



# Observing Supernova Neutrino Light Curves with Super-Kamiokande

**Yudai Suwa**  
(UT, Komaba & YITP)  
with *nuLC* collaboration

YS, Sumiyoshi, Nakazato, Takahira, Koshio, Mori, Wendell, ApJ, 881, 139 (2019)

YS, Harada, Nakazato, Sumiyoshi, PTEP, 2021, 013E01 (2021)

Mori, YS, Nakazato, Sumiyoshi, Harada, Harada, Koshio, Wendell, PTEP, 2021, 023E01 (2021)

Nakazato, Nakanishi, Harada, Koshio, YS, Sumiyoshi, Harada, Mori, Wendell, ApJ in press., arXiv:2108.03009

# Supernovae are made by neutron star formation

## Remarks on Super-Novae and Cosmic Rays

### 5. *The super-nova process*

We have tentatively suggested that the super-nova process represents the transition of an ordinary star into a neutron star. If neutrons are produced on the surface of an ordinary star they will “rain” down towards the center if we assume that the light pressure on neutrons is practically zero. This view explains the speed of the star’s transformation into a neutron star. We are fully aware that our suggestion carries with it grave implications regarding the ordinary views about the constitution of stars and therefore will require further careful studies.

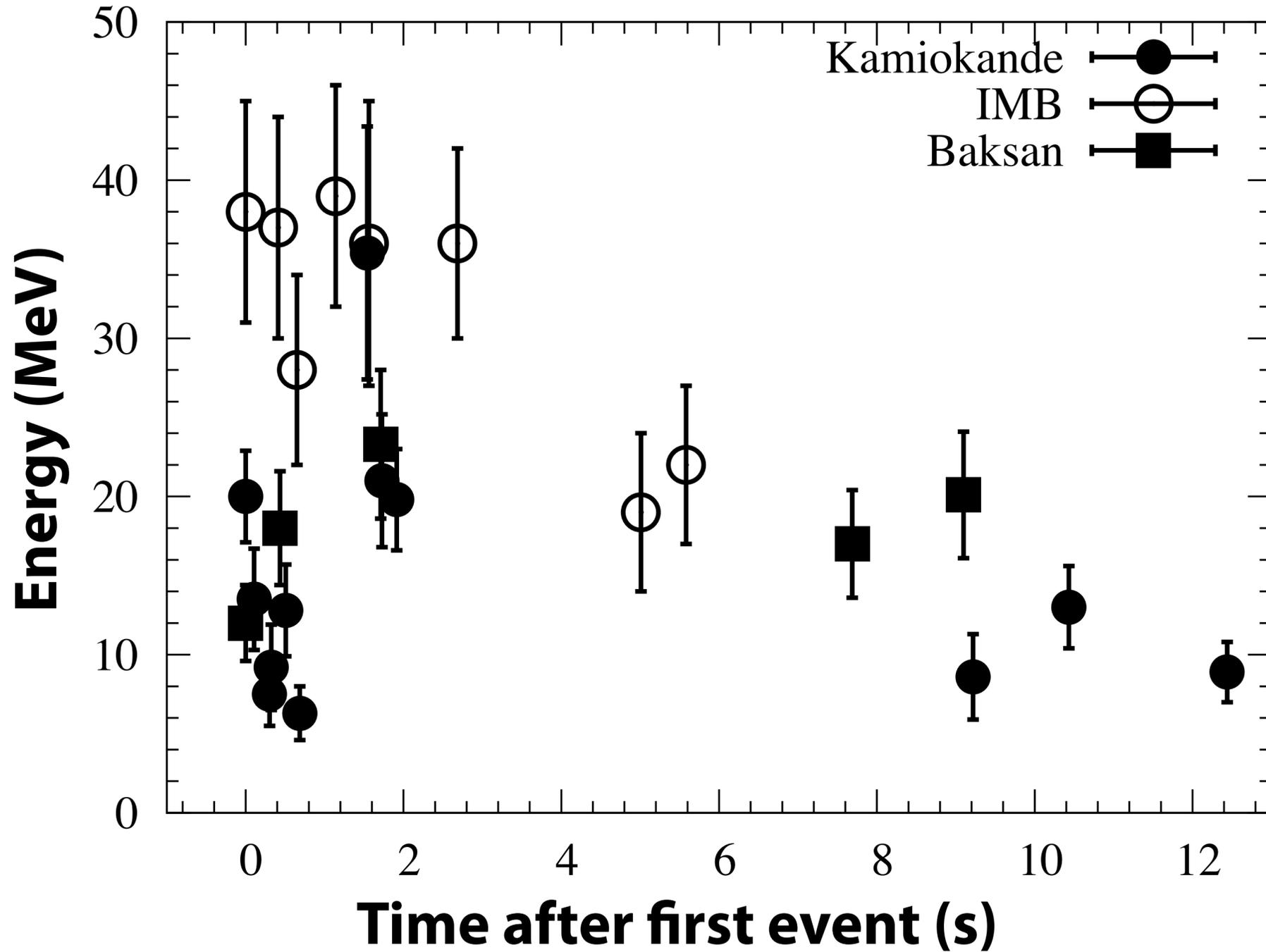
W. BAADE

F. ZWICKY

Mt. Wilson Observatory and  
California Institute of Technology, Pasadena.  
May 28, 1934.

Baade & Zwicky (1934)

## Neutrinos from SN 1987A (Feb. 23 1987)



# What can we extract from neutrino observations?

## \* Properties of neutron stars

### ■ Binding energy

- ▶ *important for energetics, done with SN1987A*

$$E_b \approx \frac{GM_{\text{NS}}^2}{R_{\text{NS}}} = \mathcal{O}(10^{53})\text{erg} \left( \frac{M_{\text{NS}}}{1.4M_{\odot}} \right)^2 \left( \frac{R_{\text{NS}}}{10\text{km}} \right)^{-1}$$

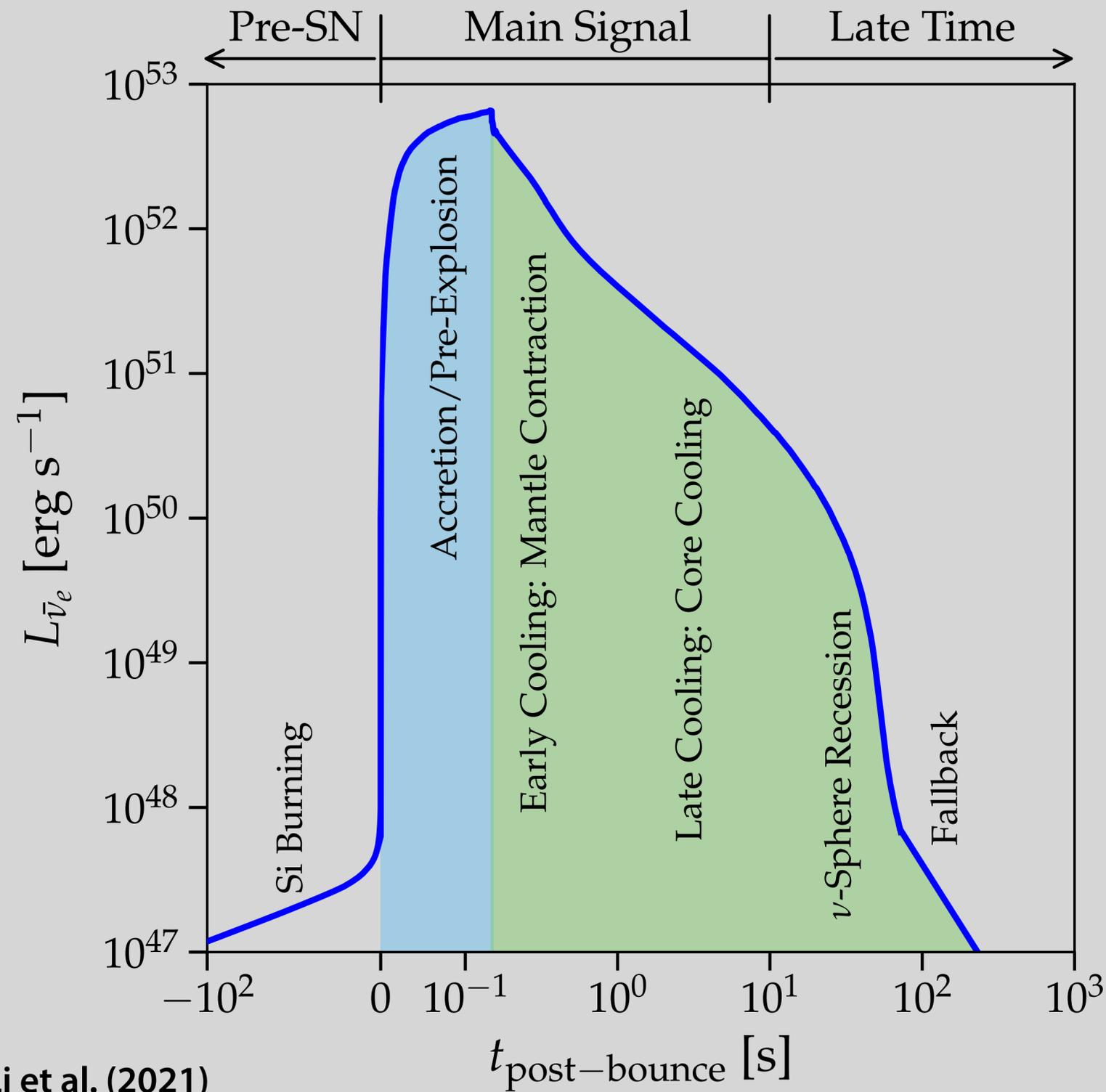
### ■ Mass

- ▶ *important for discriminating final object (NS or BH)*

### ■ Radius

- ▶ *important for discriminating nuclear equation of state*

# Supernova neutrinos: basics



## \* Si burning

- ▣ final phase of stellar evolution

## \* Accretion/Pre-explosion

- ▣ neutrino trapping
- ▣ neutronization burst

## \* Cooling

- ▣ early phase

- hydrodynamical instabilities, explosion mechanism, shock revival, PNS contraction...

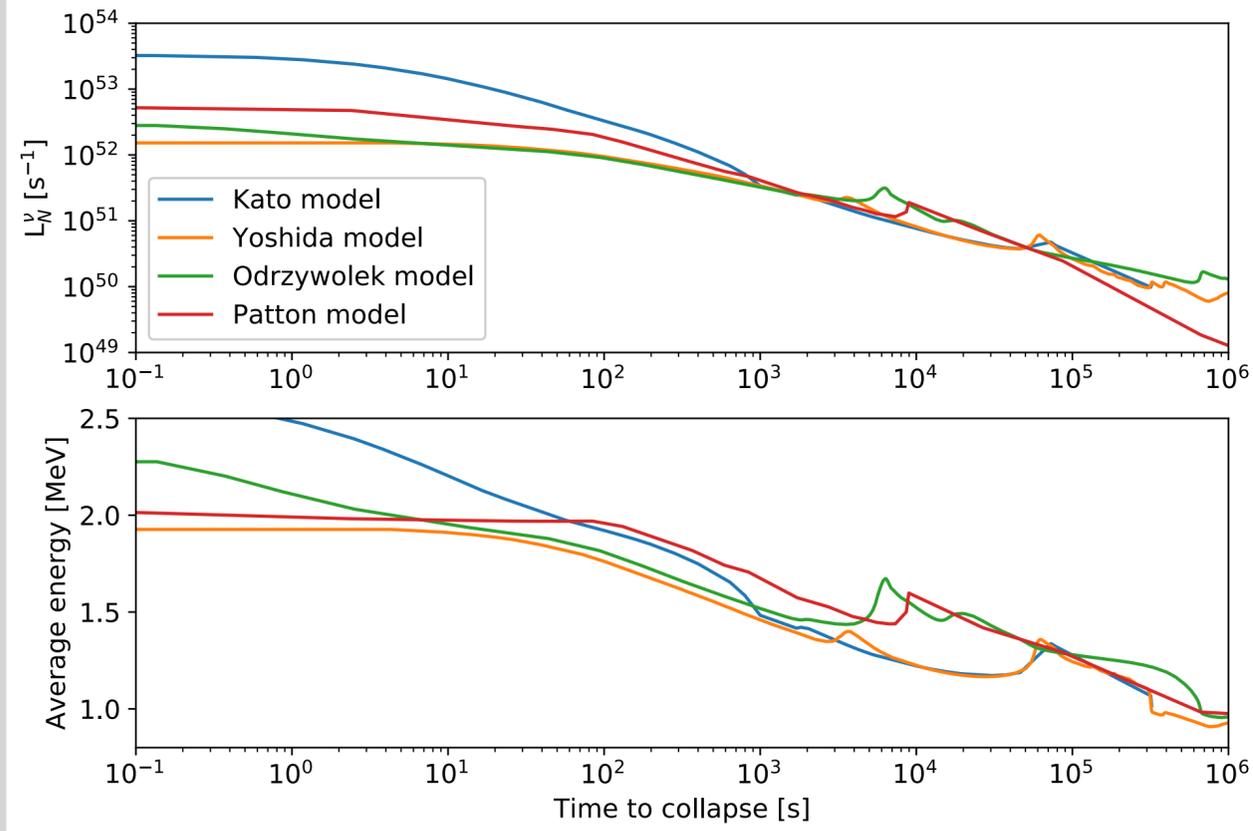
- ▣ late phase

- neutrino diffusion

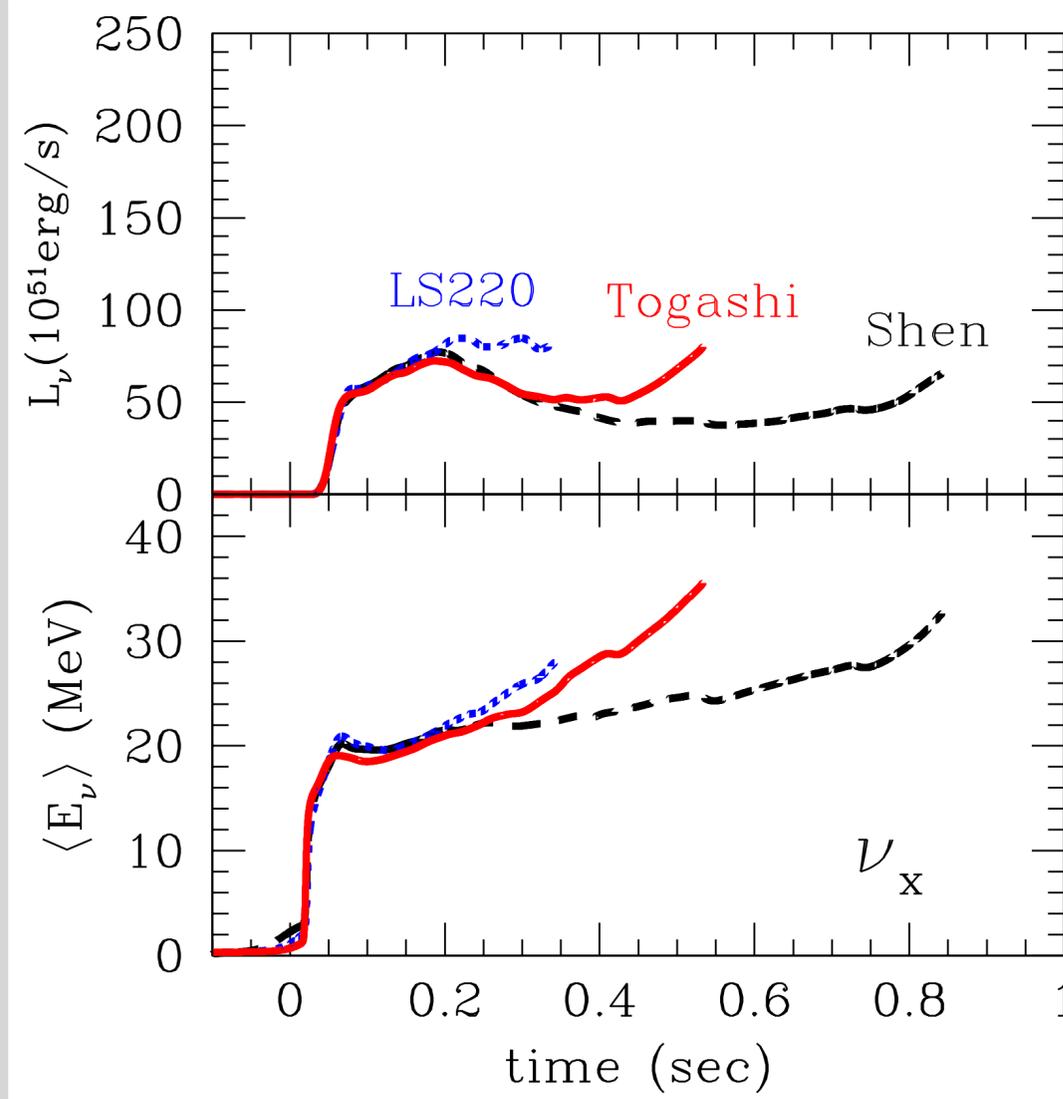
- ▣ volume cooling phase

- transparent for neutrinos

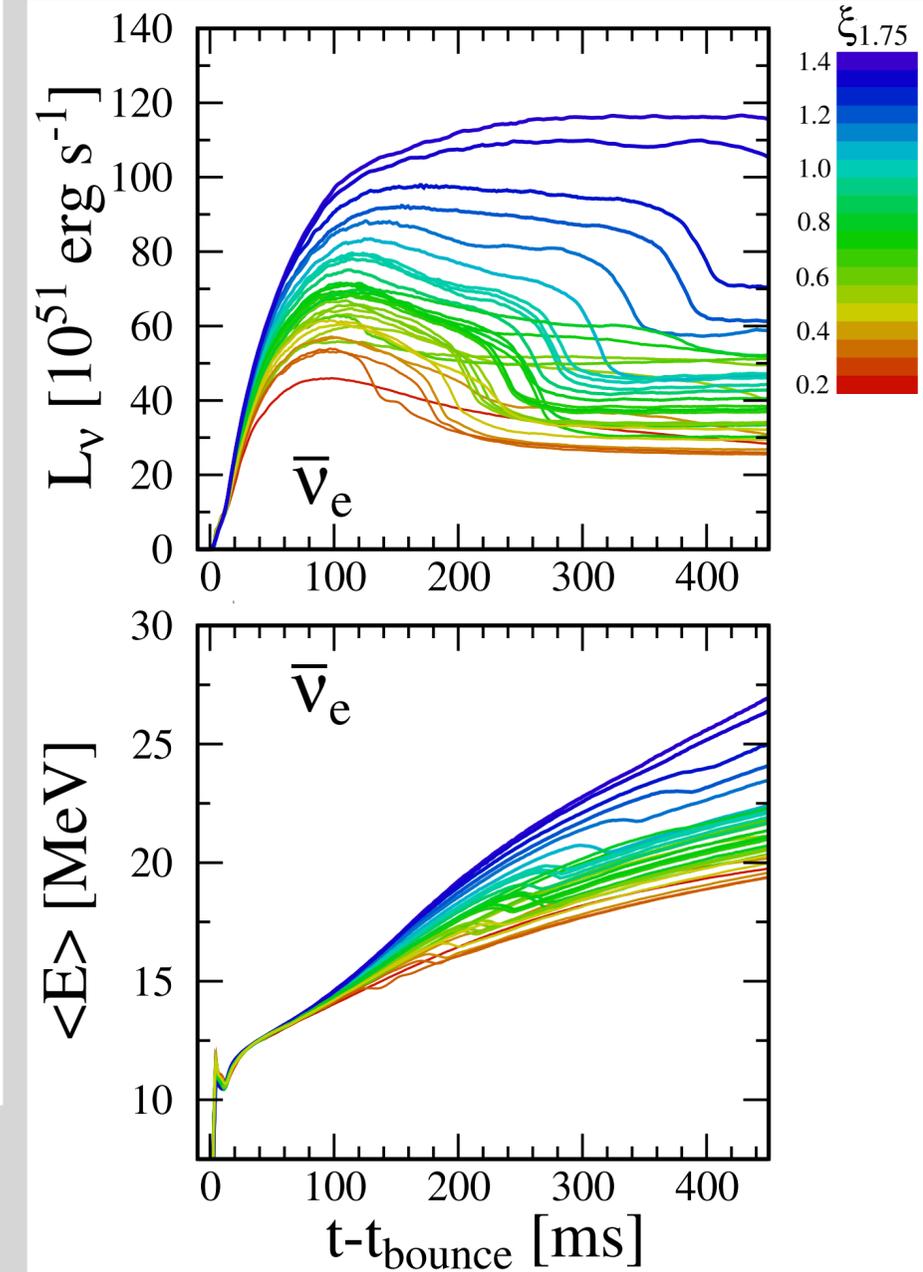
# Simulations: Si burning/accretion/pre-explosion



Kato et al. (2020)  
stellar evol., presupernova



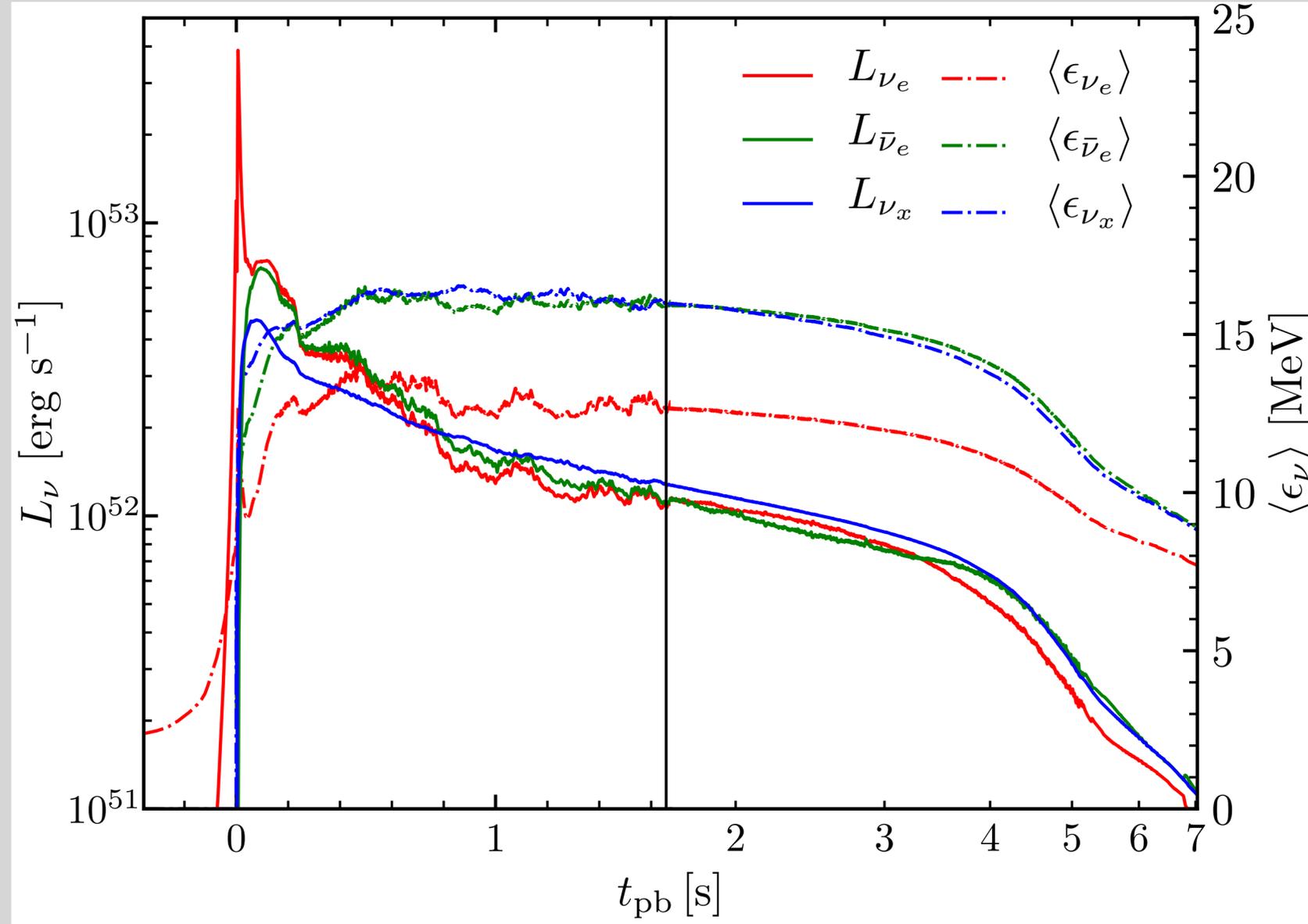
Nakazato et al. (2021)  
EOS dependence, BH formation



O'Connor & Ott (2013)  
core compactness dependence

see talks by Nagakura-san, Shibagaki-san, Nakamura-san, Harada-san, Lucas

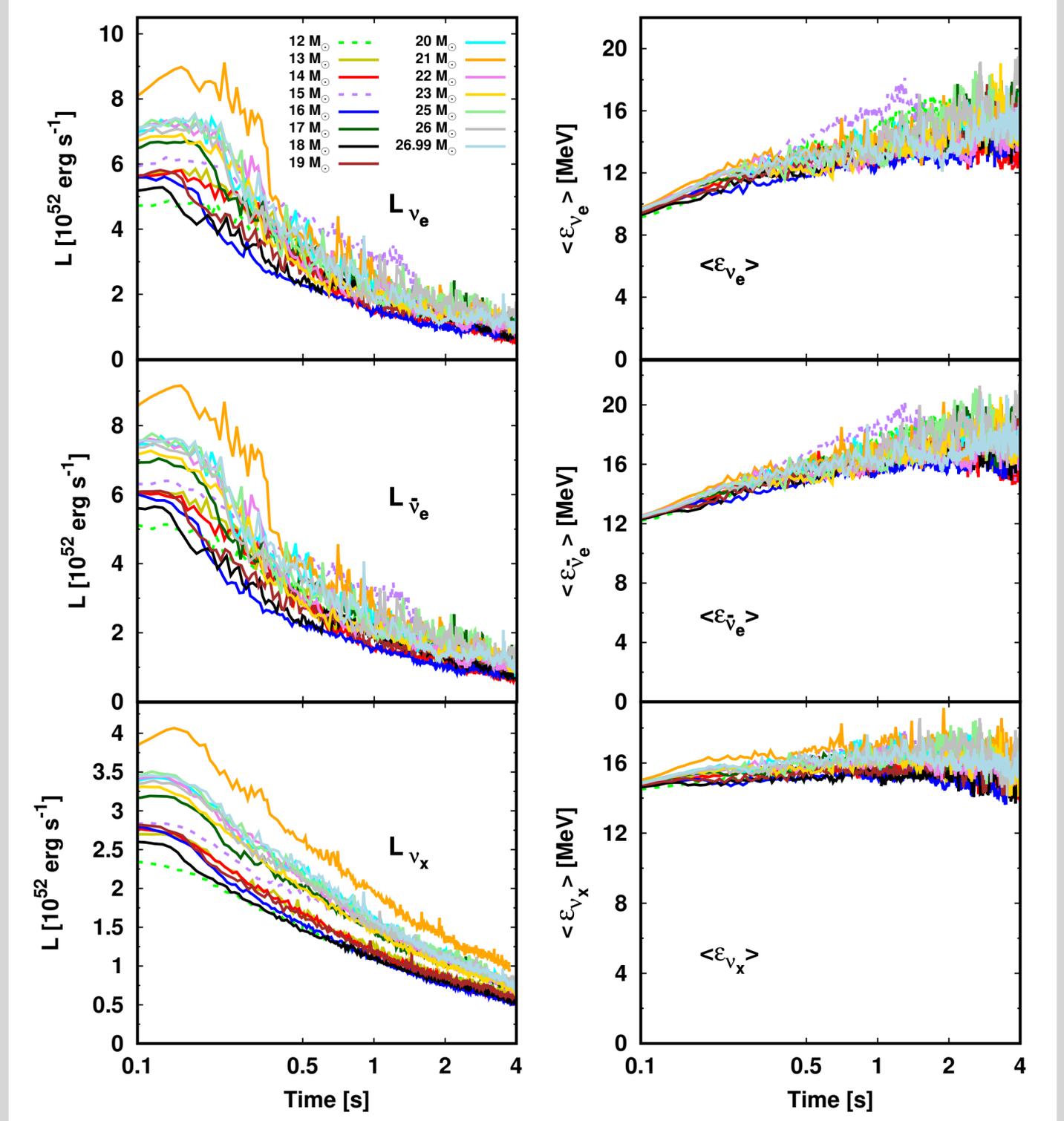
# Simulations: early cooling phase



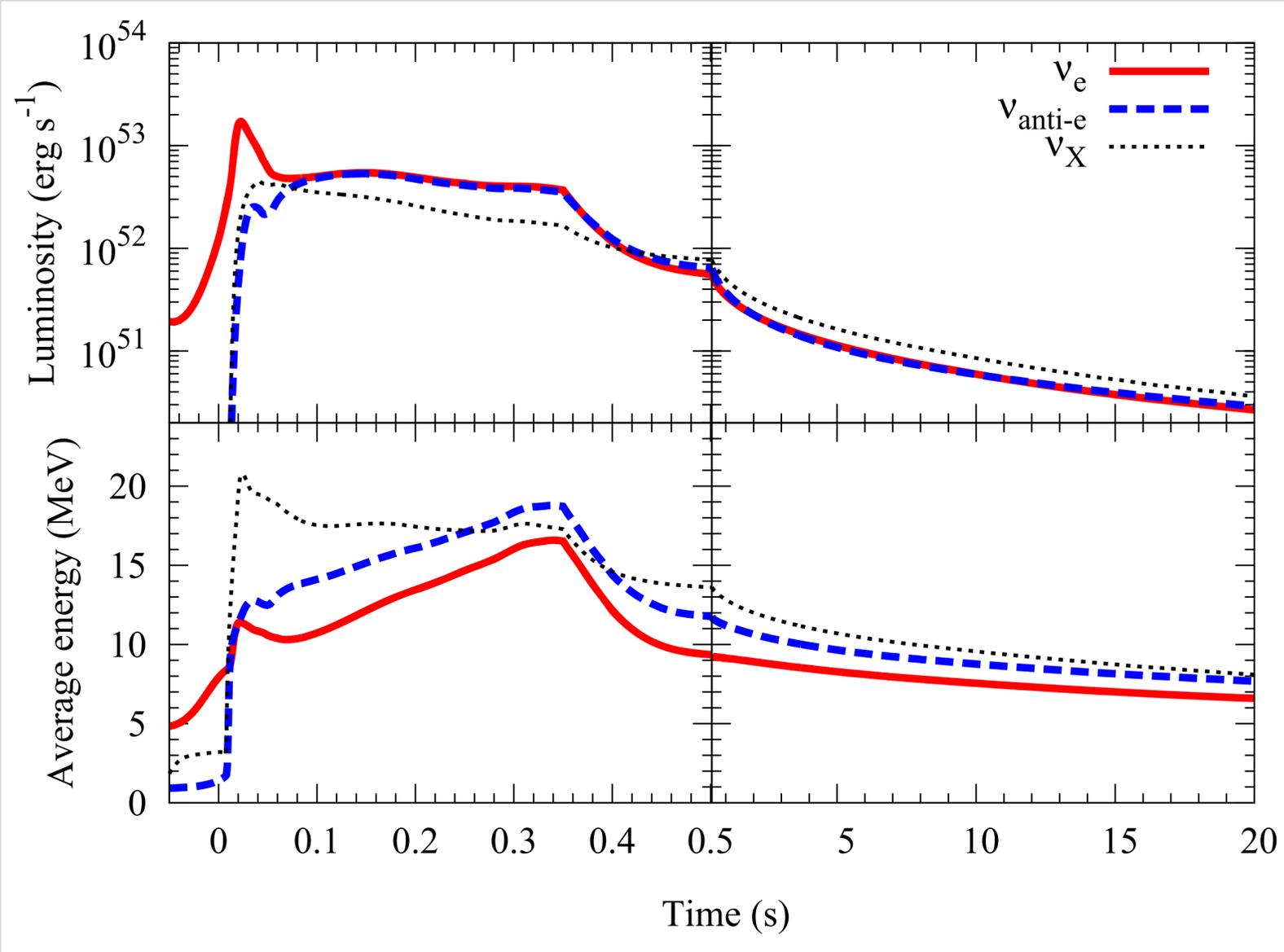
Bollig et al. (2021)  
3D, longest model so far

Nagakura et al. (2021)  
2D, systematic

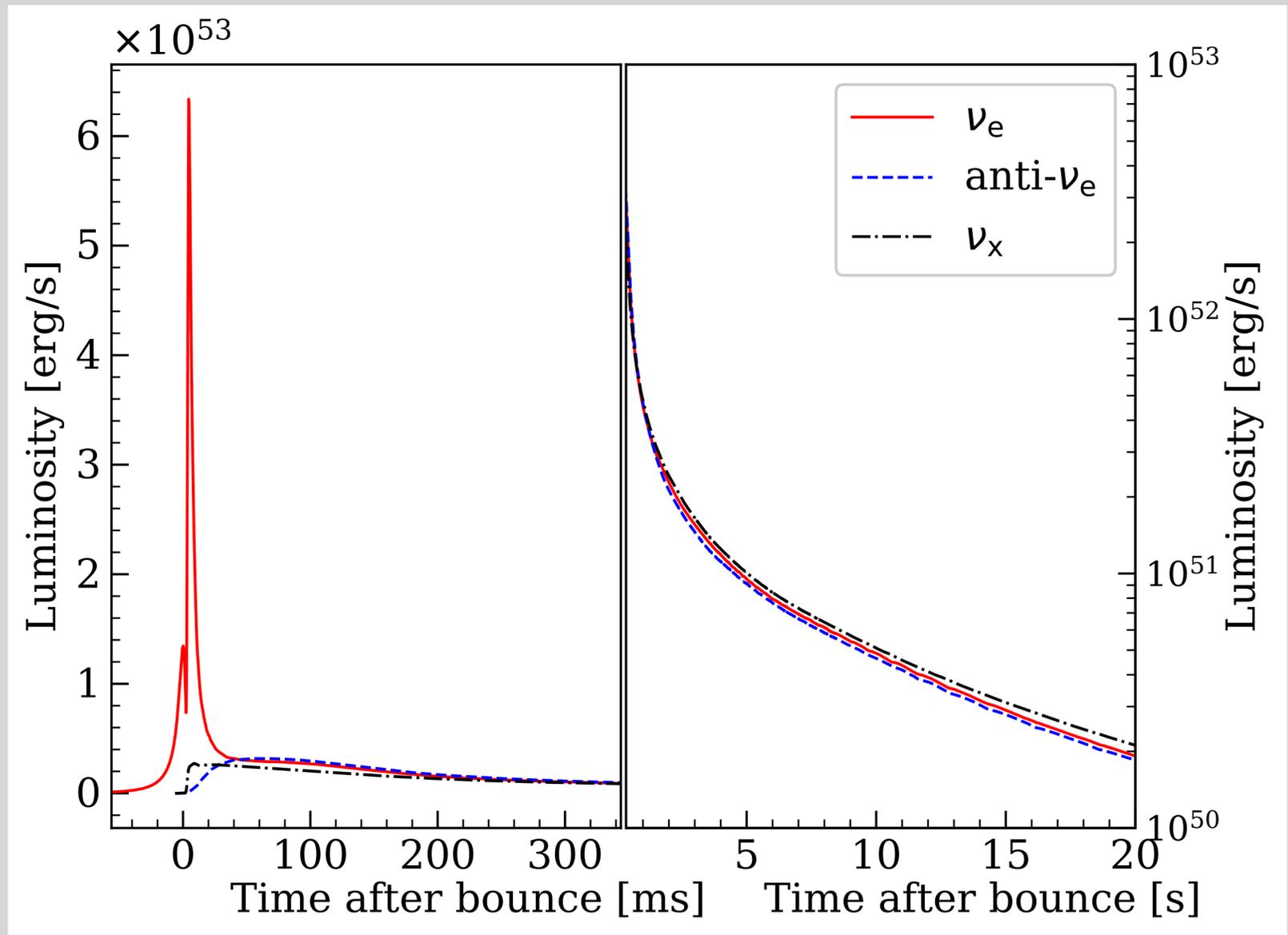
see talks by Nagakura-san, Kato-san, Zaizen-san



# Simulations: late cooling phase



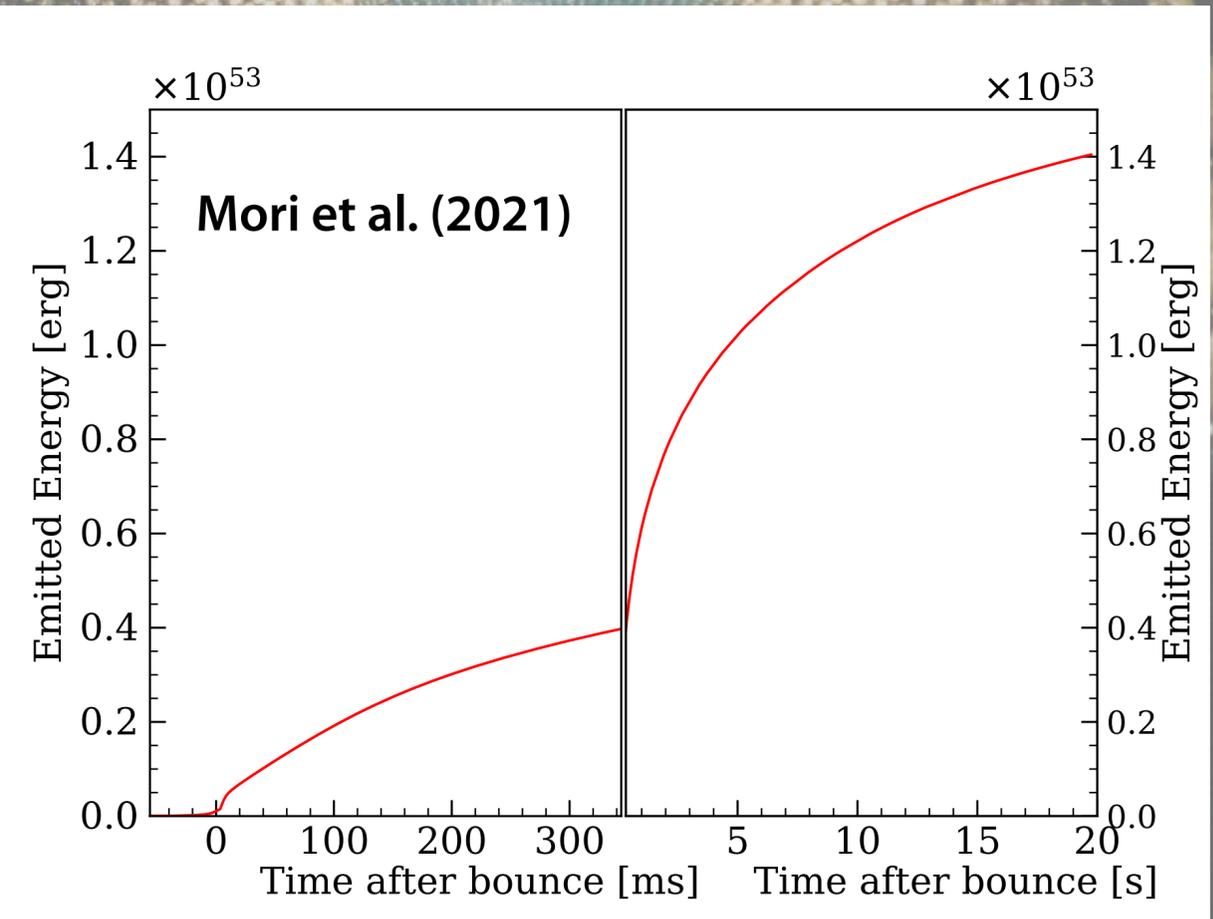
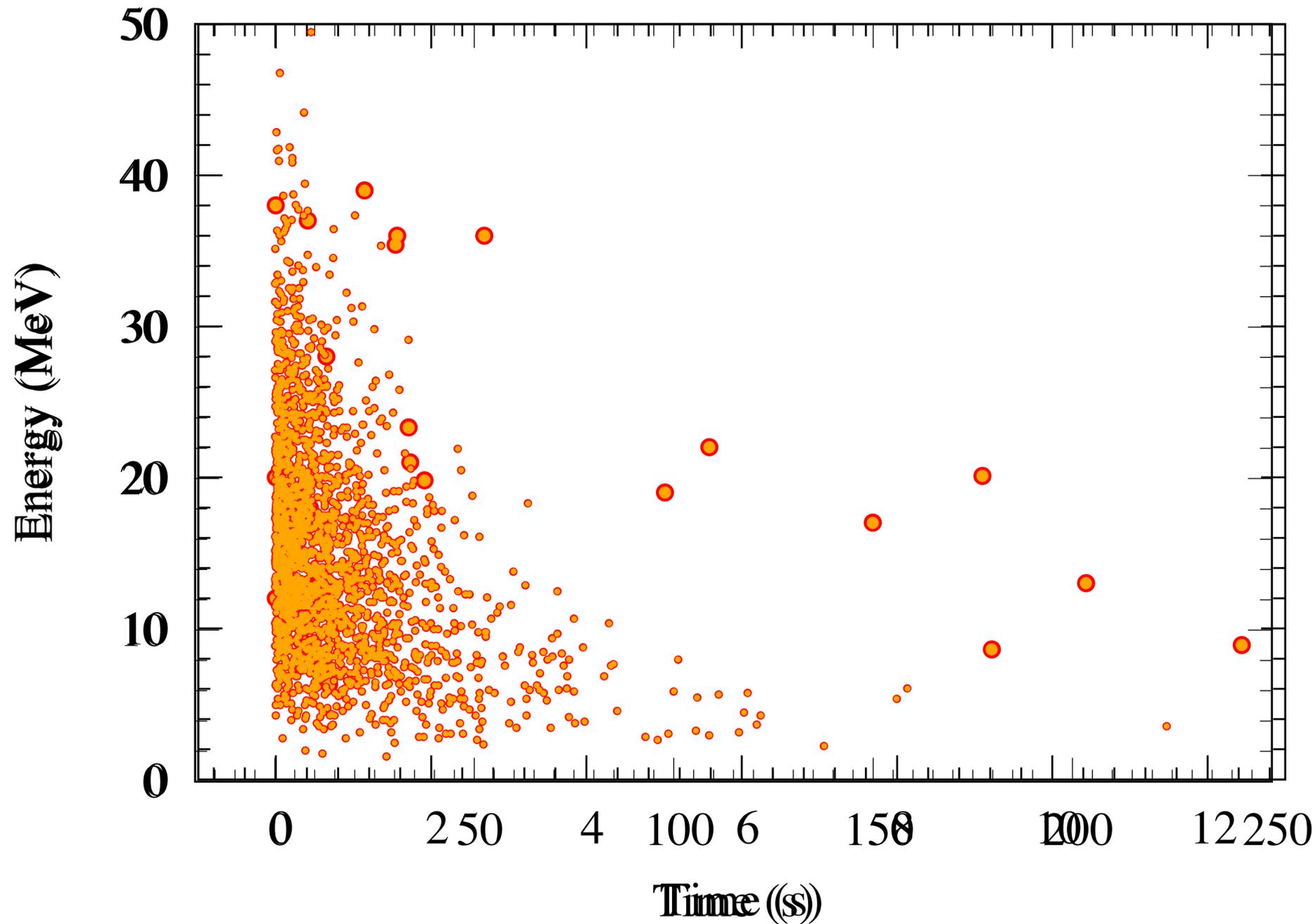
Suwa et al. (2019)  
1D, artificial expl. treatment, systematic



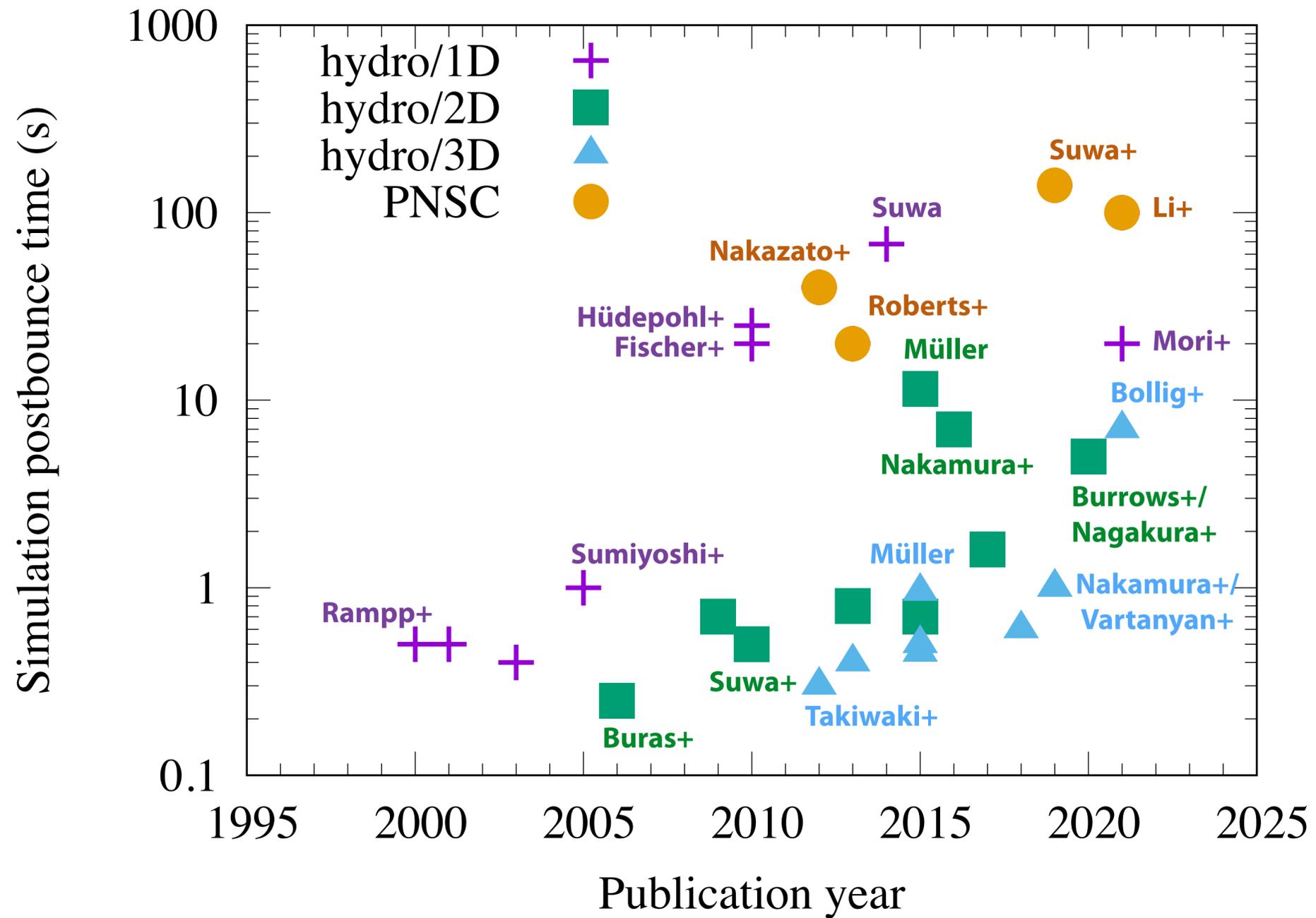
Mori et al. (2021)  
1D, self-consistent, 1 model

# Long-term evolution is important

## Neutrinos from SNI 1987A



# Current status of area



focusing on long-term simulations. definitely incomplete...

# For the next Galactic supernova

## \* For optical observations of supernova explosions

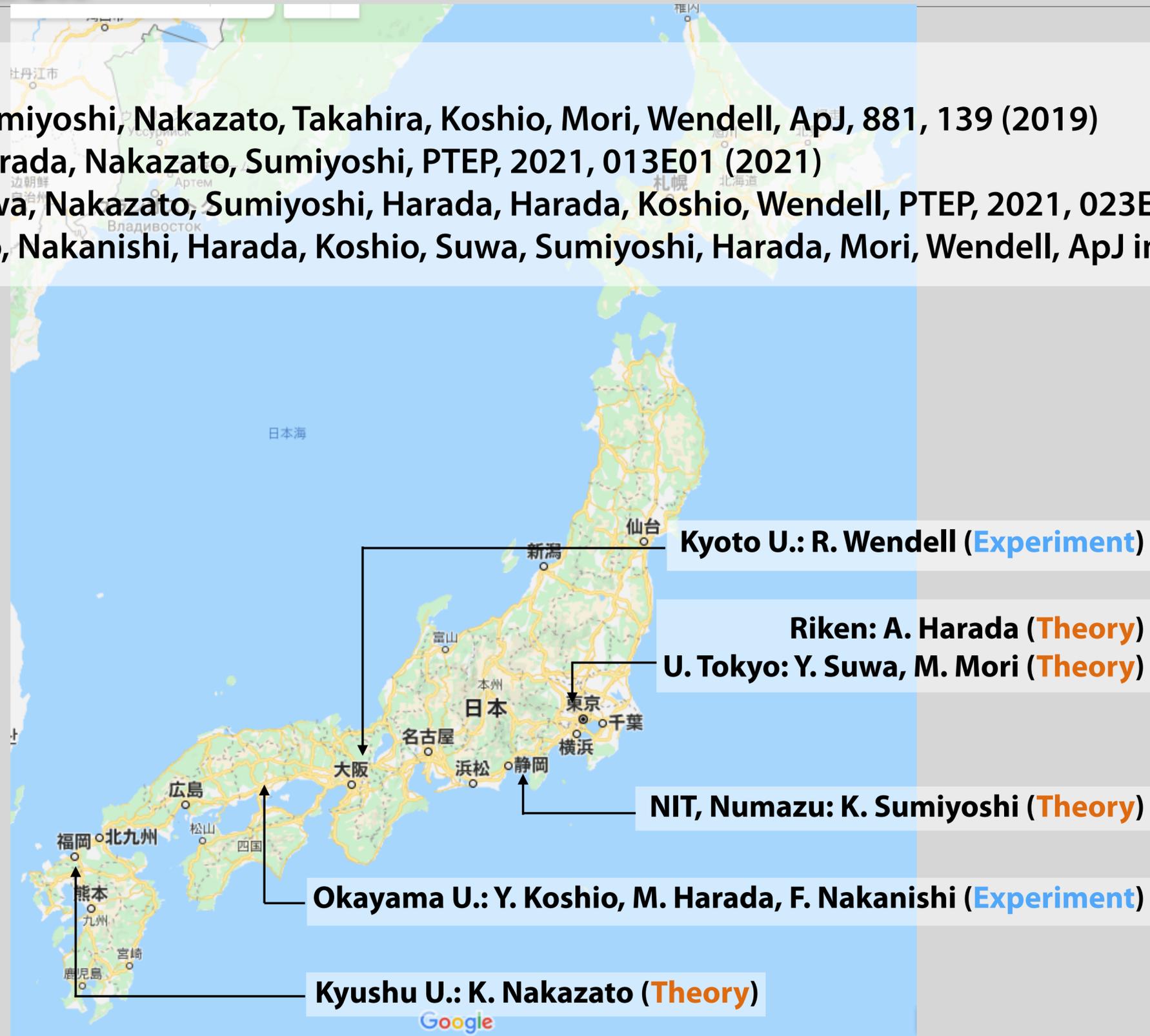
1. building optical telescopes
2. taking light curves with telescopes
3. extracting physical values ( $x$ ,  $E_{\text{exp}}$ ,  $M_{\text{ej}}$ ,  $M_{\text{Ni}}$ ) with simplified analytic model
4. performing detailed numerical simulations for spectral analysis

## \* The same strategy applies to neutrino observations

- building neutrino detectors
- taking data (*just waiting*)
- simplified analytic model
- detailed numerical simulations (*but most are short period and limited numbers for long*)

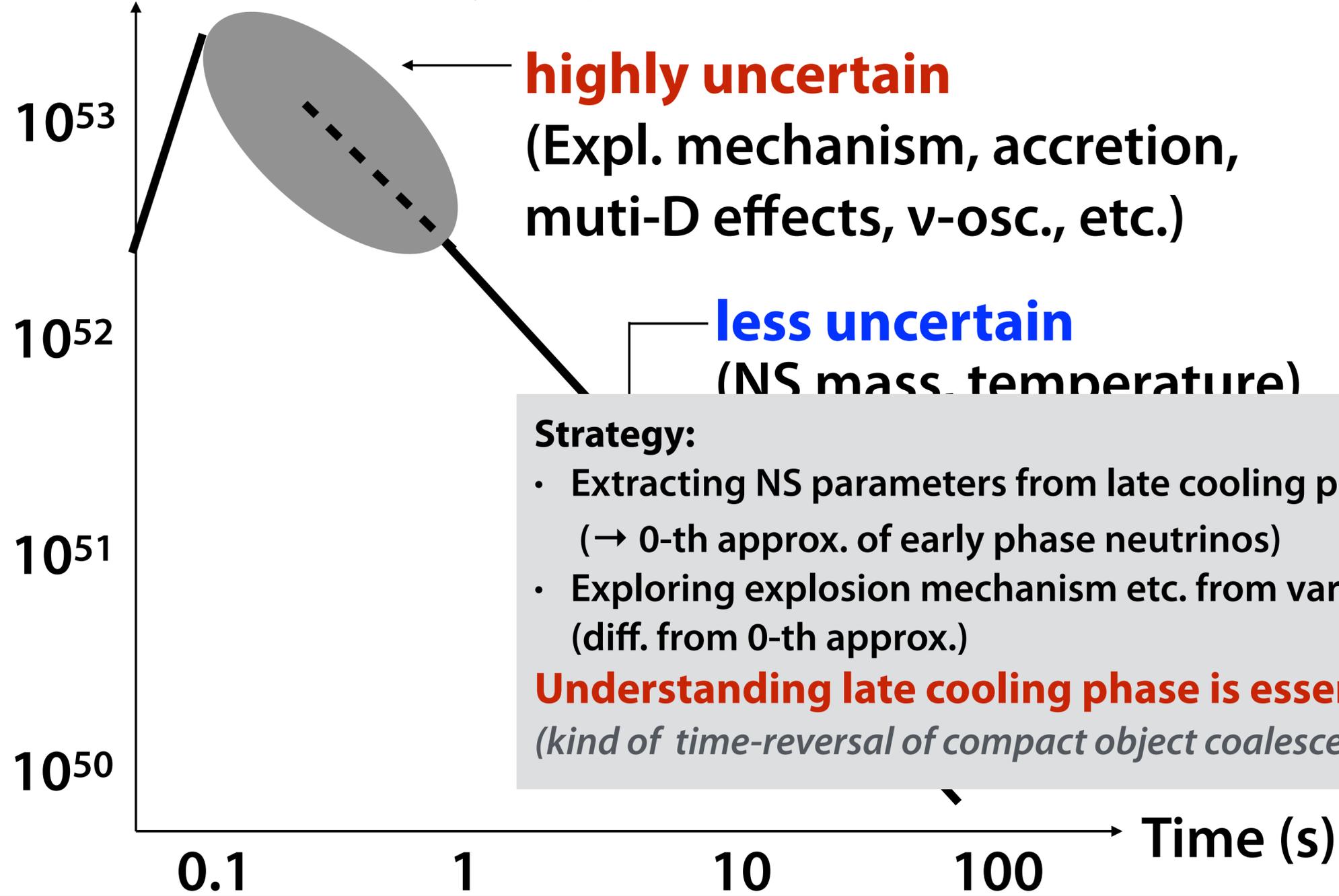
Papers:

1. Suwa, Sumiyoshi, Nakazato, Takahira, Koshio, Mori, Wendell, ApJ, 881, 139 (2019)
2. Suwa, Harada, Nakazato, Sumiyoshi, PTEP, 2021, 013E01 (2021)
3. Mori, Suwa, Nakazato, Sumiyoshi, Harada, Harada, Koshio, Wendell, PTEP, 2021, 023E01 (2021)
4. Nakazato, Nakanishi, Harada, Koshio, Suwa, Sumiyoshi, Harada, Mori, Wendell, ApJ in press



# Late cooling phase is simpler and more understandable than early phase

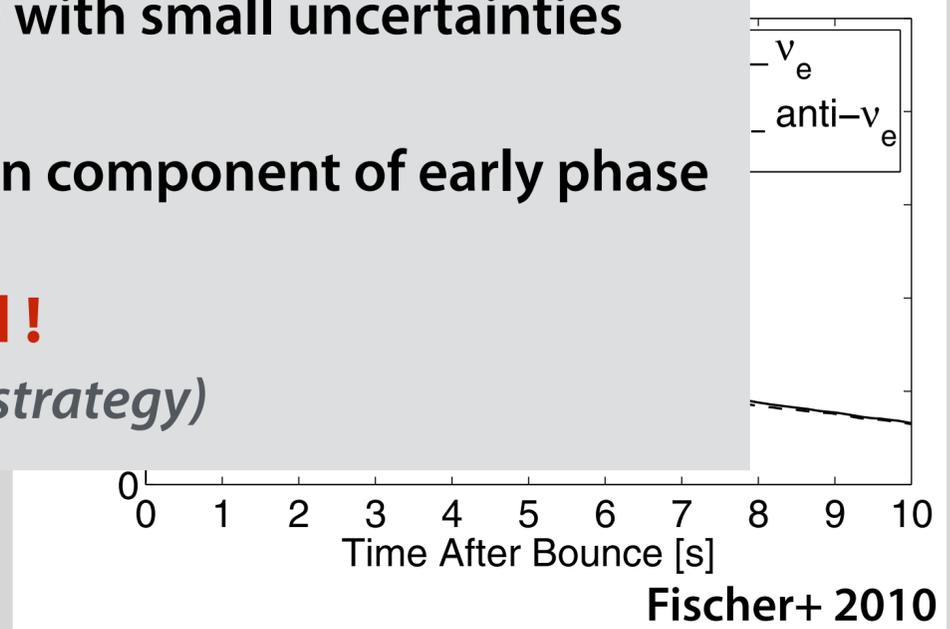
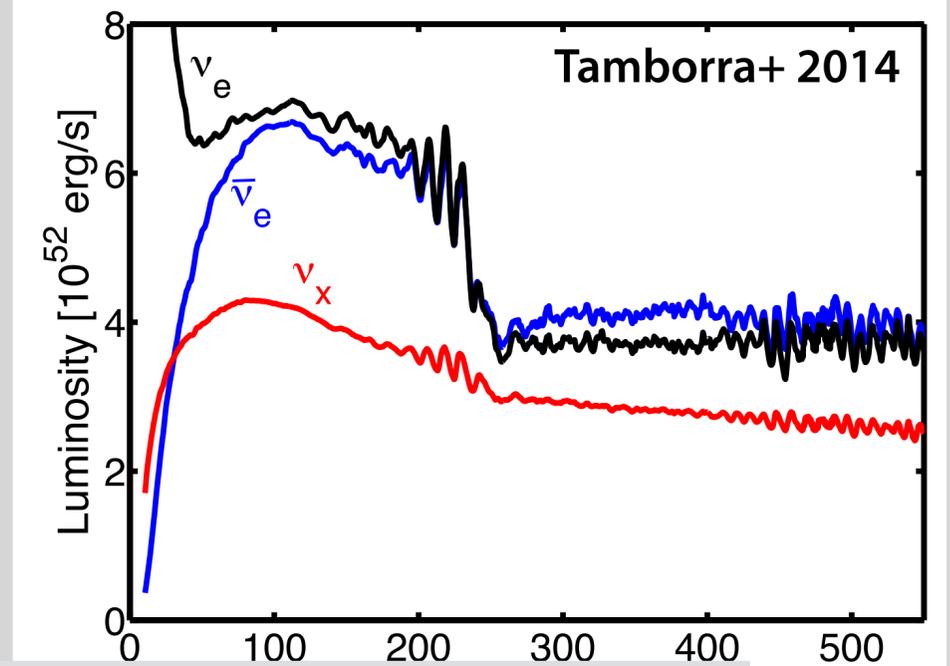
Neutrino luminosity (erg/s)



**Strategy:**

- Extracting NS parameters from late cooling phase with small uncertainties  
( $\rightarrow$  0-th approx. of early phase neutrinos)
- Exploring explosion mechanism etc. from variation component of early phase  
(diff. from 0-th approx.)

**Understanding late cooling phase is essential !**  
(kind of time-reversal of compact object coalescence strategy)



## \* Hydro. simulation ( $t < 0.3\text{s}$ )

- dynamical, GR, Boltzmann neutrino transport, nuclear EOS, 1D  
*Yamada 1997, Sumiyoshi+ 2005*

## \* PNS cooling simulation ( $t > 0.3\text{s}$ )

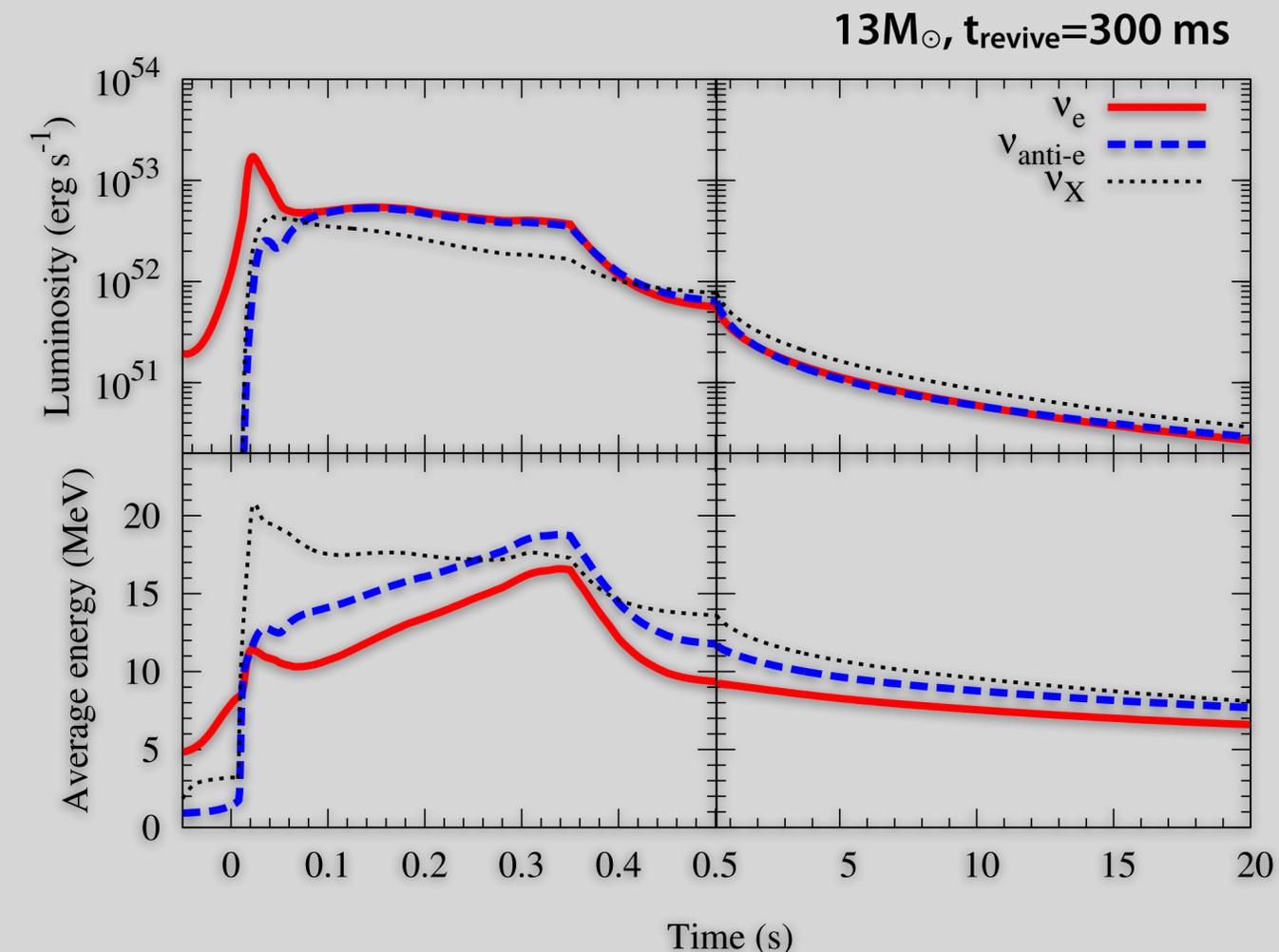
- static (TOV), FLD neutrino transport, nuclear EOS, 1D  
*Suzuki 1993*

## \* Connection

- Interpolate two results with  
 $t_{\text{revive}} = 100, 200, 300\text{ ms}$   
(approx. explosion time)  
*Nakazato+ 2013*

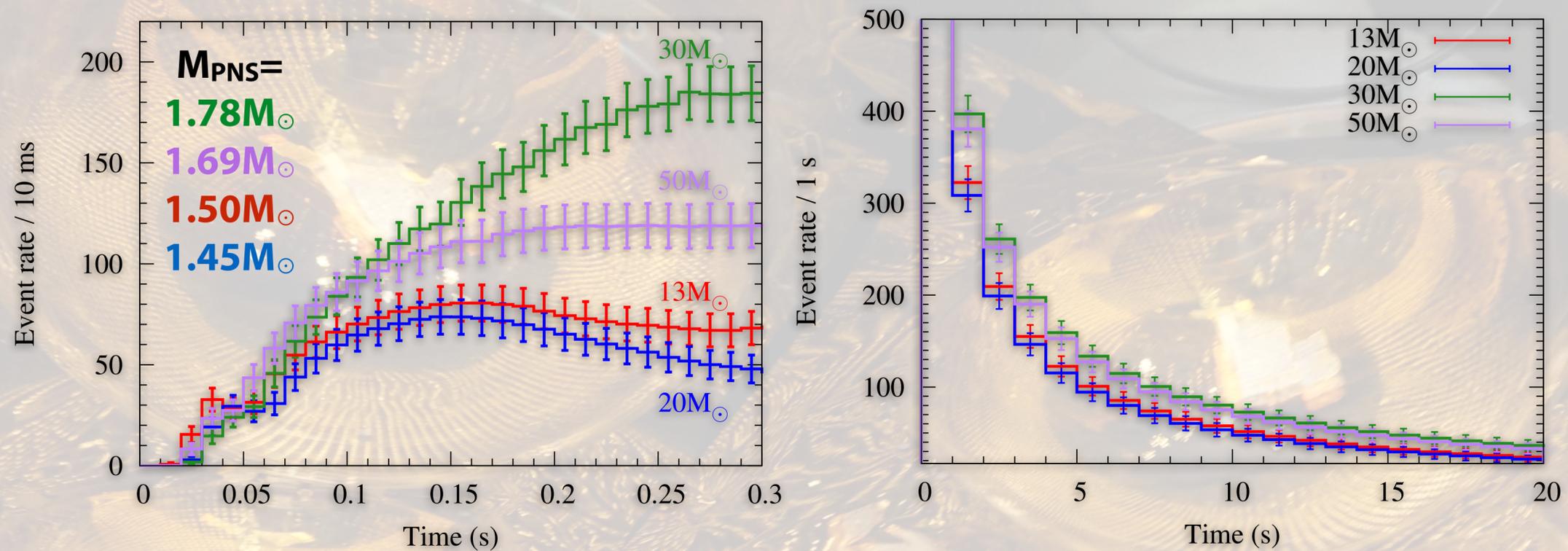
## \* Progenitor

- **13, 20, 30, 50  $M_{\odot}$**   
*Umeda+ 2012*



# Event rate evolution

[Suwa, Sumiyoshi, Nakazato, Takahira, Koshio, Mori, Wendell, ApJ, 881, 139 (2019)]



\* **Event rate evolution is calculated up to 20 s**

- with neutrino luminosity and spectrum
- with full volume of SK's inner tank (32.5 kton)
- from an SN at 10 kpc
- only with inverse beta decay ( $\bar{\nu}_e + p \rightarrow e^+ + n$ )

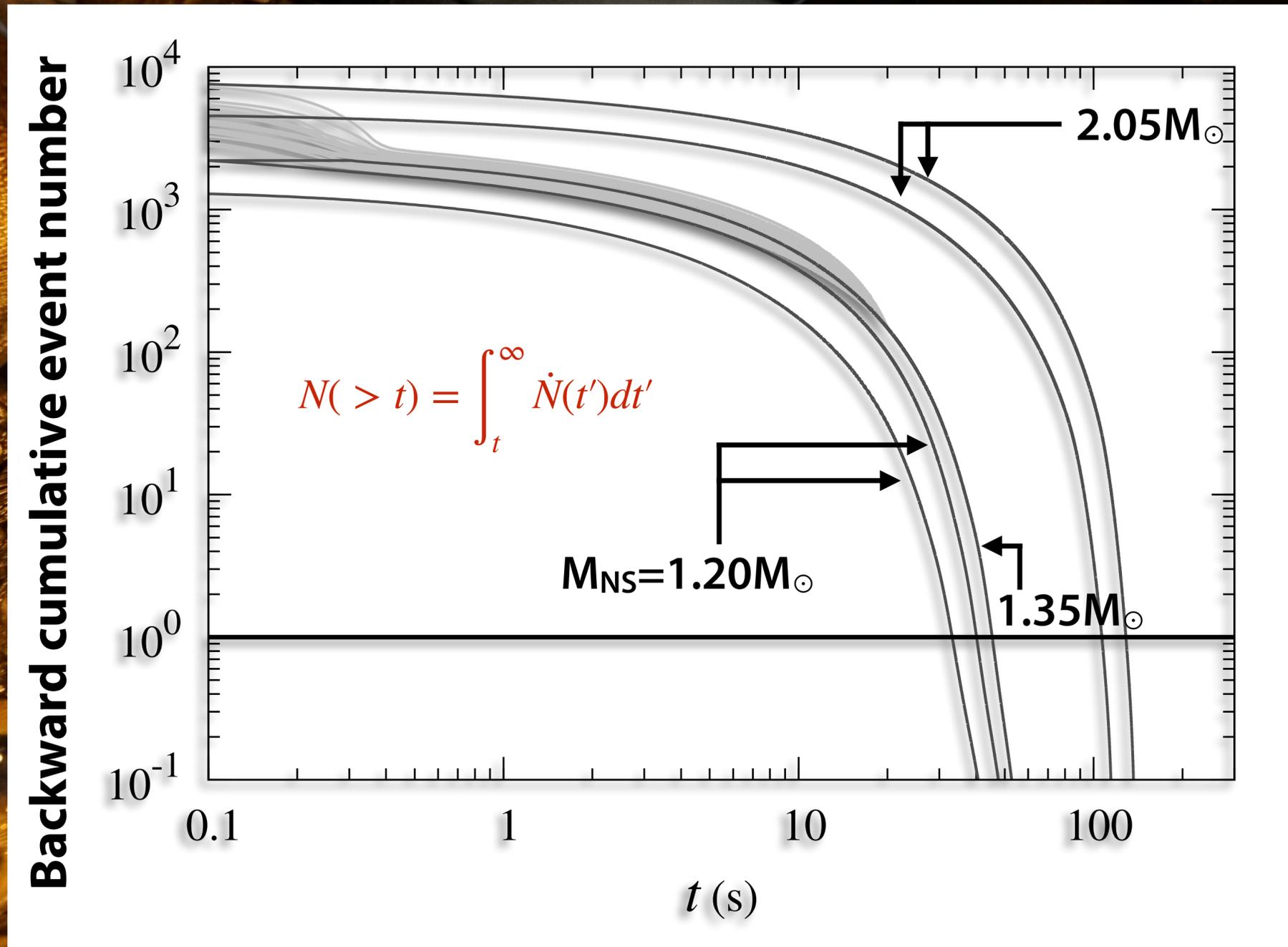
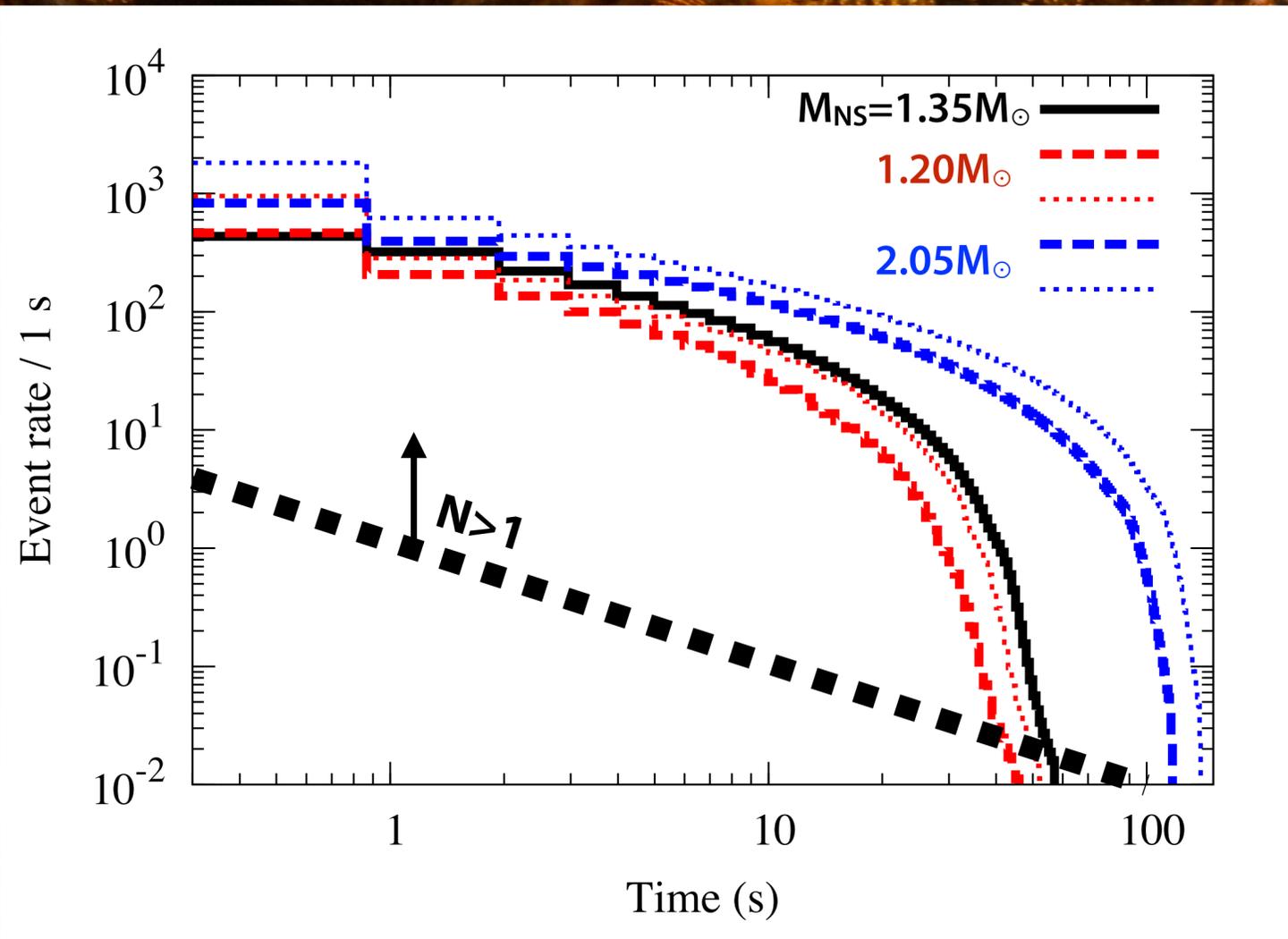
\* **Event rate is not related to progenitor mass, but PNS mass**

## Longer simulations with broader NS mass range

- \* Even 20 s after the explosion, the event rate is still high
- \* known mass range of NS is large:  $[1.17, 2.01]M_{\odot}$   
*Demorest+ 2010, Antoniadis+ 2013, Martinez+ 2015*  
*(see also Cromartie+ 2019, Romani+ 2021, for more recent update)*
- \* **Additional long-term simulations for PNS cooling**
  - ✦ canonical model has  $M_{\text{NS}}=1.35M_{\odot}$
  - ✦ parametric models
    - ▶ with  $M_{\text{NS}}=1.20M_{\odot}$  and  $2.05M_{\odot}$
    - ▶ with two extreme entropy profiles (low and high)
  - ✦ up to the *last* detectable event

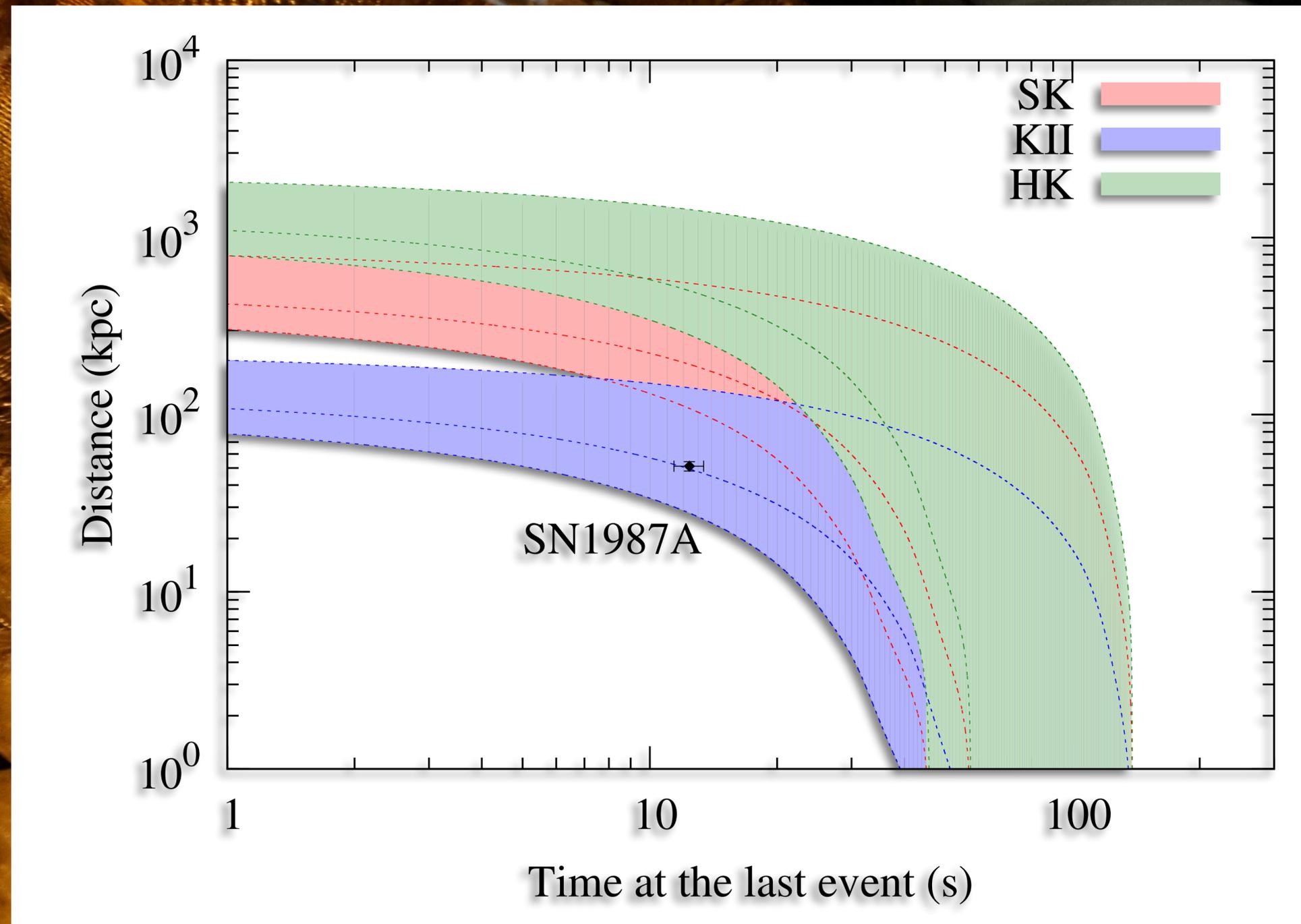
# How long can we see SN with neutrinos?

[Suwa, Sumiyoshi, Nakazato, Takahira, Koshio, Mori, Wendell, ApJ, 881, 139 (2019)]



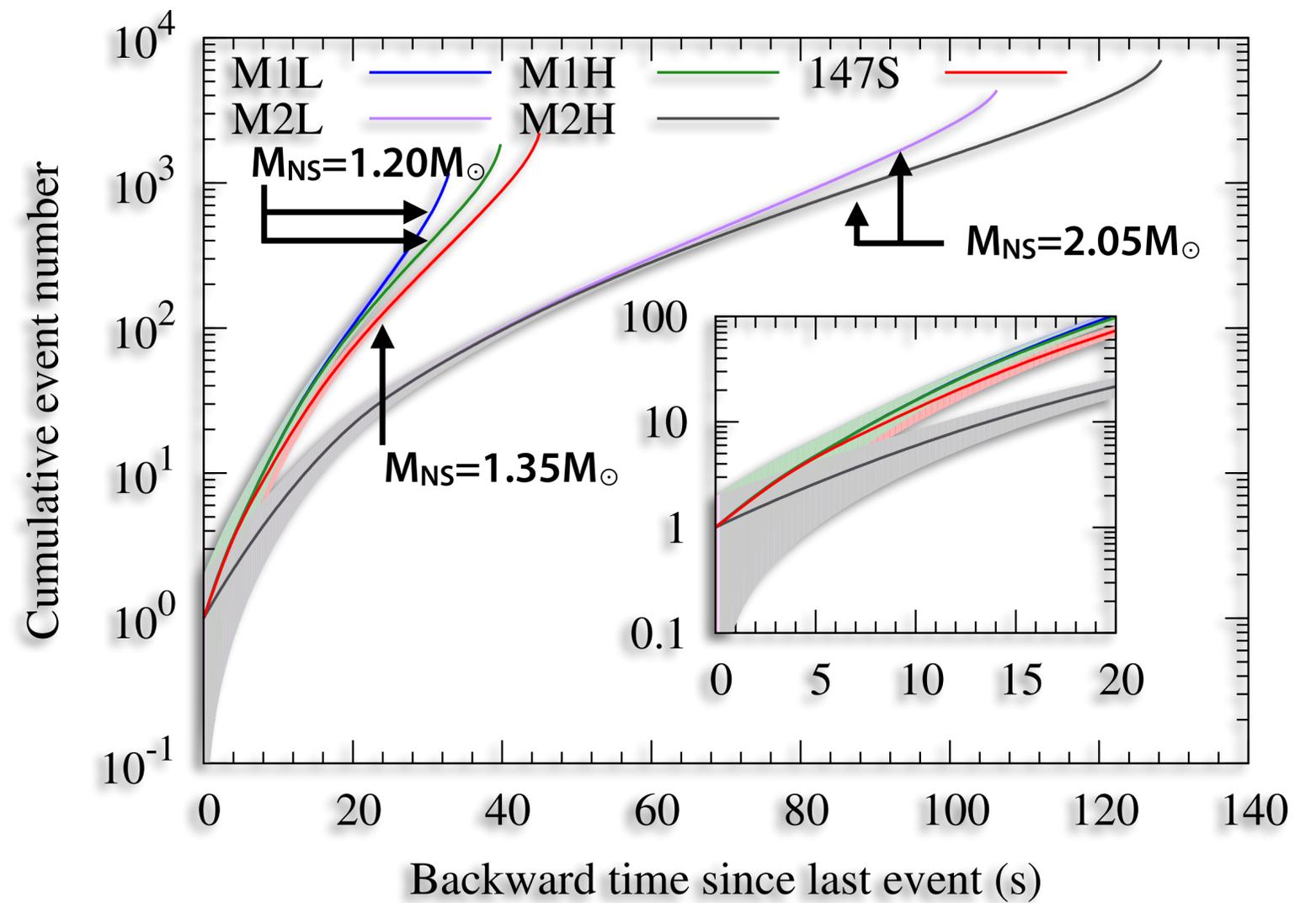
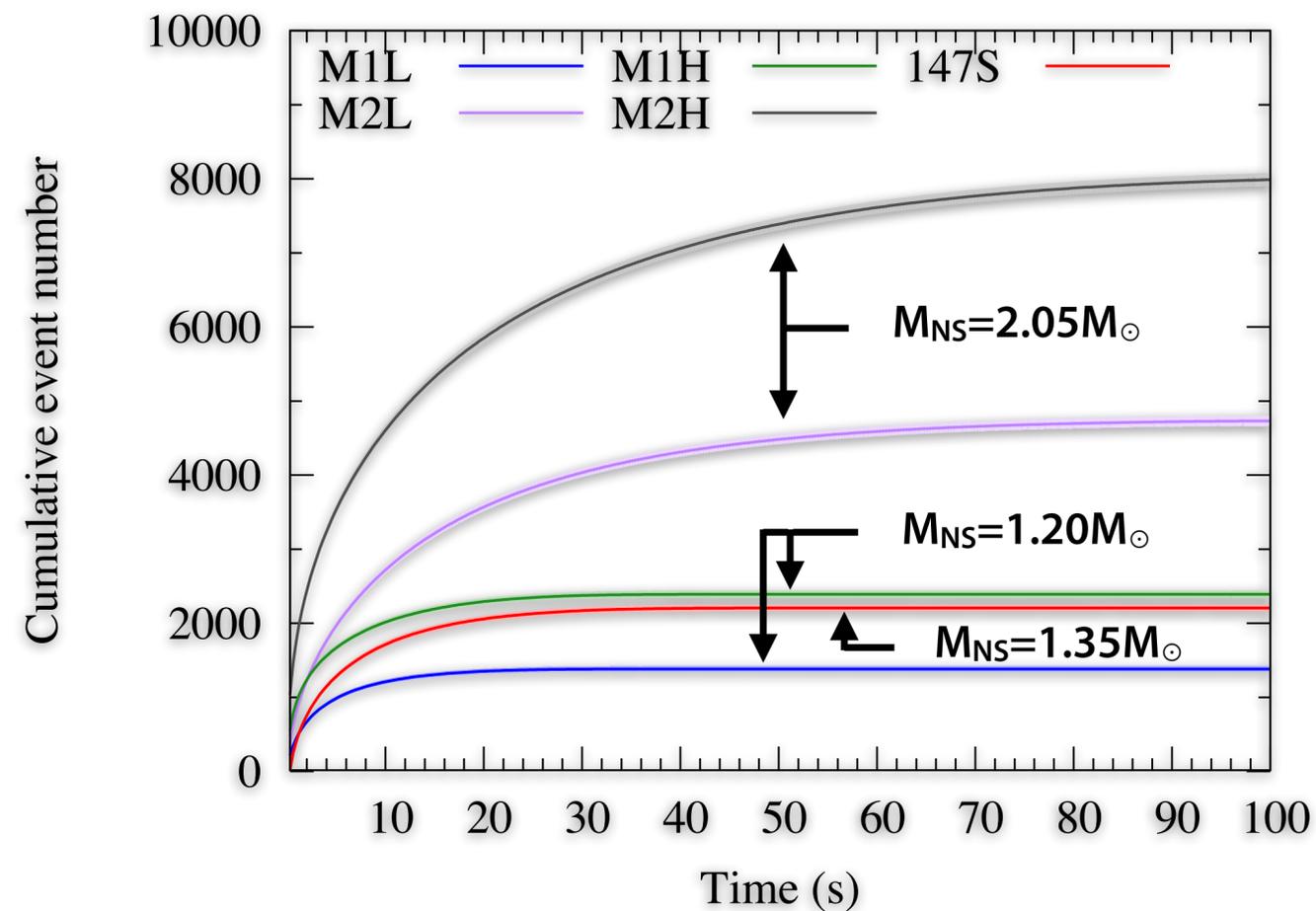
# How long can we see SN with neutrinos?

[Suwa, Sumiyoshi, Nakazato, Takahira, Koshio, Mori, Wendell, ApJ, 881, 139 (2019)]



# How to analyze neutrinos? Backward cumulative plot is useful

[Suwa, Sumiyoshi, Nakazato, Takahira, Koshio, Mori, Wendell, ApJ, 881, 139 (2019)]



## ***Next is analytic expression***

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- \* Nakazato *et al.* (arXiv:2108.03009) has just published 32 more models with various NS mass and nuclear EOS**
- \* A Grid of PNS cooling simulations is getting broader**
- \* Next step is simplified analytic model**
- \* How?**

# Simplified analytic model

[Suwa, Harada, Nakazato, Sumiyoshi, PTEP, 2021, 0130E01 (2021)]

## \* PNS is assumed as Lane-Emden solution with $n=1$

$$k_B T(r) = 30 \text{ MeV} \left( \frac{M_{\text{PNS}}}{1.4 M_{\odot}} \right)^{2/3} \left( \frac{R_{\text{PNS}}}{10 \text{ km}} \right)^{-2} \left( \frac{s}{1 k_B \text{ baryon}^{-1}} \right) \left( \frac{\sin(r/\alpha)}{r/\alpha} \right)^{2/3}$$

$M_{\text{PNS}}$ : PNS mass

$R_{\text{PNS}}$ : PNS radius

$s$ : entropy

$\alpha = R_{\text{PNS}}/\pi$

## \* Neutrino transport with diffusion approximation

$$\frac{\partial \varepsilon}{\partial t} + \frac{1}{r^2} \frac{\partial}{\partial r} (r^2 F) = 0, \quad F = -\frac{c}{3} \frac{1}{\langle \kappa_t \rangle} \frac{\partial \varepsilon}{\partial r}$$

$\varepsilon$ : energy density of neutrinos

$F$ : flux of neutrinos

$\kappa_t$ : opacity

## \* Neutrino luminosity with given entropy

$$L = 4\pi R_{\nu}^2 F = 1.2 \times 10^{50} \text{ erg s}^{-1} \left( \frac{M_{\text{PNS}}}{1.4 M_{\odot}} \right)^{4/5} \left( \frac{R_{\text{PNS}}}{10 \text{ km}} \right)^{-6/5} \left( \frac{g\beta}{3} \right)^{-4/5} \left( \frac{s}{1 k_B \text{ baryon}^{-1}} \right)^{12/5}$$

## \* Time evolution

$$\frac{dE_{\text{th}}}{dt} = -6L$$

$g$ : surface density correction ( $\sim 0.1$ )

$\beta$ : opacity boost by coherent scattering

$E_{\text{th}}$ : total thermal energy of PNS

# Analytic solutions

[Suwa, Harada, Nakazato, Sumiyoshi, PTEP, 2021, 0130E01 (2021)]

## \* Solve neutrino transport eq. analytically

### ✦ Neutrino luminosity

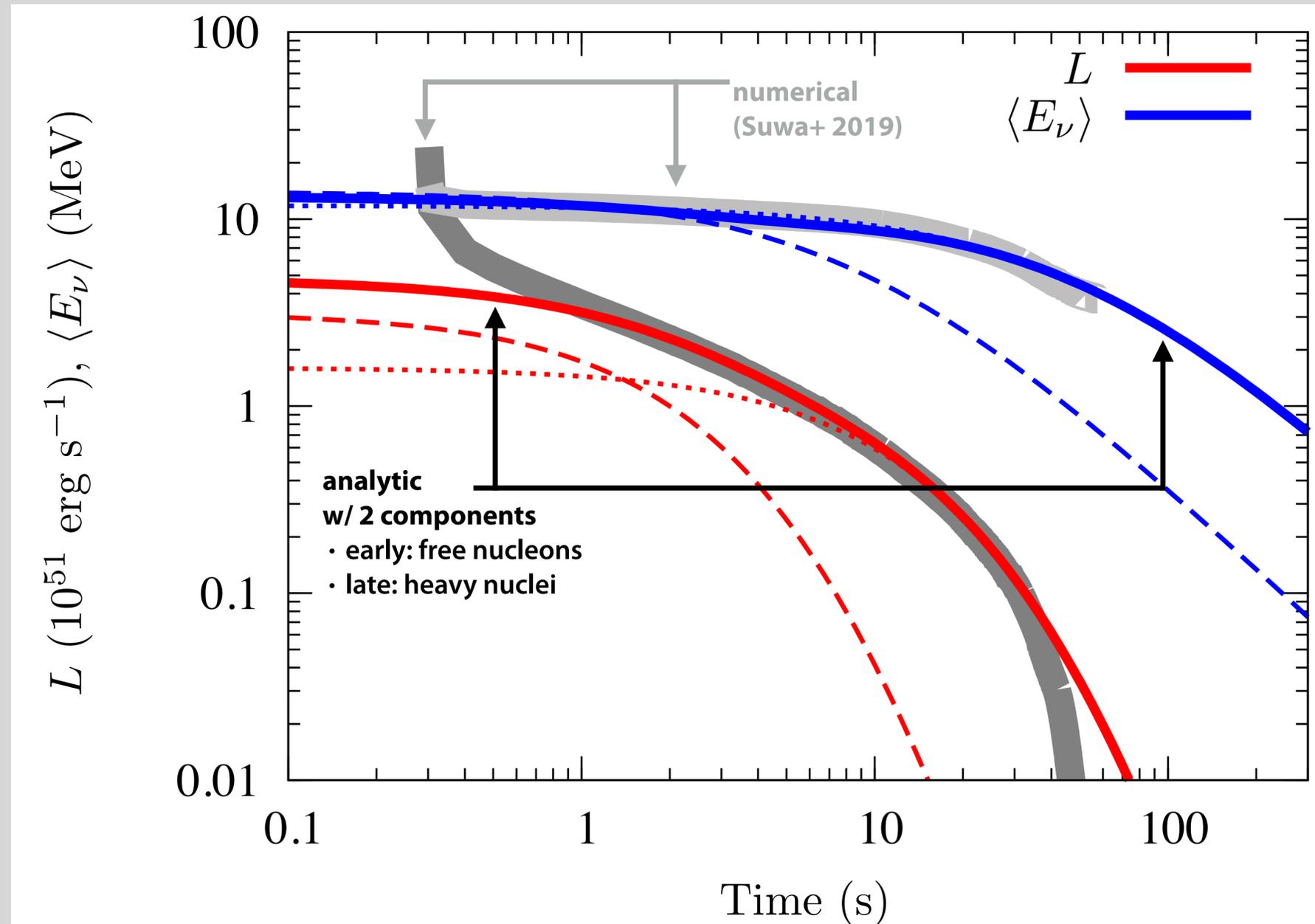
$$L = 3.3 \times 10^{51} \text{ erg s}^{-1} \left( \frac{M_{\text{PNS}}}{1.4 M_{\odot}} \right)^6 \left( \frac{R_{\text{PNS}}}{10 \text{ km}} \right)^{-6} \left( \frac{g\beta}{3} \right)^4 \left( \frac{t+t_0}{100 \text{ s}} \right)^{-6}$$

### ✦ Neutrino average energy

$$\langle E_{\nu} \rangle = 16 \text{ MeV} \left( \frac{M_{\text{PNS}}}{1.4 M_{\odot}} \right)^{3/2} \left( \frac{R_{\text{PNS}}}{10 \text{ km}} \right)^{-2} \left( \frac{g\beta}{3} \right) \left( \frac{t+t_0}{100 \text{ s}} \right)^{-3/2}$$

### ✦ two-component model

- ▶ early cooling phase ( $\beta=3$ )
- ▶ late cooling phase ( $\beta=O(10)$ )



# Observables with analytic solutions

[Suwa, Harada, Nakazato, Sumiyoshi, PTEP, 2021, 0130E01 (2021)]

## \* Event rate w/ SK from SN @10kpc

$$\mathcal{R} \approx 720 \text{ s}^{-1} \left( \frac{M_{\text{det}}}{32.5 \text{ kton}} \right) \left( \frac{D}{10 \text{ kpc}} \right)^{-2} \left( \frac{M_{\text{PNS}}}{1.4 M_{\odot}} \right)^{15/2} \left( \frac{R_{\text{PNS}}}{10 \text{ km}} \right)^{-8} \left( \frac{g\beta}{3} \right)^5 \left( \frac{t + t_0}{100 \text{ s}} \right)^{-15/2}$$

## \* Positron average energy

$$E_{e^+} \approx 25 \text{ MeV} \left( \frac{M_{\text{PNS}}}{1.4 M_{\odot}} \right)^{3/2} \left( \frac{R_{\text{PNS}}}{10 \text{ km}} \right)^{-2} \left( \frac{g\beta}{3} \right) \left( \frac{t + t_0}{100 \text{ s}} \right)^{-3/2}$$

## \* PNS radius

$$R_{\text{PNS}} = 10 \text{ km} \left( \frac{\mathcal{R}}{720 \text{ s}^{-1}} \right)^{1/2} \left( \frac{E_{e^+}}{25 \text{ MeV}} \right)^{-5/2} \left( \frac{M_{\text{det}}}{32.5 \text{ kton}} \right)^{-1/2} \left( \frac{D}{10 \text{ kpc}} \right)$$

## \* Consistency relation of analytic model

$$\frac{\mathcal{R}\ddot{\mathcal{R}}}{\dot{\mathcal{R}}^2} = \frac{17}{15}$$

# Toward physics in the next Galactic supernova

## \* Properties of neutron stars

### ✦ Binding energy

- ▶ *important for energetics, done with SN1987A*

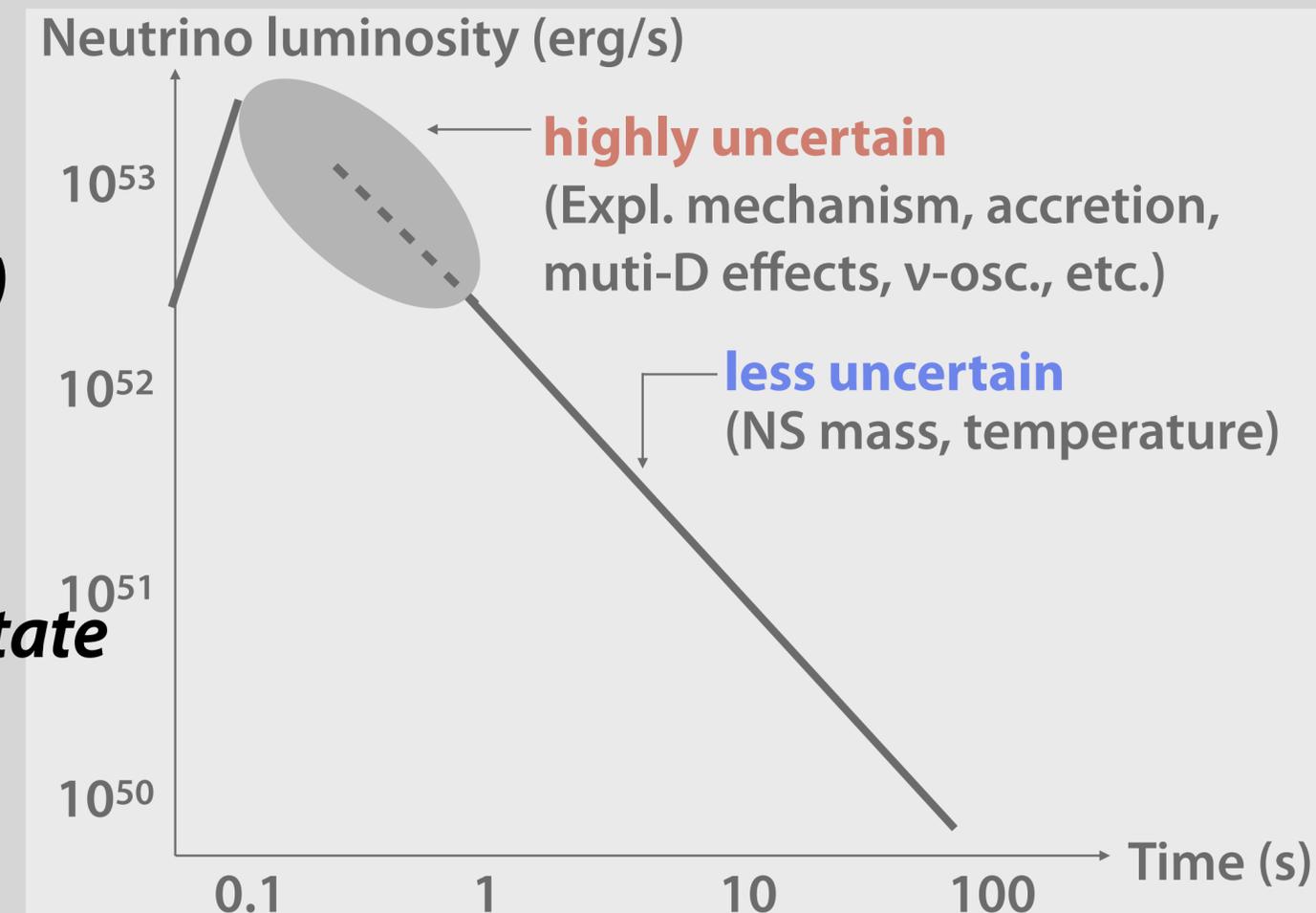
$$E_b \approx \frac{GM_{\text{NS}}^2}{R_{\text{NS}}} = \mathcal{O}(10^{53})\text{erg} \left( \frac{M_{\text{NS}}}{1.4M_{\odot}} \right)^2 \left( \frac{R_{\text{NS}}}{10\text{km}} \right)^{-1}$$

### ✦ Mass

- ▶ *important for discriminating final object (NS or BH)*
- ▶ *measurable with next SN*

### ✦ Radius

- ▶ *important for discriminating nuclear equation of state*
- ▶ *measurable with next SN*



# Summary

## \* Neutrinos from the next Galactic SN are studied

### \* Take home messages

- ✦  $O(10^3)$   $\nu$  will be detected, correlated to  $M_{NS}$
- ✦ Observable time scale is  $O(10)s$ , even  $> 100s$
- ✦ Simple analytic expressions are available
- ✦ Data analysis framework is being constructed

### \* Strategy of neutrino observations

- building neutrino detectors
- taking data (*Monte-Carlo*)
- simplified analytic model
- detailed numerical simulations

### \* Next step

- ✦ Spectral information in analytic solutions
- ✦ Complete data analysis pipeline