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89
N87

NOTE BOOK

Manufactured with best ruled foolscap

Brings easier & cleaner writing

May 1962
~ Feb. 1963
Vignier
Wabele
香子先生の
Pattern Recognition
Schiff

VOL. XVI

湯川 11

Nissho Note

c033-691~704挟込

c033-690

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XVI

50

Discussion Meeting

May 23, 1962, RITP

(Vigier, Wheeler present)

Morning:

1. H. Shimazu, Interaction of Elementary Particles with Internal Degrees of Freedom
Comment by Yokoyama

2. S. Tanaka, Indefinite Metric with Complex Masses

3. H. Fukutoma, elastic Ether Theory of elementary Particles II,

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Jetsoo Goto, On the Interaction of
Elementary Particles in the View of
the Extended Particle Model I.

Novo Limento

April 1962

point-like model

Takahayashi, P.T.P. 25 (1961), 901;
23 (1960), 925

B. den et al. P.T.P. 23 (1960), 496

pseudopotential for a hard core

K. Huang and C.N. Yang, P.R. 106
(1957), 1135

$$(\nabla^2 + k^2) \psi(r) = 0 \quad r > a$$

$$\psi(r) = 0 \quad r \leq a$$

s-wave phase shift
 $\eta_0 = -ka$

is also
scattering length

$$(\nabla^2 + k^2) \psi(r) = 4\pi a \delta(r) \frac{\partial}{\partial r} (r\psi)$$

extended into $r < a$

generalized pseudopotential

$$k^2 \psi = \left\{ -\nabla^2 + 4\pi a \delta(r) \frac{\partial}{\partial r} r - \frac{4\pi}{3} a^3 \delta(r) \right\} \psi$$

$$\left\{ \nabla^2 \frac{\partial}{\partial r} r + \dots \right\} \psi$$

non-hermitian operator

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M. F. M. Watson, R. D. Tripp
and M. H. Watson

Excited hyperon of mass 1520 MeV

 K^- beam ~ 400 MeV/c

$$K^- + p \rightarrow$$

$$m = 1520 \pm 3 \text{ MeV}$$

$$P/2 = 8 \text{ MeV}$$

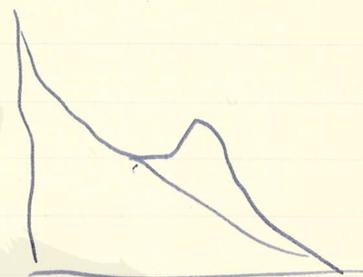
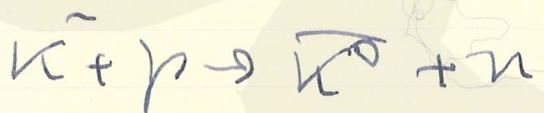
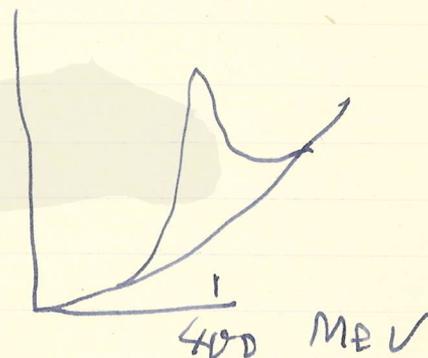
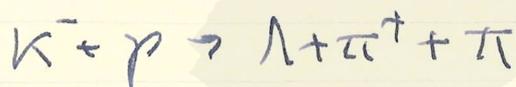
$$I_{32} = 0$$

$$J = 3/2$$

parity even with respect to $K^- p$ ($D_{3/2}$)

branching ratio

$$K^- N : \Sigma \pi : \Lambda 2\pi = 3 : 5 : 1$$



angular distribution

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June 1, 1962

"K.Y. 在中心研究所... 相互訪問" "素粒子の物理"
 共同研究会

(CERN 共同研究会) (共同会)

東大核研

CERN 共同研究会

山口. 牧. 高松.

池田. 木塚

三浦. 湯川.

宇川

湯川 ~~to~~ modified rotator model

Vignier

	$R_3^+ \times R_3^- \times R_3'$		$R_3 \times R_3^+ \times R_3'$
(n, p)	$D(\frac{1}{2}, 0)$	$D(\frac{1}{2})$	$D(\frac{1}{2}, 0)$
$(\frac{1}{2}, \frac{1}{2})$	$D(0, \frac{1}{2})$	\vdots	$D(0, \frac{1}{2})$
$(\frac{1}{2}, \frac{1}{2})$	$D(1, \frac{1}{2})$	\vdots	$D(1, \frac{1}{2})$
$(\frac{1}{2}, \frac{1}{2})$	$D(\frac{1}{2}, 1)$	\vdots	$D(\frac{1}{2}, 1)$
π^0	$D(0, 0)$	$D(0)$	
(π, π, π)	$D(1, 0)$	\vdots	
$?$	$D(0, 1)$	\vdots	
$(\frac{1}{2}, \frac{1}{2})$	$D(\frac{1}{2}, \frac{1}{2})$		

$$Q = j_3^+ + j_3^- - j_3^+ - j_3^-$$

Katayama mass formula ?

$$M = 1 + 16 j'(j'+1) + \frac{23}{2} \{ j_3^+ (j_3^+ + 1) - j_3^- (j_3^- + 1) \} + \frac{1}{2} j_3^+ (j_3^+ + 1)$$

湯川, $\Sigma, \pi, \eta, \lambda$

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島津

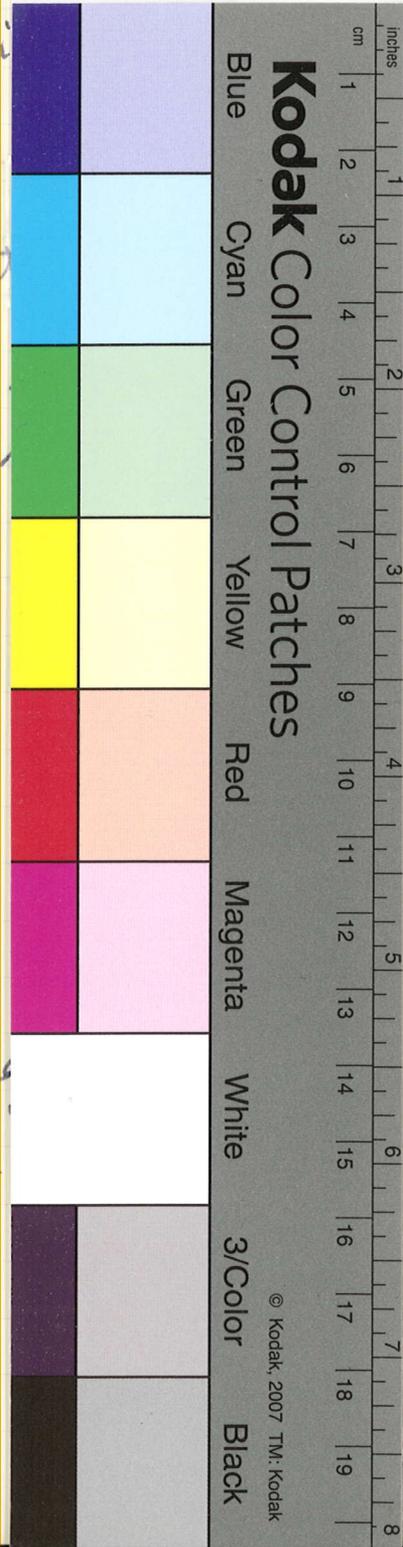
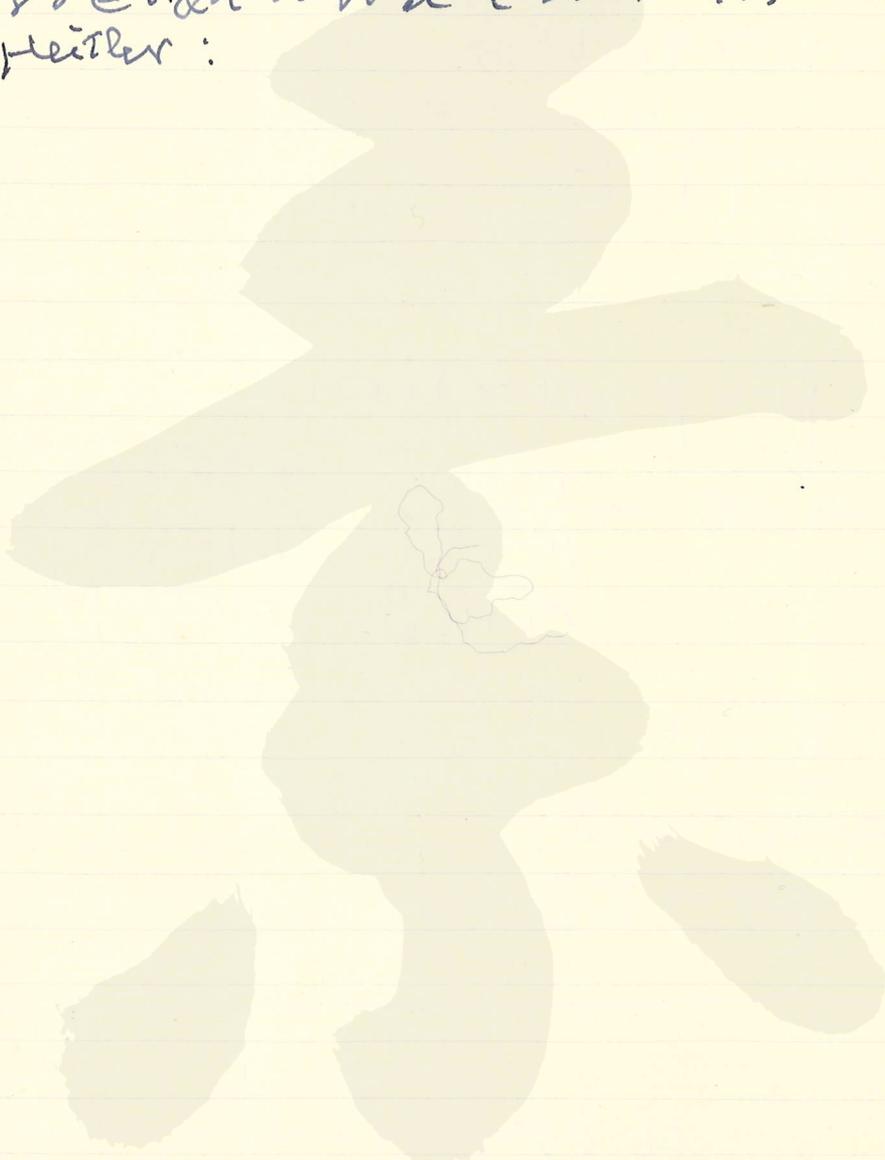
Shimazu - Yokoyama

June - July 2, 1962

Relativistic Invariance ?

$f(p_R) = f(\hat{y}_R)$
sys @ t_R vs t_C (??) !!!

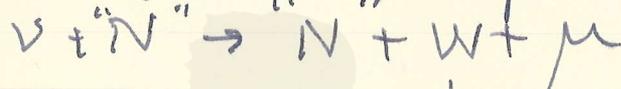
Heitler :



Brookhaven ν -exp. Misogy. CERN HEPC

July 9th, 1962

Brookhaven ν -exp. Misogy.

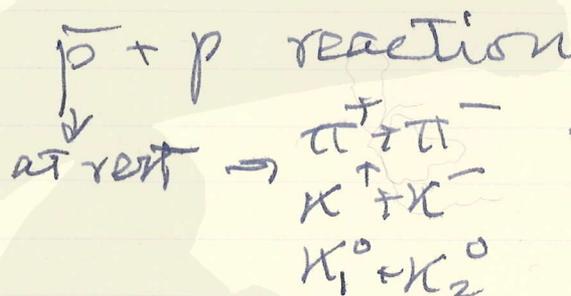


$\downarrow e + \nu$
 or $\mu + \nu$

$\nu + N \rightarrow N + W + \mu$

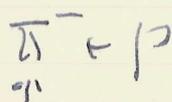


CERN



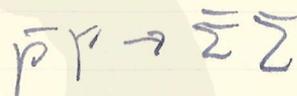
4.3 ± 0.6
 1.1 ± 0.3
 0.6 ± 0.1 } 10^{-3}

CERN



10.5 ± 0.5 GeV/c

CERN



$\bar{K} \rightarrow |K|$



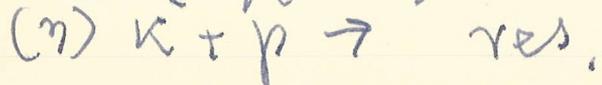
1685 MeV

$I \sim 1 (?)$



M 730 MeV

K^* 885 "



yes.

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山崎 謙二: Model of Weak
Interactions
(July 9, 1962)



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湯川博士. Simple Rotator

dynamics
Vignier-Takahayashi の 定式.

$$L = \int [L - \kappa(\omega_{\alpha\beta}) + g^\mu (A_{\mu 4} - U_\mu) + \frac{1}{2} \lambda^{\alpha\beta} (A^\mu_\alpha A_{\mu\beta} - g_{\alpha\beta})] \sqrt{g_{44}} d^4x$$

$$\omega_{\alpha\beta} = \frac{1}{\sqrt{g_{44}}} A^\mu_\alpha \dot{A}_{\mu\beta}$$

$$g_{44} = \dot{x}^\mu \dot{x}_\mu$$

$$A^\mu_\alpha A_{\mu\beta} = g_{\alpha\beta}$$

$$U^\mu = \frac{\dot{x}^\mu}{\sqrt{-g_{44}}}$$

$$\frac{d}{ds} = \frac{1}{\sqrt{-g_{44}}} \frac{d}{d\tau}$$

canonical variables

$$A^\mu_\alpha \quad x^\mu$$

$$P_{\mu\alpha} \quad p^\mu$$

$$\Omega_{\alpha\beta}$$

$$H = 0$$

$$P^\mu A_{\mu 4} + m(\Omega_{\alpha\beta})^w = 0$$

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U-2
 CERN High Energy Conf
 July 1962

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July 1962

July 9

I. N and π Phys.

Exp: Puppi

(1) $J^P G$

$\omega \rightarrow 1_0^-$

(2)

$\omega \rightarrow \text{neutral}$

$\omega \rightarrow \pi^+ \pi^- \pi^0$

$\sim 15\%$

$\omega \rightarrow 3\pi$

$\rightarrow \text{neutral}$

EM $\rightarrow 2\pi$

(P2)

D-plot 1100 eV

(2) $\eta \rightarrow 0_0^+$

(3)

D-plot

$\eta \rightarrow \pi^0 + 2\gamma$ or 2γ

(3)

P

$J = I = 1$

$\pi + N \rightarrow N + 2\pi$

(4) πN

a) $\pi + N \rightarrow N +$

P

1.5 mb

ω

1.3 "

η

0.45 "

sizeable and comparable

$\pi + N \rightarrow N + (\text{meson})^*$

$\rightarrow N^* + (\text{meson})^*$

b.) O.P.E. model

c.) ABC anomaly

$\gamma + N \rightarrow N + \pi + \pi$

$\pi + N \rightarrow N + \pi + \pi$

($\pi^+ p$) 2.7 GeV/c

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d) $\lesssim (580 \text{ MeV})$ $\left\{ \begin{array}{l} \text{J} \text{ } \pi^3 \\ \text{TSU} \end{array} \right.$
 II. E. M. Prop. of N and π Exp. Bishop

Stanford
 Cornell
 Orsay

$$F_{1S} = \frac{S_1}{1 + \frac{2.04 g^2}{M_S^2}} + 1 - S_1$$

$(M_S^2 \text{ in } m_\pi^2)$
 $g^2 \text{ in } 10^{26} \text{ cm}^2$

$$F_{1V} = \frac{V_1}{1 + \frac{2.04 g^2}{M_V^2}} + 1 - V_1$$

$$M_S^2 = 23 \pm 3$$

$$M_V^2 = 18 \pm 2$$

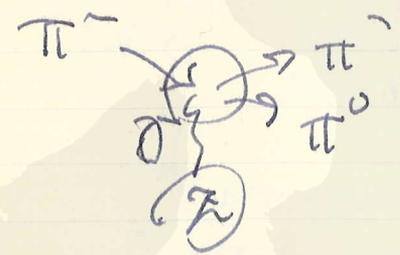
$$g_1 = 1.17 \pm .15$$

$$g_2 = -0.5$$

$$V_1 = 0.92 \pm 0.10$$

$$V_2 = 1.10$$

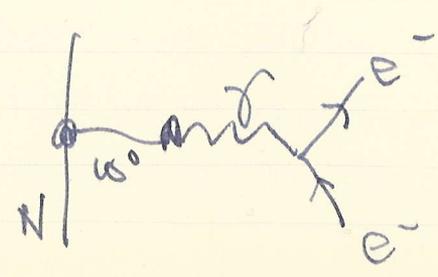
$$M_S^2 = M_V^2 \rightarrow 19 \pm 3$$



$$\frac{(CME)^2}{M_\pi^2} = 5 \sim 22$$

III. Mandelstam
 Reggeized ρ

$$\omega^0 \rightarrow e^+ e^-$$



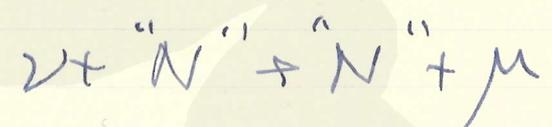
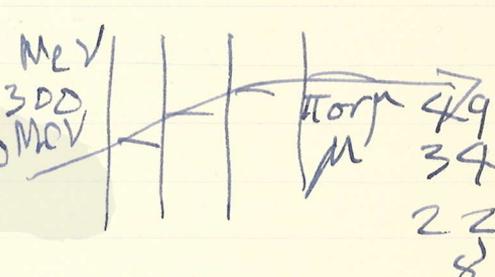
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IV. E.M. Prop. of N and π Th: Fubini

Extra: H.F. ν experiment at
 Brookhaven (Schwartz)
 AGS 15 GeV p 2×10^{11} p/sec
 ν int target Al
 1 ton spark chamber X10.

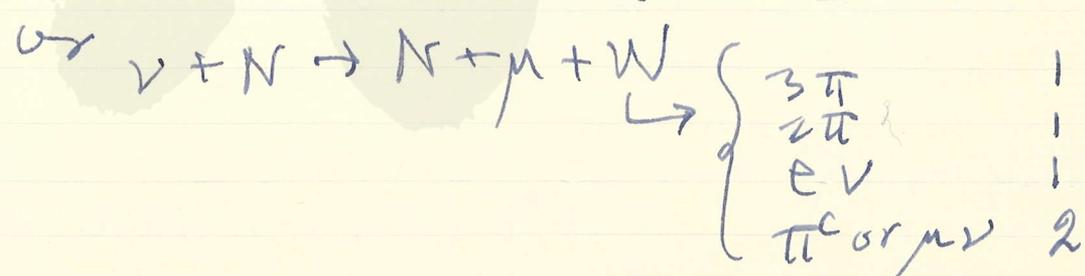
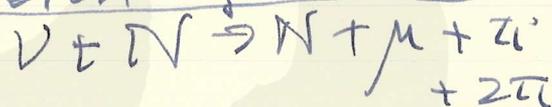
34A: 5.5 μ

- 1) short single track ≤ 300 MeV
- 2) single track ≥ 300 MeV
- 3) "vertex event"
- 4) "shower"



vertex event $\rightarrow \mu +$ electron shower
 $\nu + N \rightarrow N + \mu + \pi^0$?

$\nu + N \rightarrow N + e$ X
5 interesting events



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July 10

V. S.I. of ext. Particles

Expt: Gregory

I. (1) Cosmotron

Λ -1.5 ± 0.5 in $\frac{e\pi}{2m\pi c}$

(2) parity cons. in ext. par. prod. OK a few %

(3) charge symmetry OK ($\leq 10\%$)
 charge indep. OK

(4) $\bar{p} + p \rightarrow \gamma + \bar{\gamma}$ $\sim 1 \text{ GeV}$ CERN
 $\hookrightarrow 3.0 \text{ and } 3.16 \text{ GeV}/c$

II. Resonance:

Gell-Mann $3/2^+$ Octet i.e.

10 dim

$S = -3$

-2

-1

0

Σ^*

Ξ^*

Υ^*

$N^*(939)$

—

—

—

—

$I = 0$ (weak decay)

$1/2$

$3/2$

VI. S.I. of ext. Part.

Theor: Snow

$P(\Sigma, N) = \text{even}$

$\bar{p}p \rightarrow \kappa_1^{(0)} + \kappa_2^{(0)}$
 at $\gamma \text{ ext}$

90% into S-wave capture

$\rightarrow \kappa^0 + \bar{\kappa}^{0*} \rightarrow \text{spin } 1$

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$\bar{p} p \rightarrow \left. \begin{array}{l} \pi^+ \pi^- \\ \kappa^+ \kappa^- \\ \kappa^0 \bar{\kappa}^0 \end{array} \right\} \text{reg.}$

$$\left. \begin{array}{l} 3.95 \pm 0.25 \\ 1.31 \pm 0.18 \\ 0.56 \pm 0.08 \end{array} \right\} \times 10^{-3}$$

$\kappa^+ p$ pure "s" \rightarrow OK
 (A) pure hard core $0.31 F \leq 600 \text{ MeV}$
 (B) effective range $(a, r_0) \leq 200 \text{ MeV}$
 $\kappa^- p \rightarrow \bar{\kappa}^0 n$

VII, WI (of non-strange particles)
 exp. (+ th) Wolfenstein
 (1) μ^- capture by hydrogen
 Columbia, CERN, Chicago
 Dubna ($\mu^- + \text{He}^3$)

$V-A$
 $V+A \times$
 (2) Conserved vector current
 Berkeley, Dubna, CERN
 $\pi^+ \rightarrow \pi^0 + e^+ + \nu$
 $\frac{\Gamma_{e^+}}{\Gamma_{\mu^+}} = 1.7 \times 10^{-8} \pm 5$

WI of strange part. C.V.C. $1. \times 10^{-8}$
 Exp. Crawford
 $\Gamma_{\Xi} = \frac{1}{2} ?$

$\alpha_{\Lambda} < 0$ -0.62 ± 0.07
 $|\alpha_{\Sigma}^+| = \frac{1}{2} \text{ OK? (} \lambda = \frac{1}{2} \text{ (} \pi \text{) } \text{)} \text{ (} \lambda = \frac{1}{2} \text{ (} \pi \text{) } \text{)} \text{ (} \lambda = \frac{1}{2} \text{ (} \pi \text{) } \text{)}$

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X₁ High Energy Physics: Exp. Cocconi

$$E \rightarrow \pi$$

$$\sigma = \omega \pi R^2$$

$$r \rightarrow \pi$$

transparency $\rightarrow \pi$

$$\pi^- p \rightarrow d \bar{p}$$

$$4 \text{ GeV}/c \quad 29 \pm 10 \mu\text{b}$$

$$5 \text{ GeV}/c \quad 21 \pm 10 \mu\text{b}$$

X₂ HEP

Th. Drell

exp. suggestion:

1) $E \rightarrow \infty$

$$\sigma_{AA} = \sigma_{\bar{A}\bar{A}}$$

$$\pi^+ p \quad \pi^- p$$

$$p p \quad \bar{p} p$$

$$K^+ p \quad K^- p$$

2) Factorizing

$$\sigma_{ab} = \sqrt{\sigma_{aa} \sigma_{bb}}$$

$$\sigma_{\pi\pi} \approx 15 \text{ mb}$$

$$\sigma_{KK} \approx 10 \text{ mb}$$

3)

$$\sigma_{AA}^{el} = \sigma_{AA}^{el}$$

for spin average

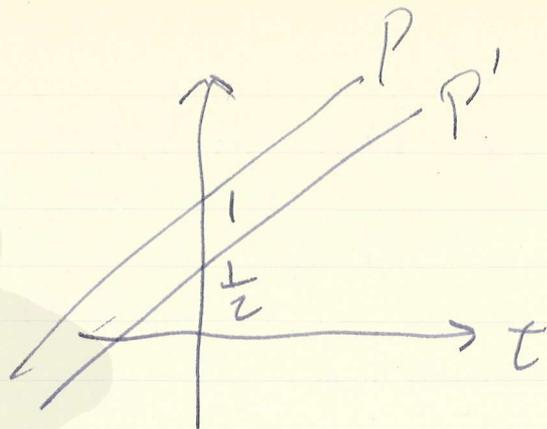
4)

$$p \rightarrow 0$$

No spin correl.

Amati, Rubini, Stangerini ?
 branch cut

g_{ij} :



X. EM properties of μ meson and
 Exp + Th: Berman

① $\frac{g-2}{2}$

② μ -pair creation

③ μ -C scattering

④ muonium

⑤ atomic and molecular muonic

physics

⑥ ETC ...

$$\frac{\kappa_{e2}}{\kappa_{\mu 2}} = 2.5 \times 10^{-5} \left[1 - 18.8\% \right]$$

rad. corr. (soft photon)

XII. Theory of el. Particles (Th: de Smet)
 (group theor. Method)

g ~~SO_3~~ ~~O_4~~ ~~O_5~~
 WI $\Delta I = 1/2 + 3/2$

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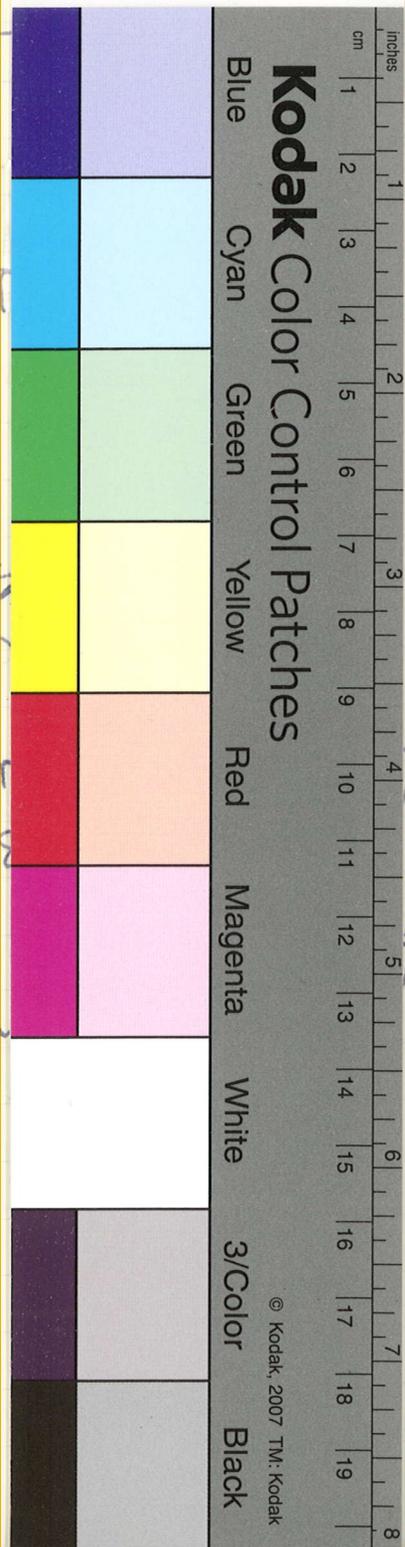
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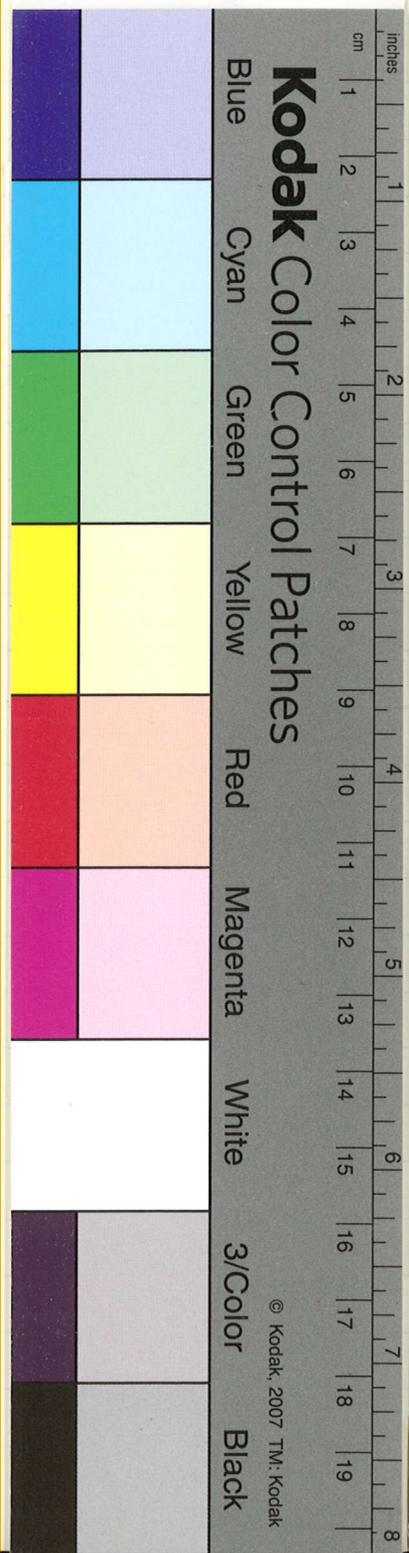
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Aug. 20 ~ Sept. 15, 1962
Pegwash 第9回 Cambridge
に在りて. 留学. ~~第~~ 10回 London



I. Ia. Pomeranchuk
Equality of Nucleon and Antinucleon
Total Interaction Cross-Section
at High Energies
Soviet Physics JETP
34 (1958), 499



T. D. Lee and C. N. Yang
 Charge Conjugation, a New Quantum
 Number G , and Selection Rules
 Concerning a Nucleon-Antinucleon System

N. C. 3 (1956), 1749

$$G = C \exp [i\pi I_2] = \exp (i\pi I_2) \quad \text{--- } C(\cos \pi + i I_2 \sin \pi)$$

$$\psi = \begin{pmatrix} p \\ n \\ \bar{n} \\ \bar{p} \end{pmatrix}$$

$$I_1 = \begin{pmatrix} 0 & 1 & 0 & 0 \\ 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{pmatrix}$$

$$I_2 = \begin{pmatrix} 0 & -i & 0 & 0 \\ i & 0 & 0 & 0 \\ 0 & 0 & 0 & -i \\ 0 & 0 & i & 0 \end{pmatrix}$$

$$I_3 = \begin{pmatrix} 1 & & & \\ & -1 & & \\ & & 1 & \\ & & & -1 \end{pmatrix}$$

$$G = \begin{pmatrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \\ -1 & 0 & 0 & 0 \\ 0 & -1 & 0 & 0 \end{pmatrix}$$

$$N = \begin{pmatrix} 1 & & & \\ & 1 & & \\ & & -1 & \\ & & & -1 \end{pmatrix}$$

$$[I_i, G] = [I_i, N] = 0$$

$$I_1 = \sigma_1, \quad I_2 = \sigma_2, \quad I_3 = \sigma_3$$

$$G = i p_2 \quad N = p_3$$

$$GN + NG = 0$$

$$G^2 = (-1)^N$$

G : multiplicative

$N \neq 0$: N, I^2, I_3 are quantum numbers

$N = 0$: $N = 0, I^2, I_3, G = \pm 1$

π : $G = -1$

selection rules for $N=0$ states transitions
 even number of π cannot go into
 odd number of π

$$S = 2Q - 2I_3 - N$$

$$Q = \frac{N}{2} + I_3 + \frac{S}{2}$$

$$[N, S] = [S, I_3] = 0$$

$$GS + SG = 0$$

$$G^2 = (-1)^{N+S}$$

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内部構造の異なる粒子の理論

OCT. 15, 1962

H. P. model

$$(J^+)^2 = (I^+)^2, \quad (J^-)^2 = (I^-)^2$$

Spin

$$\max S = J^+ + J^-$$

$$\text{or } \max C = I^+ + I^-$$

$$\Sigma = S + T$$

$$\Sigma_{\max} = I^+ + I^- + J^+ - J^-$$

$$\Sigma_{\min} = |I^+ \pm I^- \pm J^+ \pm J^-|$$

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Y. T. M. P., July, 1962
Stapp, axiomatic S-matrix theory
Chew, S-matrix theory of strong
interaction without elementary
particles

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Proton a level scheme

Oct. 24, 1962

proper time
 τ : arbitrary time parameter (time t of meson's rest frame)

$$x^\mu(\tau), A^\mu_\alpha(\tau)$$

$$A^\mu_\alpha A_{\mu\beta} = \eta_{\alpha\beta}$$

$$\boxed{A^\mu_4 = U^\mu} \leftarrow \text{suppl. add. condition (restrictive)}$$

$$U = \frac{dx^\mu}{ds}$$

$$\mathcal{L} = \int L(x^\mu, A^\mu_\alpha, \dot{A}^\mu_\alpha) d\tau$$

$$L = -K(\omega_{\alpha\beta}) \sqrt{-\frac{dx^\mu}{d\tau} \frac{dx_\mu}{d\tau}}$$

$$\omega_{\alpha\beta} = A^\mu_\alpha \frac{dA_{\mu\beta}}{ds}$$

$$p^\mu = \frac{\partial \mathcal{L}}{\partial \dot{x}^\mu}$$

$$\dot{p}^\mu = 0$$

$$B^{\mu\alpha} = \frac{\partial \mathcal{L}}{\partial A_{\mu\alpha}}$$

$$M^{\mu\nu} = x^\mu p^\nu - x^\nu p^\mu + S^{\mu\nu}$$

$$\dot{M}^{\mu\nu} = 0$$

$$S^{\mu\nu} = A^\mu_\alpha B^{\nu\alpha} - A^\nu_\alpha B^{\mu\alpha}$$

$$I^{\alpha\beta} = A^\mu_\alpha B_{\mu\beta} - A^\mu_\beta B_{\mu\alpha}$$

$$(S^{\mu\nu}, I^{\alpha\beta}) = 0$$

$$S^{\mu\nu} S_{\mu\nu} = I^{\alpha\beta} I_{\alpha\beta} \sim$$

$$S^{\mu\nu} \tilde{S}_{\mu\nu} = \rho \quad I^{\alpha\beta} I_{\alpha\beta}$$

$$\rho = 11 A^\mu_\alpha V$$

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Yellow

Red

Magenta

White

3/Color

Black

spin operator \vec{S}

$$p^\mu \times U^\mu: \dot{S}^{\mu\nu} \neq 0$$

$\rightarrow U^\mu$

$$p^\mu = m(I^{\alpha\beta}) U^\mu + \boxed{}$$

$$p^\mu p_\mu = -M^2 (\text{mass}) \quad m = -p^\mu U_\mu$$

(classical: $M = \sqrt{1-v^2} \cdot m$)

$$S^\lambda = \frac{1}{2} \epsilon^{\lambda\mu\nu\zeta} S_{\mu\nu} p_\zeta / M$$

$$\dot{S}^\lambda = 0$$

$$S_{(\pi)}^i = S_{(\pi)}^{ik}$$

$$S_{(\pi)}^+ = 0$$

$$(S^\lambda, S^\mu) = \frac{1}{2} \epsilon^{\lambda\mu\nu\zeta} S_\nu p_\zeta / M$$

$$(S_{(\pi)}^i, S_{(\pi)}^j) = S_{(\pi)}^k$$

$M=0$ or $\vec{p} \perp \vec{\pi}$:

spin-polarization operator

(Wigner)

$$P = \frac{1}{2} \epsilon^{ij\kappa\eta} S_{ij} p_\kappa / p_\eta$$

(pseudo-scalar)

$$\dot{P} = 0$$

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decoupled case:
hyperpherical $i^{\alpha\beta} = 0$
spherical $i^{ab} = 0$

Bi-multiplet rotator: Single rotator

Complex rotator: Double rotator

$$2\mathcal{M}, A^{\mathcal{M}}_{\alpha}, B^{\mathcal{M}}_{\alpha}$$

$$A^{\mathcal{M}}_{\alpha} = B^{\mathcal{M}}_{\alpha} = U^{\mathcal{M}}$$

$$A^{\mathcal{M}}_{\alpha} = U^{\mathcal{M}}$$

(9)

(12)

or $C^{\mathcal{M}}_{\alpha} = \text{complex}$

$$C^{\mathcal{M}}_{\alpha} C_{\mathcal{M}\beta} = \eta_{\alpha\beta}$$

Crosson:

$$C^{\mathcal{M}}_{\alpha} \sigma^{\alpha} = X^{\mathcal{M}} \sigma^{\mathcal{M}} Y$$

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White

3/Color

Black

250: 湯川 知右 電流計
 湯川: CERN Conf. OCT. 25, 1962
 ~ OCT. 26 (OCT. 27)

- 1) 2V の電圧
- 2) $\Delta S / \Delta Q = \pm 1$
 $g^+ g^-$ のようなもの (∵ $\Delta C = 2$ のようなもの)
 p, n, Λ などのようなもの (4 個の π のようなもの)

- 3) intermediate boson
 meson (Lee-Yang) のようなもの
 $\Delta S / \Delta Q = \pm 1$ $\Delta S \leq 2$
 $| \Delta I | = 1/2$ (non-leptonic decay)
 3 種類の meson のようなもの (Takeda)
 (anti-particle のようなもの)

- 4) $(\bar{e} \nu) (\bar{\nu} e)$ のようなもの (Takeda)
 $\hat{J}^+ \hat{J}^-$ のようなもの

5) c.v.c.
 $R(\pi^+ \rightarrow \pi^0 + e^+ + \nu) = 1.0 \times 10^{-8}$
 $R(\pi^+ \rightarrow \mu^+ + \nu)$

CERN $(1.7 \pm 0.5) \times 10^{-8}$
 Mubuna 4.7×10^{-8}

$G_{\mu\mu} = (1.4025 \pm 0.0022) \times 10^{-49} \text{ erg cm}^3$

$G_{\mu e} = (1.4312 \pm 0.0011) \times \dots$

$G_{\nu} / G_{\mu} = 0.98$

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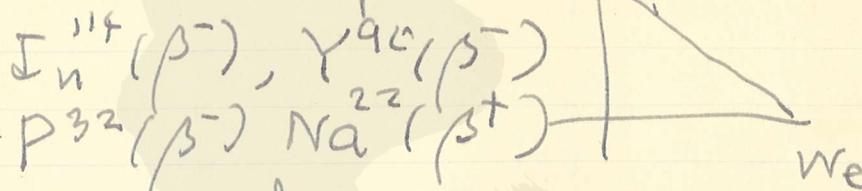
V-A . F. G.
 $(\bar{p} N) (\bar{e} \nu_e) + (\bar{\mu} \nu_\mu)$
 $\pm (\bar{\mu} \nu_\mu) (\bar{e} \nu_e)$
 $(\bar{\nu}_\mu \bar{\mu})$

6) non-leptonic decay
 $\Lambda \rightarrow p \pi^- \quad \alpha^0 = -0.6$
 $\rightarrow n \pi^0 \quad \alpha^0 =$
 $\alpha^0 / \alpha^+ = 1.0 \pm 0.2$

$\Xi^- \rightarrow \pi^+ \pi^- \quad \alpha = 0.62 \pm \dots$
 $\Sigma \rightarrow$

$|\Delta I| \leq 1$: (4 π π π π) ?

7) hanger effect
 Kurie plot



$(1 + \frac{b}{W})$
 $0.2 \leq b \leq 0.4$
 Fierz τ π^0 , $\tau^+ \pi^+$

t π π π	α	α^0 / α^+	$\alpha^0 \pm 2$	$(\bar{e} \nu) (\bar{\nu} e)$	CVC	$G_V^+ \ll G_V^-$	$\rho_{II} = 1/2$
Sakata	P	p	0	P	0	P	P
Nagoya	X	X	0	X	0	P	P
(Nagoya)	0	(0)?	0	X	0	0	P
Taketai-tai							

p: possible

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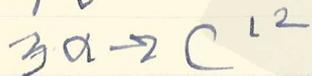
25M: $\frac{1}{2} L_{\odot}$

核燃焼領域: $(\bar{v})(\bar{\sigma}e)$

H-burning

He-burning $2 \times 10^8 K$

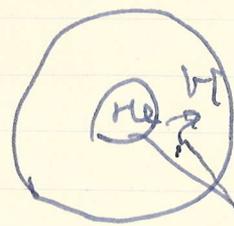
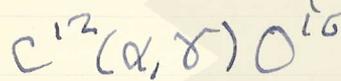
$$\frac{M_{core}}{M} \approx 0.10 \sim 0.20$$



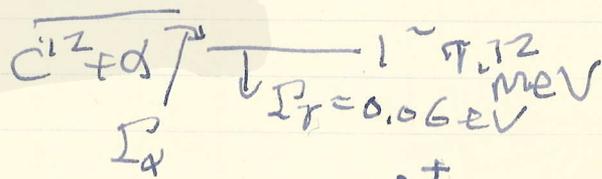
excited state

$$\Gamma_{\sigma} = 2.5 \times 10^{-3} \text{ eV}$$

($\pm 50\%$)

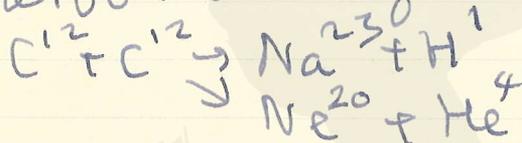


convective region



C^{12}, O^{16} a final concentration

Carbon-burning



Ne, O, S, Si, Mg \rightarrow Fe

neutrino loss

$$H' = \sqrt{8} G \bar{J}_{\mu} \bar{J}_{\mu} \quad (F, G)$$

$$J_{\mu} = (\bar{p} \gamma_{\mu} n) + (\bar{\nu}_e \gamma_{\mu} e) + (\bar{\nu}_{\mu} \gamma_{\mu} \mu)$$

$$a = \frac{1 + i\delta_5}{2}$$

$$\sqrt{8} G (\bar{e} \gamma_{\mu} \nu) (\bar{\nu} \gamma_{\mu} e)$$

$$G = (1.01 \pm 0.01) \times 10^{-5}$$

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White
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Black

- (1) $e^- + A_z \rightarrow e^- + A_z + \nu + \bar{\nu}$
 (2) $\gamma + e^- \rightarrow e^- + \nu + \bar{\nu}$ (photon-neutrino)
 (3) $2\gamma \rightleftharpoons e^- + e^+ \rightarrow \nu + \bar{\nu}$ (pair-neutrino)
 (4) $2\gamma \rightarrow \gamma + \nu + \bar{\nu}$

Chiu, Morrison
 Ida, Uehara

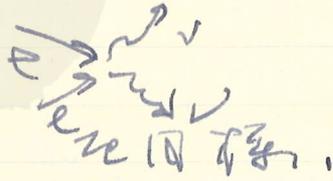
(2) $\sigma = \frac{4}{35\pi^2} \alpha \left(\frac{G m^2 c}{\hbar^3} \right)^2 \left(\frac{\hbar}{mc} \right)^2 \left(\frac{E}{mc^2} \right)^2$

(3) $\sigma = 1.5 \times 10^{-45} \frac{c}{v} \left(\frac{E_T}{m^2 c^4} - 1 \right)$

L photon + h neutrino
 光子の寿命は $\sim 10^{26}$ 年 (He-burning stars)
 $M = 15.6 M_\odot$ loss of L 9×10^5 year
 loss of ν $\sim 10^5$ year
 光子の寿命は $\sim 10^{26}$ 年 (with)

(loss of L $\sim 10^6$ year)
 loss of ν $\sim 10^5$ year factor $5 \sim 40$ 程度
 光子の寿命は $\sim 10^{26}$ 年

Reines:



1964 end

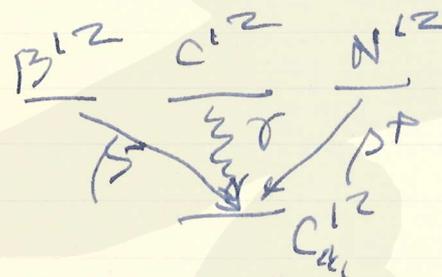
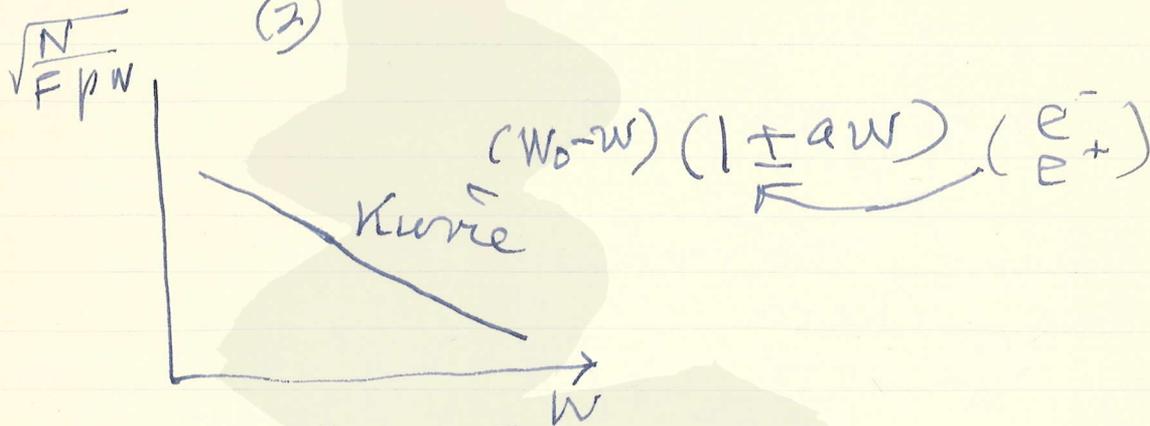
($\theta \neq 0$ indefinite metric $\mu \rightarrow 1/2$)
 intermediate boson

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要図はK_K: ~~longer effect CVC~~
~~Indianaの特殊な場合~~

CVC: ① $\pi^+ \rightarrow \pi^0 + e^+ + \nu$ CERN yes
 ②



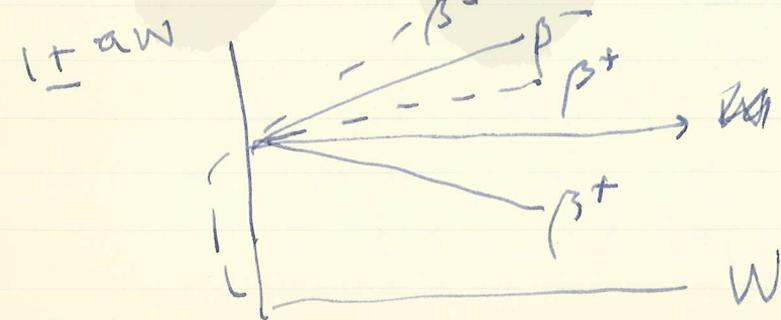
a: V, A or cross
 Term,
 V l a
 A a s

$$C_A l \int a^2 + C_V \int \sigma^2 \alpha \gamma$$

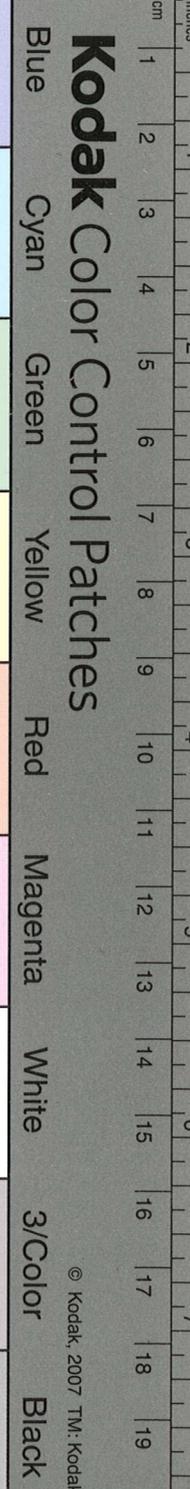
$$\sqrt{\frac{N^+/FpW}{N^-/FpW}} \sim Lt \ 2aw$$

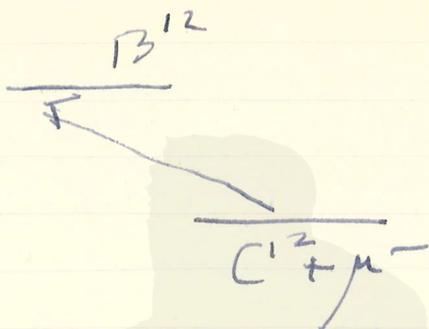
Parademe
 $2a \sim N \ 1\%/MeV$

CE 17 (yes)



— CVC
 ... exp.





no ?

β -spectrum
 RaE ²¹⁰

1978 1979 1980: larger effect
 Indiana の 研究 結果

$\mathbb{R} \times \mathbb{R} \times \mathbb{R} \times \mathbb{R}$

Prot. Invariant

Yukawa Interaction

Isobar (boson) channel (weak)

$$S(W) = [1 + \alpha^2 (W_0 - W)^6] p_W (W_0 - W)^2$$

Na²² + G.T. (all)

P³² - " (all)

Y⁹⁰ - " (1st)

A¹⁹⁸ - G.T. + F (1st)

P_v¹⁴⁵ G.T. + F (1st)

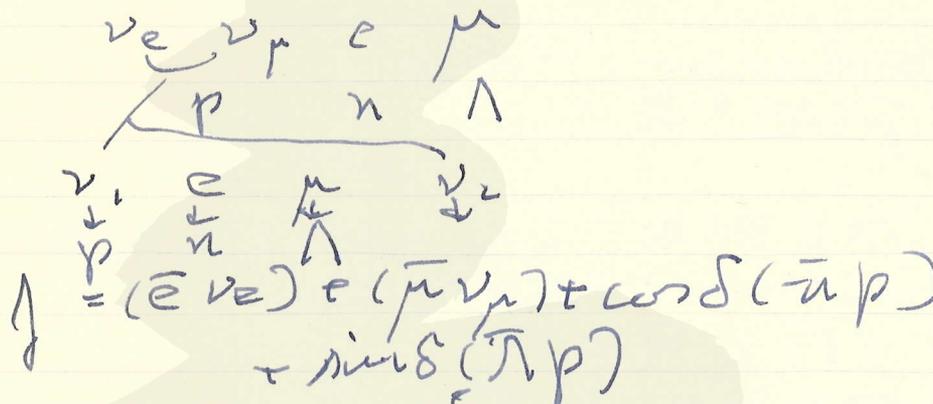
RaE

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2GW;
 第2章 4.4; $\Delta S/\Delta Q = \pm 1$, 2.2.
 $\Phi \in \mathbb{R}^3$, 2v-problem

(i) $g = (\bar{e} \nu) + (\bar{\mu} \nu) + f(\bar{u} p) + f'(\bar{\Lambda} p)$
 (ii) $\partial g / \partial a = -1$



$$\left(\frac{G_V}{G_F}\right)^2 + \left(\frac{G_A}{G_F}\right)^2 = 1$$

$$\frac{G_A}{G_F} \sim \frac{1}{5} \quad \left(\frac{G_V}{G_F}\right)^2 \sim 1 - \frac{1}{25} \sim 98\%$$

II. $\Delta S/\Delta Q = -1$ problem
 $\Delta S \neq \pm 2$ $\Delta S/\Delta Q = -1$
 1st term fermion 2nd term $\bar{u} \bar{d}$

(i) $p, n, \Lambda \rightarrow$ lepton
 charge & 1/2 spin $\rightarrow \Delta S/\Delta Q = \pm 1$ only
 (strangeness number)

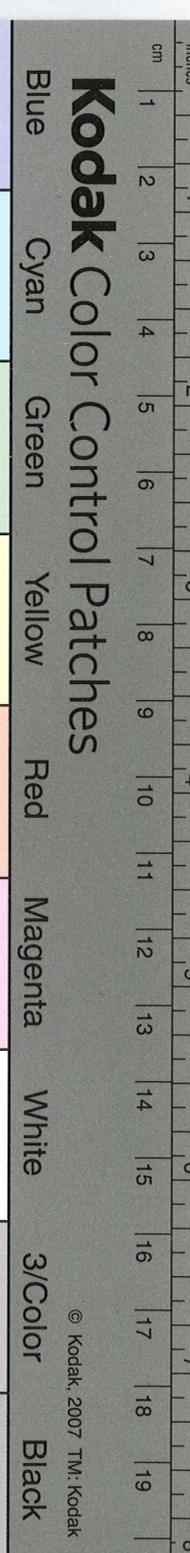
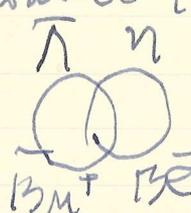
(ii) composite system of $\bar{u} \bar{d}$ & $\bar{s} \bar{u}$
 $\rightarrow \Delta S/\Delta Q = -1$

Nagoya group: Taketani-Tati

$$K^0 \rightarrow \pi^+ + e^- + \bar{\nu}_e$$

$$\pi^+ + e^- + \bar{\nu}_e$$

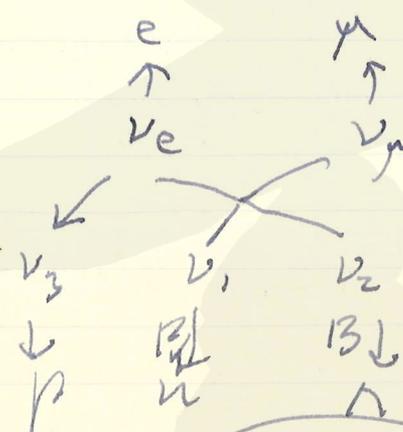
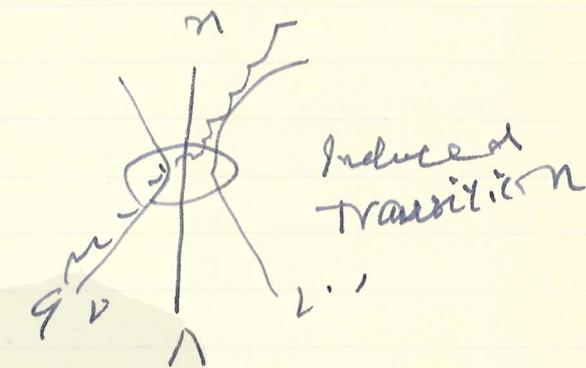
$$\Delta S = 2? \quad (K^0 \rightarrow \pi^+ + \mu^- + \bar{\nu}_\mu)$$



neutralino flip $(\kappa^0 \rightarrow \pi^+ e^- + \bar{\nu}_\mu)$
 $\Delta S = +1$ $\Delta C = +1$ flip $\Delta L = -1$
 $(\bar{p} n) (\bar{\Lambda} n) (\bar{e} \nu)$

Taketani - Tati

$\nu_e \rightarrow e$
 $\nu_\mu \rightarrow \mu$



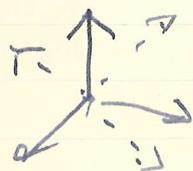
$\Delta S = 0$ $\Delta C = 0$ $\Delta L = 0$

$\kappa^0 \rightarrow \left\{ \begin{array}{l} \bar{\Lambda} \rightarrow \bar{n} \\ n \rightarrow p + e^- + \bar{\nu} \end{array} \right\}$
 $\rightarrow \pi^+ + e^- + \bar{\nu}$

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~~double~~
 HUB: Weak Int. in Rotator Model



$$x_\mu \quad a^\mu_a \quad b^\mu_r$$

or $a^\mu_4 = u^\mu$
 $b^\mu_4 = u^\mu$

$c_{a \rightarrow 3} \quad r \rightarrow 3$
 $c_{a \rightarrow 4} \quad r \rightarrow 4$

$B \rightarrow$ repr.	$T \quad S \quad t+s$	$T_3 \quad S_3 \quad (T+S)_3$
$h \rightarrow$ repr.	$t, s, T+S$	$t_3, s_3, (T+S)_3$
$\Delta T = 0$ $\Delta S = 0$	$\Delta t = 0$ $\Delta s = 0$	$\Delta(T+S) = 0$ $\Delta(T+S)_3 = 0$

strong	$\Delta T = 0$	$\Delta S_3 = 0$	$\Delta(T+S)_3 = 0$
E.M.	$\Delta T_3 = 0$	$\Delta S_3 = 0$	$\Delta(T+S)_3 = 0$

$B: Q = T_3 + S_3 + (T+S)_3$
 $h: Q = (T+S)_3 + t_3 + s_3$

t	s	$(t+s)$
$1/2$	0	$1/2$
0	$1/2$	$1/2$

weak $\Delta(t+s) = 1/2$ $\Delta(T+S) = 1/2$

$B: \quad S_\mu(1, 0)_{t+s=0, 1} \quad S_\mu(1/2, 1/2)_{t+s=0, 1} \quad S_\mu(3/2, 1/2)_{t+s=0, 1}$

lepton $t+s = 1/2$ $T+S = 1/2$
 $h \quad S_\mu(1/2, 1/2)_{t+s=0, 1}$

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W-boson: T S T+S
 1 1/2 1/2

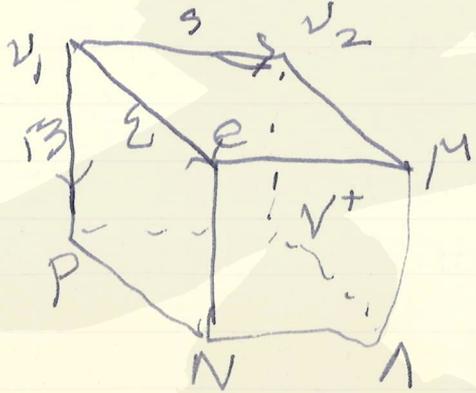
(12319)

$S(1, 0) W_{1/2}$

$(W + \bar{W})_{\mu}^{\nu} J_{\mu}^{\nu R}$

FW

Weak Interaction model



e_1^+, e_2^+

$\Delta S \neq 2$

$\mu^{\pm} \rightarrow e^{\pm} + \nu$

$\sigma^+ \sigma^- = 0$

$\Delta Q / \Delta S = \pm 1 ?$

$\rightarrow \dots \equiv \dots$

Intermediate charged boson
 charged current (lepton) $\nu \rightarrow \dots$

$W^{\pm}, W^0?$

neutral current (baryon)
 $|\Delta I| = 1/2$ (non-leptonic process)

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井本氏 (Nagoya Model)

井本氏: Oscillator Model \approx ^{sig} Weak Interaction

$$\Omega^{(e)} = T^{(e)} e \quad \Sigma = T^{(e)} (1 + \Sigma)$$

$$\Sigma = \alpha a_1 b_2 + \beta a_2^\dagger b_1^\dagger$$

$$\Sigma^2 = 0$$

$$\psi' = V \psi$$

$$V^2 = 1$$

$$\Lambda' = V \Lambda V \equiv 0$$

$$\Sigma^{+1} = \Sigma +$$

$$\Sigma^{0'} = \Sigma + \beta \equiv 0$$

$$\Sigma^{-1} = \Sigma + \sqrt{2} \beta \equiv +$$

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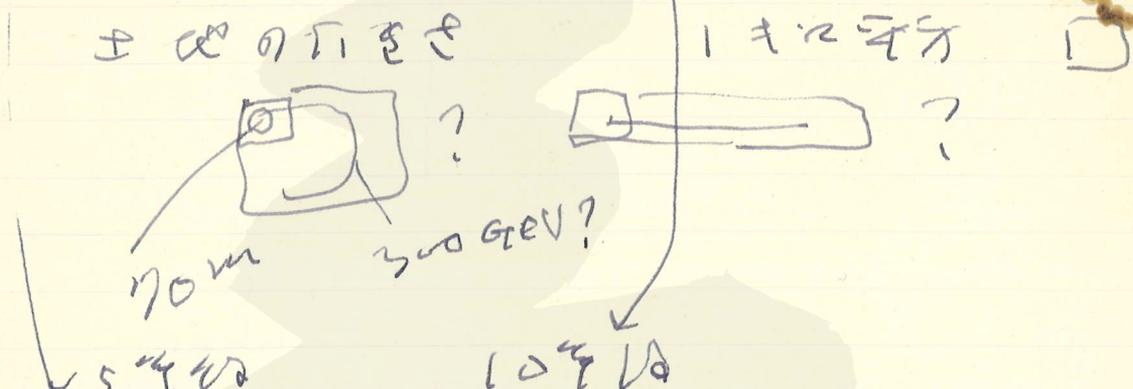
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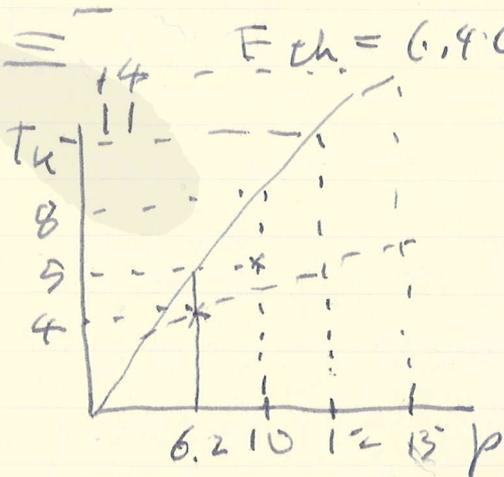
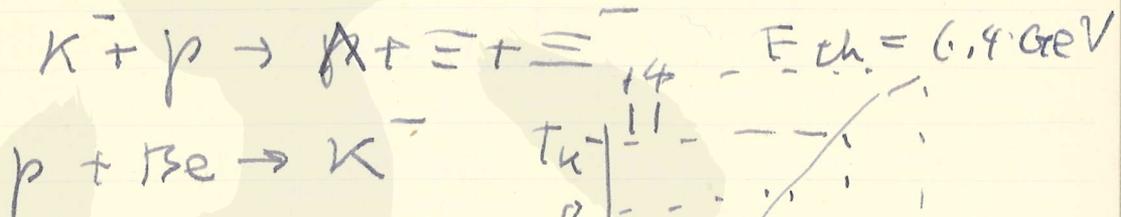
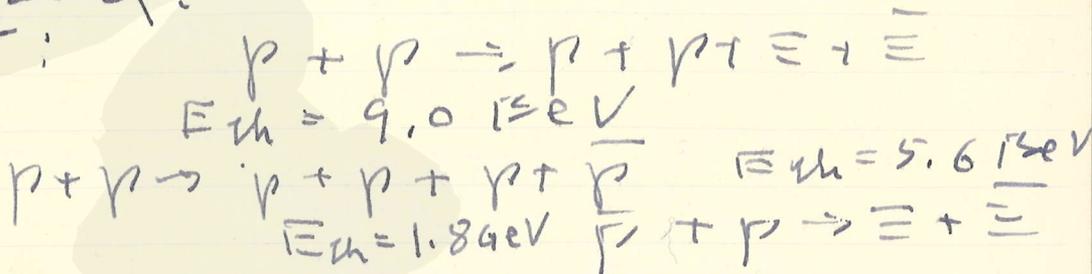
10¹⁰級の電子加速器の
 検討 10.29, 1962

目的: 山形加速器

物理と加速器計画
 10¹⁰級の電子加速器

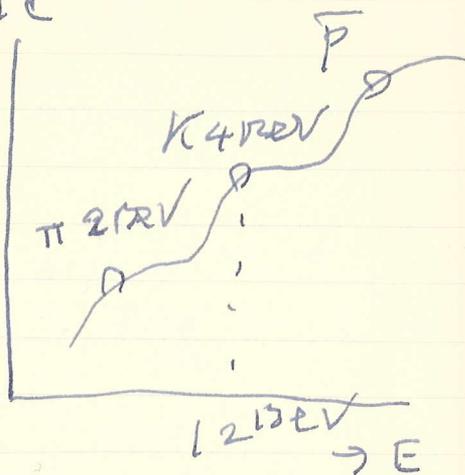


必要な
 加速器: 10¹⁰ GeV
 加速器: 10¹⁰ GeV

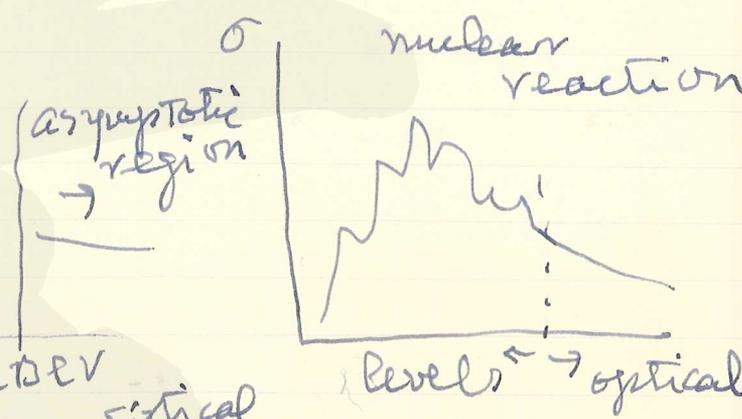
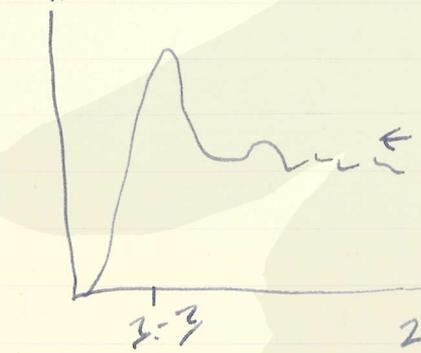


$\pi + p \rightarrow \dots$

$\pi + p \rightarrow \dots$

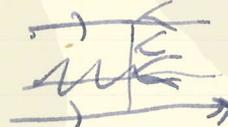


$\sigma_{\pi N}$



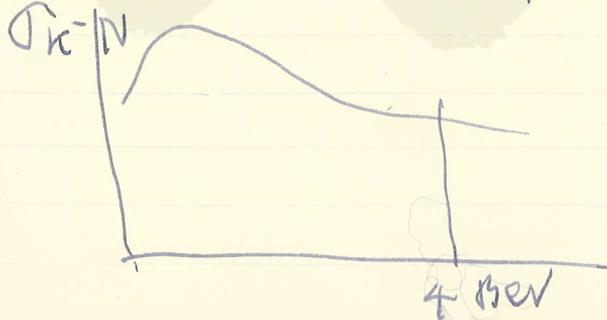
素粒子論

asymptotic region
 statistical mechanics
 multiperipheral



$\pi : 2 \text{ BeV}$
 $\sigma_{\pi N}$

$K : 4 \text{ BeV}$
 $P : 2 ?$



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電荷共変

polarization $\rightarrow \pi N \rightarrow 5 \times 10^{13}$

TeV

実トラ: 5×10^{13}

○

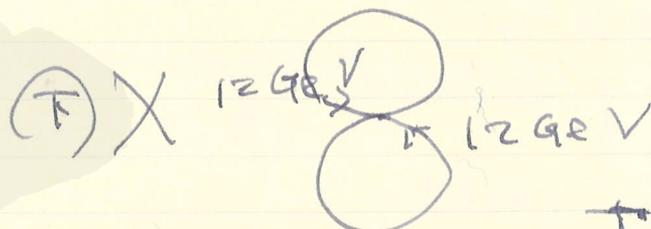
$> 10^9$ ev

10^9 ev

$>> 10^9$ ev

strong int.
 は 5×10^{13} 程度

TeV $\approx 2 \times 10^4$
 strong int.
 の information
 は 5×10^{13} 程度



weak interaction

(A) 1 TeV proton
 $p \rightarrow \dots \rightarrow \nu$

(B) 12 GeV π^+ beam
 , μ^+ beam (10 GeV)

1.4 GeV 60m
 linear acceleration
 π^+ , μ^+ , ν beam
 e^+ と μ^+ と ν と

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湯川氏の

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京都大学基礎物理学研究所 湯川記念館史料室

シニカシカシカシカ

湯川氏の

(universal length — dynamics)
(new degrees of freedom —)

湯川氏の

1. 実験:

湯川

物理学

湯川



湯川

湯川

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実験 (湯川)

(湯川)

湯川氏の

professional research
key puncher
spectroscopy
湯川物理学

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理論 < 3~5年
実験 < 3

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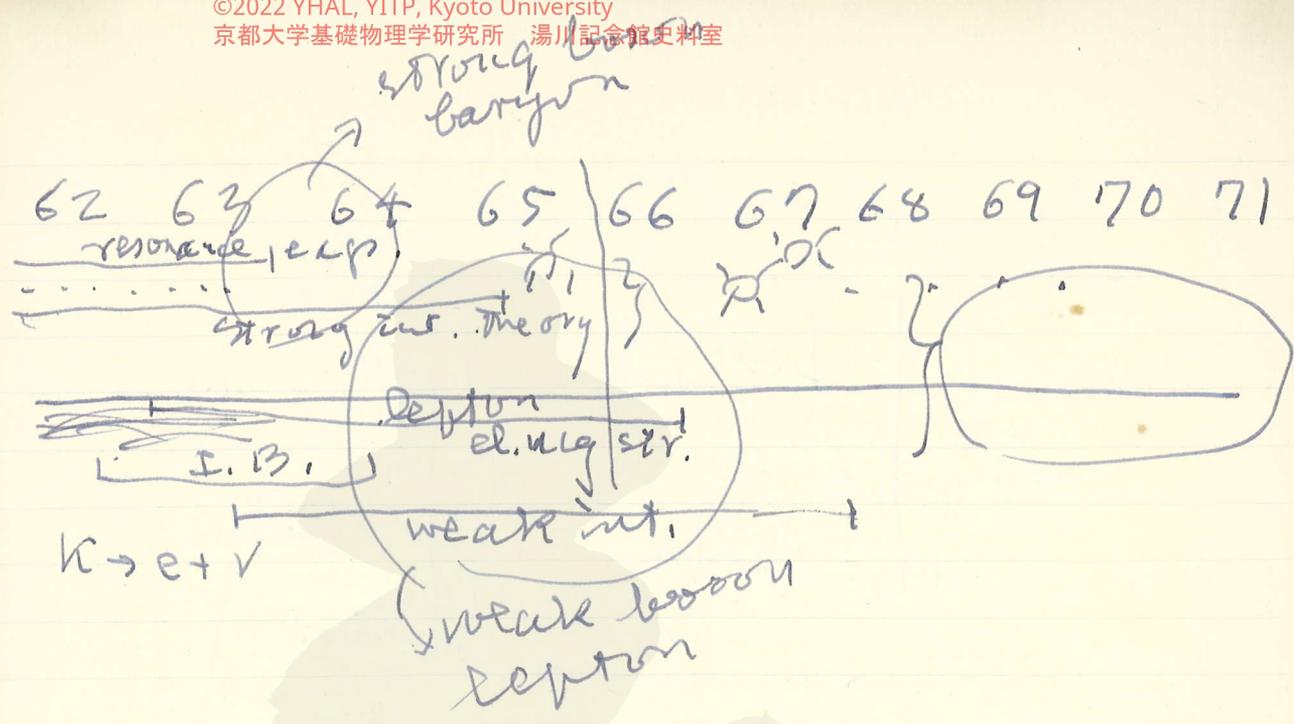
Magenta

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大概の：
 1962年頃までに $(e\nu)(e\bar{\nu})$

表の：
 neutrino beam (PS) 20 GeV < ν ...

凡そ：
 原子核理論の体系？

極端の：
 5年前の10年間の物理を
 理論の中の幾何学的な
 シンカ... (???)

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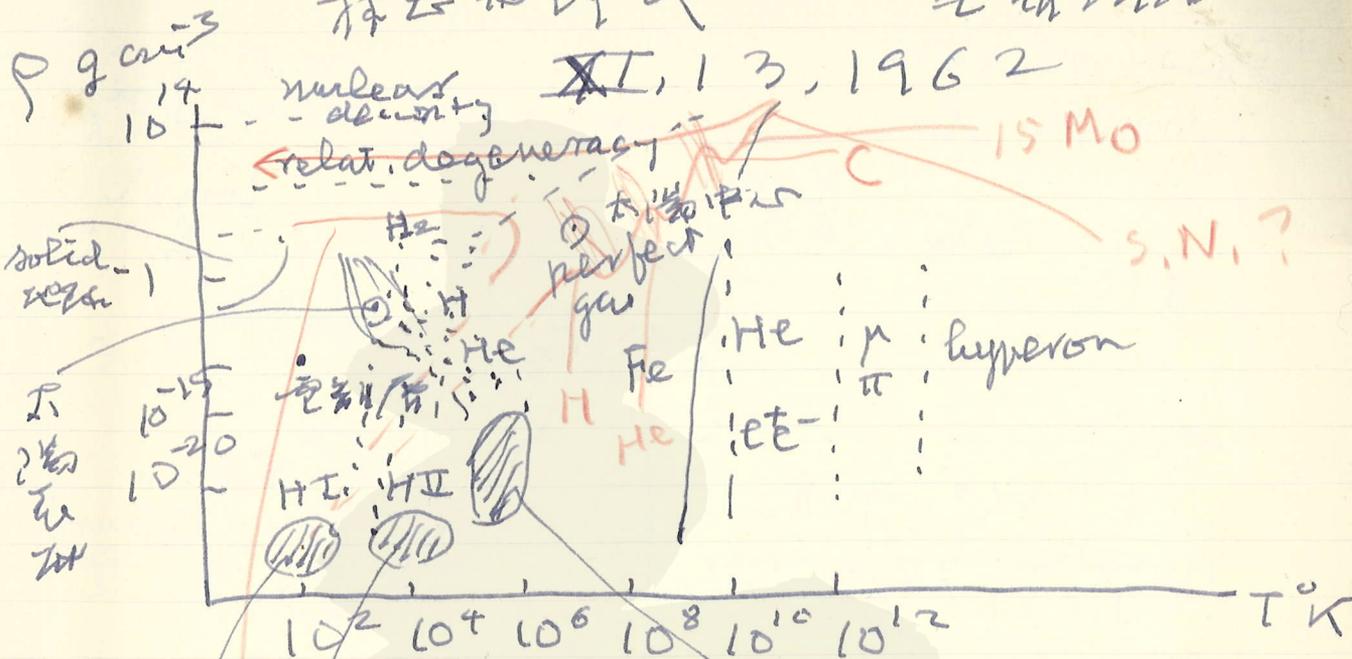
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星の進化と素粒子

核と中子

基礎流体力学



星の spiral arm

惑星の中心

1/20 Mo

Energy loss (γ, ν) } 重力 contraction
 } 核反応 - 組成の進化
 } mass loss
 } angular momentum

mixing convective region

mass 0.1, 4, 15 Mo } 星の進化の過程
 initial composition } 成分
 Pop I, X=0.61 Y=0.37 Z=0.02
 Pop II, X=0.90 Y=0.10 Z=0.001

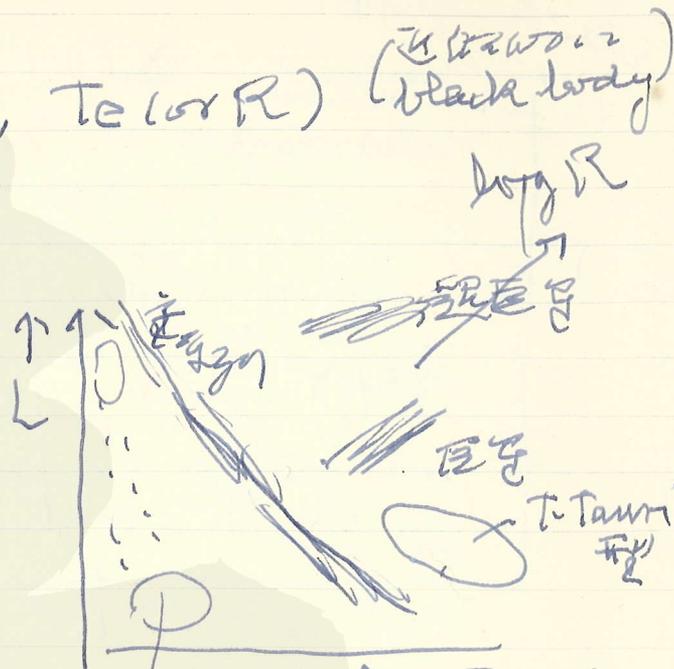
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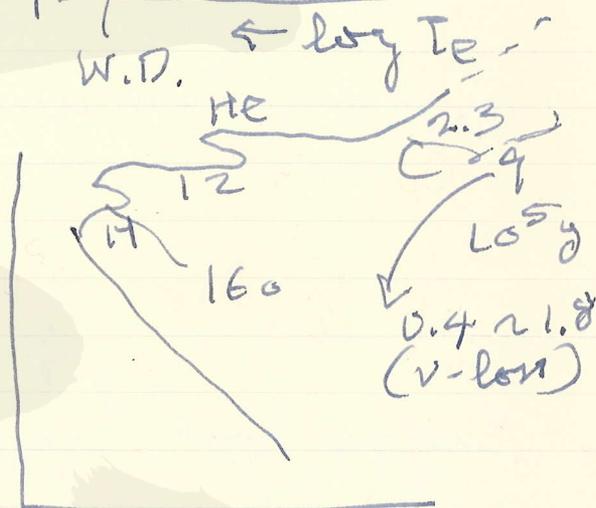
Observation
 single star L, Te (or R) (black body)

星団
 光の
 表面の組成

光の
 1.5×10^{10} y
 Hubble
 1.0×10^{10} y



K: 光の表面
 (光の組成)
 光の表面組成
 光の表面組成
 energy loss
 neutrino loss



$e^+ + \nu_e \rightarrow e^+ + \nu_e$
 $e^- + \nu_e \rightarrow e^- + \nu_e$
 $2\gamma \rightarrow e^+ + e^- \rightarrow \nu + \bar{\nu}$
 C-C-reaction \rightarrow ν -loss a 重要!!

$+ 10^5$ erg/g sec \rightarrow 光
 $+ 5 \times 10^5$ " " \rightarrow nuclear energy
 $- 4 \times 10^5$ " " \rightarrow ν

$G(\bar{\nu}\nu)(\nu\bar{\nu}e)$

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100の理論研究会

1963年 11月 28, 29, 30日

28日(日)

29日(月)

30日(火)

Plenary Session

Plenary Session

(I) 柳川

(II) 中野

小沢誠

#12 → 712 キウシ

12月4日 ~ 11日

(II)

1) 中野

5) 柳川

4) 中野

2) 湯川

3) 片山

3) 中野

4) 柳川

1) 小沢誠

2) 湯川

5) 片山

6) 柳川

2) 柳川

(問題: $s \rightarrow -i$)

2) 湯川

Rotator

Rotator model scheme (≠ Regge)

Regge pole model (≠ Regge)

Rotator model of π - π

π - π interaction Weak Interaction

中野理論, Non-leptonic Weak Int.

Weak interaction

Symmetry breaking 素粒子模型

Broken symmetry in π - π interaction

minimal coupling interaction

(Weak of)

Rotator model = Regge pole

Regge pole

higher spin indefinite metric

Weak int. of π - π

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Black

28th year:

中印: Rotator

$\rightarrow \uparrow \uparrow \uparrow - \rightarrow \uparrow \uparrow \uparrow \uparrow$ 融和降級

inhomogeneous lorentz transformation

$a \neq 1 \rightarrow$ unitary (if $a \neq 1$ mass is not zero)

29th year:

湯川 = Rotator Model $\alpha - \beta$

i) $J = I$

$\pi + \sigma + \Pi$

J, J_3, J_3

ii) $a_{\mu}^{\dagger} \dagger u_{\mu} \quad a_{\mu}^{\dagger} \propto p_{\mu}$

湯川: Weak interaction

W_{μ}

$T + S = 1/2$

$t + s = 1/2$

湯川: mass formulae

(i) $\delta \delta$ Rule

(ii) m

(iii) term

$\frac{1}{2} \alpha \beta \gamma$

$\eta \quad \omega \quad \Lambda$
 $1 \quad \sqrt{2} \quad 2$

$N \quad \Lambda \quad \Xi$
 $1 \quad \sqrt{2} \quad \sqrt{2}$

$m_{ps}^2(n_1, n_2) = m_{\eta}^2 (1 - A(n_1 + n_2)^2)$

$\eta(00)$

$\frac{4}{3}$

$K(01)$

$\frac{7}{6}$

$\pi(11)$

1

$A = \frac{1}{4}(1 - l^2)$

$l = \frac{1}{4}$

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宿題: Propagator
孝研 1962年12月号
 $\alpha^M, A^M_\alpha; A^M_4 = U^M$
 $\alpha^M(\tau), A^M_\alpha(\tau)$
 $\tau = f(x^4)$

29日号

梅垣: Session I の報告,
Axiomatic Formulation

asymptotic に free に \rightarrow τ を $\tau \rightarrow \infty$?
豊林・加藤

江沢

Strong
神谷 (佐々木):

Bound state

1) Regge pole

spin の energy と共に変わる。

2) 複素の composite ($Z=0$) は Regge の
 $Z \rightarrow \infty$... 従って elementary に近
ると photon の $Z \rightarrow \infty$ は spin の energy
と共に変わり変わらない。

中野: Session II の報告

内田

i) Gauge

ii) Regge pole

iii) Higher spin

iv) Indefinite metric

29th Nov

For: Rotator model is not a comment
 Interaction \rightarrow Nonlinear
 相互作用: 非線形

$$H = (\bar{\Psi} \gamma_\mu \Psi)^2 = (\bar{\Psi} \gamma_5 \gamma_\mu \Psi)^2$$

Pauli-Gürsey \rightarrow 高維表示
 frame at $t=0$ or $t=0$ in \mathbb{R}^4

小注: Lie algebra of $SO(3)$ is
 in \mathbb{R}^3 , $SO(3)$ is a matrix algebra
 or in \mathbb{R}^3 is a linear space of
 a 3 element X, Y

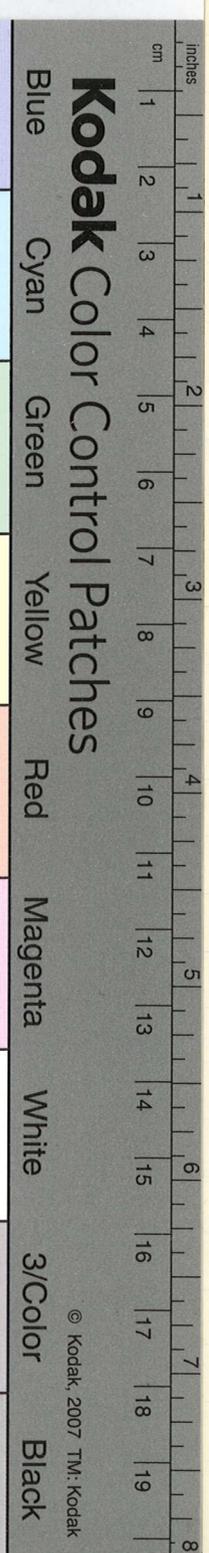
$$[X, Y] \in \mathfrak{so}(3)$$

(i) $[\mathfrak{so}(3), \mathfrak{so}(3)] = \mathfrak{so}(3) \rightarrow$ semi simple Lie algebra $SU(2)$

(ii) $[\mathfrak{so}(3), \mathfrak{so}(3)] = \mathfrak{so}(3) \subset \mathfrak{so}(3)$

$[\mathfrak{so}(3), \mathfrak{so}(3)] = 0$ or $\mathfrak{so}(3) \rightarrow U(3) \rightarrow SO(3) \times SO(3)$
 solvable

semi simple	}	A_n	$SL(n+1) \rightarrow SU(n+1)$
		B_n	$O(2n+1)$
		C_n	$Sp(n)$
		$D_n(n \geq 3)$	$O(2n) \rightarrow SO(2n)$
		E_6, F_4, G_2	G_2



表現の base

$N \times 3$

ψ

同様に $\bar{3}$ の $\bar{\psi}$ (linear operator)

$H_i \quad i=1, \dots, r$

$r: \text{rank}$

E_α

$l-r$

$l: \text{highest weight}$

$$H_i \psi = \lambda_i \psi$$

$$\Lambda = (\lambda_1, \dots, \lambda_r) : \text{weight}$$

$$SU_3(3) \rightarrow \text{rank } 2$$

isospin, strangeness

$$U(3) \Rightarrow I + SU(3)$$

$2 \rightarrow 3$

baryon number

rank 2: $A_2, B_2 = C_2, G_2$

rank 3: $B_3 = O(7)$

$C_3 = Sp(3)$

$A_3 = SL(4) = D_3$

(i.e.: $A_i = B_i = C_i = D_i$)

$B\bar{B}, LL$

$D_A^4, D_A^6, D_B^8, D_C^6$

$\downarrow \Delta_{pp}$
 $\downarrow \bar{\Delta}_{pp}$
 $\downarrow \Delta_{pp}$

$SU(4)$

$O(7)$

lepton
 $\downarrow Sp(3)$

表現の base
 \rightarrow 表現空間の次元

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Green

Yellow

Red

Magenta

White

3/Color

Black

SU(4)
 Sp(3)

	I	S	B
\wedge	0	-1	± 1
N	$\frac{1}{2}$	0	± 1

D^{15}
 D^{20} 25元
 D^{15}

$K\bar{K}$	$\frac{1}{2}$	± 1	0
π	1	0	0
π_0, π_0'	0	0	0
$(\bar{N}N)$	$\frac{1}{2}$	-1	± 2
$(\bar{N}N)$	0	0	± 2

D^{20}

$K\bar{K}$	$\frac{1}{2}$	± 1	0
π	1	0	0
π_0, π_0'	0	0	0
$\bar{N}N$	1	0	± 2
$\bar{N}N$	$\frac{1}{2}$	-1	± 2
$\bar{N}N$	0	-2	± 2

3元 $\bar{2} \equiv \sqrt{2} \bar{2} \rightarrow \dots$

O(7): 35次元

Comment
 対称性は flexible
 1次元



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Yellow

Red

Magenta

White

3/Color

Black

主題: Broken Symmetry と 3. CV 内部空間

I. kinematics { (線形空間) } 空間

dynamics

Minkowski 空間 $P_\mu, M_{\mu\nu}$
 荷電空間 I_C

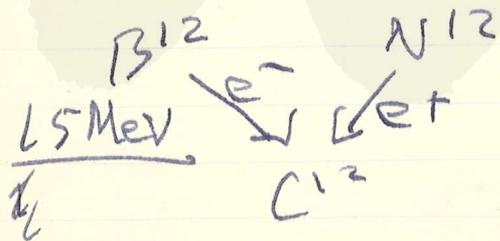
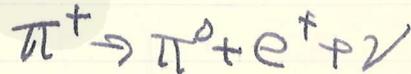
broken symmetry
 $[I_C, H] \neq 0$

空間 { holonomy (平直) \Leftrightarrow 曲率, ∇_μ holonomy (非平直)

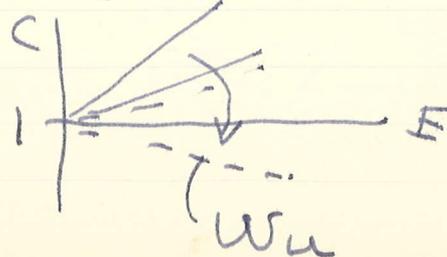
II. 荷電 ~~空間~~ 荷電空間, 複素空間 complex 空間.

III. Broken symmetry
 parity の 崩壊.

変換: β -ray の 崩壊, R_{A1} CVC



$C = (1 \pm aE) \leftarrow e^+ \bar{\nu}$



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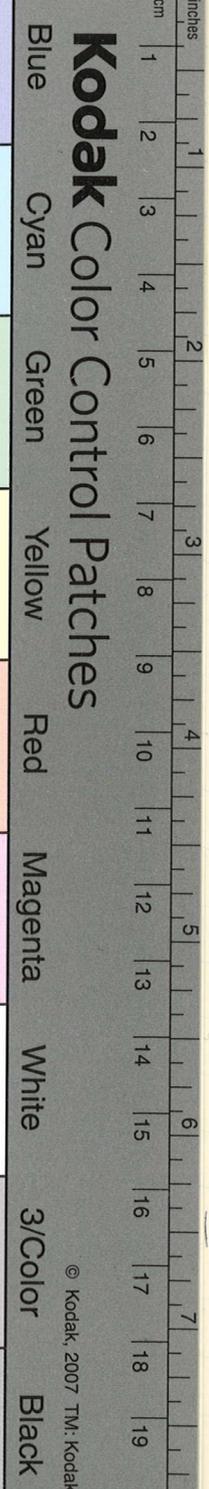
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P_{μ}^{148} : 系研究の宝鑑
 Langer effect: G.T.
 $C = 1 + \frac{b}{E} e^{\pm}$

Spin $\frac{3}{2}$ neutrino X
 Fermi X
 intermediate boson X
 V-A + P X
 2nd forbidden α effect X
 neutrino is massless の多量のまじり X
 $N \rightarrow p + e^{-} + \bar{\nu} + \nu + \nu$ のまじり X
 $N \rightarrow p + e^{-} + \bar{\nu} + \text{Bose neutrino}$ X?
 or K.U.

Wu is right.
 正しくは右の shake off electron

中核: Symmetry - Weak Int.
 $R_3 \times R_3 \times R_3$
 $\tau \quad \quad \quad \kappa$
 $\Xi + p \quad \quad \quad \Lambda + \Lambda$



30日 午時

近本: Session I の報告.

Bound state (elementary & composite)

梅田

Edge behavior in conventional field theory

かきまき

藤田

田中

Resonance multiphased

藤井

Particle mixture \rightarrow asymptotic

condition

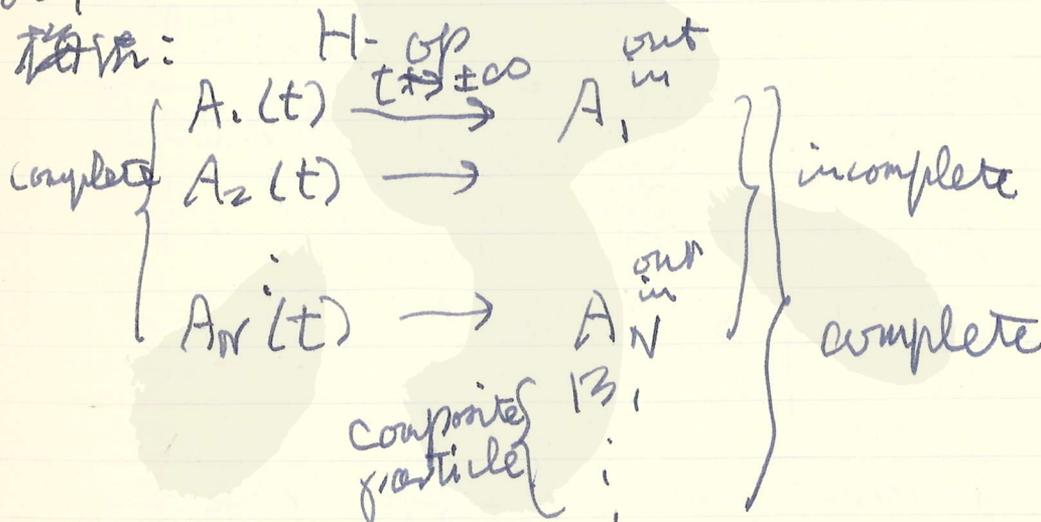
丸山

Proper time formulation

江坂

坂田

梅田:



$|A_i\rangle$

$|p_n\rangle$

composite particle

B_1
 B_2
 \vdots

$|B_i\rangle\rangle$

$|p_n\rangle\rangle$

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$$\langle l | P_m ; \begin{matrix} in \\ out \end{matrix} \rangle = \delta_{lk} - \lim_{\epsilon \rightarrow 0} \frac{T(\omega_l | \omega_k i \epsilon)}{\omega_l - \omega_k \pm i \epsilon}$$

$$\langle B_i | P_m \rangle = 0$$

$$\langle B_i | A_j \rangle = 0$$

b. s. v. c. p. u. for L' is going?
 Unstable composite particle?

just: Regge behavior ← c. f. t.

2 types Green fields



$$[D_1 D_2 + K_{12}] \Phi = 1$$

$$[D_1 D_2 + K_{12}] \Psi = \lambda \Psi$$

$$G = \sum \frac{\sum_n \Psi_n^{A_1 A_2} \Phi_n^{*}}{\lambda_n(E, l)}$$

$$S = \sum_l (2l+1) P_l(\cos \theta) \sum_n \frac{|\Phi_n(E, l)|^2}{\lambda_n(E, l)}$$

$$\Phi_n = \lim_{\text{mass shell}} D_1 D_2 \chi_n^l$$

$$\lambda_n(E, l) = 0 \quad \text{b. s.}$$

analyticity of χ_n^l in l ?

W.P. 2:

field theory is Regge behavior
 of χ_n^l in l is $\chi_n^l \sim \sqrt{-l} \rightarrow$
 the.

Pomeranchuk line? →

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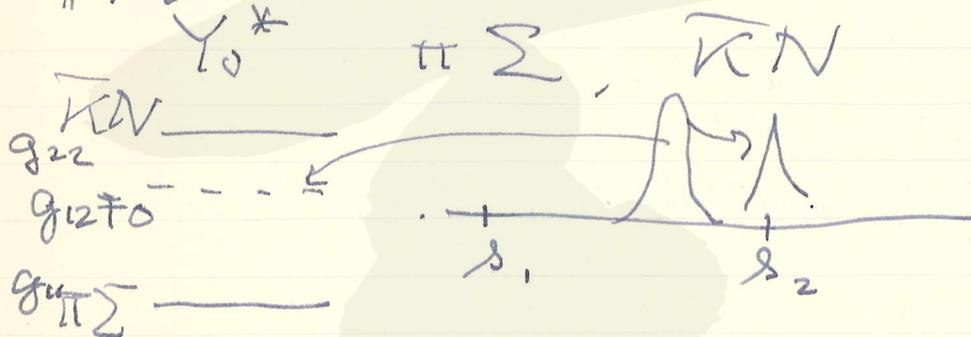
$$\gamma \quad S(s, t) \xrightarrow{s \rightarrow \infty} \sum_{\alpha} g_{\alpha}(t) s^{\omega(\alpha)} (\log \frac{s}{\Lambda})^{n(\alpha, t)}$$

※ 1 行 和 互斥 (A)

$$\text{Regge: } s^{\alpha(t)} = e^{\alpha \log s} = \sum_{n=0}^{\infty} \frac{1}{n!} \alpha^n(t) (\log s)^n$$

x Regge behavior is ※ 1 行 和 互斥 (A)
 の 行 和 互斥 (A) の 行 和 互斥 (A)
 ※ Regge pole is ※ 1 行 和 互斥 (A)

特点: multichannel \rightarrow resonance



特点: Particle mixture



$$\psi_A \rightarrow \psi_A^a \quad x \leftarrow \text{particle mixture}$$

$$\psi_i = \sum_j a_{ji} \psi_j^r$$

unstable particle?

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1. 報告

{ b. s. の意味
 b. s. (c.p.) の approach
 unstable composite

{ c. f. t. → Regge behavior?
 pomeron-like line?

axiomatic approach

1) weak limit?

2) axioms の相互関係

3) axioms と field theory の関係?

4) 場の理論 (場) の非局所的な axiomatic

(formulation) (non-locality)

S-matrix

4/21: Session II の報告

4/22: 報告

場の理論

$$\mathbb{C} \rightarrow a > 0$$

$$\Lambda \rightarrow p \quad a < 0$$

$$\Sigma^+ \rightarrow p \quad a > 0$$

$$\Sigma^+ \rightarrow n \quad a = 0$$

$\tau + \gamma_5 \xi$
 derivative coupling

$$f_s = f_T$$

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30 v q/v
 \mathcal{L} : plasma oscillation \rightarrow imaginary frequency
el. pos. bound state
$$\delta \mathcal{L}_\mu = G (\delta_{\mu\nu} - \frac{q_\mu q_\nu}{k^2}) A_\nu$$

gauge invariant

$\mathcal{L} \mathcal{A}$: conjecture
 π, K : Regge \rightarrow weak is non-local

$\mathcal{A} \mathcal{L}$: $\mathcal{L} \mathcal{A}$
 \hookrightarrow Hamiltonian formalism
 \hookrightarrow S-matrix theory $\left\{ \begin{array}{l} \text{Regge} \\ \text{Dispersion} \\ \text{Mandelstam} \end{array} \right.$

Off-shell unitarity condition is
Schrödinger & equivalent?

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Takahashi

湯川記念館

Feb. 1, 1963

Heitler
 Arnous
 O'Riartaigh
 Takahashi

1953 non-local interaction
 Pais-Uhlenbeck
 Lorentz invariance → ~~破~~

1959 non-local interaction
 $\delta \ln Z(p) = \delta \ln Z(0) + \frac{p^2}{m^2} - \frac{3m}{2\pi \cdot 137} \frac{p^2}{m^2}$

+ ...

Arnous

$$i \frac{\delta}{\delta \psi} \Psi(\mathbb{C}) = H(\mathbb{C}) \Psi(\mathbb{C})$$

Relativistic Invariance

$$H(\mathbb{C}) = \int_{-\infty}^{\infty} d^4x \mathcal{L}(x) \delta(x_0 + \mathbb{C})$$

$$n \rightarrow (0, 0, 0, 1) \rightarrow \int d^3x \mathcal{L}(x)$$

S-matrix of rel. inv. in 1959 in

form factor $\pi \tau \otimes \tau \tau'$?

Heitler: form factor

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$$f(k', k'', k''') = \frac{\lambda^4}{\lambda^4 + (k'k'')^2 - (k'k')(k''k''')}$$

$$\langle H_0 + H' \rangle = E_p + \delta E_p$$

$$= \sqrt{p^2 + (m + \delta m)^2}$$

$$\delta m_{e^2} = \frac{3\kappa}{2\pi \cdot 137} \left[\log\left(\frac{3\kappa}{m}\right) - \frac{1}{6} - \frac{3}{2} \frac{p^2}{m^2} + \dots \right]$$

$$m^2 \kappa^2 = \lambda^4$$

$$\delta m_{e^2} = \delta m(0) \left[1 + \frac{1}{2} \frac{p^2}{m^2} \right]$$

$\kappa = \text{mucleon mass}$

$$\delta m(p) \xrightarrow{p \rightarrow 0} 0$$

$$\delta m(0) \neq 0$$

~~Bell: $\frac{1}{2} \delta m$~~

O'Raifeartaigh: Gauge Invariance

1962: J.S. Bell; N.C. 24(1962), 554

$$(\delta m + m)^2 = \frac{E^2}{c^2} - \frac{p^2}{c^2}$$

$$\delta m + m = m(0) - b \frac{p^2}{2m(0)c^2} + \dots$$

理論: $b = 0.001$

実験: $b = 0 \pm 0.0001$

or $b = 0.0002 \pm 0.0002$

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物名: 神経のモデル

豊研談話会

Feb. 5, 1963

Galvani

電荷の移動

Hodgkin-Huxley

wet model

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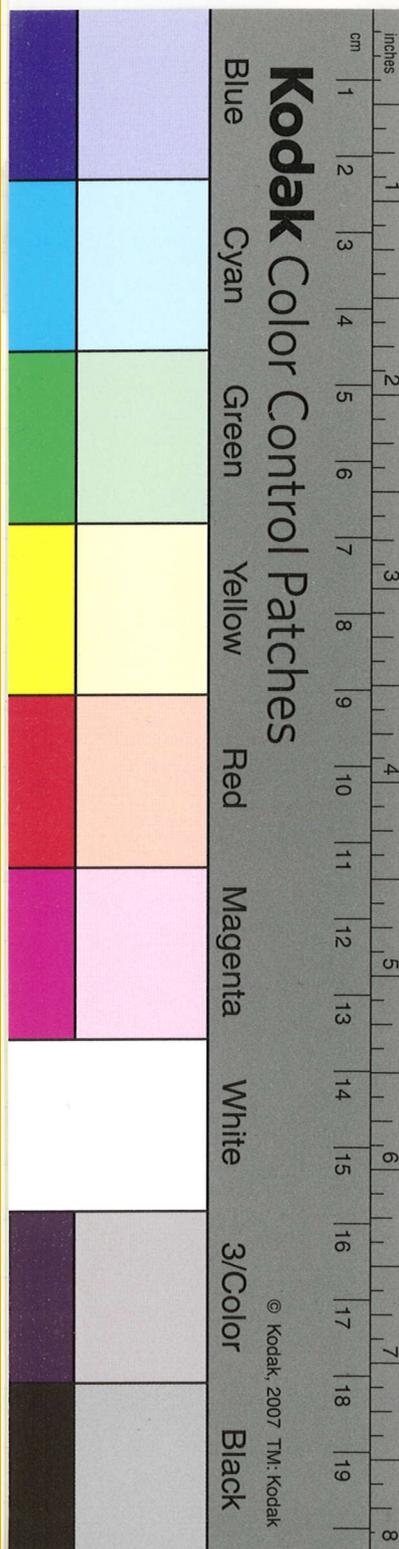
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H. I. Schlegel
Informal Talk

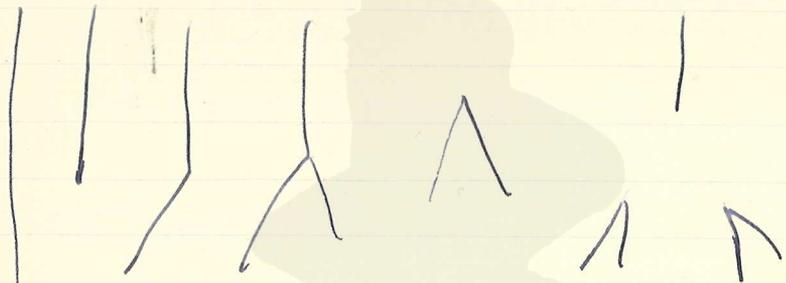
湯川 37

Feb. 8, 1963

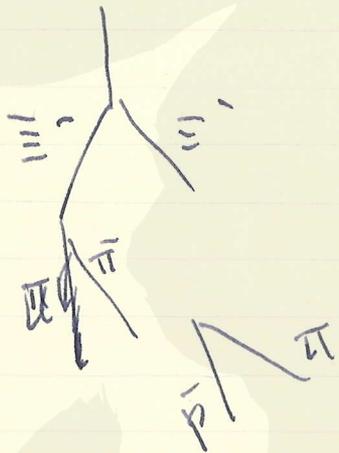
Variational Method in Q.F.T.



② 高能物理研究会 2/1/22/1963
 三浦: high energy physics is going to data base

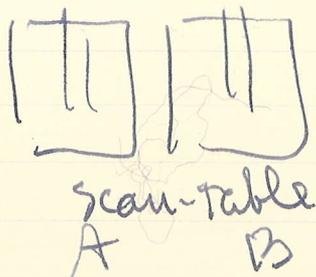


pulse 3 sec = 1 回 (CERN)
 24 hr → 30,000 枚
 100 hr → 300 万枚



Brookhaven 2.4 sec = 1 回.

高能物理:



1 分 = 1 枚, (1 event)
 → 2 ~ 3 分

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Yellow

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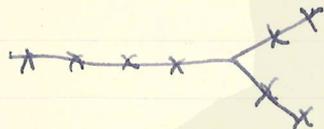
White

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Black

{ Frankenstein
 IEF

Trackの記録を流してゆく



Teletype or tapeに
 記録!

1 event 2 10分

1日に2 15分位かかる

Computer:

曲線 \rightarrow \pm charge, momentum

θ, ϕ, x, y

どの hypothesis or most probable to
 computerで決める。

CERN 709) 数物
 米 7094

Berkeley の program

\rightarrow CLOUD

\rightarrow kinematic

CERN の program

REAP \rightarrow THRESH \rightarrow GRIND \rightarrow COOK

statistics

FALR
 EXAM, SOMX

geometry
 MIST \rightarrow FOG
 FRANG

Alvarez:

SMP

background ~~の~~ 処理

track 処理

3分以内

処理系. 490

Kodak Color Control Patches

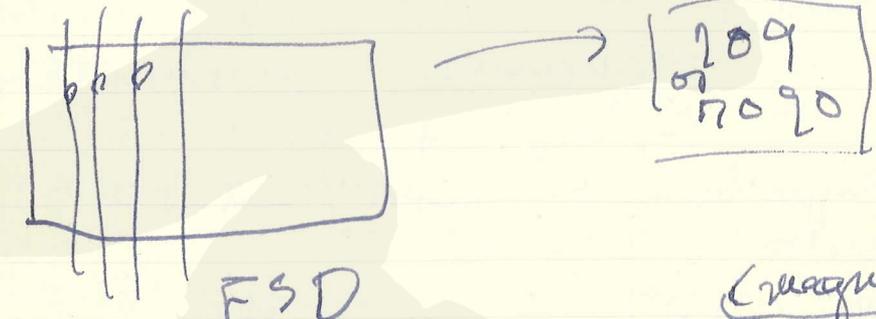
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① ② differential or integral
 ① ② integral or differential

① ② ③
 DD FSD (flying spot device)
 Hough, Powell HPD

光の spot を走らす. (20μ の sharpness)
 bubble の径は ~ 20μ



FSD
 8 cm の film 2 sec 2 sec
 road HAZE ~ 15 sec
 computer (magnetic tape)

with interval gating (1 sec 1 sec)
 error: ± 1 μ (film ± 2")
 ~ 25. (1 sec 2")

FSD { CERN
 MNL
 Mark } → Rubino vitch
 (Illinois)

Kodak Color Control Patches

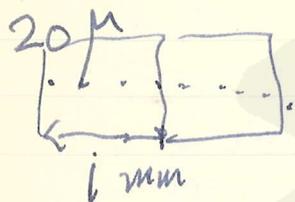
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Rabinovitz, Pasta, Marr

FSD-PMR

最初の3巻を機械的で、それからは
 75mmテープ。



1mm x 1mm の矩形、と magnetic
 tape 12 LFS

60mm x 60mm → 3600 cell

30 sec

PEPR (precision recorder
 pattern recognition) (MIT, Pers)

① flying line scanning



20 ~ 30 sec

event:	Frank	>	15分	106 event	scan	proj
FSD-EXT.GAT	~	2分	24人	8人	8台	8台
PM5MP	~	3分	24人	8人	8台	8台
FSD-PMR	~	1/2分	0	0	0	0
PEPR	~	1/2分	0	0	0	0

106 event
 80人 30台
 4人
 0
 4
 4

Kodak Color Control Patches

Red

Magenta

White

3/Color

Black

PEP R
 FSD

(計算機 = 外)
 40万ドル } 1960 →
 CERN ~ 10 億円 } 1960 →
 Brook. 22
 BNL 30

(Franz R.
 IEP

IBM 209
 2090
 2094

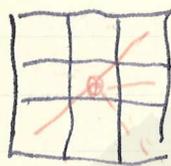
12 μ sec
 2 μ sec
 4/3 μ sec

300 GeV

今後:

坂井: 機械による読字.
 計算機による読字の導入. → 忠告.
 忠告の二つの case
 指数
 読字

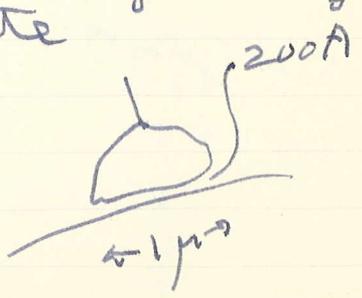
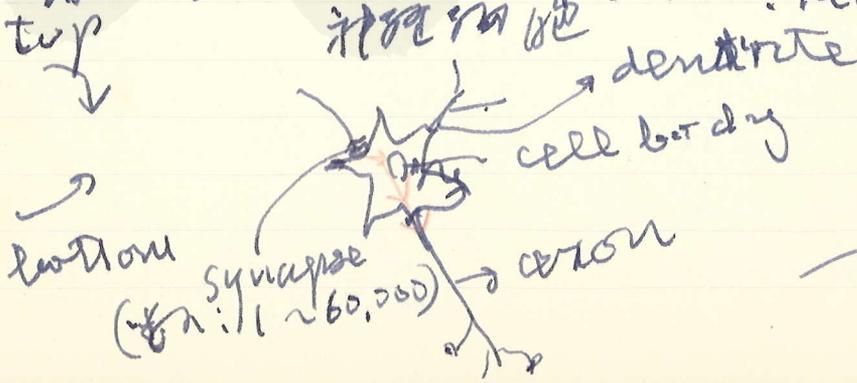
invariant parameter



abcd → a b c d

最小 cell 3x3
 骨組をひきだし、4x4方
 式 → 細くする。
 可逆性 (順序列に注意)

課題: 生物による pattern recognition
 神経細胞

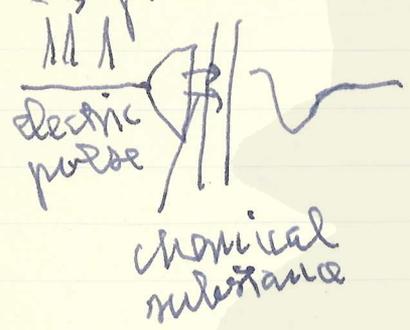


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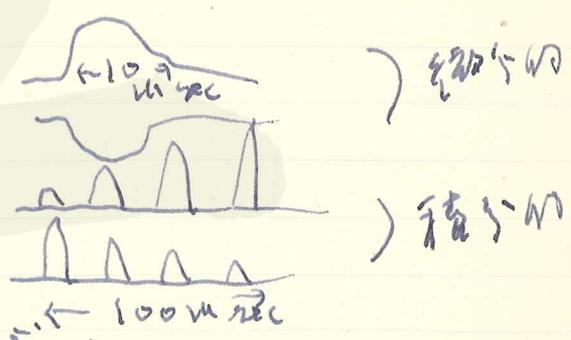
Blue
 Cyan
 Green
 Yellow
 Red
 Magenta
 White
 3/Color
 Black

ii) soma-dendrite

1) no threshold, graded
 → passive (damping)
 post syn. pot



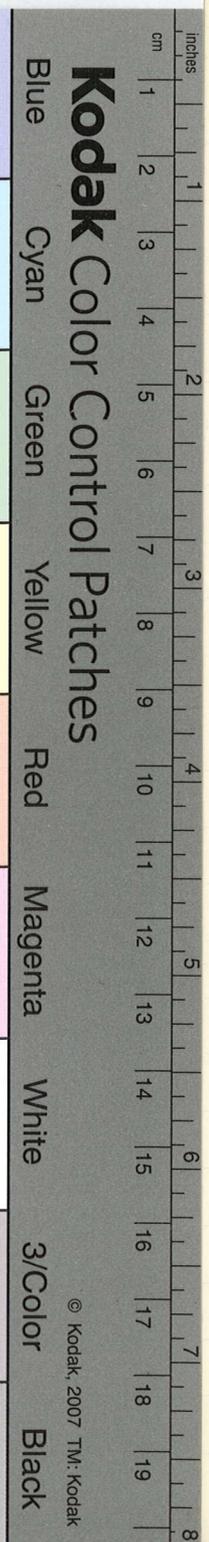
2) excitatory
 Inhibitory
 Incremental
 Decremental



3) space summation
 time summation

pure matter
 15 msec の 神経細胞

(i) information の 符号化 : analogy
 (ii) switch (logical)



(ii) many grid values

memory 1.4×10^{10} cells

- (i) synapse の 透過性の change
- (ii) synapse 間の interaction による 透過性の change (神経伝達)
- (iii) Formation of new synapses
神経細胞は成長していき、
新しい connection ができると、
接続は分岐が少くなり、下層細胞の数が減る。

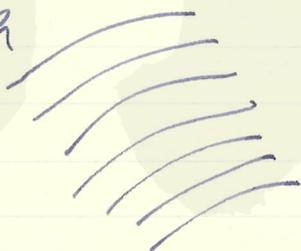


delicacy?

(iv) 電位伝導の長さ、突触の大きさ、
神経細胞の base の pattern として蓄えらる。
(RNA 分子?)

神経系

大脳皮質



2017年10月19日

統計的に見ると statistical
生成、進化して行く。

Kodak Color Control Patches

Blue

Cyan

Green

Yellow

Red

Magenta

White

3/Color

Black

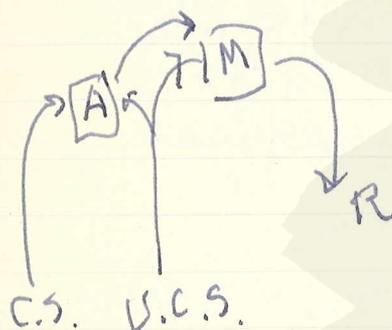
© Kodak, 2007 TM, Kodak

Conditioned Reflex
 black to look

動物は言葉の理解

- i) 先答 (先反射)
- 条件反射
- 抽出

外音から意味を知ること



- ii) 第二級反射
- 第二級条件

- iii) 習性

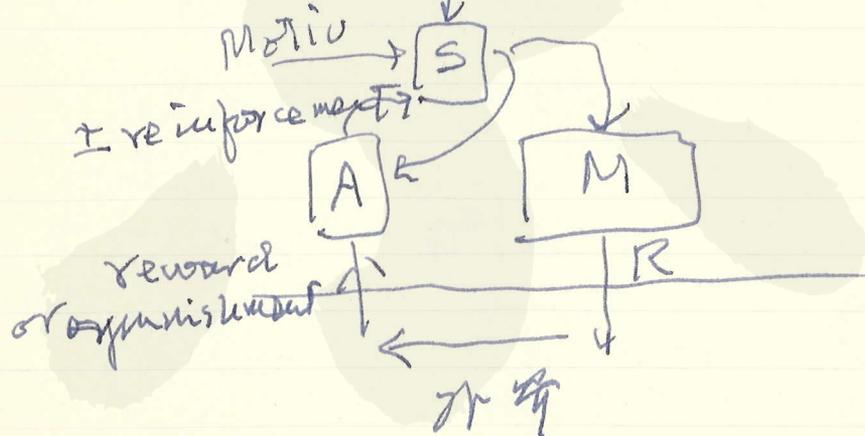
習性
 条件反射
 延滞 → 条件反射
 分化 習性
 汎化

Operant Conditioning

行動を強化して行動を促す。 - 学習の
 方法: 言葉

Trial and Error

試行錯誤 - 環境 L での行動を促す
 environment situation



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Blue Cyan Green Yellow Red Magenta White 3/Color Black

工作機: Kappa PAPA Machine
 Automatic Programmer
 Probability Analyser
 A. Grama, Genova

Maximum likelihood test

E_i object class
 F_j

P_{ij}

Assumption: $F_j \rightarrow E_i = 1 \text{ or } 0$

Φ_j object or $F_j = \alpha_i + \beta_i \Phi_j$

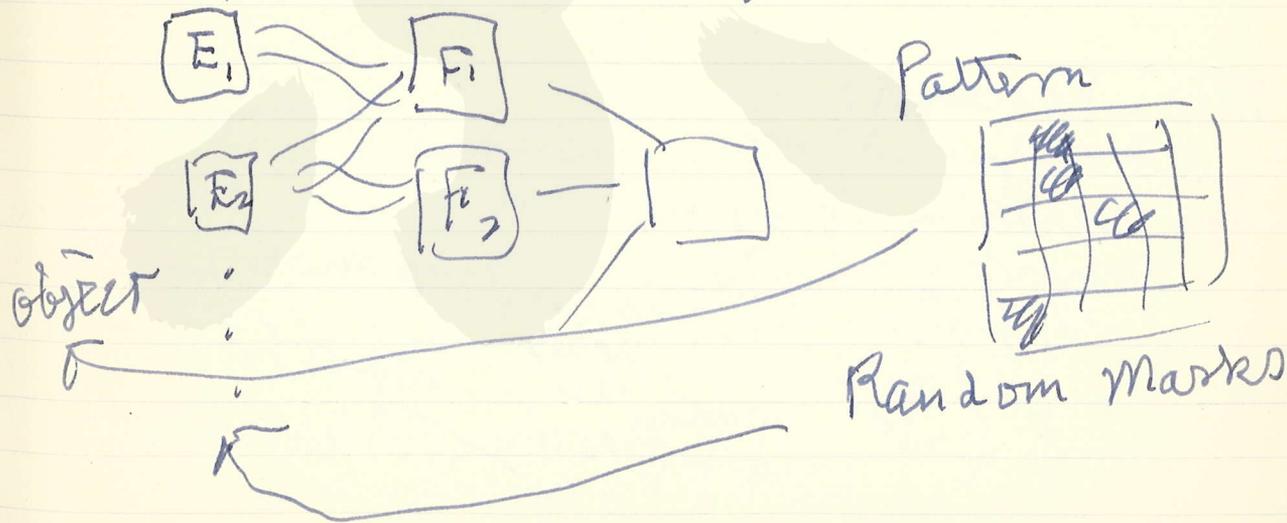
$$V = \{E_i = 1\} \text{ character}$$

$$\Pr(F_j, V) = \Pr(V) \Pr(F_j/V)$$

$$= \Phi_j \Pr(V/F_j)$$

$$\Pr(F_j)$$

Bayes net



Kodak Color Control Patches

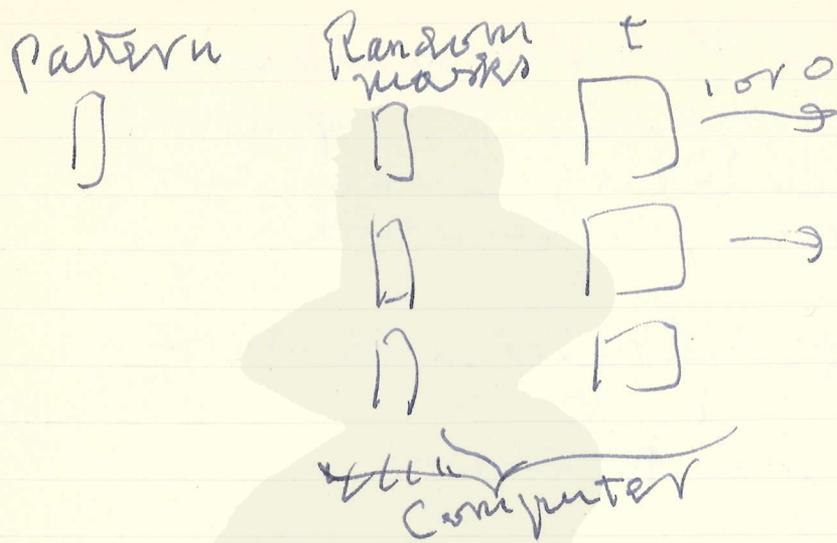
Red

Magenta

White

3/Color

Black

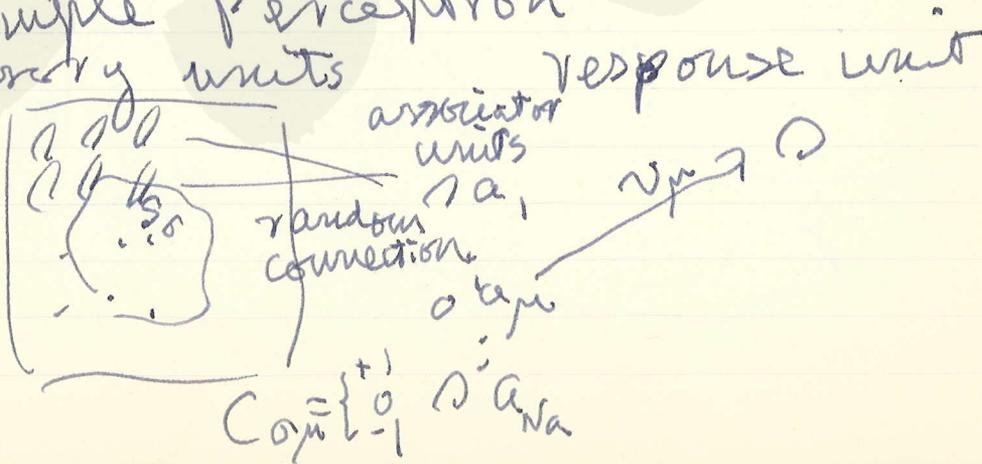


all purpose
 mark of orthogonal set
 $N = n^2 \rightarrow 1$ (8 sets of 10 is orthogonal)
 20%

new PABA
 optimization
 Pascal's line

Multi Perceptron

function of model
 Simple Perceptron
 sensory units



Kodak Color Control Patches

Blue

Cyan

Green

Yellow

Red

Magenta

White

3/Color

Black

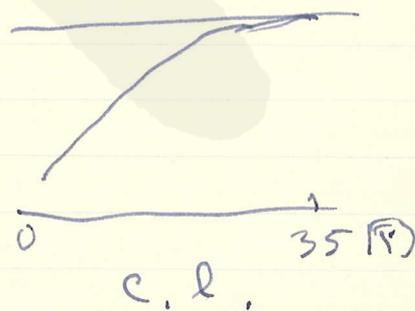
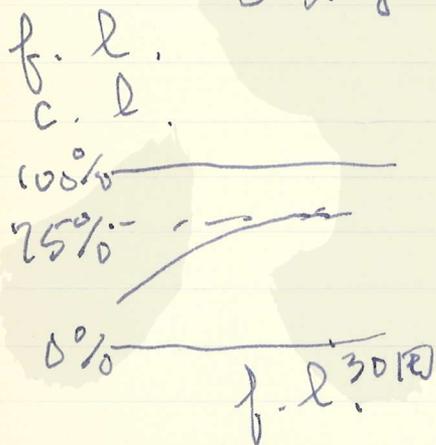
$$\sum_a C_{0\mu} \geq 0 \quad a \neq 0 \quad v_\mu a \rightarrow \text{signal}$$

$$\sum v_\mu > 0 \rightarrow +1 \quad \text{response} > 0$$

$$\sum v_\mu < 0 \rightarrow -1$$

mark 1 s.u. 20×20 }
 $N_a = 512$
 response: 8

2. Learning by error correction
 $v \rightarrow v + \eta \delta_i$
3. Forced learning
4. Generalization
5. Psychological Test
 8文字



5.4L 2.3L (noisy)
 trainer error 30%

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Blue

Cyan

Green

Yellow

Red

Magenta

White

3/Color

Black

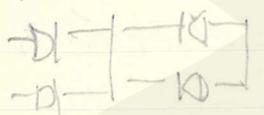
II. 4-layer perceptron
 S - A^E - A^I - R



211 230

4層

後藤 隆雄: Pattern recognition of 漢字
 認識回路



and, or

diode df

$$\frac{2^M}{n} \geq d \geq \frac{2^M}{n}$$



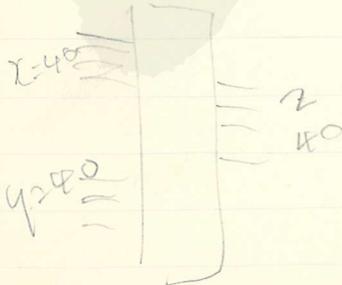
$$\sqrt{2^M} \geq M \geq \sqrt{2^M}$$

16



256 の認識回路

$$2^{256}$$



G80

$$\frac{2^{80}}{80} \text{ 個 diode}$$

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Blue Cyan Green Yellow Red Magenta White 3/Color Black

Computer speed

計算機. 500

$$e = \sum_{n=0}^{\infty} \frac{1}{n!} = 1 + \left(\frac{1}{500} + 1\right) \frac{1}{499} + \left(\frac{1}{498} + 1 + \dots\right)$$

AU $n \times m: 5 \mu\text{u AU}$

$n \div m: 5 \mu\text{u AU}$

計算機 7,500,000 AU

HSC: 10^6 AU/sec

7.5 sec

MAN: 10 AU/sec

200 hr

計算機の深さ. x, y の深さ
 計算機の深さ: Logical Depth の深さ
 計算機の深さ

Monte Carlo 法: 乱数

$(x_i, y_i) \quad N$

$$x_i^2 + y_i^2 \leq 1 \quad n$$

$E\left(\frac{n}{N}\right) = \frac{\pi}{4}$ 乱数 logical depth
 $10^6 \pi \rightarrow 3.14 \times 10^6 \text{ AU} \rightarrow 300$

HSC 300 sec

MAN 9000 hr

1000人の計算機
 人の計算機 30 sec

10¹⁰ neuron

1 neuron = 1 transistor

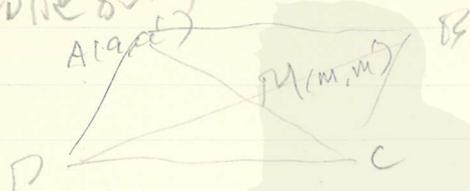
10^3 TU/sec 10^6 TU/sec

Brain 10^{13} TU/sec ; HSC $10^5 \times 10^6 = 10^{11} \text{ TU/sec}$

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parallel in 'computer' → pattern recog.
 並列処理 → パターン認識



三角形の辺 → pattern recognition

人体: 脳神経
 計算機:

$$5C_3 = 10$$

$$10C_2 = 45$$

$$45 \times 6 = 270$$

$$400,000 \text{ AU} \rightarrow 0.4 \text{ sec}$$

脳神経 → pattern recognition

大概: Computer: 5つの曲

1. 各々の間 (a) の距離を測る (手)
2. 作る 距離 → 乱数

3. 反復

- ① 平均値を出す ② 偏差 ③ Max, Min
- ④ 乱数

一列の乱数
 距離を測る = 2次元の乱数で距離を測る

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Blue Cyan Green Yellow Red Magenta White 3/Color Black

孫科 Magnetic monopole
MIT.
Dirac 1931. (148)

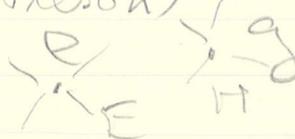
$$\pm ne, \quad \pm ng$$

$$\frac{eg}{\hbar c} = \frac{1}{2}$$

$$g = \frac{137}{2} e$$

Wilson (Wilson)

$$\frac{eg}{c} = \frac{\hbar}{2}$$



$$M_0 = \left(\frac{g^2}{e^2} \right) m = 2.4 \text{ BeV}$$

1958

6 BeV

Berkeley

1961-62

30 BeV

BNL

CERN

$$\sigma \leq 10^{-40} \text{ cm}^2$$

Cosmic ray

1951

Malheur

$$< 10^{-10} \text{ monopoles/cm}^2 \cdot \text{sec}$$

1963

MIT

$$< 10^{-13} \text{ monopoles/cm}^2 \cdot \text{sec}$$

Kolm, Ford

Fe₃O₄ (magnetite)
磁石

Kodak Color Control Patches

Red

Magenta

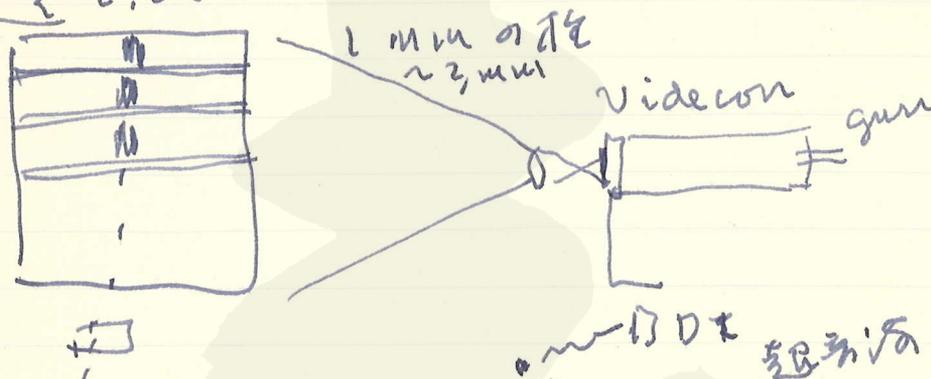
White

3/Color

Black

© Kodak, 2007 TM: Kodak

台紙:
 梶川: 放射線の自動記録装置
 菅野の論文.



- ① 直方図に現れる...
- ② 再現して同じように...

大概: 2次元 pattern の noise の除去

西尾 (京大工. 放射線): ...

母集団の平均値 standard figures

柴田: 核研究 (PI) - a data process

10 NS-1:

2048 words

200 M

1 process: 2~3分

菅野: 核研究 counter 記録装置 data

processing

研究センター

DEAR (CERN)

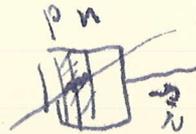
Berkeley $\pi^+ + p \rightarrow \pi^+ + \pi^- + n$

林: Proton synchronization a counter circuit

System

① solid detector

Si



...

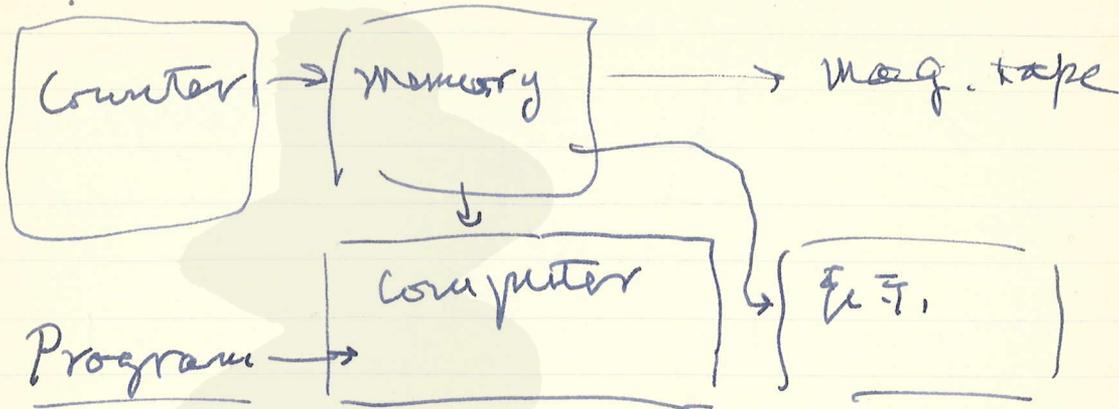
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1000 個 (数)

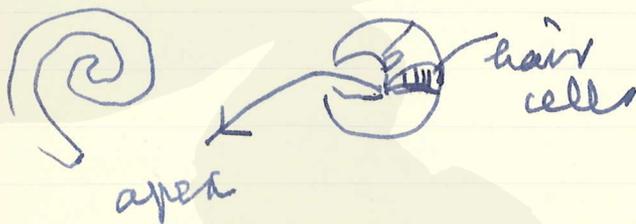
(2)



細胞: 聴覚

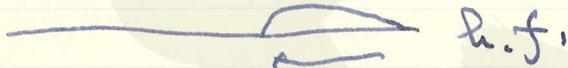
処理細胞: 2~3万

(振幅 100万)

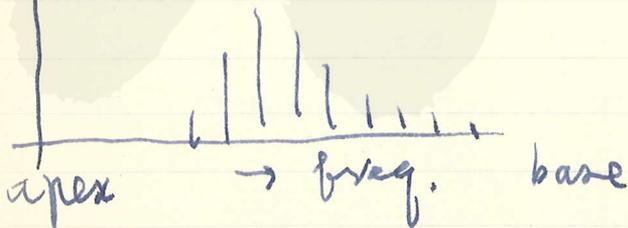


torsion
→ 歪み変化

膜

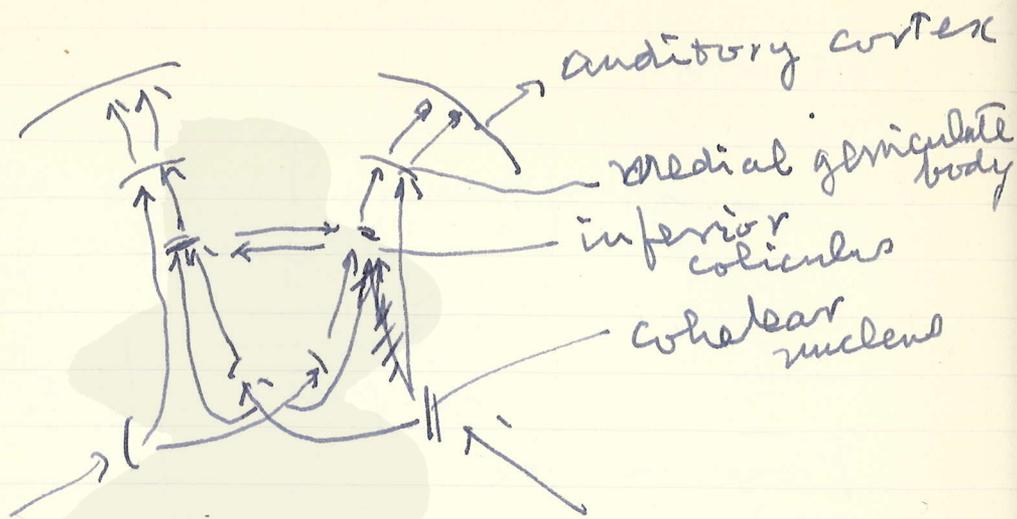


d.r.



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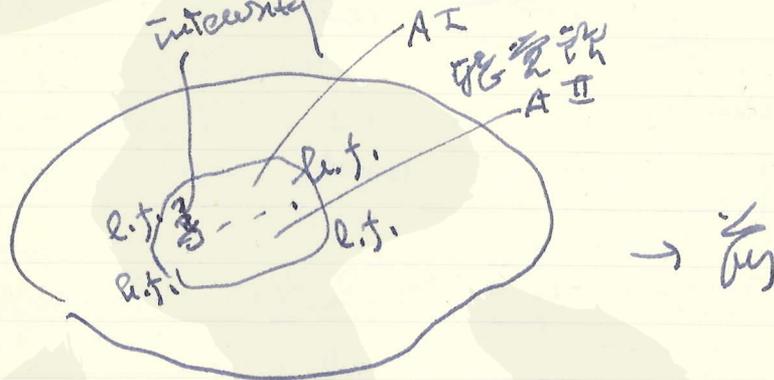
Blue
Cyan
Green
Yellow
Red
Magenta
White
3/Color
Black



visible speech

contrast effect

click > onset > continuous tone



inches
 cm
 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 8
 Blue
Kodak Color Control Patches
 Cyan
 Green
 Yellow
 Red
 Magenta
 White
 3/Color
 Black
 © Kodak, 2007 TM: Kodak

京大 湯川

湯川記念館史料室

MIT の 1/2 の 1/2

Feb. 26, 1963

Gell-Mann: γ の 1/2 の 1/2 (Regge pole)

Ang. Mom.

Amplitude
($s \rightarrow \infty$)

Regge pole

$$\frac{\beta(t)}{J - \alpha(t)}$$

$$b(t) s^{\alpha(t)}$$

cut

$$\int_{\alpha_1(t)}^{\alpha_2(t)} \frac{\beta(\sigma, t)}{J - \sigma} d\sigma \approx \frac{s^{\alpha_2(t)}}{\ln s}$$

fixed essential singularity

$$\frac{\beta(t)}{J} + \sum_n \frac{\beta_n(t)}{J - \alpha_n(t)}$$

$$b(t) s^0 + \sum b_n(t) s^{\alpha_n(t)}$$

$s \rightarrow \infty$

$s \rightarrow \infty$

$b(t) s^0$

$$f(\cos \theta) = \sum (2l+1) P_l(\cos \theta) f_l$$

$$\cos \theta \pm i \epsilon \rightarrow s \pm i \epsilon$$

Experiment

1) Schrödinger Equation with Yukawa Type Potential

→ Regge poles only

I. High Energy Phenomenology

II. Chew's Model all singularities

in J -plane to the left of $J=0$

exchange forces → signature

many-body-channels → factorization

$$\sigma_{\pi N} \sigma_{\bar{\pi} N} = \sigma_{\pi K} \sigma_{\bar{\pi} N}$$

spin → sense and nonsense

2) Schrödinger Equation with 3-body channels etc

Kodak Color Control Patches

Blue

Cyan

Green

Yellow

Red

Magenta

White

3/Color

Black

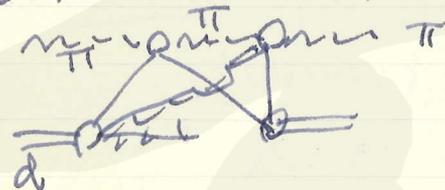
Just Regge Poles (some say not)
 3) Approximation to Rel. Field Theory
 Ladder approx. Just Regge Poles



4) Field theory including elementary particle
 in t-channel

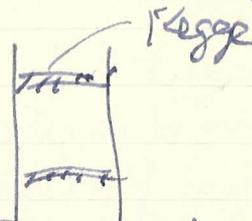


5) Anomalous threshold



cut if poles assumed
 (no shielding)
 $\times \sigma_d < \sigma_p + \sigma_n$

6) Amati-Fubini
 cut if poles assumed
 no cut if complete



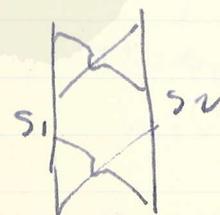
Feynman diagrams treated

7)



negative integer or
 essential singularity
 $J = -1, -2, \dots$ (spin 0)

8)



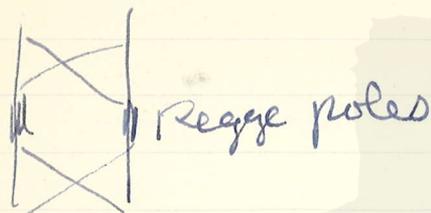
$J = s_1 + s_2 - 1, s_1 + s_2 - 2, \dots$
 π essential singularity
 $s_1 + s_2 \geq 2$
 (Froissart limit $\sigma^a a(0) \leq 1$?)
 2nd sheet

cut σ^a

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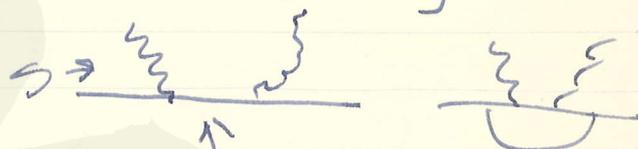
4) Mandelstam



$$J = \alpha_1(t') + \alpha_2(t'') - 1, \dots - 2$$

to singularity. \rightarrow cut

Cyrolberger: Regge poles a trajectory α
 トラジェクトリー



$$\frac{g^2}{m^2 - s} + \frac{g^2}{m^2 - u} + g^4 \frac{\ln(-s)}{-t} f(s) + \dots$$

$$\left\{ \frac{g^2}{t} \left[1 - g^2 \ln(-s) f(s) \right] + \dots \right\}$$

$$g^2 t - g^2 f(s) - 1$$

\rightarrow a Regge pole α
 $\delta_{0J} + R.P.$
 spin $\pm \frac{1}{2}$ $\alpha \pm \frac{1}{2}$?

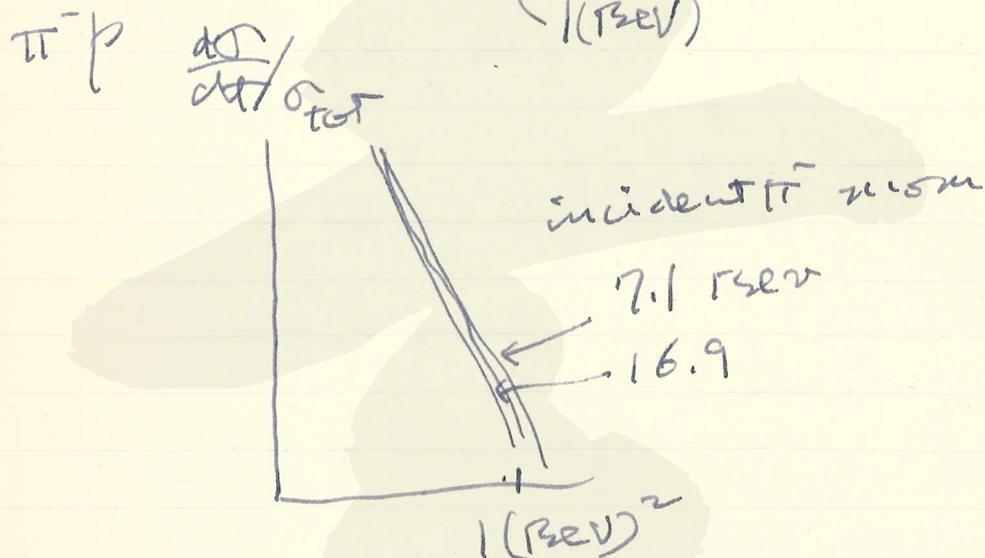
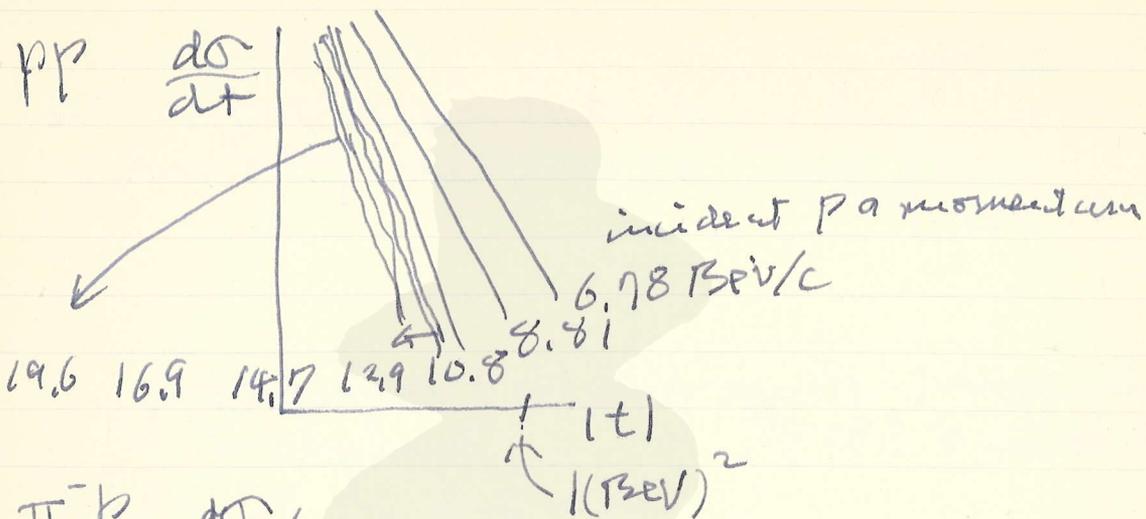
hinderbaum, Yuan et al:

$$b(t) \chi(s/s_0)^{\alpha_p(t)}$$

$$\frac{d\sigma}{dt} = C e^{-2\alpha' p(t) |t|} \ln(s/s_0)$$

$t \rightarrow 0: b(t) = b(0) \quad \alpha_p = 1 + \alpha'_p t$

Blue
 Cyan
 Green
 Yellow
 Red
 Magenta
 White
 3/Color
 Black
 Kodak Color Control Patches
 © Kodak, 2007 TM. Kodak



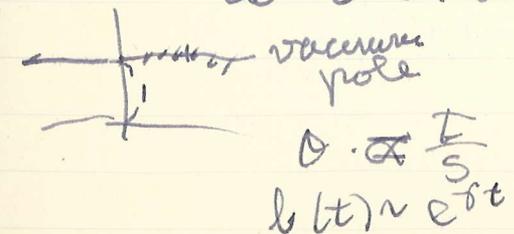
~~totally s.c. rigid to core?~~

共振核

1) πp is π c asymptotic region \rightarrow $\frac{1}{s}$ \rightarrow $\frac{1}{s}$ \rightarrow $\frac{1}{s}$

2) $\cos \theta_t \sim \frac{s}{2M^2}$ for pp
 $\sim \frac{s}{2M^2}$ for $\pi p \rightarrow$ asymptotic

$\cos \theta \sim 10$ is asymp. ? $a_p(t) \rightarrow 1$



$f \sim s'$ ($\theta=0$, or $t/\sqrt{s} \rightarrow 0$)
 unitarity limit

