

# Constraining the Cosmic Baryon Distribution with FRB foreground Maps

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# THE FLIMFLAM - TEAM

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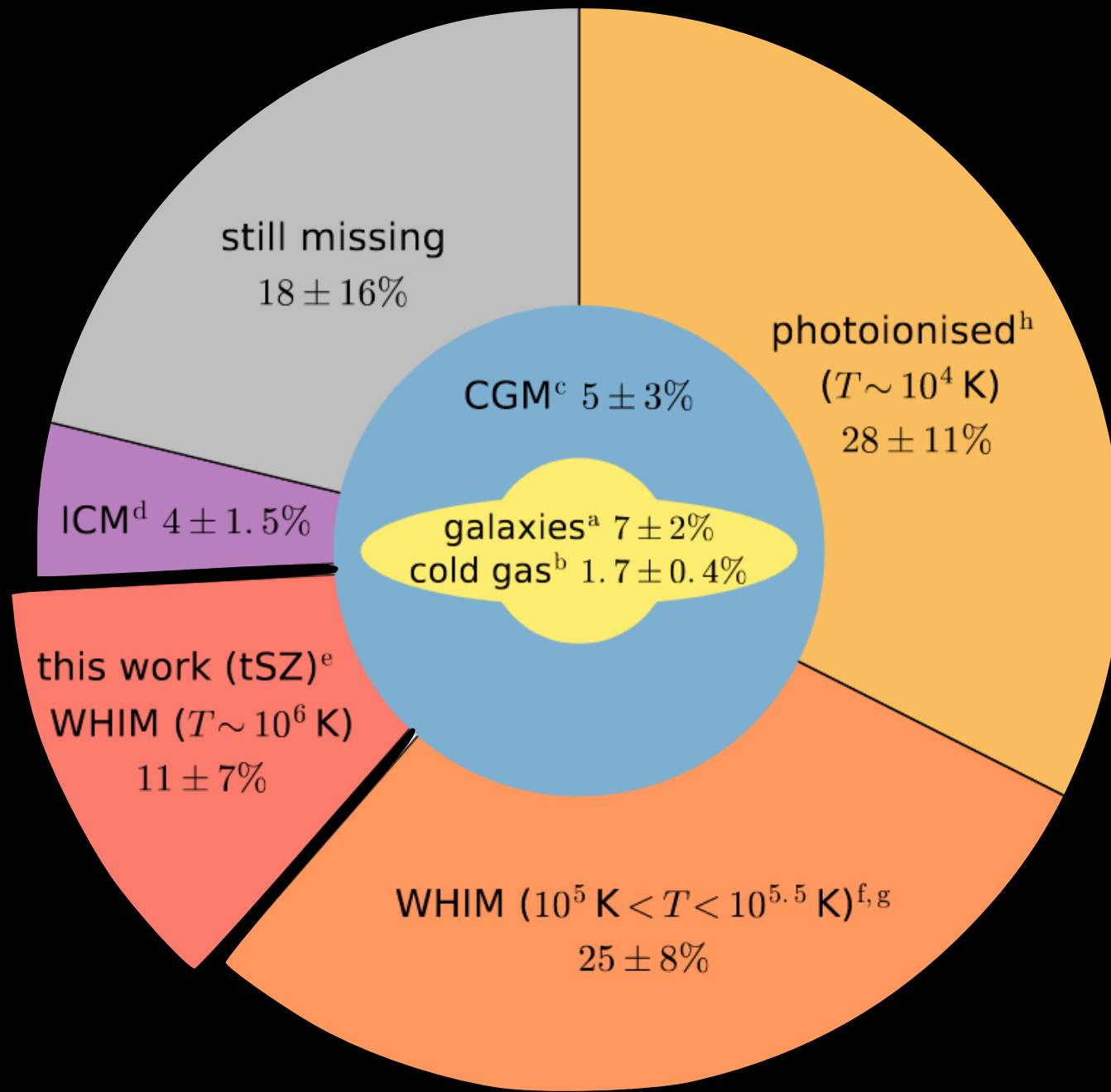
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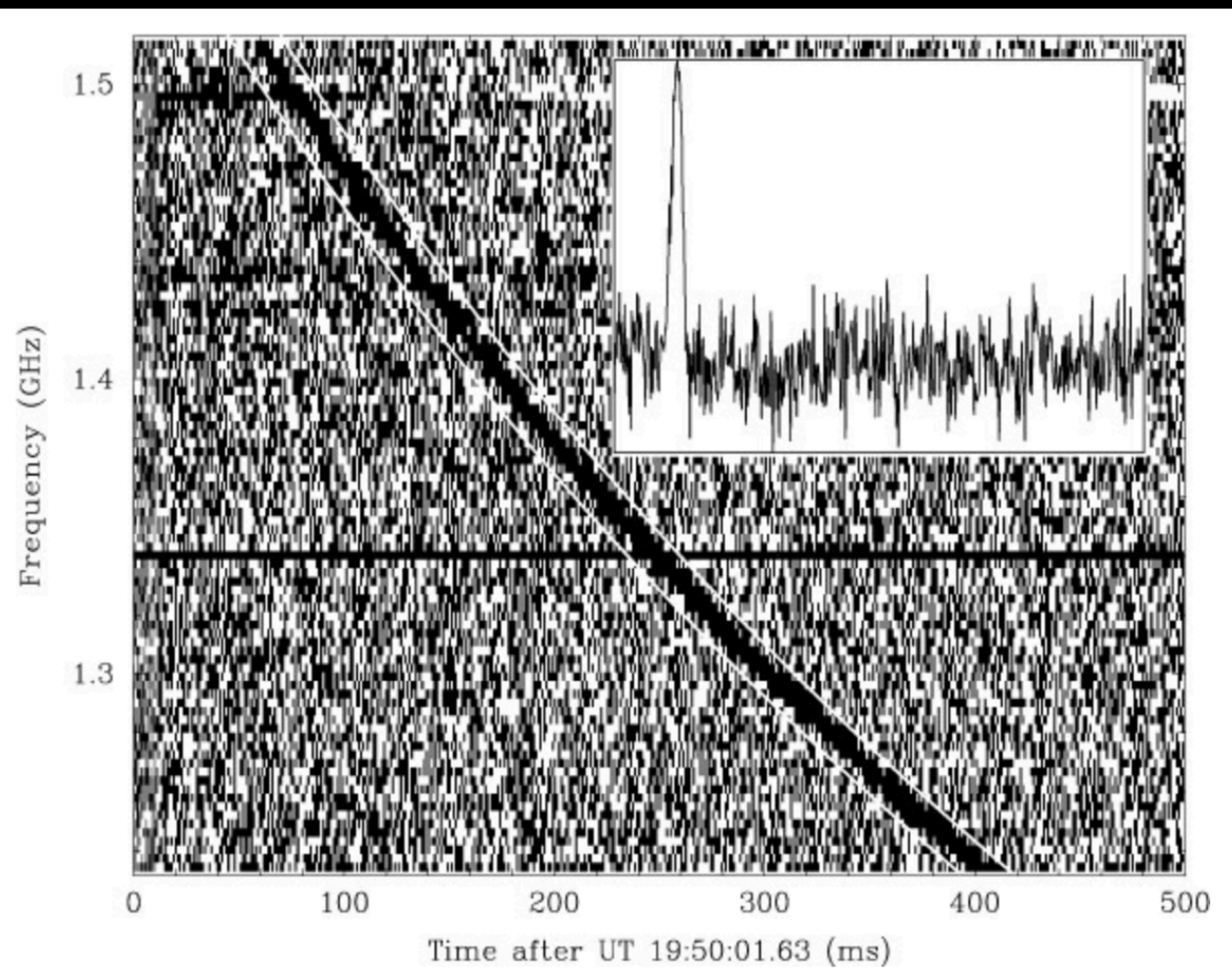
# Motivation: the “missing” baryons



At  $z < 2$ , about 20-30% of baryons are unaccounted for.

Finding where these “missing” baryons are located is crucial for understanding IGM/galaxy evolution and feedback mechanisms

# Fast Radio Bursts as tracers of the Cosmic Web



Lorimer+2007

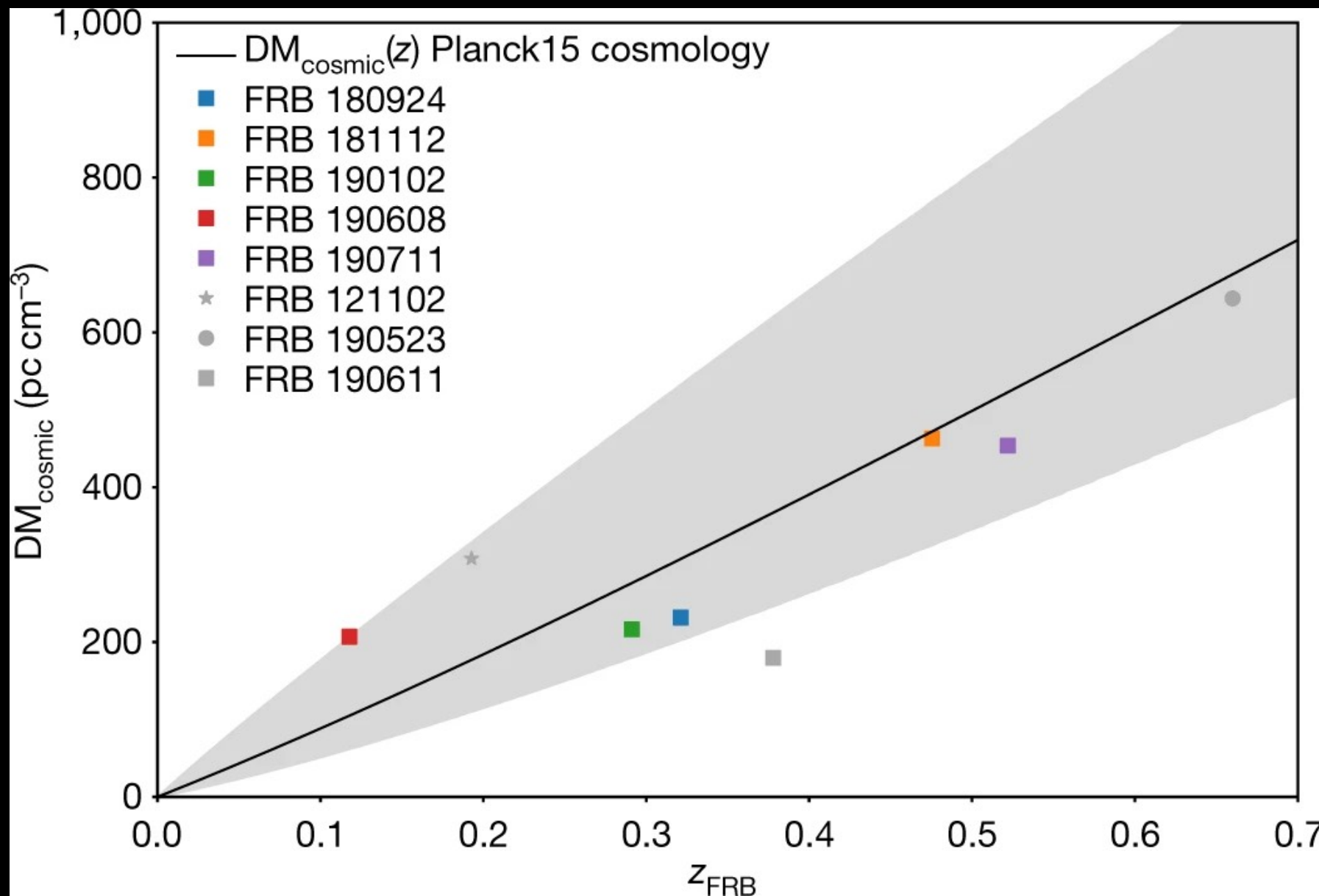
- bright millisecond radio transients of unknown nature of extragalactic origin (Lorimer+2007, Thornton+2013)
- wavelength-dependent time delay of the components frequencies is described by the characteristic “dispersion measure” (DM)
- DM is a measure of the integrated electron column densities along the line-of-sight - for ionized medium this means DM also probe baryons



# Fast Radio Bursts as tracers of the Cosmic Web

## The Mcquart Relation

$$\langle \text{DM}_{\text{cosmic}} \rangle = \int_0^{z_{\text{frb}}} \frac{c f_d \rho_b(z) m_p (1 - Y_{\text{He}}/2)}{H_0 (1+z)^2 \sqrt{\Omega_m (1+z)^3 + \Omega_\Lambda}} dz$$

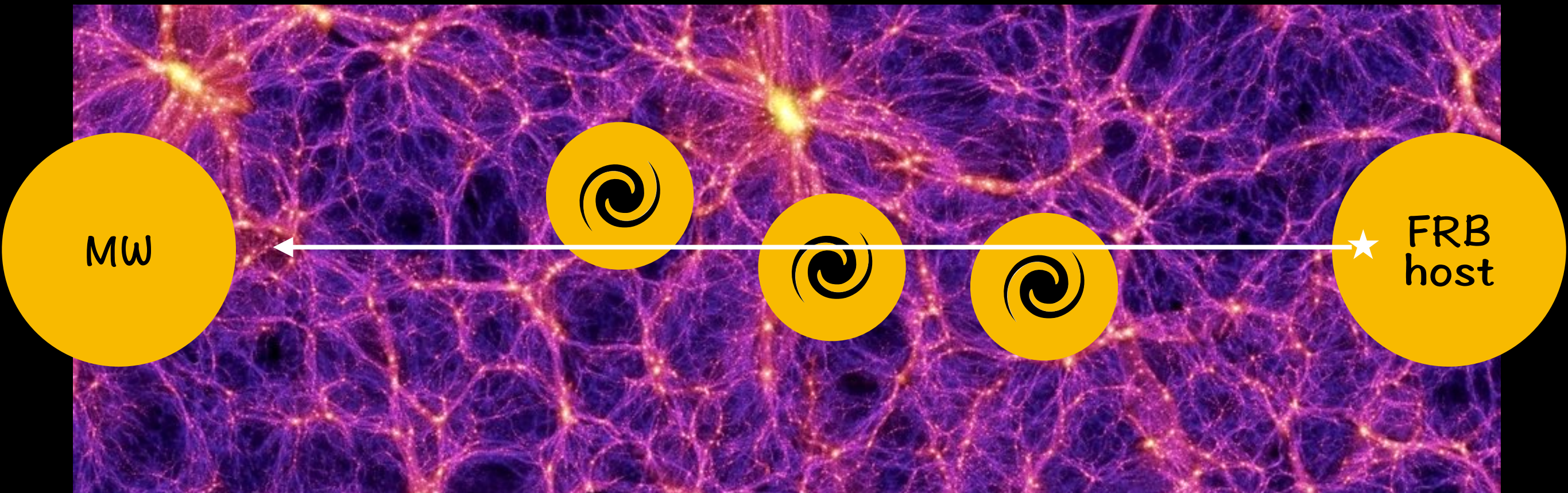


The “missing” baryons are found, but little is known about their distribution:

- in the diffuse gas tracing Cosmic Web or
- inside the hot galactic halos?
- but then what is the extent of these halos?

# Fast Radio Bursts as tracers of the Cosmic Web

$$DM_{\text{obs}} = \int n_e(s) ds$$

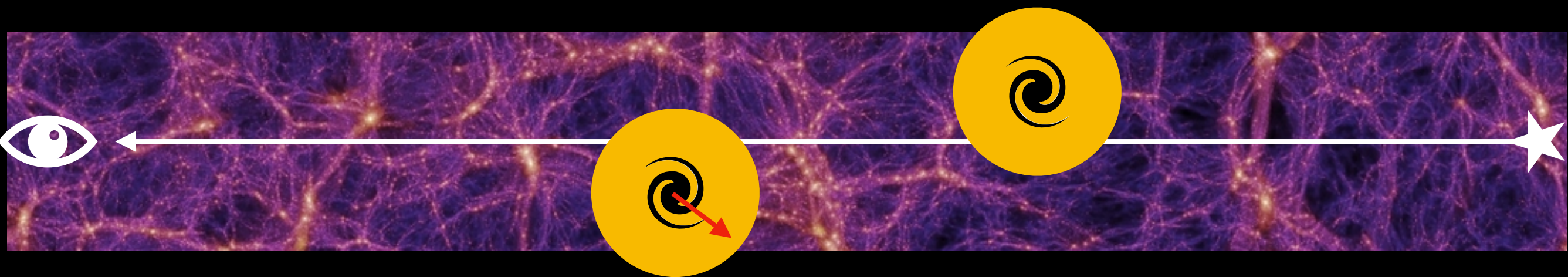


$$DM_{\text{obs}} = DM_{\text{MW}} + DM_{\text{igm}} + DM_{\text{halo}} + DM_{\text{host}}$$



# FRB foreground mapping technique

## Step 1. Creation of the mock dataset



1. Calculate the  $DM_{\text{igm}}$  from the Millennium density fields along the path of the FRB

$$\text{assuming } f_{\text{igm}} = 0.8: DM_{\text{igm}} = \int n_{\text{e,igm}}(s) ds \propto f_{\text{igm}} \int n_{\text{ISS}}(s) ds$$

2. Calculate  $DM_{\text{halo}}$  contribution. Each f/g galactic halo is described by the mNFW profile extending to  $r_{\text{max}}$ . The total mass of baryons in the halo is  $M_{\text{halo}}^b \equiv f_{\text{hot}} \cdot \frac{\Omega_b}{\Omega_m} M_{\text{halo}}$

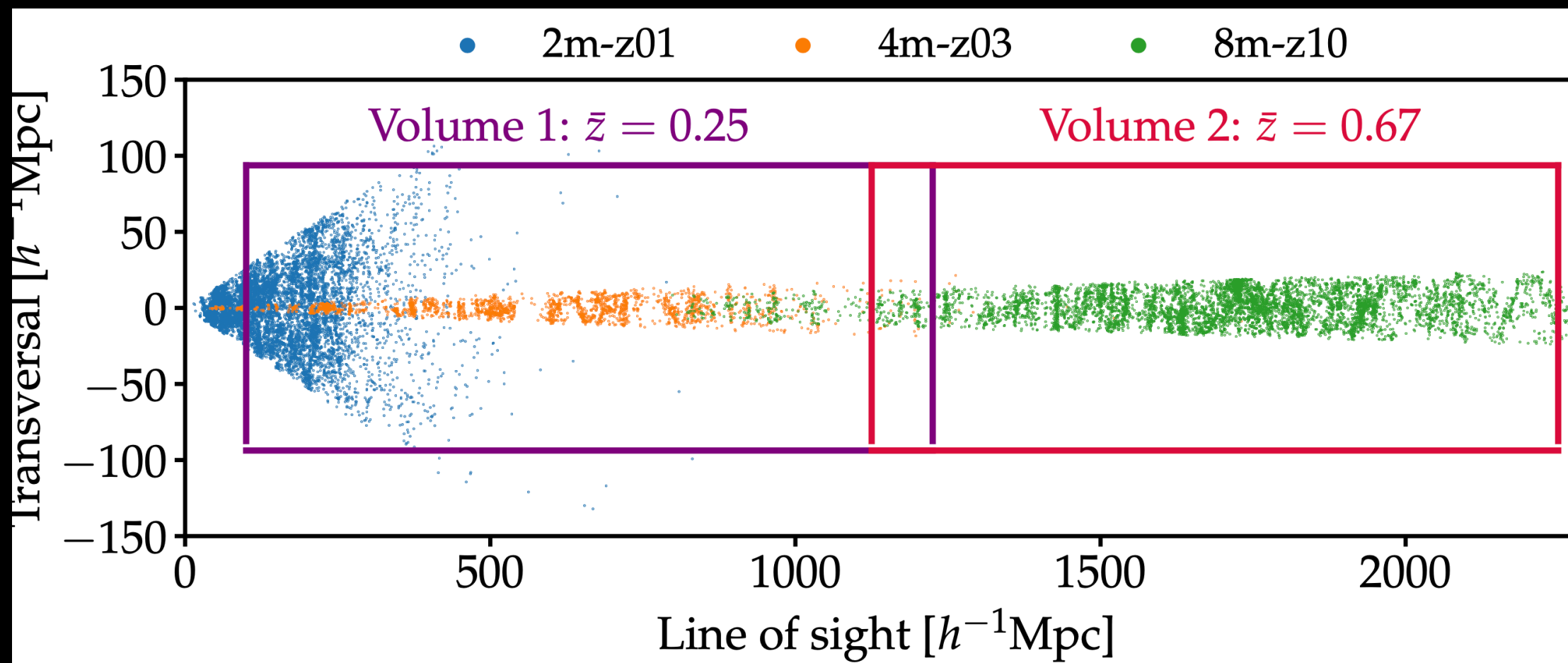
We assume  $r_{\text{max}}/r_{200} = 1.4$ ,  $f_{\text{hot}} = 0.75$

Model parameters:  $f_{\text{igm}}$ ,  $r_{\text{max}}$ ,  $f_{\text{hot}}$

# FRB foreground mapping technique

Step 2. Using Henriques+2015 lightcones, we generate f/g galaxy catalogs to be used for reconstructing the underlying density field along the FRBs line-of-sight

Galaxy positions in the mock spectroscopic surveys





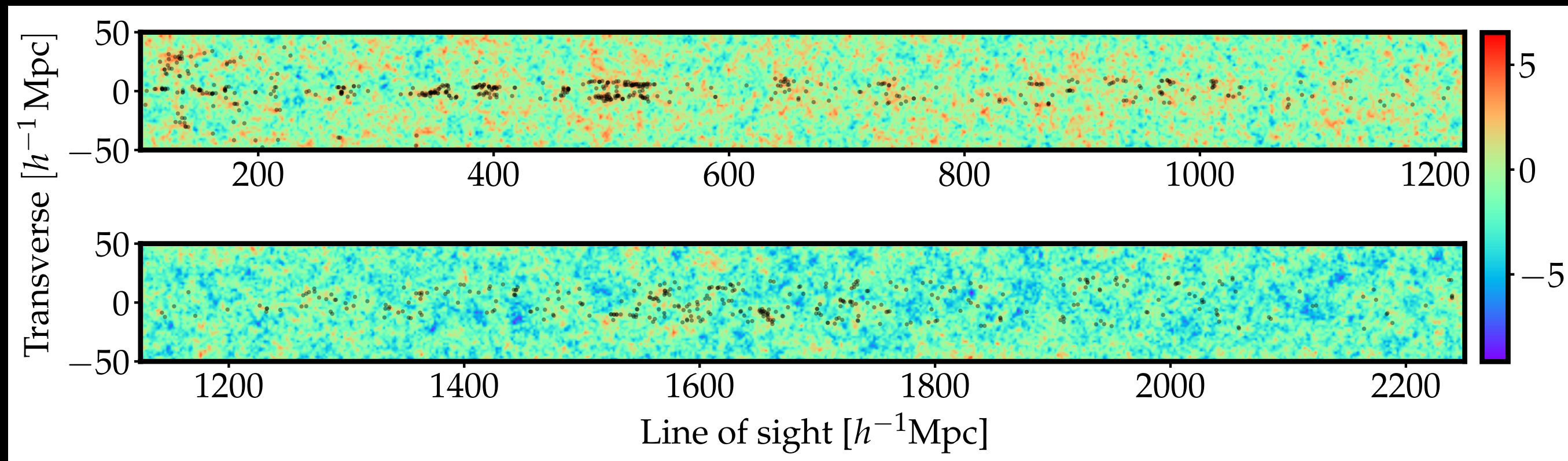
# ARGO reconstructions of the matter density field

ARGO - Bayesian density reconstruction code (Ata+2015,2017)



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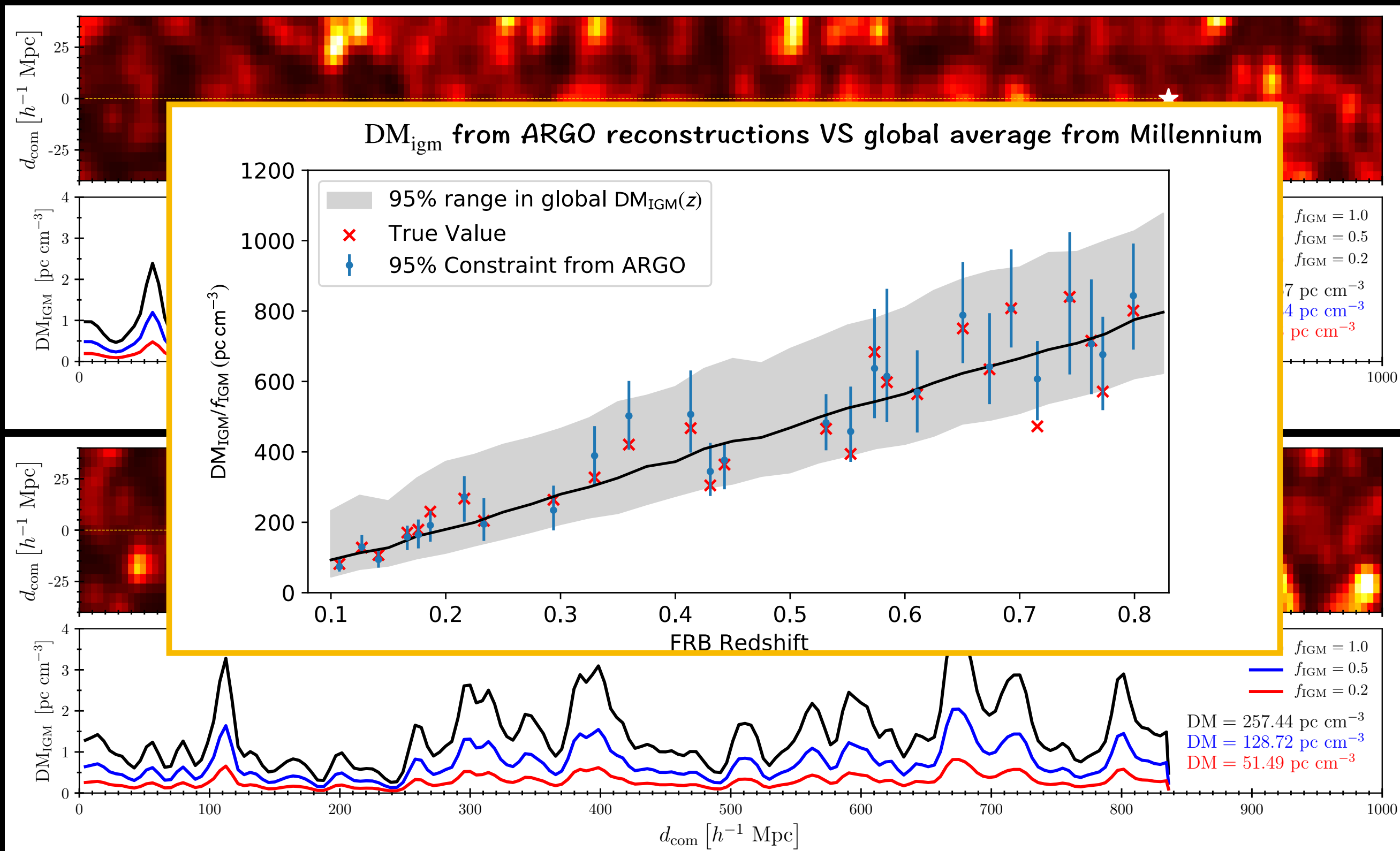
Example ARGO reconstructed underlying density field from Millennium simulations



ARGO yields  $N=50$  realizations of the density field, allowing robust estimate of the uncertainties

# ARGO reconstructions of the matter density field

## Example $DM_{\text{IGM}}$ contributions from ARGO realizations of the density field

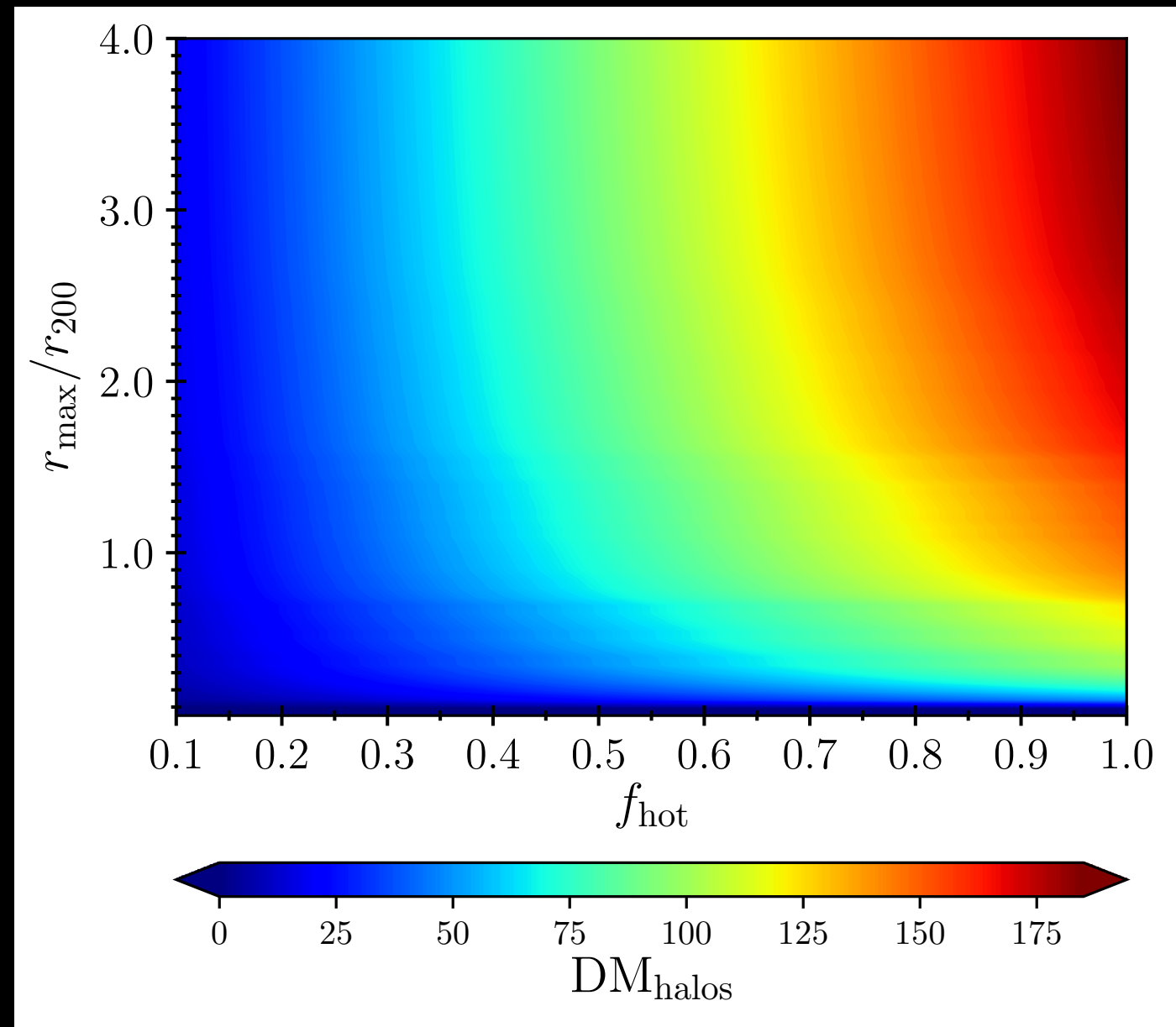
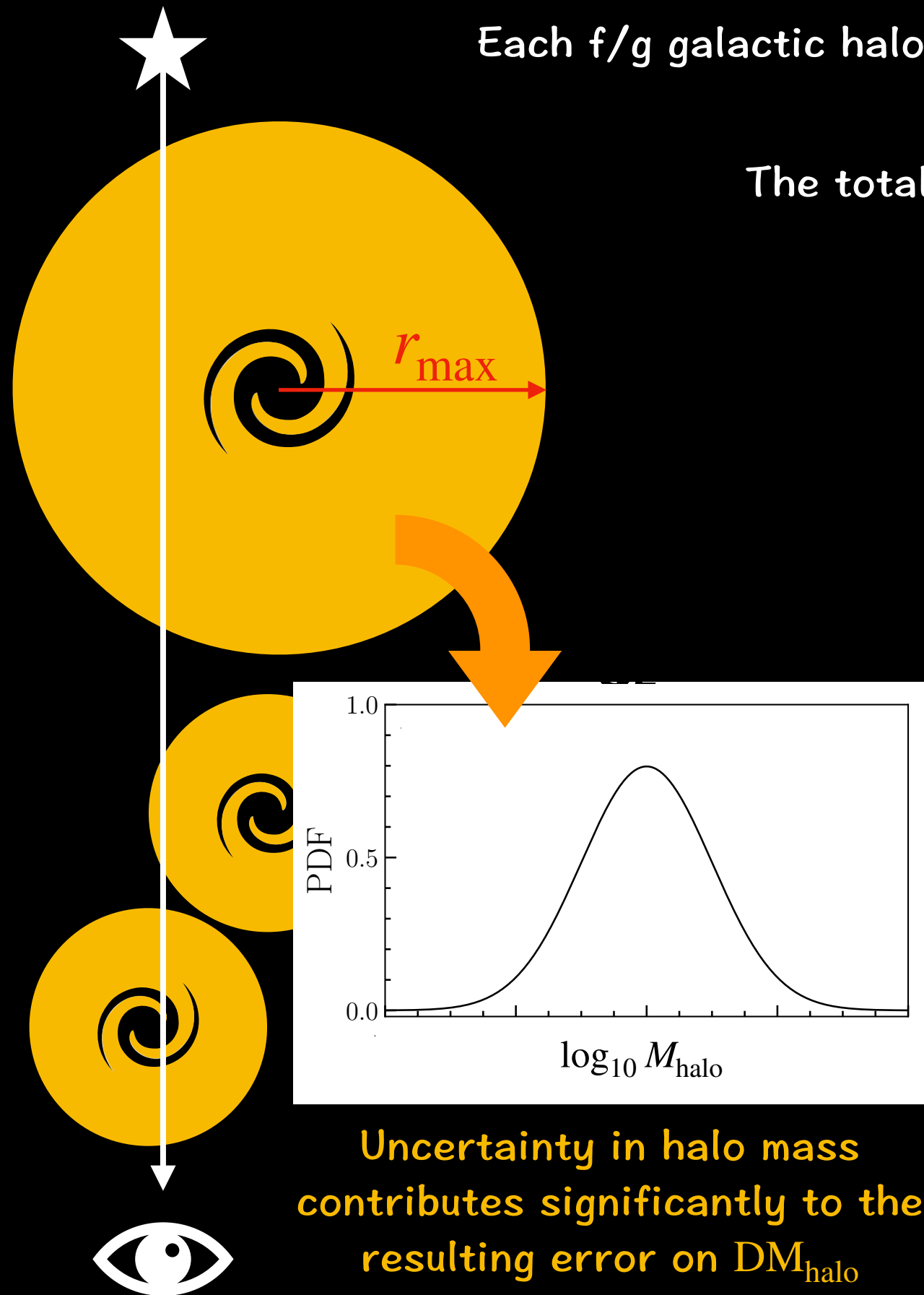




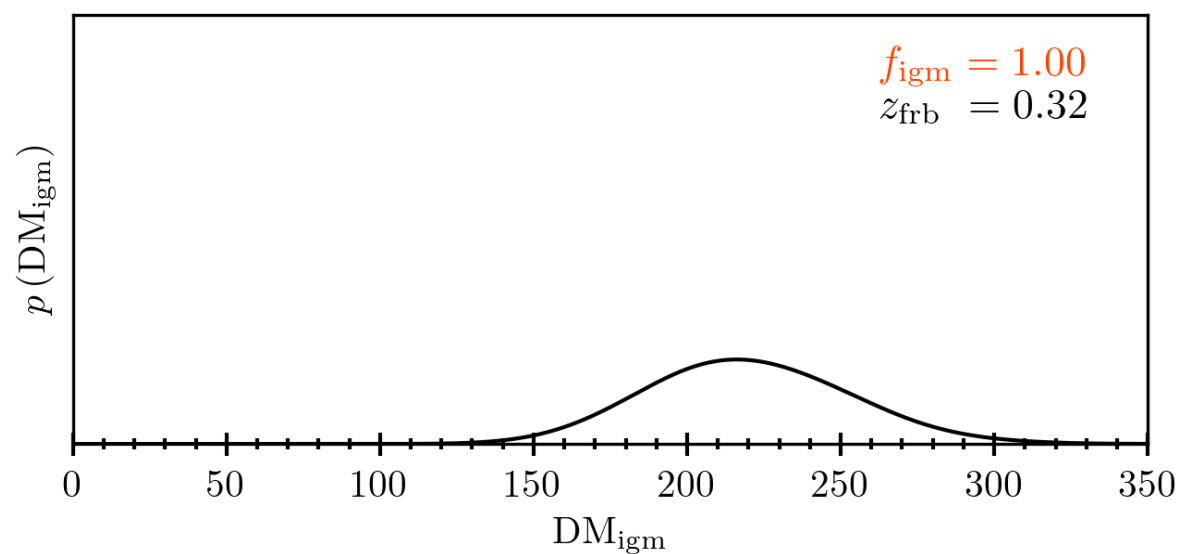
# The f/g Galactic Halos Component ( $DM_{\text{halo}}$ )

Each f/g galactic halo is described by the mNFW profile extending to  $r_{\text{max}}$

The total mass of baryons in the halo is  $M_{\text{halo}}^b \equiv f_{\text{hot}} \cdot \frac{\Omega_b}{\Omega_m} M_{\text{halo}}$

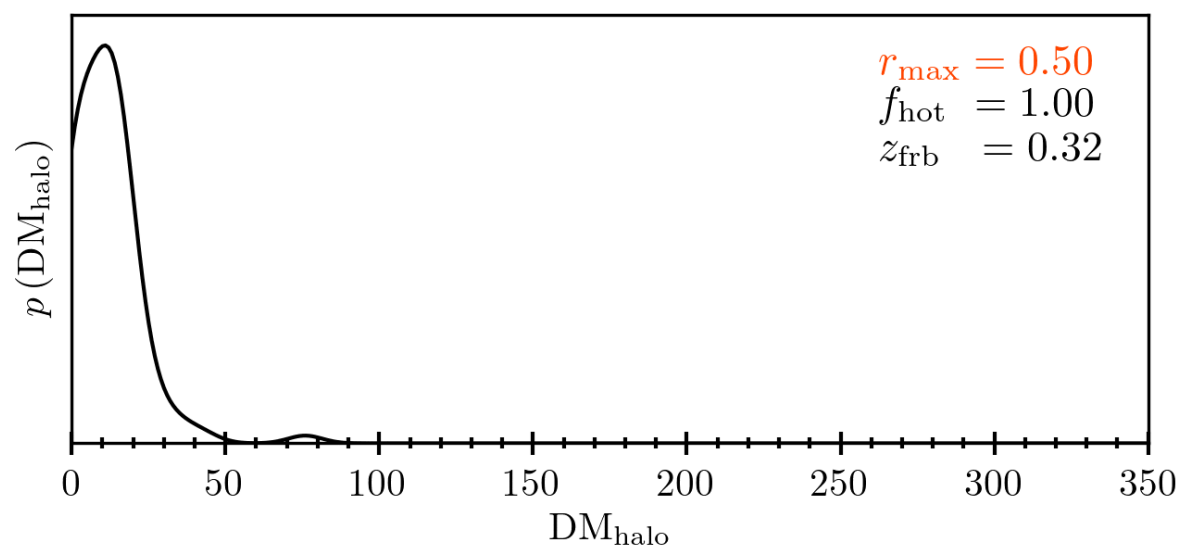


# DM contributions as functions of model parameters



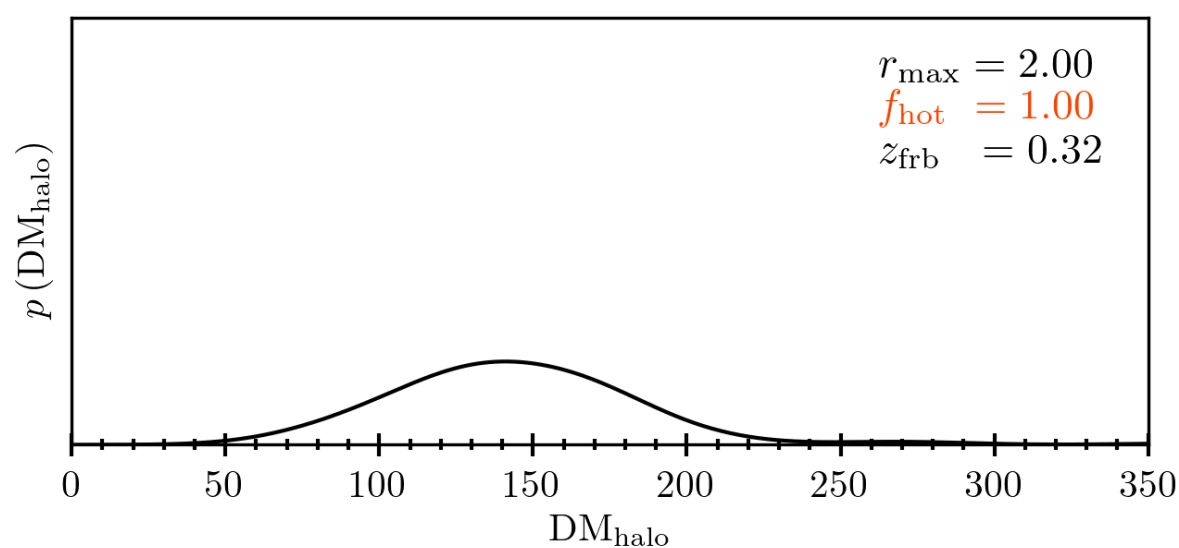
Changing the fraction of baryons inside the diffuse IGM

$$\text{DM}_{\text{igm}} = \text{func}(f_{\text{igm}})$$



Changing the extent of the f/g galactic halos

$$\text{DM}_{\text{halo}} = \text{func}(r_{\text{max}})$$



Changing the fraction of baryons inside the hot CGM of f/g galactic halos

$$\text{DM}_{\text{halo}} = \text{func}(f_{\text{hot}})$$



## MCMC inference on the mocks

Mock data is constructed from Millennium mock FRB catalogs:

$$\text{DM}_{\text{data}} = \text{DM}_{\text{igm}}^{\text{true}}(f_{\text{igm}} \equiv 0.8) + \text{DM}_{\text{halo}}^{\text{true}}(r_{\text{max}} \equiv 1.4, f_{\text{hot}} \equiv 0.75) + \langle \text{DM}_{\text{host}}(z) \rangle$$

Model is given by ARGO density reconstructions and NFW model of f/g halos

$$\text{DM}_{\text{model}} = \langle \text{DM}_{\text{igm}}(f_{\text{igm}}) \rangle + \langle \text{DM}_{\text{halo}}(r_{\text{max}}, f_{\text{hot}}) \rangle + \langle \text{DM}_{\text{host}}(z) \rangle$$

$$\langle \text{DM}_{\text{host}}(z) \rangle = 100 \text{ pc cm}^{-3} \cdot (1 + z_{\text{frb}})^{-1}$$

The joint likelihood for an ensemble of FRB:

$$\log \mathcal{L}_{\text{joint}} \propto \sum_i^{N_{\text{frb}}=30} \frac{(\text{DM}_{\text{data},i} - \text{DM}_{\text{model},i})^2}{\sigma_i^2}$$

$$\sigma_i^2 = \sigma_{\text{argo},i}^2 + \sigma_{\text{halo},i}^2 + \sigma_{\text{MW}}^2$$

$$f_{\text{igm}} \in [0.00, 1.00] \quad r_{\text{max}}/r_{200} \in [0.05, 2.00] \quad f_{\text{hot}} \in [0.05, 1.00]$$

# MCMC inference on the mocks (preliminary results)

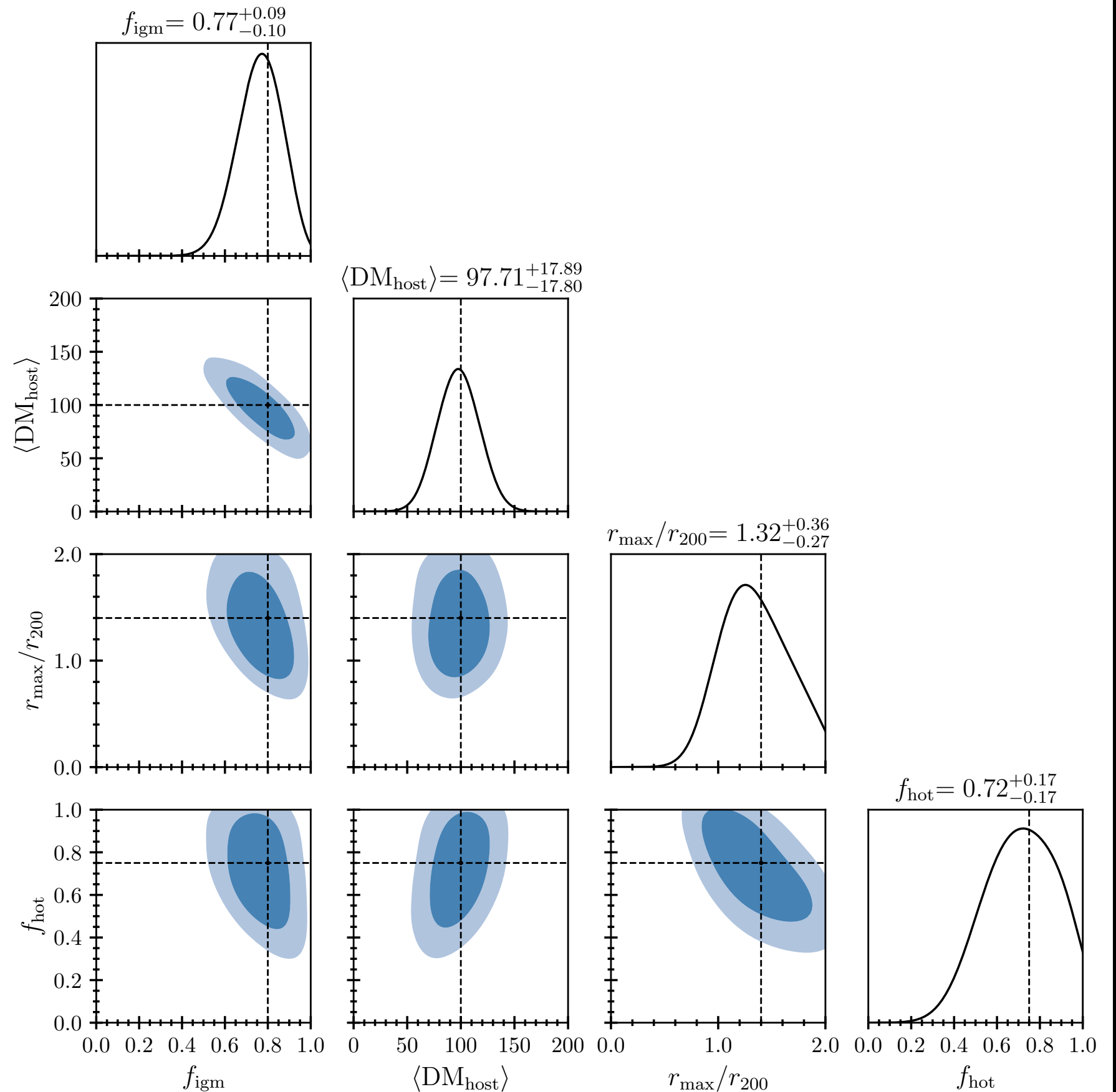
$$N_{\text{frb}} = 30$$

$$0.01 \lesssim z_{\text{frb}} \lesssim 0.50$$

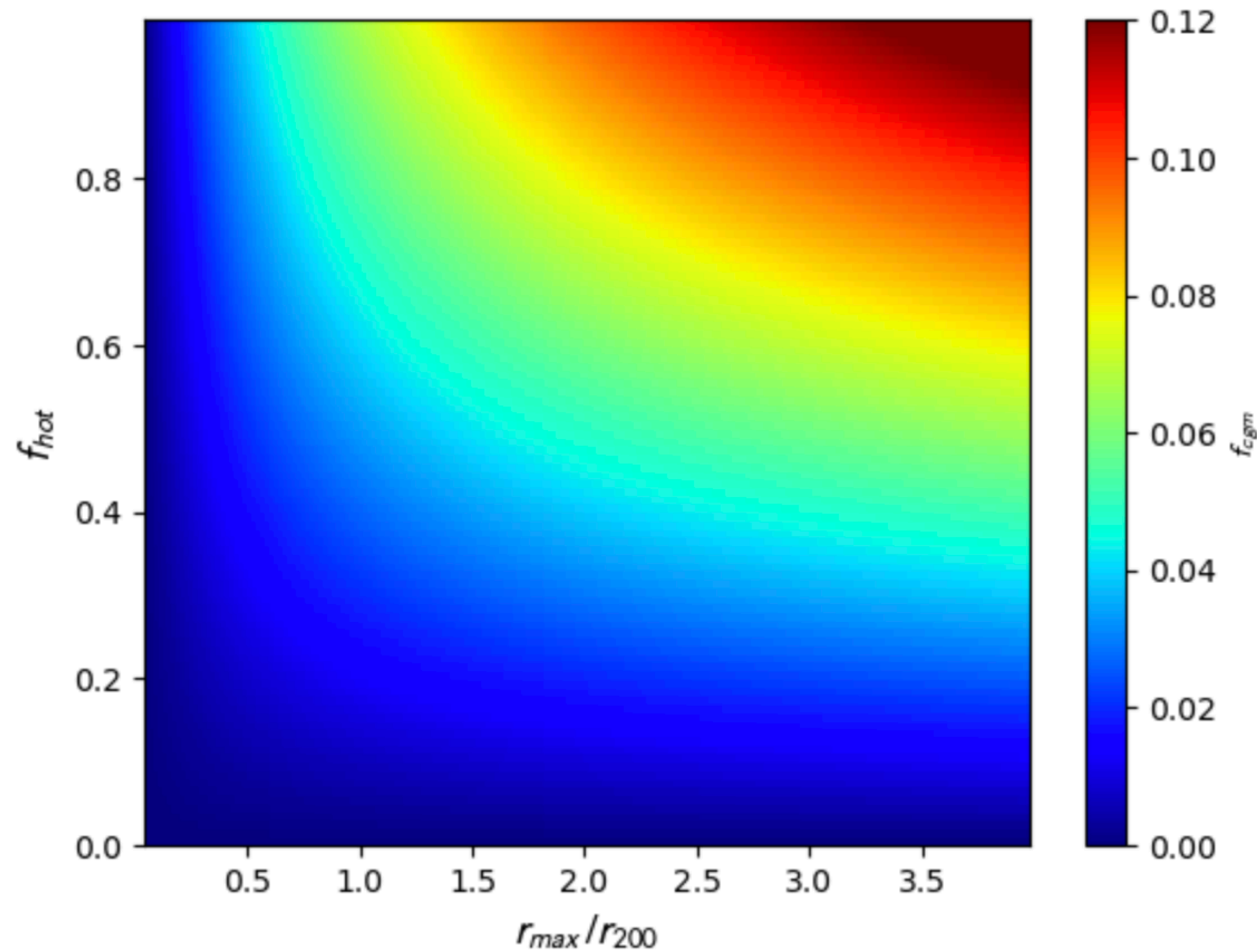
~10% precision on  $f_{\text{igm}}$

~25% precision on  $r_{\text{max}}$

~15% precision on  $f_{\text{hot}}$



Connecting the extent of the f/g halos and  $f_{\text{hot}}$  to the  $f_{\text{cgm}}$

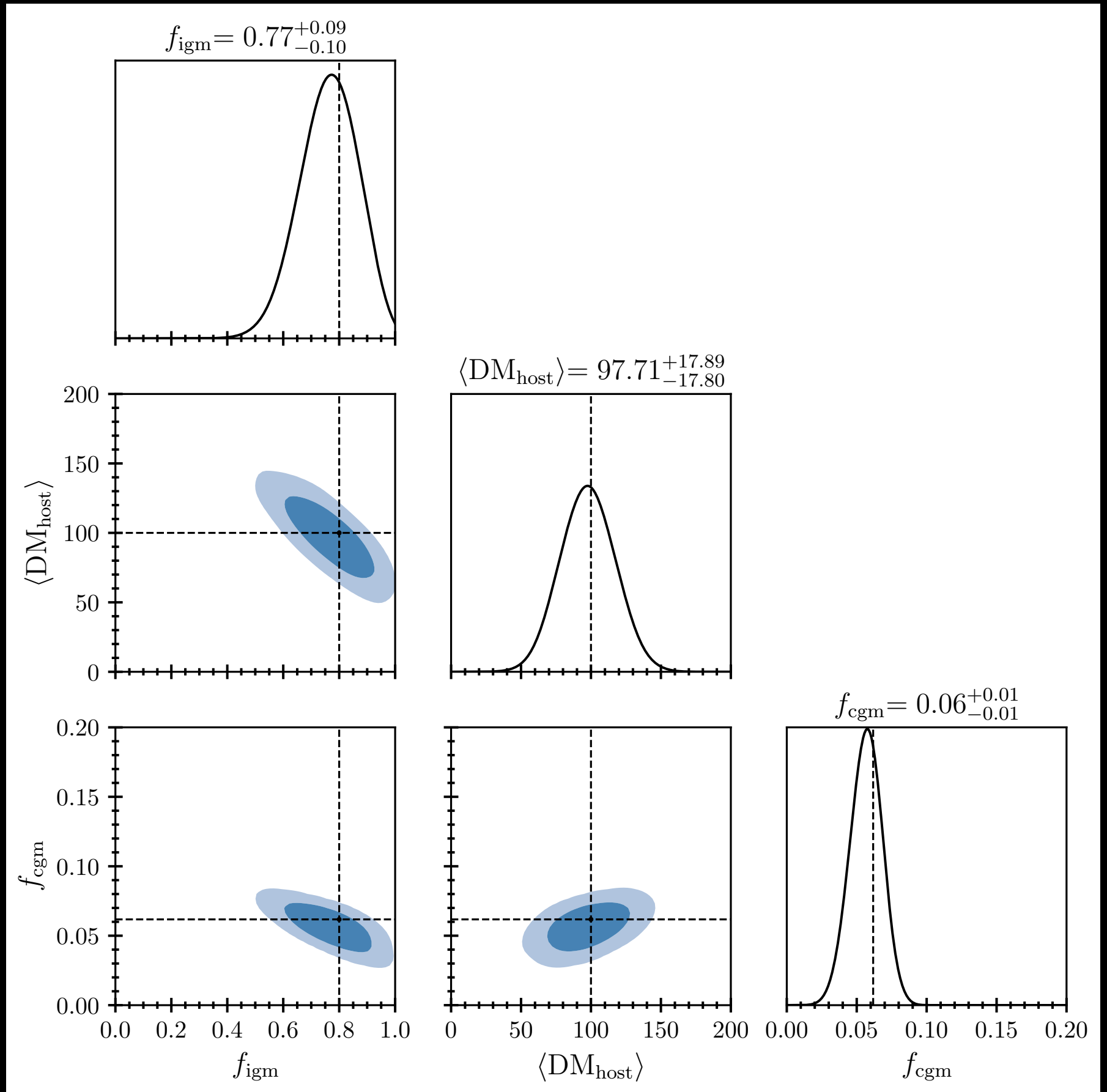




# MCMC inference on the mocks (preliminary results)

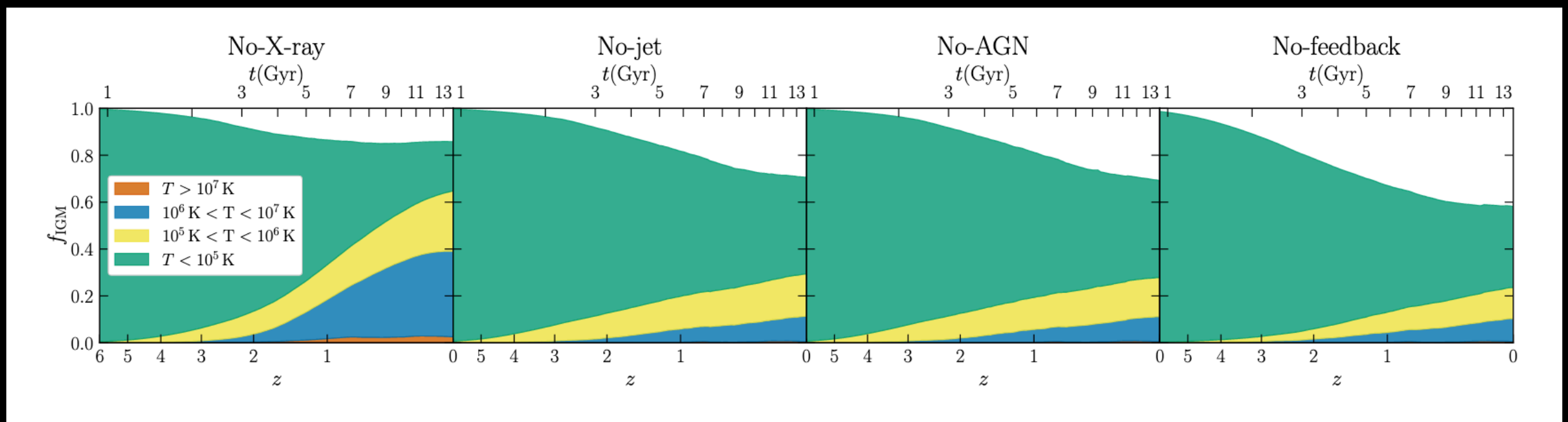
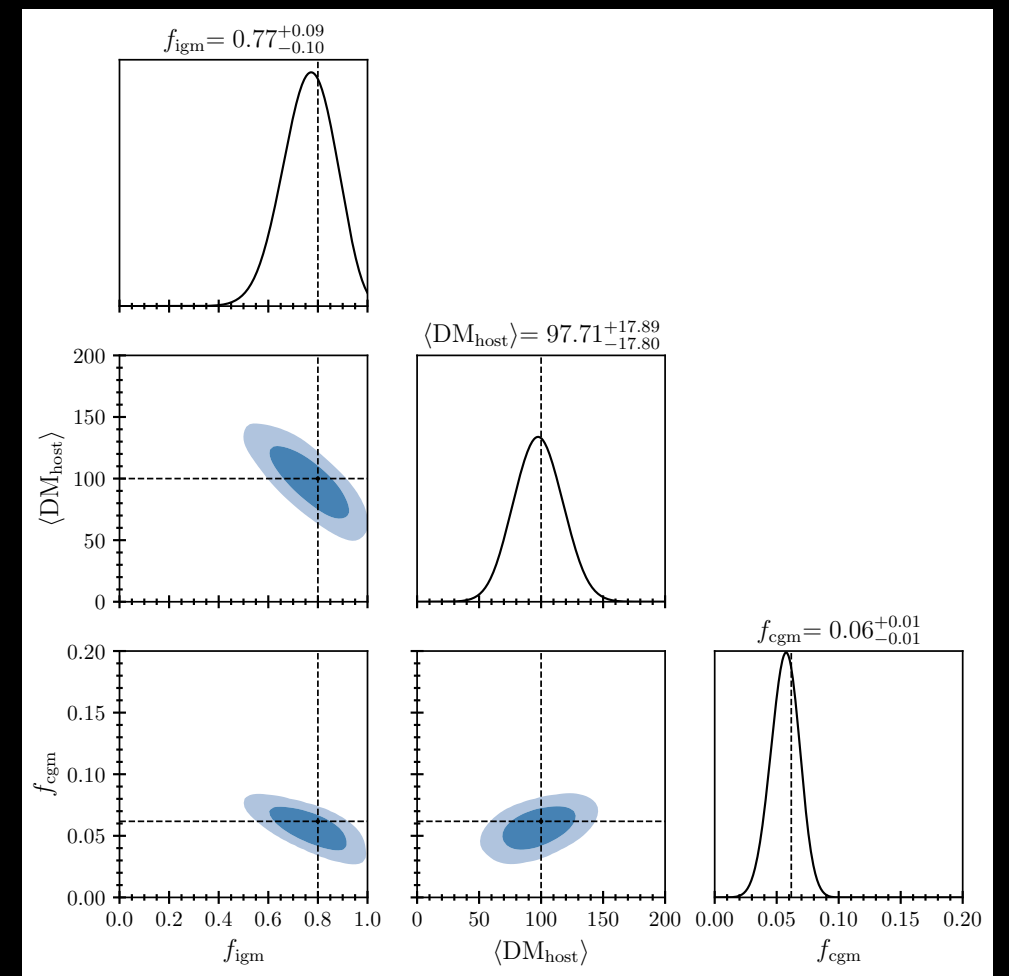
$$N_{\text{frb}} = 30$$

$$0.01 \lesssim z_{\text{frb}} \lesssim 0.50$$



# Cosmic baryons as tracers of the galaxy feedback mechanisms

Effect of different feedback prescriptions on the mass fraction of cosmic baryons located in the IGM/CGM (estimated in SIMBA hydrodynamical simulations)

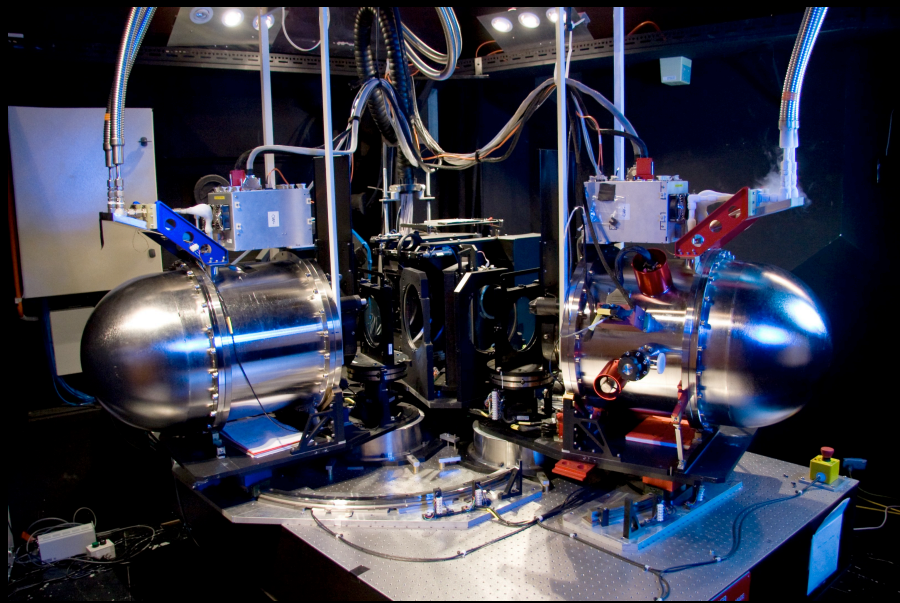


# FRB foreground mapping on AAT (FLIMFLAM)

**FLIMFLAM** = FRB Line-of-sight Ionization Measurement From  
Lightcone AAOmega Mapping



Yuxin Huang  
(Kavli IPMU)



2dF-AAOmega fiber spectrograph at 3.9m Anglo-Australian Telescope

**FLIMFLAM** goal: spectroscopic observations of galaxies in the f/g of  $N=30$   
localized FRBs at  $0.1 < z < 0.5$  with limiting magnitudes  $19.2 < r_{AB} < 20.6$

~40 observational nights for the sample of 30 FRBs

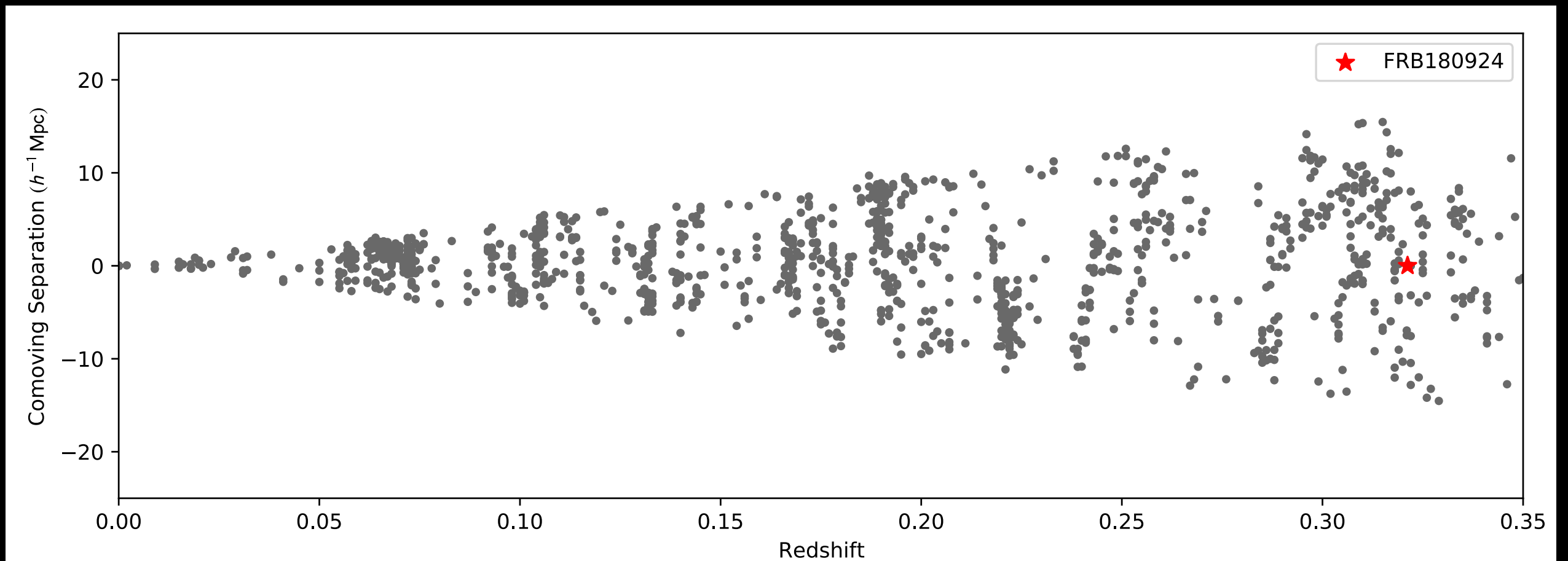


# FRB foreground mapping on AAT (FLIMFLAM)



Yuxin Huang  
(Kavli IPMU)

## First preliminary results of the FLIMFLAM observational campaign



- Using hydrodynamical simulations and semi-analytical prescriptions we created mock FRB dispersion measures and f/g galaxy catalogs
- We applied *ARGO* - state-of-the-art Bayesian algorithm to reconstruct the underlying density fields, allowing to measure the line-of-sight dispersion measures of the mock FRBs to a factor of ~2-3x better accuracy than allowed by cosmic variance.
- Applying MCMC algorithm to the mock samples of  $N=30$  FRBs at  $0.1 < z < 0.5$  we can achieve ~10% precision on estimating the fraction of baryons in the diffuse Cosmic Web, as well as ~10-20% accuracy on f/g halos parameters.
- We began observational campaign *FLIMFLAM* at 3.9m AAT, aimed to obtain spectroscopic maps of the foregrounds of  $N=30$  FRBs and measure baryon distribution
- Future facilities (4m-class DESI and WEAVE, as well as 8m-class Subaru PSF and MOONS) will allow to push foreground mapping to higher redshifts, potentially even measuring the stages of HeII reionization ( $z \sim 3$ )