



Kamiya, Boero, Tateno, Shiraishi & Oshiyama: J. Am. Chem. Soc. (2007)

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