

基礎理論討論会 56年お第5回

(1)
 June 5, 1956

1. 尾崎: 場の理論の計算方法

const. el. mag. field

(Euler-Heisenberg)

$$H = \pi^2 + (\nabla\phi)^2 + \kappa^2 \phi^2 + \lambda \phi^4$$

$$H_{int} = \frac{\lambda'}{V} \sum_{k,l,m} q_k q_l q_m \delta_{k+l+m}$$

$$k=l=m=0$$

$$H = \frac{1}{2} \{ p^2 + \omega^2 q^2 + \lambda' q^4 \}$$

→ path integral

$$K = \int \exp \frac{i}{2} \int_{t_1}^{t_2} \{ \dot{q}^2 - \omega^2 q^2 - \lambda' q^4 \} dt \mathcal{D}q$$

$$e^{-i\lambda \int \phi^4 dx} = e^{i\lambda \int (\alpha^2 - 2\lambda x^2) dx}$$

2. 原: charge independence of 粒子の寿命

$$I + J$$

$$J_3 = S/2$$

$$\frac{\Lambda_0 \rightarrow p + \pi^-}{\Lambda_0 \rightarrow n + \pi^0} = 2$$

$$\frac{\Theta_0 \rightarrow \pi^+ + \pi^-}{\Theta_0 \rightarrow 2\pi^0} = 2$$

Θ_0 : even, even

weak interaction: $\Delta I = 1/2$

Steinberger i Rochester Conv.

$\pi^- (1.3 \text{ BeV}) + p$

(bubble chamber)

life time

observe

$$\Lambda^0: 2/3$$

$$\Theta^0: 1/3 \quad (\rightarrow 2\pi, 2\pi + \sigma)$$

exp.

$$\Lambda^0 + \Theta^0 \quad (37)$$

$$\Lambda^0 + \Theta^0 \quad 15$$

$$\Lambda^0 \quad 19$$

$$\Theta^0 \quad 3$$

total number $(37+x) \times \frac{2}{9} = x \quad x=10$

theory

$$\Lambda^0 + \Theta^0: 11$$

$$\Lambda^0: 21$$

$$\Theta^0: 5$$

(2)

$$\tau^E \rightarrow \tau^{\pm} + \tau^{\mp}$$

$$\tau^E \rightarrow \tau^{\pm} + 2\pi^0$$

$$\frac{1}{4} < \frac{\tau^E}{\tau} < 1$$

3. 中子: ρ meson と π 相互作用の相互作用,
 spin 0. $f_{\mu\nu} S_{\mu\nu}$ $S_{\mu\nu} = \frac{1}{i} [\beta_{\mu}, \beta_{\nu}]$
 π -electron interaction " in rest system

$$D_R U_R - \pi^2 U = 0$$

$$D_R U - U_R + \frac{ie}{\pi} A_R f_{\mu\nu} U = 0$$

$$D_R = \frac{\partial}{\partial x_R} - ie A_R$$

$$f_{\mu\nu} (U_R^* U_R - U_R^* U_R)$$

4. 陽子: 物質と,
 空っぽ: //

5. 陽子: 反陽子の世界
 anti-proton capture: $\sigma_c \approx \pi \left(\frac{2\hbar^2}{Me^2} \right)^2 \approx 10^{-23} \text{ cm}^2$
 $v \approx 10^5 \text{ cm/sec (galaxy)} \rightarrow 1/\text{cc}$
 $E \geq 10^9 \text{ eV}; \dot{\Sigma} \approx 10^{-2} \text{ cm}^{-2} \text{ sec}^{-1}$
 $\sigma_{p\bar{p}} \approx 5 \times 10^{-26} \text{ cm}^2$
 $n_{\pi} \approx 5^{-}$

antiproton prod. rate, density in galaxy

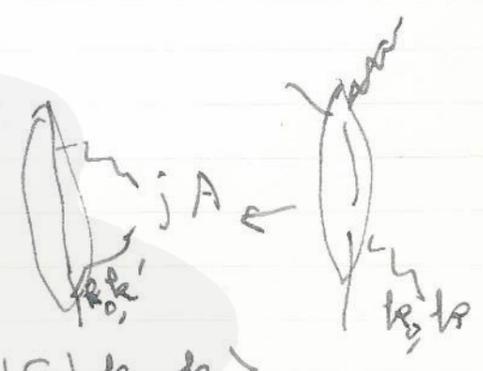
$$\frac{f_{\bar{p}} \approx 0.1}{3 \times 10^{-28} \text{ sec}^{-1}}$$

$$3 \times 10^{-11} / \text{cc}$$

(3)

energy density: 0.06 eV/cc
 total energy density ~ 1 eV/cc

6. 条件: π と ρ の中間子の交換
1. static model
 2. no π - π int
 3. p.v.



$$\langle \rho_0, \rho_1 | S | k_0, k_0' \rangle = \frac{k_0'}{k_0} \langle \rho_0, \rho_1 | S | k_0, k_0' \rangle$$

virtual

dispersion relation

$$S(k_0) = \frac{f^2}{\mu^2} \frac{1}{k_0} + \int \frac{\sigma(p)}{k_0 - \omega_p} dp$$

if $k_0 < \mu = 200 \text{ MeV}$

magnetic moment

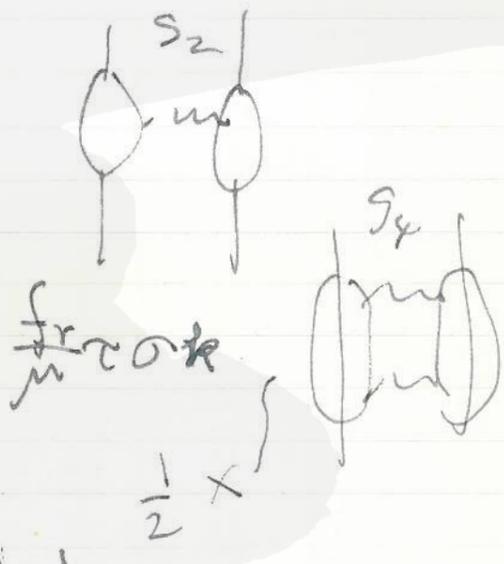
$$\mu = f^2 \int \dots + \int \frac{\sigma}{\dots}$$

system: ρ の交換

$$S = S_0 + S_2 + S_4$$

$$S_2 \rightarrow \nabla^2 = \frac{f^2}{4\pi} \pi \sigma \sigma \sigma \frac{e^{-\mu r}}{r}$$

$$S_4 \rightarrow \nabla^4 =$$



electron-neutron interaction
 s-wave



- 条件: 1. proton's charge density \rightarrow Suura
 2. electron-neutron interaction \rightarrow Suura 等
 3. 三力

(4)

4. Deuteron の non-disintegration

5. exchange moment

6. ...
 7.  の核力に与る位相はどうか?
 ...

12. nucleon の物 < 論 > ?
 dispersion formula

7. 雑記: Lehmann の方法について.

1. covariance
2. 完備性
3. complete set
4. charge conj.
5. 相対論的場の理論
6. microscopic causality
7. 相対論的場の理論の応用
8. bound state の集積

1. consistency
2. $\delta\mu^2, \delta m, z_2^{-1}, z_3^{-1}$ の帯域. 収束,

$$g_{ob}^2 = f(z) g_{un}^2$$

$\delta\mu^2$: 帯域 = 2
 δm : 帯域 = 1
 z_2^{-1}, z_3^{-1} : 帯域 = log
 ps-ps theory の consistency