

小波の群論への応用.

Feb. 18, 1959

1. 変換群の可逆性

a. 変換群の可逆性

$$v' = \frac{v+u}{1+uv} \rightarrow -t' = \frac{az+b}{cz+d}$$

$$v = p/E$$

$$\left. \begin{aligned} p' &= ap + bE \\ E' &= cp + dE \end{aligned} \right\}$$

$$v' = p'/E' = \frac{av+b}{cv+d}$$

$$\left. \begin{aligned} a &= 1 & b &= u \\ c &= 1/u & d &= 1 \end{aligned} \right\} \parallel \begin{matrix} a & b \\ c & d \end{matrix} \parallel = 0$$

b. 座標変換と場の変換の同時性

$$\left. \begin{aligned} \psi_j(x_\mu^{(j)}) &\rightarrow \psi'_j(x_\mu^{(j')}) = \sum_k a_{jk} \psi_k(x_\mu^{(k)}) \\ x_\mu^{(j')} &= \sum_\nu a_{\mu\nu} x_\nu^{(k)} \end{aligned} \right\}$$

$\mu, \nu = 1, 2, 3, 4$
 $j, k = 1, 2, \dots, n$

一般の変換群. 場の構造

2. Causality と W 定数の可逆性

$$\frac{\partial u}{\partial t} = f(u, \frac{\partial u}{\partial x})$$

3. 量子化の意味.

a. correlation (Fujiwara)

$$K(a, t, x, t') = \int K(a, t, x', t') dx' K(a', t', x'', t'')$$

$S \sim h(t)$

b. discrimination (wave-like picture)

dynamical variable quantities (particle-like picture, energy-momentum vector etc.)

c. dynamical laws v. supplement. conditions

$$A\psi \neq 0 \rightarrow (\psi, A\psi) = 0$$

(Dirac)

