

# Galaxy Formation Simulations for Cosmology with Emission Line Galaxies

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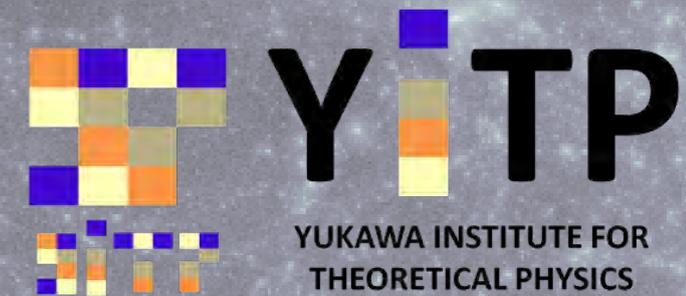
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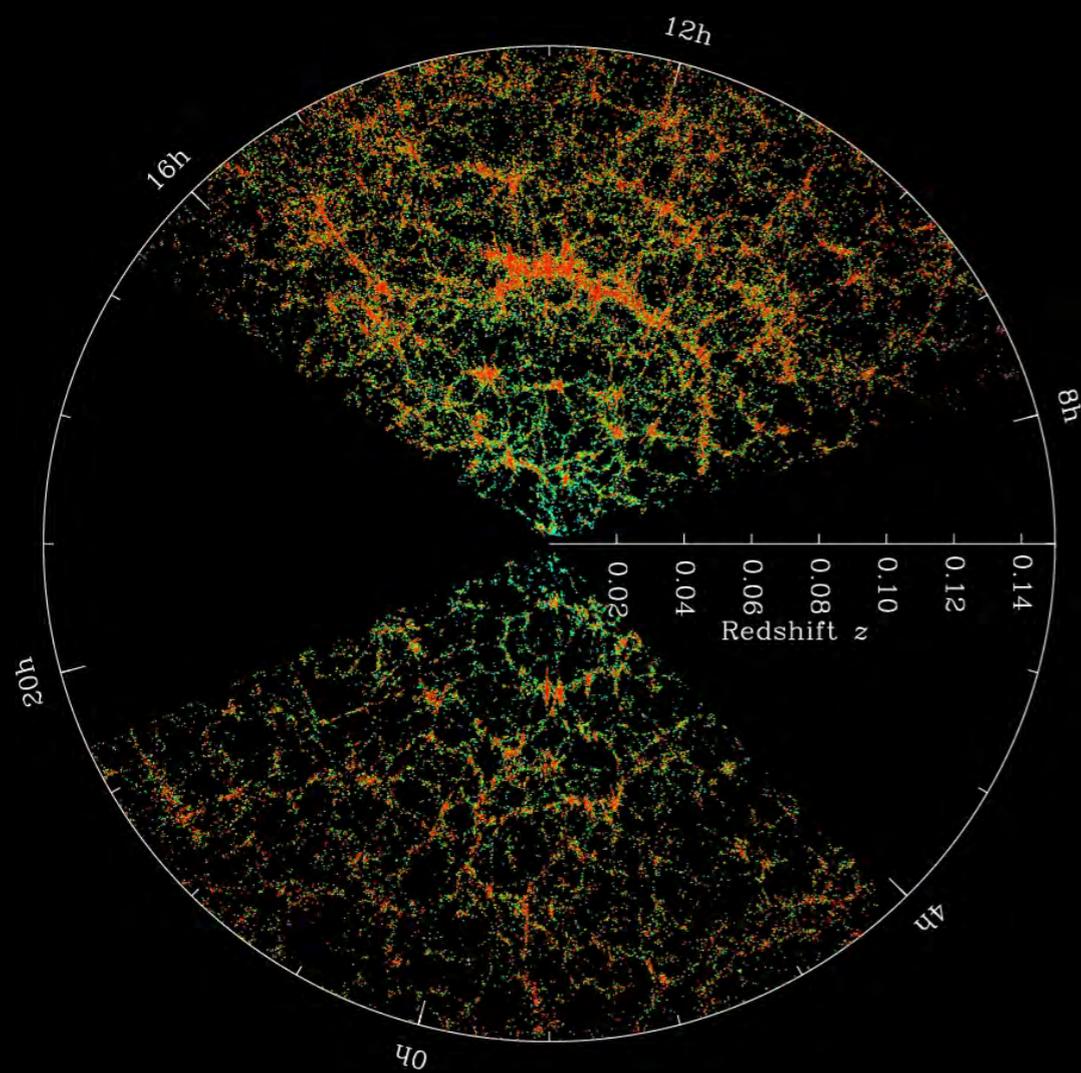
Refs.

KO and Okumura (2021; in prep.)



# Cosmology with Galaxy Clustering

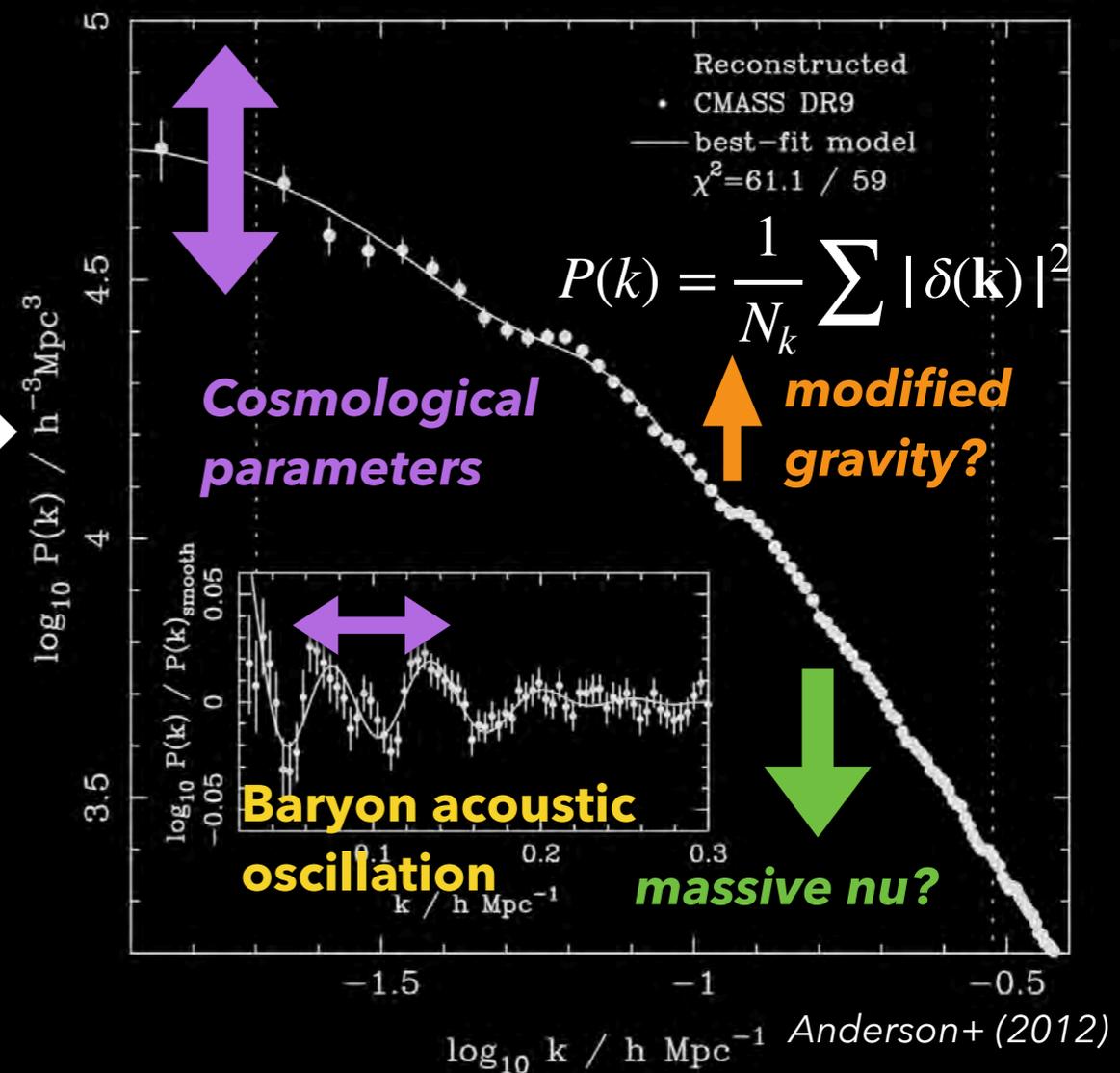
- ◆ The matter distribution, **large-scale structures**, reflects cosmological models (**modified gravity**, **massive neutrinos**...).
- ➔ This information is imprinted onto **power spectrum** and it is measured from spectroscopic surveys of galaxies.



SDSS Galaxy Map

Statistical analysis

## Power spectrum



Anderson+ (2012)

# Redshift Space Distortion

Real space density field

Isotropic power spectrum

$$P(\mathbf{k}) = P(k)$$

# Redshift Space Distortion

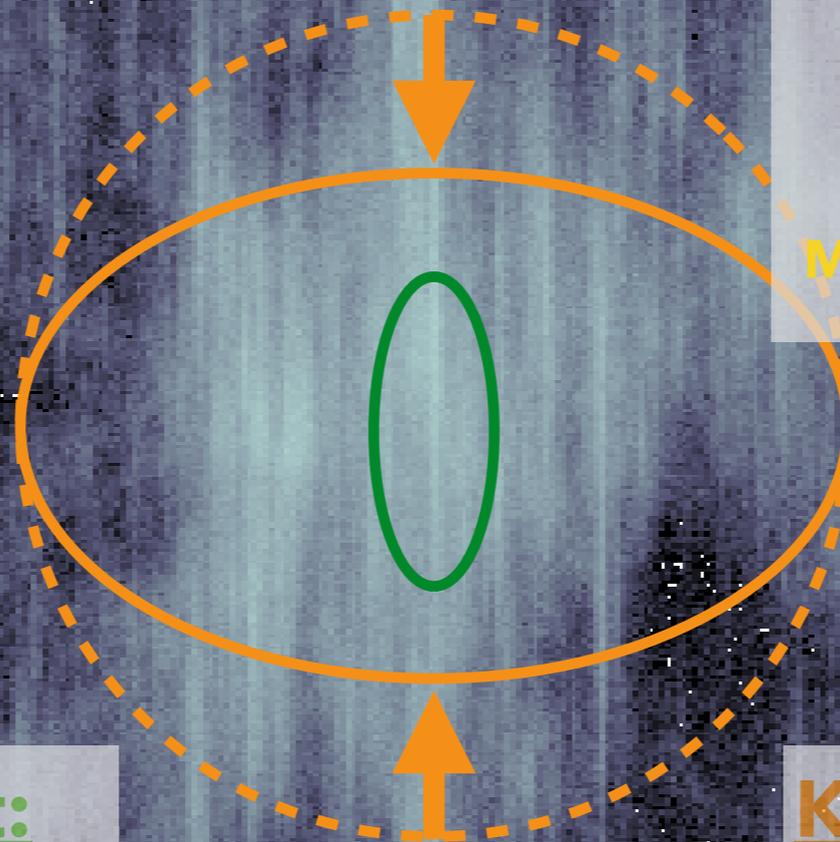
**Redshift space density field**

**Anisotropic power spectrum**

$$P(\mathbf{k}) = P(k, \mu), \quad \mu = k_z/k$$

$$\mathbf{s} = \mathbf{x} + \frac{v_z(\mathbf{x})}{aH} \hat{z}$$

Modulation due to peculiar velocity



**Finger-of-god effect:**

Small scale suppression due to random virial motion.

**Kaiser effect:**

Infall velocity enhances power in LOS at large scales.

*Jackson, 1972; Kaiser, 1987*

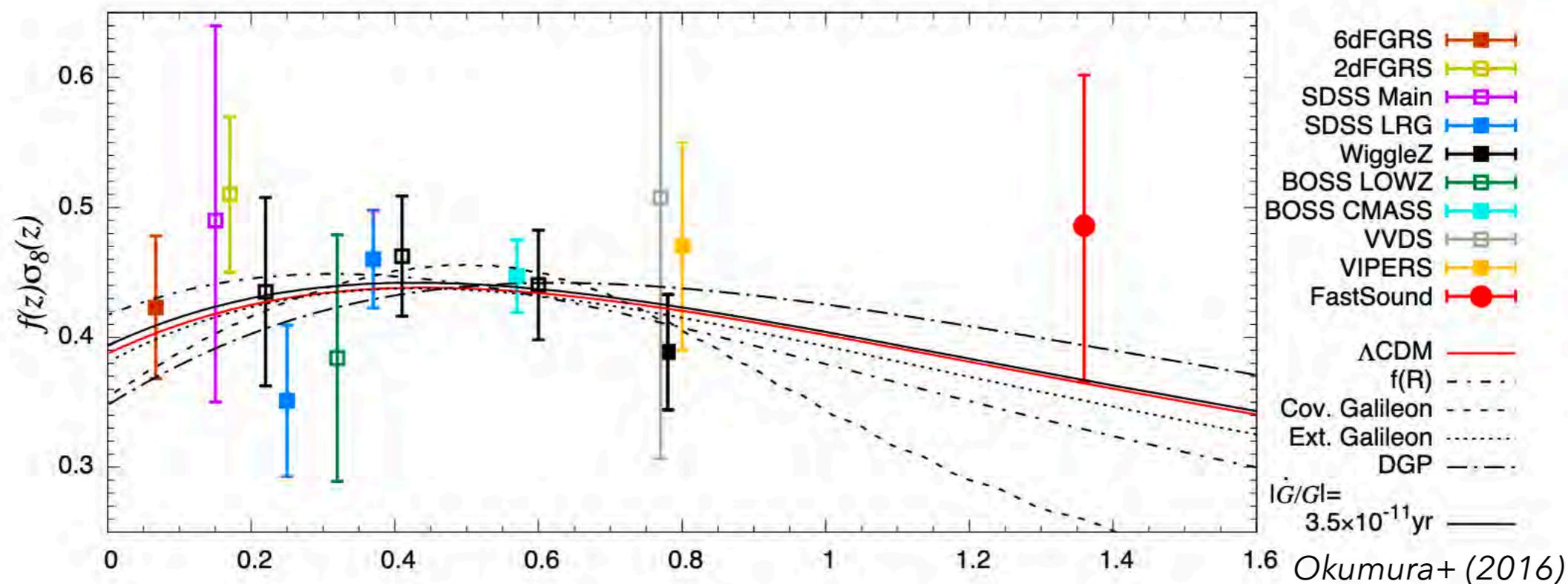
# Redshift Space Distortion

**Redshift space density field**

**Anisotropic power spectrum**

$$P(\mathbf{k}) = P(k, \mu), \quad \mu = k_z/k$$

**Growth rate:**  $f = \frac{\ln D_+}{\ln a} \simeq \Omega_m^\gamma$  **For GR with  $\Lambda$   $\gamma \simeq 0.55$**



$\hat{z}$   
velocity

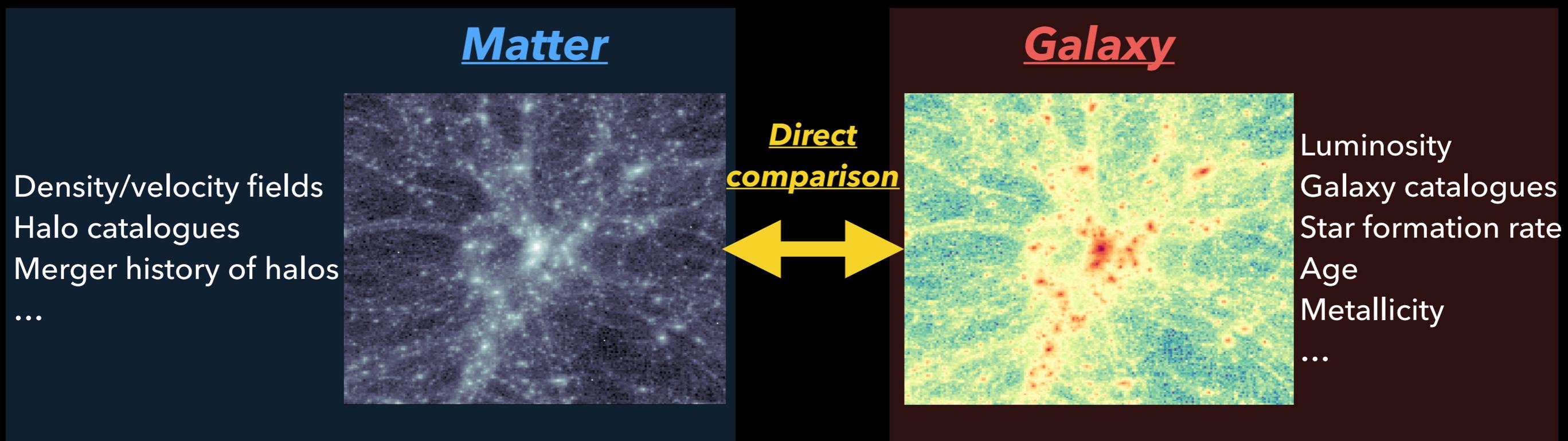
Final  
Small  
due to random virial motion.

power in LOS at large scales.

Jackson, 1972; Kaiser, 1987

# Galaxy Bias: Matter vs Galaxy

- We observe **galaxy distribution**, not matter (baryon+DM) distribution. The galaxy distribution follows background matter distribution at some level but the relation (**galaxy bias**) is governed by complex astrophysics and thus challenging to model it analytically.
- The galaxy formation simulations numerically solve **gravitational growth** and **formation and evolution of galaxies** simultaneously.



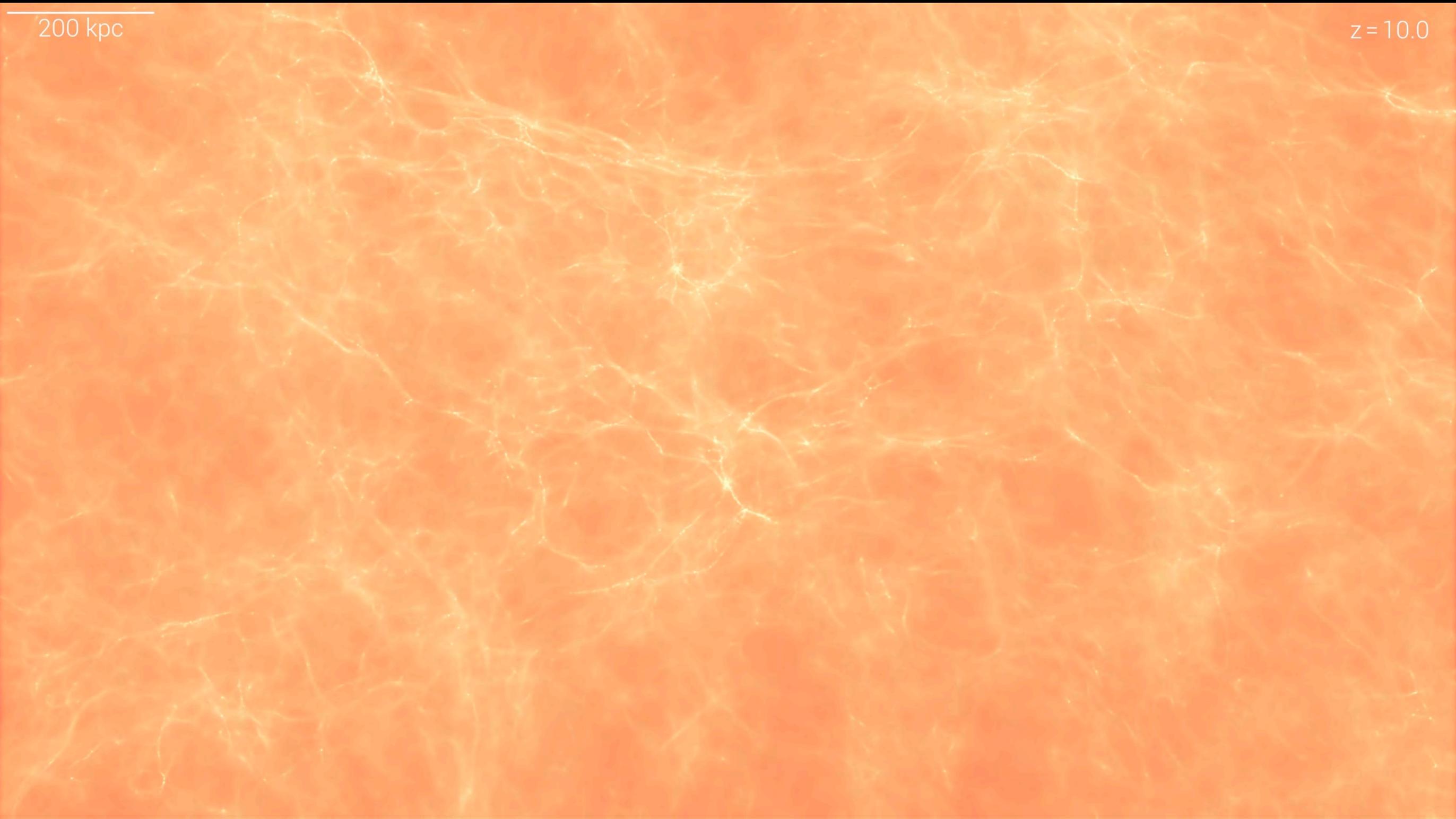
→ **The ideal tool to dissect the galaxy-matter relation!**

# Galaxy Formation Hydrodynamical Simulations

◆ Numerical simulations are the powerful tool to address the **multi-scale physics**

200 kpc

$z = 10.0$

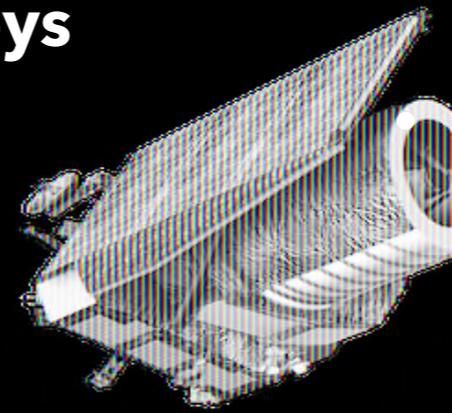
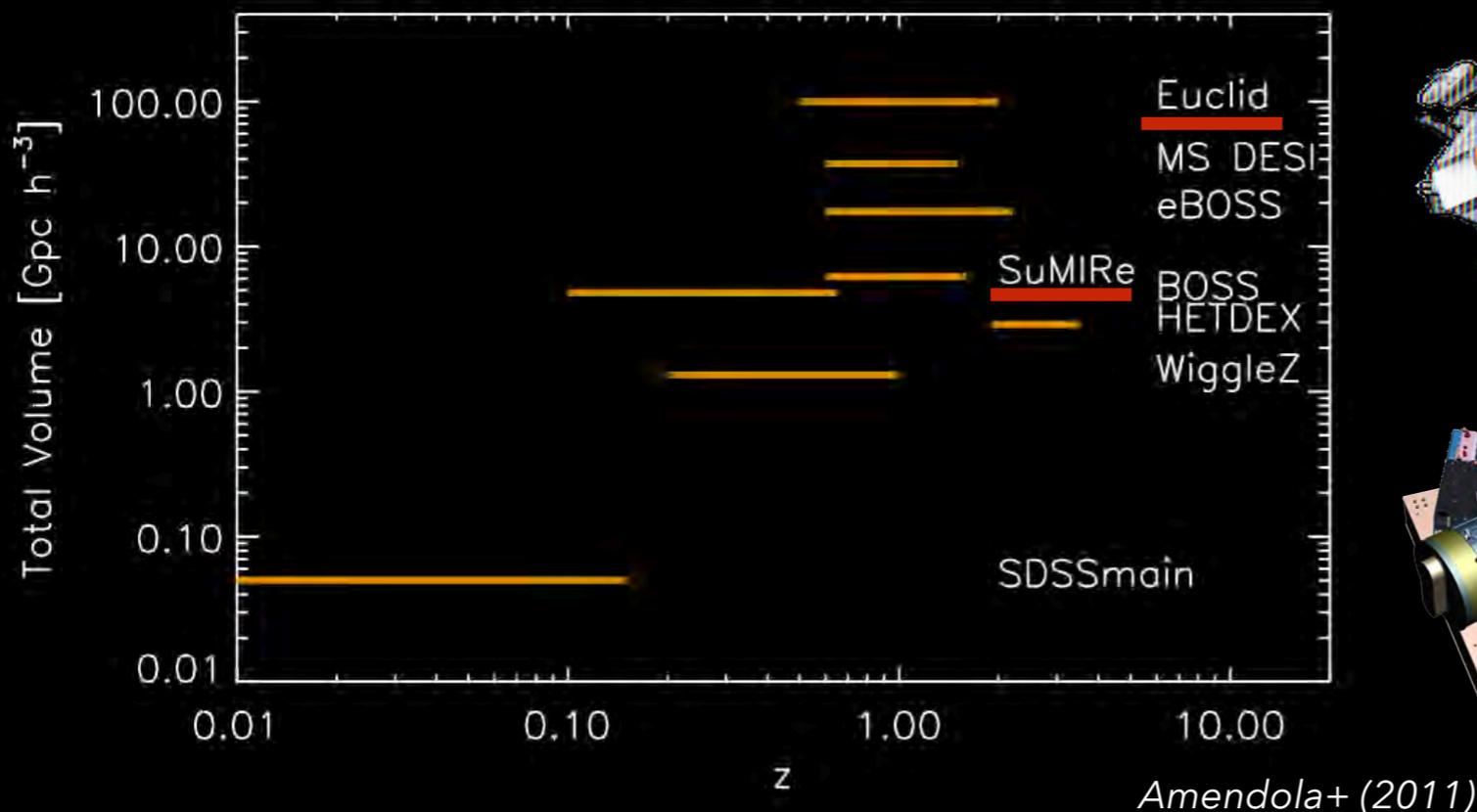


Credit: IllustrisTNG team

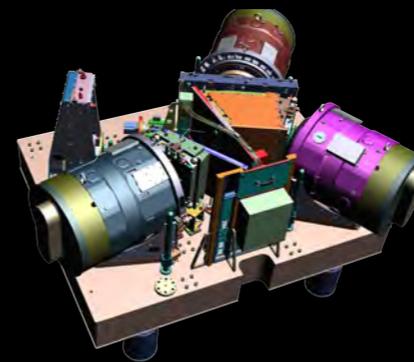
# Observations of Emission Line Galaxies

- ◆ Upcoming surveys will target **emission line galaxies (ELGs)**. ELGs are characterised by strong emission line (H $\alpha$ , [O II], etc.) from nebular emission. The emission is sourced by **short-lived massive stars**.
- ELGs are **blue star-forming galaxies** and thus likely to be found in **young halos**.

## ◆ Current and future spectroscopic surveys



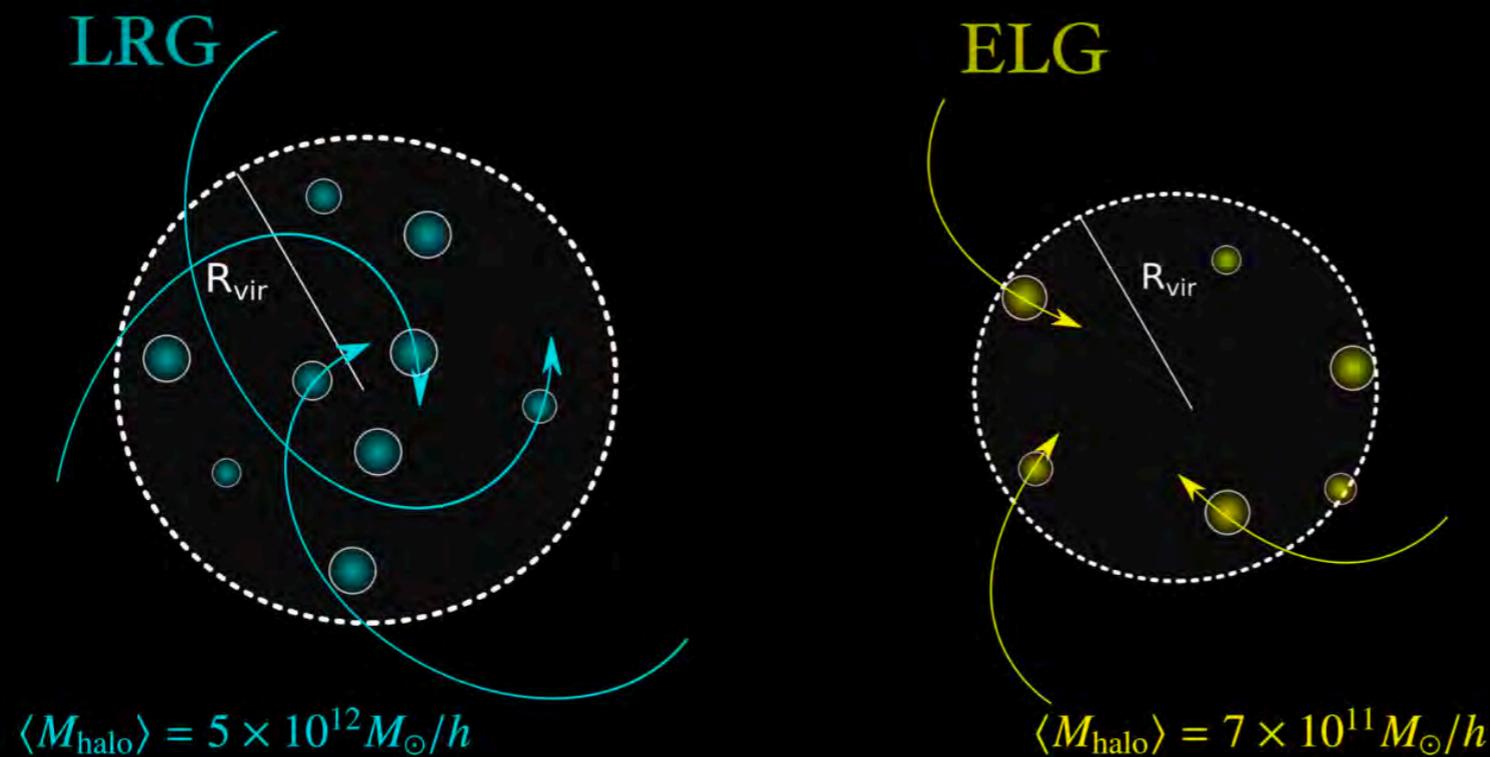
**Euclid** (in 2023 Q1)  
coverage: 15,000 deg<sup>2</sup>  
H $\alpha$  ELGs ( $0.89 < z < 1.82$ )



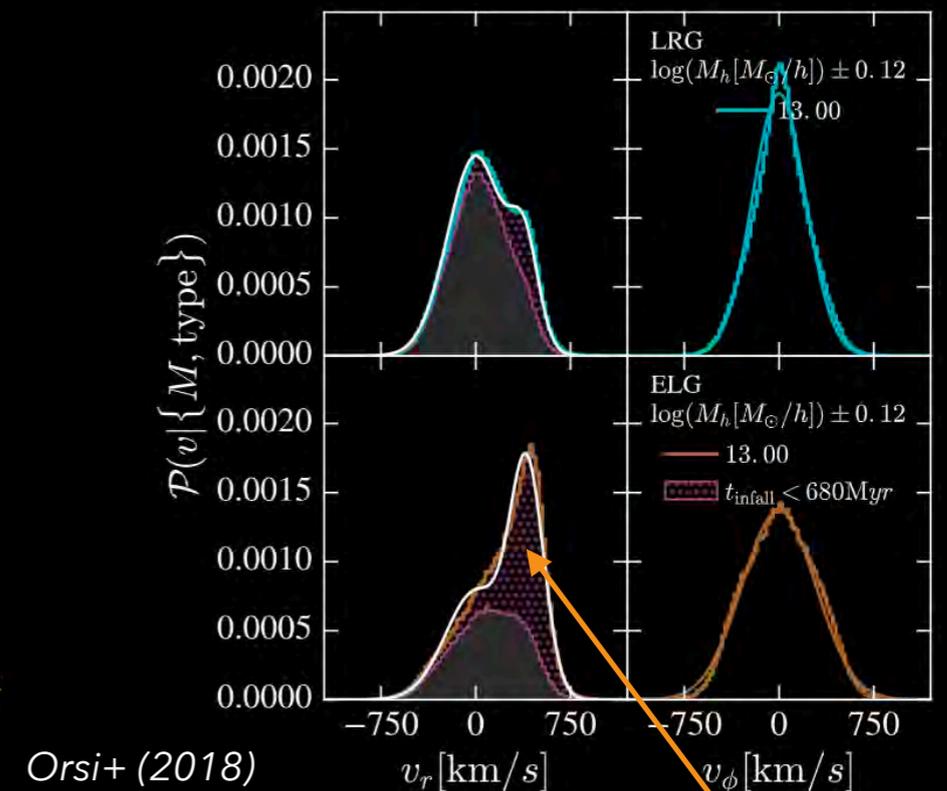
- **PFS** (in 2023)  
coverage: 1,200 deg<sup>2</sup>  
[O II] ELGs ( $0.6 < z < 2.4$ )

# LRG vs ELG

- ◆ **Luminous red galaxies (LRGs)**, which are widely used in cosmological context, are populations complementary to ELGs.



## ◆ Velocity distribution



## **Coherent infall of ELGs**

- LRGs are located close to the centre and their kinematics is virialized. On the other hand, ELGs are undergoing infall from outskirts.
- **This coherent motion directly affects redshift space power spectrum.**

# Motivation

## Fundamental question:

**Is the current standard analysis still applicable to ELGs?**

In contrast to LRGs, ...

- The hosting halos are younger and the halo bias also depends on the age (**assembly bias**).
- ELGs infall towards the halo centre, which might lead to **velocity bias**.
- ELGs are star-forming galaxies. Abundance matching in terms of mass may not work.

**→ This study: Leveraging hydrodynamical simulations, we investigate properties of ELGs and carry out cosmological analysis of ELG clustering.**

# Construction of Mock ELG Catalogue

## IllustrisTNG (Nelson+, 2019):

Run by moving-mesh code AREPO (Springel, 2010)

$L = 205 \text{ Mpc}/h$ ,  $N = 2 \times 2500^3$

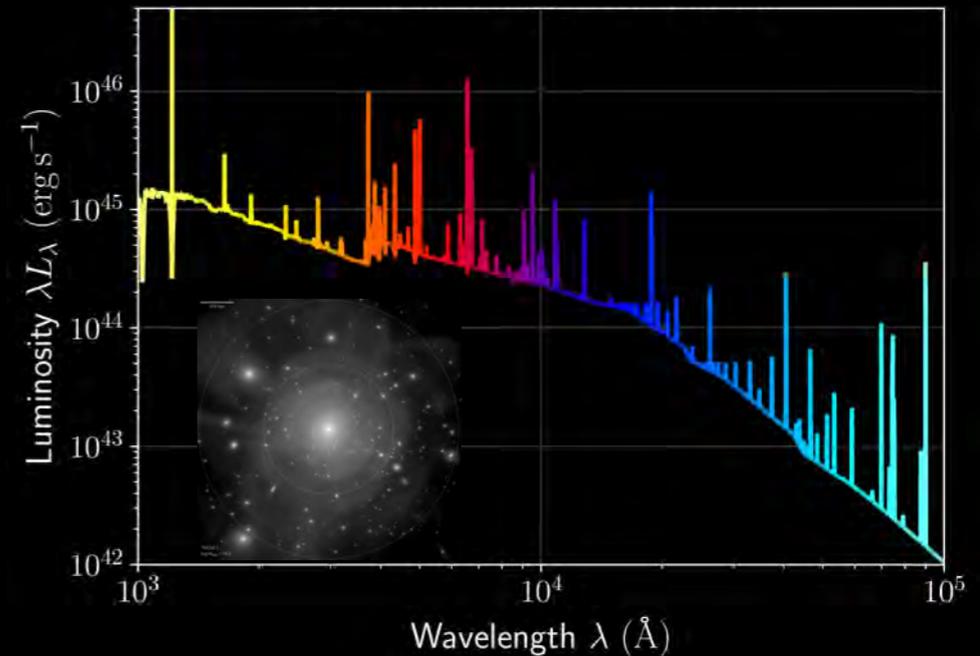
Various baryonic processes implemented:

Radiative cooling, star formation, stellar wind, stellar feedback, BH formation/evolution, AGN feedback, MHD, ...

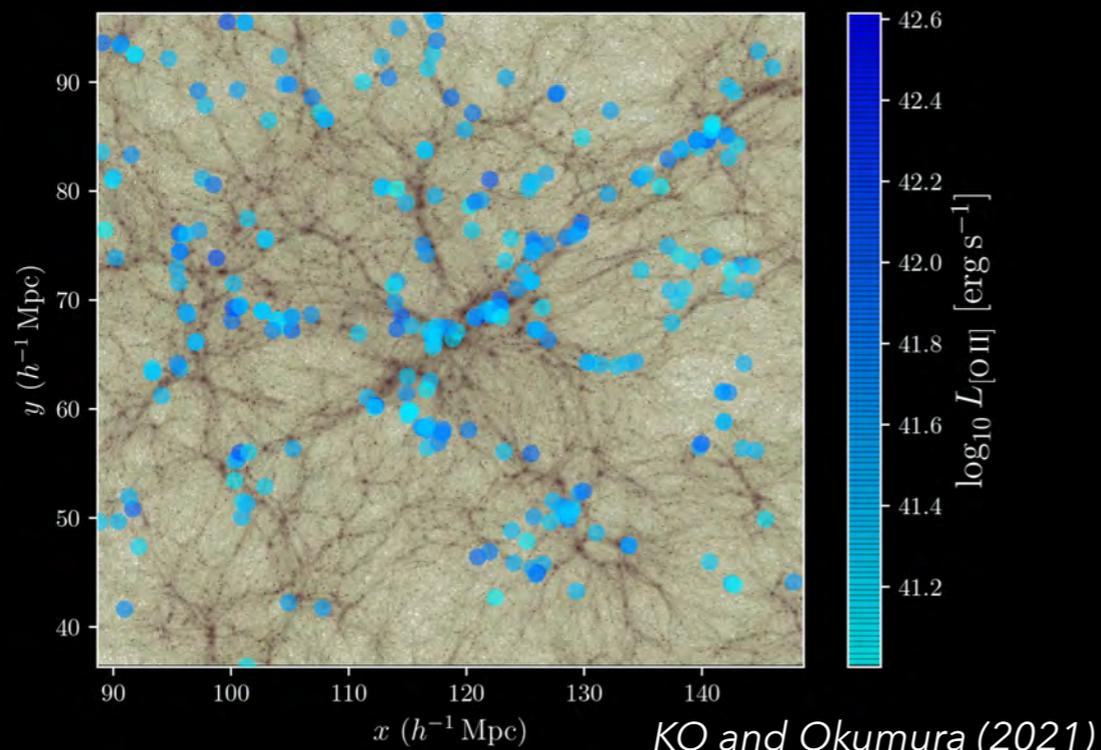
## Stellar population synthesis:

For each star particle, we compute SED based on its metallicity and age with PÉGASE.3 (Fioc+, 2019) code coupled with photo-ionization code CLOUDY (Ferland+, 2017).

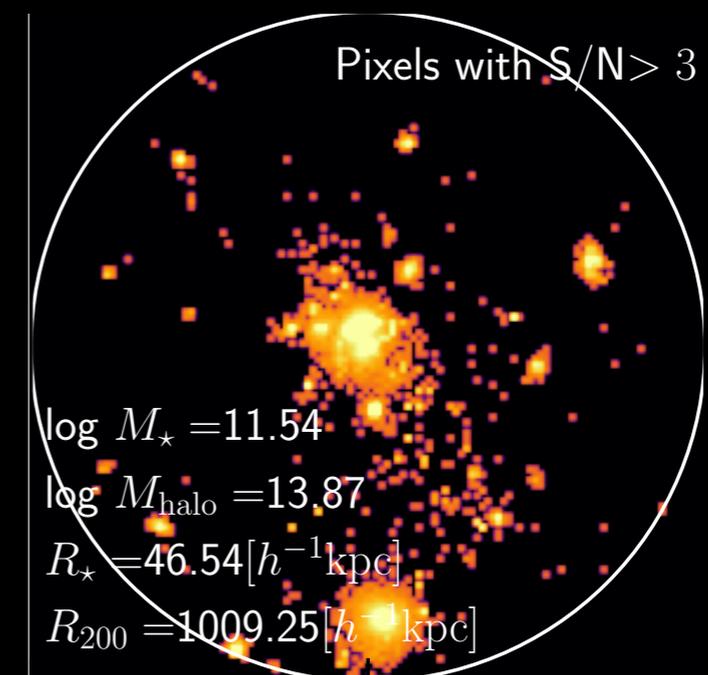
## Spectral energy distribution



## [O II] ELG distribution



## HSC i-band luminosity



# Luminosity Function of H $\alpha$ and [O II] ELGs

- ◆ As validation of our mock ELG catalogues, luminosity functions of H $\alpha$  and [O II] ELGs are compared with observations.
- ➔ When dust attenuation is taken into account, the results are consistent without tuning parameters.

H $\alpha$  ELGs

[O II] ELGs

without dust

with dust

Observations

Dust formation and evolution is consistently solved in PÉGASE3.

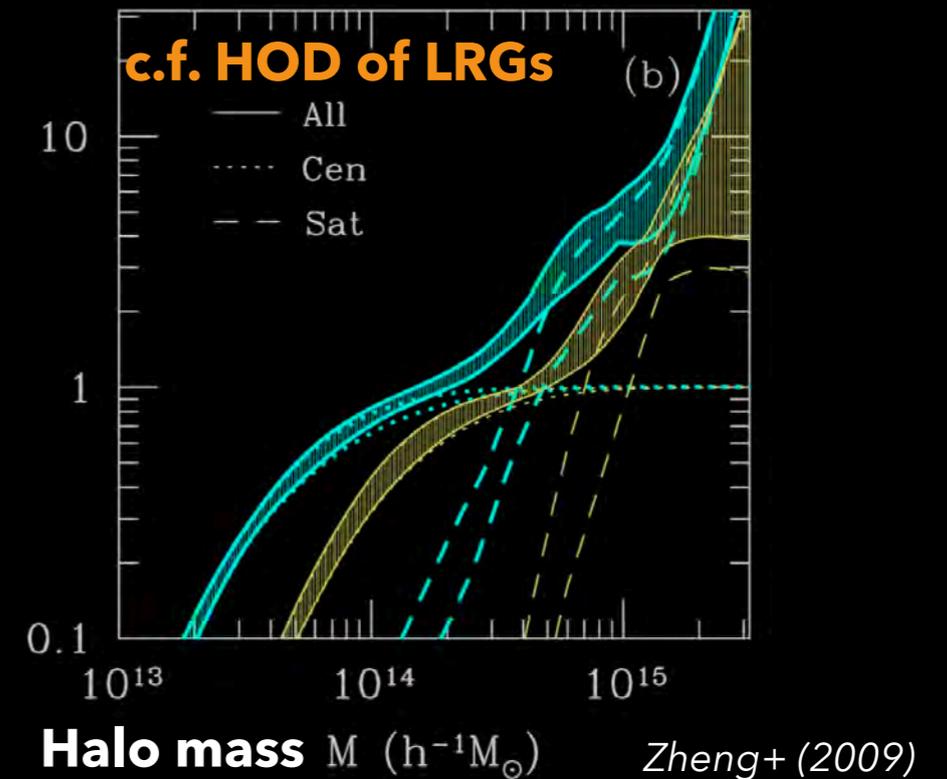
Observations

# Halo Occupation Distribution

- ◆ **Halo Occupation Distribution (HOD):**  
The mean number of galaxies as a function of halo mass. The most common way to relate galaxies with halo.

- **Central** = gradually growing step-like function
- **Satellite** = power-law function

# of galaxies in halo



H $\alpha$  ELGs

[O II] ELGs

# of galaxies

- The small bump represents a distinct population hosting ELGs.
- **Infalling low-mass halos**

Halo mass

KO and Okumura (2021)

# Anisotropic Correlation Function

- ◆ We can measure anisotropic correlation function **as in real observations**.
- Weak FoG suggests coherent infall of ELGs.

- Multipole moments:

$$\xi_\ell(s) = \frac{2\ell + 1}{2} \int_{-1}^{+1} d\mu \xi(s, \mu) \mathcal{P}_\ell(\mu)$$

**Monopole ( $l = 0$ )**

**Quadrupole ( $l = 2$ )**

**Solid lines are theoretical predictions with best-fit parameters.**

**Separation**

*KO and Okumura (2021)*

# Inference of Growth Rate

- ✦ **Cosmology challenge**: direct comparison between inferred and input values.

- Theoretical model: galaxy power spectrum **Linear bias**

$$P_{gg}(k, \mu) = e^{-(k\mu\sigma_v)^2} \left[ \underline{b_1^2 P_{\delta\delta}(k)} + \underline{2b_1 f \mu^2 P_{\delta\theta}(k)} + \underline{f^2 \mu^4 P_{\theta\theta}(k)} \right]$$

*Halofit* fitting formula (Takahashi+, 2012)    Velocity fitting formula (Hahn+, 2015)

**Growth rate**

**LRG**

- Parameter space:

Linear bias, **growth rate**, velocity disp.

NOTE: other cosmological parameters are fixed as ones in IllustrisTNG.

**ELG**

**Velocity dispersion**

- Inferred growth rate:

**True  $f$**

# Summary

- Hydrodynamical simulations are the ideal tool to scrutinise the galaxy-matter relation to improve modelling of ELG clustering.
- We directly measured HOD and anisotropic correlation function of ELGs. **Both show appreciable deviation from the case for the mass-limited sample (LRGs).**
- As in realistic measurements, growth rate is inferred from correlation function. **The inferred value is biased due to incomplete modelling of dynamics of ELGs.**
- Our mock ELG catalogue has potential to evaluate the significance of the cross-correlation with ELGs:  
**ELGs (Euclid, PFS) x 21cm IM (HIRAX, SKA)**  
**ELGs x tSZ (AdvACT, SO, CMB-S4)**  
**and more!**

