

# Coherent radio precursors to neutron star mergers

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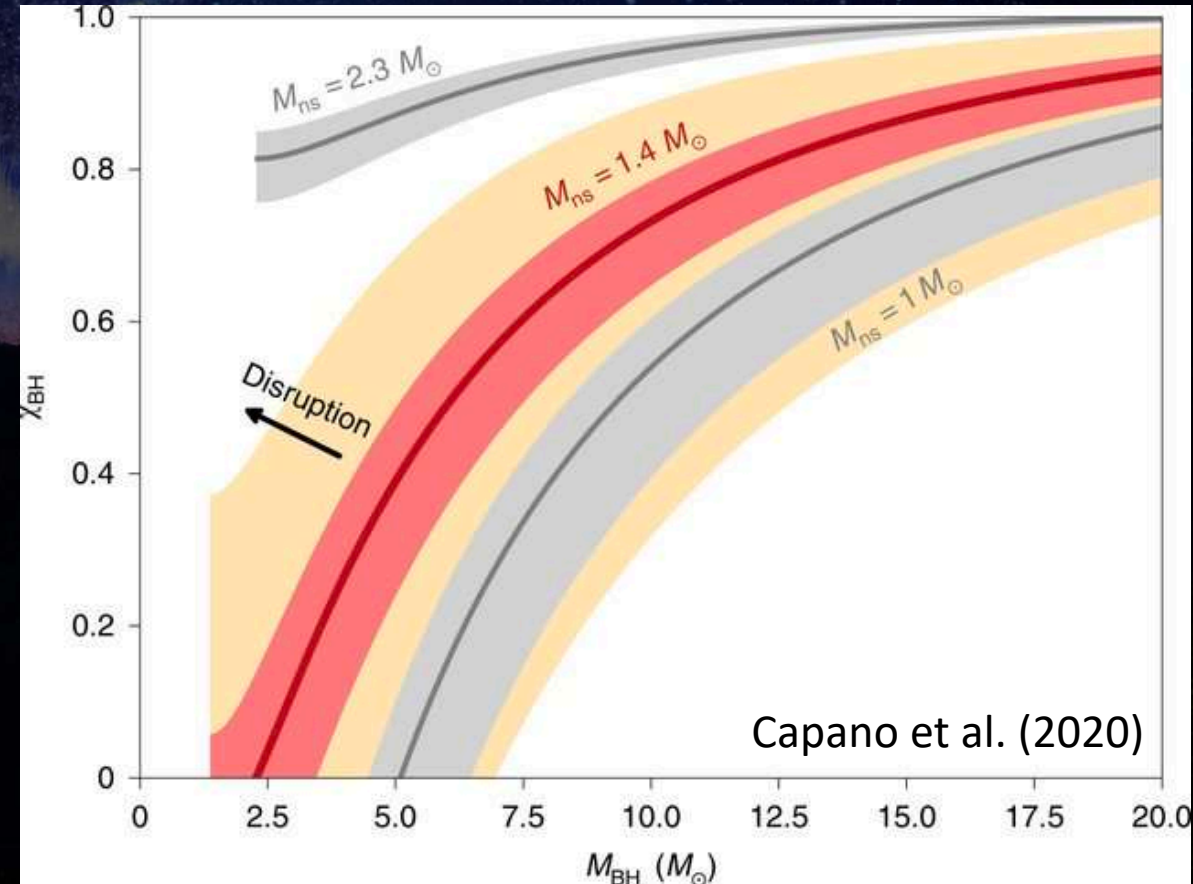
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IN THE CITY OF NEW YORK



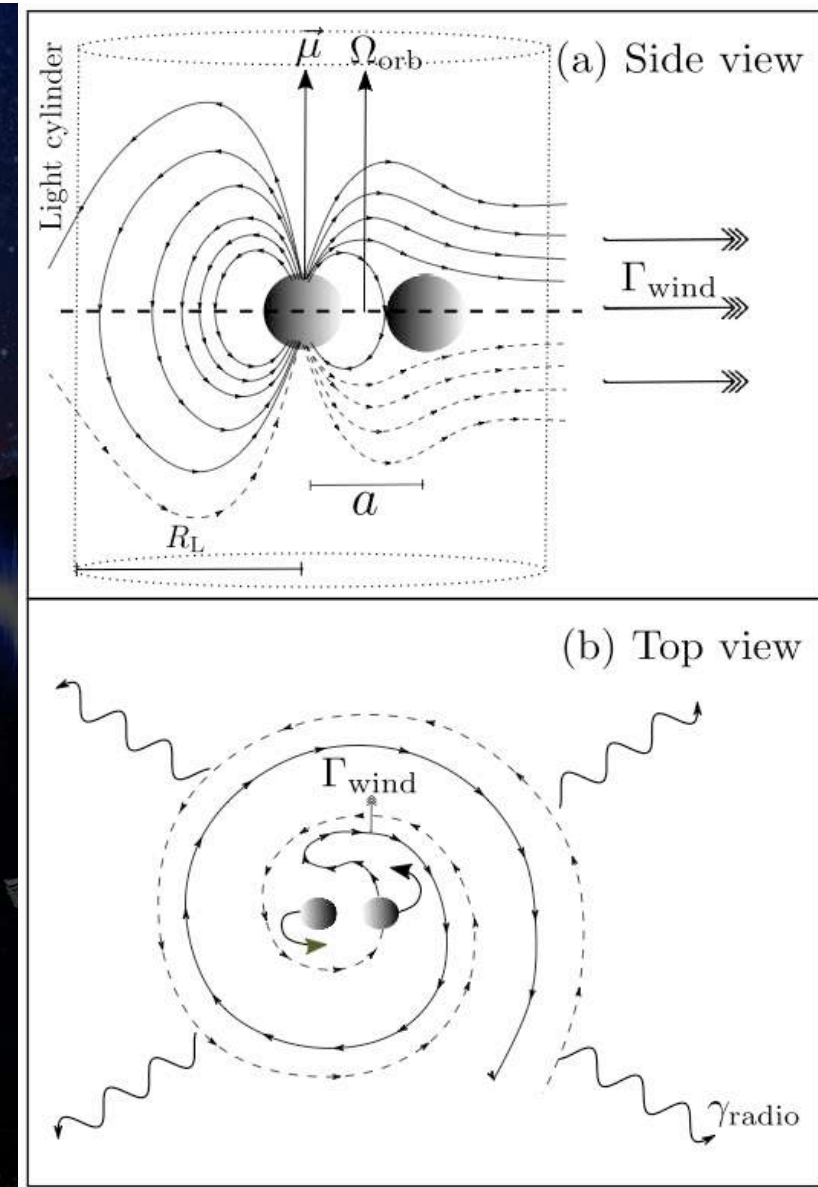
# Need for a 'precursor'

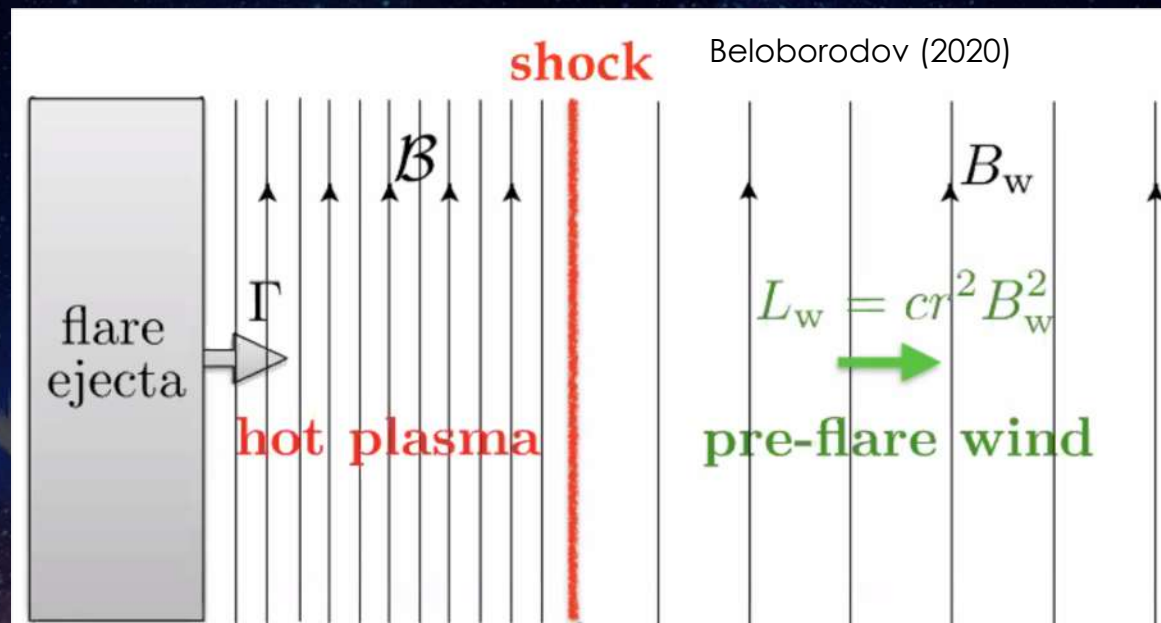
- Learn before destruction
- Harbinger to enable prompt EM follow-up of post-merger emission.
- Drawback of GRBs: Beaming
- Massive BH-NS or NS-NS with dim or non-existent post-merger counterparts.
- Millisecond duration radio burst (final few orbits of the binary) could resemble fast radio bursts (FRBs)?



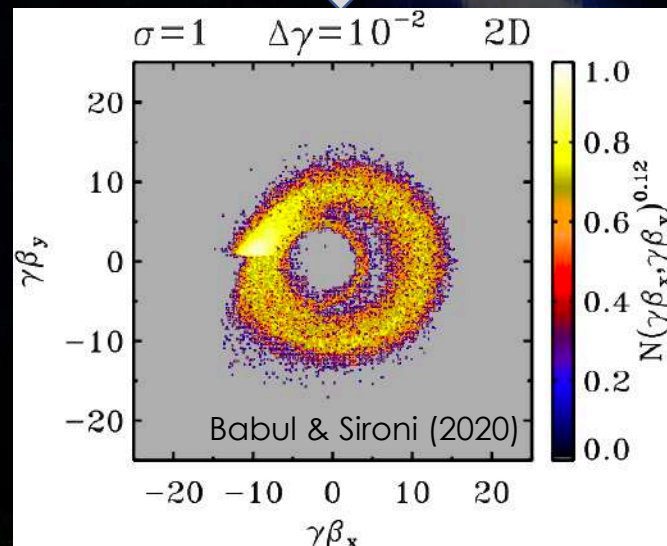
# Mechanism

- At least one NS is magnetized.
- Field lines of the strongly magnetized star is opened by a resistive companion (e.g., BH).
- Orbital acceleration of the primary  $\rightarrow$  powers the dipole radiation (independent of companion).
- A fraction of the power is dissipated by heating particles, and the rest in the form of Poynting flux along open field lines.
- The accelerating magnetized wind 'ejecta' creates internal shocks in the binary plane  $\rightarrow$  synchrotron maser instability.





- Larmor gyration at shock front; unstable soliton-type structure
- Circle in momentum-space, collapses and radiates



# Wind calculations

- The power of the binary wind  $\dot{E} = \left(\frac{f_\Phi}{\overline{f_\Phi}}\right)_{\text{bin}}^2 \frac{\mu^2 \Omega_{\text{bin}}^4}{c^3} \approx 3 \times 10^{44} \text{ erg s}^{-1} \left(\frac{B_d}{10^{12} \text{ G}}\right) \left(\frac{a}{R_{\text{NS}}}\right)^{-7}$
- GW-coalescence time  $t_m = \frac{5}{512} \frac{c^5 a^4}{G^3 M_{\text{NS}}^3} \approx 1.2 \times 10^{-3} \left(\frac{a}{24 \text{ km}}\right)^4$ .
- Wind mass-loss rate  $\dot{M}_{\text{GJ}} \approx \frac{\mu_{\pm}}{e c} \frac{4\mu G M_{\text{NS}} m_e}{a^3}$ . We parametrize it as  $\dot{M} \propto a^{-m}$ .
- A wind that converts its total (magnetic + kinetic) energy to fully kinetic\* can have its Lorentz factor given by  $\Gamma(t) = \frac{\dot{E}(t)}{\dot{M}(t)c^2} \propto a^{m-7}; (3 \leq m < 7)$ .

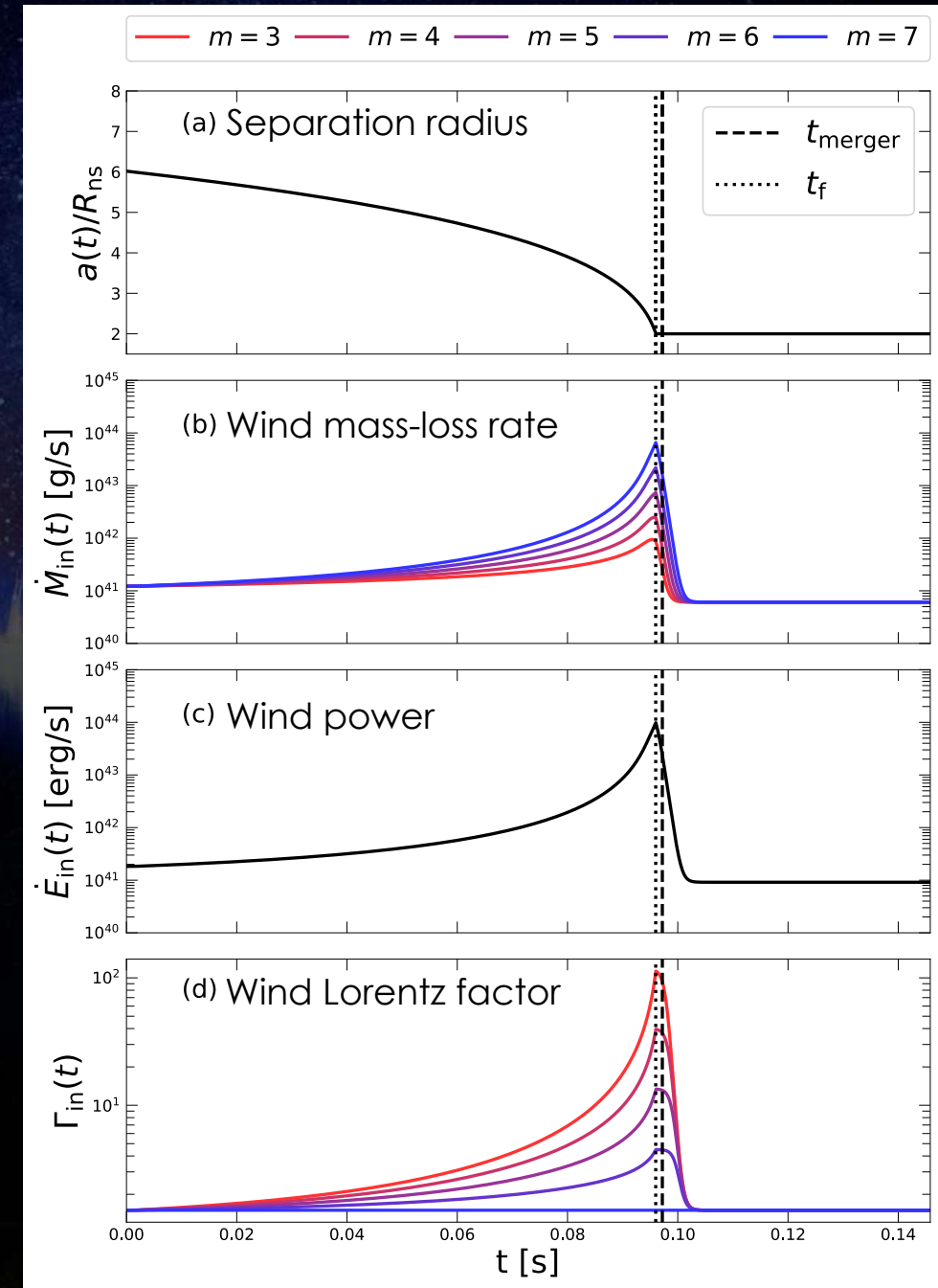
\* Assuming that the ' $\sigma$ -problem' is solved.

# Wind profiles

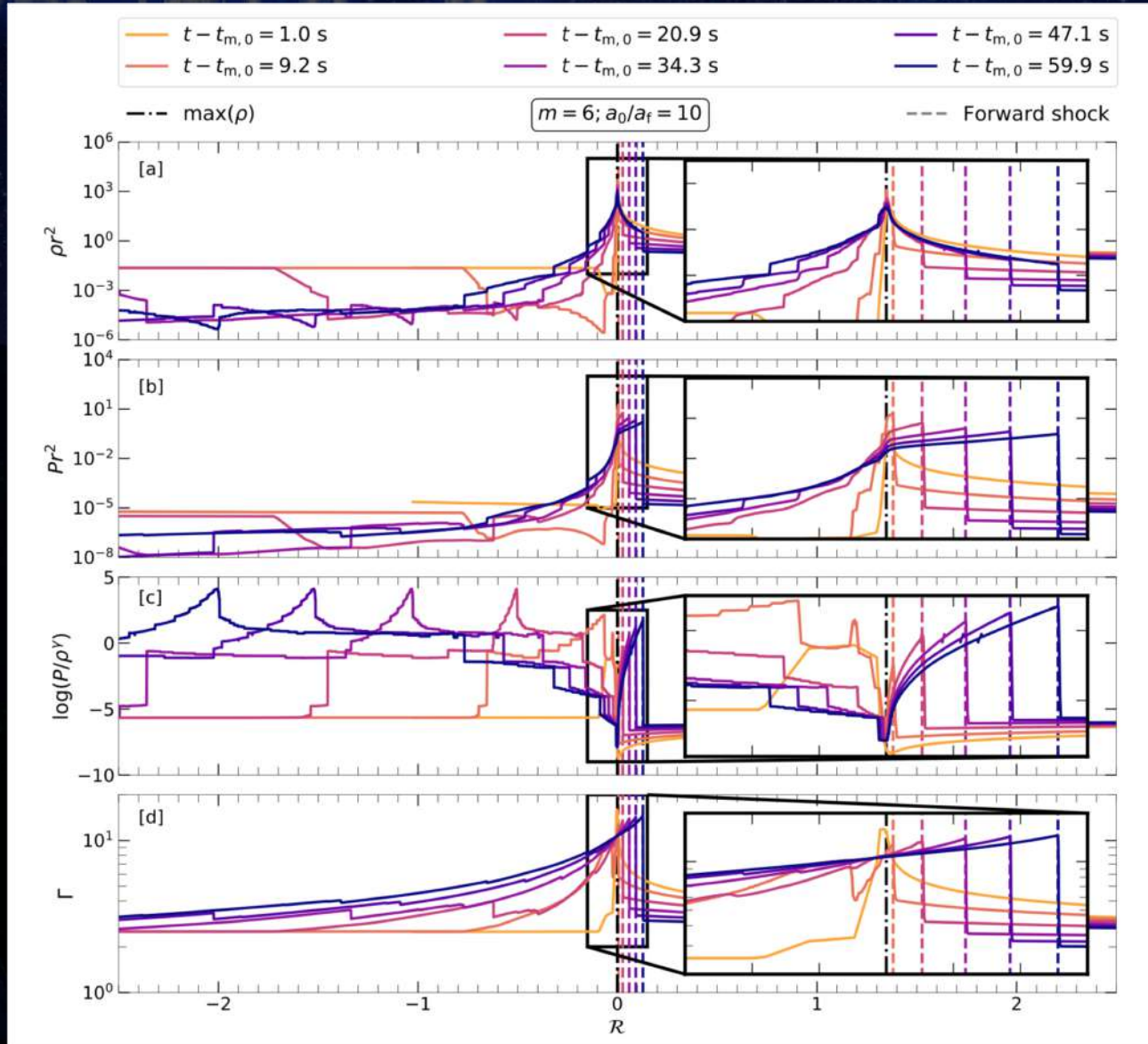
$m$	Description
$> 7$	Binary wind decelerates approaching merger; no shocks
$< 7$	Binary wind accelerates approaching merger; internal shocks
$> 5.5$	Coasting fast shell
$< 5.5$	Fast shell sweeps up more than its own inertial mass, decelerates
$> 5$	Coasting fast shell meets unshocked binary wind
$< 5$	Coasting fast shell meets earlier-shocked binary wind
$< 4$	Coasting fast shell sweeps up more than its own rest mass
3	“Goldreich-Julian” scaling (Eq. 11)

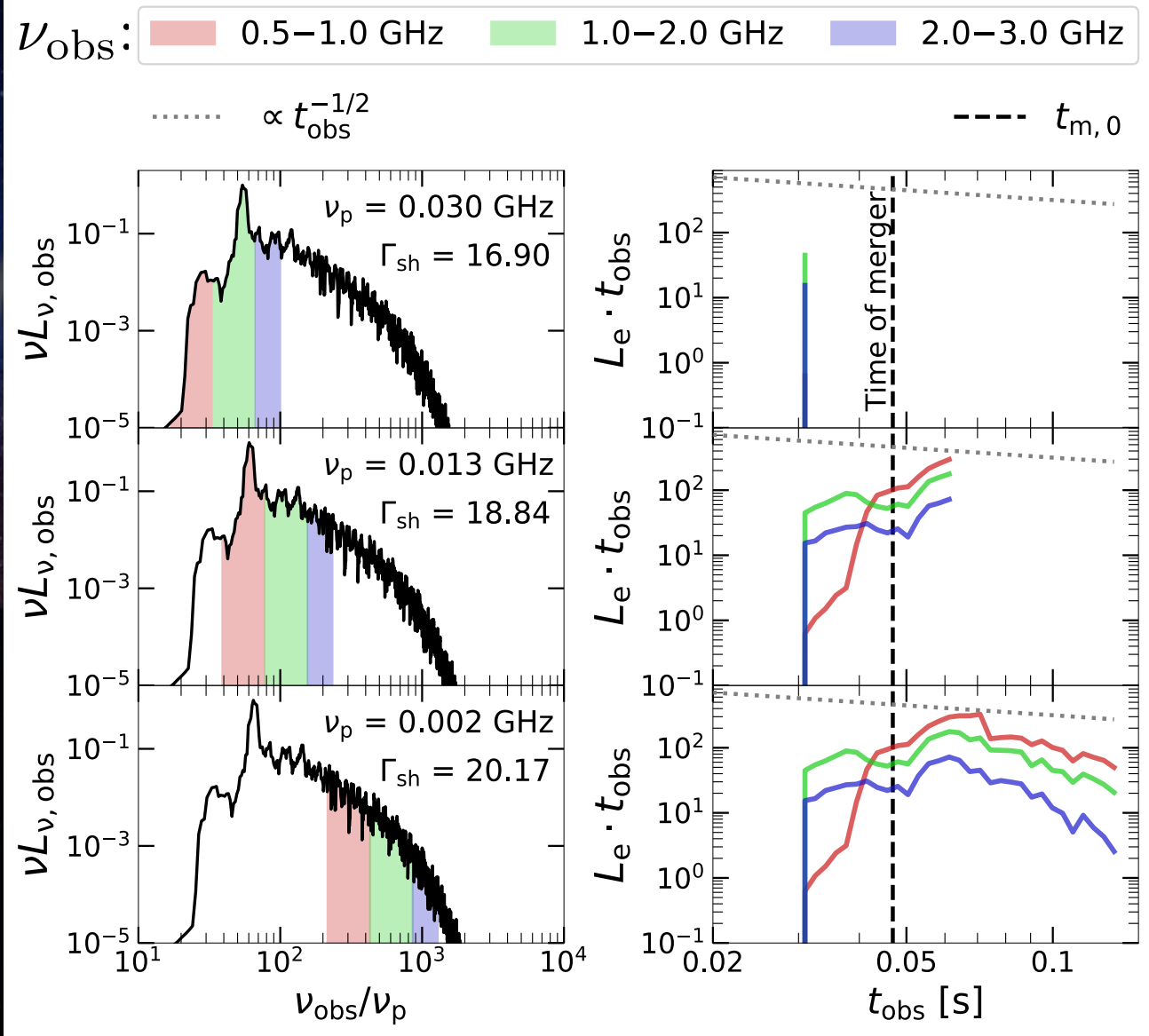
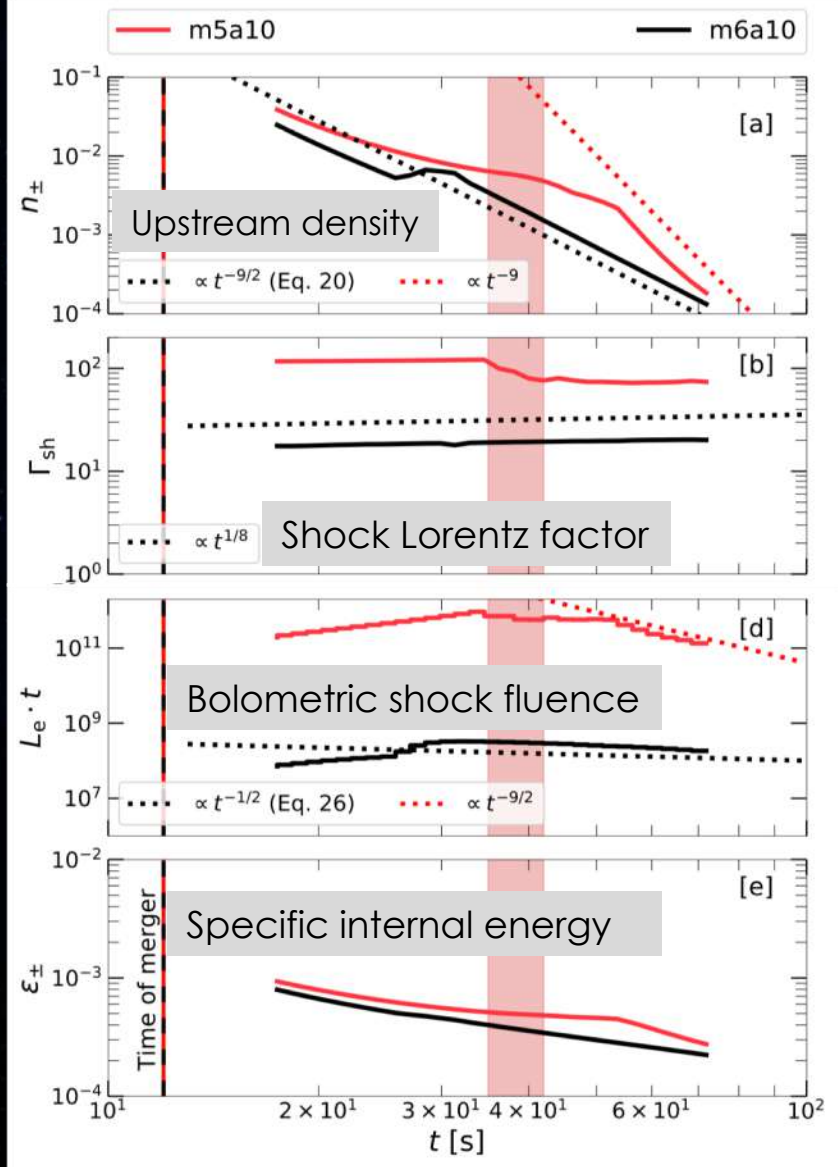
## Representative cases:

- $m = 5$ : Decelerating fast shell
- $m = 6$ : Coasting fast shell



# Hydrodynamics of wind interaction

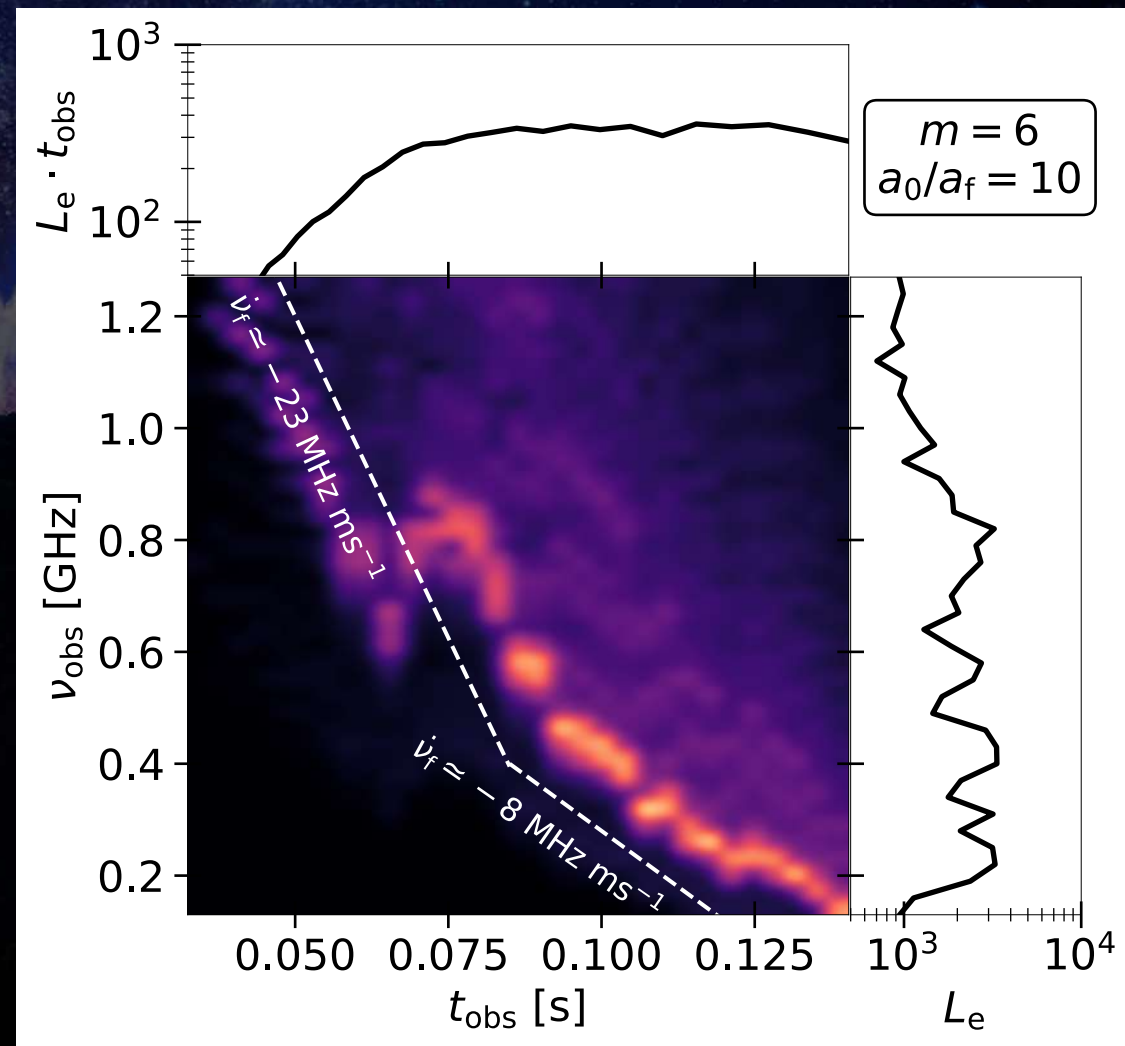
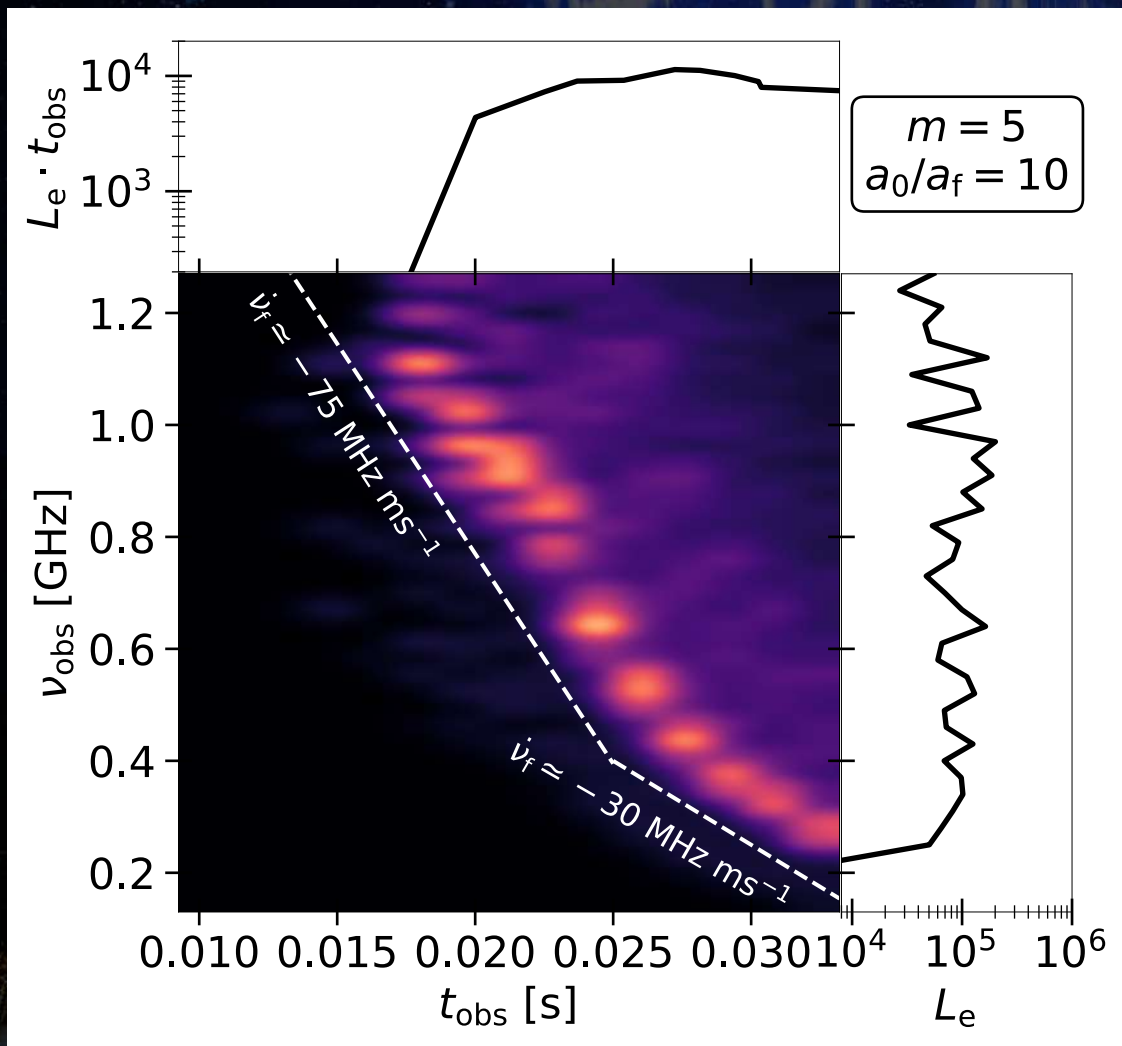




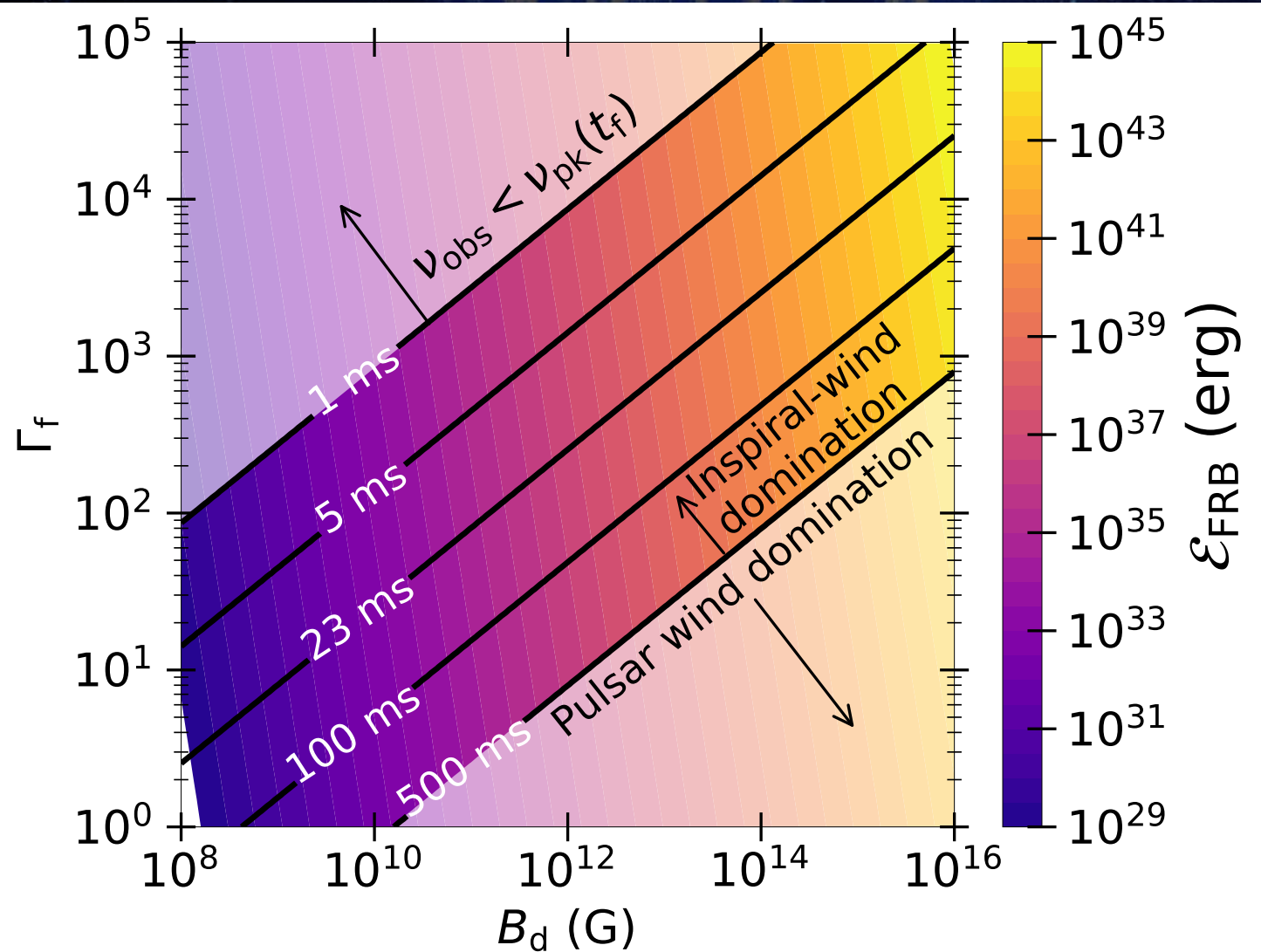
- Hydro simulations supply upstream  $n_{\pm}$  and shock  $\Gamma_{sh} \Rightarrow$  Bolometric luminosity ( $L_e$ ), plasma frequency ( $\nu_p$ ).
  - Particle-in-Cell simulation supply the spectrum of synchrotron maser emission  $\Rightarrow$  Radio luminosity!
- + (Plotnikov & Sironi 2019)



# In-silico FRB!

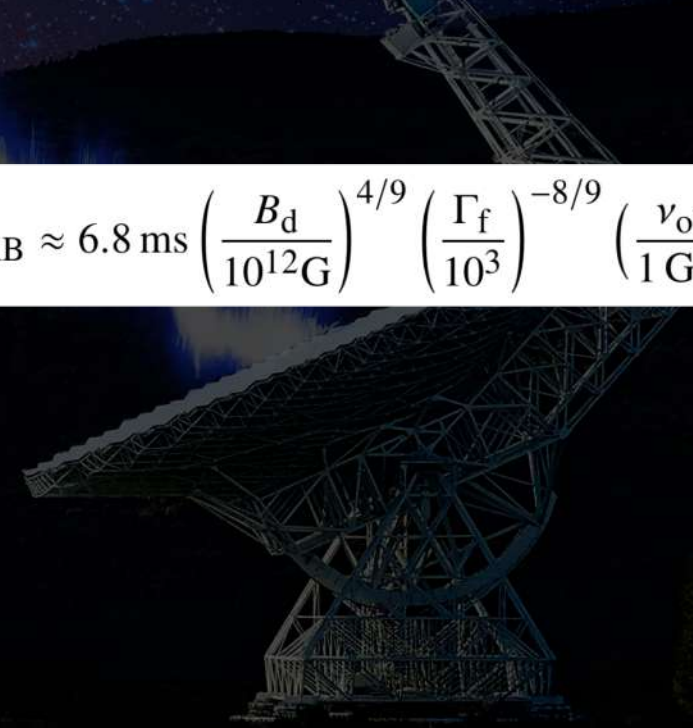


# Engine and observed properties



$$\begin{aligned} \epsilon_{\text{FRB}} &\approx L_r [t_{\text{FRB}}] t_{\text{FRB}} \\ &\approx 1.2 \times 10^{37} \text{ erg} \left( \frac{f_{\xi, -3}}{f_{b, -1}} \right) \left( \frac{\Gamma_f}{10^3} \right)^{4/9} \left( \frac{v_{\text{obs}}}{1 \text{ GHz}} \right)^{2/9} \left( \frac{B_d}{10^{12} \text{ G}} \right)^{16/9} \end{aligned}$$

$$t_{\text{FRB}} \approx 6.8 \text{ ms} \left( \frac{B_d}{10^{12} \text{ G}} \right)^{4/9} \left( \frac{\Gamma_f}{10^3} \right)^{-8/9} \left( \frac{v_{\text{obs}}}{1 \text{ GHz}} \right)^{-4/9}$$



# Take-away

- A significant fraction ( $\sim 10^{-3}$ ) of the Poynting energy released during NS merger  $\rightarrow$  burst of coherent radio emission.
- The emission will be beamed along orbital plane.
- For  $B_d \geq 10^{12} \text{G}$ , expected fluence  $\sim 1 \text{ Jy ms}$ , from  $\sim \text{Gpc}$  distances.
- $\sim 1\%$  of the observed FRBs ( $\sim 50$  per day) from this channel.
- $\sim 2$  per year coincident with GW detections ( $< 150 \text{ Mpc}$ ).
- The model self-consistently reproduces the key features of FRBs viz., duration, energetics, drifting frequency burst sub-structures.

