Extreme universe annual meeting

Based on







> Indicates the existence of WH connecting BH and Hawking Rad



· Evapoirating BH + Hartle Hawking state (QFT state)  
[HHi] = 
$$\frac{1}{\sqrt{2}}$$
  $\sum_{n} e^{\beta E_{n}/2}$  |E<sub>n</sub>?<sub>in</sub> |E<sub>n</sub>?<sub>out</sub>  
L: degrees of friedom in the BH interior  
 $T = \frac{1}{\sqrt{2}}$   $Cf. S(\rho_{n}) = # of Bull puter
shued by incurs and excurses
. Due to the evaporation, M = 0 : β = 0  $S(\rho_{n}) = S_{th}(\rho)$  beings increasing o  
 $\Rightarrow$  Infinitely many states in the BH interior (locality of QFT)  
However SBH counts # of States in the BH interior  
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a Compavison Herro Herd and an extangled state on it,  
Usual idea The island formula
  
When the BH
  
BH interior = EW of the BH
  
= Cartradicts with unitarity
  
The island formula: The entropy of Hawking radiction is computed by the following finale
  

$$S(\rho_R) = \min Ext \left[\frac{A[\partial I]}{4G} + S_{bulk} OFT \left[IUR\right]\right]$$
  
S(00) Computed in this way is Consistent with

## Entanglement between two disjoint Universes [ Babsubrannian Kar, TU]



$$S_{\beta}(P_{A}) = M_{iu} E_{xt} \left[ \frac{A[ac]}{4G_{N}} + S_{bulk, GFT} [AUC] \right]$$







A/B is the solution of Einstein's ags with the boundary condition (Explicit calculations are possible in 2D JT gravity)

• Typically the resulting space time contains a long WH region connecting between the two horizon

S(PA) = Min Ext Area [20] + Shulk OFT [0]



(Related Study Using SYK by Numasawa)



## Applications to closed universe.



· We have been focusing on BHs in Asymptotically AdS or flat space where we have a weakly gravitating region for arbitrary Canchy slice

⇒ Validates the non-gravitating assumption 
$$(G_N = 0$$
 in Hawking radiation)  
⇒ ER = EPR worm these plays a less role in these setup

Naive island formula for dS [Balasubranomian, Kar, TU]  
see also [Maldaacua et.al] [Hortum et al]  
See also [Maldaacua et.al] [Hortum et al]  

$$ITB > = \frac{1}{\sqrt{Z(p)}} \sum_{n} e^{\beta E_{n} \ell_{n}} \frac{1}{\sqrt{2}} \otimes [4]_{R}^{\ell_{n}} \frac{1}{2} \frac{1}{\sqrt{2}} \otimes [4]_{R}^{\ell_{n}} \frac{1}{\sqrt{2}} \otimes [4]_{R}^{\ell_{n}} \frac{1}{\sqrt{2}} \otimes [4]_{R}^{\ell_{n}} \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \otimes [4]_{R}^{\ell_{n}} \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \otimes [4]_{R}^{\ell_{n}} \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \otimes [4]_{R}^{\ell_{n}} \frac{1}{\sqrt{2}} \frac{1}{\sqrt{$$

But 
$$S(p_A) = 0$$
 always...  $\Rightarrow$  due  $H_{ds} = 1$ ?  
Indeed the island region dS covers extire Cauchy slice.





$$\frac{\text{Recipi for } A/B}{(1) \text{ We Start from a theory admitting both dS and AdS vacual}}$$
$$I = \int \sqrt{g} \left( R + \theta \cdot g^{2} - V \cdot (g) \right)$$







Relation to the result on VN algebra for dS · It has been argued vN algebra for dS becomes non-trivia only when we include observer and its gravitational interaction with dS. [Pennigton Witten .-- ] . In our case, AdS BH plays a role of observer. . Perhaps this is the reason why we have non trival Hlds in this case.

( Naiver island formala)



Conclusion • We study entanglement between d.o.f in closed universe and Ads BH(. @ the Hilbert space of closed universe is fragile against entanglement with a larger Hilbert Space.

## Possible projects

seems promising.

