

A prompt channel for binary neutron star mergers

Evidence from galactic binaries and implications for r-process sources

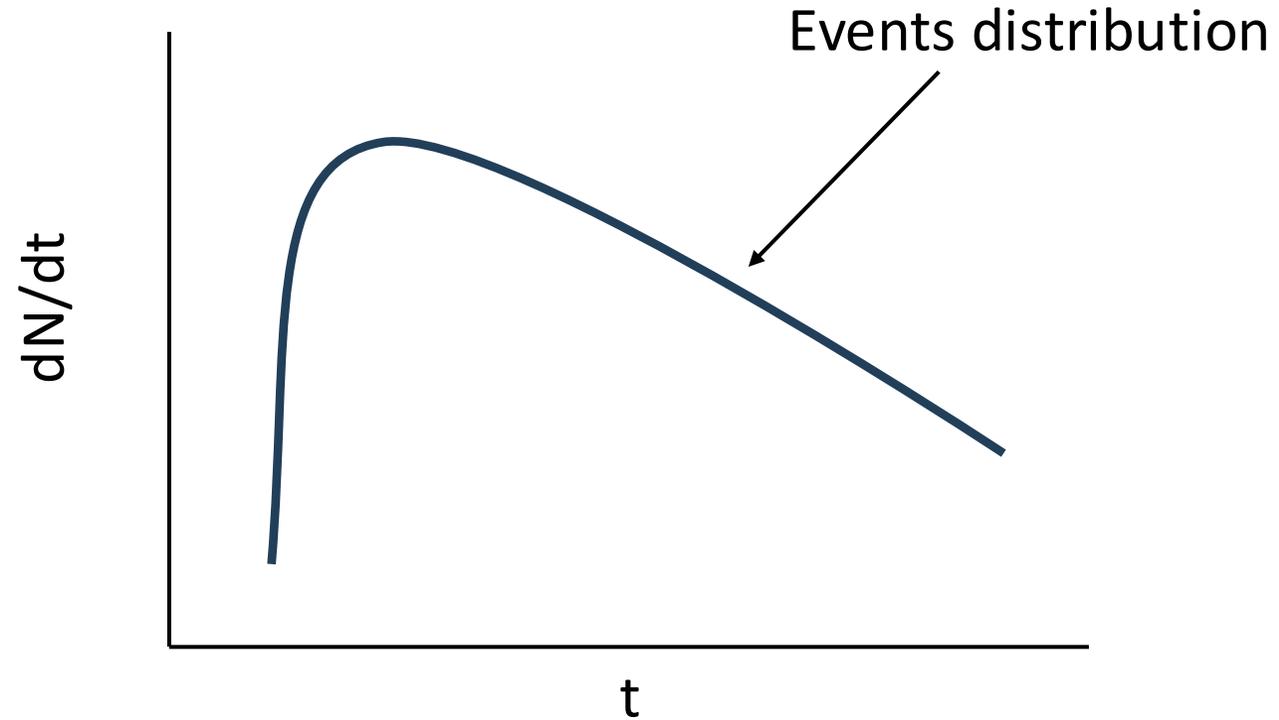
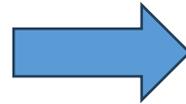
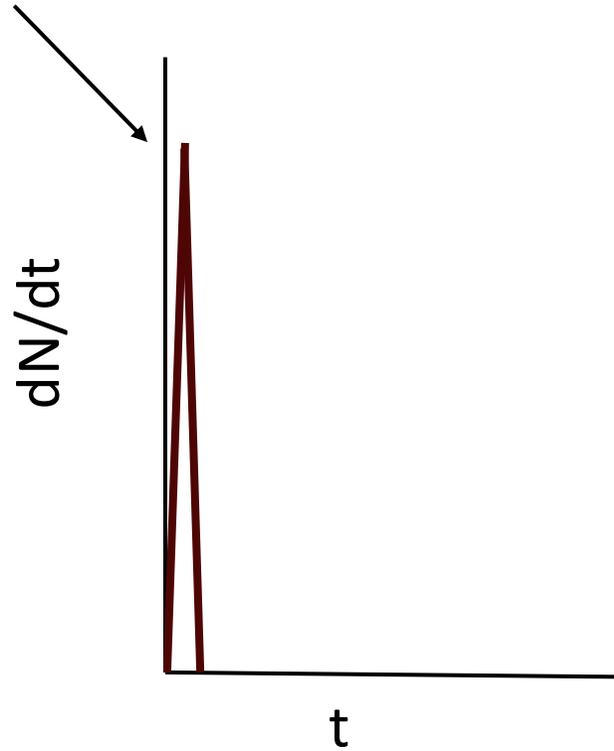
Maoz & Nakar 2025

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Kyoto 18.2.2026

Delay time distribution (DTD): probability distribution of times between the formation of a system and the occurrence of a specific event.

SFR burst at $t=0$



DTD :Time distribution of the events (e.g., mergers) following a formation burst

Why do we care about the DTD of binary neutron star (BNS) mergers?

- The DTD may teach us about the formation channel(s)
- The DTD (together with the kick velocity) determines the merger environment
- The DTD plays a major role in the effect of BNS mergers on the chemical evolution history of r-process elements

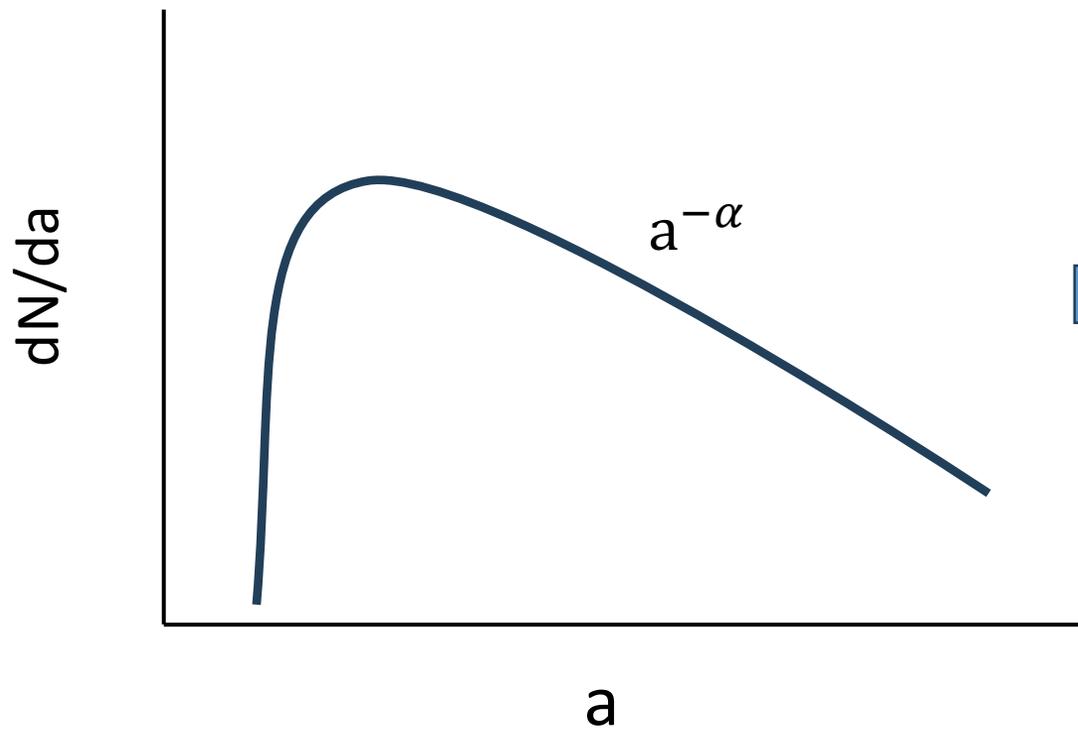
Outline

- The expected DTD of BNS mergers
- DTD and the Galactic chemical evolution
- BNS merger DTD from observed Galactic BNS systems

The expected DTD of BNS mergers

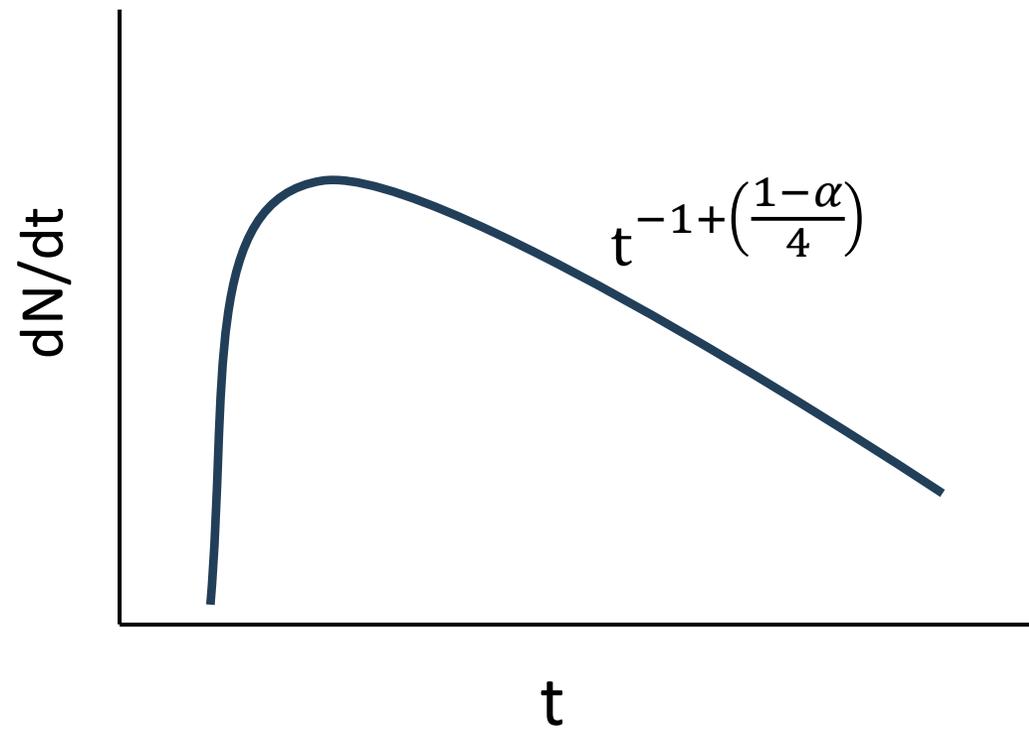
The expected DTD of BNS mergers

Binary separation distribution upon formation



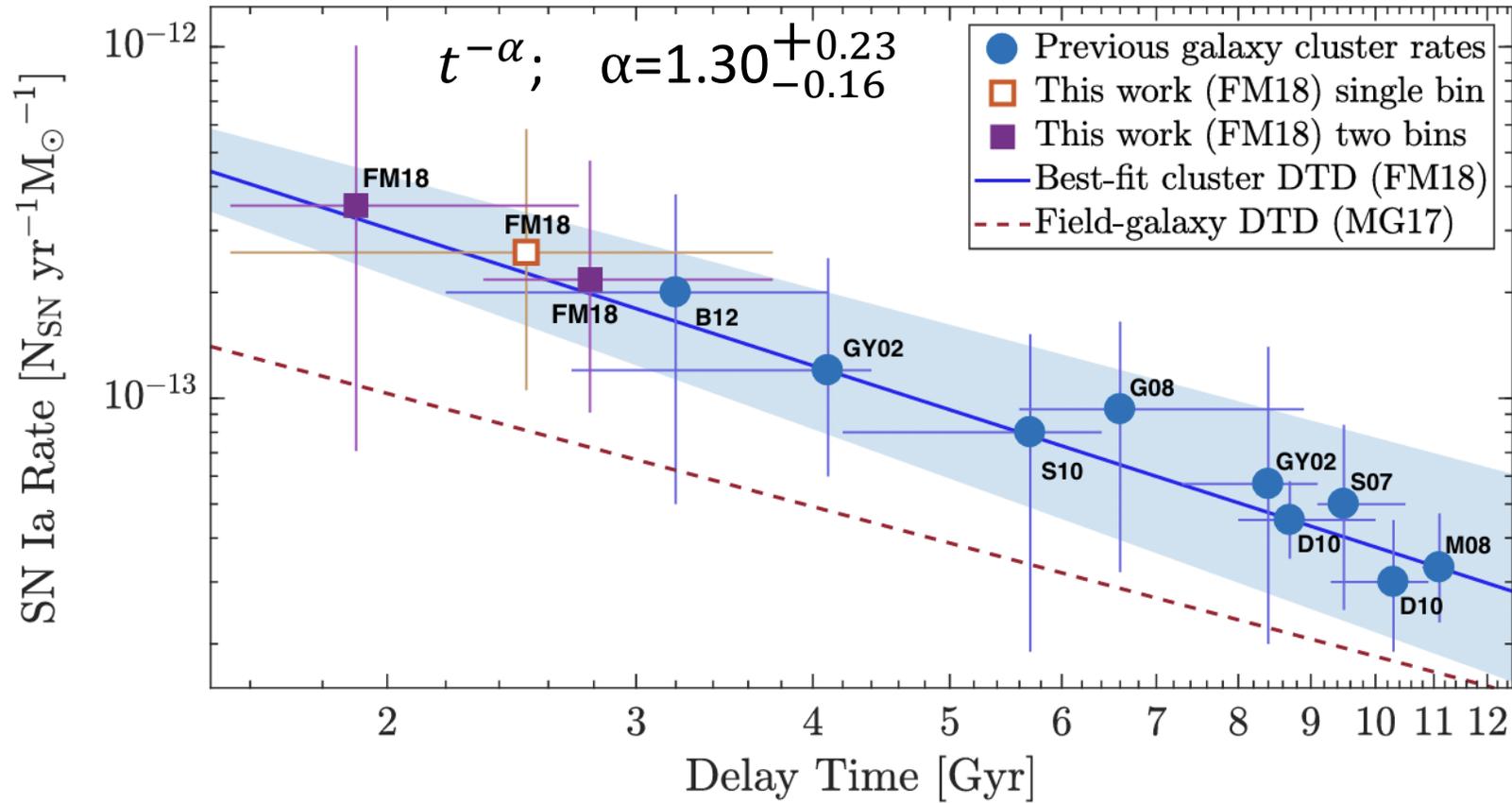
$t \propto r^4$

merger DTD



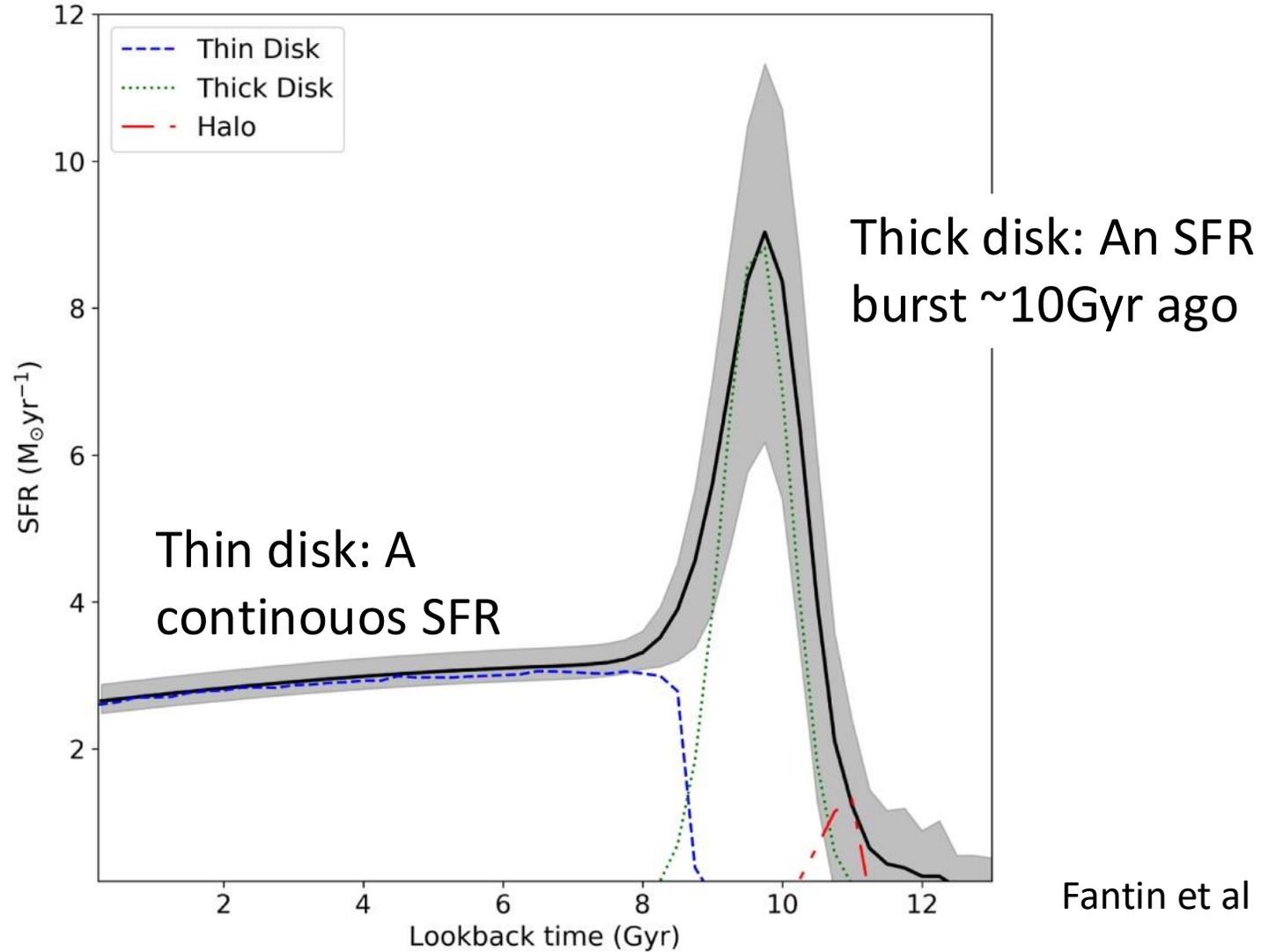
The expectation is roughly **DTD** $\propto t^{-1}$

An example: type Ia SNe



DTD and the Galactic chemical evolution

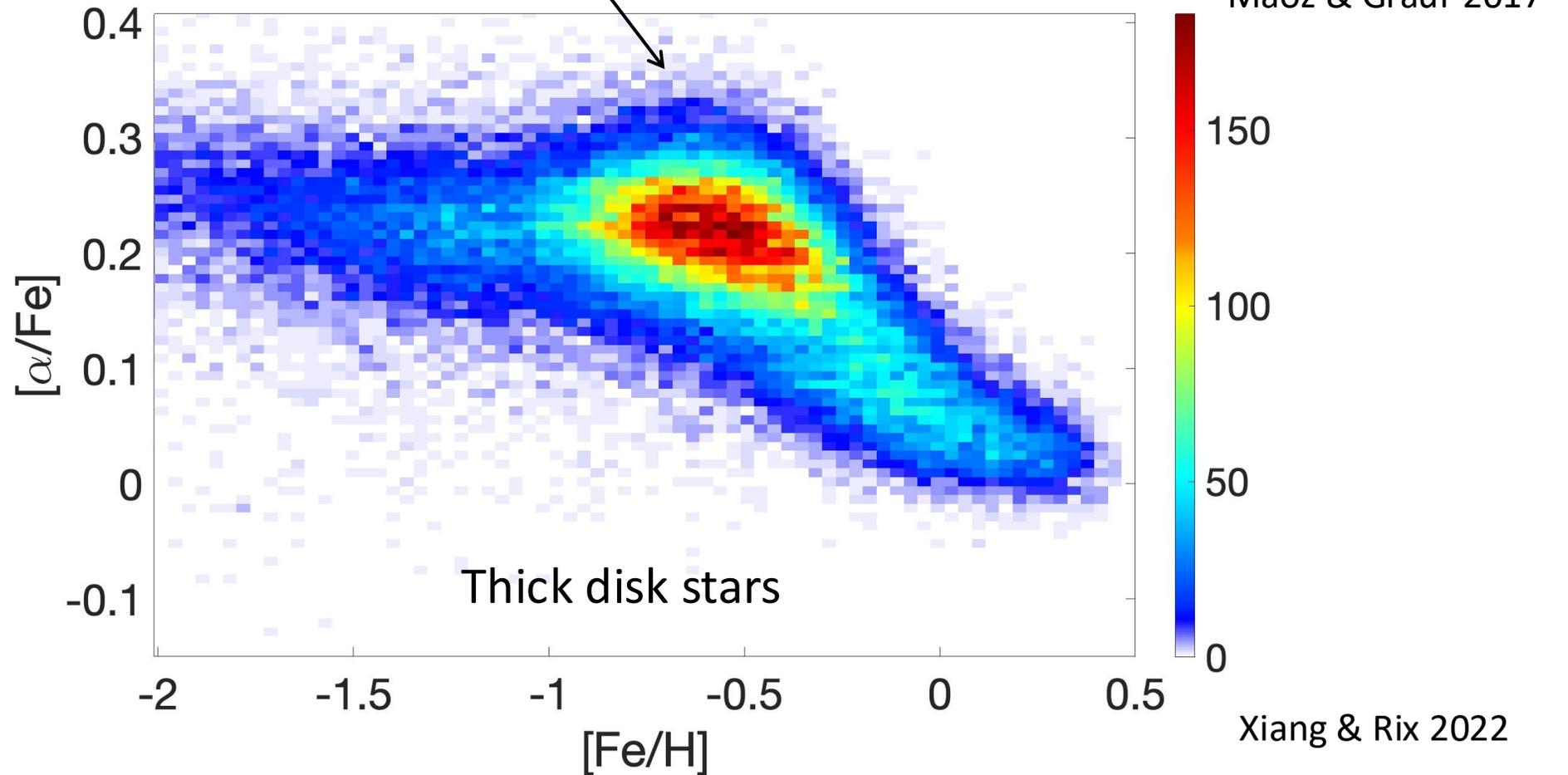
The Milky Way star formation history



Fantin et al 2019

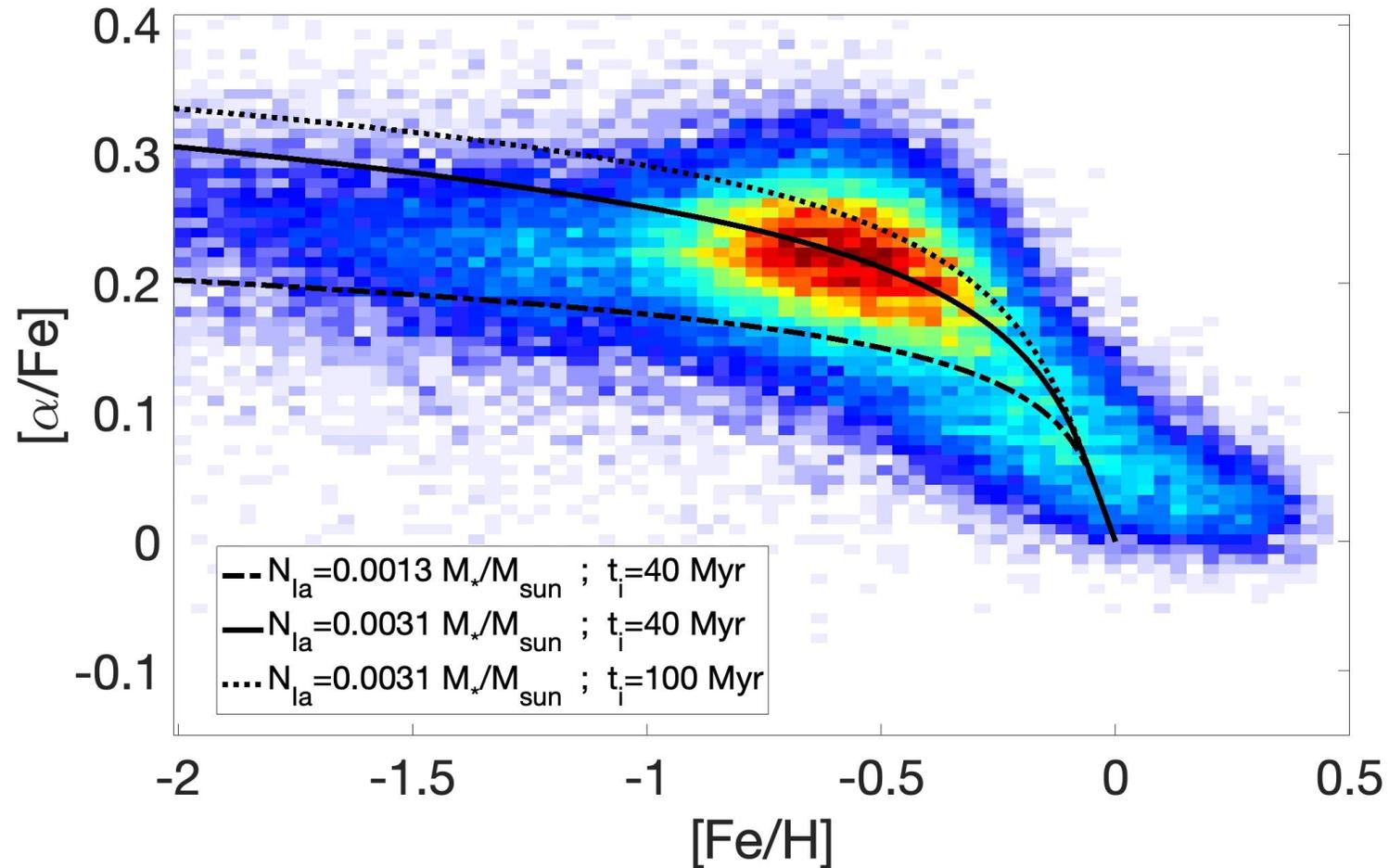
Galactic chemical evolution of α elements

A knee – the end of CCSNe or the ~~beginning of Ia SNe~~

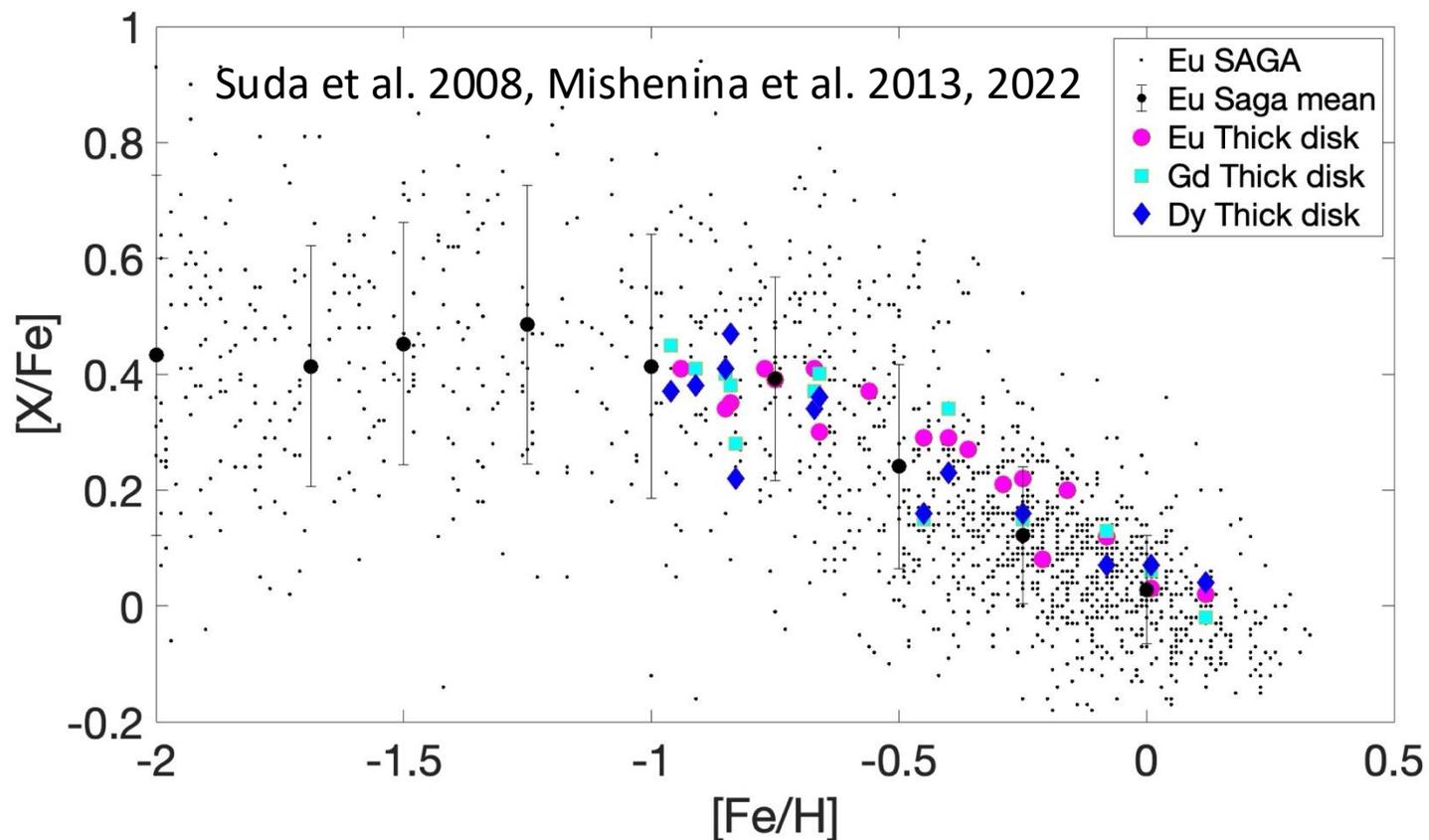


Galactic chemical evolution of α elements

The prediction of a homogenous close-box model with (almost) no free-parameters



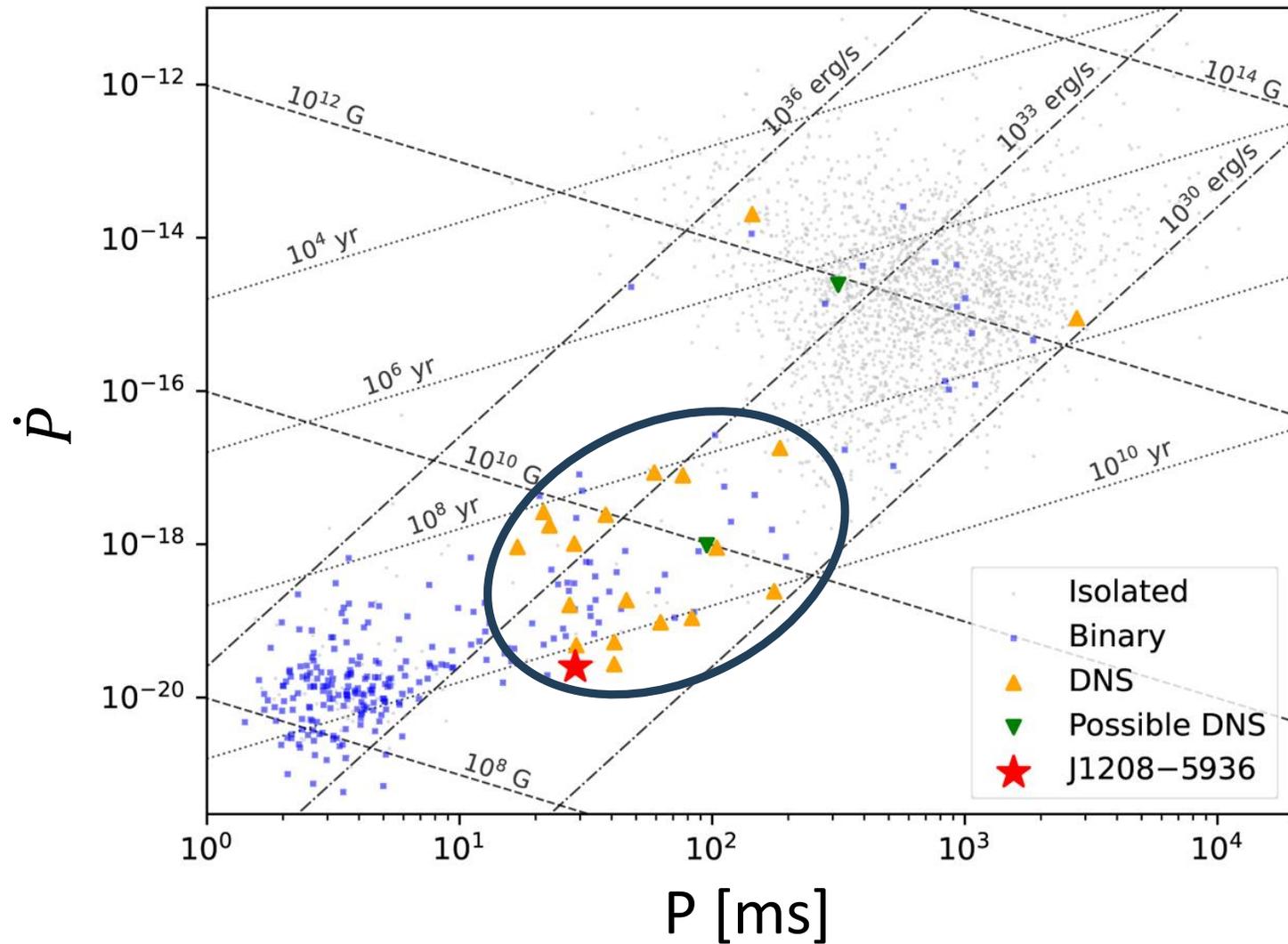
Galactic chemical evolution of r-process elements



Suggests a dominant r-process source that follows the SFR, similar to CCSNe (e.g., Hotokezaka et al 2018, and many others)

The main argument against BNS mergers as the dominant r-process sources

BNS merger DTD from observed Galactic BNS systems



Colom i Bernadich, et al., 2023

Almost all known Galactic BNS has a partially recycled pulsar

DNS	P_{orb} (days)	e	τ_{gw} (Gyr)	P_{spin} (ms)	\dot{P}_{spin} (10^{-18})	τ_c (Gyr)
J1946+2052	0.078	0.064	0.045	17.0	0.9	0.30
J1757-1854	0.184	0.606	0.076	21.5	2.6	0.13
J0737-3039	0.102	0.088	0.086	22.7	1.8	0.20
B1913+16	0.323	0.617	0.30	59.0	8.6	0.11
J1913+1102	0.206	0.090	0.47	27.3	0.16	2.70
J0509+3801	0.380	0.586	0.58	76.5	7.9	0.15
J1756-2251	0.320	0.181	1.7	28.5	1.0	0.44
B1534+12	0.421	0.274	2.7	37.9	2.4	0.25
J1208-5936	0.632	0.348	7.2	28.7	< 0.04	> 11.2
J1829+2456	1.176	0.139	55	41.0	0.053	12.3
J1759+5036	2.043	0.308	177	176.0	0.243	11.5
J1325-6253	1.816	0.064	189	29.0	0.048	11.3
J1411-2551	2.616	0.170	466	62.5	0.096	10.3
J0453+1559	4.072	0.113	1450	45.8	0.19	3.90
J1811-1736	18.779	0.828	1800	104.2	0.90	1.83
J1518+4904	8.634	0.249	8840	40.9	0.027	23.8
J1018-1523	8.984	0.228	10^4	83.152	0.11	12.0
J1930-1852	45.060	0.399	5×10^5	185.5	18.0	0.16

Two time scales:

Characteristic age: $\tau_c = \frac{P}{2\dot{P}}$

Time since formation; Unclear accuracy

Gravitational Wave lifetime: τ_{GW}

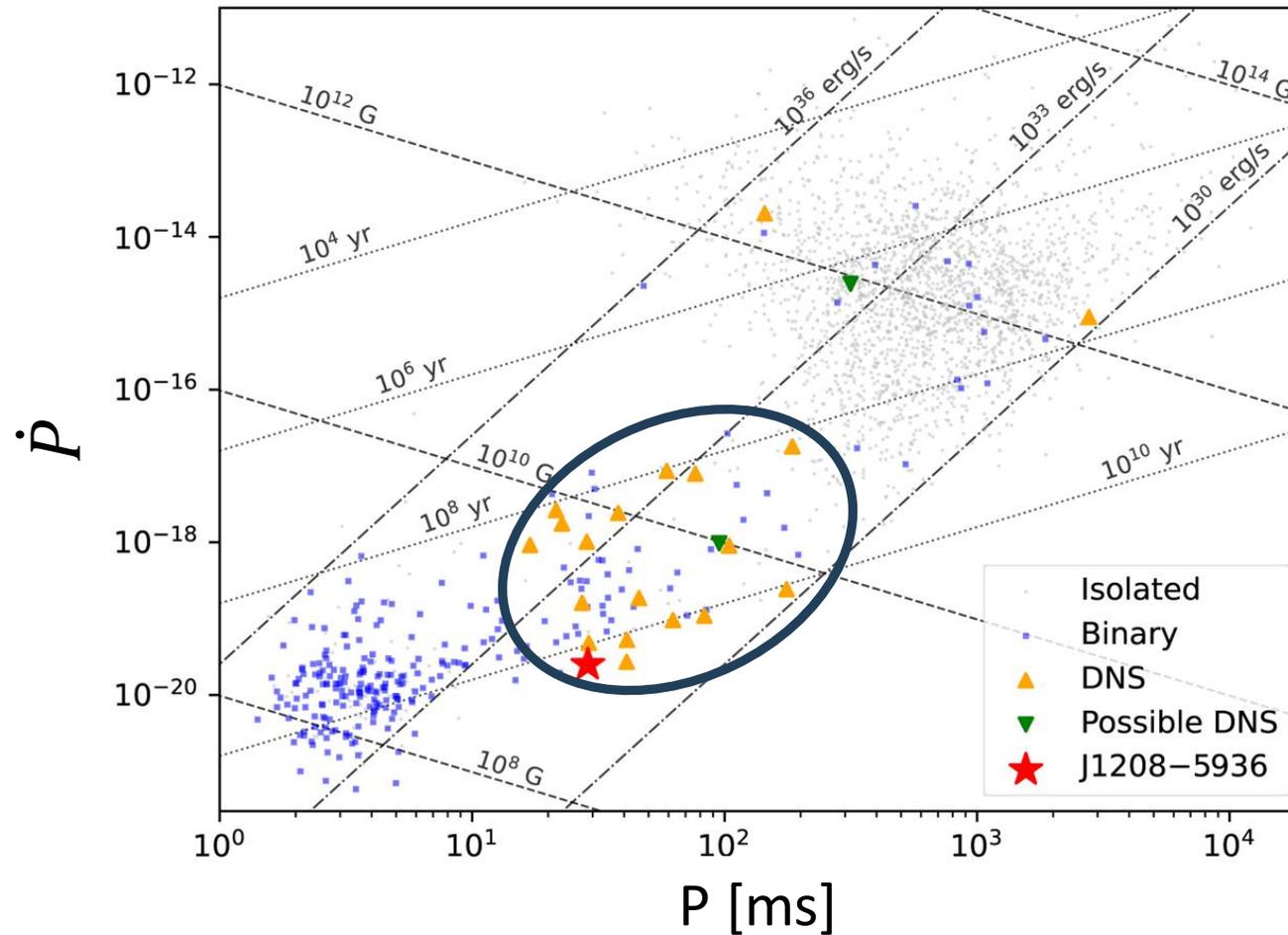
Time till merger; Highly accurate

If there are no selection effects, each of the observed time distributions τ_c (if accurate enough) and τ_{GW} , provides an independent measurement of the DTD

Possible types of selection effects and systematics:

- systematic inaccuracy in τ_c
- limited pulsar lifetime (without the pulsar the BNS is undetectable)
- A correlation between τ_c and τ_{GW} and the probability for BNS detection – known selection effects prevent detection of binaries with very short period ($\tau_{GW} \lesssim 50 Myr$)

Characteristic age distribution



Colom i Bernadich, et al.,
2023

Two samples

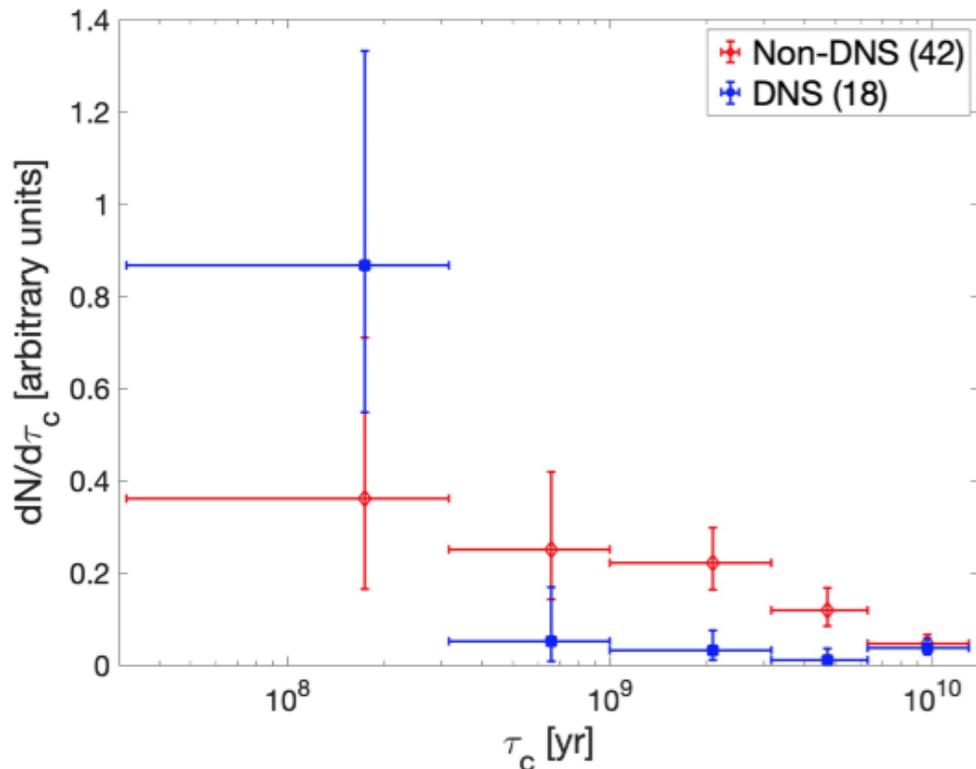
1. BNS with partially recycled pulsars
2. NS-No Ns binaries at the same region of the $P\dot{P}$ diagram (a control sample)

Characteristic age distribution

A Uniform SFR starting at $t_0=10\text{Gyr}$ ago

Non-BNS: No merger within Hubble time $\rightarrow \frac{dN}{d\tau_c} = \text{const}$ if $\tau_c < 10\text{Gyr}$, otherwise 0

BNS: $DTD \propto t^{-\alpha} \rightarrow \frac{dN}{d\tau_c} \propto \tau_c^{-\alpha+1} - t_0^{-\alpha+1}$ if $\tau_c < 10\text{Gyr}$, otherwise 0



If BNS and Non-BNS partially recycled pulsars are not fundamentally different:

1. τ_c is a reasonable age estimator
2. No sign of limited pulsar lifetime
3. The access of young BNS systems (<300 Myr) is not a result of selection effects

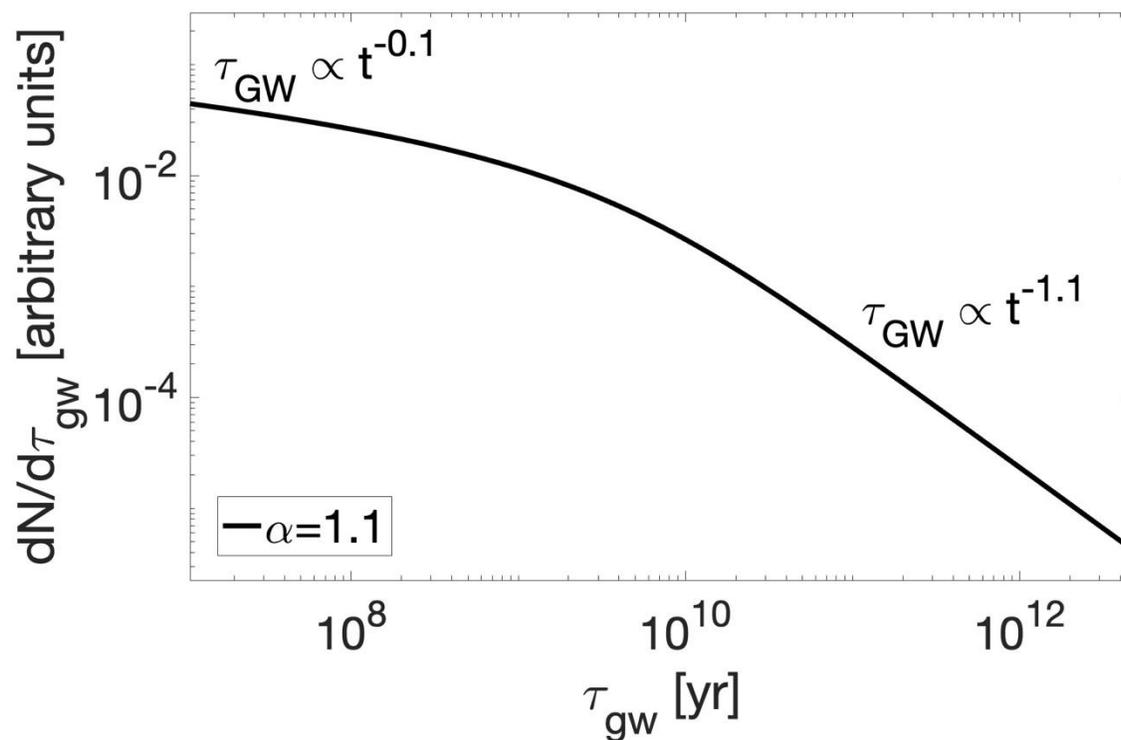


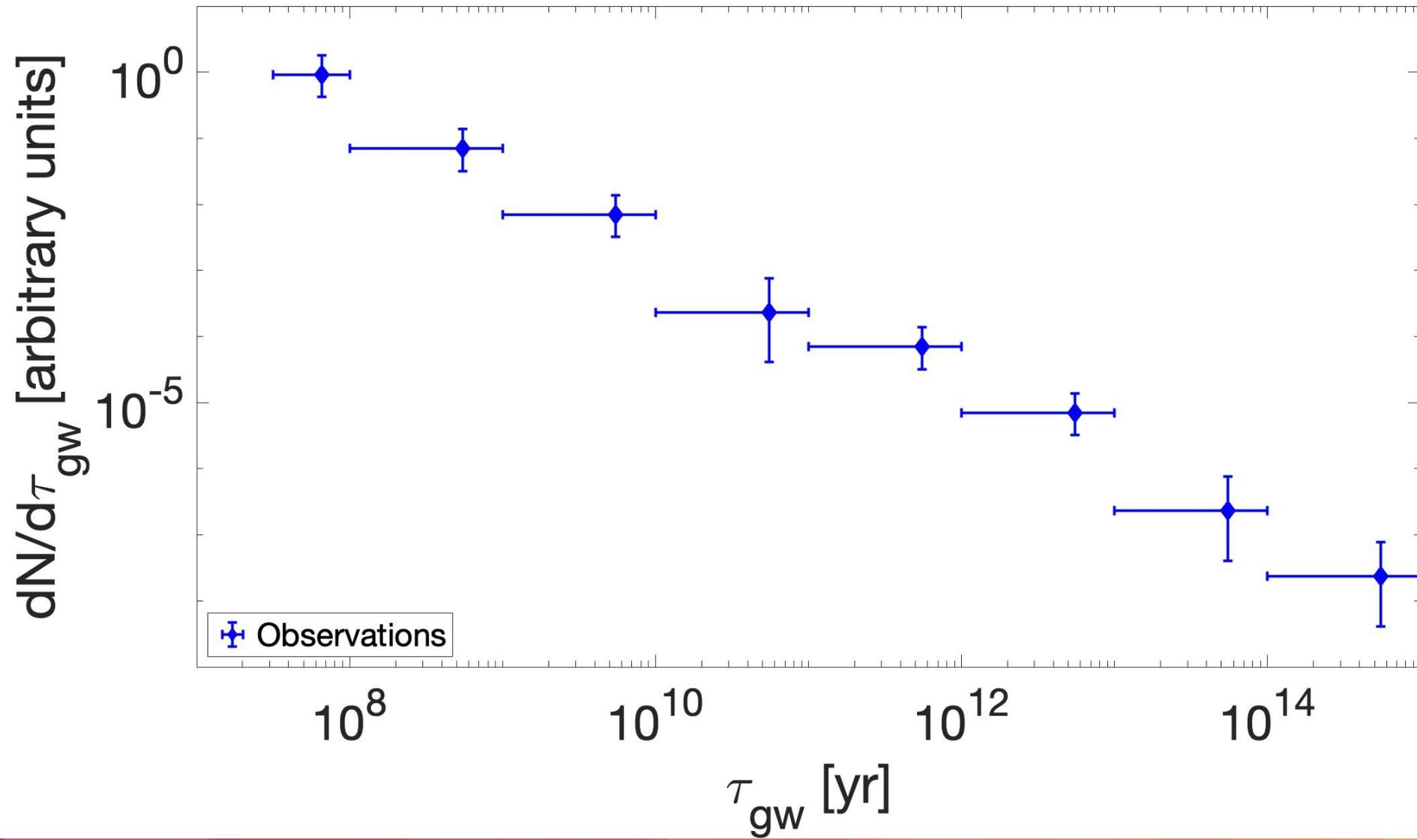
Suggests a significant population of <1 Gyr mergers

Gravitational wave lifetime (time till merger)

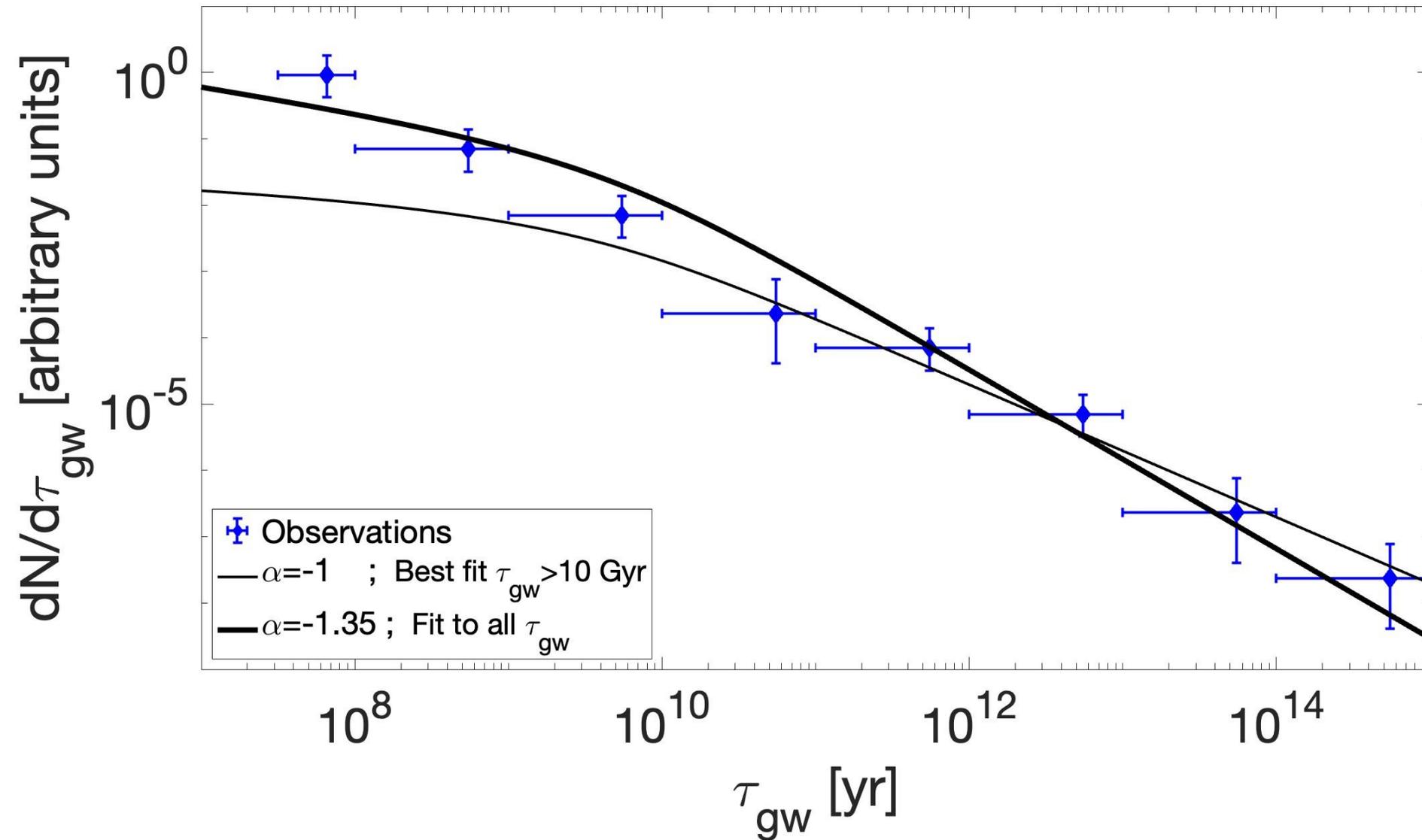
Uniform SFR starting
at $t_0=10\text{Gyr}$ ago
+
 $DTD \propto t^{-\alpha}$

$$\longrightarrow \frac{dN}{d\tau_{GW}} \propto \tau_{GW}^{-\alpha+1} - (\tau_{GW} + t_0)^{-\alpha+1} \propto \begin{cases} \tau_{GW}^{-\alpha+1} & ; \tau_{GW} \ll t_0 \\ \tau_{GW}^{-\alpha} & ; \tau_{GW} \gg t_0 \end{cases}$$

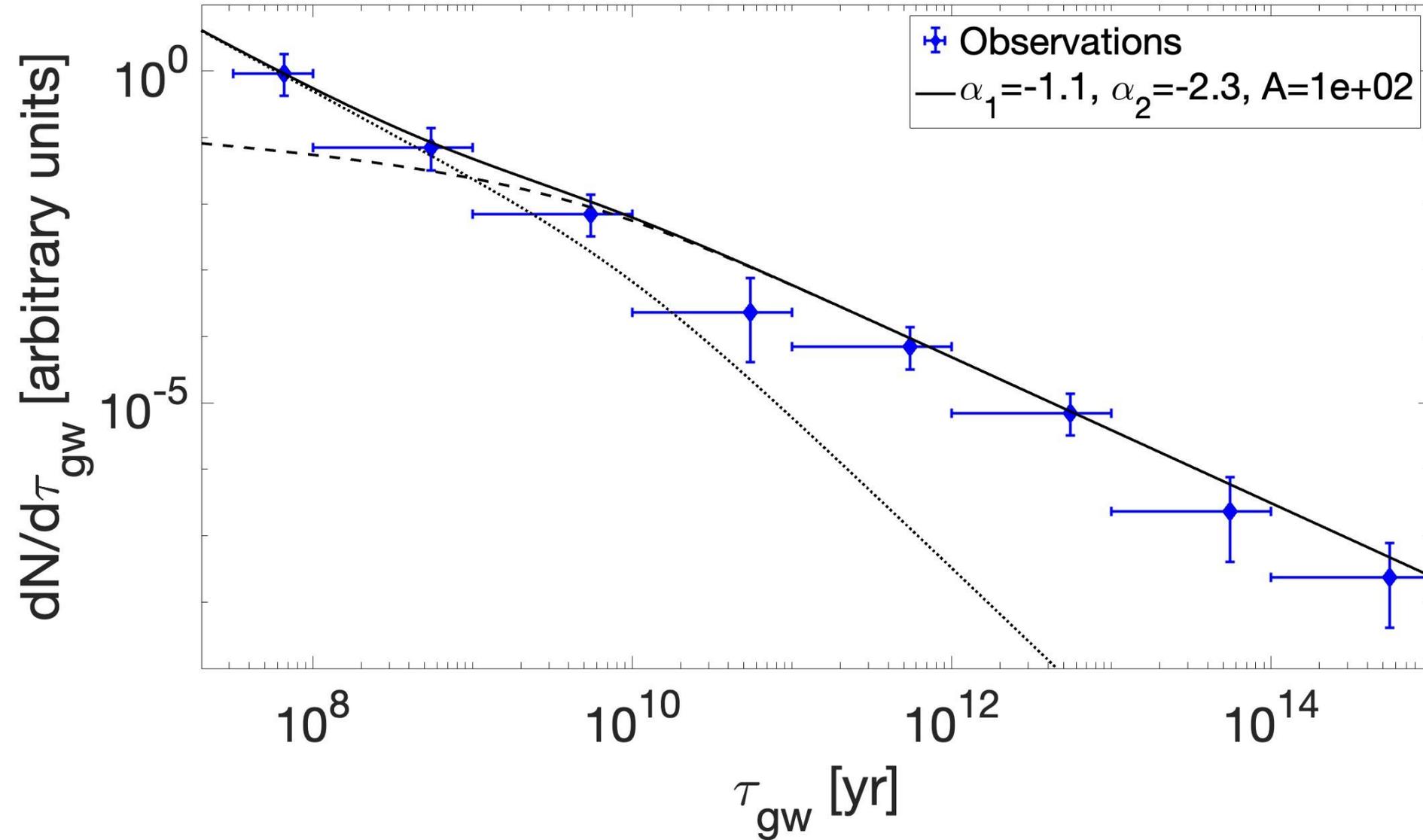




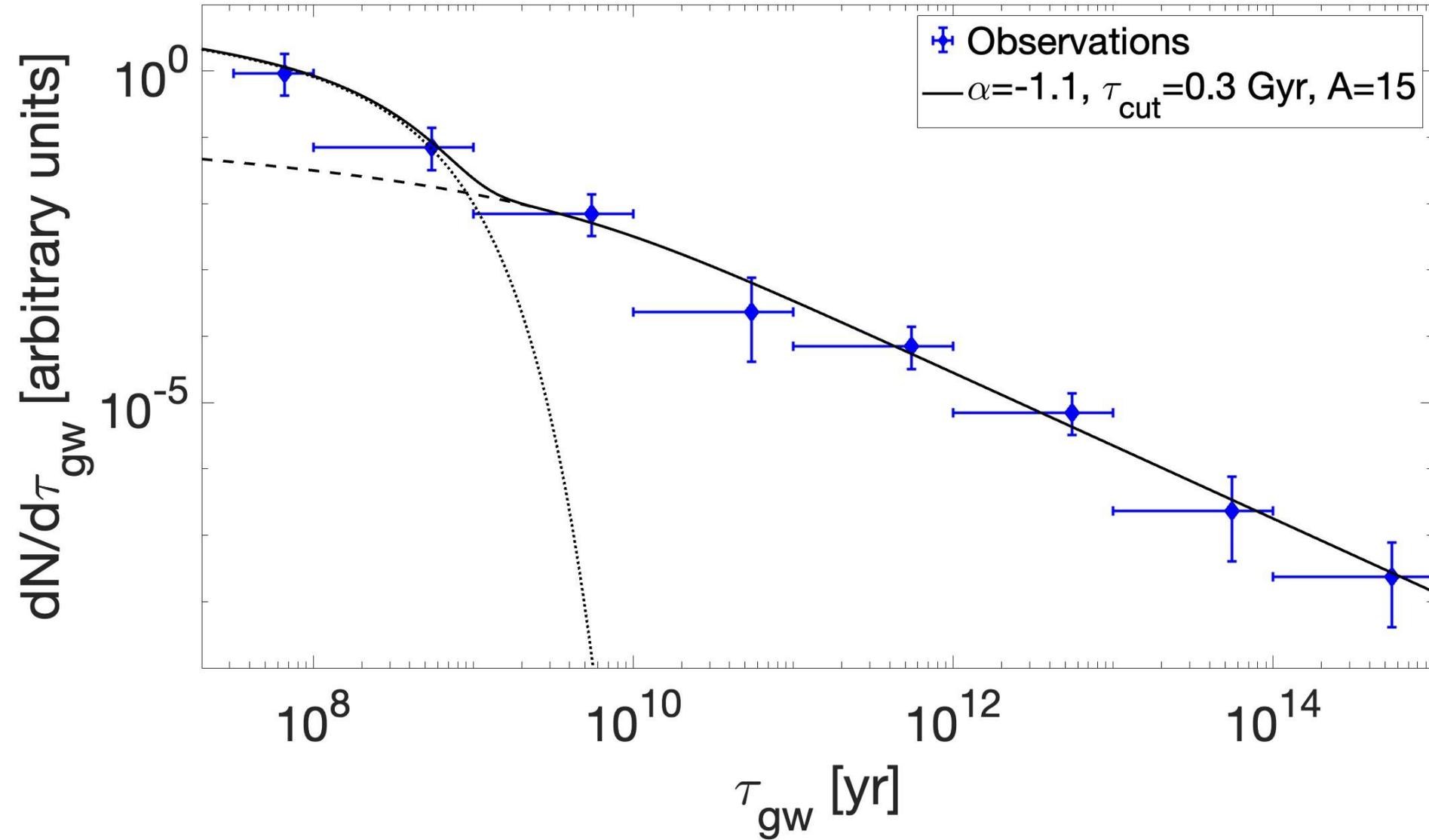
A single power-law



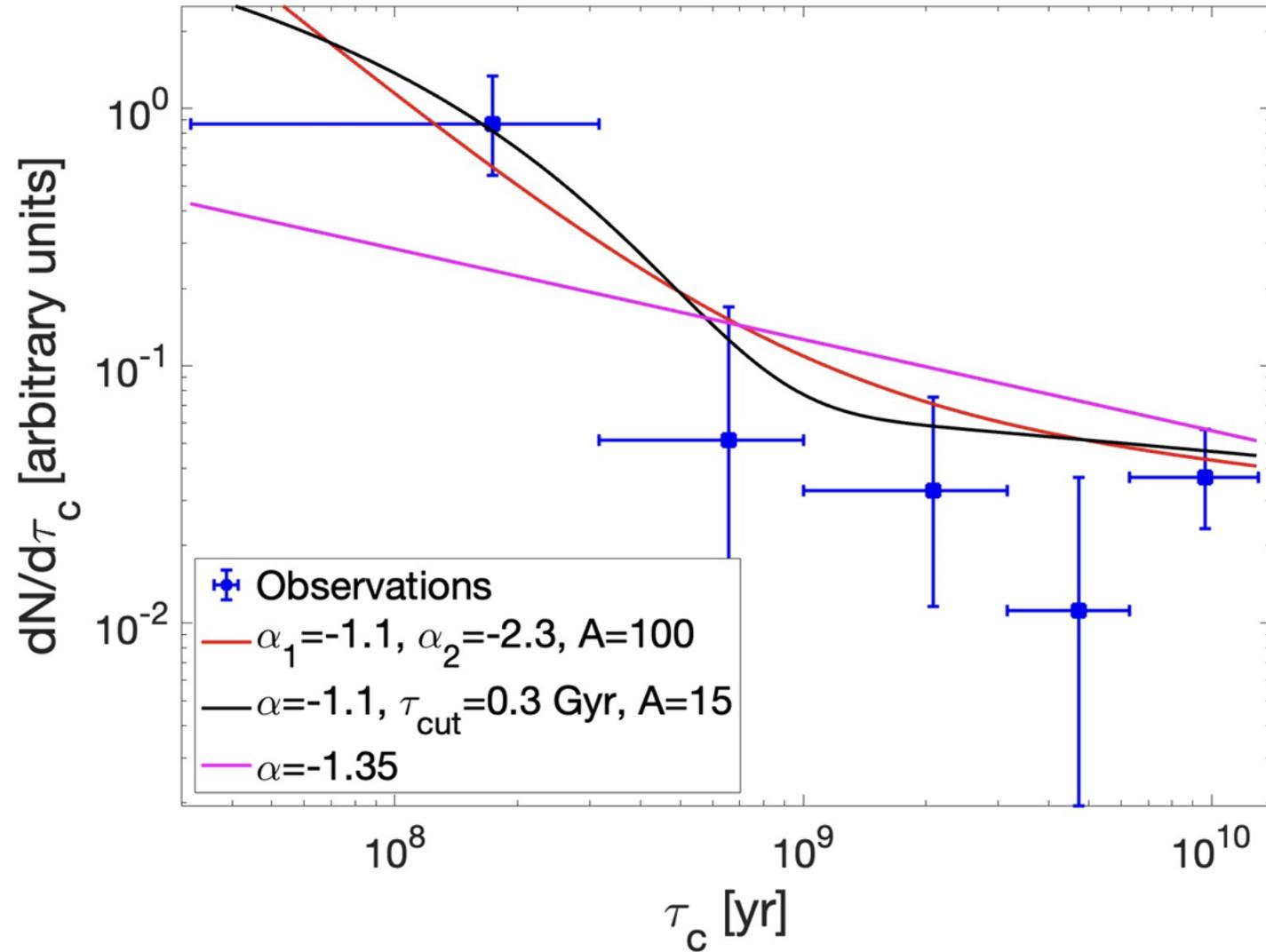
2 power-laws



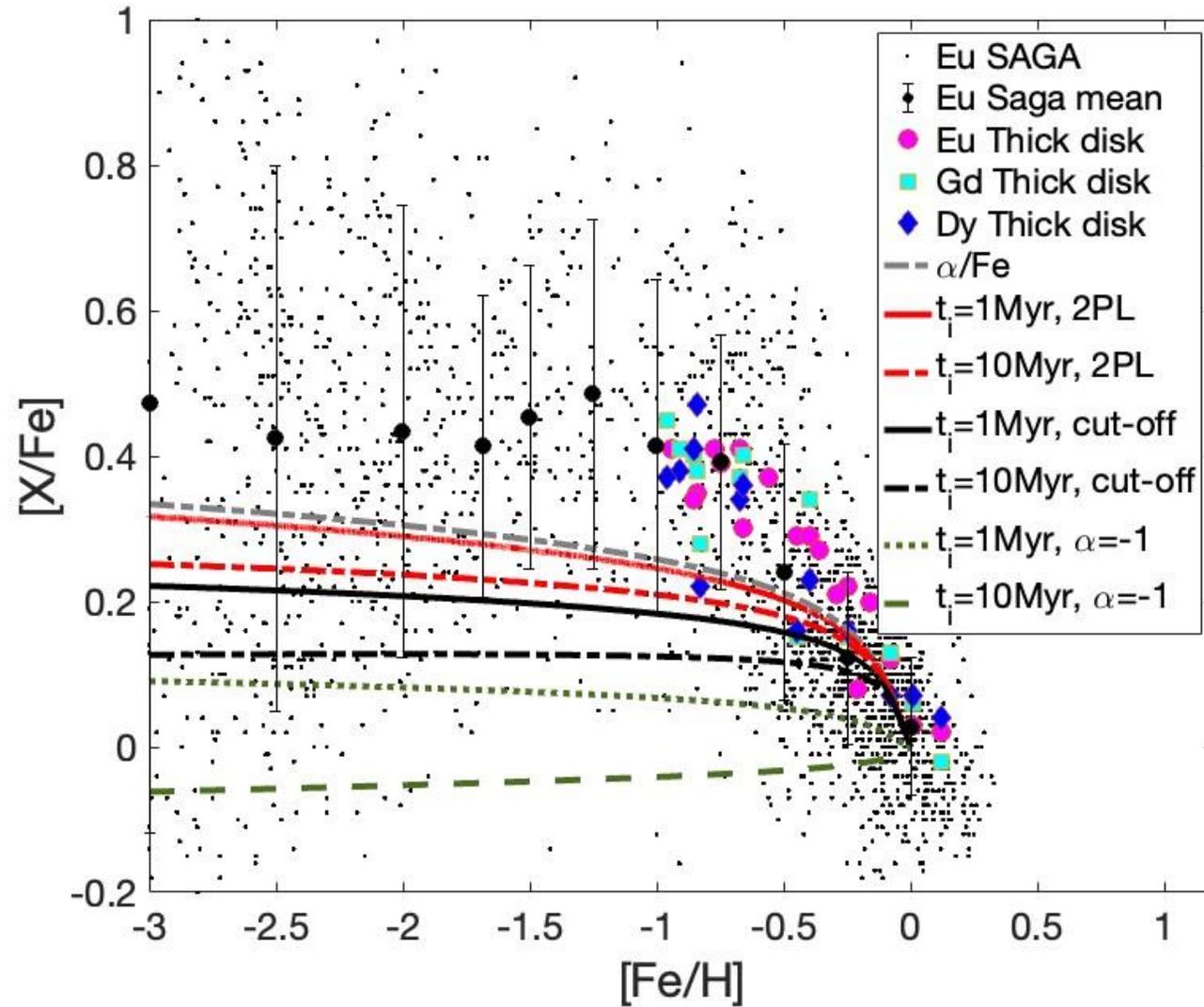
power-law + exponential cut-off



Characteristic age distribution



Implications for chemical evolution of r-process elements



Conclusion

- Two different time scales of the observed Galactic BNS point at a dominant short-lived BNS population and a sub-dominant population with: $DTD \propto t^{-1}$
- In this picture, the total fraction of BNS systems a lifetime $< 1\text{Gyr}$ is larger than 90%.
- If there is such a population of prompt mergers it may be the source of the observed chemical evolution of r-process elements.