

湯川氏の論文:

(1)

1. Q, F, T, の関係.
2. observable 問題.

1. Källén - Pauli
 Lehmann - Sym. - Zim,
 glust. state
 Landau $e_0 \rightarrow e=0$
 Heisenberg
 Terretti
 Cini - Tubini
 dipole glust
 Low - Chew

M, M+E

L.S.Z.:
$$I_S(p_1, p_2) = \delta_3 - f(-(p_1 - p_2)^2)$$

$$\frac{1}{8\pi^2} \int_{3M^2}^{\infty} \frac{k \sqrt{k^2 - 4M^2}}{(k^2 - m^2)^2} |f(k^2)|^2 d(k^2) < 1$$

$p_1^2 \rightarrow \infty \quad I_S \rightarrow 0$
 $\therefore \Delta'_F(p^2) = \Delta_F(p^2) - i \int_{(3M)^2}^{\infty} \frac{\sigma(\lambda^2) d\lambda^2}{p^2 + \lambda^2 - i\epsilon}$

positive norm. $\sigma(\lambda^2) \geq 0$

$$\sigma(k^2) = \overline{F(k^2)} |O'_F(k^2)|^2 \quad (a)$$

$$\langle A(x) A(y) \rangle_0 = \sum_a \langle 0 | A(x) | \phi_m^{(a)} \rangle \langle \phi_m^{(a)} | A(y) | 0 \rangle$$

$$\int_{3m^2}^{\infty} \frac{F(k^2) dk^2}{(k^2 - m^2)^2} \leq 1.$$

$I_S = g \gamma_i$ (1st appr.)

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(2)

Lee model: $\Gamma = g$

$$g^2 = Z_2 g_0^2$$

$$\frac{g^2}{g_0^2} = \frac{1}{1 + g_0^2 A} = 0 \quad \text{without cut-off}$$

$g \rightarrow \text{finite}$ $g_0 \rightarrow i\infty^{-1}$

Källén-Fauli
 cut-off

$$\frac{g^2}{g_0^2} = \frac{1}{1 + g_0^2 A(P)}$$

$$\exists \text{LE } g^2 < g_r^2(P) \quad g_{\text{exp}} > g_r^2(P) \quad \text{res}$$

ghost state

$$V \rightleftharpoons N + \theta$$

m_ν

ghost (bound state)

(negative prob. for the
 existence of V)

S-matrix: non-unitary

$P \rightarrow \text{res}$ or S g_{exp} or E or K or L or Z or θ ghost or ν .

Lehmann: (Landau)

O.E.D.

$$M_\nu \sim m_{\text{exp}} \left(\frac{2\pi}{\alpha} \right)$$

Chew-Low

$$f_0^2 = f^2 + \int_1^\infty \frac{dE \sigma(E)}{g_E v^2(g_E)^2}$$

(3)

no. $f^2 = 0.08$
 $g_{max} = 6.7 \mu$

glant?

Thirring

Anderson
causality

Landau
Pomeranchuk

Tamm

Bethe