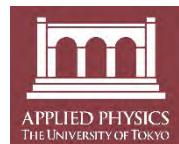


Superconducting circuits for quantum technologies

Yasunobu Nakamura

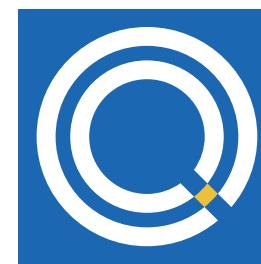
RIKEN Center for Quantum Computing

Department of Applied Physics, Graduate School of Engineering,
The University of Tokyo



RIKEN Center for Quantum Computing (RQC)

since April 2021



**RIKEN
QUANTUM
COMPUTING**

RQC PIs



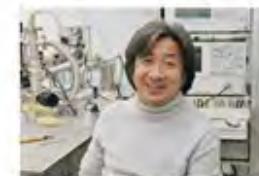
Tomotaka Kuwahara



Eisuke Abe



Bartosz Regula



JawShen Tsai



Seigo Tarucha



Hayato Goto



Akira Furusawa



Shintaro Sato



Erika Kawakami



Yasunobu Nakamura



Shinichi Yorozu



Yutaka Tabuchi



Daniel Loss



Takeshi Fukuhara



Atsushi Noguchi



Seiji Yunoki



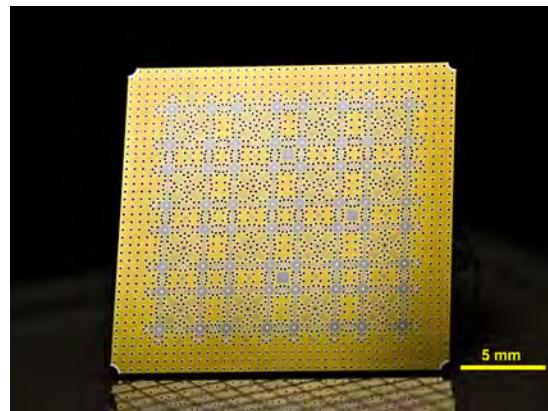
Franco Nori



Keisuke Fujii

RQC research topics

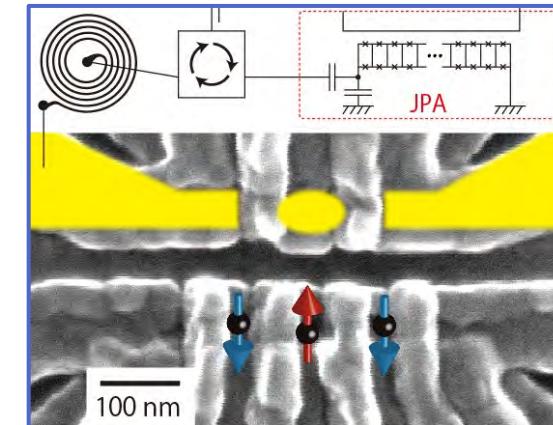
Superconducting quantum computers



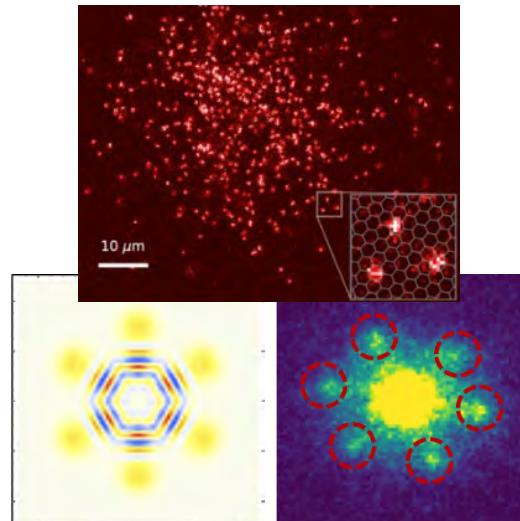
Optical quantum computers



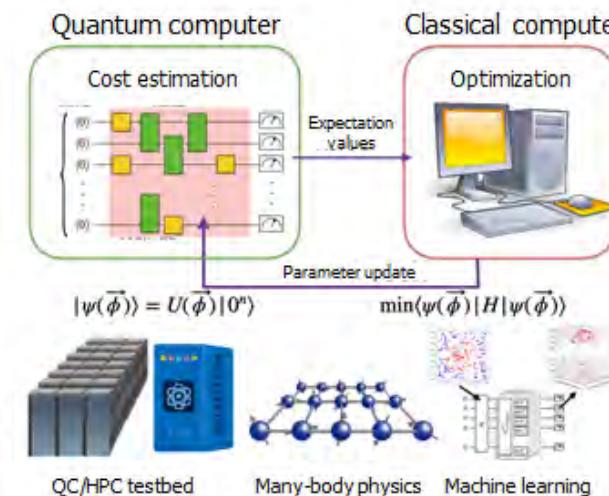
Silicon quantum computers



Other quantum platforms



Quantum computing theory

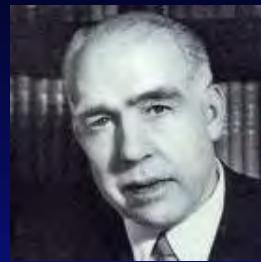
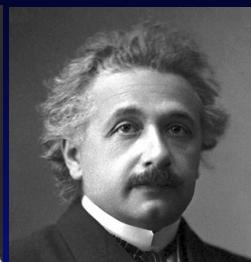
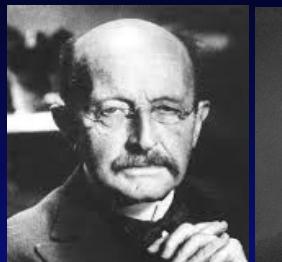


20th century: Century of quantum mechanics

1900 Blackbody radiation (Planck)

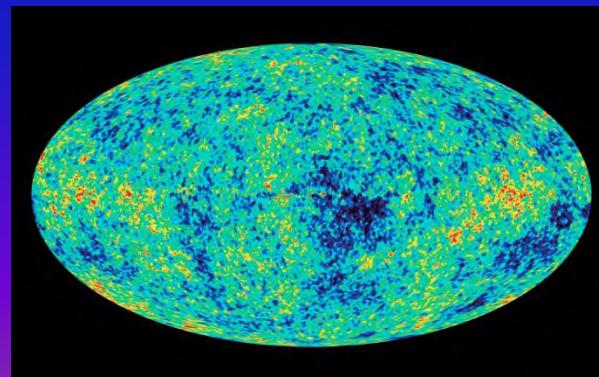
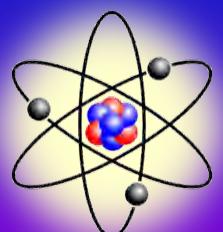
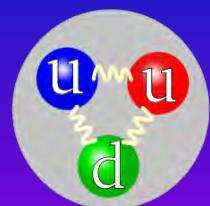
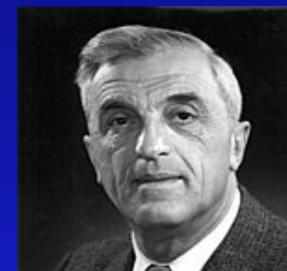
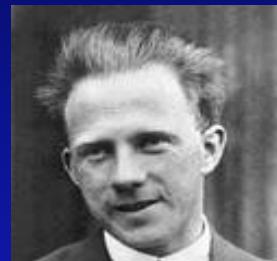
1905 Photoelectric effect (Einstein)

1913 Bohr model of atoms



1925 Matrix mechanics (Heisenberg)

1925 Wave mechanics (Schrödinger)

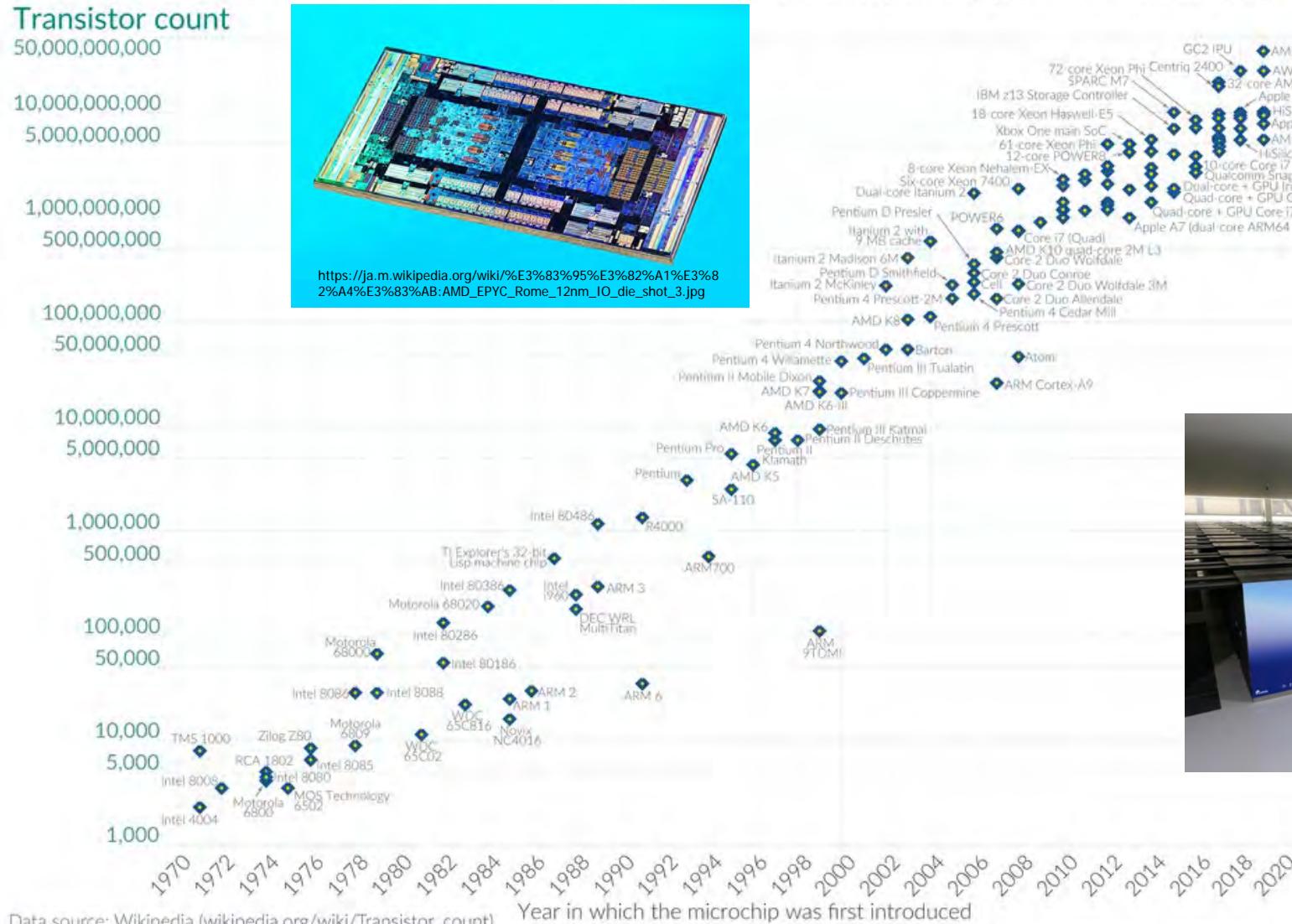


Moore's law 1965~

Moore's Law: The number of transistors on microchips doubles every two years

Moore's law describes the empirical regularity that the number of transistors on integrated circuits doubles approximately every two years. This advancement is important for other aspects of technological progress in computing – such as processing speed or the price of computers.

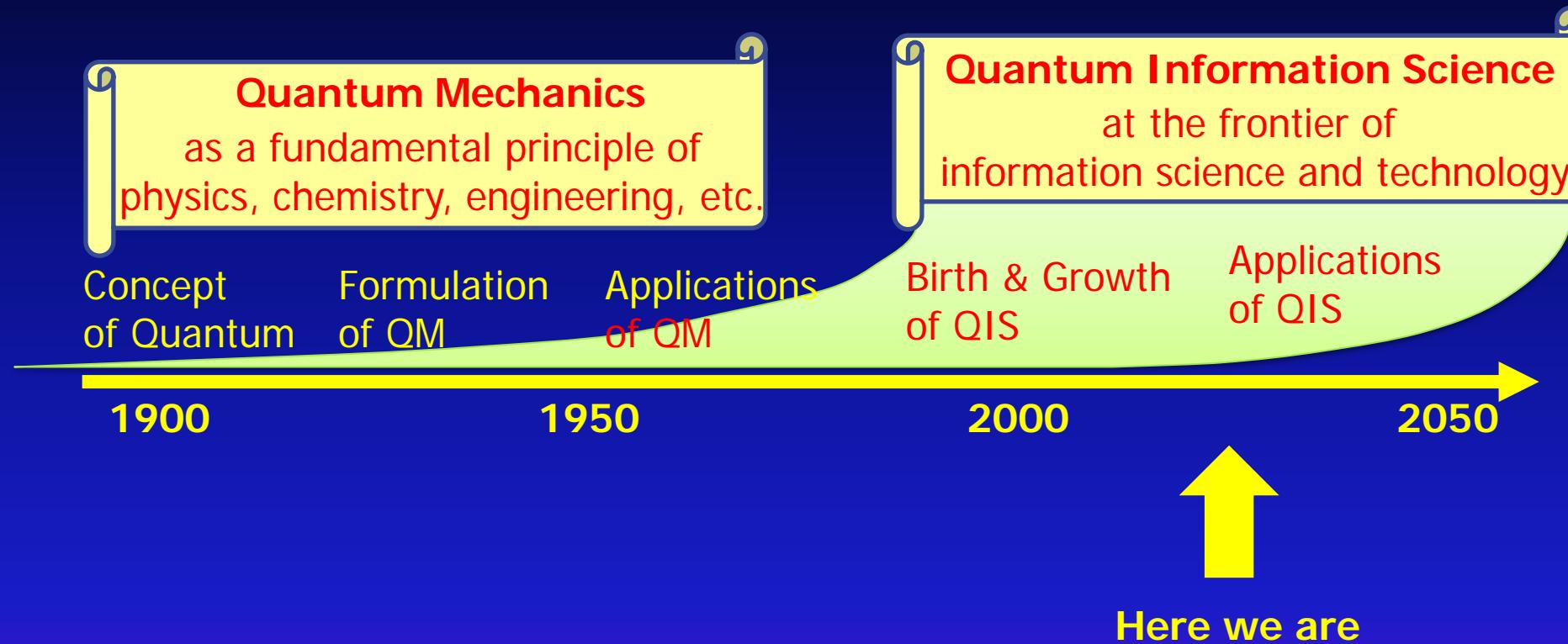
Our World
in Data



Fugaku@RIKEN

20th century: Century of Quantum Mechanics

21st century: Century of Quantum Information Science

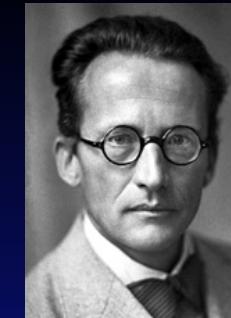


Our challenge:

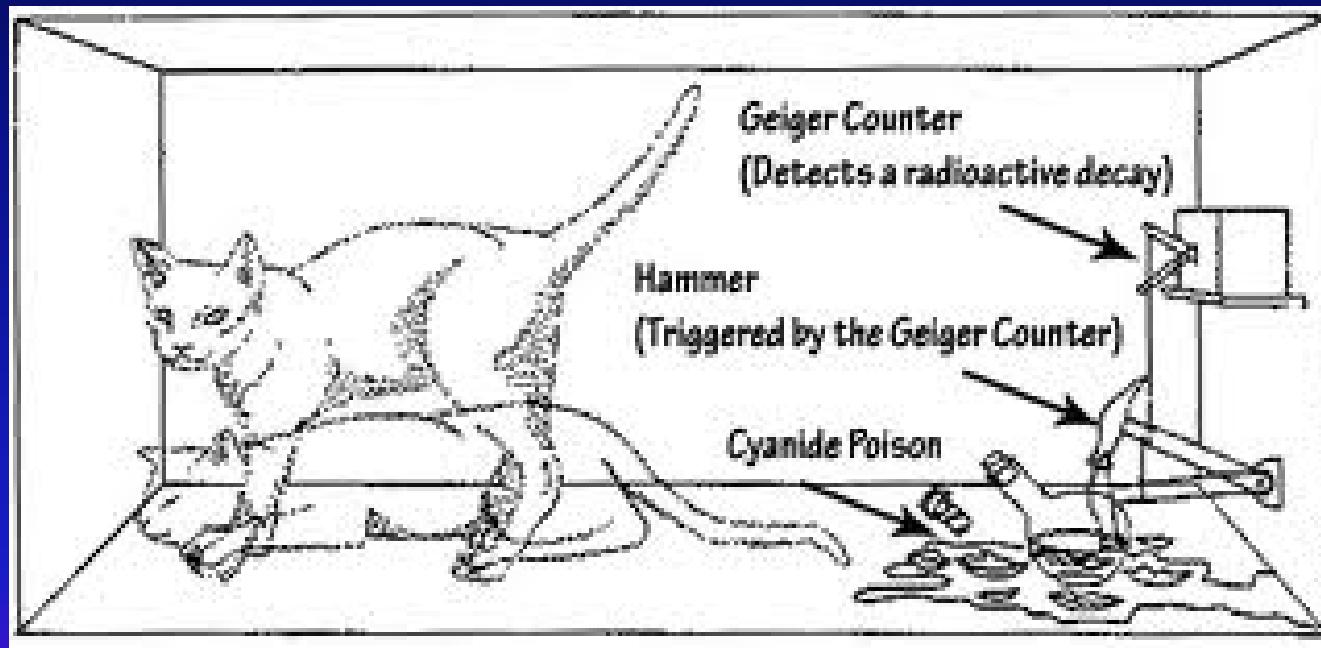
**How far can we control quantum systems in terms of
the number of degrees of freedom, time, speed, precision, etc.?**

Schrödinger's paradox

Macro-realism vs. Quantum mechanics



Schrödinger 1935

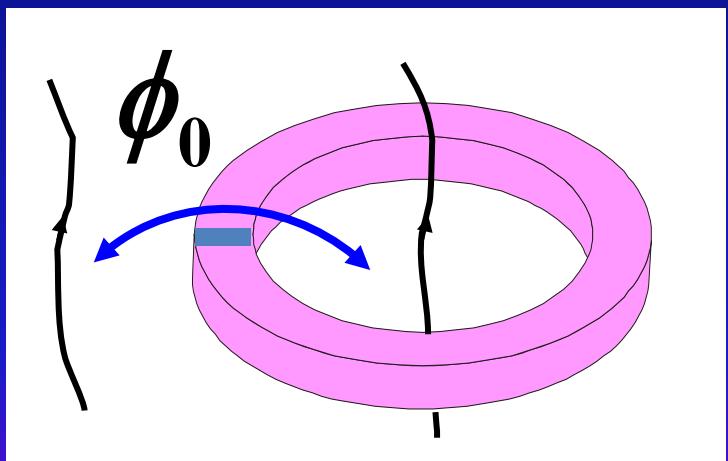


Dead and Alive

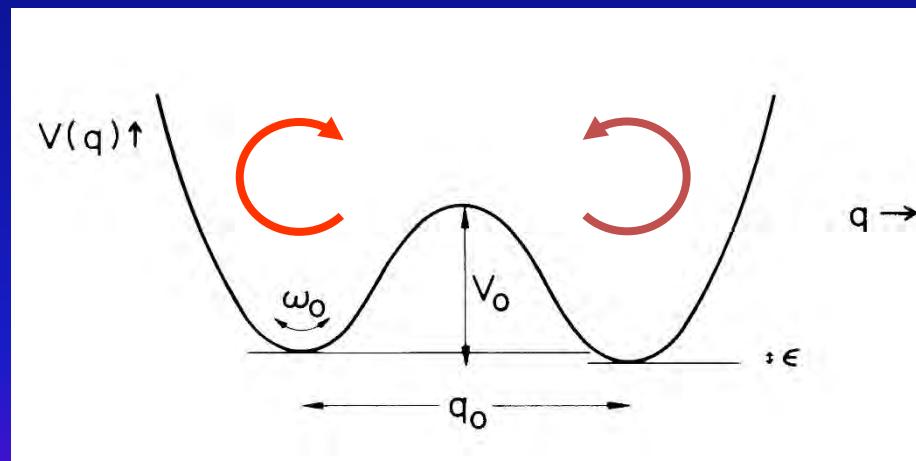
Macroscopic quantum coherence



Leggett 1980



Superconducting loop
with a Josephson junction



Josephson effect

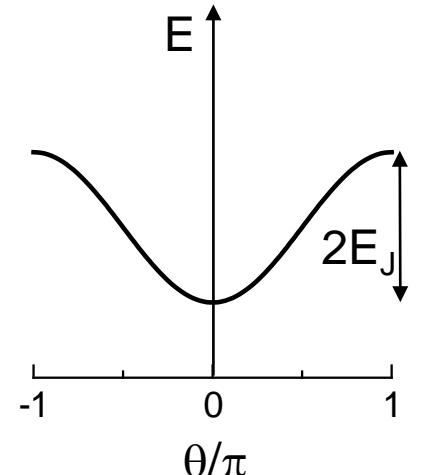
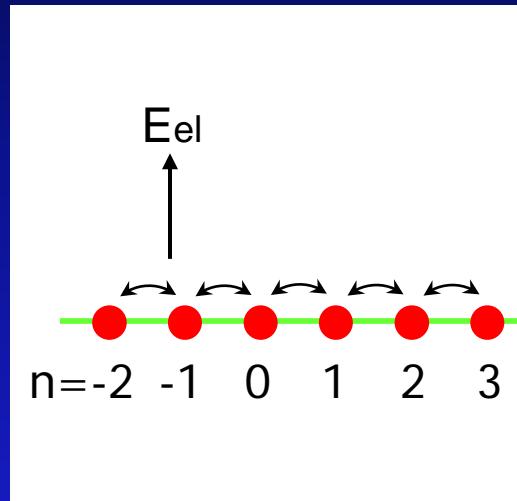
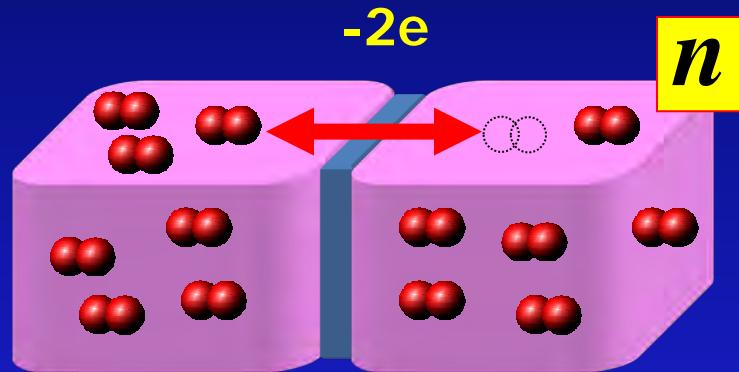
B. D. Josephson 1962



Number $n \Leftrightarrow$ Phase θ

$$[n, \theta] = -i$$

Cooper-pair tunneling

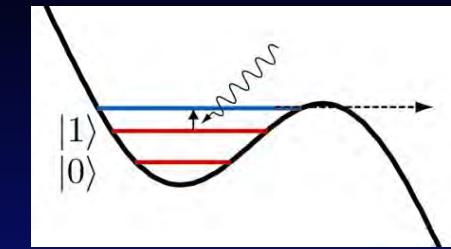
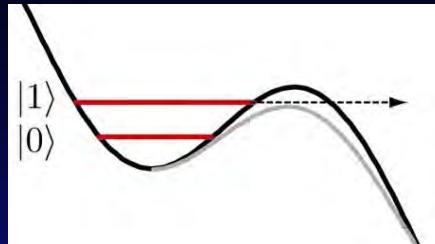


$$H = -\frac{E_J}{2} \sum_n \{|n\rangle\langle n+1| + |n+1\rangle\langle n|\} = - \int_0^{2\pi} d\theta E_J \cos \theta |\theta\rangle\langle\theta|$$

1D tight-binding model \Rightarrow Bloch band

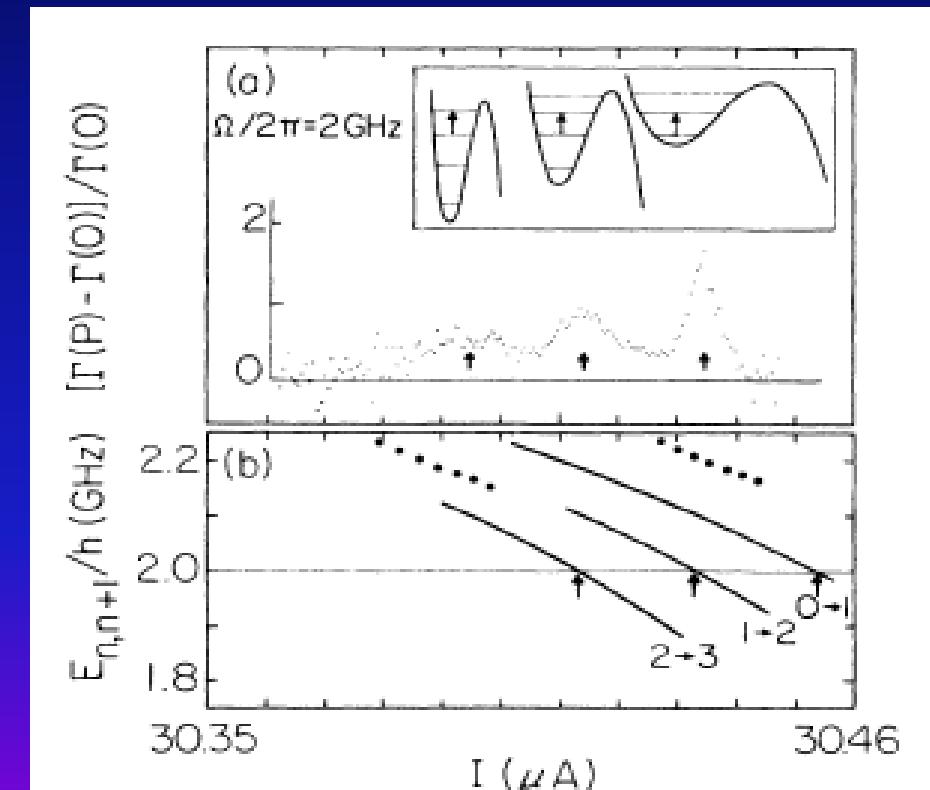
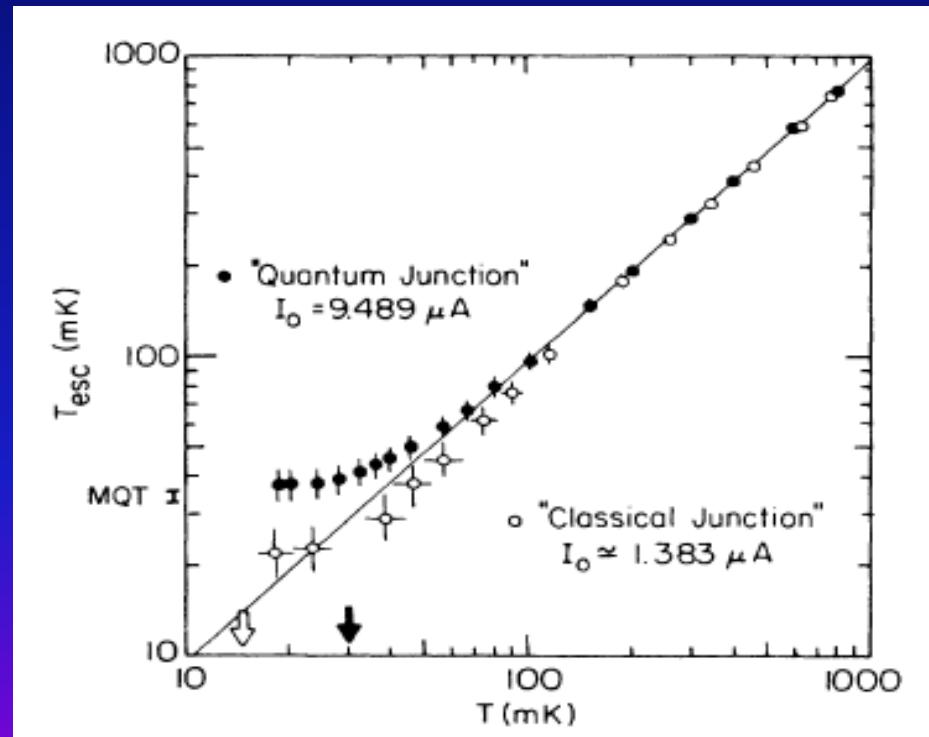
$$|\theta\rangle = \sum_n e^{in\theta} |n\rangle$$

Macroscopic quantum tunneling



Saturation of escape rate

Energy level quantization

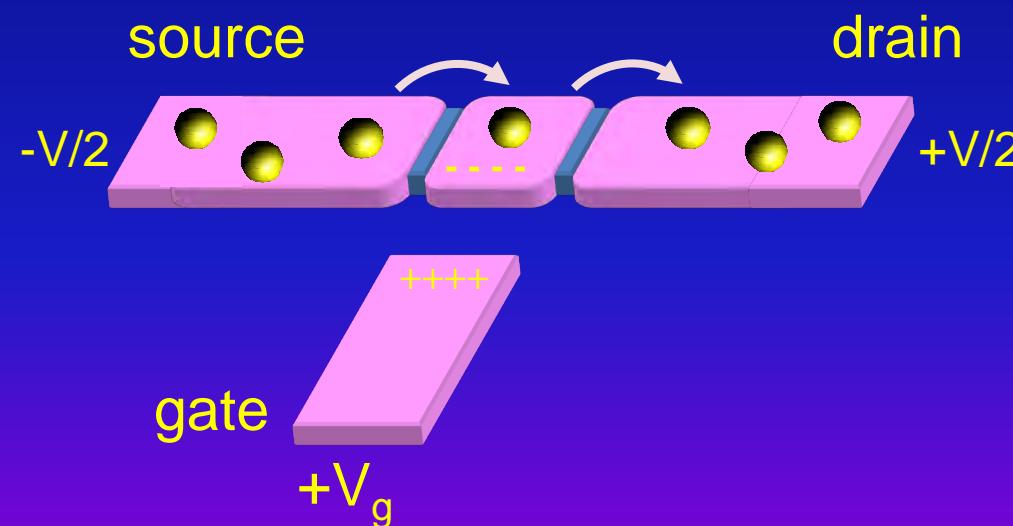
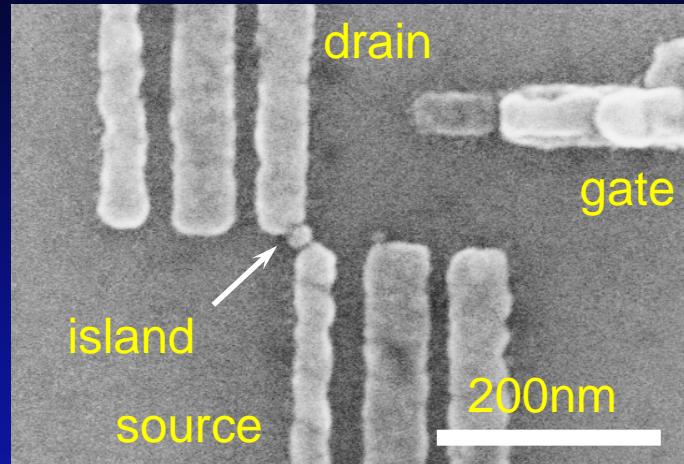


J. M. Martinis, M. H. Devoret, et al. PRB 35, 4682 (1987).

R.F. Voss and R.A. Webb (IBM), PRL 47, 265 (1981); D.B. Schwarz et al. (SUNY), PRL 55, 1547 (1985).

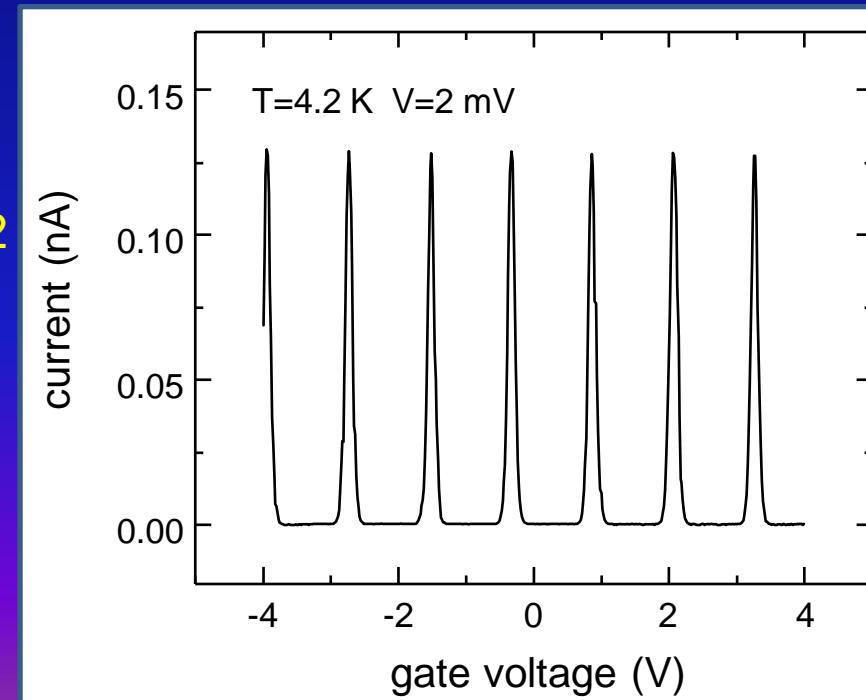
Single-electron devices

1990s



$$E_C \equiv \frac{e^2}{2C_\Sigma} \sim 11.5 \text{ meV}$$

$$E_C/k_B \sim 130 \text{ K}$$



Superposition of charge-number states in Cooper-pair box

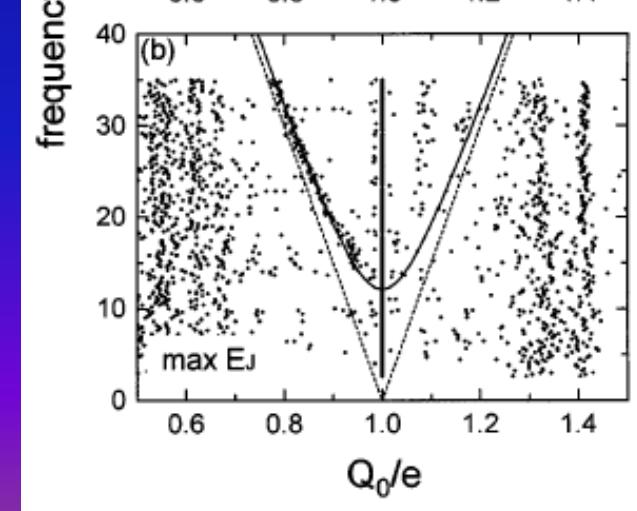
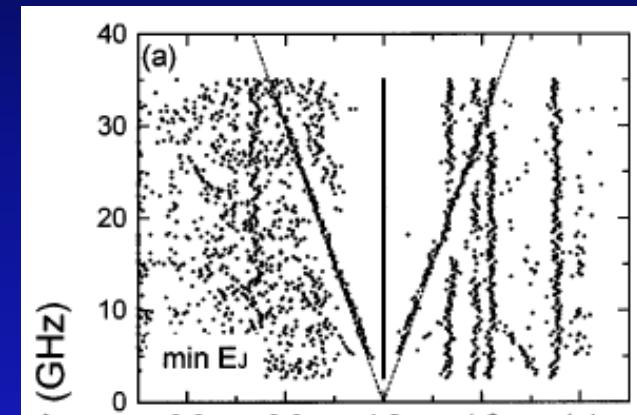
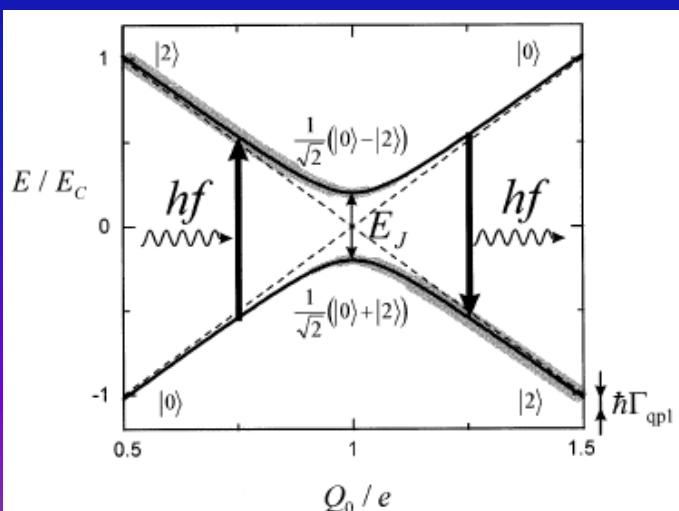
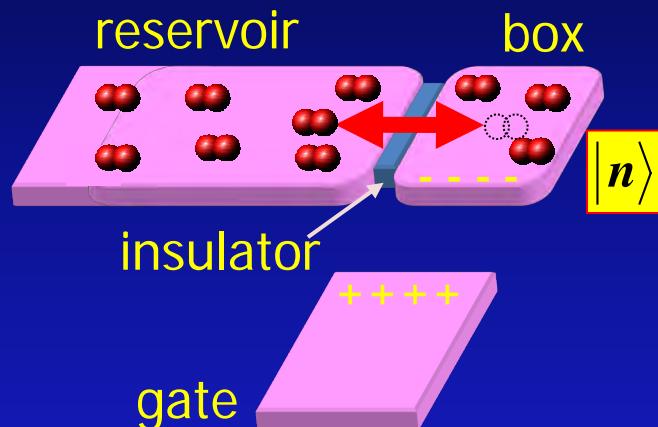
Spectroscopy of Energy-Level Splitting between Two Macroscopic Quantum States of Charge Coherently Superposed by Josephson Coupling

Y. Nakamura, C. D. Chen, and J. S. Tsai

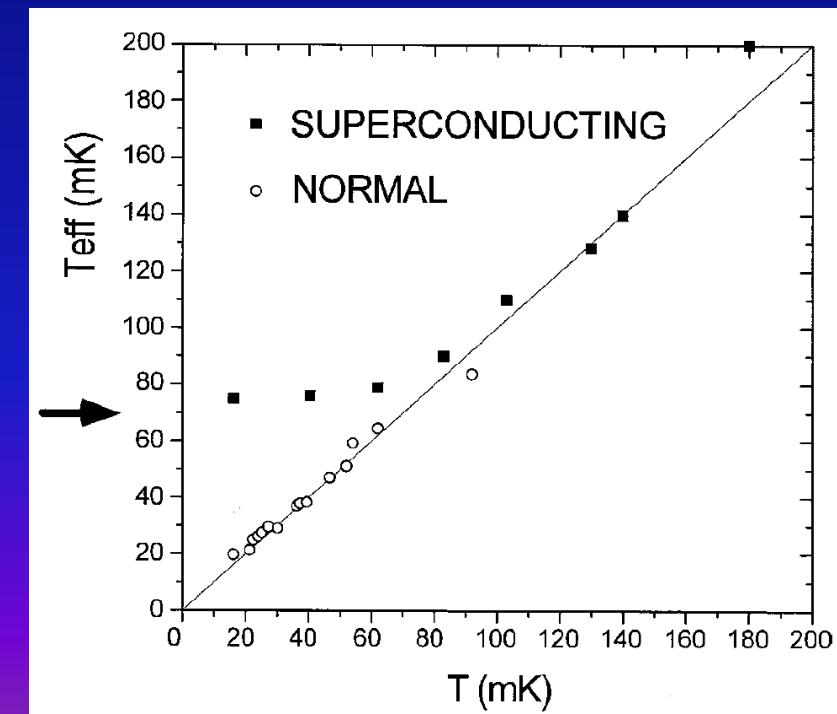
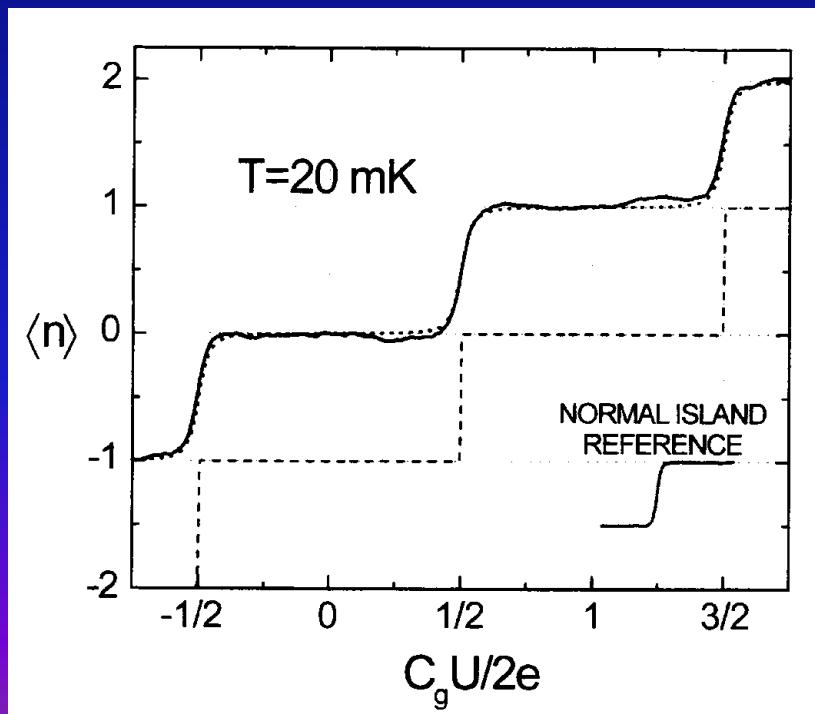
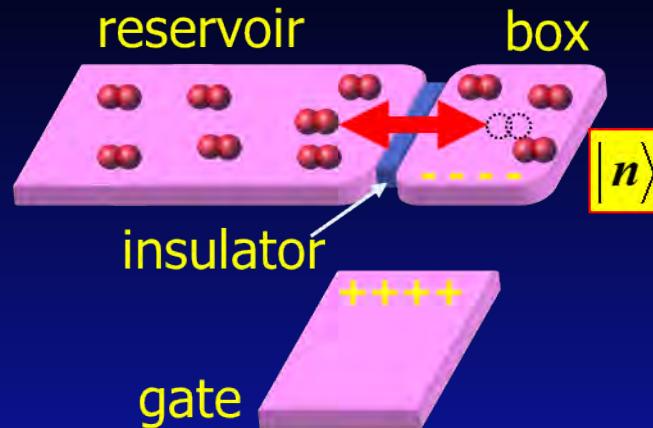
NEC Fundamental Research Laboratories, Tsukuba, Ibaraki 305, Japan

(Received 16 April 1997)

PRL 1997

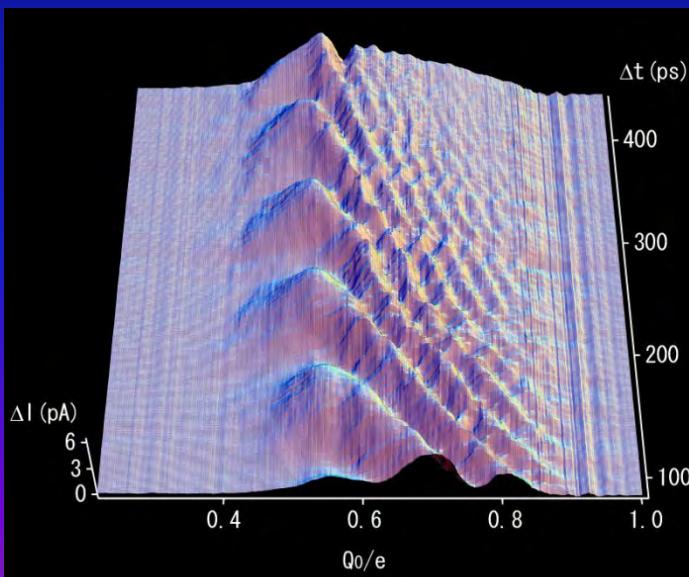
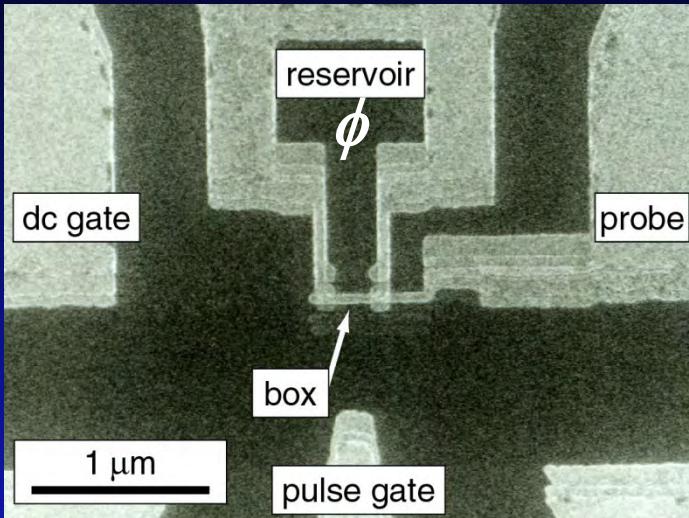


Superposition of charge-number states in Cooper-pair box



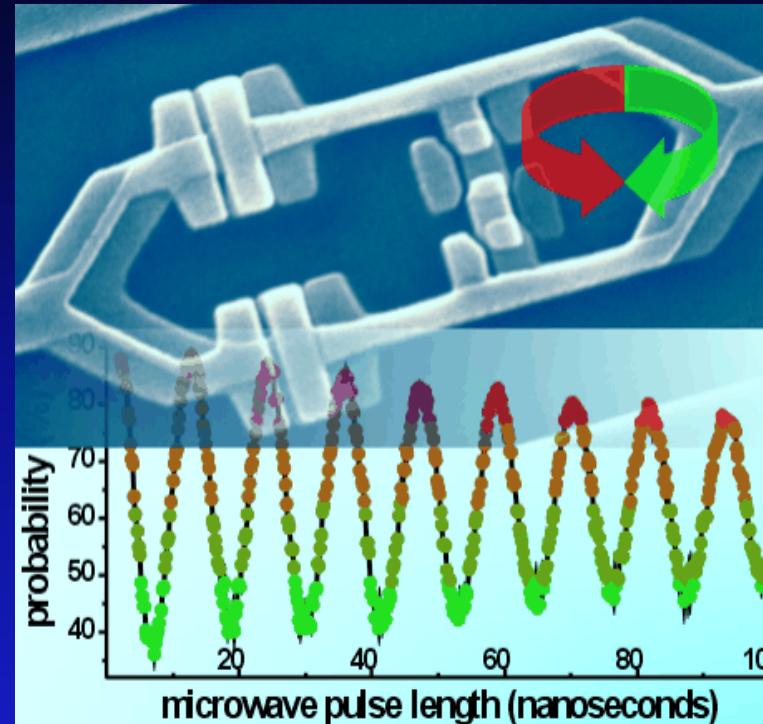
Superconducting quantum bits

Charge qubit



YN, Pashkin, Tsai, Nature (1999)

Flux qubit

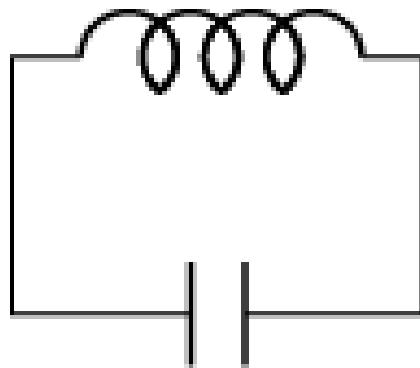


Chiorescu, YN, Harmans, Mooij, Science (2003)

Artificial two-level system in circuits
Coherent control of macroscopic system

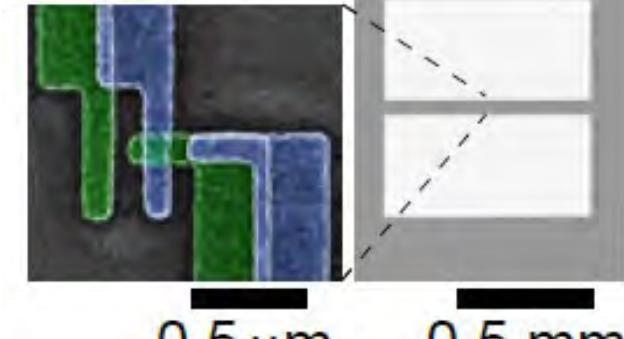
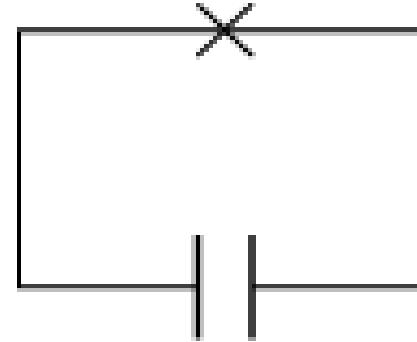
Superconducting qubit – nonlinear resonator

LC resonator



Josephson junction resonator

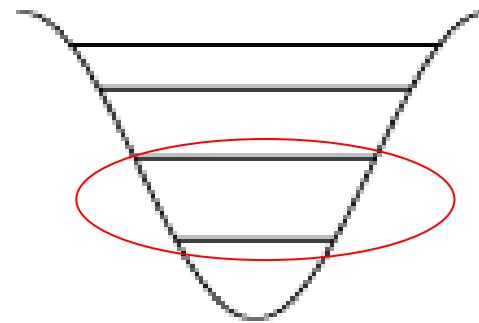
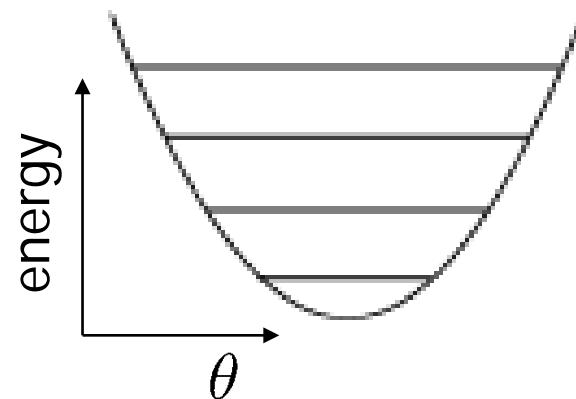
Josephson junction = nonlinear inductor



0.5 μm

0.5 mm

anharmonicity \Rightarrow effective two-level system



$$E_{01} \sim 10 \text{ GHz} \sim 0.5 \text{ K}$$

$$T \sim 0.01 \text{ K}$$

inductive energy = confinement potential

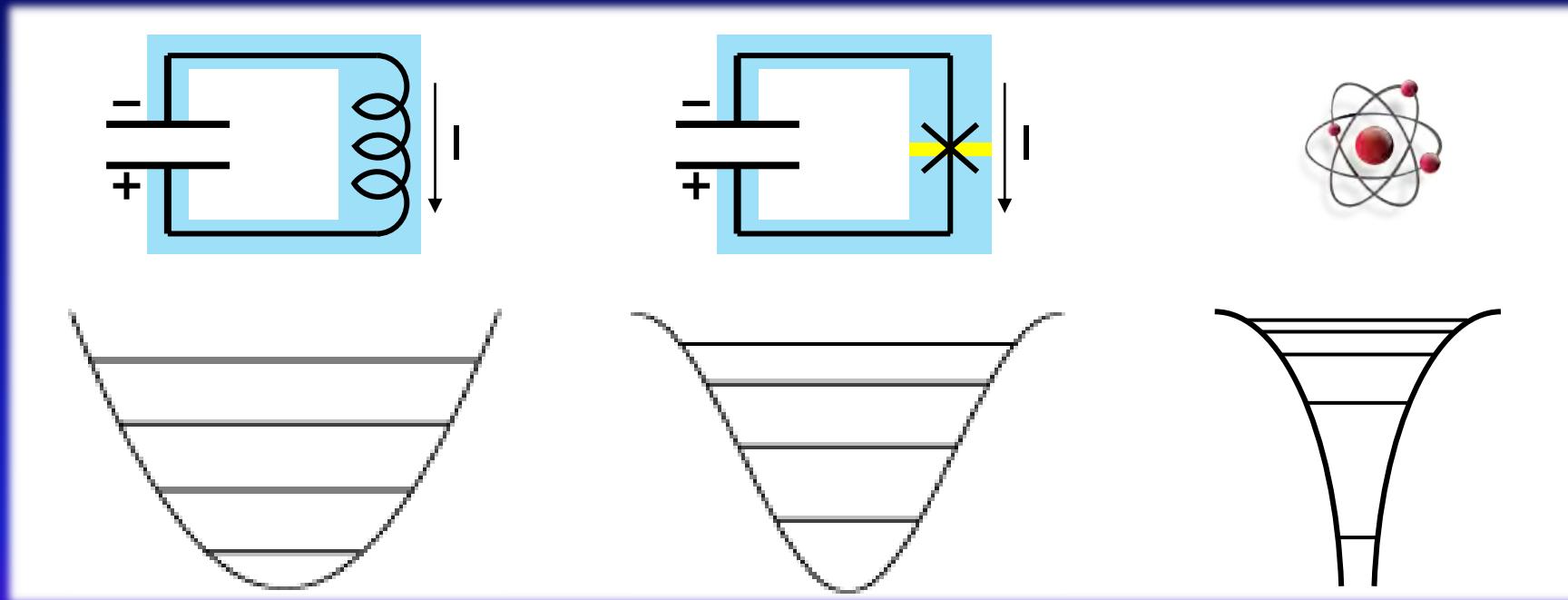
charging energy = kinetic energy \Rightarrow quantized states

Superconducting qubit – nonlinear resonator

LC resonator

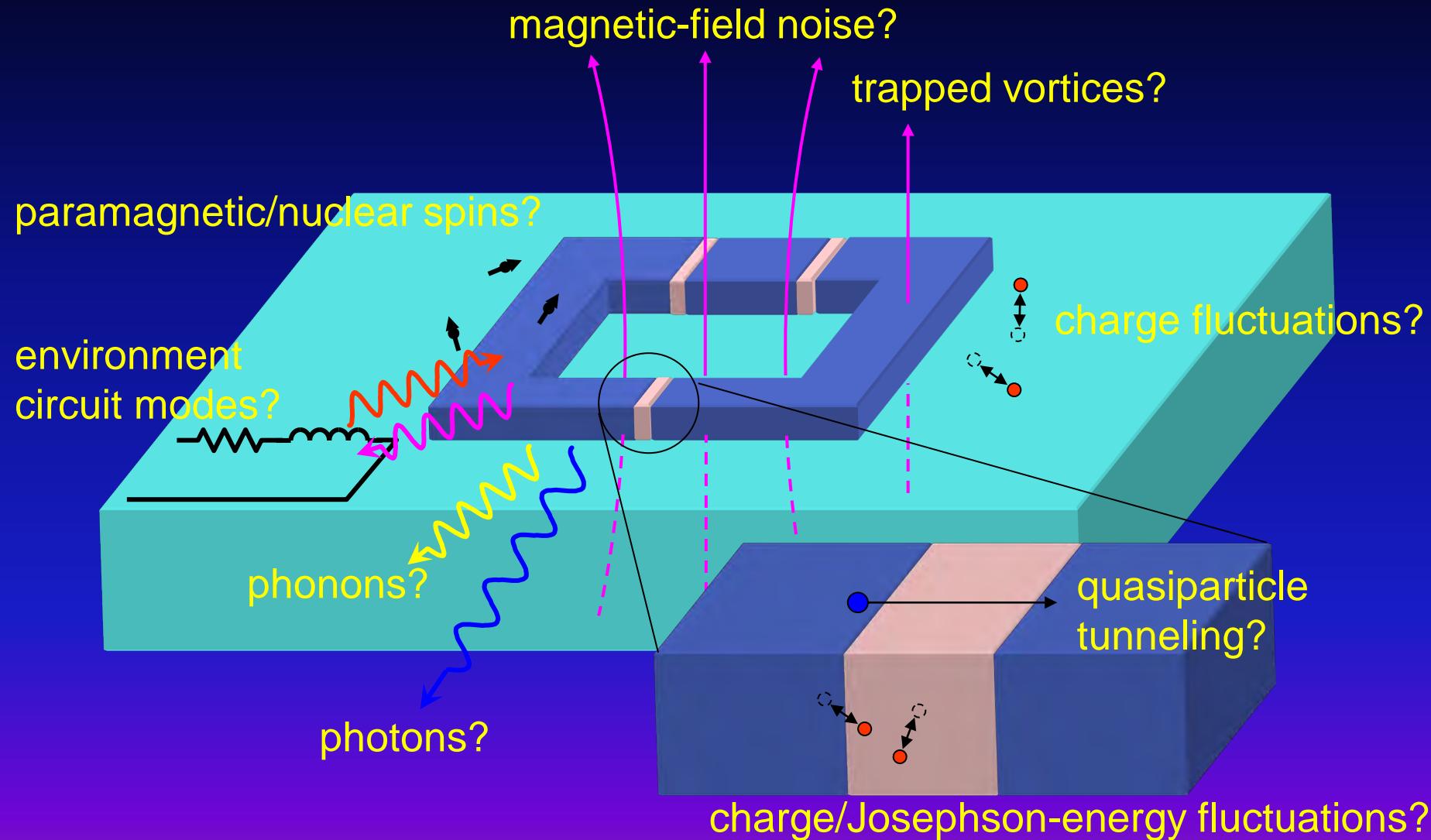
Superconducting
qubit
= Artificial atom
 $\sim \text{mm}$

Atom
 $\sim \text{\AA}$

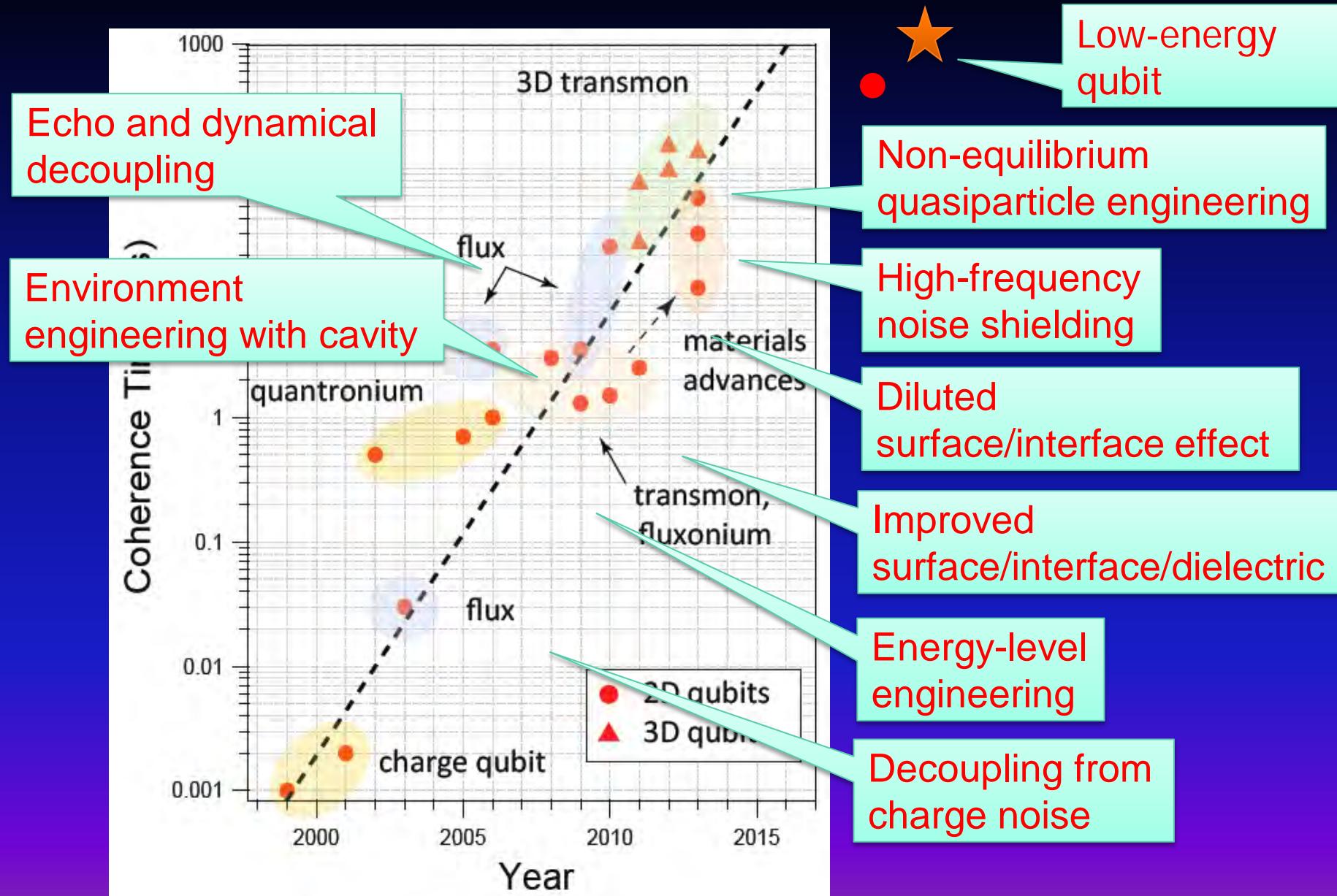


- Superconductivity \Rightarrow low-loss
- Josephson effect \Rightarrow Strong nonlinearity
- Macroscopic size \Rightarrow Strong coupling

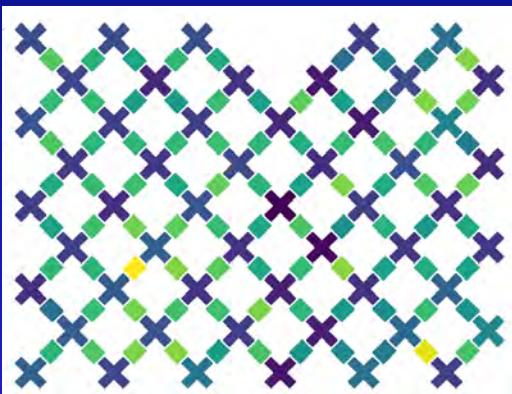
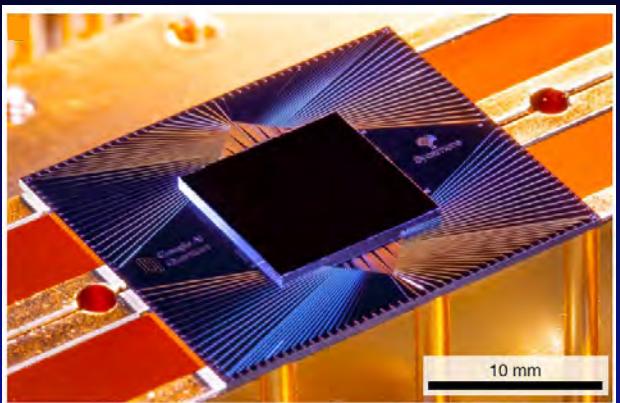
Possible decoherence sources



Coherence time of superconducting qubits

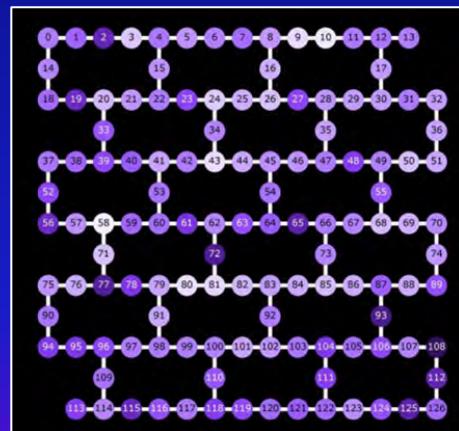
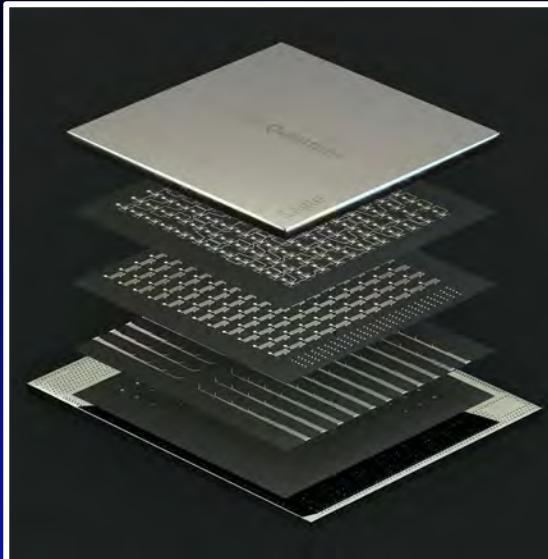


Scaling-up superconducting quantum computers



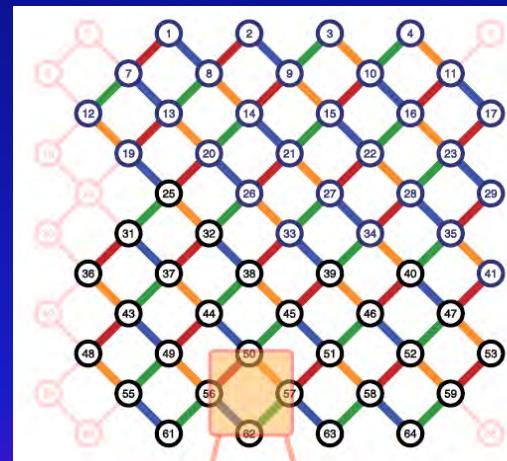
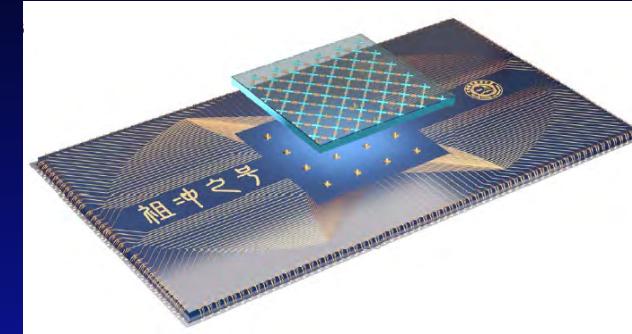
54 qubits

Google AI Quantum
Nature 574, 505 (2019)



127 qubits

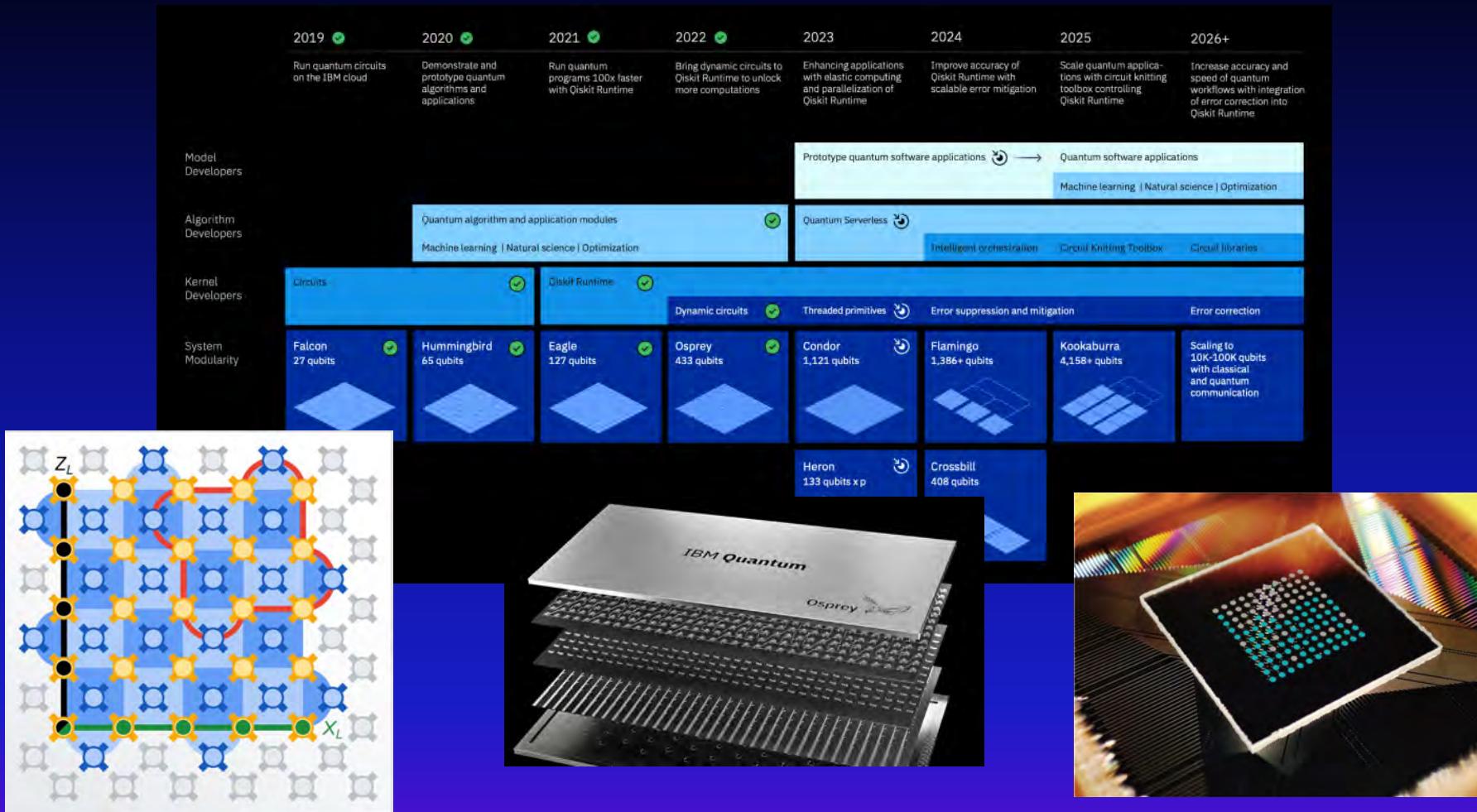
IBM
https://www.ibm.com/blogs/think/jp-ja/wp-content/uploads/sites/21/2021/11/IBM_ChipOpen_BLK_1000x1000.jpg



66 qubits

USTC
Phys. Rev. Lett. 127, 180501 (2021)

Scaling-up superconducting quantum computers



72 qubits

Google AI Quantum
arXiv:2207.06431

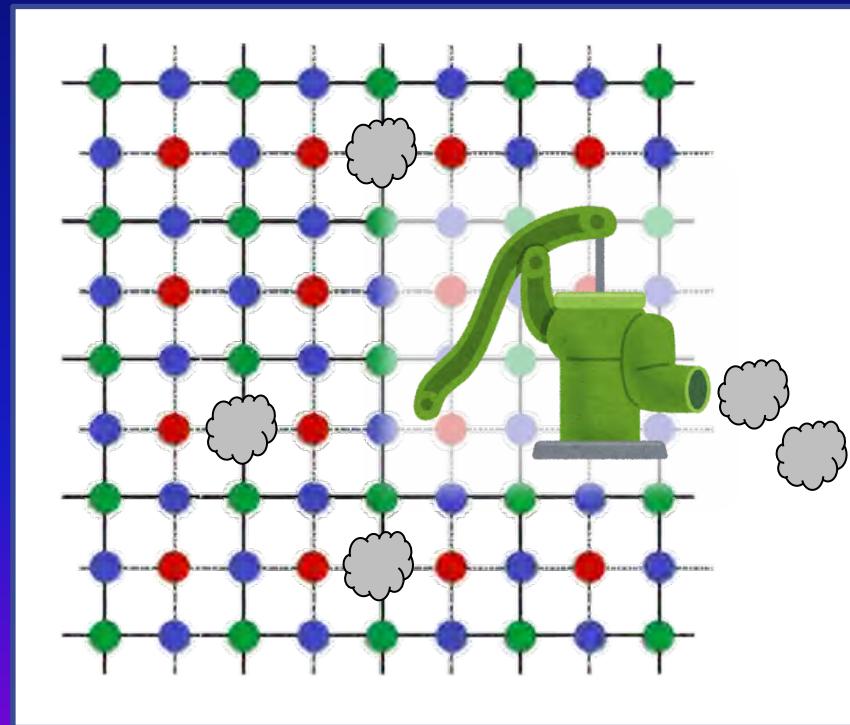
433 qubits

IBM
<https://www.ibm.com/quantum/roadmap>
<https://www.youtube.com/watch?v=Szw0KwbKowl>

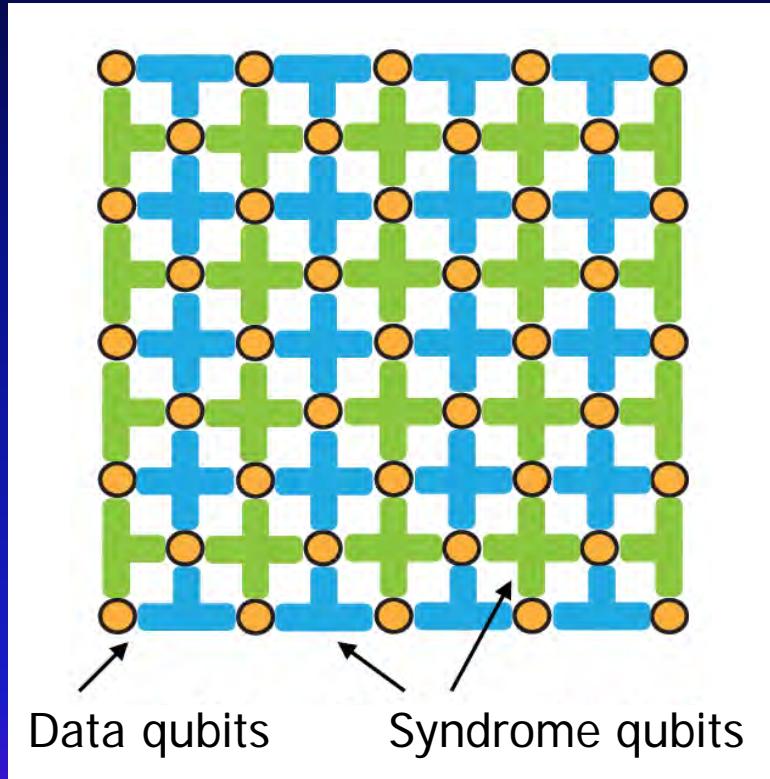
121 qubits

Zhejiang Univ.
arXiv:2211.09802

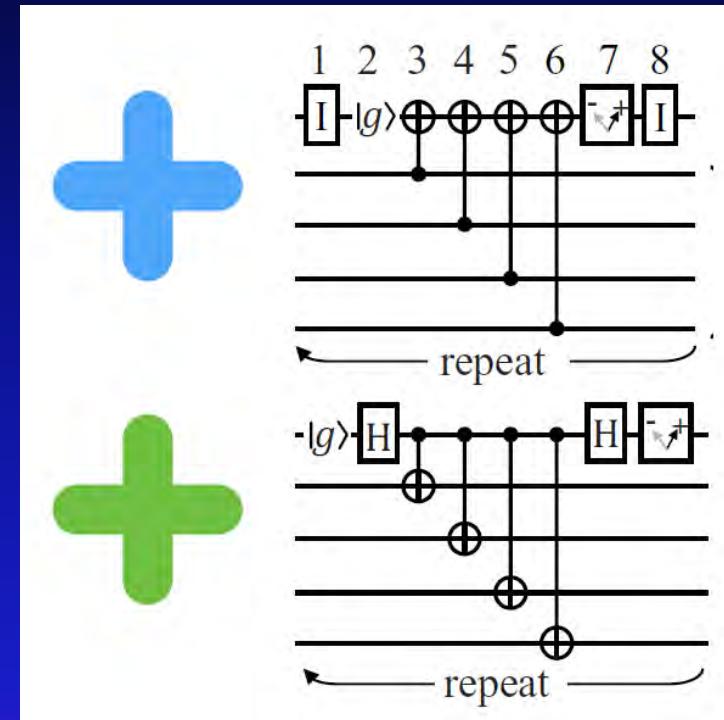
Quantum error correction and fault-tolerant quantum computing



Fault-tolerant quantum computing: Surface code



Error threshold $p_{\text{th}} \sim 0.6\%$

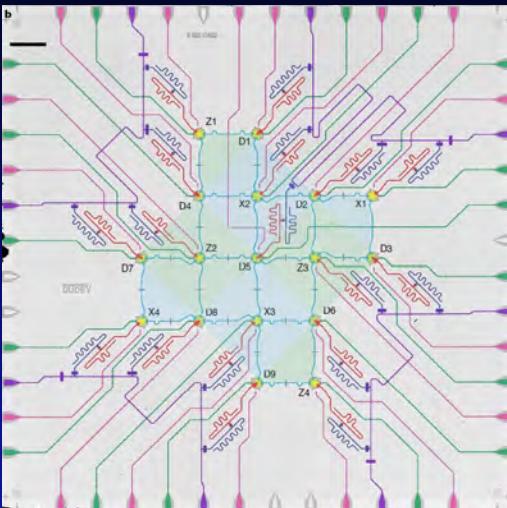


Error detection protocol

Towards quantum error correction

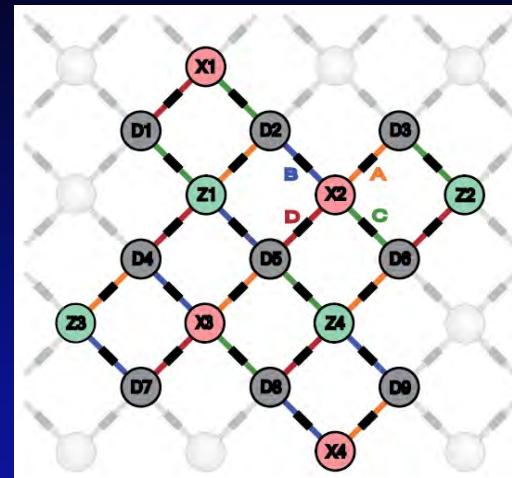
Not yet break-even

Surface code d=3



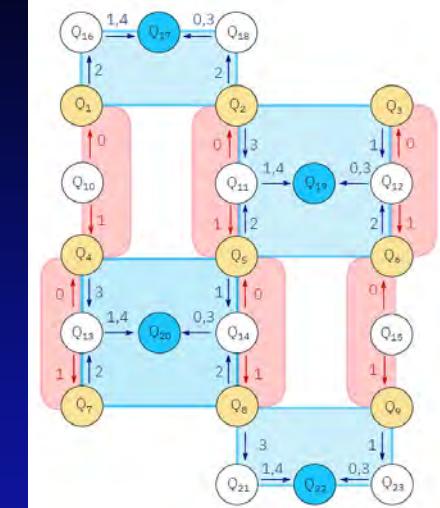
ETH Zurich

Nature 605, 669 (2022)



USTC

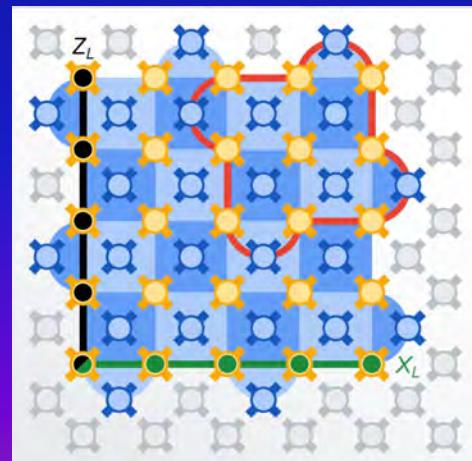
Phys. Rev. Lett. 129, 030501 (2022)



IBM

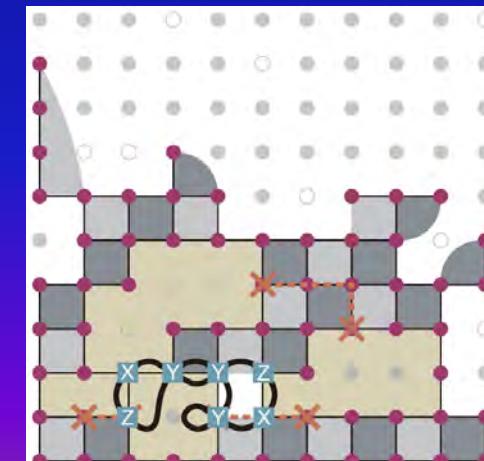
arXiv:2203.07205

Surface code d=5



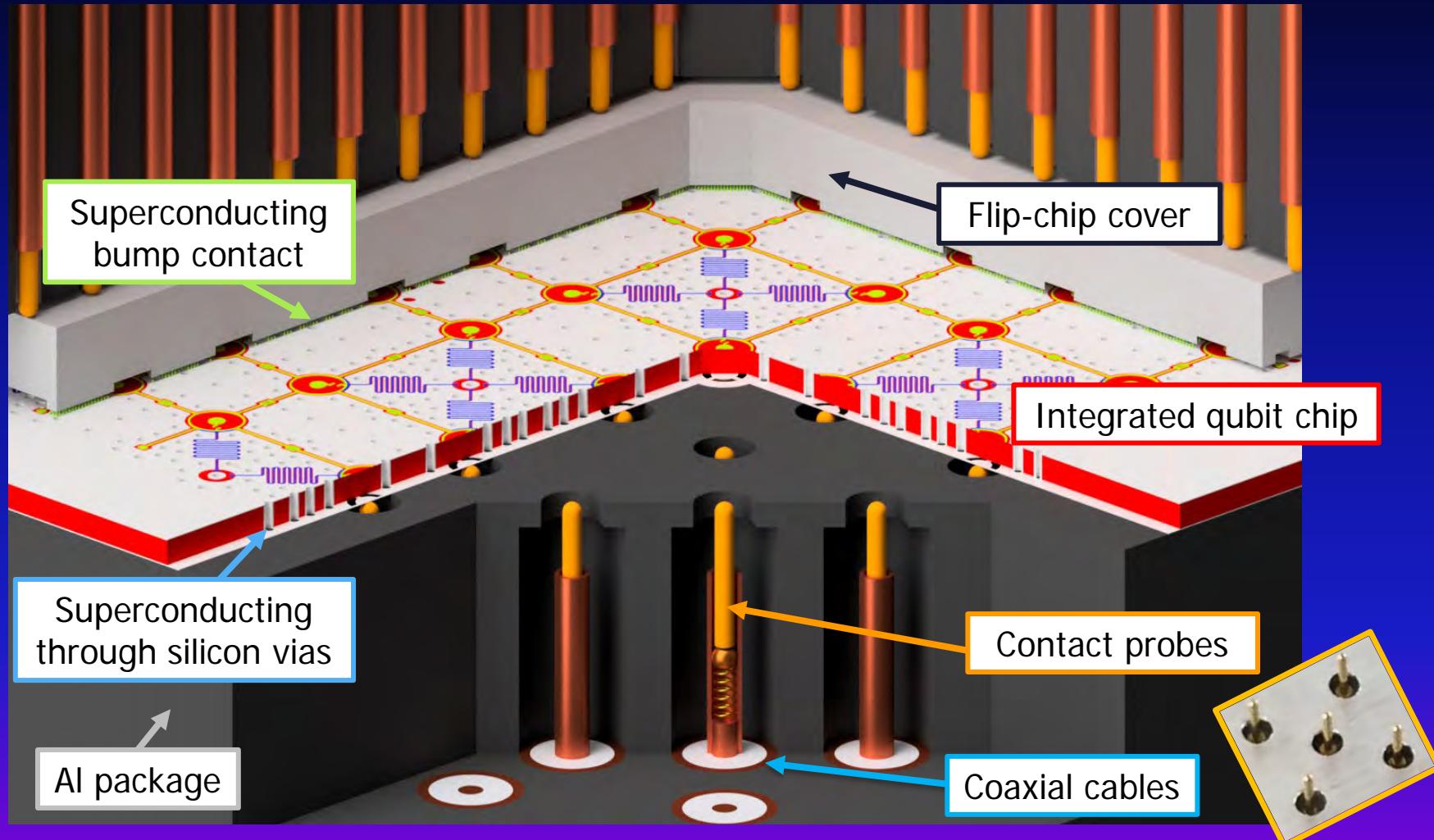
Google AI Quantum
arXiv:2207.06431

Braiding operation

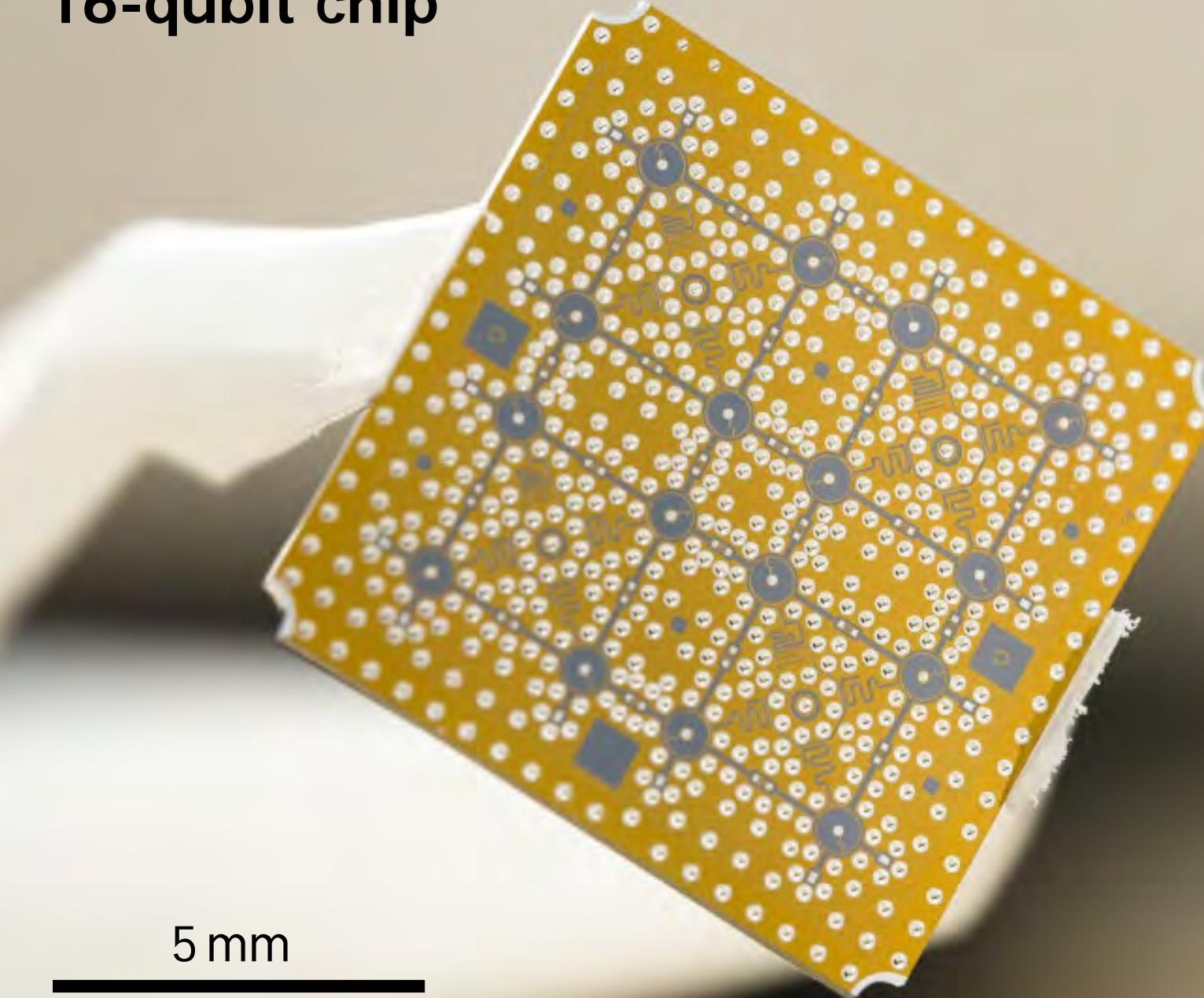


Zhejiang Univ.
arXiv:2211.09802

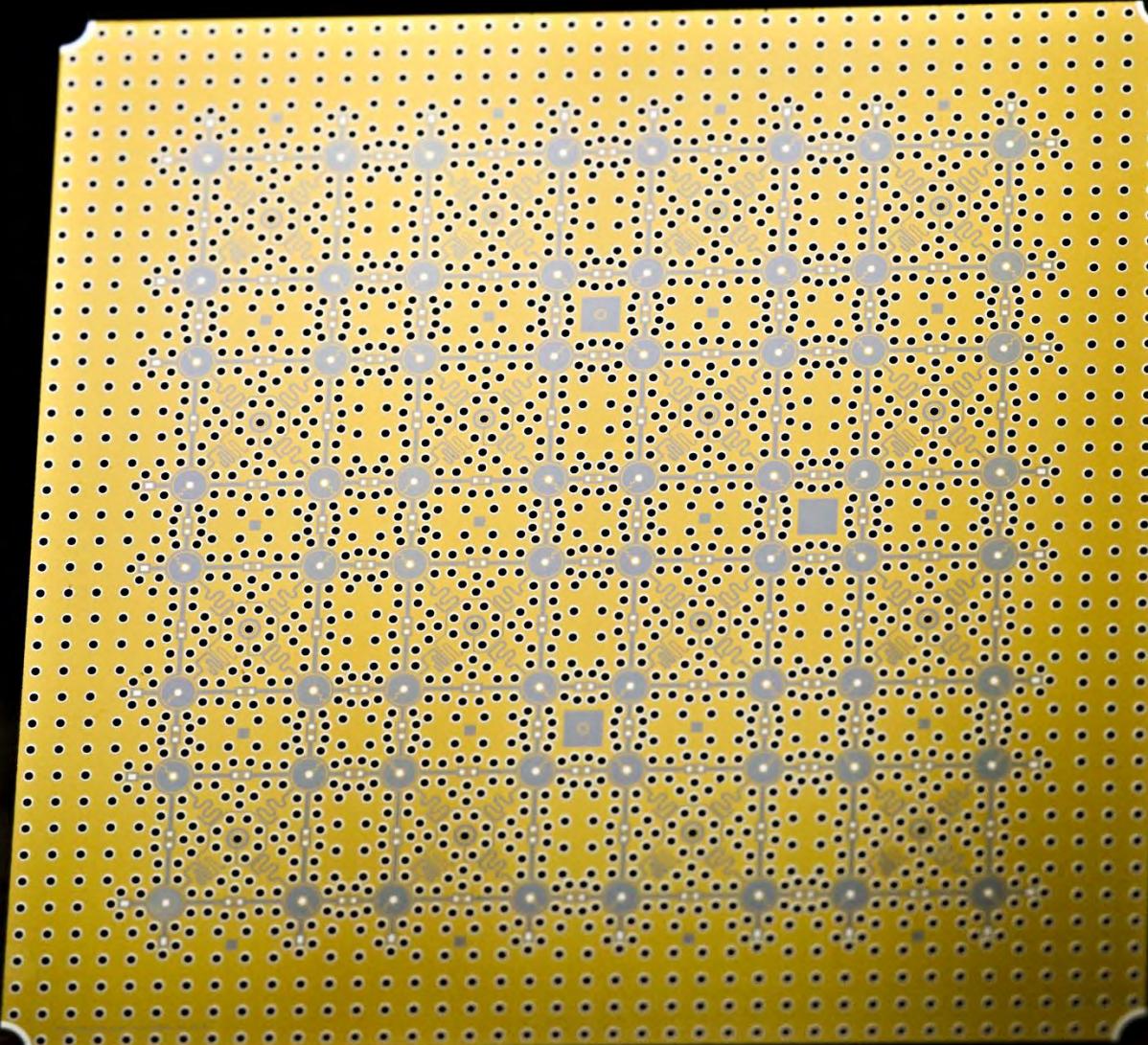
2D integration with 3D wiring



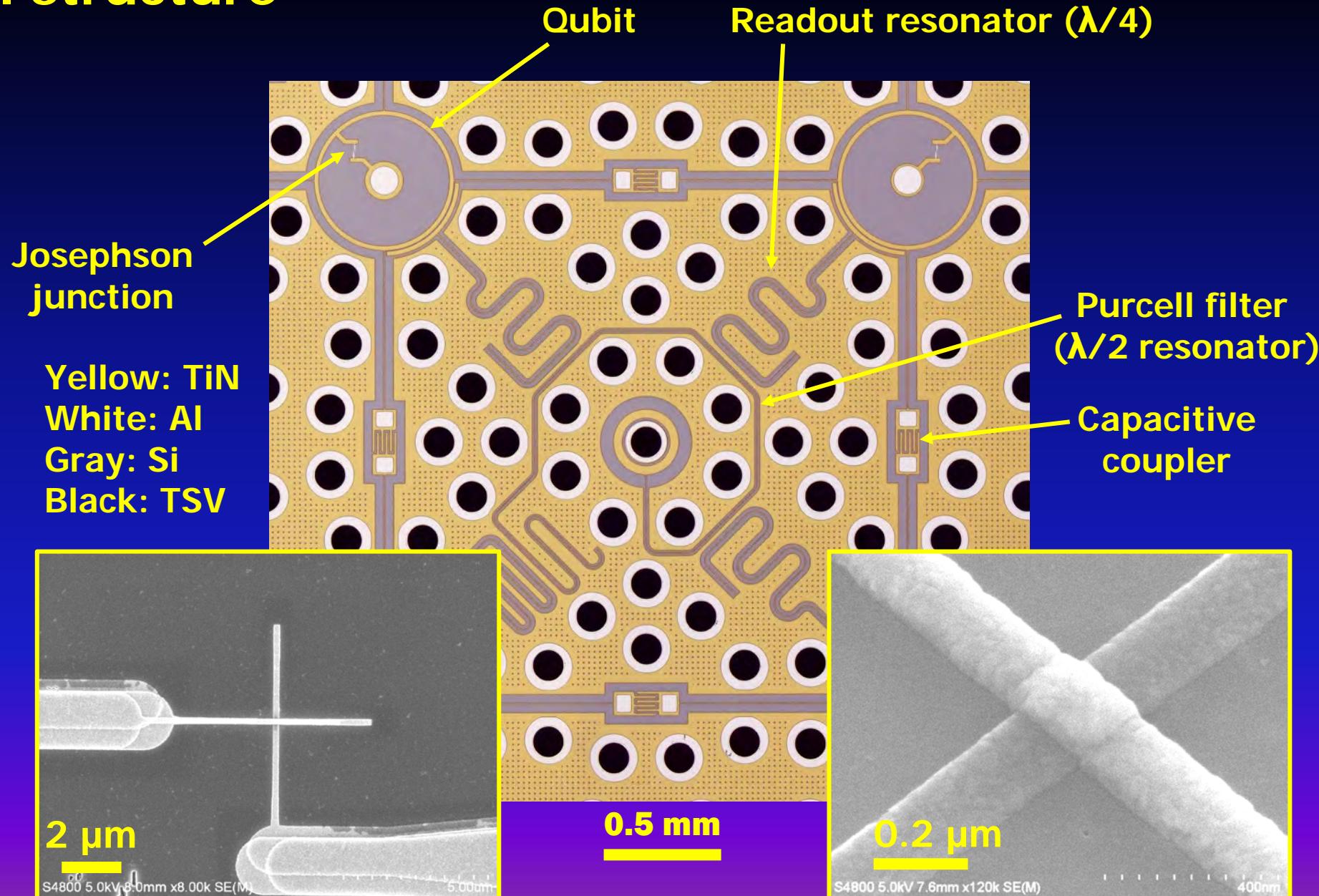
16-qubit chip



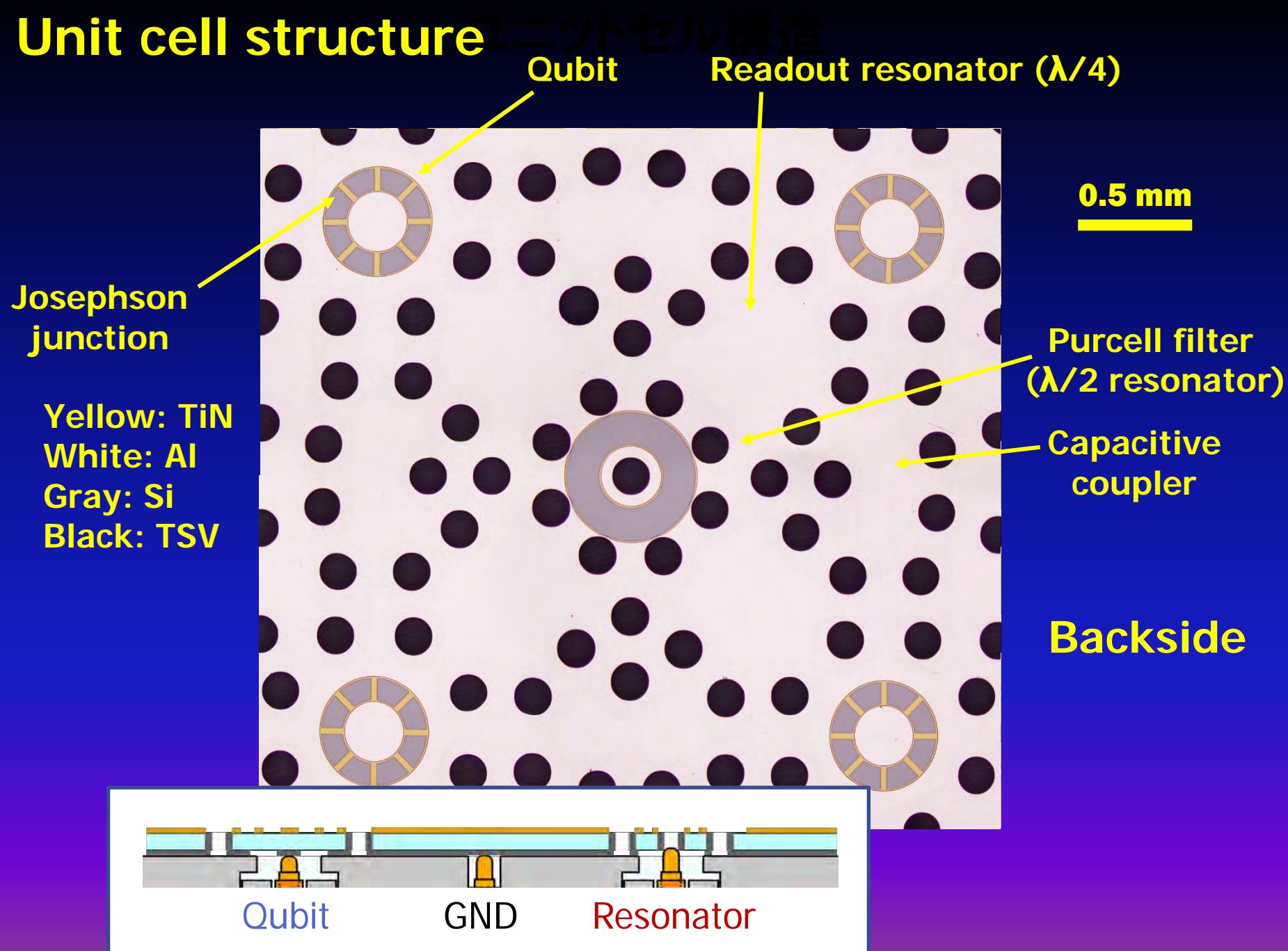
64-qubit chip



Unit cell structure

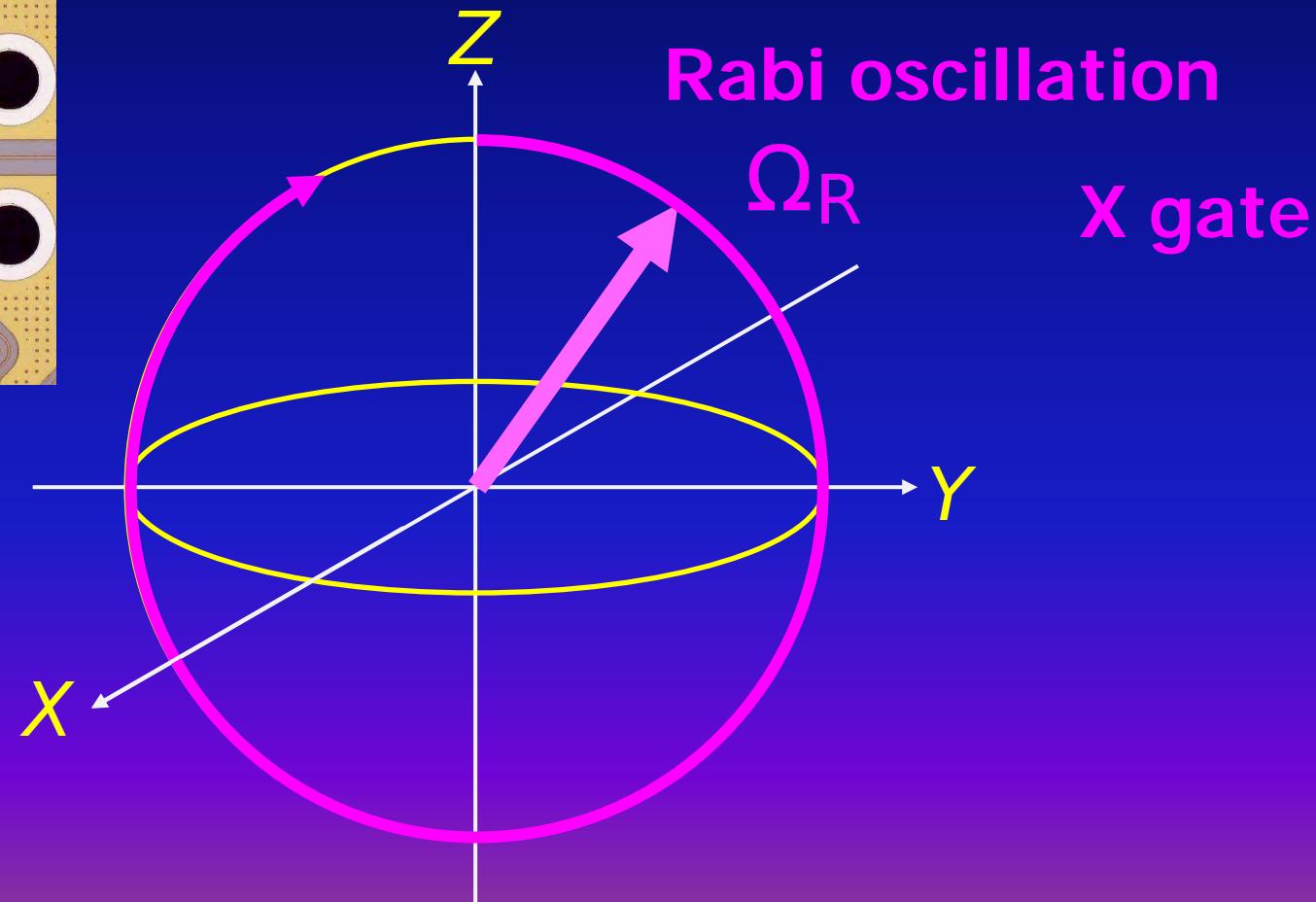
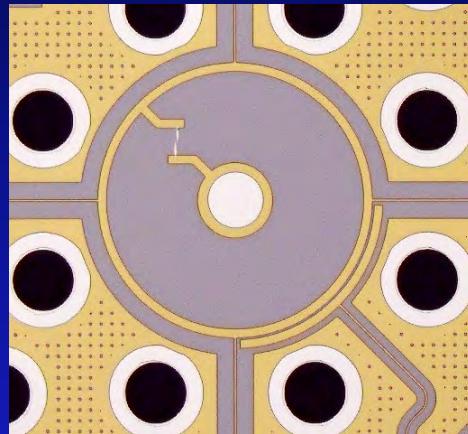


Unit cell structure



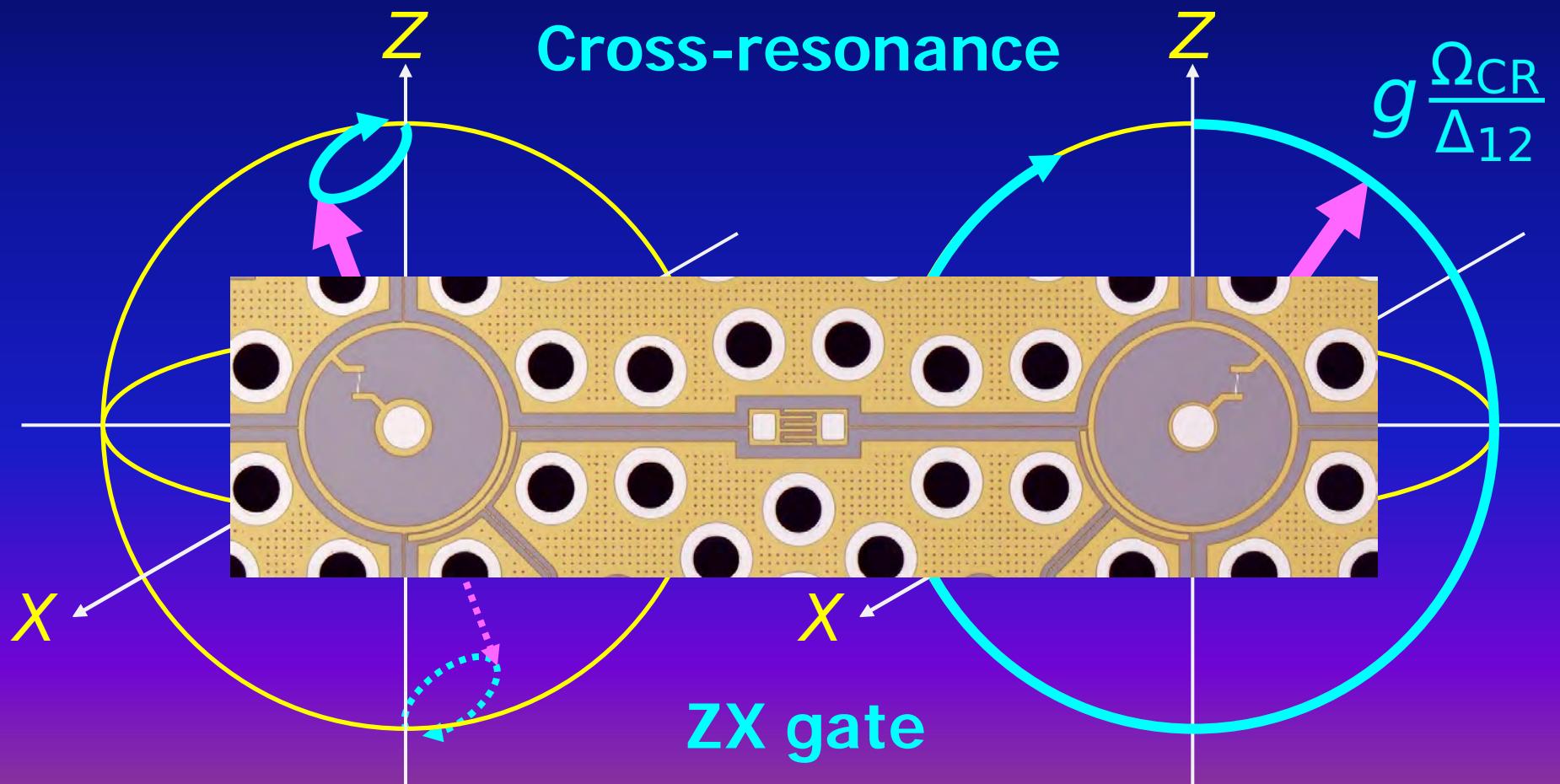
Single-qubit gate

$$\frac{H}{\hbar} = \frac{\omega_q}{2} \sigma_z + \Omega_R \cos \omega_q t \sigma_x$$



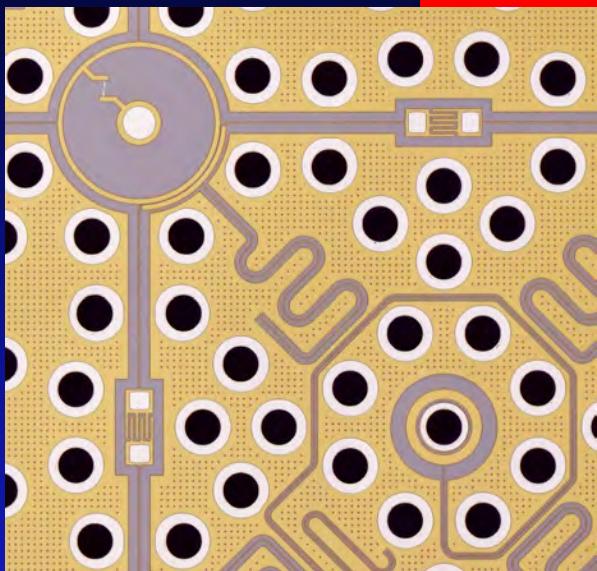
Two-qubit gate

$$\frac{H}{\hbar} = \frac{\omega_{q1}}{2}\sigma_{z1} + \frac{\omega_{q2}}{2}\sigma_{z2} + g\sigma_{x1}\sigma_{x2} + \Omega_{CR} \cos\omega_{q2}t \sigma_{x1} \quad \Delta_{12} \equiv \omega_{q1} - \omega_{q2} \gg g$$



Qubit readout

$$H_{JC} = \frac{\hbar\omega_q}{2}\hat{\sigma}_z + \hbar\omega_c\hat{a}^\dagger\hat{a} + \hbar g(\hat{\sigma}_+\hat{a} + \hat{\sigma}_-\hat{a}^\dagger)$$



Cavity mode

Interaction

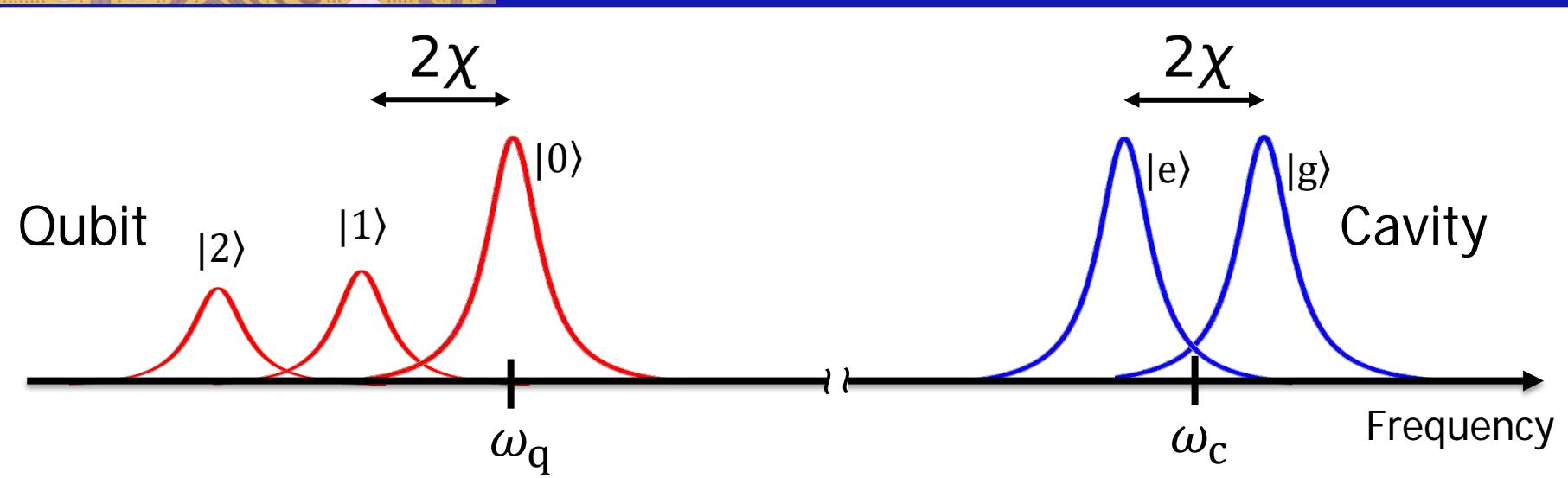
$$(\Delta \equiv \omega_q - \omega_c, \chi = g^2/\Delta)$$

$$\frac{\hbar(\omega_q - \chi)}{2}\hat{\sigma}_z + \hbar\omega_c\hat{a}^\dagger\hat{a} - \hbar\chi\hat{a}^\dagger\hat{a}\hat{\sigma}_z$$

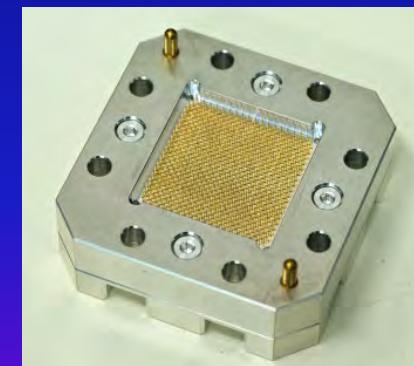
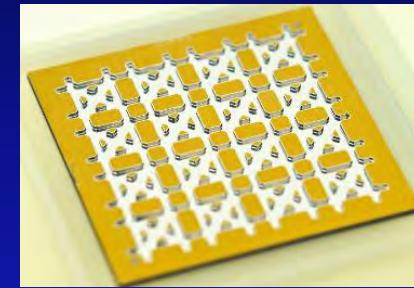
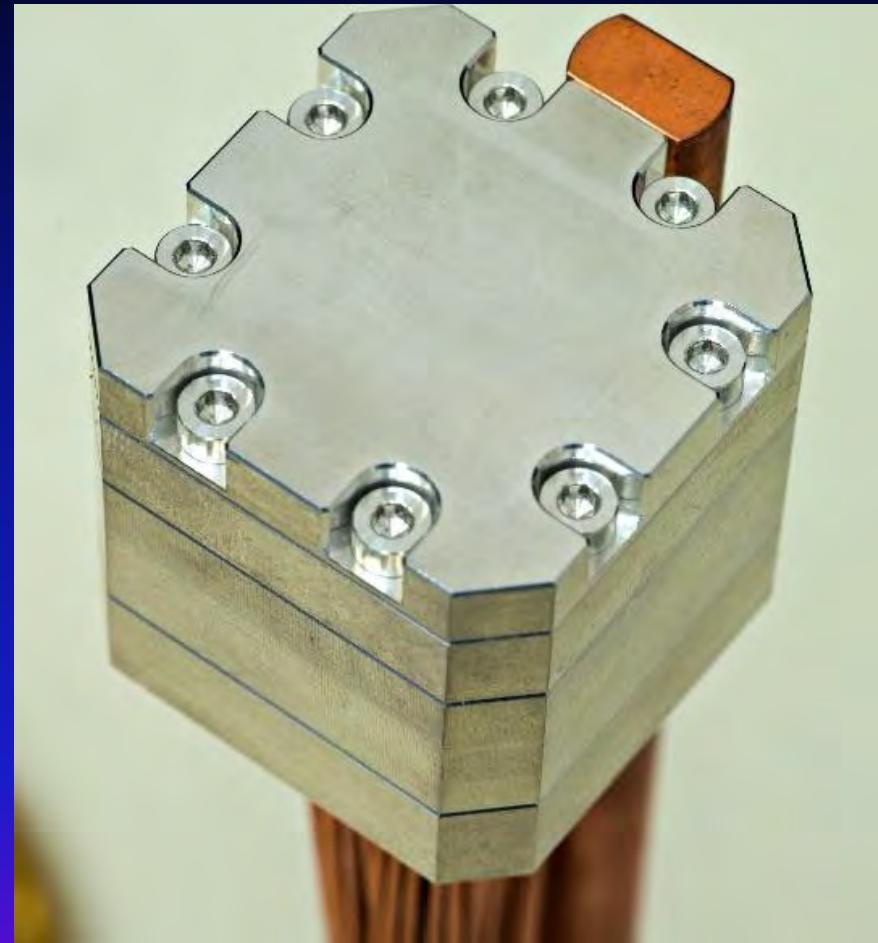
Qubit

Cavity mode

Interaction



Packaging with vertical access



Cryostat for 64Q system

- Input 96 lines*
- Output 16 lines
- Total 112 lines
- 16 low-temperature HEMT amplifier
- 16 Impedance-matched Josephson parametric amplifier (JPA)
- Magnetic shield
- Radiation shield at 10 mK

* Qubit control 64
Readout signal input 16
JPA pump 16



Custom-made control system for 64Q system

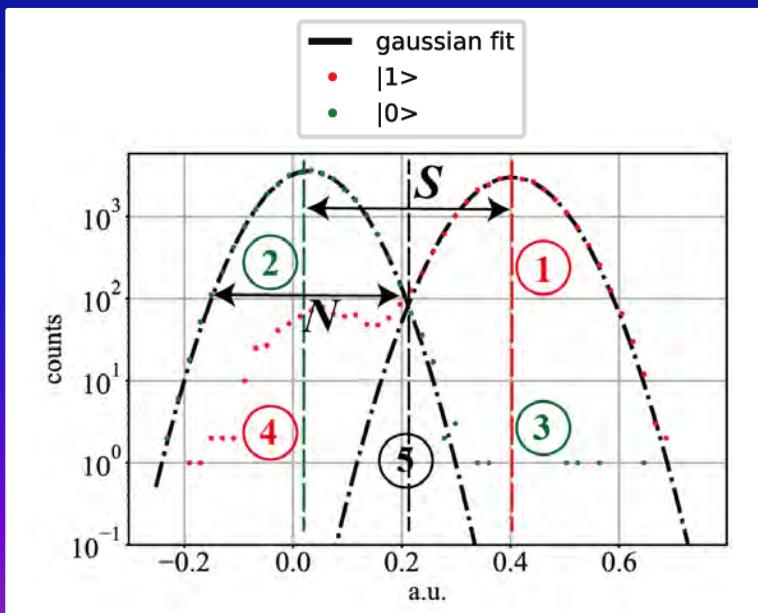


Control and readout fidelities

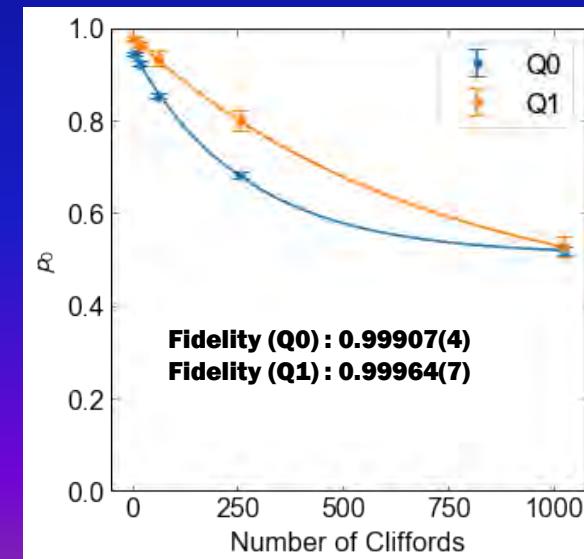
Coherence time	: $T_1 \sim 40 \mu\text{s}$, $T_{2E} \sim 60 \mu\text{s}$
Single-shot readout	: 0.990 ($\sim 350 \text{ ns}$)
Initialization	: 0.997
Single-qubit gate	: 0.9996 ($\sim 17 \text{ ns}$)
Two-qubit gate	: 0.991 ($\sim 170 \text{ ns}$)

Best values

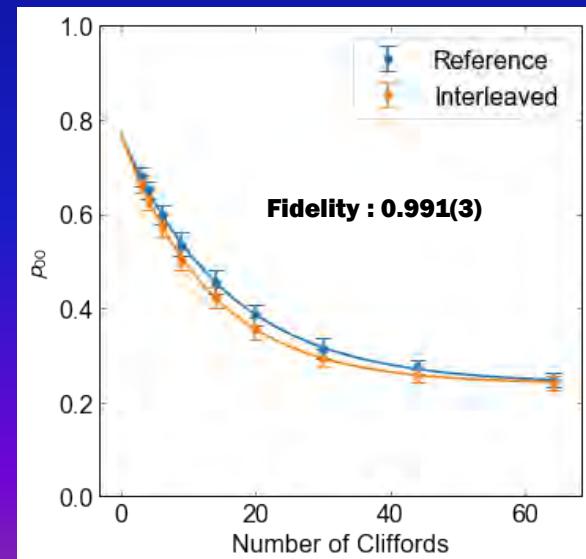
Single-shot readout



Single-qubit gate

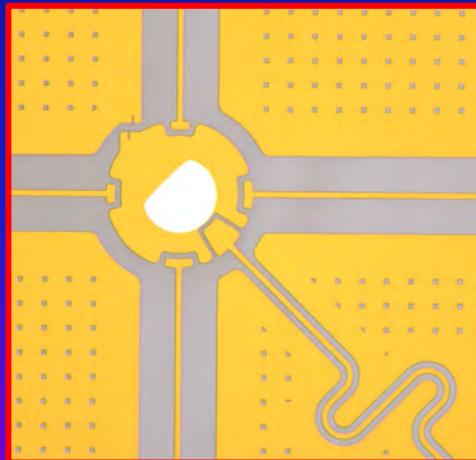


Two-qubit gate
(cross resonance)



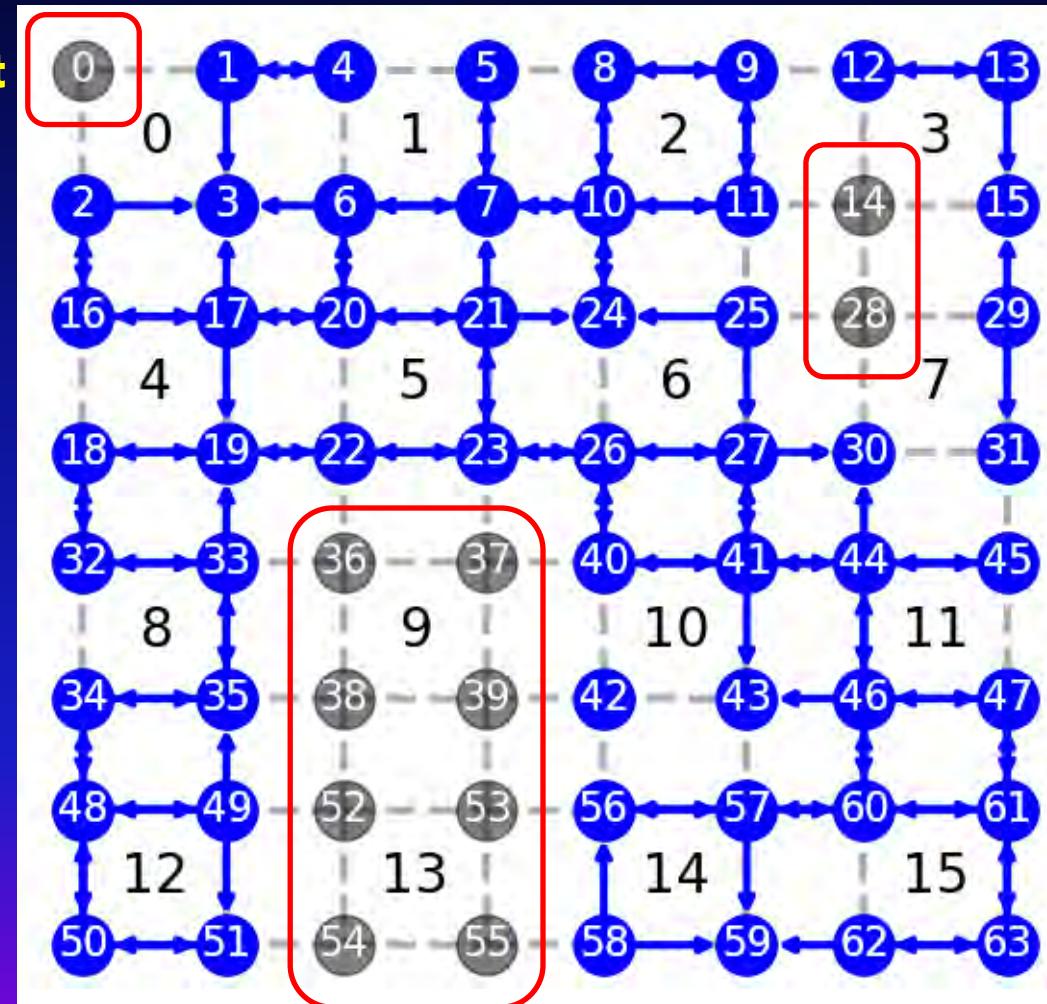
Tentatively operable qubits

Estimation from measured qubit parameters



Grounded transmon
with floated coupling buses

Broken qubit



**HEMT wiring
issues (?)**

Coherence times:
 $T_1 \sim 10\text{-}20 \mu\text{s}$
 $T_{2E} \sim 20\text{-}40 \mu\text{s}$

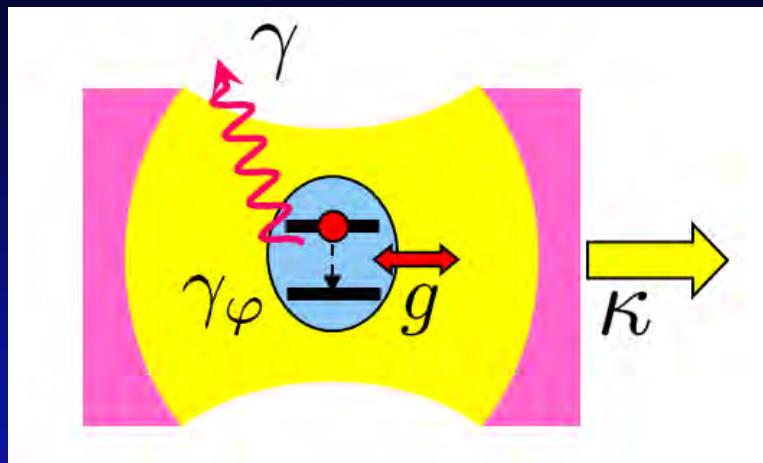
Microwave quantum optics: Cavity QED and waveguide QED

Cavity QED

Atom + 0D mode (discrete)

Strong coupling

$$g \gg \kappa, \gamma, \gamma_\varphi$$



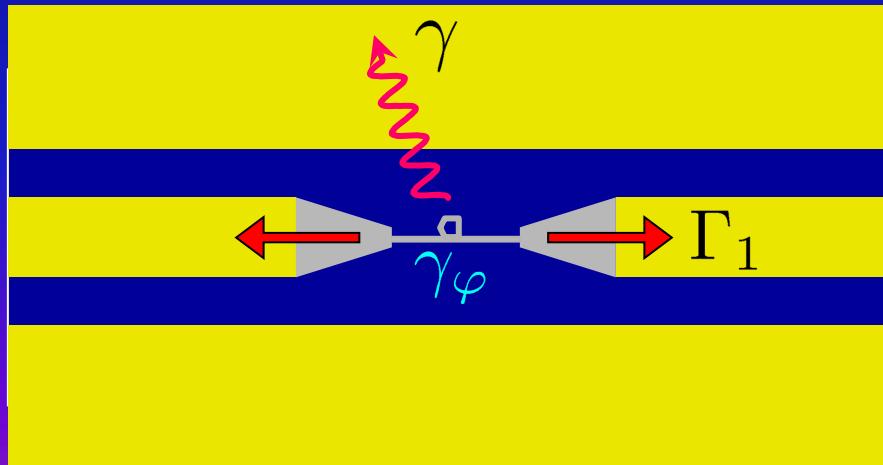
Waveguide QED

Atom + 1D mode (continuum)

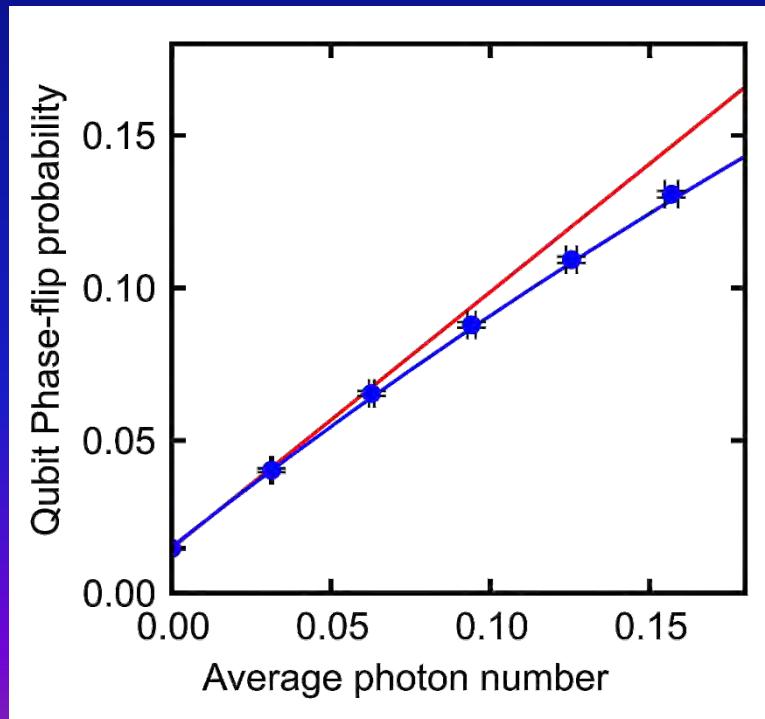
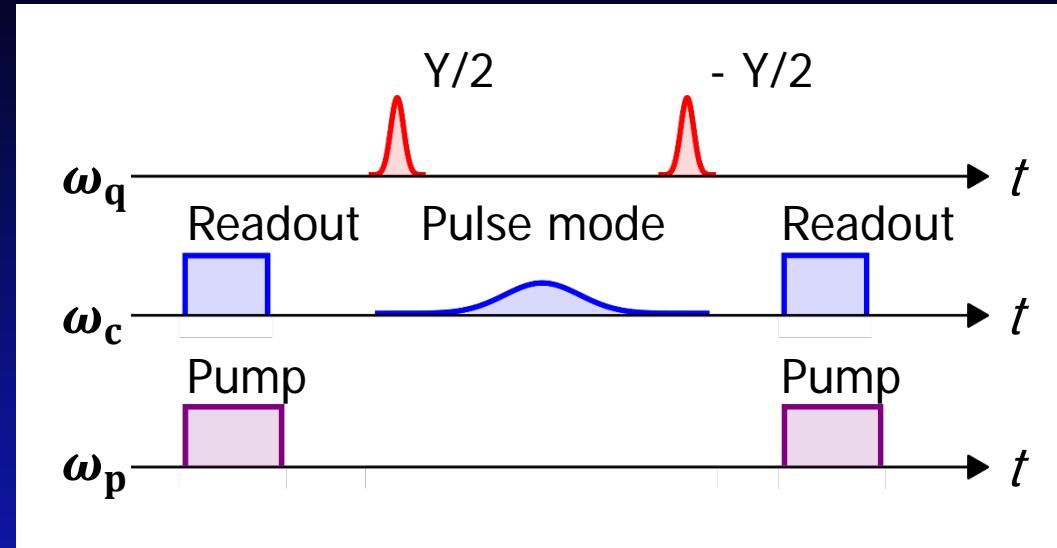
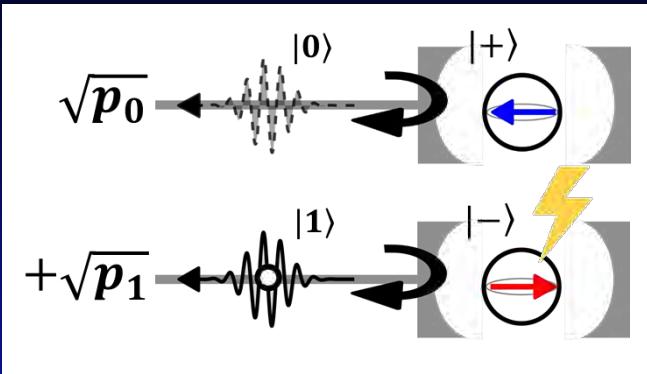
Mode matching, interference

"Strong coupling"

$$\Gamma_1 \gg \gamma, \gamma_\varphi$$

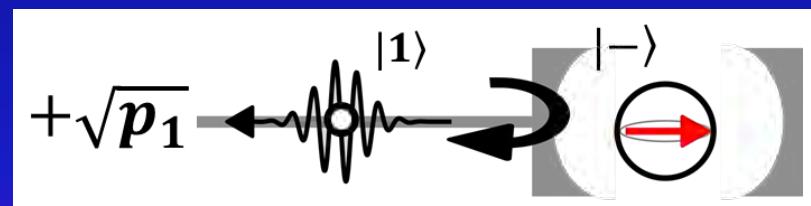
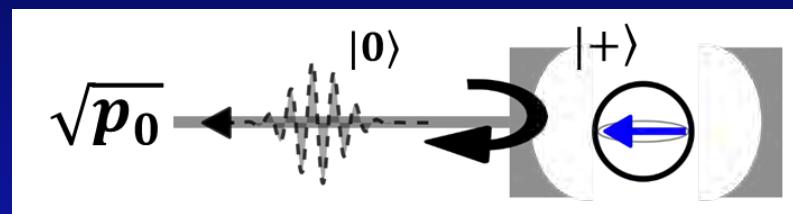


Quantum nondemolition detection of microwave photons

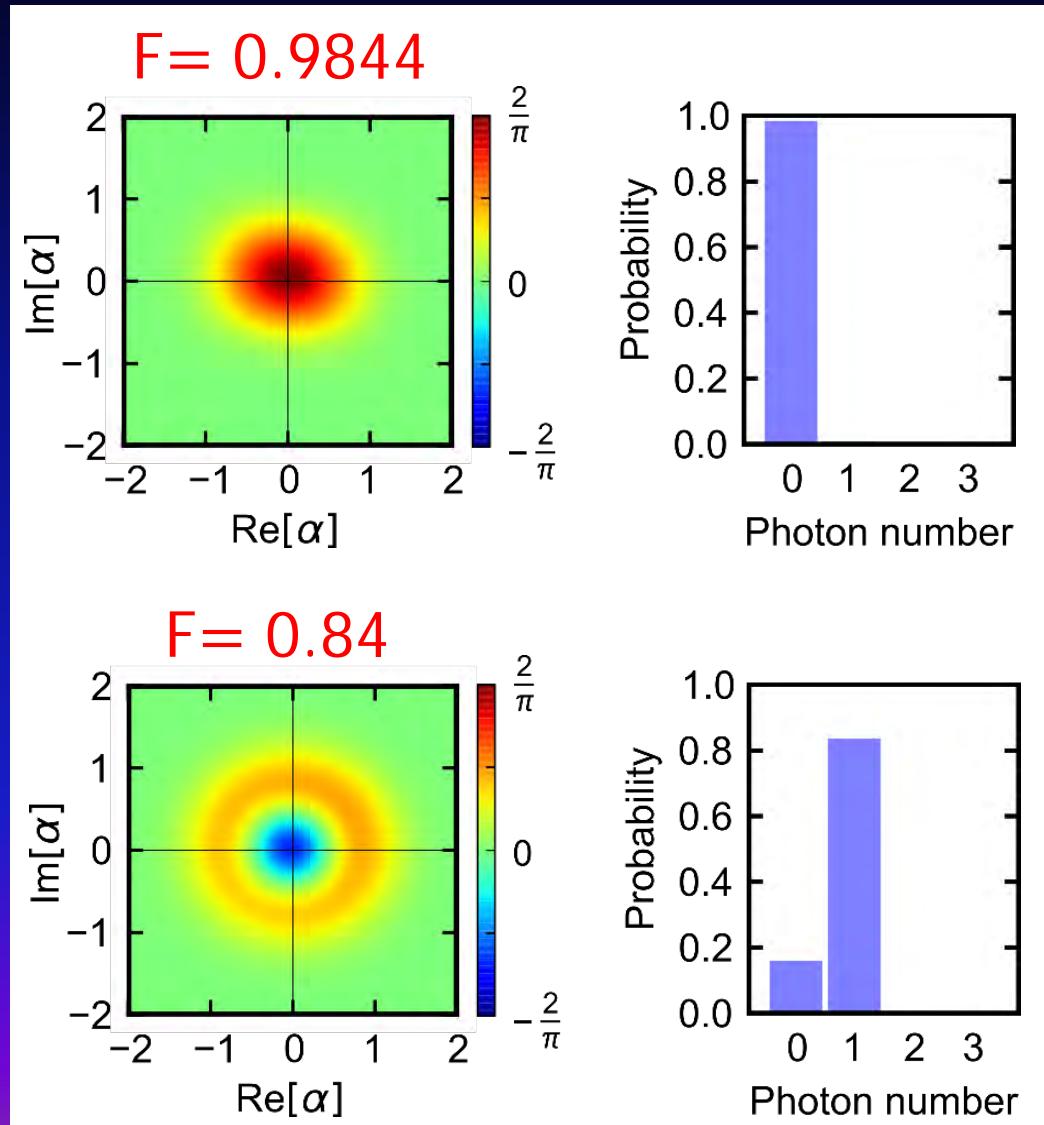


- Dark count probability
 $P_{dc} = 0.0147$
- Quantum efficiency
 $\eta = 0.84$
- Internal loss of the cavity
- Dephasing
- Mismatch of κ and 2χ

Conditional Wigner tomography



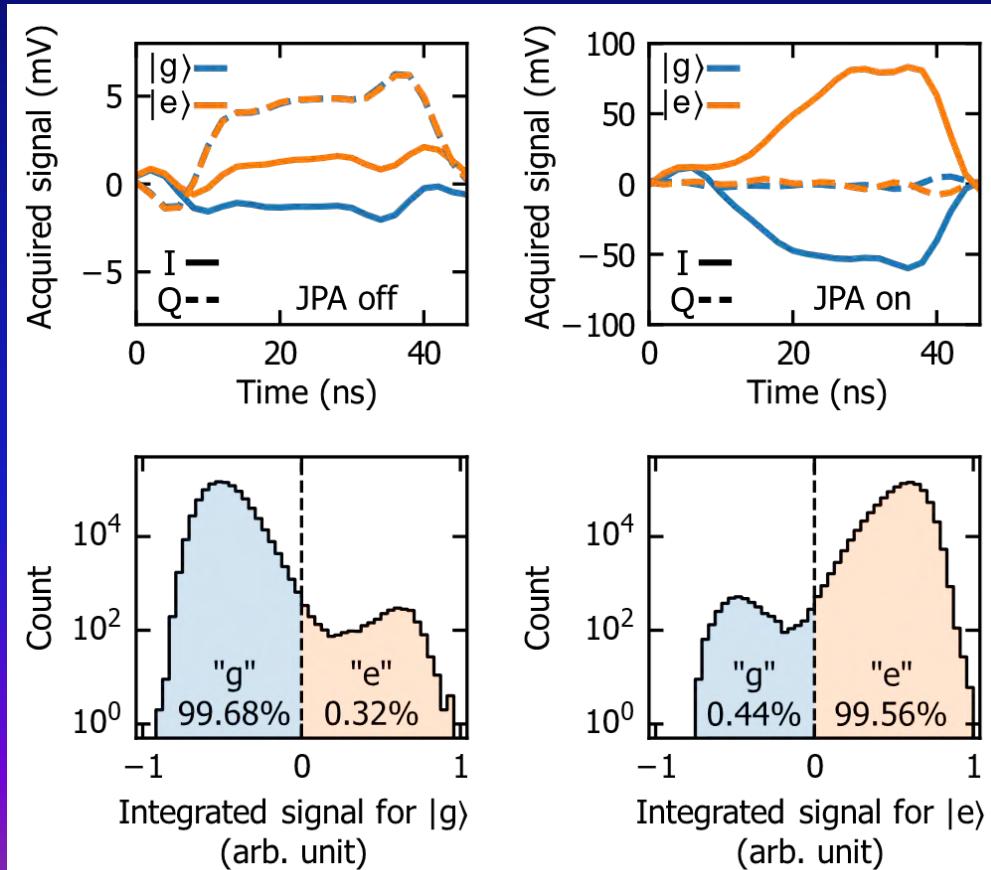
**Corrected
for $\eta_{\text{det}} = 0.43$**



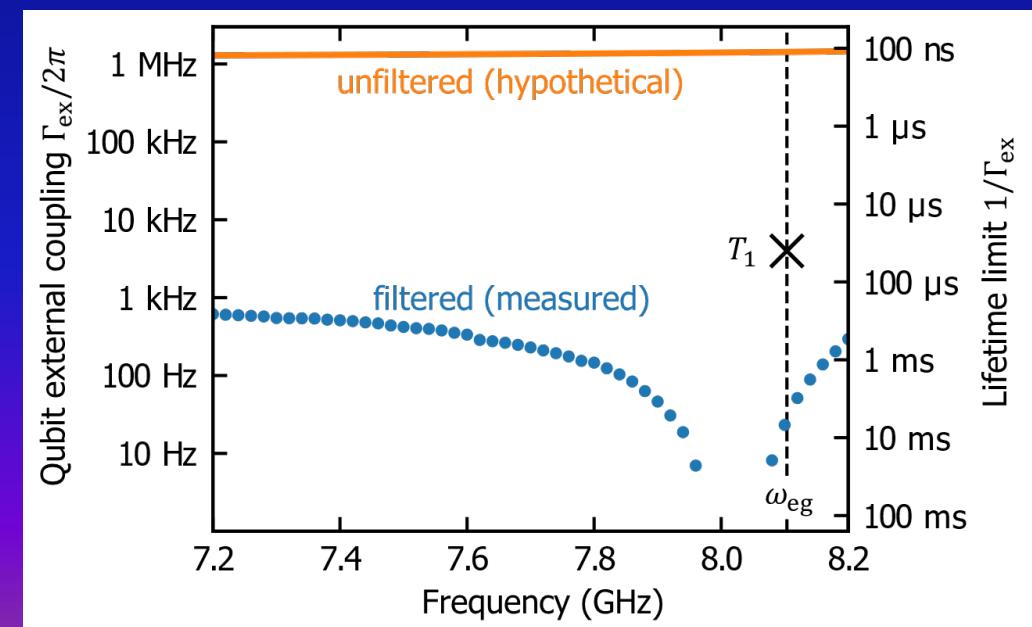
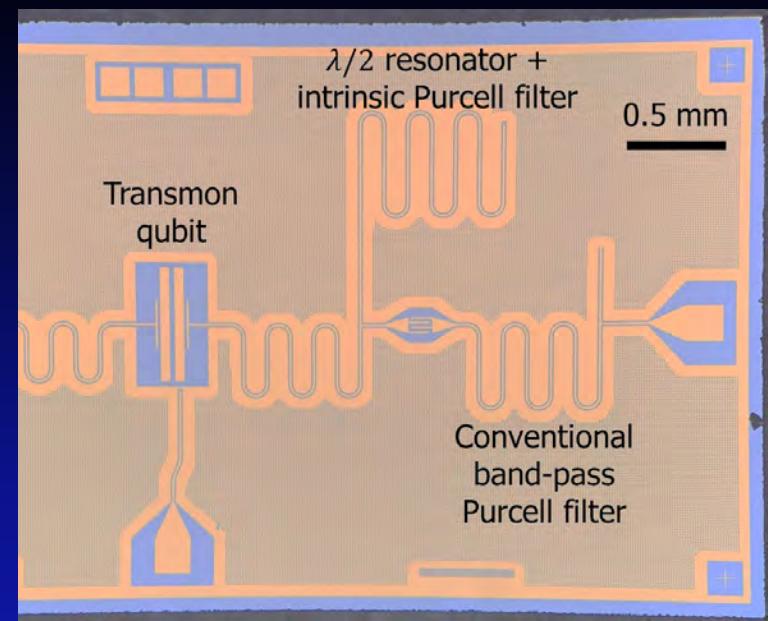
Qubit readout with intrinsic Purcell filter

2D implementation

- Readout time 36 ns
- Readout fidelity 99.62%
- QND fidelity 99.63%



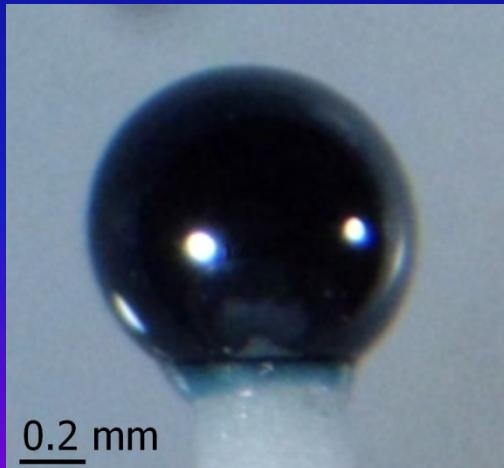
$$\begin{aligned}\omega_q/2\pi &= 8.09 \text{ GHz} \\ \omega_r/2\pi &= 9.25 \text{ GHz} \\ T_1 &= 40 \mu\text{s} \\ \kappa/2\pi &= 66 \text{ MHz} \\ \chi/2\pi &= -5.5 \text{ MHz}\end{aligned}$$



Hybrid quantum systems using collective modes

Superconducting quantum electronics

Quantum magnonics

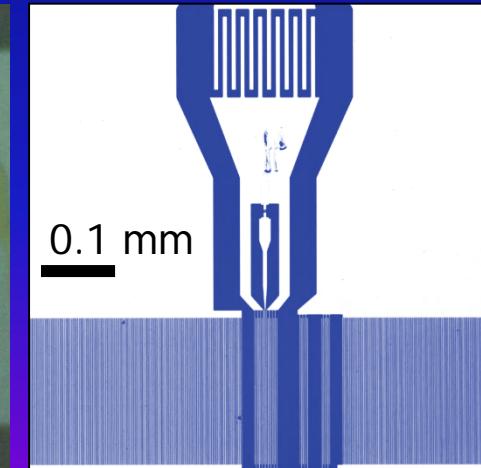
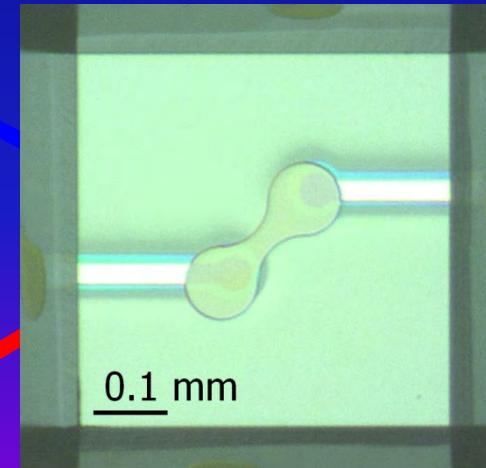


Microwave

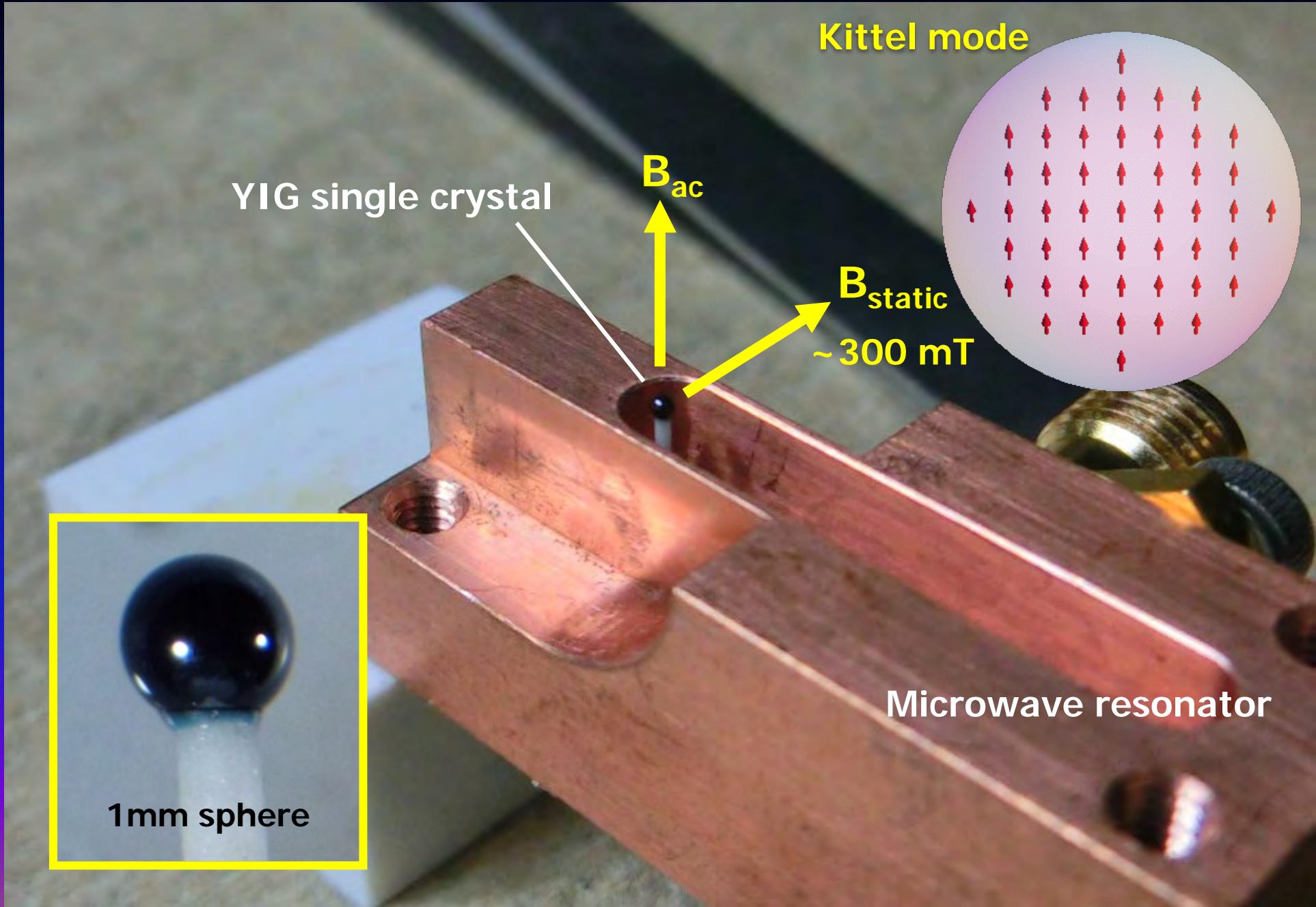
Light

Nonlinearity

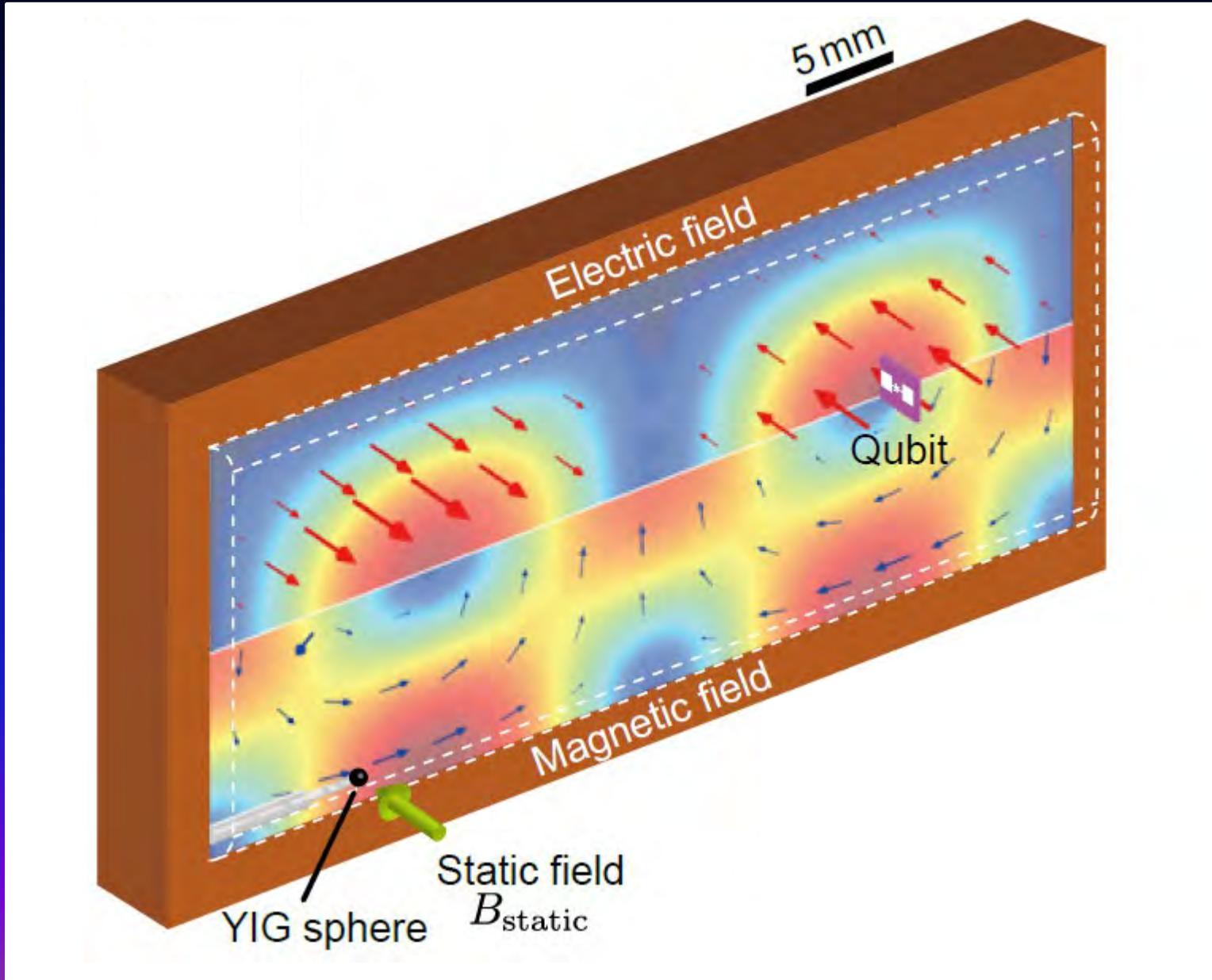
Quantum nanomechanics+acoustics



Quantum magnonics

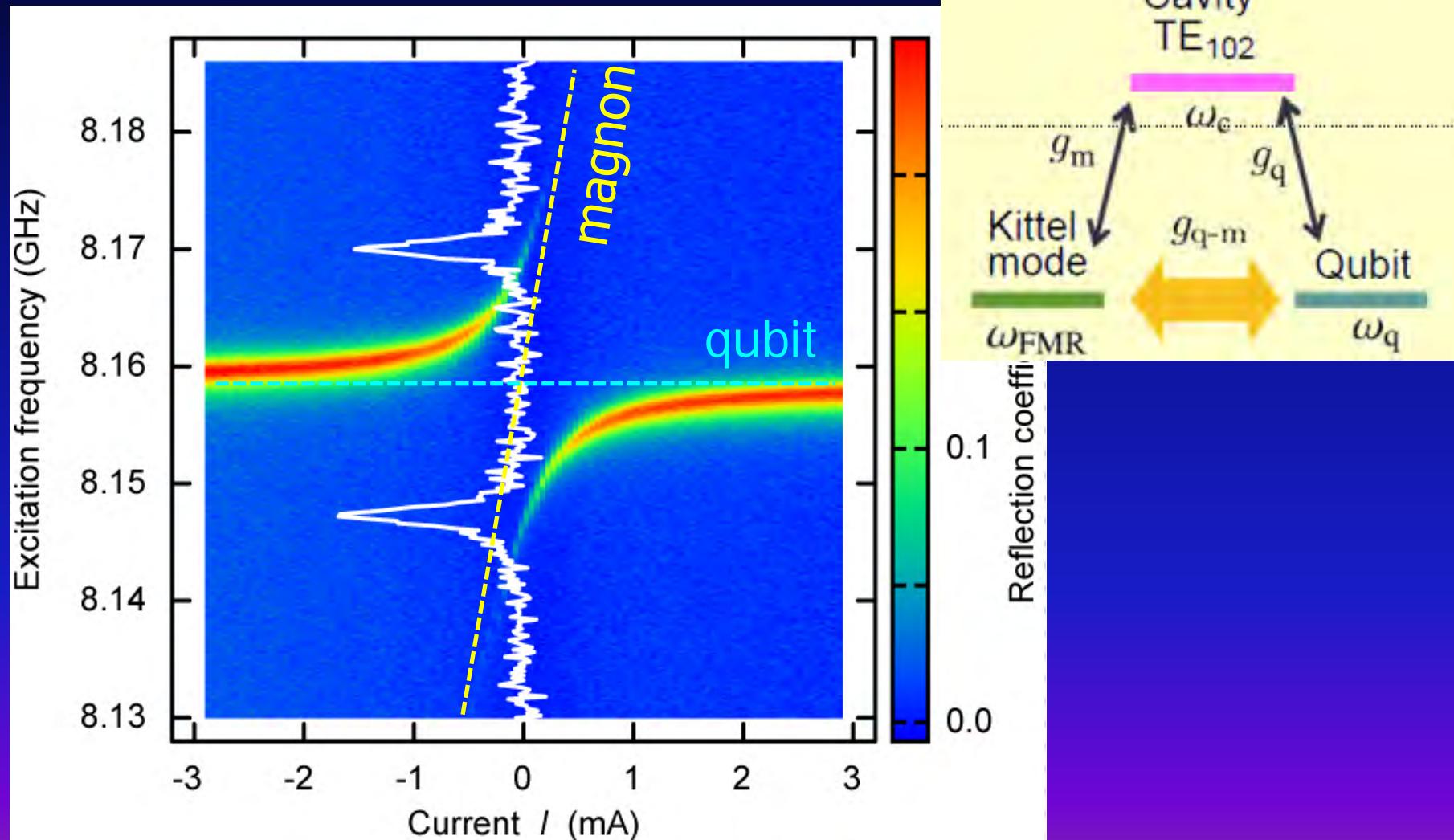


Coupling with a superconducting qubit



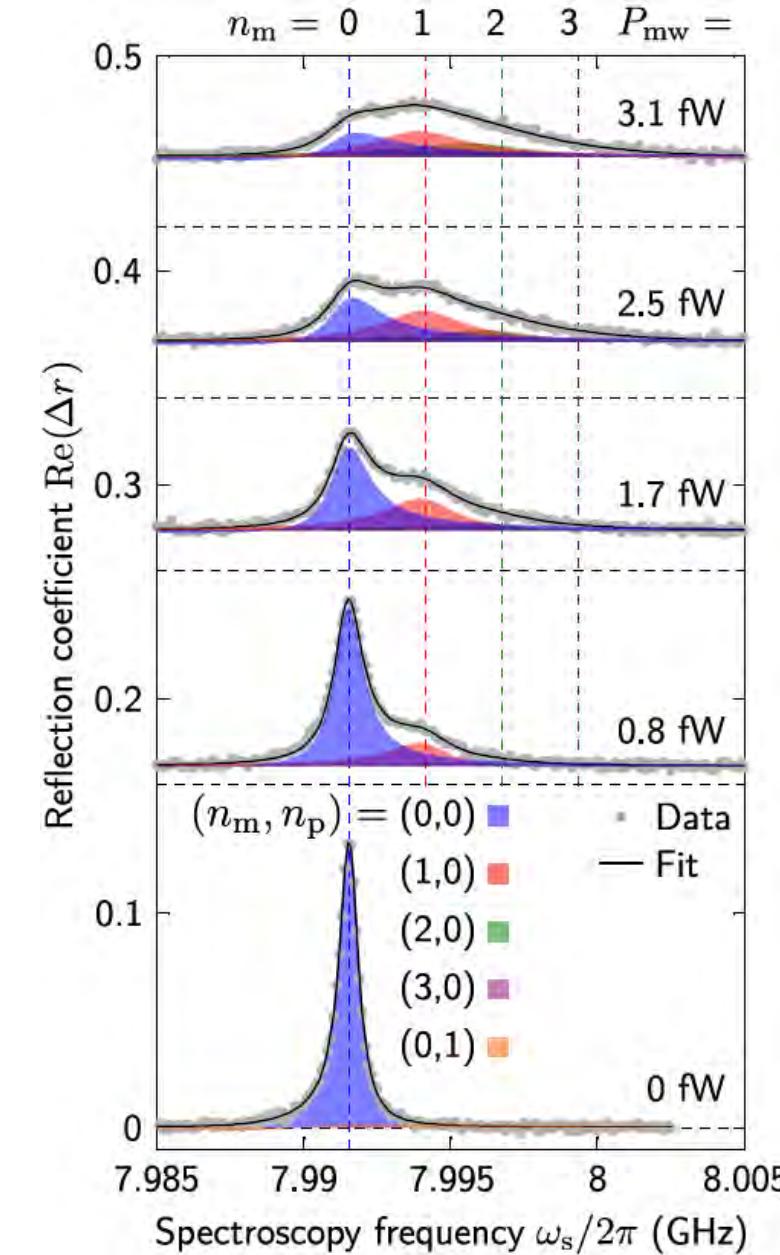
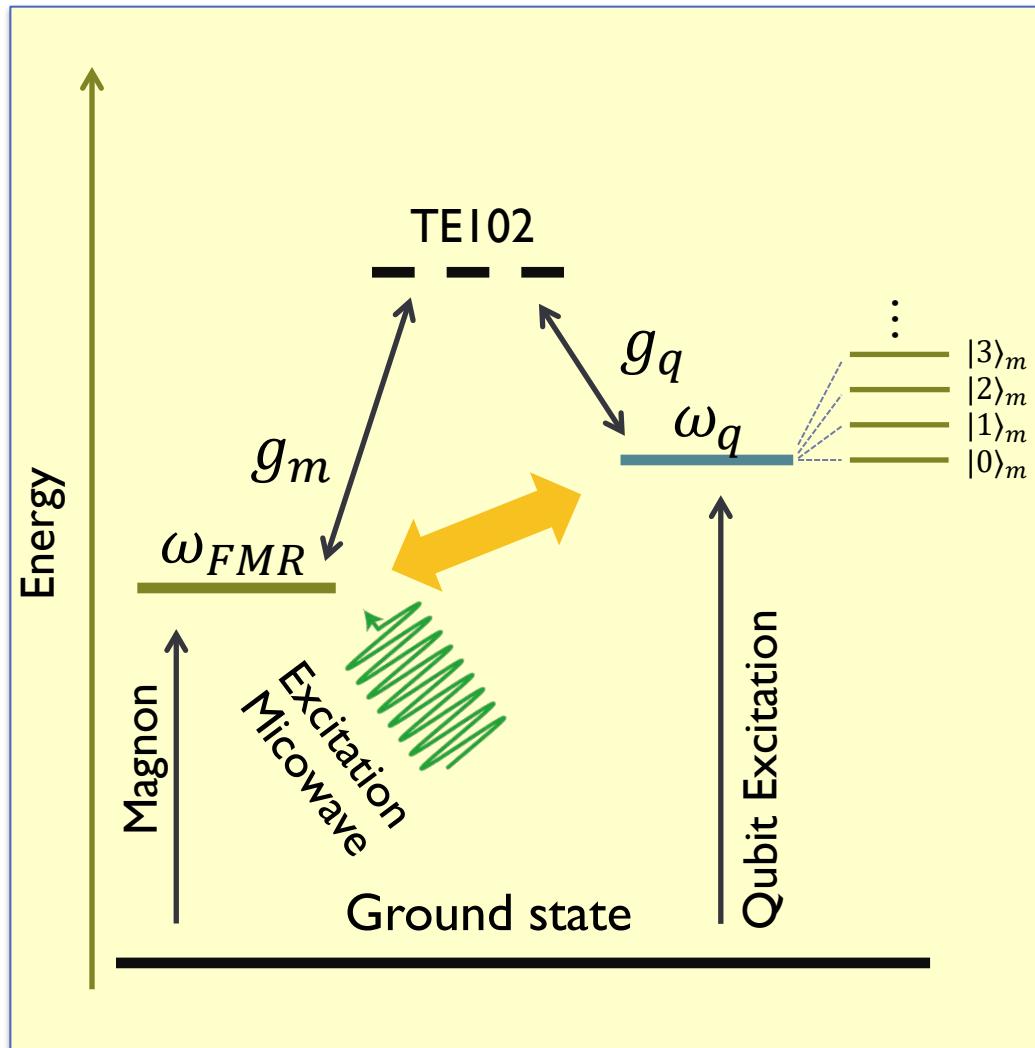
Vacuum Rabi splitting

$$\hat{\mathcal{H}}_{q-m}/\hbar \sim g_{q-m} (\hat{a}_m^\dagger \hat{\sigma}_- + \hat{a}_m \hat{\sigma}_+)$$

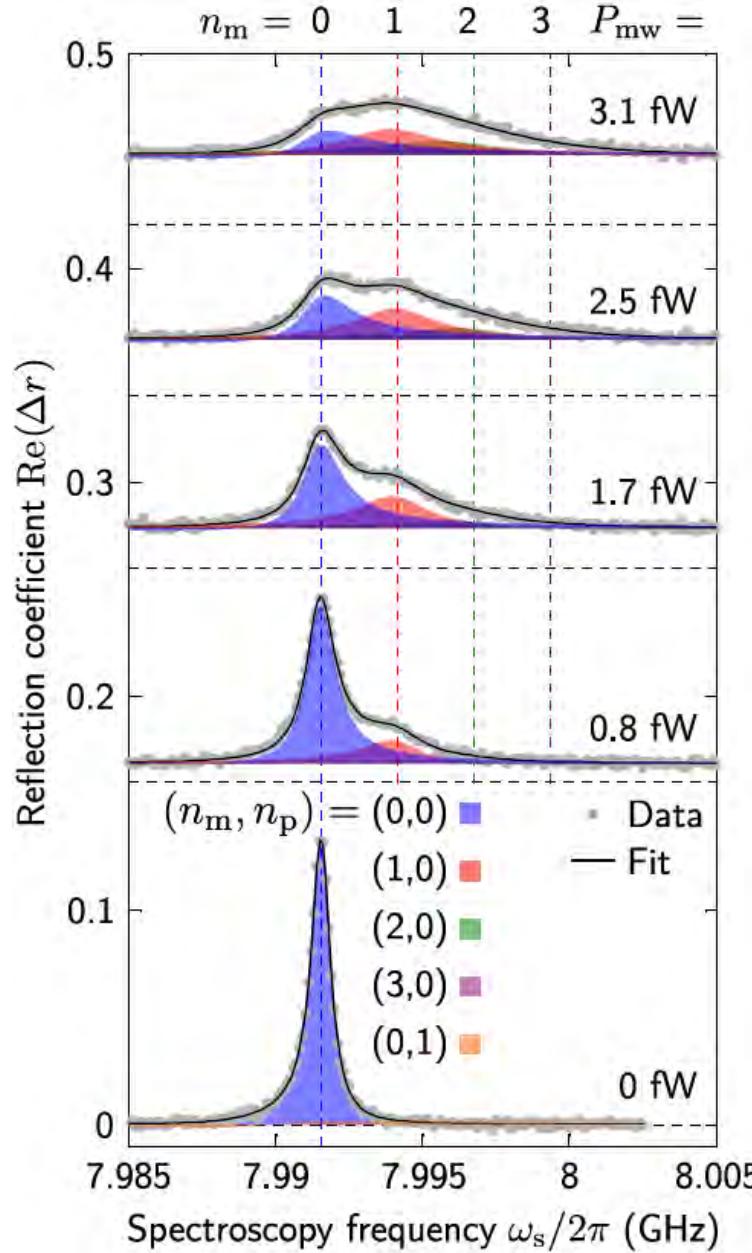


Magnon-number-resolving spectroscopy

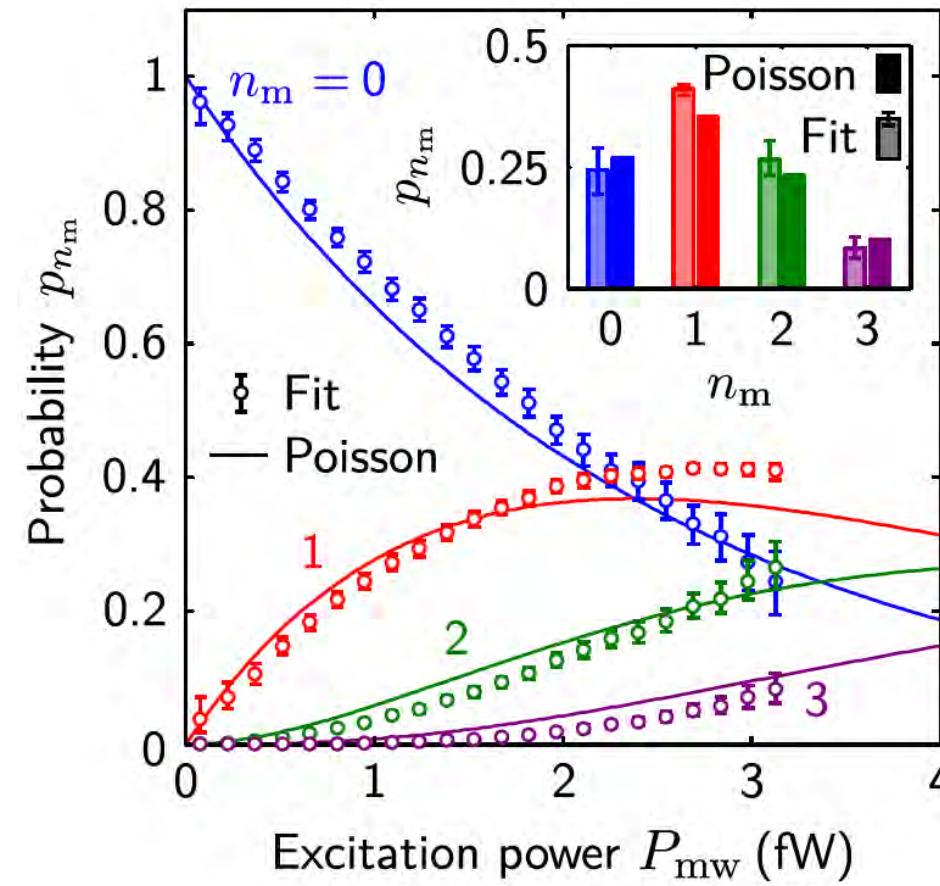
Strong dispersive regime $2|\chi_{q-m}| \gg \gamma_q, \gamma_m$



Magnon-number-resolving spectroscopy

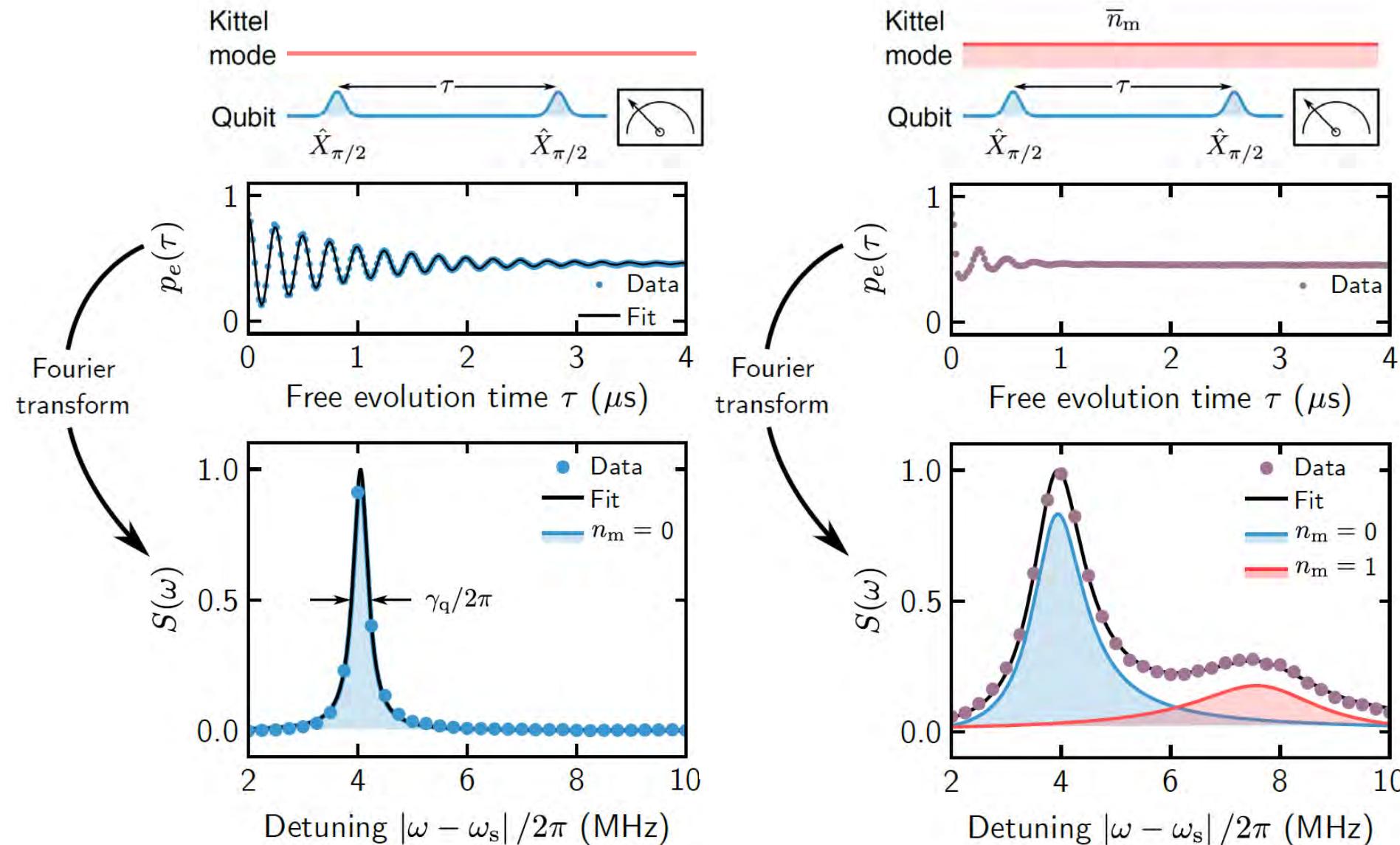


D. Lachance-Quirion et al.
Sci. Adv. 3, e1603150 (2017).



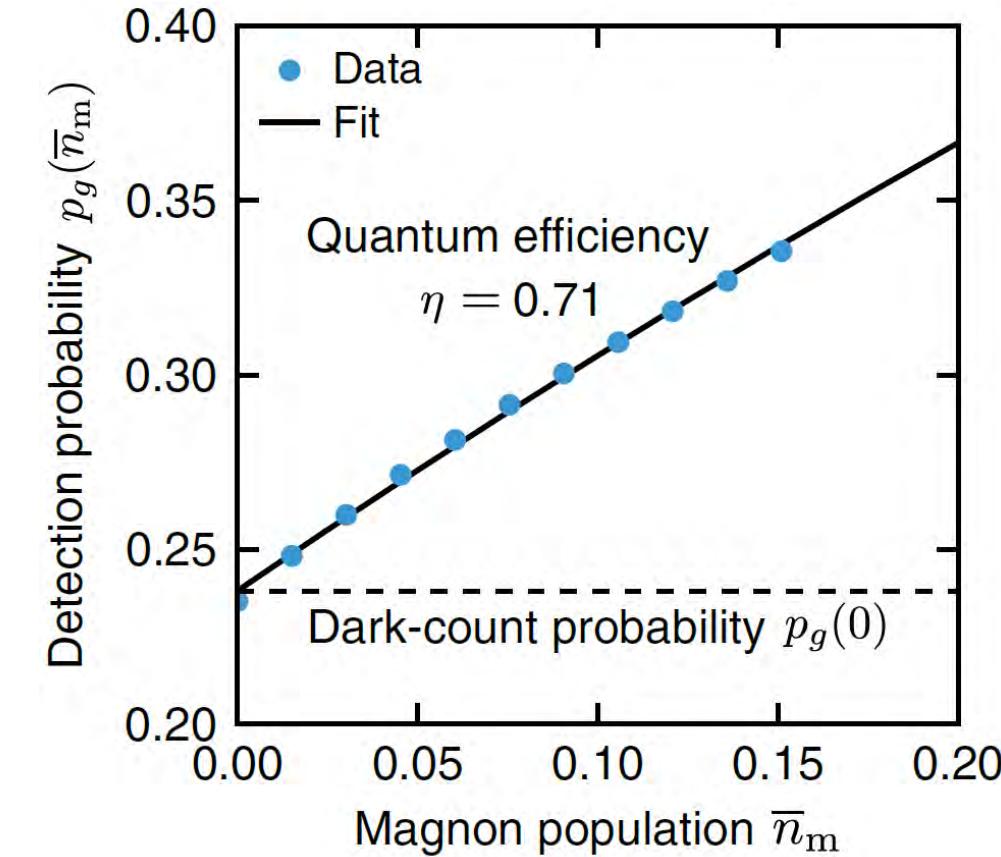
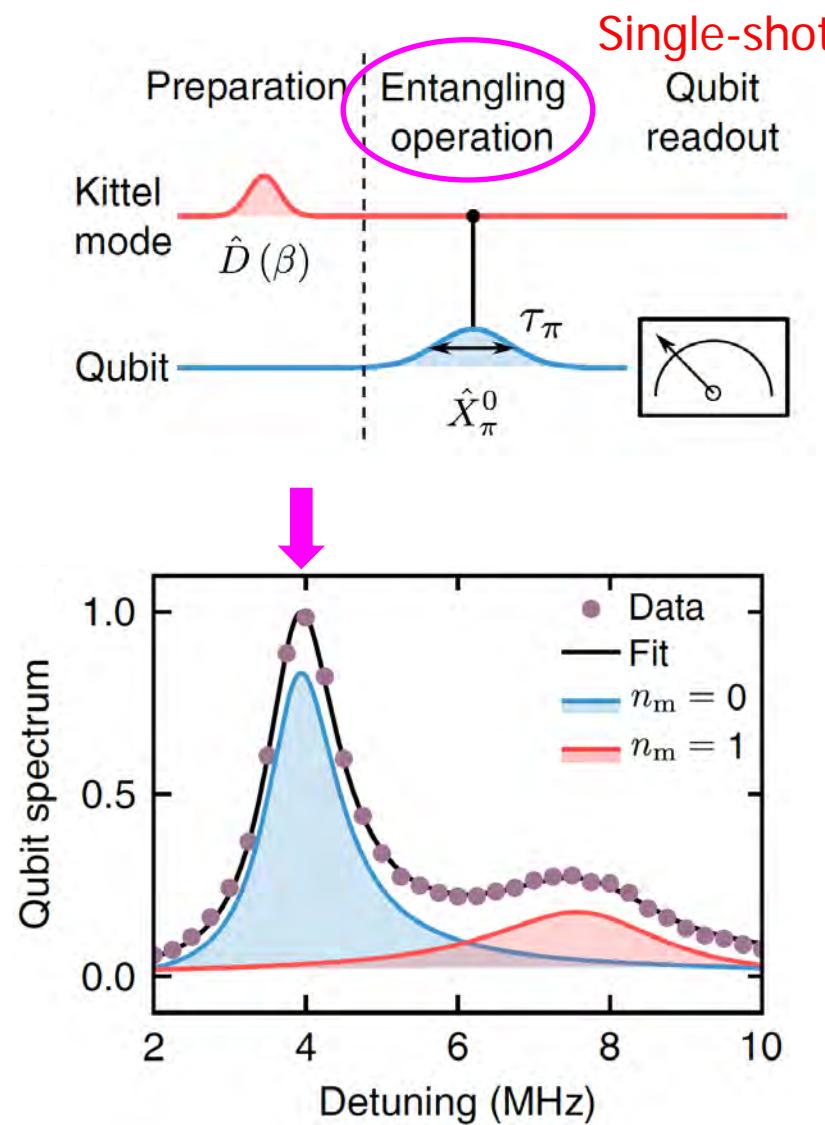
Model: J. Gambetta et al. Phys. Rev. A 74, 042318 (2006) Yale

Magnon number resolving via Ramsey interferometry

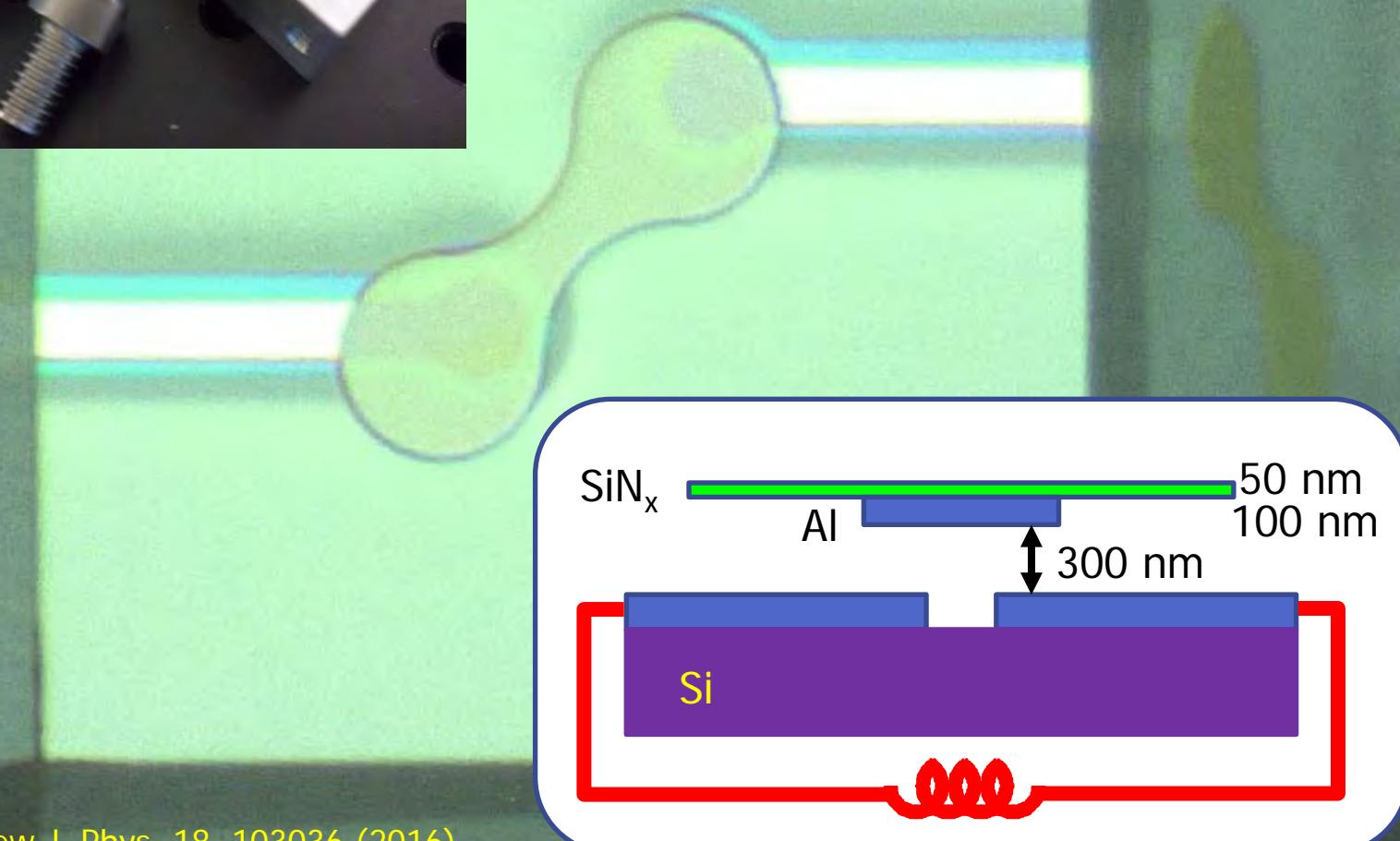


D. Lachance-Quirion et al. Applied Physics Express 12, 070101 (2019);
See also D. Lachance-Quirion et al. Sci. Adv. 3, e1603150 (2017)

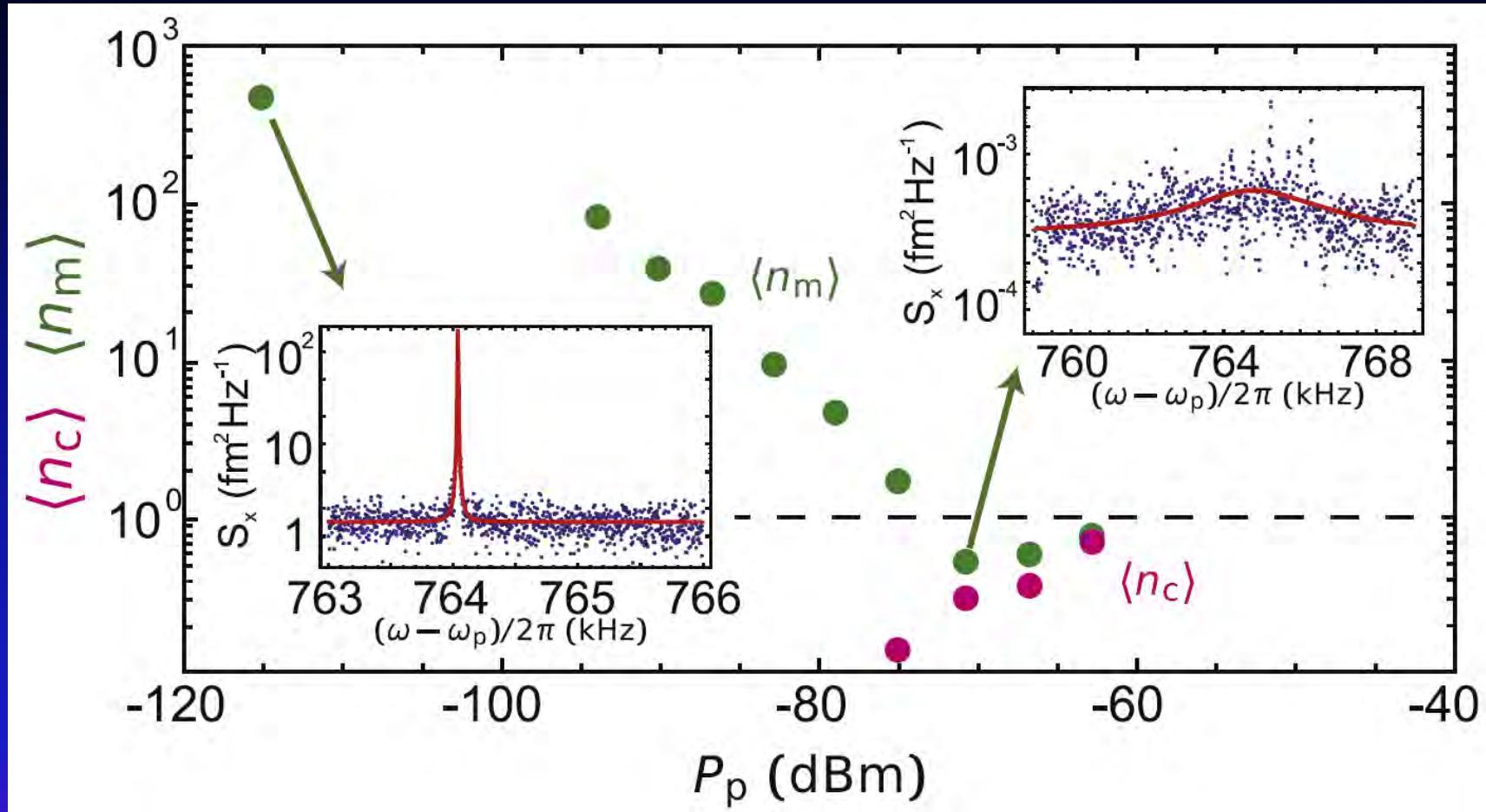
Single-shot detection of a magnon



Quantum electromechanics



Ground-state cooling



$$\langle n_m \rangle = 0.51 \pm 0.12$$

displacement \sim fm

Summary

Superconducting qubits

- = Nonlinear resonator circuits using Josephson effect
- = Artificial atoms realized in electric circuits

- Superconducting quantum computing
 - High-fidelity control of a quantum system with a large Hilbert space
 - Challenges against decoherence, for scaling-up, and toward fault tolerance
- Microwave quantum optics
 - Circuit (cavity) QED & waveguide QED
 - Control and measurement of confined/itinerant microwave photons
- Hybrid quantum systems
 - Extending quantum technology to other degrees of freedom